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PRE-TEST MARKET EVALUATION OF NEW PACKAGED GOODS:
A MODEL AND MEASUREMENT METHODOLOGY *

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ABSTRACT

The substantial failure rate historically observed among new, low-price, frequently-purchased consumer goods placed in test markets plus the high direct cost of such activities have stimulated firms to seek ways to perform more thorough evaluations of new products prior to embarking on test marketing programs. This latter task is the focus of the work reported here. The paper describes a set of measurement procedures and models designed to produce estimates of the sales potential of new packaged goods which have been developed to the point where the product itself along with packaging and advertising materials are available and an introductory marketing plan has been formulated.

The research design employed is one which attempts to simulate the awareness-trial-repeat purchase process of new product response by having a sample of consumers participate first in a laboratory experiment and then in a home usage test. Measurements obtained at several points in the design provide the input required for two models used to predict steady-state market share for the new product. The first model relates strength of post-trial preference for the new brand to probability of purchasing it. The second is a more direct representation of the trial-repeat purchase process. The structural correspondence of the two models and procedures for estimating their parameters are examined. Finally, a case application of the system is discussed and its limitations are considered.
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INTRODUCTION

Test marketing is a familiar step in the development of new packaged goods -- i.e., branded, low-priced, frequently purchased consumer products. Experimental launchings of new products are intended to expose problems that would otherwise go undetected until full-scale introductions were underway. Although test marketing is quite commonplace, deciding if and when it should be used in particular cases has remained a perplexing and controversial management problem. The substantial failure rate historically observed among new packaged goods placed in test markets, plus the high and ever-rising direct cost of such activities, have stimulated firms to seek ways to perform more thorough evaluations of new products prior to embarking on test marketing programs. The latter task is the focus of the work discussed here. More specifically, the present paper reports progress in developing a measurement and model system, called ASSESSOR, designed to estimate the sales potential of new packaged goods before they are test marketed. The ultimate aim of such a capability is to reduce the incidence of new product failures in test markets and thereby to effect savings in the total cost of new product development.

The plan of the paper is as follows. We first review some data bearing on test market failure rates and costs and briefly examine existing pre-test marketing evaluation methods. After setting forth the particular objectives of ASSESSOR, we describe the measurement methodology, model structure, and estimation procedures employed. The first application of the system is then discussed in some detail. Finally, some results obtained from subsequent studies are briefly reviewed and the limitations of the approach are considered.
PROBLEM DESCRIPTION

Test Marketing

Manufacturers of packaged goods have come to rely on a fairly common set of measurement methods for assessing consumer response to a new product. While not all new products follow the same path of development, the typical approach utilizes (1) concept and positioning tests; (2) product usage tests; and (3) test marketing [34; 47, Chapter 4]. The latter step constitutes the final integration and evaluation of the product formulation and the various elements of the marketing plan designed to implement the desired positioning strategy.

The design and scale of test market operations for new products depends upon the specification of purpose in terms of estimation and experimentation [42]. The objective of test marketing is sometimes primarily that of obtaining an estimate of the market share and/or sale volume that would be realized if the new product were launched nationally. In other cases, the aim may be to evaluate alternative marketing mix strategies and hence the test marketing program involves a true experiment. A recent survey of the test marketing practices of "28 major consumer grocery and drug product companies" in the U.S. found that the "norm" was to run a test market in three areas for ten or eleven months [33]. Over a three-year period, these firms had averaged three test marketing programs each per year. The costs of such efforts are considerable and have been mounting. In 1967, the "going rate" for a year-long test in several markets was reported to be $500,000 [61,p. 45]. Today, the comparable figure appears to be in the vicinity of a million dollars and
the present authors are familiar with several three city test marketing programs that involved outlays of $1,500,000.

Even more than the heavy costs, what has motivated closer scrutiny of test marketing practices is recognition of the fact that the probability such an undertaking will lead to the detection of a new product failure rather than a success is distressingly high. A review of the limited data available suggests that either outcome may be equally likely. In 1961 and again in 1971, the A. C. Nielsen Company reported the "success ratio" of new brands (health and beauty aids, household and grocery products) that had been test marketed through their facilities [50]. The 1961 study included 103 new brands while the 1971 covered 204 items. "Success" was defined by the "manufacturer's judgment of each brand's performance in test" — namely whether or not the brand was launched nationally. Brands withdrawn from test markets or not introduced nationally were considered "failures." By these criteria, only about half of the new brands test marketed in these two periods were successes (54.4 percent in 1961 and 46.6 percent in 1971). Similarly, the aforementioned survey of the test marketing practices of 28 major consumer grocery and drug product companies found that in 46 percent of the 54 specific test market experiences covered by the study, test market sales "fell short of management expectations" [33]. In contrast, Buzzell and Nourse [16, p. 100] observed in their study of the food industry that only 32 percent of 84 "distinctly new food products" developed in the 1954-1964 period were discontinued after test marketing. This somewhat lower failure rate is probably related to the special character of the sample of products studied — i.e., all were "substantially different in form, ingredients, or processing methods from other products previously marketed by a given company" [16, p. 96]. At the
individual firm level, ten year test market success rates of 46 percent and 60 percent have been reported for General Foods in the U.S. [1, p. 50] and Cadbury in the U.K., respectively [17, p. 98]. Thus, failure rates ranging from 40-60 percent roughly bracket the publicly reported record of test market experience in the packaged goods field.

Besides being an expensive means of detecting new product failures, test marketing frequently encounters other problems. First, the test market performance of a new product can be monitored by competitors and thereby provides them with information and time needed to plan a response. Secondly, the external validity or "projectability" of test market results to subsequent national performance has long been a subject of debate and controversy [2]. For example, A. C. Nielsen Company compared the first year national market share position of 50 new brands with their first year test market performance and concluded that "the odds are about 50-50 that the national performance will match test results within + 10%" [51, p. 4]. This kind of straightforward comparison assumes that test market conditions with respect to such factors as promotional and distribution support and competitive activity were representative of circumstances that later persisted in the national market. Such an assumption is rarely, if ever, tenable and experience indicates that the predictive accuracy of test market-based forecasts can be markedly improved by adjusting for discrepancies between test and national conditions with the help of a model that accounts for the dynamics of the new product response process. Competitors have been known to take deliberate retaliatory actions to disrupt another firm's test markets which make it extremely difficult to untangle the results even using complex, model-based analyses [66].
Pre-test Market Evaluation

Confronted with a high incidence of new product failures in test markets, difficulties in projecting test market results, and the heavy cost of such activities, packaged goods manufacturers have sought to cope with these problems in a variety of ways [17]. The most logical place for improvements is the early stages of the new product development process. More effective search and screening procedures can, of course, increase the productivity of development and test efforts and diminish the likelihood that a failure will not be detected until the test marketing stage. In recent years new measurement methods and models have been developed and utilized to facilitate concept generation, refinement and evaluation. Examples of such efforts are the work of Green [31], Pessemier [53], Shocker and Srinivasan [60], Stefflre [62], Urban [67] and Wind [72]. Application of these techniques is intended to lead to better concepts and products, but does not ordinarily obviate test marketing.

Attention has also been directed toward making more careful forecasts of expected test market results prior to launching such operations. The sales and market share observed over time for new, frequently purchased consumer products tend to follow a consistent general pattern that can be understood in terms of the level of cumulative trial the new brand achieves and the rate of repeat purchasing it is able to sustain [52]. As the diffusion process works itself out, trial and repeat purchases move toward steady-state levels giving rise to an equilibrium market share and sales rate. A number of models have been developed which utilize early test market or introductory data to forecast equilibrium share and volume [41, Chapter 17]. Certain of these models have been used to arrive at pre-test market predictions.
of equilibrium share employing inputs derived from concept and usage tests for the new product plus data for analogous products and/or judgment [68, 69]. Claycamp and Liddy [22] carried this idea a step further and built a regression model to predict trial and repeat purchase levels before the launch of a test market from a set of controllable and uncontrollable variables measured by a mixture of judgmental ratings and consumer test results. The model was estimated and tested using data obtained from 58 new product introductions that covered 32 different types of packaged goods. Eskin and Malec [28] have recently reported progress in developing a model which extends the Claycamp and Liddy work in important ways. Some firms have developed similar models using historical data on new product introductions for more narrowly defined product categories [6; 47, pp. 94-100]. While the evidence reported bearing on the forecasting ability of this approach is encouraging [6, 22, 69], the use of such cross-sectional models is always surrounded by uncertainty about the universe of new products and market conditions over which the parameter estimates can be expected to remain stable [26, 64].

Many packaged goods manufacturers have turned to lower cost alternatives to the traditional multi-area test market as a means of reducing expenditures on new product research [e.g., 17]. Several varieties of scaled-down or "controlled" test markets have come into existence [2]. These operations typically involve fewer and/or smaller areas, but allow more control over some marketing mix variables than do regular test markets. However, the costs remain substantial (expenditures of $100,000 are common) and the projectability of results to the total market is controversial [47, p. 48]. A related but essentially different approach operative in Western Europe, the "mini test market" [29, 57], is briefly discussed below in the section on "Design Considerations."
Another pre-test market method for evaluating new packaged goods is the "laboratory" or "simulated" test market. The basic design concept is to simulate the awareness-trial-repeat purchase process via controlled laboratory and product usage tests. Measurements obtained at several points in this process are used to predict steady-state market share for the new brand and to provide diagnostic information. These ideas form the basis of the work reported here. Brief mention of previous applications of this type of combined laboratory-use test design in commercial marketing research can be found in the literature [47, pp. 44 and 59; 49, pp. 77-79 and 183-185; 64], and several firms are known to offer such services [64]. However, the only detailed account of comparable work known to the present authors is that found in an unpublished paper by Burger [15] which describes the COMP system developed in conjunction with Elrick and Lavidge, Inc. The specific measurements, models and estimation procedures we employ are quite different from those discussed by Burger.

Objectives and Structure of ASSESSOR

ASSESSOR is a set of measurement procedures and models designed to aid management in evaluating new packaged goods prior to test marketing when a positioning strategy has been developed and executed to the point where the product, packaging, and advertising copy are available and an introductory marketing plan (price, promotion and advertising) has been formulated. Given these inputs, the system is intended to:

1. Predict the new brand's equilibrium of long-run market share.
2. Estimate the sources of the new brand's share -- "cannibalization" of the firm's existing brand(s) and "draw" from competitors' brands.
(3) Produce actionable diagnostic information for product improvement and the development of advertising copy and other creative materials.

(4) Permit low cost screening of selected elements of alternative marketing plans (advertising copy, price, and package design).

Figure 1 shows the overall structure of the system developed to meet these requirements. The critical task of predicting the brand's market share is approached through two models -- one relates preference to purchase probability while the other is a straightforward flow representation of the trial-repeat process. The two models share a similar structure, but are calibrated in different ways. Convergent results should strengthen confidence in the prediction while divergent outcomes signal the need for further analyses to identify sources of discrepancies and to provide bases for reconciliation. The measurement inputs required for both models are obtained from a research design involving laboratory and usage tests. The key outputs are a market share prediction plus diagnostic information which can be used to make a decision as to the brand's future. Several outcomes are possible. A poor showing may lead to either termination or further developmental efforts. If the performance is satisfactory, plans for test marketing can then proceed. Highly favorable results could lead to an immediate launching of the brand, particularly if the capital investment risked in the introduction is small and/or if the threat of competitive entry is imminent.
RESEARCH DESIGN AND MEASUREMENT

An Overview of the Design

The measurement inputs required to develop the desired diagnostic information and predictions for ASSESSOR are obtained from a research design structured to parallel the basic stages of the process of consumer response to a new product. Table 1 outlines the essential features of the design and identifies the main types of data collected at each step. To simulate the awareness-trial stages of the response process, a laboratory-based experimental procedure is employed wherein a sample of consumers are exposed to advertising for the new product and a small set of the principal competing products already established in the market. Following this, the consumers enter a simulated shopping facility where they have the opportunity to purchase quantities of the new and/or established products. The ability of the new product to attract repeat purchases is assessed by one or more waves of follow-up interviews with the same respondents conducted after sufficient time has passed for them to have used or consumed a significant quantity of the new product at home.

| INSERT TABLE 1 HERE |

Procedures

The laboratory phase of the research is executed in a facility located in the immediate vicinity of a shopping center. "Intercept" interviews (0) are conducted with shoppers to screen and recruit a sample of consumers possessing attributes that characterize the target market for the new product. The schedule of this work is staggered over time in order to reduce the opportunity
for obvious kinds of self-selection biases to affect the respondents drawn into the study. Further control over sample composition can be exercised by carrying out the field work at several different locations chosen to attain the heterogeneity and quotas desired in the final sample. Considerable flexibility is possible here because elaborate facilities and arrangements are not required. Studies that have been done to date have typically employed samples of approximately 300 persons.

Upon arriving at the laboratory facility location, respondents are asked to complete a self-administered questionnaire that constitutes the before measurement \(O_2\). Individually or in pairs, respondents then proceed to a separate area where they are shown a set of advertising materials \(X_1\) for the new brand plus the leading established brands. Ordinarily, respondents are exposed to 5-6 commercials, one per brand, and the order in which they are presented is rotated for different groups to avoid any systematic position effects. Measurement of reactions to the advertising materials \(O_3\) occurs next if such information is desired for diagnostic purposes. This is an optional feature of the design and dropping it eliminates a potential source of unwanted reactive effects on respondents' subsequent behavior.

The final stage of the laboratory experiment takes place in a simulated retail store where participants have the opportunity to make a purchase. When first approached, they are told that they will be given a fixed amount of compensation for their time -- typically about two dollars, but always more than the sum needed to make a purchase. In the lab they are informed that they may use the money to purchase any brand or combination of brands in the product category they choose with any unexpended cash to be kept by them. They then move to an area where quantities of the full set of competing brands including the new one are displayed and available for inspection \(X_2\). Each
brand is priced at a level equal to the average price at which it is being regularly sold in mass retail outlets in the local market area. The brand (or brands) selected by each participant is (are) recorded by one of the research personnel at the checkout counter. Although respondents are free to forego buying anything and retain the full two dollar sum, most do make a purchase. To illustrate, the proportion of participants making a purchase observed in two separate studies of deodorants and antacids were 74 percent and 64 percent, respectively. Those who do not purchase the new brand are given a quantity of it free after all buying transactions have been completed. Note that this procedure parallels the common practice of effecting trial usage through the distribution of free samples. A record is maintained for each respondent as to whether he or she "purchased" or was given the new brand so as to be able to assess whether responses on the post-usage survey are differentially affected by trial purchase vs. free sampling.

The post-usage survey is administered by telephone after sufficient time has passed for usage experience to have developed. The specific length of the pre-post measurement interval is determined by the estimated average usage rate for the new product. Respondents are offered an opportunity to make a repurchase of the new brand (to be delivered by mail) and respond to essentially the same set of perception and preference measurements that were utilized in the before or pre-measurement step except that they now rate the new brand as well as established ones. Familiarity with the questionnaire gained through this previous exposure makes it feasible to re-administer the instruments in telephone interviews.

Some shrinkage in sample size inevitably occurs between the laboratory session and the post-usage survey. Two important varieties of attrition occur.
First, some proportion of those who participated in the laboratory session will be excluded from the telephone survey as a result of having moved, being away from home, refusing to be interviewed, etc. A second source of sample attrition are respondents who report in the post-usage survey that they have not used the supply of the new product they previously had purchased in the lab store or had been given. In the deodorant study referred to previously, 16.7 percent of the original laboratory sample could not be re-interviewed and another 16.7 percent had not used the product. The general policy followed has been to continue re-interview efforts until a sample of users of the new product is obtained which includes at least two-thirds of the original set of respondents. Those not responding to the post-usage survey may be compared with those who do with respect to information about such factors as last purchase brand share and usage rate obtained from the before measurement \(0_2\) in order to detect the presence of systematic biases in the post-usage sample which may have arisen as a result of experimental mortality.

**Measurement Instruments**

Table 1 identifies the key measures obtained at various points in the design. Certain non-standard features of the methods employed require some additional discussion. Allaire [4] has shown that measurement of perception and preference structures can be distorted by including unfamiliar stimuli in the set of alternatives judged. Following his methodological recommendation, we ask each respondent to provide perception and preference ratings only for those brands that comprise his or her "relevant set" of alternatives -- i.e., that subset of available brands which are familiar to the respondent regardless of whether they are judged favorably or unfavorably as choice
alternatives. Respondents' idiosyncratic relevant sets are revealed by a series of unaided recall questions which identify brands previously purchased or used plus any others considered to be satisfactory or unsatisfactory alternatives.

The size of a typical respondent's relevant set is small relative to the total number of brands available in the market. Data presented by Urban [67] for seven different categories of packated goods show that the median relevant set size generally observed is about three brands. Campbell [18] and Rao [59] have reported evoked set sizes of approximately the same magnitude for some additional product classes. The smallness of evoked or relevant set sizes is consistent with evidence available as to the number of different brands of packaged goods actually purchased by households. Massy, Frank and Lodahl [44, pp. 22-24] reported some relevant statistics for a sub-sample of U.S. households in the J. Walter Thompson panel. During a one-year period, the mean number of different brands purchased per household was 3.3 for regular coffee, 2.6 for tea and 3.0 for beer. The ranges observed in this quantity for these three product categories were: 1-12, 1-8, and 1-11, respectively. Wierenga [70, Chapter 6] has investigated some related phenomena using purchase diary data from a panel of 2000 Dutch households. He found that although a total of 29 different brands accounted for 85 percent of the total volume of margarine purchased, the mean number of brands purchased per household over a two year period was only 4.26. The comparable figures for beer and an unidentified food product were eight and fourteen brands available, respectively, with 2.57 and 2.88 being the average number of brands purchased per household in these two product categories. Table 2 shows the distribution of relevant set sizes for deodorants observed among a sample of 299 respondents. Here again, the median relevant set size is three brands.
After identifying a respondent's relevant set of brands, attribute importance ratings are obtained. Beliefs/perceptions about the extent to which each brand in a respondent's relevant set offers these attributes are also elicited by means of bipolar satisfaction scales. These two types of data are important components of the diagnostic information provided by the system.

A constant sum, paired comparison procedure is used to assess brand preferences. Several variants of the constant sum approach have been utilized in marketing research studies and some evidence bearing on the reliability and validity of such measures has been reported. Axelrod [9] employed a constant sum technique as a rating scale device by asking respondents to allocate "11 cards" among a predetermined set of brands so as to indicate the likelihood of their buying each brand. An individual's preference score for a particular brand was simply the number of cards allocated to it. In a complex, multi-stage study, a number of different awareness and preference measures were compared with respect to their "sensitivity" (ability to detect an effect of advertising exposure in a before-after with control group design), "stability" (aggregate agreement between equivalent samples), and "predictive power" (ability to predict purchases at $t_2$ from measure obtained at $t_1$). Based on the results obtained, Axelrod recommended use of the constant sum scale to elicit attitude ratings for brands mentioned by consumers in response to an unaided brand awareness question.

Haley [32] has reported the results from another comparative study of several attitudinal measures which included a combined paired comparison,
constant sum procedure. For all possible pairs of brands, respondents were instructed to divide "10 points" between any two brands so as to reflect their preferences. An individual's preference score was obtained for each brand by summing the points assigned to that brand over all the relevant pairwise comparisons. Relative to the other measures investigated, Haley reported that this method proved superior in its ability to discriminate among brands. As well, it yielded scores whose distribution appeared to be approximately normal.

The findings reported by Axelrod and Haley suggested use of the constant sum technique as a desirable procedure for eliciting preference judgments from consumers. However, in both of these studies as well as in other marketing research applications, the methods used to estimate scale values for brands from constant sum input data have been of an ad hoc variety. In psychophysical measurement where it was first used [65, pp. 105-107], constant sum comparative judgments are the basis of an explicit scaling model for which formal estimation methods have been developed. Under the assumption that the subjects can provide ratio judgments of paired comparisons between stimuli, Torgerson [65, pp. 108-112] devised a least-squares method for estimating ratio scale values. It is this form of constant sum, paired comparison scaling that has been employed in this work to measure a respondent's preferences for his or her relevant set of brands.

The measures of attribute importance weights, brand belief or attribute ratings, and preferences obtained in the before measurement (02) are repeated again in the post-usage survey (05) but with the new brand added to each respondent's "relevant set" of alternatives. Finally, respondents are given an opportunity to make a mail order repurchase of the new product.
Design Considerations

Selection of the design outlined above was influenced by certain operational cost and timing objectives. In particular, the new product management group who initiated this work was seeking a method of producing an evaluation of a new packaged good within a three month period and at a cost of less than five percent of the typical expenditure required for a test market (i.e., $25,000 to $50,000). The time and expense required to implement the data collection procedures described here fall well within the limits of these design desiderata.

An additional appealing feature of the design is flexibility. It can be expanded for a relatively modest amount of incremental cost to permit evaluations of alternative executions of certain elements of the new product's introductory marketing program -- e.g., response to different commercials may be compared by adding treatment groups to the design, each of which is exposed to a separate commercial.

Mail and home delivery panels suggest themselves as possible alternatives to the approach described above. The difficulty of reaching respondents from the relevant target group efficiently plus the problem of nonresponse are issues that diminish the attractiveness of mail panels. We are aware of no published accounts of experiences in using mail panels for testing new packaged goods. Evidence of the successful utilization of a home delivery panel in new product testing has been reported by Pymont and his co-workers [21, 29, 57, 58]. Initially developed in the United Kingdom as a "mini test market" facility and subsequently adopted for use in several other Western European countries, this carefully conceived measurement system involves a continuous panel of households who make purchases from a special door-to-door
retail grocery service. Promotional communications and new product introductions are effected by means of controlled print vehicles sent to members of the panel. In an important paper, Charlton, Ehrenberg, and Pymont [20] analyzed the purchase behavior observed in this environment using Ehrenberg's [25] NBD repeat buying model. They concluded that the brand choice patterns of the mini test panel for established products "are generally like those in real life" in the sense of being consistent with models known to describe purchase behavior occurring under natural conditions. This methodology has been extensively used in Western Europe to evaluate new packaged goods, the obvious attraction being that it offers an efficient means of estimating repeat purchasing for new brands. The latter quantity is generally acknowledged to be the prime determinant of a new brand's success or failure but the one which is least amenable to rapid and accurate measurement. A high degree of predictive accuracy is claimed for this system and supported by case histories of several applications. Steady-state shares predicted for new brands by the Parfitt-Collins [52] model using estimates of the trial, repeat, and buying rate parameters derived from the mini test panel have been found to be in very close agreement with the comparable share figures observed in concurrent or subsequent normal test markets and/or national introductions [57, 58].

The home delivery panel/mini test market clearly represents an appealing alternative to the approach pursued here. It remains an open question as to whether the former methodology would ordinarily allow the timing and cost criteria established for the present work to be met. No documented accounts or other reports of experiences in the U.S. with a mini test market facility like that referred to above have been encountered by us. In the United Kingdom, expenditures for new product penetration studies in the mini test
market system are said to be "less than 5% of the cost of conventional test marketing" and on average, about sixteen weeks of testing is required [29]. The home delivery arrangement does not lend itself to the television commercial and product display exposure that can be effected in a laboratory facility and hence trial usage may be expected to accumulate more rapidly under the latter approach. On the other hand, if an extensive amount of usage experience is required for consumers to learn about the new product or if its frequency of purchase differs from that of established brands [7,27], then one or two waves of post-usage interviews conducted soon after the laboratory session will not provide a reliable basis for estimating its repeat buying rate and the home delivery panel becomes a preferred and necessary alternative.

Cost and timing considerations aside, the larger issue concerning the design is the quality of the measurements it yields. Reference was made above to various steps taken to minimize and/or identify certain threats to validity [19]. One other potential source of confounding effects that merits attention is the use of repeated measures with the same respondents. The available evidence suggests that this is not a troublesome feature of the present design. In a special experimental study undertaken to investigate this issue, the measurement of response to the advertising materials \(0_3\) was found to have no apparent reactive effect on respondent brand choice behavior observed \(0_4\) in the simulated shopping trip. It is worth noting that Ginter [30] and Winter [73] also investigated this general issue in their laboratory study which involved four consecutive weekly sets of measurements taken before and after exposure to advertising stimuli. They found some indications that the repeated measurements were reactive, but report that these
effects were not sufficiently strong or systematic to be problematical [30, p. 33 and 73, p. 32].

Having described the design and procedures used to obtain a set of measures presumed to relate to the process of consumer response to a new packaged good, we next consider the models to which these measures are applied for purposes of developing a forecast of aggregate market response.
MODEL STRUCTURE

As shown in Figure 1, two different models are utilized to generate separate predictions of market share for a new brand. The first relates strength of post-trial preference for the new brand to the probability of purchasing it. The second is a more direct representation of the trial-repeat purchase process. In this section we set forth the details of each model and then examine their structural correspondence. This is followed by a discussion of how the output of the system is used to deal with strategic management issues.

Preference Model

The fundamental problem addressed here is that of predicting market share, an aggregate measure of purchase behavior. Given that interest, the available empirical evidence leads one to favor selection of preference over other attitudinal or behavioral disposition constructs as a simple predictor of brand choice. As mentioned earlier, Axelrod's study [8] found the predictive power of preference ratings (obtained by a constant sum procedure) superior to that of a variety of other, interview/questionnaire-based evaluative measures for established brands of packaged goods.

Of particular relevance to the purposes at hand is the work of Pessemier and his co-workers. In the first of a series of important studies, Pessemier et al. [55] demonstrated that their interval-scaled "dollar metric" measure of brand preferences [54] obtained in a laboratory setting could be used to develop fairly accurate predictions of the relative frequency of individual consumers' subsequent purchases of established brands made under natural conditions over a seven month period. More recently, Ginter [30] conducted
an experimental study of response to a new brand that involved a sequence of four weekly laboratory sessions wherein housewives were exposed to commercials for new brands in two different packaged goods categories and given the opportunity to purchase them in a simulated shopping trip. Among other things, he found that preference (measured by the same method as that used previously by Pessemier et al.) was a better predictor of purchase of the new brands than a multi-attribute attitude model. The several unresolved issues [71] that presently surround this latter class of models further discourages their use for the present purposes.

On the basis of subsequent work, Bass, Pessemier and Lehman [11] argue that while preference measures do exhibit significant predictive power, a high degree of accuracy cannot be realized because of measurement error, omitted variables, random exogonous events, etc., and, perhaps, consumers' "desire for variety." This leads them to the view that "since choice behavior is not constant even when attitudes are unchanging, attitude-based predictions of choice must be probabilistic" [11, p. 541].

A similar orientation has been adopted here: we first estimate individual consumers' probabilities of purchasing the new brand from their expressed brand preferences following a period of initial usage of it and then aggregate these probabilities across individuals to obtain an estimate of expected aggregate or total market share.

Luce's probabilistic theory of choice [43] provides a valuable foundation for formulating a model to link brand preferences to purchase probabilities. Luce has shown that a simple but powerful axiom about choice probabilities implies the existence of a ratio scale for the alternatives. More specifically, the Luce model, written in terms of brand choice probabilities and preferences asserts that:
\begin{equation}
\begin{aligned}
P_i(j) &= \frac{V_i(j)}{\sum_{k=1}^{m_i} V_i(k)} , \\
&\quad V_i(k) > 0,
\end{aligned}
\end{equation}

where:
\begin{align*}
P_i(j) &= \text{probability that consumer i chooses brand j}, \\
V_i(j) &= \text{consumer i's ratio scaled preference for brand j}, \\
k &= 1, \ldots, j, \ldots, m_i, \\
m_i &= \text{number of brands in a respondent's relevant set of alternatives}.
\end{align*}

In the present context, we postulate that our observed measures of preference, obtained by the constant sum, paired comparison procedure referred to previously, are related to brand choice probabilities by:

\begin{equation}
\begin{aligned}
P_i(j) &= \frac{[\hat{V}_i(j)]^\beta}{\sum_{k=1}^{m_i} [\hat{V}_i(k)]^\beta} , \\
&\quad \hat{V}_i(j) > 0,
\end{aligned}
\end{equation}

where:
\begin{align*}
\hat{V}_i(j) &= \text{estimated preference of consumer i for brand j}, \\
\beta &= \text{parameter to be estimated}.
\end{align*}

This form of preference model has previously been used in consumer research by Pessemier et al. [55]. They found that straightforward application of their interval scale preference measure to Equation (1) above resulted in the over-prediction of the relative frequency of purchase of less preferred brands. Better fits were realized with (2) where a heuristic method was used to obtain an estimate of $\beta$ that was product class specific, but which applied across all brands and all consumers. Pessemier et al. [55] discussed the application of the exponent $\beta$ to the preference scores as a means of accounting for noise and discrepancies between laboratory and market conditions. Simi-
larly here, the ratio scaling of preferences to which the constant sum, paired comparison procedure aspires may not be attained and the exact properties of the preference scale rendered by utilization of the method cannot be directly ascertained. Pessemier and Wilkie [56] have pointed out that the transformation implied in (2) that equates it to (1) is similar to Steven's Power Law [63] used in psychophysical research to relate subjective magnitude to physical magnitude.

The above formulation (2) may also be related to McFadden's [46] "random utility model" which he derived as a theory of population choice behavior, building upon Luce's individual choice model. McFadden assumes the utility (μ_i(j)) each member (i) of a utility maximizing population of consumers has for a choice alternative (j) consists of a measurable (c_i(j)) component and a stochastic element (ε_i(j)), i.e.:

\[ \mu_i(j) = c_i(j) + \varepsilon_i(j) \]

The non-stochastic component is taken to be a function of a vector of attributes describing the alternatives faced by the individual. Assuming the ε_i(j) are independent Weibull distributed, McFadden shows that Luce's model of individual behavior leads to an econometric specification of the choice probabilities as a multinomial logit model similar to (2), i.e.,

\[ P_i(j) = \frac{\exp[c_i(j)]}{\sum_k \exp[c_i(k)]} \]

Empirical experience has also led us to utilize (2) in this work. We estimate β using the preference scale values for the established brands derived from data obtained in the pre-exposure questionnaire (O_2 in Table 1)
and information about the last brand which respondents report having purchased. Statistical methods for estimating $\beta$ are discussed in the next section. Assuming $\beta$ to be a stable parameter whose value will remain unchanged following introduction of the new brand, and given measures of consumers' preferences for the new brand plus the established brands obtained after consumers have experienced a period of trial usage of the new brand, it follows from (2) that we can then predict each individual's probability of purchasing the new brand using:

$$L_i(t) = \frac{[A_i(t)]^\beta}{[A_i(t)]^\beta + \sum_{k=1}^{m} [A_i(k)]^\beta},$$  

where:

- $L_i(t)$ = probability that consumer $i$ chooses the brand, $t$ after having tried the new brand,
- $t$ = index for the new brand,
- $k$ = index for established brands,
- $A_i(t)$ = estimated preference of consumer $i$ for the new brand, $t$ after having tried the new brand,
- $A_i(k)$ = estimated preference of consumer $i$ for established brand $k$ after having tried the new brand.

Now the predicted probabilities are conditional upon the new brand being an element of each consumers' relevant set. In order to calculate an expected market share for the new brand we must take into account that the new brand will not necessarily become an element of the relevant set of brands for all consumers when it does in fact, become available in the market. Therefore, we write:
\[
M(t) = E(t) \frac{\sum_{i=1}^{N} L_i(t)}{N},
\]

where:

- \( M(t) \) = expected market share for the new brand \( t \),
- \( E(t) \) = proportion of consumers who include brand \( t \) in their relevant set of alternatives,
- \( L_i(t) \) = predicted probability of purchase brand \( t \) by consumer \( i \), \( i = 1, \ldots, N \).

In order to use Equation (5) to forecast the new brand's market share, it is first necessary to predict the proportion of consumers, \( E(t) \), who will consider the new brand as a relevant alternative. A procedure for estimating this quantity is discussed in the next section.

Where there is substantial variation in consumption among individual consumers, the \( L_i(t) \) in Equation (5) above must be weighted by a usage rate index.

The task of predicting how the new brand will affect the shares of existing brands requires that we obtain their expected market share when equilibrium is re-established after the launching of the new brand. To do so, we must again recognize that under the new steady-state conditions the market will consist of two sub-populations, distinguishable by the presence or absence of the new brand in their relevant sets. The sizes of these two groups, relative to the total target market, will be \( E(t) \) and \( 1-E(t) \), respectively. The addition of the new brand to respondents' relevant sets is effected experimentally by the procedures noted previously and so the impact of its inclusion will be manifested in the preferences for the established brands expressed by respondents in the post-usage survey \( (0) \) after having been exposed to the new brands -- i.e., in the quantities, \( A_i(k) \) defined above. On the other
hand, it seems reasonable to suppose that consumers whose relevant set does not include the new brand will continue to purchase established brands after the new brand is available in the same manner they did prior to its entry -- i.e., according to the established brand preferences held before exposure to the new brand, $\hat{V}_j(k)$, as previously defined to (2). We further assume that (a) the probability of the new brand being included in a consumer's relevant set is independent of relevant set size and composition or the structure of preferences for established brands, and (b) inclusion of the new brand in a consumer's relevant set does not affect the number or identity of established brands it contains. Using these ideas we derive expected market shares for established brands in the following manner. As in (4), if the new brand is present in a consumer's set, the purchase probability for any established brand $j$ will be given by:

$$L_1(j) = \frac{[A_i(j)]^\beta}{[A_i(t)]^\beta + \sum_{k=1}^{m_i}[A_i(k)]^\beta},$$

where $k = 1, \ldots, j, \ldots, m_i$.

and its share in the sub-market of consumers whose relevant set includes the new brand is:

$$M(j)' = \frac{\sum_{r(j)} L_1(j)}{N},$$

where the summation $\sum_{r(j)} L_1(j)$ is over the $r(j)$ individuals who include the established brand $j$ in their relevant sets.

For consumers who do not come to include the new brand in their relevant sets, the probability of purchasing any established brand $j$ may be obtained from (2) above and within the sub-population of all such consumers its market share will be:
conditions under which it can be expected to apply. First, crucial to the Luce-McFadden choice models is the notion of "independence of irrelevant alternatives." Formally, the requirement is that the "ratio of the probability of choosing one alternative to the probability of choosing the other should not depend upon the total set of alternatives available," [43, p. 9]. As discussed elsewhere [23, pp. 150-151; 46, p. 113], this assumption will not hold when the set of alternatives is sufficiently heterogeneous that choices are made in a hierarchical manner as when a consumer first selects among several product-types and then chooses a brand within a particular sub-category. The practice followed here of identifying idiosyncratic relevant sets of alternatives would appear to offer some protection against mixing together alternatives that vary markedly in their perceived substitutability. While it may also be possible to model the structure of a hierarchical choice process separately, attention must ultimately be focused upon relatively homogeneous sets of alternatives. Some evidence bearing on the independence-of-irrelevant-alternatives assumption is discussed later in connection with estimation of the preference model.

A second important assumption is the treatment of brand choice as a heterogeneous, stationary, zero-order Bernoulli process [45, Chapter 3]. A survey of the issues and pertinent evidence may be found in: Bass [10] who emphasizes that stochastic choice models built on these premises are consistent with stable market shares accompanied by substantial amounts of brand switching, conditions which are frequently observed together in packaged goods markets. A recent paper by Bass, Jeuland, and Wright [12] also deserves mention in this context. There the relationship between heterogeneous, zero-order brand switching models and penetration models like
those of Ehrenberg and his co-workers [25] is developed. In addition, they show that under certain assumptions about how brand preferences are distributed in the population, the Luce choice model leads to a flexible and tractable distribution of purchase probabilities.

Rather than model and measure the dynamics of the adoption process directly, we seek to compare equilibrium or steady-state market shares before and after introduction of a new brand, while allowing for heterogeneity in the population of consumers. For the approximation of stationarity to be plausible, market shares for established brands should be constant prior to the new brand's launch and preferences must have stabilized when the past-usage measures are taken. The latter condition may be checked by repeating the post-usage survey after consumers have acquired additional amounts of usage experience with the new product.

**Trial-Repeat Model**

The steady-state market share a new brand finally achieves can be represented directly as the product of the long-run levels of trial and repeat purchasing it attains. Following Parfitt and Collins [52], we express market share for the new brand \( (M(t)) \) by:

\[
(13) \quad M(t) = T S,
\]

where:

\[ T = \text{ultimate cumulative trial rate for the new brand, } t \text{ (proportion of all buyers in the target group who ever try the new brand)}, \]

\[ S = \text{ultimate repeat purchase rate for the new brand, } t \text{ (new brand's share of subsequent purchases in the product category made by buyers who have ever made a trial purchase of the new brand)}. \]
This model has been used extensively [3, 52] to forecast equilibrium shares \( M(t) \) for new brands using extrapolations of early test market measurements to estimate the ultimate trial \( T \) and repeat purchase \( S \) rates of Equation (13) above. Here we employ a model, previously used by Urban [67] which decomposes these two quantities slightly. By so doing we seek to represent the influence of certain marketing policy variables on consumer response in a simple fashion and at the same time make use of measurements obtained from the laboratory and post-usage studies.

We assume that trial comes about in one of two ways: (a) receipt and use of free samples, or (b) initial purchases. The incidence of first purchases of the new brand is taken to be dependent upon the level of awareness induced by advertising or other forms of promotion and the extent of its retail availability. As an approximation, the probability of becoming aware of the new brand and that of having it available are presumed to be independent. We further assume that the probability a consumer makes a first purchase is independent of the probability of receipt and use of a sample. Putting these assumptions together, we model trial by:

\[
T = FK + CD - (FK)(C)
\]

where:

\( F \) = long-run probability of a consumer making a first purchase of the new brand given awareness and availability of it (i.e., proportion of consumers making a trial purchase in the long-run given that all consumers were aware of it and distribution was complete),

\( D \) = long-run probability that the new brand is available to a consumer (e.g. proportion of retail outlets who will ultimately carry the new brand weighted by their sales volume in the product category),

\( K \) = long-run probability that a consumer becomes aware of the new brand,
C = probability that a consumer will receive a sample of the new brand,

U = probability that a consumer who receives a sample of the new brand will use it.

The various probabilities defined above are averages for the particular target group under consideration. As an estimator of F, we use the proportion of respondents who purchased the new brand (04 in Table 1) in the laboratory on their simulated shopping trip. The next three parameters, K, D, and C, depend upon the type and magnitude of marketing effort management plans to utilize if the brand is test-marketed or otherwise launched. Thus, a prime determinant of the level of awareness (K) for the new brand is the amount to be spent for media advertising while the extent of availability (D) depends upon how much sales force and promotional activity will be directed at the retail trade. The translation of the introductory marketing plan into estimates of K and D is accomplished by informal means, drawing upon managerial judgement as well as results and experience obtained with similar products. Analyses of certain types of historical data can also be helpful as, for example, in formulating a relationship between brand awareness and media expenditures or coverage. Estimation of the sampling coverage parameter (C) is straightforward, given knowledge of the scale of sampling program planned. Previous research with similar products or a small experiment can be used to estimate sample usage (U).

Urban [67] models the other quantity in Equation [13], S, as the equilibrium share of a first order, two state Markov process:

\[
(15) \quad S = \frac{R(k,t)}{1 + R(k,t) - R(t,t)}
\]
where the transition probabilities are defined as follows:

\[ R(k,t) = \text{probability that a consumer who last purchased any of the established brands (k) will switch to the new brand (t) on the next buying occasion,} \]

\[ R(t,t) = \text{probability that a consumer who last purchased the new brand will repurchase it again on the next buying occasion.} \]

Estimates of \( R(k,t) \) and \( R(t,t) \) are derived from measurements obtained in the post-usage survey (\( O_5 \) in Table 1). The proportion of respondents who make a mail order repurchase of the new brand when given the opportunity to do so is taken as an estimate of \( R(t,t) \). To estimate \( R(k,t) \) for those who do not repurchase the new brand in this situation we make use of their preference measurements for the new and relevant established brands obtained from them in the post-usage survey. Probabilities of purchasing the new brand are computed for each such individual using Equation (4) and their average value is taken as an estimator of \( R(k,t) \).

It is sometimes observed empirically that respondents who "purchased" the new brand in the laboratory experiment differ from those who received it as a free sample with respect to their repeat rates, \( S \). When this occurs, separate repeat rates are calculated and applied to the appropriate trial components in Equation (14) to adjust for this difference.

Applying the inputs discussed above to Equations (14) and (15) gives estimates of the ultimate trial (\( T \)) and repeat (\( S \)) rates, respectively, which are then simply multiplied together as indicated by Equation (13) to calculate the expected long-run market share for the new brand.

This trial-repeat model is clearly a highly simplified representation of the new product response process. Some tests of the adequacy of the model's
overall structure have previously been reported by Urban [67]. He derived the various inputs required by the above trial and repeat equations for several new products from studies conducted of their test markets or national introductions. The ultimate trial and repeat rates and equilibrium market shares predicted by the model were then compared with the values of these quantities that had actually been observed. For each of the half dozen cases examined, the observed and predicted values were found to be in very close agreement.

In terms of its complexity, the above model has proven to be quite adequate for dealing with the level of detail typically specified in introductory marketing plans at the stage of a new brand's development where the decision to test market or not is under consideration. An important assumption implicit in the present model is that the frequency of purchase of the new brand will be the same as that for established brands. This assumption can be relaxed somewhat by weighting the ultimate repeat rate (S) by an index that reflects the new brand's usage rate relative to that for established brands [52, 67]. Clearly the latter is, at best, a crude adjustment and situations can arise where, if the required measures can be obtained, it will become desirable to employ one of the available models (e.g. [66]) that allows the adoption process to be represented in greater detail.

Structural and Output Comparisons

It is readily seen that the expression for market share developed from the individual preference-purchase probability model (Equation (5)) is structurally equivalent to that defined above in terms of trial and repeat purchase levels (Equation (13)). In the former case, market share is the product of the relevant set proportion (E(t)) and the average conditional probability of
purchasing the new brand \( \sum_{i=1}^{N} L_i(t)/N \). In the latter case, market share is the product of the cumulative trial proportion \( T \) and the share which repeat purchases of the new brand represent of subsequent buying by previous triers \( S \).

While not precisely identical, "relevant set" and "trial" are operationally very similar constructs in the present context. As noted in the earlier discussion of measurement procedures, the composition of a consumer's relevant set is determined by responses to a series of questions about which brands he/she has ever used or would consider using or not using. Thus, one would expect to find that brands so evoked for the most part tend to be accounted for by past usage or "trial." Empirically, this turns out to be the case. For example, in separate studies of three different product classes, ninety percent or more of all brands respondents deemed relevant were identified on the basis of usage-related questions.

The quantities \( \sum_{i=1}^{N} L_i(t)/N \) and \( S \) are both average conditional probabilities or shares of repeat purchases. However, they are distinguished conceptually in that the former is obtained from a zero-order individual level model while the latter arise from an aggregate first-order Markov process. Despite these differences, it is often difficult to distinguish between these two types of models, each of which may yield satisfactory results [45]. For example, aggregation over heterogeneous consumers will tend to overestimate the true order of the process [45, Chapters 3 and 4]. On the other hand, Kevevan and Srinivasan [40] have recently shown that aggregation of several brands into a single "other" brand category (as is done here) will tend to underestimate the true order of the process and can lead to biased steady-state market share predictions. A second difference is that the average purchase probability obtained from the preference model will ordinarily reflect some effects of in-store promotion while
such are not explicitly incorporated in the estimate of the repeat rate. This occurs because the parameter of the preference-purchase probability model is estimated from data pertaining to the purchase of established brands which are supported by some level of in-store promotional activity. No provision for such an effect has been made in the repeat sub-model (Equation 15).

The sub-models and measures used to arrive at estimates of these conceptually similar quantities are, of course, quite distinct. Whereas the trial and repeat proportions are based upon essentially direct observations of these quantities obtained under controlled conditions, the relevant set proportion and the average conditional purchase probability are estimated indirectly from other measures. Coming from the same research design, the measurement inputs for both models are affected by common sources of methods variance. Nonetheless, due to differences in the sub-models and their respective inputs, agreement between the two market share predictions is by no means a built-in or guaranteed feature of these approaches and hence it is possible to make a meaningful check for convergence here.

Finding that the two models do yield outputs that are in close agreement can serve to strengthen confidence in the prediction. On the other hand, divergent forecasts triggers a search for, and evaluation of possible sources of error or bias that might account for the discrepancy. The first step is to compare the relevant set proportion \(E(t)\) and trial \(T\) estimates. Lack of agreement here could imply that the assumptions concerning awareness \(K\) and retail availability \(D\) are not compatible with those made implicitly or explicitly in estimating the relevant set proportion \(E(t)\) as, for example, when the latter is based upon a regression of relevant set proportions on awareness levels for established brands. Given that these assumptions did appear com-
patible, then the possibility of measurement bias in the conditional trial probability (T) would be investigated.

After reconciling the trial and relevant set estimates, attention is focused on the values of the conditional purchase probability and the repeat rate. In comparing these quantities, it is important to keep in mind the aforementioned consideration that effects of in-store promotional support are not represented in the repeat rate estimate derived from the post-usage interview. For product classes where substantial in-store promotional programs are employed, upward adjustments in these initial estimates of repeat rates are necessary and justifiable. In the end, some judgement may have to be exercised in order to reconcile differences that arise but that process is facilitated by careful consideration of the structural comparability of the two models.

Predictions and Marketing Plans

Prediction of a new brand's market share must, of course, reflect plans for the marketing program to be employed in the future test market or launch. Frequently at this pre-test market stage, management is interested in evaluating some variations in the introductory marketing mix for the new brand. The trial-repeat model can be used to advantage in performing some rough and ready simulations of the effects of certain kinds of marketing mix modifications. Some of the changes or alternatives management may wish to consider can be approximated by judgementally altering parameter levels. For example, increasing the level of advertising spending could be represented by raising the awareness probability, K, in Equation (14). Differences in sampling programs could similarly handled by modifying the C and U parameters. Other types of changes, such as in advertising copy or price, that affect the conditional first purchase probability, F,
can be measured by expanding the research design shown in Table 1 so as to be able to observe the differential effects on trial purchases made in the controlled shopping environment for alternative price or copy treatments.

After examining the impact of strategic changes in this manner, profitability measures can then be calculated for the market share estimates. Based on these inputs, management must then decide whether or not to proceed to test market the new brand.
ESTIMATION

At several points in the preceding discussion, reference was made to how data obtained from the laboratory and post usage phases of the consumer research could be related to the models' parameters and input requirements. For the most part, this is a straightforward task involving only simple computations. However, estimation of the preference scale values, the parameter of the purchase probability model, and the relevant set proportion is somewhat more complex and we discuss these matters in detail below.

Preference Scaling

Data obtained through the constant sum, paired comparison method described previously are used to estimate a vector of brand preference scale values for each respondent using the least-squares procedure proposed by Torgerson [65, pp. 109-112]. Respondent's preferences are scaled twice: before and after using the new brand. The "before" scaling is carried out with reference to respondent's idiosyncratic relevant sets identified by the pre-measurement ($O_2$ in Table 1 ) while the "after" scaling ($O_3$) encompasses the previously determined relevant set of established brands plus the new brand.

Under the assumption that the comparative judgements reported by a subject for stimuli reflect the ratios of their corresponding subjective magnitudes, then the least squares estimate of the stimulus scale has ratio
scale properties. That the computed estimates actually attain this level of measurement cannot be verified from the input data and no statistical test for goodness of fit is presently available. Two types of internal consistency checks which bear on the quality of the preference scale estimates have been performed using data for deodorant and antacid categories obtained from separate samples. First, very few instances of intransitivities in preferences were uncovered when Kendall's method of circular triads was applied to each subject's paired comparison judgments [39, Chap. 11]. The absence of inconsistencies is not a very demanding requirement here inasmuch as transitivity is only a necessary condition for the existence of an ordinal scale [23, pp. 13-24] and with typical relevant set sizes of three of five brands, the number of paired comparison judgments required of subjects is most often small. Following Torgerson's [65, p. 116] suggestion, a goodness of fit check was also made. The matrix of ratios representing a respondent's original paired comparison judgments was compared with the equivalent matrix calculated from the estimated brand preference scale values for that respondent. It was found that for the vast majority of respondents, the estimated scale values for an individual's relevant set of m brands could very accurately reproduce the m(m-1)/2 observed ratios that person had provided in performing the paired comparison judgments [5].

Estimation of the Purchase Probability Function Parameter

In the pre-exposure interview, the brands last purchased by respondents are identified and preference measures are obtained for their sets of relevant alternatives. This information on last brand purchase along with
the brand preference scale values are used to estimate the parameter $\beta$ of the purchase probability model defined in Equation (2). Recall from the discussion of the preference model that we wish to estimate $\beta$ across different (established) brands and across respondents. It should also be kept in mind that our observations are (dichotomous) purchase events, not probabilities. Now since:

$$[\hat{V}_i(j)]^\beta = \exp[\beta \ln \hat{V}_i(j)],$$

we can write the purchase probability model (Equation (2)) as:

$$P_j(i) = \frac{\exp[\beta \ln \hat{V}_i(j)]}{\sum_{k=1}^{m_i} \exp[\beta \ln \hat{V}_i(k)]}. \quad (16)$$

The form of the above expression is that of the multinomial logit model which as previously noted, McFadden [46] derived as a theory of population choice behavior. Maximum likelihood estimation procedures have been developed for this model and McFadden notes that the estimators obtained are asymptotically efficient and normally distributed under "very general conditions" [46, p. 119]. This method has been widely applied in economic studies of choice behavior [24] and is used here to estimate the $\beta$ parameter in Equation (16). More specifically, we employ a program developed by Manski and Ben Akiva [13] which utilizes the Newton-Raphson iterative technique to determine the value of the parameter, $\beta$ which maximizes the following likelihood function:
where:

\[ \delta_{ik} \begin{cases} = 1, & \text{if individual } i \text{ last purchased brand } k. \\ = 0, & \text{otherwise.} \end{cases} \]

While standard errors and associated t statistics for the \( \beta \) parameters in Equation (16) can be obtained, the usual goodness of fit measure, the coefficient of determination \( (R^2) \) cannot be applied here since the estimated equation predicts probabilities while the observed values are purchase events \((0, 1\) measures). However, Hauser [35] has recently developed useful measures for assessing the fit of this model based on information theory concepts. A brief outline of the principal ideas underlying the measures is given here, the reader is referred to Hauser [35, Chapt. 10 and 36] for a more detailed discussion. Hauser views the model (16) as an information system -- i.e., the probabilities obtained from the preference model provide information about the choice outcomes. Now the prior entropy measures the total uncertainty in the system before observing the preference data. To compute the prior entropy, Hauser proposes that a naive model be assumed whereby every member of the sample is assigned a probability of purchasing any brand \( (P'(k)) \) equal to its aggregate market share among the total sample's reported last purchases. Under this assumption, he demonstrates that the prior entropy is given by:

\[ Z = - \sum_{k=1}^{m^*} P'(k) \log P'(k), \]
where:

\[ Z = \text{total uncertainty in the system with } m^{*} \text{ alternative brands}, \]

\[ P'(k) = \text{prior probability of choice of brand } k, \quad k = 1, \ldots, m^{*}. \]

After applying the observed data to the preference model (16), the uncertainty is reduced to the \textit{posterior} entropy. Hauser shows that the amount by which the preference data reduces the prior entropy is the \textit{expected information}, \( EI \), provided by the model which is:

\[ EI = \sum_{i=1}^{N} \sum_{k=1}^{m_{i}} P_{i}(k) \log \frac{P_{i}(k)}{P'(k)}, \tag{19} \]

where the \( P_{i}(k) \) are obtained from (16).

Noting that the prior entropy can also be taken as a measure of how well a perfect model would perform, Hauser proposes that the "usefulness" of the model (16) be assessed by comparing the expected information, \( EI \) with the prior entropy, \( Z \). Thus an index of the model's usefulness may be defined as the proportion of total uncertainty removed or "explained" by the model:

\[ G = \frac{EI}{Z}. \tag{20} \]

Finally, Hauser shows the observed or empirical information, \( OI \), is:

\[ OI = \frac{1}{N} \sum_{i=1}^{N} \sum_{k=1}^{m_{i}} \delta_{ik} \log \frac{P_{i}(k)}{P'(k)}, \tag{21} \]

where:

\[ \delta_{ik} = \begin{cases} 1, & \text{when respondent } i's \text{ last purchase was brand } k, \\ 0, & \text{otherwise.} \end{cases} \]
He argues that with a large sample, the observed information should be close to its expected value and thus the "accuracy" of the model can be assessed by comparing OI and EI. Both EI and OI along with G are reported below.

Table 3 shows the results obtained when the maximum likelihood procedure was applied to the preference and last brand purchased data from the aforementioned deodorant study. Note that the estimated value of $\beta$ is nearly ten times its estimated standard error and the model accounts for slightly more than three-quarters of the total uncertainty present as measured by the index G. As expected, the value of OI is very close to that of EI.

As a further check on the adequacy of the fit obtained, we used the estimated value of $\beta$ in (16) to calculate each individual's probability of having last purchased each brand in his/her relevant set. These probabilities were then aggregated to calculate the fitted value of each brand's expected share of last purchases. The latter may be compared with the observed shares. Across all 18 brands the mean absolute deviation was found to be .8 of one market share point (percentage). This can be compared to an average absolute deviation of 2.5 market share points obtained for a "naive" model whereby an individual has the same probability of purchasing any brand in his/her evoked set -- i.e., $P_i(j) = \frac{1}{m_i}$. Figure 2 shows a plot of the observed and fitted shares. The largest deviations were for the two major brands where the model over-predicted their shares by 2.0 and 3.1 share points, respectively.
It was noted above that an important assumption underlying the Luce-McFadden choice models is the notion of "independence of irrelevant alternatives". In the present context this implies that $\beta$ should not vary with relevant set size. To investigate this matter, the model (16) was estimated separately within groups defined by relevant set size. Table 3 shows the results. Some variation in the estimated $\beta$ can be seen there. However, none of the four $\beta$ estimates turn out to be significantly different from the overall or total sample value at the .05 level. Making all possible pairwise comparisons among the four values for the different relevant set sizes, one finds only two of the six differences to be significantly different at the .05 level. The quality of the fit as measured by the G index diminishes as the relevant set size increases but the sample sizes for the two largest relevant set size groups are also smaller.

As a further test, Equation (16) was estimated separately for each pair of brands within the sub-sample of respondents whose relevant set size was three. None of the $\beta$ estimates so obtained differed significantly at the .10 level from the value obtained by estimating the parameter across all brands. These results do not appear to indicate any systematic contradiction of the assumption of independence of irrelevant alternatives for these data.
Estimation of the Relevant Set Proportion

Recall that from the preference model we obtain an estimate of the probability of purchasing the new brand that is conditional upon it being a relevant choice alternative. Thus, we require a method of predicting what proportion of consumers in the target group will eventually include the new brand in their relevant sets (E(t) in Equation (5)).

In the previous discussion of the comparability of the trial-repeat and preference models, it was noted that for the operational definition employed here, we find that almost all the brands comprising consumers' relevant sets are those with which they report having had some usage experience. It is also known that there tends to be a strong and stable concurrent relationship across brands between aggregate levels of brand awareness and usage [e.g., 14]. This suggests the existence of similar relationships between relevant set and awareness proportions and such have been found in the present work. To illustrate, cross-sectional regressions of relevant set proportions (E(j)) on unaided brand awareness (B(j)) and advertising awareness (AA(j)) levels were performed for eighteen established brands of deodorants using measures of these variables obtained in the pre-measurement questionnaire (O_2 in Table 1). Given that the observations were proportions which varied considerably in magnitude, an arcsin transformation was applied to them as a means of stabilizing the error variance and thereby obtaining efficient estimates from ordinary least squares regressions. The following results were obtained:
(22) \[ \text{Arcsin } E(j) = -0.599 + 0.901 \text{ Arcsin } B(j) + e(j) \],  
\[ R^2 = 0.972, \text{ S.E.E.} = 2.39 \]

(23) \[ \text{Arcsin } E(j) = 3.91 + 1.066 \text{ Arcsin } AA(j) + e(j), \]
\[ R^2 = 0.894, \text{ S.E.E.} = 4.61 \]

As expected, both brand and advertising awareness appear to co-vary with the relevant set measure. However, the values of the coefficient of determination \((R^2)\) and the standard error of estimate (S.E.E.) indicate that the brand awareness regression provided a better fit of the data than did the estimated advertising awareness equation. Transforming the estimated values of the arcsin of \(E(j)\) from the above regression back to proportions and comparing them to their corresponding observed values, we find the average residual for the brand awareness regression to be .021 while that for the advertising awareness regression is .041.

To estimate the expected relevant set proportion for the new brand \((E(t))\), we simply apply the level of unaided brand awareness \((B(t))\) which the introductory marketing program is expected to achieve to the above brand awareness equation. As noted in the earlier discussion of the trial-repeat model, the level of brand awareness predicted for the new product is largely a judgmental estimate since it depends upon the nature and magnitude of marketing effort that will be applied to support the introduction of the new brand.
APPLICATION

Background

The first application of the methodology described above involved a new brand of an aerosol deodorant product introduced by a competitor of the firm who sponsored the present work. Annual sales (at retail) for the product class in the United States amount to almost a half billion dollars and approximately a score of national brands were already being marketed prior to the emergence of the new brand studied here. However, the two leading established brands held nearly half the market and the next five largest brands accounted for another thirty-five percent of the total product category volume. The new brand had been carefully developed and the basis of its positioning strategy was a straightforward but powerful claim of superior performance on an important attribute. The appearance of the new brand in a test market was regarded by management in this field as a competitive event of major importance.

Application of the present system to the above problem situation began after the new brand had been in test market in a mid-western city for eight months. Thus by carrying out the field work in a different city from that where the test market was underway, we were afforded an opportunity to perform a test of the system's predictive ability in a relatively short period of time.

The design and conduct of the data collection corresponded to the methods and procedures described previously and summarized in Table 1. Two hundred and ninety-nine respondents were interviewed in a suburban shopping center of a city separate from, but similar to, the site of the
test market then in progress. Quota sampling was used to obtain the desired representation of demographic characteristics and usage habits among those interviewed. Respondents were shown television commercials for the five leading established brands plus one for the new brand. After giving his or her reaction to the commercials on a small set of rating scales, each respondent entered the simulated store with a coupon worth two dollars in cash. Prices were set so as to be equal to the average of those prevailing in discount stores in the area at that time. Almost seventy-five percent of the sample bought one or another of the brands available which included the new one. Those who did not purchase the new brand were given a free sample as they left the store. Post-usage interviews were conducted via telephone three weeks later. Since the product is one typically used daily, this period was sufficiently long for respondents to accumulate considerable usage experience with the new brand. Two-thirds of the original sample were reinterviewed and had been using the new brand.

Results

At several points in the earlier discussions of measurement and estimation, data from the deodorant study were used to illustrate methods and results. Here attention will be focused on the main predictions obtained from the models. Table 4 summarizes the inputs for the two models.

-----------------------------
INSERT TABLE 4 HERE
-----------------------------
From the preference model, the average post-trial purchase probability for the new brand \( \sum L_1(t)/N \) was estimated to be .32. Estimates for the relevant set proportion \( E(t) \) were obtained by translating the ten million dollar annual national advertising spending rate estimated for the new brand into expected levels of advertising and brand awareness and then using these values in the previously described cross-sectional regression equations (22 and 23) for established brands to obtain predictions of the evoking proportion. This process yielded predictions for \( E(t) \) of .383 (from the advertising awareness equation) and .445 (from the brand awareness equation). When combined in Equation (5) with the estimate of .32 for the average post-trial purchase probability, these values of the relevant set parameter led to predicted market shares for the new brand of 12.3 percent and 14.2 percent, respectively.

The share prediction initially calculated from the trial-repeat model was much lower than the above values obtained from the preference model. Although the value of the conditional probability of first purchase \( F \) estimated from the observed purchase rate of the new brand in the laboratory store was only .16, it was expected that a considerable amount of trial usage would be effected by a very extensive sampling program. When the introductory marketing plan was translated into the quantities specified in Equation (14) it yielded a predicted value of .381 for the ultimate cumulative trial rate \( T \). This level of trial was consistent with the values of the evoking proportion (.38 to .445) estimated for the preference model. However, the repurchase inputs derived from the post-usage survey when applied to Equation (15) led to an estimate of only .157 for the ultimate
repeat purchase rate (S). Given this repeat (S) estimate plus the aforementioned trial (T) level of .381, we arrived at a predicted share of 6.0 percent for the new brand. The latter share was about half the 12.3-14.2 percent level predicted by the preference model, which employed an average post-trial purchase probability estimate \( \frac{\sum L_i(t)}{N=.32} \) roughly double the magnitude of the ultimate repeat rate quantity \( \hat{S} = .157 \) estimated for the trial-repeat model.

Accounting for this marked discrepancy in the two repurchase estimates and hence the market share predictions was problematical. Efforts to uncover the source of the difficulty finally suggested a plausible diagnosis relating to the measurements of the components of the repeat purchase rate, S. Recall from the previous discussion of the trial-repeat model that \( R(t,t) \) is estimated by the proportion of respondents who make a "mail order repurchase" of the new brand when given the opportunity to do so in the post-usage survey. In this initial application, the parameter, \( R(k,t) \) was estimated from responses to a buying intentions scale rather than in the manner described earlier which was subsequently adopted. As a consequence of these procedures the estimate of the overall repeat rate, S did not reflect any influence of in-store promotion or other external sources of reinforcement. However, such effects are implicitly represented in the calibration of the preference-purchase probability model. Furthermore, there was reason to believe that repurchase intentions expressed immediately after rejecting an opportunity to make a mail-order purchase of the brand might be understated because respondents wished to discourage any further solicitations. The influence of in-store promotion was known to be quite important in this product category generally and the manufacturer of this new brand in particular
has a reputation for utilizing in-store activities aggressively as a means of stimulating repeat purchasing of its products. For these reasons an upward adjustment of the observed levels of repurchase intentions appeared justifiable and so in this case the two repeat probabilities were raised judgmentally: $R(k,t)$ from .11 to .20 and $R(t,t)$, from .42 to .55. These modifications changed the ultimate repeat rate ($S$) from .157 to .308 and thereby raised the market share predicted by the trial-repeat model to 11.7 percent thereby falling very close to the lower end of the 12.3 to 14.2 range obtained from the preference model.

The share prediction finally presented to management was the mid-point of the 12.3-14.2 range predicted by the preference model or 13.3 percent -- a reflection of the greater confidence placed in the results obtained from the preference model compared to the trial-repeat model in this situation. The share observed in the test market, twelve months after launch, was 10.4. The prediction exercise described above was carried out by the model building team while the new brand was in test market but prior to their being exposed to any specific feedback or measurements relating to its early performance. As explained in the discussion of the models, the levels of certain marketing mix control variables that will persist in a test market must be specified in advance in order to develop predictions from the models. Here, the management group sponsoring this work had to supply these inputs for a competitor's brand rather than their own and so precise prior information was not available. In the course of reviewing the test market results, some significant differences were uncovered between the assumptions about the new brand's marketing plan that had been used in developing the predictions from the
models and what had actually taken place in the test market. Taking account of the advertising and sampling programs which had in fact been employed in the test market implied changes in the parameter estimates as indicated in the last column of Table 4 and, as expected, would have improved the accuracy of the market share prediction generated by the preference model. Whereas the difference between the share initially predicted and that observed in the test market was 13.3-10.4=2.9 share points, the "revised deviation" or difference between the revised, ex post prediction and the observed share was only 10.6-10.4=0.2 share points.

Discussion

The foregoing discussion of the first application serves to illustrate how features of the system and understanding of its capabilities and limitations have evolved. As additional applications have taken place, the adaptability of the procedures utilized has been tested and certain modifications introduced to deal with new problems and to effect improvements. In the first study, the preference and trial-repeat models produced quite different market share predictions and so judgment had to be exercised in order to reconcile the discrepancies and arrive at a final prediction. Following this experience, the change in the method of estimating the R(k,t) parameter referred to earlier was adopted, but a completely satisfying explanation of the discrepancy has never been found. The practice of employing both models had been continued and in more than thirty subsequent applications, differences of the magnitude that arose in this first study have never again been encountered. A Monte Carlo analysis performed in the trial-repeat model gave
an estimate of 1.6 share points for the standard deviation of the model's market share predictions. This figure provides a rough basis for assessing disparities in the predictions given by the two models. If the differences appear to be within the bounds of sampling fluctuations, a simple average of the two outputs is used as the share prediction. When more substantial discrepancies occur, they must be interpreted and so judgement, guided by an examination of the diagnostic information obtained at several points in the measurement process outlined in Table 1, ultimately plays a role in deciding which results should be relied upon to obtain a final share prediction.

We presently lack a sufficient body of external validation data to be able to discriminate clearly between the two models and their measurement inputs. The time lags, attrition, and other exigencies normally encountered in the development of new packaged goods has made for a slow accumulation of opportunities from which validation information can be acquired. No tightly controlled tests of the present system's predictive accuracy have been performed thus far. Cases where new products have been subjected to both ASSESSOR and test market evaluations provide a basis for an early but only partial assessment of the quality of predictions generated. Of the approximately 30 new package goods studied with ASSESSOR to date, test marketing has been completed for 9 and so their final test market shares are known. Table 5 presents a summary of results for these cases. The products are listed in the chronological order which they were studied, beginning with the first application to the deodorant product which is included for completeness. Note that the ASSESSOR studies for the first three products were performed while their test markets were in progress and so are labelled "concurrent". These three applications occurred when the system was first developed and were conducted in this manner at the request of firms who
were seeking information that would enable them to make an early evaluation of the system's predictive capability. In each of these nine cases, the ASSESSOR investigation was carried out in a different city from that used for the test market.

---

Table 5 shows the differences in the initial share predictions given by the preferences and trial-repeat models, prior to any reconciliation — i.e. the predictions based upon planned or assumed test market programs. Except for the first application to the deodorant product discussed previously, the discrepancies did not exceed one share point. For all nine products, including the first, the absolute average deviation was 1.2 share points indicating, as noted above, that the predictions obtained from the two models have generally been in close agreement.

Also presented in Table 5 are the observed test market shares and the final share predictions made after comparing and where necessary, reconciling judgementally the separate predictions derived from the two models but before test market results were known. Hence, these predictions do not reflect any ex post adjustments made to account for differences between planned and actual or implemented levels of marketing effort employed in the test market.

As may be seen from the above Table, the deviations between the original predictions and the observed shares have generally been small, their absolute average being slightly less than one share point. However, the deviations in some instances appear more substantial when viewed as a percentage of the observed share, ranging from a low of 2 percent in the case of the fruit.
drink to a high of 50 percent for the pain reliever. As was noted for the
deodorant application, seldom will the marketing mix program assumed in
developing prediction prior to the test market correspond exactly to that
which is actually implemented later. Not surprising then, it has also been found
for several of these subsequent applications that ex post predictions based
on more precise knowledge of the marketing efforts expended in the test
markets deviate less from the observed shares than do the original predictions
shown in Table 5.

These results are reported in the spirit of revealing what is presently
known about the accuracy of predictions developed through use of the system
but clearly they do not constitute a true predictive test. While all the
applications completed to date for which test market shares are available
have been included, these cases are few in number and did not arise in a
planned or pre-specified manner. The lack of uniformity and precision
associated with the observed test market shares themselves also deserves
emphasis. These figures were obtained from several firms for the particular
products whose investigation they had sponsored. Thus, the observed shares
originated from a number of different sources, employing a variety of methods.
Hence it cannot be claimed here that the conditions of equivalence and inde-
pendence have been met that enables unequivocal inferences about external validity
to be drawn from comparisons of predicted and observed events.

The adequacy of the model's predictive ability must be evaluated in
relation to how the model is used. At the pre-test market stage, the manager
is most interested in knowing if he has a "winner". Will the brand earn a
substantial share of the market? The second issue managers are concerned with
is how to improve the product's performance. The system's diagnostic capabilities
and ability to make conditional forecasts for strategic changes can aid the manager in this task. Finally, the manager wants to know if he should drop the product, go to test market, or go national. If the predicted share is low and feasible changes in the marketing plan do not have potential to improve share substantially, dropping the product would be appropriate. If the share was good, either going to test or national introduction would be possible. The model proposed here does not answer this question. The manager could consider going national if the share was very high, investment was small, and there was danger of competitive imitation. Usually, the product would go to test market. However, the test market would be oriented more towards finding improvements in the marketing strategy rather than determining if the product can attain an adequate market share. In this environment, the test market would be designed to place emphasis on measurement of response to marketing variables rather than determining share. The use of test market analysis models [e.g., 66] would be appropriate to process such data. If the test market confirms pre-test share estimates, the product could then be introduced.
CONCLUSIONS

This paper has described a set of models and measurement procedures intended for use in evaluating new packaged goods at that stage in their development where management is faced with the decision as to whether or not to place them in test markets. The approach taken to this problem is one which sought to merge relevant behavioral and management science concepts and methods. The results obtained from the initial applications have been sufficiently encouraging to suggest that the kind of methodology discussed here can be a useful addition to the growing body of decision-support technology now available and being applied to the problems of managing new product development in the packaged goods field.

The present system is intended to aid management in evaluating a new packaged good brand at a particular point in the developmental process and it is important to recognize where the present system may be expected to prove useful and where it may not. Experience gained from applications of the system made to date as well as the nature of the models and measurement methodology itself suggest at least three factors or conditions as being necessary for obtaining satisfactory results: First of all, the applicability of the system is limited to situations where the new brand seeks to penetrate a product category well-defined in terms of the nature and closeness of substitutes. Cases where a highly novel or innovative offering effectively creates a new product category cannot be handled by the present methods. Secondly, the assumption that the usage/purchase rate for the new brand will be the same as that for the established brands must be tenable. Presently, we have only
limited means of dealing with departures from this condition. A third restriction is that consumption and learning must occur at rates such that preferences for the new brand stabilize in a relatively short period. For products which are used infrequently or which require long periods of usage before benefits/satisfaction can be realized, it would not be feasible to measure post-usage preferences by the means described here.

The development and evaluation of the system is an ongoing process. Additional tests bearing on the general issue of predictive validity will be possible in the future as test market data accumulate for products previously evaluated by this methodology. Future work will be undertaken to extend the range of new product situations to which the system can be applied.
FOOTNOTES

1 The term "relevant set" is due to Allaire [4] and is akin to Howard and Sheth's [37] concept of "evoked set". The former consists of familiar alternatives, irrespective of how favorably (or unfavorably) they are evaluated. In contrast, evoked set has generally been interpreted to include only "acceptable" alternatives. For further discussion of this distinction as well as other conceptual refinements and operational definitions different from that employed here, see [38, 48].

2 Bass has gone further in developing this position. See [9].

3 The small sample properties of the maximum likelihood estimator of the multinomial logit model are, in general, unknown. However, on the basis of examples and Monte Carlo studies McFadden suggests that the approximation is "reasonably good". See the discussion in [46, pp. 119ff.].

4 Both regressions are based on eighteen observations. $R^2$ and S.E.E. denote the Coefficient of Determination and the Standard Error of Estimate, respectively. The figures in parentheses are the t statistics for the regression coefficients.
Table 1
RESEARCH DESIGN AND MEASUREMENT

<table>
<thead>
<tr>
<th>Design</th>
<th>Procedure</th>
<th>Measurement</th>
</tr>
</thead>
<tbody>
<tr>
<td>0₁</td>
<td>Respondent screening and recruitment (personal interview).</td>
<td>Criteria for target group identification (e.g., product class usage).</td>
</tr>
<tr>
<td>0₂</td>
<td>Pre-measurement for established brands (self-administered questionnaire).</td>
<td>Composition of &quot;relevant set&quot; of established brands, attribute weights and ratings, and preferences.</td>
</tr>
<tr>
<td>X₁</td>
<td>Exposure to advertising for established brands and new brand.</td>
<td>Optional e.g., likability and believability ratings of advertising materials.</td>
</tr>
<tr>
<td>[0₃]</td>
<td>Measurement of reactions to the advertising materials (self-administered questionnaire).</td>
<td></td>
</tr>
<tr>
<td>X₂</td>
<td>Simulated shopping trip and exposure to display of new and established brands.</td>
<td></td>
</tr>
<tr>
<td>0₄</td>
<td>Purchase opportunity (choice recorded by research personnel).</td>
<td>Brand(s) purchased.</td>
</tr>
<tr>
<td>X₃</td>
<td>Home use/consumption of new brand.</td>
<td></td>
</tr>
<tr>
<td>0₅</td>
<td>Post-usage measurement (telephone interview).</td>
<td>New brand usage rate, satisfaction ratings, and repeat purchase propensity. Attribute ratings and preferences for &quot;relevant set&quot; of established brands plus the new brand.</td>
</tr>
</tbody>
</table>

₀ = Measurement  
ₓ = Advertising or product exposure
Table 2

DISTRIBUTION OF RELEVANT SET SIZES FOR DEODORANTS

<table>
<thead>
<tr>
<th>Relevant Set Size (Number of Brands Evoked)</th>
<th>Percent of Sample (n = 299)</th>
</tr>
</thead>
<tbody>
<tr>
<td>1 or 2</td>
<td>31.8</td>
</tr>
<tr>
<td>3</td>
<td>31.8</td>
</tr>
<tr>
<td>4</td>
<td>23.1</td>
</tr>
<tr>
<td>5</td>
<td>7.0</td>
</tr>
<tr>
<td>6</td>
<td>4.0</td>
</tr>
<tr>
<td>7</td>
<td>2.3</td>
</tr>
<tr>
<td></td>
<td>100.0</td>
</tr>
</tbody>
</table>
Table 3

MAXIMUM LIKELIHOOD ESTIMATION RESULTS

<table>
<thead>
<tr>
<th></th>
<th>Sample Size</th>
<th>$\hat{\beta}$</th>
<th>Standard Error</th>
<th>Fit Indices</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td></td>
<td>$\beta$</td>
<td>G</td>
<td>EI</td>
</tr>
<tr>
<td>Total Sample</td>
<td>279</td>
<td>2.09</td>
<td>.20</td>
<td>.77</td>
</tr>
<tr>
<td>By Relevant Set Size</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Two Brands</td>
<td>85</td>
<td>1.84</td>
<td>.41</td>
<td>.83</td>
</tr>
<tr>
<td>Three Brands</td>
<td>90</td>
<td>2.75</td>
<td>.49</td>
<td>.84</td>
</tr>
<tr>
<td>Four Brands</td>
<td>65</td>
<td>2.20</td>
<td>.37</td>
<td>.72</td>
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<tr>
<td>Five or More Brands</td>
<td>39</td>
<td>1.80</td>
<td>.36</td>
<td>.55</td>
</tr>
<tr>
<td>Quantity</td>
<td>Initial Estimates</td>
<td>Adjusted Estimates</td>
<td>Revised after Test Market</td>
<td></td>
</tr>
<tr>
<td>--------------------------------</td>
<td>-------------------</td>
<td>--------------------</td>
<td>--------------------------</td>
<td></td>
</tr>
<tr>
<td>F Conditional First Purchase</td>
<td>.16</td>
<td>--</td>
<td>--</td>
<td></td>
</tr>
<tr>
<td>K Brand Awareness</td>
<td>.80</td>
<td>--</td>
<td>.83</td>
<td></td>
</tr>
<tr>
<td>D Availability</td>
<td>.90</td>
<td>--</td>
<td>--</td>
<td></td>
</tr>
<tr>
<td>C Sample Coverage</td>
<td>.40</td>
<td>--</td>
<td>--</td>
<td></td>
</tr>
<tr>
<td>U Sample Usage</td>
<td>.75</td>
<td>--</td>
<td>.67</td>
<td></td>
</tr>
<tr>
<td>R(k,t) Repeat Rate</td>
<td>.11</td>
<td>.20</td>
<td>--</td>
<td></td>
</tr>
<tr>
<td>R(t,t) Repeat Rate</td>
<td>.41</td>
<td>.55</td>
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**Trial Repeat Model**

<table>
<thead>
<tr>
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<th>Initial Estimates</th>
<th>Adjusted Estimates</th>
<th>Revised after Test Market</th>
</tr>
</thead>
<tbody>
<tr>
<td>T Cumulative Trial</td>
<td>.381</td>
<td>--</td>
<td>.356</td>
</tr>
<tr>
<td>S Repeat Share</td>
<td>.157</td>
<td>.308</td>
<td>--</td>
</tr>
<tr>
<td>M(t) Predicted Market Share (%)</td>
<td>6.0</td>
<td>11.7</td>
<td>11.0</td>
</tr>
</tbody>
</table>

**Preference Model**

<table>
<thead>
<tr>
<th>Quantity</th>
<th>Initial Estimates</th>
<th>Adjusted Estimates</th>
<th>Revised after Test Market</th>
</tr>
</thead>
<tbody>
<tr>
<td>f(t) Relevant Set Proportion</td>
<td>.383 ~ .445</td>
<td>--</td>
<td>.33</td>
</tr>
<tr>
<td>EL_i(t)/N Avg. Purch. Prob.</td>
<td>.32</td>
<td>--</td>
<td>--</td>
</tr>
<tr>
<td>M(t) Predicted Market Share (%)</td>
<td>12.3 ~ 14.2</td>
<td>--</td>
<td>10.6</td>
</tr>
</tbody>
</table>
Table 5
PREDICTED AND OBSERVED MARKET SHARES

<table>
<thead>
<tr>
<th>Product</th>
<th>Timing of Pre-Test Relative to Test Market</th>
<th>Difference In Share Predictions of Preference and Trial-Repeat Models&lt;sup&gt;a&lt;/sup&gt;</th>
<th>Market Share (%)</th>
<th>Deviation&lt;sup&gt;b&lt;/sup&gt;</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td>Concurrent</td>
<td>Prior</td>
<td>Predicted</td>
<td>Observed</td>
</tr>
<tr>
<td>Deodorant</td>
<td>✓</td>
<td></td>
<td>+7.3</td>
<td>13.3</td>
</tr>
<tr>
<td>Antacid</td>
<td>✓</td>
<td></td>
<td>-0.9</td>
<td>9.6</td>
</tr>
<tr>
<td>Laundry Ingredient</td>
<td>✓</td>
<td></td>
<td>+0.1</td>
<td>1.8</td>
</tr>
<tr>
<td>Household Cleanser</td>
<td>✓</td>
<td></td>
<td>-0.4</td>
<td>12.0</td>
</tr>
<tr>
<td>Shampoo</td>
<td>✓</td>
<td></td>
<td>+0.7</td>
<td>3.0</td>
</tr>
<tr>
<td>Dishwashing Ingredient</td>
<td>✓</td>
<td></td>
<td>-0.2</td>
<td>9.3</td>
</tr>
<tr>
<td>Pain Reliever</td>
<td>✓</td>
<td></td>
<td>+1.0</td>
<td>3.0</td>
</tr>
<tr>
<td>Fruit Drink</td>
<td>✓</td>
<td></td>
<td>-0.2</td>
<td>4.9</td>
</tr>
<tr>
<td>Cereal</td>
<td>✓</td>
<td></td>
<td>+0.1</td>
<td>6.0</td>
</tr>
<tr>
<td>Average (Absolute)</td>
<td></td>
<td></td>
<td>1.2</td>
<td>7.0</td>
</tr>
</tbody>
</table>

<sup>a</sup> Market share prediction obtained from the preference model minus that obtained from the trial-repeat model.

<sup>b</sup> Predicted minus observed market shares.

<sup>c</sup> Shares observed in two test market cities. The "observed" share used to calculate the "derivation" for this product was the mean of these two figures.
Figure 1

STRUCTURE OF THE ASSESSOR SYSTEM

MANAGEMENT INPUT
Positioning Strategy
Marketing Plan

CONSUMER RESEARCH INPUT
Laboratory Measures
Post-Usage Measures

PREFERENCE MODEL

TRIAL & REPEAT MODEL

RECONCILE OUTPUTS

DRAW & CANNABILIZATION ESTIMATES

BRAND SHARE PREDICTION

DIAGNOSTICS
Figure 2

PLOT OF OBSERVED VS FITTED MARKET SHARES
(N = 18 Brands)
REFERENCES


51. __________. "To Test or Not to Test," *The Nielsen Researcher,* 30, No. 4 (1972), 3-8.


