# THE USE OF OPTIONS FOR TAX DEFERRAL

Ъy

÷.

# HARVEY WILLENSKY

# B.S., Cornell University (1971)

# M.S., University of Illinois (1973)

# SUBMITTED IN PARTIAL FULFILLMENT OF THE REQUIREMENTS FOR THE DEGREE OF

MASTER OF SCIENCE IN MANAGEMENT

at the

MASSACHUSETTS INSTITUTE OF TECHNOLOGY

JUNE 1977

Signature of Author.	Department of Course 15, June 1977		
Certified by	Thesis Supervisor		
Accepted by	Chairman, Department Committee		
Trobiyos			



# THE USE OF OPTIONS FOR TAX DEFERRAL

by

## HARVEY WILLENSKY

#### Submitted to the Department of Course 15

on June, 1977 in partial fulfillment of the requirements

for the Degree of S.M.

# ABSTRACT

This thesis has presented three strategies for deferring capital gains income from one year to the next for income tax purposes. All three strategies involved the establishment of neutral spreads using options. As the price of the underlying stock changes, losses will occur on one side of the spread and gains on the other side of the spread. The losses should be recognised for tax purposes in the current year and the gains in the following year.

Techniques have been developed for adjusting all of the possible spreads so that they can be compared at a constant risk level. The metric used to compare the spreads is the dollar volatility of each side of the spreads. This is an indicator of the likely tax deduction which an investor can expect.

At the time that the spread is established, it is not possible to know what the price of the stock will be in the future. Analyses have been presented to illustrate the potential outcomes of the spreads for a variety of stock prices.

The precise amount of tax savings which an investor can realize for a given short term capital loss will depend on the investor's tax bracket and the type of gains, that is, short term or long term, which are being offset. The tables and analyses which have been presented in this paper provide a framework which may be helpful in evaluating spreads for use as a tax planning tool. However, this information does not specify which strategy is the best choice for a particular investor.

ADVISOR: Fischer Black TITLE: Professor of Finance

# TABLE OF CONTENTS

1.0	INTRODUCTION	1
	BACKGROUND	9
	Definitions	9
2.2	Basic Options Relationships	12 13
	2.2.1 Call Options	13
	2.2.2 Put Options	28
	2.2.3 Spreads Between Puts and Calls	20
3.0	TAX TREATMENT OF OPTIONS TRANSACTIONS	30
3.1	Simple Purchase and Sale of Options	30
3.2	Purchasing Options and Exercising Them	31
3.3	Purchasing Options and Allowing Them to Expire	32
3.4	Writing Options and Having Them Exercised	32
3.5	Writing Options and Having Them Expire	34
3.6	Straddles	34
4.0	TAX STRATEGIES	37
4.1	Option Spread Strategies	42
	4.1.1 Call Option Spreads	43
	4.1.2 Put Option Spreads	56
4.2	Spreads Between Stock and Options	65
	4.2.1 Spreads Between Call Options and Stock	66
	4.2.2 Spreads Between Put Options and Stock	70
	Spreads Between Puts and Calls	74
4.4	Comparison of the Strategies	77
5.0	Appendix	82
6.0	BIBLIOGRAPHY	140

Page

# Figure Number

1	Call Option Values as a Function of Stock Price for Different Durations	14
2	Call Option Values as a Function of Stock Price for Different Interest Rates	16
3	Call Option Value as a Function of Stock Price for Different Stock Volatilities	17
4	Call Option Deltas as a Function of Stock Price for Different Durations	18
5	Call Option Vertical Spread Values as a Function of Stock Price for Different Durations	20
6	Put Option Values as a Function of Stock Price for Different Durations	22
7	Put Option Values as a Function of Stock Price for Different Interest Rates	23
8	Put Option Values as a Function of Stock Price for Different Volatilities	24
9	Put Option Deltas as a Function of Stock Prices for Different Durations	25
10	Put Option Vertical Spread Values as a Function of Stock Price for Different Durations	27
11	Straddle Values as a Function of Stock Price for Different Durations	29

# Table Number

1	Call Option Prices for IBM and DEC	44-45
2	Call Spreads	47-48
3	Results of Call Spreads If Sold Immediately	51 .
4	Results of Call Spreads If Held Until December 31	55
5	Put Option Prices For IBM and DEC	57-58
6	Put Spreads	60-61
7	Results of Put Spreads If Sold Immediately	62
8	Results of Put Spreads If Held Until December 31	64
9	Call Option - Stock Spreads	67-68
10	Results of Call Option - Stock Spreads If Sold Immediately	69
11	Results of Call Option - Stock Spreads if Held Until December 31	71

LIST OF FIGURES AND TABLES (Cont.)

Page

Table Number		
12	Put Option - Stock Spreads	72-73
13	Results of Put Option - Stock Spreads If Sold Immediately	75
14	Results of Put Option - Stock Spreads If Held Until December 31	76
15	Put-Call Spreads	78-79
16	Results of Put-Call Spreads If Sold Immediately	80
17	Results of Put-Call Spreads If Held Until December 31	81

.

### 1.0 INTRODUCTION

The Chicago Board Options Exchange (CBOE) began operations on April 26, 1973. Since that time options trading has been introduced on the American Stock Exchange, the Pacific Stock Exchange, and the Midwest Exchange. Plans are currently being made to trade options on the New York Stock Exchange. Presently, these exchanges deal exclusively with call options, however, trading in put options will begin in the near future.

The volume of call options traded has soared since 1973. Prior to the opening of the CBOE, all options were individually negotiated and offered very little liquidity. The CBOE increased the liquidity of call options by standardizing the terms of the contract, severing the link between the buyer and seller by substituting the Options Clearing Corporation as the primary obligor in all CBOE options, introducing a secondary market for the options, and eliminating adjustments for cash payments of dividends. The new options exchanges have followed the example of the CBOE and provide an active secondary market in options.

Because options trading has become so popular it is important to know what the tax effects of various transactions are. This will affect the use of options as a tax planning tool, and will affect the profitability of various types of transactions.

This thesis analyzes a set of option trading techniques which postpone the recognition of income from one year to the next. This process may be repeated in consecutive years so that tax payment is deferred indefinitely. The funds, which would have been used to pay taxes, may be reinvestigated to earn additional income. The process may be terminated

in any year in which the investor wishes to recognize the income. For example, if substantial losses are incurred in a particular year it may be appropriate to recognize the income which has been deferred. When the tax is finally paid, it will be paid in a year of lower income so the average tax rate will be lower than in prior years for the investor.

There are risks involved in these tax strategies. First, there are commission costs which the investor must pay to establish the position. Before entering a position it must be determined that the tax savings will exceed the cost of the transaction with reasonable certainty. Second, there is always the possibility of capital losses when investing in capital markets. The objective of this paper is to provide a framework in which to choose the transaction which provides the maximum tax benefit for a given level of risk, and to illustrate the potential outcomes of the transaction. Once the investor has the alternatives and potential consequences he is in a better position to make an intelligent choice as to whether or not to utilize these tax deferral techniques.

The strategies presented in this paper make use of puts, calls, and the underlying stock. The strategies assume efficient stock markets. That is, the stocks are properly priced and the investor has no way of knowing in which direction the prices will move. The option markets are assumed to be less efficient. This leads to option prices which differ from the values predicted by the formula. Although several different trading techniques are presented, which assume efficient markets, they all are based on the same concept. A neutral spread is established. When the prices of the securities change, the net effect on the position will be zero. Gains on one side of the transaction merely offset losses on the

other side of the transaction. The key to this set of techniques is that the losses are recognized in the current year, and the gains are recognized in the following year. This provides a capital loss in the current year and a capital gain of the same amount in the next year.

The first three chapters of the thesis are devoted to background information. Section 2 presents a series of definitions which are commonly used in the field of options. It then elaborates on the definitions, attempting to present an overview of the major relationships between stocks and options which are used in formulating the trading strategies. The next section discusses some of the tax consequences of options trading. The information presented in these two sections establishes the foundation for the understanding of the strategies which are presented in Section 4.

# 2.0 BACKGROUND

#### 2.1 Definitions

An option is a contract which gives its owner the right to buy or sell a stock. Since the introduction of auction markets for options, such as the CBOE, the characteristics of options have become standard. The following list of definitions refers to options which are traded on these new exchanges.

- Call option-A call option is a contract which gives its owner the right to buy a specified number of shares of a particular stock within a stated period of time. Currently the CBOE, American Stock Exchange (AMEX), Philadelphia Exchange (PHLX), Midwest Exchange (MWE), and Pacific Exchange (PSE) list options which may be traded.
- Put option-A put option is a contract which gives its owner the right to sell a specified number of shares of a particular stock at a specified price within a stated period of time. Although put options are not currently traded on any of the four option exchanges, they will be introduced early in 1977.

Contract Size-The standard size of an option contract is 100 shares. Expiration Date-The expiration date is the date by which an option must be exercised. If it is not exercised by the expiration date it becomes worthless. There are two sets of expiration dates which are commonly used. The first set has expiration dates of the third Saturday of January, April, July and October. The second set has expiration dates of the third Saturday of February, May, August and November. Options are originally listed with nine month maturities. As time passes, the duration of the options decreases. After three months another set of options with nine months duration is listed. There would now be two sets of options, one with six months left until expiration and one with nine months left until expiration.

- Exercise Price-The exercise price of an option is the price for which the option owner has the right to call or put the stock. This price is often referred to as the strike price or striking price. For stocks with market prices less than \$50 at the time the options are listed the strike prices are in increments of \$5. For stocks with market prices between \$50 and \$200 per share the strike prices are in increments of \$10. And for stocks with market prices in excess of \$200 per share the strike prices are in increments of \$20. As the market price of the stock increases above the highest existing option exercise price, a new option is introduced.
- Premium-The premium is the total price of the option. It is higher for options with long durations than for options which are about to expire. Assume that the current price of the stock is less than the exercise price of the option. If there is a long time left before the stock option expires, the option will have some value because the stock may go up. If the stock is volatile, the option premium will be higher. As the expiration date approaches, it becomes less likely that the option will be exercised since the stock is lower than the exercise price. Consequently the value of the option declines and approaches zero. If the stock price is higher than the exercise price, the premium is equal to the difference between the stock price and the exercise plus an additional amount to account for the time remaining before expiration. As the expiration date approaches, the premium approaches the difference between the stock price and the exercise price.

- Out of the Money Option-An out of the money call option exists when the exercise price is higher than the stock price. An out of the money put option exists when the exercise price is lower than the stock price.
- In the money option-An in the money option exists when the exercise price for a call is lower than the stock price or when the exercise price for a put is higher than the stock price.

Covered option-A covered option exists when the seller has 100 shares of the stock for each contract.

- Naked option-A seller is said to be writing options naked when he sells options for which he has not corresponding stock.
- Spreads-Spreads are combination of options of the same basic type but with different exercise prices or expiration dates. One option is purchased and the other is sold. A vertical spread is a pair of options on the same stock with different exercise prices. For example, the investor might but a Digital Equipment January call with a strike price of \$50 and sell a January call with a strike price of \$60. This would be a bearish vertical spread; if the stock price goes down, the investor makes money. If the positions were reversed, it would be a bullish spread. A calendar spread is constructed by purchasing an option with one expiration date and selling another option with an identical exercise price but a different expiration date.

Straddle-A straddle is a combination of a put and a call, both exercisable

at the same market price and for the same period. Strip-A strip is a straddle with a second put component. Strap-A strap is a straddle with a second call component.

# 2.2 Basic Options Relationships

The Black-Scholes option pricing formula is a mathematical model which estimates the value of an option based on the volatility of the underlying stock, the strike price of the option, the market price of the underlying stock, the duration of the option, and the interest rate.<sup>[9]</sup> The value which the formula predicts will often differ from the market value of the option. If we assume that the basic formula is correct, these differences may be explained by errors in the market or errors in the inputs to the model.

This paper will not deal with the derivation of the model. Rather, the model will be treated as both given and valid; the inputs are provided and option values are predicted. A detailed discussions of the model is provided in several papers published by Black and Scholes.<sup>[1],[9]</sup>

In this paper it will be assumed that the values predicted by the model are correct and that the market will eventually adjust prices to match values. Under this assumption it is possible to identify options which are underpriced and options which are overpriced. One of the criteria used in choosing the appropriate spread for the tax strategies will be the difference between the values and prices of the options to be used in the spread.

The formula may be used to demonstrate some of the basic relationships in options pricing. The next section provides an overview of the sensitivity of the formula to its inputs and of the dependence of option values on the input parameters. International Business Machines (IBM) has been chosen as the underlying stock to illustrate these relationships. IBM has two sets of call options which are traded. One set has an exercise price of \$260. The other set has an exercise price of \$280. The termination dates of the options are in January, April, August and October. At any time there will be three options traded in each set; the maximum duration is nine months. It is assumed, for this set of examples, that there exist put options with the same strike prices and termination dates as the call options.

2.2.1 Call Options

Figure 1 illustrates the value of the call options with a strike price of \$260. In this diagram it is assumed that the interest rate is 6% and that the stock volatility (the annual standard deviation of the return on the stock) is .17. The interest rate is a reasonable approximation of the return on short term government notes. The volatility estimate was provided by Fischer Black.

The starting point for understanding the pricing of call options is to look at their value at the time of expiration. At expiration the options only have value if the stock has a market price which exceeds the strike price. If the stock price is less than \$260, an option to buy the stock at \$260 is worthless. If the stock price is above \$260, that option is worth the difference between the stock price and the strike price. For example, if the stock were selling for \$280 per share when the option expired, an option to buy the stock at \$260 per share would be worth exactly \$20.

When there remains time before the option expires, the option will have some value even if the stock price is below the strike price. There is the possibility that the stock price will increase before the option expires. The value of the option increases with the duration of the option. The lines labeled "t=3 months" and "t=6 months" indicate the effect of the duration on the value of the option.

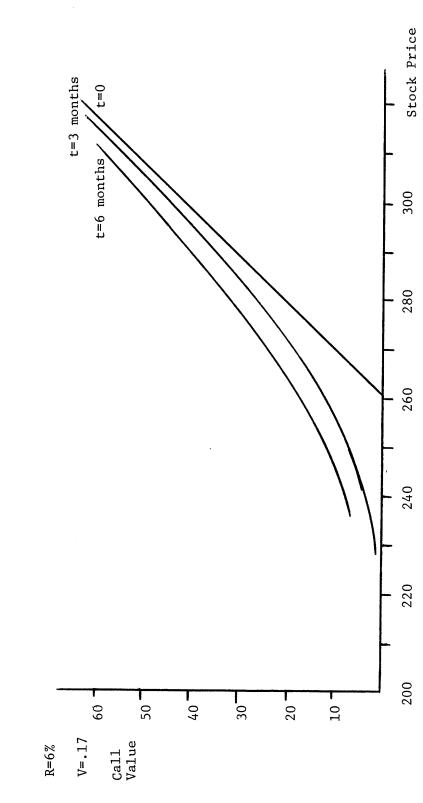


Figure l

Call Option Values as a Function of Stock Price for Different Durations

Figure 2 illustrates that the interest rates does not substantially affect the price of an option. This diagram shows the value of a call option under the assumptions that the interest rate is 2%, 6%, and 10%. For stock prices in the vicinity of the strike price, a different in interest rates of 400% (2% to 10%) results in an option value difference of less than 50%. This indicates that the value used for the interest rate in the option pricing formula does not have to be extremely accurate.

Figure 3 illustrates the value of three month call options as a function of stock price for two assumptions of stock volatility. The first assumption is that the volatility is 0.50. For a stock price equal to the strike price, this 200% increase in the volatility resulted in approximately a 200% increase in the value of the option. Clearly the stock volatility estimate is more crucial in the option valuation than the interest rate. This emphasizes the importance of accurately estimating the volatility of the underlying stock.

Figure 4 illustrates the value of the delta for the IBM 260 call options with three month duration as a function of the stock price. [The delta is the ratio of the change in the option value to the change in the stock price, for very small changes in the stock price.] For stock prices far below the exercise price, a small change in the stock price will not change the option value significantly. Therefore, the delta is much less than one in this range. For stock prices far above the strike price, the portion of the premium which is due to the duration of the option has almost disappeared. The major factor in the premium is the difference between the stock price and the exercise price. The option price follows the stock price approximately point for point. Therefore, the delta approaches unity in this range.

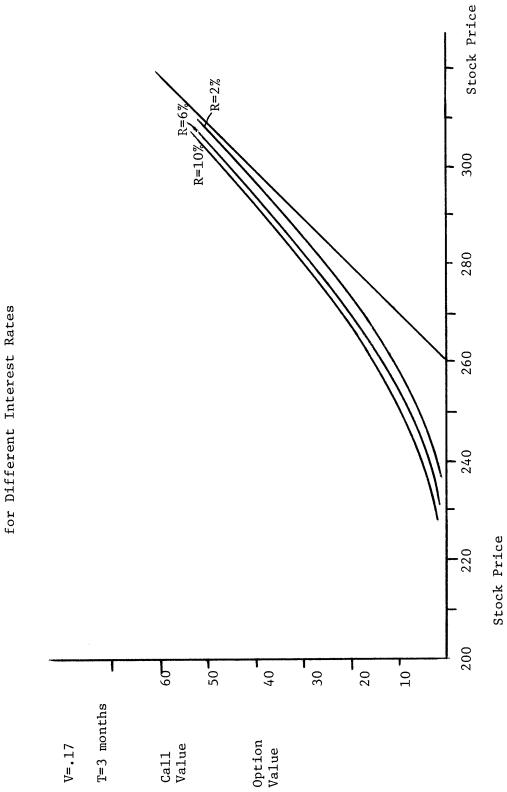
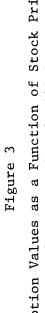
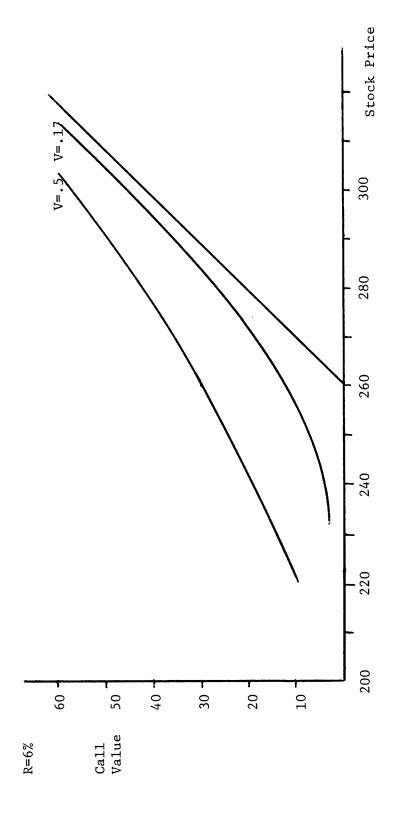


Figure 2

Call Option Values as a Function of Stock Price for Different Interest Rates







17

ŝ

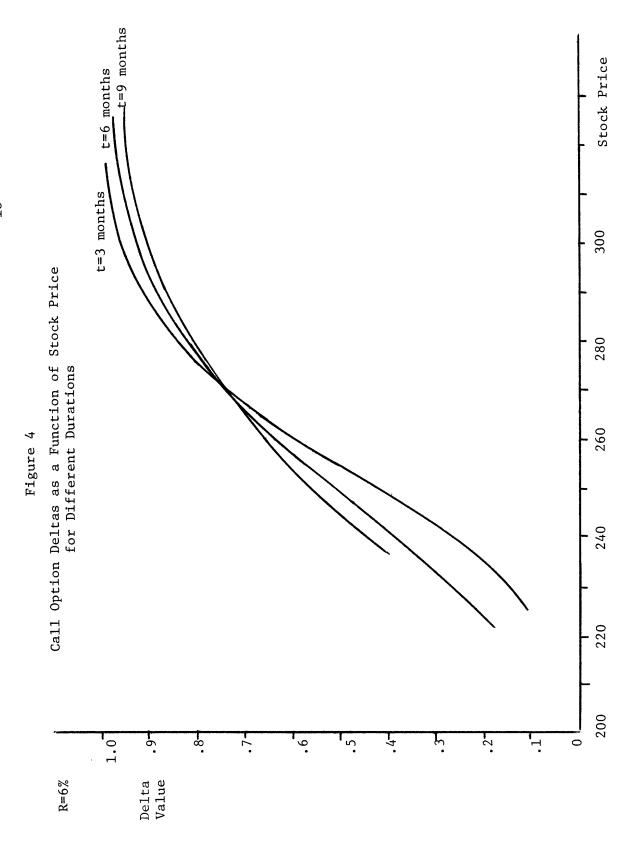


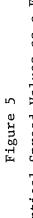
Figure 4 also illustrates the value of the six and nine month call option deltas as a function of stock price. For options which are deep in-the-money, the longer durations results in higher deltas. However, for options which are out-of-the-money, the shorter durations result in higher deltas.

Figure 5 illustrates the value of a vertical spread between the IBM options with exercise prices of \$260 and \$280. In this case it is assumed that the options with the \$260 exercise price are bought and the options with a \$280 exercise price are sold. This results in a positive cost to the investor. Each of the spreads shown consists of two options with the same expiration date. The limiting case occurs when the options are about to expire. This is shown by the line labeled "t=0". For stock prices below \$260 both options are worthless. For stock prices between \$260 and \$280, the option with the \$260 strike price increases in value point for point with the stock. And for prices above \$280 both options increase in value point for point with the stock; therefore, the value of the spread remains fixed at \$20.

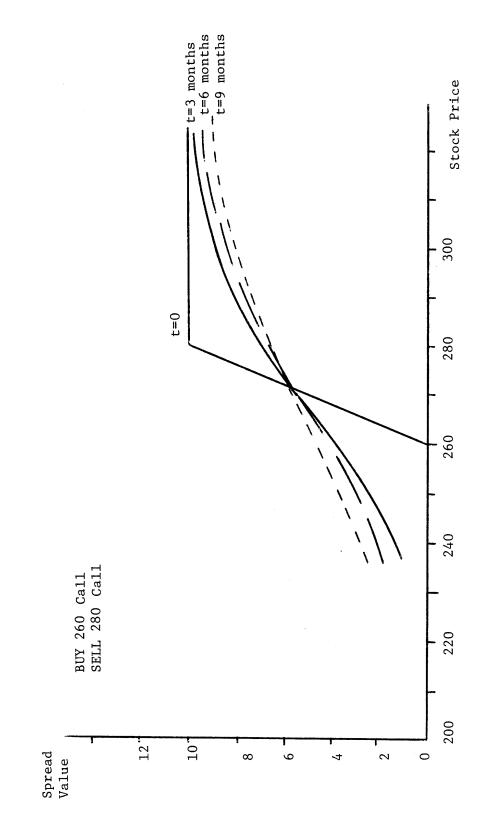
As the duration of the options increases above zero, the situation becomes more complex. The two options no longer move point for point with the stock. Nor do they move point for point with one another. The relationships are shown by the lines labeled "t=3 months", "t=6 months" and "t=9 months". The duration has the same effect on the spreads as it did on the delta of an individual option. This is because the difference between the values of the two options varies directly with their deltas.

### 2.2.2 Put Options

The value of put options depends on the input parameters in much the same way as the value of call options. This section illustrates that the



Call Option Vertical Spread Values as a Function of Stock Price for Different Durations



20

 $\mathcal{V}^{\prime}$ 

effects of duration, interest rate and stock volatility are directly analogous to their effects on calls.

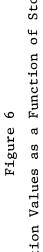
Figure 6 illustrates the value of an IBM put with a strike price of \$260, for several different durations. As with calls, the limiting case occurs at expiration. If the stock price is greater than \$260 at the time of expiration, the value of an option to sell the stock at \$260 per share is zero. If the stock price is below \$260, the value of this option increases one point for each one point decrease in the stock. This is shown by the line labeled "t=0".

As the duration of the option is increased, its value becomes greater. This is because the option assumes a time premium in excess of the amount by which the strike price exceeds the stock price. If the stock price is far less than the strike price, the relative importance of this time premium diminishes. The value of the put approaches the difference between the strike and stock prices.

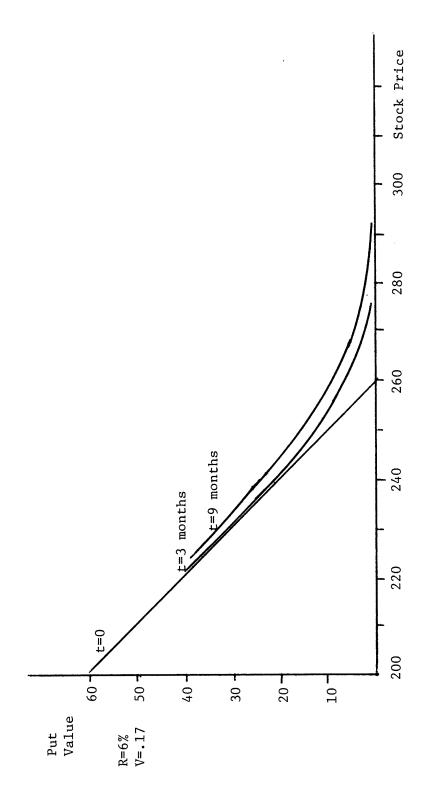
Figure 7 illustrates that the interest rate does not substantially effect the value of the put. This is the same conclusion that was drawn for the effect of interest rate on the value of call options.

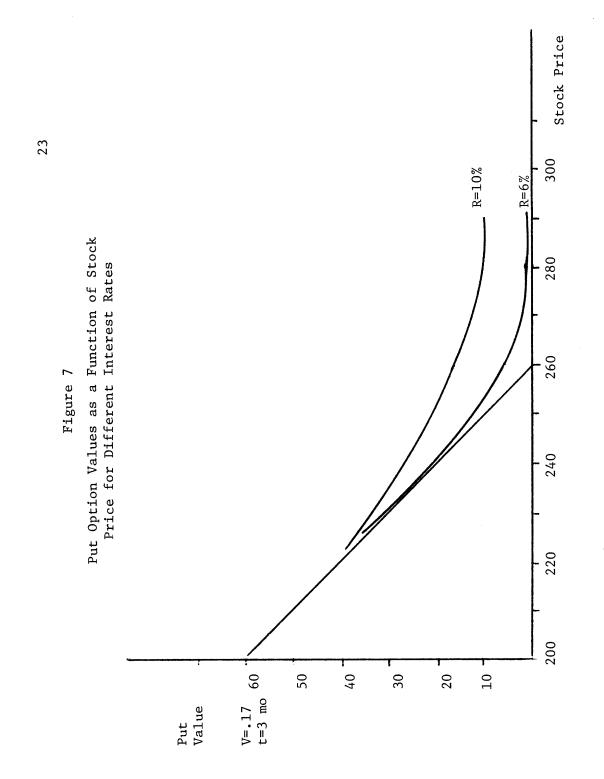
Figure 8 shows the relationship between the stock volatility and the value of the put. Just as with calls, the stock volatility has a major impact on the put value. Consequently, it is important to have an accurate estimate of the stock volatility.

Figure 9 illustrates the value of the option delta as a function of the stock price for put options. It is important to note that the delta for a put is negative; the value of the put increases when the stock price declines. The magnitude of the delta has the same characteristics as the magnitude of the call delta. For stock prices far above the exercise price, a change in

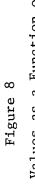




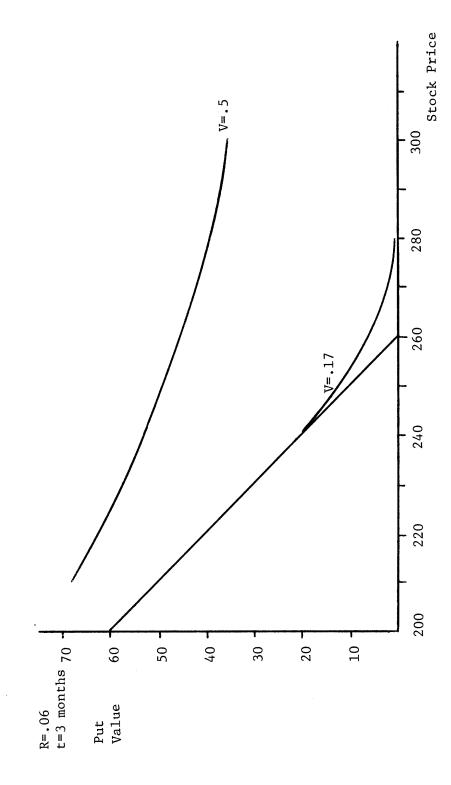


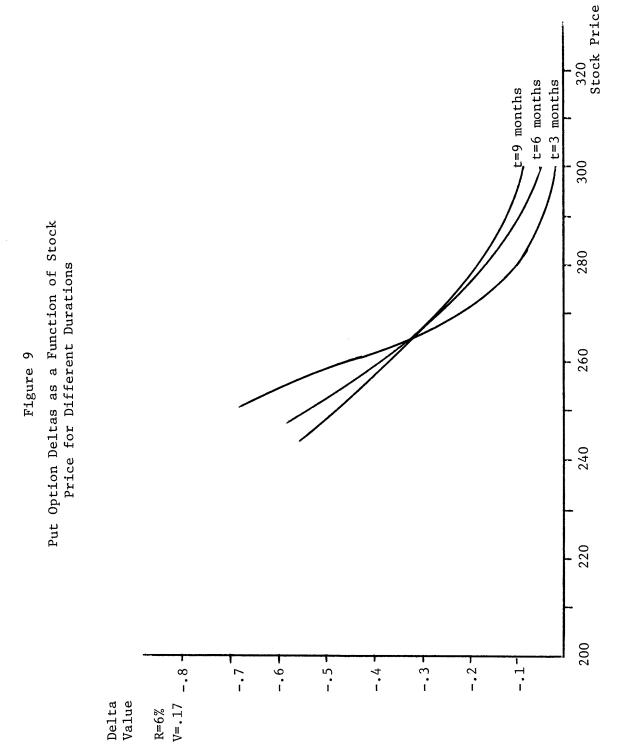


----



Put Option Values as a Function of Stock Price for Different Volatilities





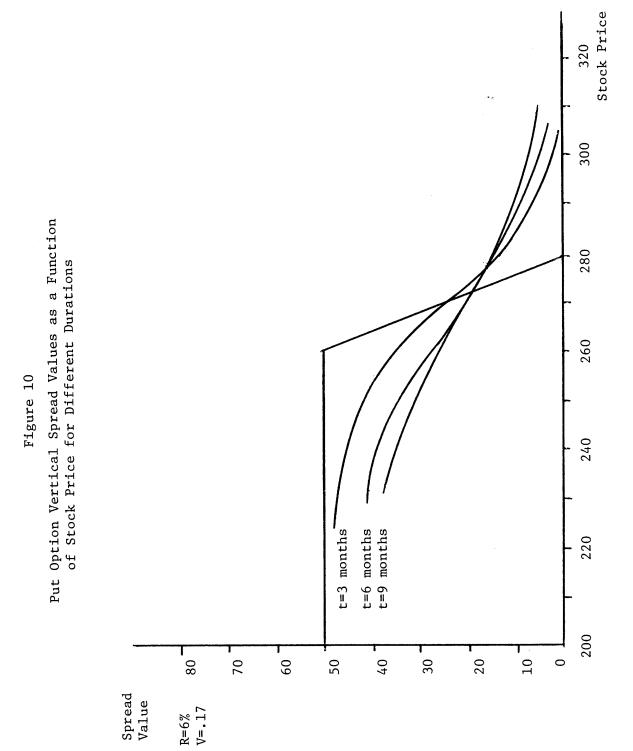
the stock price will have very little effect on the value of the put. And, for stock prices well below the strike price, the value of the option is heavily dependent on changes in the stock price; the delta approaches unity.

Figure 9 also illustrates the values of deltas for options with longer durations. The deltas for put options have the same characteristics as the deltas for call options. For options which are deep in-the-money, the longer durations yield higher deltas. For options which are out of the money, the shorter durations yield higher deltas. And the effect of duration disappears at the extremes; the delta approaches zero for options which are very far out-of-the-money and unity for options which are very deep in-the-money.

Figure 10 illustrates the value of vertical put spreads. It is assumed that the put with a strike price of \$280 is long and the put with a strike price of \$260 is short. This leads to a positive value for the spread. The value of the spread is the mirror image of the call spread discussed previously.

The limiting case for the put spread occurs at expiration. For stock prices above \$280, both options are worth zero so the spread is worthless. For stock prices between \$260 and \$280, the options with a strike price of \$280 begin to assume a value, but the other options remain worthless. The value of the spread increases point for point with decreases in the price of the stock. And, when the stock price is below \$260, both options increase in value with decreases in the stock price; the value of the spread remains constant at \$20.

As the duration of the options increases, the situation becomes more complex. The two options no longer move point for point with decreases in the stock price. Nor do they move point for point with one another. The relationships are shown by the lines labeled "t=3 months", "t=6 months" and "t=9 months". Notice that the duration has the same effect on the spreads as it did on the magnitude of the delta of an individual put.



# 2.2.3 Straddles

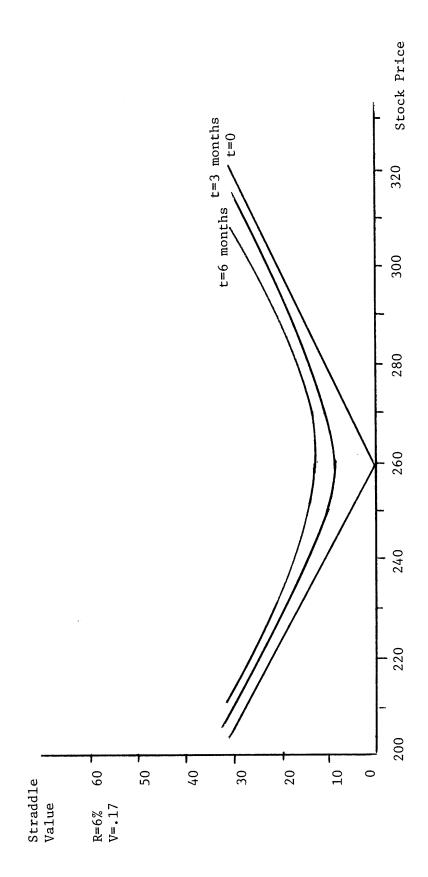
Figure 11 illustrates the value of straddles consisting on an IBM call and an IBM put, each having a strike price of \$260. The simplest case is when both options are about to expire. This is shown by the line labeled "t=0". When the stock price equals the strike price, both the put and call are worthless. Below the strike price the put increases in value point for point with decreases in the stock price, and the call remains worthless. Above the exercise price the call increases in value point for point with the stock price and the put remains worthless.

As the duration of the options increases, the v-shape of the curve flattens out. The value of the straddle increases near the strike price faster than it increases either above or below the strike price. This is because both the put and call are increasing in value in the vicinity of the strike price. However, as the stock price differs from the strike price only one of the options increases in value.

As the stock price moves farther from the strike price, in either direction, the value of the straddle approaches its value at expiration. However, the value of a straddle always varies directly with its duration.



Straddle Values as a Function of Stock Price for Different Durations



#### 3.0 TAX TREATMENT OF OPTIONS TRANSACTIONS

The purchase and sale of options contracts are considered to be capital transactions for income tax purposes, just as the purchase and sale of common stock are capital transactions. However, the tax consequences of options trading are more complex than stock trading because of the possibilities of exercise and expiration.

Capital gains or losses may be long or short term, depending on the length of time that the asset was held. For transactions which are completed during 1977, the holding period requirement for long term capital gains or losses is nine months and one day. Beginning in 1978 this period is extended to one year and one day. When computing personal income tax, long and short term capital gains and losses may be used to offset one another. However, long term gains in excess of all losses are taxed at half the rate of short term gains. Similarly, long term losses provide half the deduction of short term losses. This gives the investor an incentive to have long term gains rather than short term gains, and it gives the investor an incentive to have short term losses rather than long term losses.

Since options, which are traded on the exchanges, have a maximum duration of only nine months, all simple options transactions will result in short term gains or losses. However, if the option is exercised, the holding period is measured by the length of time that the stock is held. This opens the possibility of achieving long term holdings.

### 3.1 Simple Purchase and Sale of Options

Assume that on January first the price of IBM stock is \$270 per share. An investor purchases a call option to buy 100 shares of IBM with a strike price of \$260 and expiration date in April. The price of the option would be approximately \$1850. If the stock price increases to \$300 in the next few days, the option would be worth about \$4500. Assuming that the investor sells the option, he will realize a short term capital of \$2650. If the stock price had declined to \$250 per share, the option would have declined to about \$675. If the investor sold the option at this price, he would realize a short term capital loss of \$1175. The writer of these options would have exactly the opposite results. When the stock went up he would experience a short term capital loss and when the stock went down he would experience a short term capital gain.

If the investor had bought a put option to sell 100 shares of IBM with a strike price of \$260 and expiration in April, he would have paid about \$500. If the stock price rose to \$300, the option would decline to about \$30. Sale of the option would result in a short term capital loss of \$470. If the stock price declined to \$250 per share, the option would rise to \$1400. If the option were sold, a short term gain of \$900 would be realized. As before, the writer of the option would experience exactly the opposite results.

# 3.2 Purchasing Options and Exercising Them

When an option is exercised, the premium which was paid is used to adjust the tax basis of the stock. For example, suppose an investor paid \$1850 for a three month call on IBM with a strike price of \$260 when the stock was selling for \$270 per share. If, at the end of the three months, the stock price was above the strike price, the investor may decide to exercise his option. If the stock price was below the strike price, the investor would not exercise the option because he could purchase the stock on the open market for less than the strike price. When the call is exercised, the

investor purchases 100 shares of IBM for \$26,000, which is less than the current market price. When computing the cost of this stock for tax purposes, the \$1850 premium is added, bringing the total to \$27850. The holding period for the stock begins when the option is exercised. No gain or loss is recognized for the option.

If the investor had purchased a put and exercised it, the tax treatment would be analogous to the treatment of a call. In this case the stock would have to be below the strike price in order for the put to be exercised. The holder of the option receives an amount equal to the strike price for each share he delivers. The tax basis for the individual delivering of the stock is equal to the strike price less the premium. The holding period is determined by the length of time that the stock was owned. Again, no gain or loss is recognized for the option.

3.3 Purchasing Options and Allowing Them to Expire

If an option expires, the holder may write off the entire premium as a capital loss. A call option will expire worthless if the stock price is below the strike price at the termination date. A put option will expire worthless if the stock price is greater than the strike price at the termination date.

3.4 Writing Options and Having Them Exercised

The writer of an option receives a premium. This premium is held in a "deferred suspense account" for tax purposes until the entire transaction is completed. No tax effects are recognized at the time the option is written.

The writer of a call option must deliver the stock at the strike price if the option is exercised. The tax basis for the sake of the stock is adjusted by the amount which the investor receives for the option. For example, the writer of the three month call on IBM received an \$1850 premium in a previous example. When the option is exercised, this investor must deliver the stock at a total price of \$26,000 for the 100 shares, even though the stock may be selling for a much higher price. The option writer records the sale price of the stock as the sum of the \$26,000 received for the stock plus the \$1850 received for the option, a total of \$27,850.

If the call writer had owned the underlying stock, he could deliver from his inventory or he could purchase new shares on the open market and deliver them. If the calls had been written naked, the writer would be forced to purchase shares on the market for delivery. The holding period for capital gain or loss on the entire transaction is determined by the amount of time that the stock was held prior to exercise of the option.

The writer of a put option must purchase the stock at the strike price if the option is exercised. The cost basis for the stock is adjusted by the premium received for the option. For example, the writer of the three month put on IBM in a previous example received a \$500 premium. When the put is exercised, the writer must purchase 100 shares of IBM for \$26,000, even if the stock price is substantilly lower. The option writer records his cost basis as the \$26,000 paid for the stock less the \$500 received for the option, a total of \$25,500.

The put writer may have sold the stock short. In this case the exercise of the put would serve to cover his short position. If the option writer did not have a short position in the stock, he would simply be forced to buy the stock from the option holder. In the first case, a short term capital gain or loss would be recognized at the time of exercise. In the latter case, the holding period of the transaction would depend on the time the stock was owned before it was sold.

#### 3.5 Writing Options and Having Them Expire

If an option expires, the writer records the entire premium as a short term capital gain. A call option will expire worthless if the stock price is below the strike price at the termination date. A put option will expire worthless if the stock price is higher than the strike price at the termination date. The writer's position in the underlying stock has no effect on this transaction.

# 3.6 Straddles

The tax code defines a straddle as a simultaneous combination of an option to buy and an option to sell the same quantity of a security at the same price during the same period of time. The tax treatment for the purchaser of a straddle is the same as if he had purchased a put and call separately. The writer, however, has two alternatives for allocating the premium received between the put and the call for tax purposes. The premium may be allocated based on the respective market values of the two parts of the straddle. (Rev. Rul. 65-31, 1965-1 CB 365) Or, the writer may allocate 55% of the total premium to the call and 45% of the premium to the put. The latter alternative is only permitted if the writer uses it for all straddles that are written. (Rev. Rul. 65-29, 1965-2 CB 1023)

Usually the writer of a straddle will only have to fulfill one side of the straddle contract. If either or both sides of the contract are exercised, the writer must pay taxes on the premium allocated to the exercised part as if it were a put or call not sold as part of a straddle. The unexercised part is treated as a short term capital gain at expiration. If the straddle expires wholly unexercised, the entire premium is treated as a short term capital gain. To illustrate the taxation of straddles, consider the investor who writes the put and call used in previous examples. He receives \$1850 for the call and \$500 for the put. He has two alternatives for allocating the joint premium. He can allocate the premiums based on their market values, or he can allocate \$1292.50 to the call and \$1057.50 to the put. The writer faces four possible outcomes from this transaction. The first possibility is that the call is exercised and the put expires. This would occur if the price of the underlying stock was about \$260 at expiration. If the percentage allocation approach is chosen, the \$1292.50 would be added to the exercise price received for the stock and is taxed as if the call had been written independently of the put. The \$1057.50 allocated to the put is taxed as a short term capital gain.

The second alternative is that the price of the underlying stock is below \$260 at expiration. In this case the premium allocated call is realized as a short term capital gain, and the premium allocated to the put is subtracted from the price paid for the stock. The put side of the contract is taxed as if it were written independently of the call.

If the put and call are both exercised, each option is treated as if it were written separately. This could happen if one of the options was prematurely exercised and then the stock price changed allowing profitable exercise of the other option.

The final possibility is that neither side of the straddle is exercised. This would occur if the stock price exactly equalled the strike price at the time of expiration and in this case, the entire premium, \$2350, would be taxed as a short term capital gain.

Previously, it was necessary for the writer to identify which parts of the transaction comprised the straddle and which are independent options. This is no longer true for straddle strips or straps. This was necessary to determine which parts of the combined option were qualified to receive capital gains treatment upon expiration, and which would be taxed as ordinary income. This is no longer necessary because all unexercised options are now treated as short term capital gains.

## 4.0 TAX STRATEGIES

The intent of the following tax strageties is to defer the recognition of capital gains from one year to the next for income tax reporting purposes. It is assumed that the capital markets are efficient, and that the transactions which comprise the strategy are short term capital events. The objective is to establish a loss in the current year and recognize the offsetting gain in the following year. The losses may be used to offset capital gains which were recognized during the current year for tax reporting.

The following sections discuss three basic strategies. The first strategy involves setting up neutral spreads between options of the same kind. That is, the investor would buy one set of calls and sell another set. Or, the investor would buy one set of puts and sell another set of puts.

The second strategy involves spreads between options and the underlying stock. Here, the investor would establish a position in the stock and take a position in the option which would neutralize the net holdings. For example, the investor might purchase stock. To neutralize this position he could either write calls or purchase puts. Alternatively, if the investor sold the stock, the situation could be neutralized by buying calls or writing puts. It is important to note that the ratio of stock to options will not necessarily be one in order to have a neutral spread. This would only be true if the delta of the option were unity. Since this is not usually the case, a neutral spread will be composed of more options than shares of stock. The exact ratio is determined by the option's delta. The third strategy consists of spreads between puts and calls. A neutral spread is established by either buying puts and calls or selling puts and calls. The ratio of puts to calls is determined by the deltas of the options which comprise the spread.

The neutrality of a spread is guaranteed by setting the delta of the spread equal to zero. However, the delta of an option changes with changes in the price of the underlying stock. As the stock price varies, the ratio of the number of options on each side of the neutral spread changes. This introduces a risk into the transaction. The risk may be measured by the gamma of the spread. This is the change in the spread's delta divided by the change in the underlying stock price for small moves in the stock in the short run. A gamma of zero would mean that the spread's delta was independent of the stock price. Therefore, the spread would remain neutral (delta equal to zero) no matter what happened to the stock price.

Gamma is an adequate measure of risk if the comparisons are being made among spreads on a single stock. However, if it is necessary to compare a spread on IBM with a spread on Digital Equipment Corporation, it is necessary to take into account the variability of the stock because it affects the variability in the delta of the spread. This is accomplished by constructing the dollar curvature of the spread. The dollar curvature is equal to the gamma times the stock price squared times the stock volatility squared. It is a measure of the frequency with which the spread must be adjusted in order to keep it neutral. The dollar curvature may be positive or negative. In either case, lower magnitudes of the dollar curvature imply lesser adjustments to maintain neutrality and, therefore, less risk in the spread.

The actual number of option contracts or shares of stock which are used in a spread is determined by the delta of the spread being confined to zero and the magnitude of the dollar curvature being confined to unity. The former constraint is required in order to have a neutral spread. The latter constraint is arbitrary. As long as all spreads have the same dollar curvature, they will have equal risk. The value of unity was chosen because of its computational convenience. The algebra used to derive the actual numbers is quite simple, and will be provided in the discussions of the individual spread strategies.

The decision of which options to buy and sell is determined by the excess value of the spread. The excess value is the difference between the market price of the spread and the estimated value of the spread. All spreads are defined so that they have a positive excess value. The sign of the excess value may be reversed by reversing the buy and sell decisions on the options which comprise the spread. For example, if option A has a price which is less than its value and option B has a price which is greater than its value, it would be reasonable to purchase option A and sell option B. This spread would have a positive excess value. If the buy and sell decisions are reversed, the excess value becomes negative.

The commissions charged by a brokerage house are part of the costs of establishing the spreads. As an approximation, these are calculated using costs of \$0.375 per share of stock and \$8.50 per option contract. These are fairly representative of actual costs.

The cash outlay for a spread depends on the margin requirements as well as the particular options involved. The margin requirements are fairly complex. The purchase or short sale of stock requires margin of

50% of the market price of the stock. The purchase of an option requires the full option price as margin. There are several different cases to consider on the sale of an option. Naked options have a margin requirement of 30% of the stock price. This is reduced by the funds received on sale of the option and by the difference between the stock price and exercise price of the option. For in-the-money options the absolute value of the difference between stock price and strike price is added to the margin required. For out-of-the money options, this amount is subtracted from the margin requirement.

Covered options do not have the same margin requirements as naked options. If the short option is covered by stock, the margin is equal to the difference between the stock and exercise prices. In this case, the investor has purchased stock. Part of the outlay for the stock is offset by the income from the option premium. If the option is in the money, the difference between the stock price and the strike price is added to the funds required. If the option is out of the money, this difference will be negative. It then serves to reduce the margin requirement.

If the short option is covered by another option with a shorter duration, the short option is considered to be naked. If, however, the long option has a longer duration than the short option, the margin requirements are similar to the normal covered option case. The investor has an outlay for the long option and receives income from the premium of the short option. This is adjusted by the difference between the strike prices of the two options. For calls, the long option's strike price less the short option's strike price is added to the cash required. Therefore, if the short option has a higher strike price than the long option, the difference will be negative, and will reduce the cash required. The case is reversed for put spreads. The difference between the short option's strike price and the long option's strike price is added to the cash required. In this case, if the short option has a higher strike price than the long option, the cash required will be increased.

Spreads between puts and calls are treated as if they were independent transactions. If the options were purchased, the cash required would equal the sum of the premiums. If the options were written, they would be treated as if they were naked.

The option pricing formula includes interest income on the value of the option. This means that if two options, or two spreads, have the same risk, the difference in their values ought not to be a consideration in choosing between them.

The investor will often have to leave margin money with the broker. Frequently, the broker declines to pay interest on this money. This lost interest is an opportunity cost of leaving the money with the broker. For example, if an investor sells stock short for \$1000 and has to put up \$500 margin, interest is being lost on \$1500. Interest is being lost on the proceeds of the sale and on the cash being left with the broker. It does appear, however, that the importance of this lost income is decreasing, because brokers are beginning to pay interest on account balances in excess of \$2000.

The dollar volatility of an option is a measure of how much the option position is expected to change. It is equal to the number of options times the delta times the stock price times the stock volatility. For a neutral spread, the dollar volatilities of the two sides will be equal. However, they predict price movements in different directions. In order to achieve the greatest impact of the spreads for the purposes of the following

strategies, one ought to choose the spreads which consist of option positions with the greatest dollar volatility.

4.1 Option Spread Strategies

The establishment of the spreads is based on two conditions. First, the spread's delta is zero. And second, the dollar curvature of the spread is unity. These two conditions defined the size of the position on each side of the spreads.

## Let:

D1= delta of one option 1 D2= delta of option 2 G1= gamma of option 1 G2= gamma of option 2 P= stock price V= stock volatility N1= number of contracts of option 1 N2= number of contracts of option 2

DC- dollar curvature

The variable P is determined from market data. D1, D2, G1, and G2 are determined by the Black-Scholes pricing formula. The volatility, V, is determined by historical price movements of the stock. The dollar curvature is a function of the other variables and will be set equal to unity. Thus, N1 and N2 are to be determined.

Option 1 has a delta equal to D1. If the position consists of N1 options, the delta of the entire position is N1 times D1. Similarly, a position consisting of N2 options, having a delta of D2, would have an aggregate delta of N2 times D2. If a spread were to be formed between these two positions, the spread's delta would be:

## Delta=N1\*D1-N2\*D2

In order for the spread to be neutral, the spread's delta must be zero. This leads to the following relationship between N1 and N2:

$$N1 = \frac{D2}{D1} N2$$

Using the same line of reasoning, the gamma of the spread, GS, is equal to N1\*G1-N2\*G2. Recall that the dollar curvature is defined to be the spread's gamma times the stock price squared times the volatility squared:

$$DC=GS*P^2*V^2=1$$

After a little algebraic manipulation, this information leads to concise expressions for Nl and N2:

N1= 
$$\frac{D2}{(G1*D2+G2*D1)*P^2V^2}$$
  
N2=  $\frac{D1}{(G1*D2+G2*D1)*P^2V^2}$ 

## 4.1.1 Call Option Spreads

IBM stock has six call options associated with it. Table I lists the values and deltas of these options for several different strike prices. There are several assumptions underlying this presentation. The stock volatility is assumed to be 0.17. The interest rate is assumed to be 6%. And the date is assumed to be December 5, 1977. On that date there will be options outstanding with termination dates in January, April and July 1978.

Table I also lists the values and deltas of options on Digital Equipment Corporation (DEC). Although DEC has more than fifteen option TABLE 1

Call Option Prices for IBM and DEC

WHICH SUBROUTINE DO YOU WANT 3 STOCK: IBM LOWER PRICE: 250 UPPER PRICE: 300 12 05 +06

CALL PRICES

TIT	0 • 31 0 • 31	5 5 5 5 5 5 5 5 5 5 5 5 5 5	0•53 0	0 • 83 0 • 93	0 • 7 8 8 8 8 8	0.92 0.81
	13.048 6.115	18,823 9,721	25.685 14.455	33.455 20.270	41.935 27.098	50.942 34.781
APR	0 • <del>2</del> 0 • 20	0 • 32 0 • 32	0.74 0.46	0 • 84 0 • 60	0 • 91 0 • 73	500 100 100
¢	8.267 2.733	13.560 5.328	20•288 9•256	28.188 14.603	36.943 21.285	46.259 29.077
NAL	0 • 35 0 • 0 0 • 0	0 • 56 • 15	0 * 78 0 * 33	0 • 9 0 • 5 0	0 • 97	66°0 0°30
ICE .	3*032 0*283	7.411 1.181	14.185 3.5145	22 • 727 7 • 981	32.211 14.681	а m
STRIKE PR	260,000 280,000	260.000 280.000	260.000 280.000	260,000 280,000	260.000 280.000	260.000 280.000
	250	260	270	280	290	300
	PRICE **	E K I C E	PRICE:	PRICE:	PRICE:	PRICE:

TABLE 1 (Continued)

CALL PRICES

			PRICE:		PRICE:	
	**				й â	
	STOCK \$	СШ	LOWER	30	UPPER	60
P)	ഗ	Ω	!	ю	$\square$	Ś

0 \* 95 0 \* 95 0 • 33 • 21 • 21 0,79 0,61 0 • 0 4 0 • 0 1 JUL 0.103 0.026 7,996 4,964 16,881 12,606 1,967 0,879 0 \* 93 • 92 0 • 81 • 59 0 • 0 1 0 • 0 1 0 • 30 0 • 11 APR 16.045 11.465 6,838 3,661 1.087 0.326 0.013 0.001 0.13 0.01 0 • 39 • 55 1 • 00 0 • 98  $00^{\circ}$ NAU 0000\*0 0.237 0.016 5,598 2,068 15,352 10,431 STRIKE PRICE 45.000 50.000 45.000 50.000 45.000 50.000 45.000 50.000 09 9 о 20 40 ្ព PRICE: PRICE : PRICE: PRICE:

WHICH SUBROUTINE DO YOU WANT

currently outstanding, only six have been included in this table. This is a sufficient number of options to illustrate the use of the strategies.

Table II illustrates the potential spreads which may be formed among the IBM call options and the spreads which may be formed among the DEC call options. Since each stock is assumed to have six options, there will be a total of fifteen possible spreads for each stock. The spreads are formed on December 5, 1977.

All of the spreads shown in Table II have dollar curvature equal to unity. All of the spreads are also neutral. The sign of the dollar curvature depends on which option is bought and which is sold.

The excess value of the spread is the difference between the market price of the spread and the model price of the spread. It depends on which option is bought and which is sold. The spreads are defined by the excess value always being positive. The excess value of the spread is merely the excess value of the long position minus the excess value of the short position. The first spread in Table II has an excess value of \$58.71. This means that the cost of the spread is less than the value of the spread. If the buy and sell decisions were reversed, the spread would have a negative excess value.

The rightmost column is the dollar volatility of each side of the spread. The dollar volatility is equal to the number of options in the position times the option's delta times the stock price times the stock volatility. It provides a measure of how much price variation can be expected in the position. Both sides of a neutral spread must have the same dollar volatility. The price changes on each side offset one another.

12 05 .06

WHICH SUBROUTINE DO YOU WANT A NUMBER OF STOCKS: STOCK: STOCK: STOCK: STOCK: STOCK: STOCK: APR 260.000: A

TABLE 2 Call Spreads

48

Table 2 (Continued) CALL SPREADS

8221.432 7944.828 00L . VOL 178.060 68.919 83.759 69.590 1779.410 1462,807 1273.073 1097,250 411.383 391,130 363,263 328.349 326.862 299.205 290.998 182.142 172.462 54,274 12,843 112+617 83,981 68,986 68,212 67,650 65.173 347.891 56,211 65,44C LOST INT 0,44 0,38 11.53 9,68 9.10 9.08 13.47 2,01 1,25 11,04 2,02 5,24 1.49 7.74 908,30 54.98 4.70 1,87 1,88 29,49 11,02 18,47 1.81 9.61 7.91 1.82 21.74 24.83 0.68 91,92 50.56 15.61 66+70 861,78 260,39 161.22 166.82 206.16 67,82 94.36 360.39 72,05 46.88 196,74 60,53 30.74 50,13 93,00 1473.64 13599,87 584.27 224.34 1813.47 231,14 54.91 358.01 14.77 .02.11 174.21 CASH COMMISSION 33.545 121.800 0.692 2.593 1,319 1.797 7.149 3.040 0.794 0.347 1,333 0.362 0+350 . 4559 7,366 6.315 20.784 17.107 7.406 7.329 L + 897 5,684 1.457 3+363 3.419 0.830 0.503 1,890 1.372 0.877 EXCESS 58+71 21,66 2.34 3,52 0.70 1,39 6.26 0.69 4,98 0.09 10.67 3,50 5,83 1,35 12,94 1.42 2,37 1,40 1.40 2+97 0.58 3,93 6.92 233,94 15.43 19,01 12.68 21+13 45.000 280.000 260.000 45.000 45,000 260.000 260,000 280.000 50,000 45,000 260.000 50,000 45,000 260.000 260.000 260.000 280,000 50.000 50.000 45+000 45.000 260.000 45,000 JAN 260.000 45.000 260.000 45.000 45,000 260.000 280+000 SHORT APR JAN APR NAU APR JAN APR APR JUL APR APR JAN JUL NAL AFR JAN APR 9 P. R. JAN JAN APR APR JAN JUL JUL JUL JUL. Ы Ę -1,888 -0,109 -0.168 -0.039 -0.040 -0.148 -0.060 -0\*0<del>6</del>5 -7,508 -0.409 -0.366 -0.370 -0\*080 -0.429 -0.239 -0.043 -0.152 -0.042 -0.105 -0.017 0.016 0.064 -1,203 -0.353 -0.292 -0.075 -0.031 0.024 -1:071 -0.091 260.000 45,000 260.000 260.000 45.000 45,000 50.000 50,000 280.000 280.000 280.000 50.000 50.000 280,000 45,000 50,000 280.000 280,000 50.000 280.000 280.000 50+000 280+000 50.000 50.000 50,000 280.000 50,000 280.000 260.000 APR APR APR APR APR APR JAN JAN AFR APR JAN JAN JUL NAU NAU NGU JAN JAN J JUL JUL JUL JUL JUL З JAN LONG Ę Ę Ш 2,059 0.234 0+096 0.060 0,059 0.054 0.097 0.091 0.458 0.377 0.039 0.028 1,242 0,942 0.518 0,493 0.120 0.115 0.114 0.412 0.096 0.156 0.205 0.157 0.117 0,025 0,025 6.821 0,377 0.017 (BM DEC IBM

The objective of this strategy is to establish the largest possible loss in the current year and offset it with a gain in the following year. This is accomplished by choosing an options position with the greatest dollar volatility. This position has the greatest expected price fluctuation. This does not imply additional risk because all of the spreads are constructed to have the same dollar curvature, and, therefore, the same risk. High dollar volatility simply means that both sides of the spread have large price variations. However, the price changes always neutralize one another.

The column labeled "commission" lists the transaction costs required to establish the spread. The investor must have a reasonable probability of obtaining a tax advantage which exceeds this cost.

The column labeled "cash" is the sum of the margin requirement and the commission cost. This is the amount of money which would be required to enter the position. The investor could either pay this amount in cash or leave stock or treasury bill with the broker as security.

The column labeled "lost int" is the amount of interest income which is foregone if the spread is held for one year. This figure is determined by applying the 6% interest rate to the difference between the margin held by the broker and the price of the spread. For example, if the spread costs \$800 and the broker a total outlay of \$1000, the lost interest is based on a pricipal amount of \$200. However, if the investor sells the spread, in the sense that he ought to receive \$800, and the broker requires \$200 margin, the lost interest would be based on a priciple amount of \$1000. Table III illustrates the possible outcomes of an investment in one of the spreads shown in Table II. This Table is included to show the results predicted by the model if the investment could be sold immediately for the value specified by the model. Since the pricing formula predicts option values which do not equal the market prices, the model predicts profits or losses even if the stock price does not move.

This example examines the behavior of a spread formed between two sets of IBM options. The spread is established on December 5, 1977. The stock price is assumed to be \$280 per share. It consists of the purchase of 2.059 contracts of the April 260 option and the sale of 1.888 contracts of the January 260 option. The value of the April 260 option is \$28.19, according to the model, however, the market price is assumed to be \$29.00. This assumption is arbitrary. It has been made for the purpose of demonstrating the use of the models. The value of the January 260 option is \$22.73. Its price is \$24.00. Consequently, both options are overpriced by the market.

Table III contains a variety of information related to the profitability of the spread. The rightmost column lists the assumed price of the stock at the time the spread is ended. The remaining columns list the results of the spread for each of the assumed prices. This gives the investor the opportunity to see how much of a tax gain he will have, and how much his expenses can be.

The second and third columns state the configuration of the spread being examined. The number of option contracts being bought and their expiration date are listed in the second column. The number of option contracts being sold and their expiration date are listed in the third column.

RESULTS OF CALL SPREADS -1817.67-1664.73-1351.82 -865.85 1242.76 1428.11 1614.66 -1509.42 -531.60 -361+60 159.10 514,49 058,66 -1029.97 -16.19 336.02 875+87 -189.77 694,47 CHANGE LONG . COMMISSIONS 67.10 PAID Results of Call Spreads If Sold Immediately JAN 260.000 JAN 260.000 JAN 260.000 260.000 260.000 260.000 260.000 260.000 260.000 260,000 260.000 260+000 260+000 260,000 260,000 260+000 260.000 260.000 260.000 TABLE 3 **SHORT** CALL NAU JAN JAN NAU NAU JAN NGU NAL NAU NAU NAL NGL NGU NAU JAN NAU NAU NAU 888 • 888 . 888 . 388 • 888 • 888 • 888 .888 • 888 . 888 . 888 • 888 . 888 .888 .888 • 888 • 888 .888 . 888 , 888 APR 260.000 APR 260.000 APR 260.000 APR 260.000 APR 260.000 260.000 260+000 260,000 260,000 260,000 260,000 260.000 260.000 260.000 260.000 260,000 260,000 260.000 260.000 260,000 260.000 260+000 WHICH SUBROUTINE DO YOU WANT WHICH SUBROUTINE DO YOU WANT INTEREST RATE LONG CALL APR APR APR APR APR AFR APR APR AFR APR APR AFR APR 9 P R APR APR 2.059 2.059 2,059 2.059 2.059 2,059 2,059 2.059 2.059 2,059 2,059 2,057 2.059 2,059 2,059 2,059 2+059 2,059 2,059 SHORT OPTION OWER PRICE: JPPER PRICE: NUMBER SOLD: ENTER DATE, 12 05 .06 LONG OPTION PRICE PAID: PRICE PAID: NUMBER: 274,000 275,000 279.000 282,000 283,000 287.000 270+000 273,000 271+000 272+000 276.000 277,000 280.000 281,000 284,000 385.000 286.000 290,000 STOCK: 300+683 FRICE STOCK 2,059 .888 TBΩ 270 290 29. 40

51

### 175.91 177.29 178.55 74.40 DELTA 72+75 **SHORT** 169.07 170.94 172.73 151.67 158.70 163.06 167.13 56.42 65,13 174.47 DEL TA 76.13 LONG

-1406.55-1248.33

-1087.42

-1561,93

-1714.27

-1863.41

CHANGE SHORT

PROFIT -21.36 -17.56 -14.59 -12.37 -10.75 8.58 -8.94 -5+28 -3,68 0.79 3.75 -9,64 -6+46 -1+67

-420.33

-74.94 276.80 454.71 814.05

100.21

633,83 995,24 177,33

-924.01 -758.24 -590.30

79.26 77.73 82,14 85,99 180.73 83.48 .84,77

79,69

182,50

183.94

87,16

1360.22

81,66 83,26

80.73

153,89 167.01 56,84 59.61 64.64 .66.91 70,95 62,21

150.76

147.47

The fourth column lists the commission costs for the entire transaction. This includes buying and selling costs for the options shown in the previous column. Since the commissions are assumed to depend only on the number of options in the position, the costs are constant.

The next column lists the changes in the predicted value of the long position. This is determined by multiplying the excess value of the option times the number of options in the position. If the options were correctly priced, the change ought to be zero when the stock price is assumed to be \$280, in this example. However, the option was overpriced. If it is assumed that the option were to suddenly become correctly priced, the price of the long position would decline \$189.77.

The sixth column lists the changes in the predicted value of the short position. This is determined in the same manner as the previous case. In this example, the price of the short option would decline \$248.50.

The column labeled "profit" lists the net change in the spread's price minus the commission costs. This is an indication of how much the investor can expect to show as a capital gain or loss on the position if the entire position were liquidated. However, the strategy is not to liquidate the entire position in the current year. Only one side of the spread is to be liquidated. The fifth and sixth columns indicate which side should be liquidated and what potential deductions can be achieved.

If the stock price remained at \$280, the model predicts that the long position would decline in value by \$189.77. This would result in a loss on this side of the spread. The model also predicts that the short side of the spread would decline \$248.50. This would result in a gain

equal to the excess value listed in Table II. The strategy, in this case, would be to sell the long position and recognize the loss in the current year.

At this point the investor would have two alternatives. He could either re-establish a neutral hedge of allow the short position to remain uncovered. In either case, the margin requirements would change. The last two columns in Table III indicate the deltas of each side of the original spread. This figure is arrived at by multiplying the number of options times its delta. For the example being considered, the investor would have 1.888 January 260 contracts naked. For each one point movement in the stock, the value of the option position could be expected to vary \$172.75. This information should be helpful in deciding whether or not to accept the market risk until the second leg of the spread is lifted.

Table III provides insight into the differences between market conditions and predicted conditions. It demonstrates that as the price of the underlying stock varies, the potential of the strategy increases significantly because both sides of the spread change in price. For stock prices below the initial price, losses will occur on the long side of the spread. For stock prices above the initial price, the losses will occur on the short side of the spread. In either case, the losses are offset by gains on the other side.

The spread remains fairly neutral over a wide range of stock prices. This can be seen by observing that the position deltas offset one another over the range of stock prices listed in the table. At a stock price of \$280, the deltas are essentially equal. This was specified in the construction of the spread. As the stock price is varied, both the long and

short deltas move. However, they move more or less in tandem. If the stock price were to increase to \$290, the deltas would not be equal. The long delta would be \$187.16 and the short delta would be \$183.94. This means that for small stock price movements around \$290, each one point change in the stock would have only a \$3.22 effect on the value of the entire spread.

The preceding discussion was intended to illustrate the differences between the market conditions and forecast conditions at the time the spread is established. It is unlikely that the stock price would vary significantly enough during the initial day to warrant selling one side of the spread. In addition to the lack of price movement, there is a second reason for delaying the closing of one side of the spread. It is preferable to leave the remaining side naked to avoid paying commissions for the options required to form the new neutral spread. If the action can be delayed to the last day of the year, the risk can be reduced. The loss can be established on the last day of the year and gain the recognized on the first trading day of the new year.

Table IV presents the same analysis as Table III. However, in this case it is assumed that the position was held from December 5, 1977 until December 31, 1977. Because both of the options have come closer to expiration, their values and deltas have changed. The spread is no longer neutral. If the stock price was \$280 on December 31, the same price as on December 5, the spread would no longer be neutral. This can be seen by observing that the deltas of the positions are no longer equal. The long position has a delta of 175.55 and the short position has a delta of 183.65. As the stock price rises, the spread becomes more neutral. The spread is

Results of Call Spreads If Held Until December 31 WHICH SUBROUTINE DO YOU WANT ENTER DATE, INTEREST RATE FRICE PAID: 29. SHORT OFTION NUMBER SOLD: 1.888 1: LOWER PRICE: 270 UPPER PRICE: 290 LONG OPTION NUMBER: 2.059 PRICE PAID: 24. STOCK: IBM

RESULTS OF CALL SPREADS

SHORT DELTA	160.22	164.05	167.50	170.58	173.31	175.71	177.80	179.62	181,18	182.52	183,65	184.60	185,40	186.06	186,61	187.06	187.42	187.72	187,95	188,14	188.29
LONG DELTA	152,73	155,39	157,97	160.47	162.88	165.20	167.44	169.60	171.67	173.65	175.55	177,37	179.11	180.76	182.34	183.84	185.26	186.61	187,90	189,11	190.25
PROFIT	71.56	63,53	54.48	44.71	34.46	24.01	13.59	3,39	-6.39	-15,60	-24.11	-31.82	-38.61	-44.45	-49.28	-53.06	-55,80	-57.45	-58.07	-57.65	-56.21
SHORT CHANGE	-2307,58	-2145.44	-1979.66	-1810.62	-1638.68	-1464.16	-1287,40	-1108.68	-928.27	-746.41	-563,31	-379.16	-194.14	-8.39	177.96	364.81	552,07	739.65	927.50	1115.55	1303,77
LONG CHANGE	-2168.92	-2014.81	-1858.08	-1698,81	-1537,12	-1373,05	-1206.72	-1038.19	-867,56	-694.91	-520.32	-343.88	-165,66	14.26	195.78	378,85	563.37	749.29	936.52	1125.00	1314.66
COMMISSIONS PAID	67,10	67.10	67.10	67.10	67,10	67.10	67.10	67.10	67.10	67.10	67,10	67.10	67,10	67,10	67.10	67,10	67.10	67.10	67.10	67.10	67.10
SHORT CALL	NAL	JAN			NAL	1.888 JAN 260,000	• 888	NAL					NAL	1.888 JAN 260.000			1.888 JAN 260.000		1.888 JAN 260.000	NAL	1.888 JAN 260.000
(D 1	APR	APR	APR	APR	APR	2.059 APR 260.000	APR	AFR	APR	А Р Л	APR	APR	APR	APR		APR	APR	APR	APR	APR	2.059 APR 260.000
STOCK PRICE	270.000	271.000	272,000	273.000	274.000	275,000	276.000	277,000	278.000	279.000	280,000	281.000	282.000	283.000	284,000	285.000	286+000	287.000	288,000	289.000	290.000

TABLE 4

55

essentially neutral when the stock price is \$288. Above that price, the spread is no longer neutral. The spread is still fairly neutral over the entire range of stock prices shown in this table.

The use of this strategy may be illustrated using Table IV. Assume that on December 5, 1977 an investor is considering entering into the spread shown in the table. At that time he has no idea what the stock price will be at the end of the year. The investor does believe that the option prices will adjust to the values predicted by the model, or at least come closer to these values, as the expiration dates approach. Table IV provides all of the information this investor requires to make an intelligent decision whether or not to enter the spread. If the stock price remains unchanged, the investor will have a deduction of \$520.32. His remaining option will move \$183.65 for every one point change in the price of the underlying stock. It the price declines to \$270, the investor will have a \$2148.92 deduction and the remaining option position will have a price change of about \$160.22 for every one point change in the underlying stock. In this case the investor would have invested \$1473.64 to achieve a \$2148.72 deduction in the current year, and he would have achieved a \$471.56 capital gain after commissions.

## 4.1.2 Put Option Spreads

Puts are not currently traded on any of the organized option exchanges, however, they will be actively traded in the near future. When these options are traded, they will offer the same tax opportunities as the calls which were just discussed.

The tax strategy for using spreads between puts is exactly analogous to the strategy involving call options. Table V shows the values and deltas of hypothetical put options. It has been assumed that the puts

TABLE 5

Put Option Prices For IBM and DEC

١

WHICH SUBROUTINE DO YOU WANT 3 STOCK: IBM LOWER PRICE: 250 UPPER PRICE: 300

ENTER DATE, INTEREST RATE 12 05 .06

	STRIKE PR	PRICE	JAN	<ul> <li>C</li> </ul>	APR		١L
PRICE: 250							
	260,000	11,003	0,68	12.652	0,55	13,604	0,48
	280,000	28,098	0,95	26.686	0.80	25.944	0,69
PRICE: 260							
	260,000	5 1, 3 2 2 2	0 + 44	7,945	0 + 40	9,378	0+37
	280,000	18,996	0,85	19,281	0 • 68	19,550	0,58
PRICE: 270							
	260,000	2,156	0 • 22	4.672	0.26	6,241	0.27
	280,000	11,329	0,67	13,209	0.54	14.284	0,47
PRICE: 280							
	260,000	0,699	0.09	2.573	0.16	4,010	0.18
	280+000	5.796	0.44	8.556	0 * 40	10.100	0,37
PRICE: 290							
	260.000	0,183	0,03	1,328	0+09	2,491	0.12
	280,000	2.496	0,23	5,238	0+27	6.928	0.27
PRICE: 300							
	260+000	0.039	0.01	0.644	0.05	1,497	0 + 08
	280.000	0.896	0.10	3,030	0,17	4.610	0.19

TABLE 5 (Continued)

PUT PRICES

ŠTOCK: DEC LOWER PRICE: 30 UPPER PRICE: 60

.

0+62 0+79 0,05 0,12 0 \* 9 6 0 \* 9 9 0.210.39JUL 13,469 18,210 1.361 3.148 0.246 0.790 9,062 5,332 0.991.000 • 70 0 • 89 0\*05 0\*08 0.19 0,41 APR 0.866 2.581 14,041 18,922 5.116 9,247 0,073 0,385 1 • 00 1 • 00 0,11 0,45 0.02 0.87 0.99 JAN ♦ • • • • • • • • • • • • • 0.246. 1.678 14.64919.610 $0.001 \\ 0.041$ STRIKE PRICE 45.000 50.000 45.000 50.000 45,000 50,000 45,000 50,000 30 0 tr 0 10 60 PRICE: FRICE: PRICE: PRICE:

will have the same strike prices as the calls which are currently traded. This table includes values for options on IBM and DEC. IBM and DEC.

Table VI is directly analogous to Table II. It lists all possible neutral spreads on the two stocks and provides information concerning the excess value, commission costs, margin requirements, lost interest and dollar volatility. Market prices for the puts have been arbitrarily chosen to illustrate the approach used to apply this strategy. These prices are shown at the top of Table VI.

The spreads are ranked according to the dollar volatility of each side. Recall that the spreads are neutral. Therefore, the dollar volatility of the entire spread is zero. The dollar volatility shown in this table applies to each side of the spread. It is an indication of how much one can expect the price of one side of the spread to fluctuate during a one year period. Naturally, the spread will not be held for more than a few weeks, so this is merely a convenient method of ranking the spreads.

The examples listed in Table VI are based on the assumptions that the price of IBM is \$280 a share and the price of DEC is \$50 per share. The spreads are initiated on December 5, 1977.

Table VII shows the predicted results of a spread if it could be sold immediately for the value predicted by the model. The spread consists of a long position in 2.097 contracts of IBM January 280 puts and a short position in 5.697 IBM 260 puts. Referring to the line corresponding to a stock price of \$280, it can be seen that the long position was overpriced by \$49.60 and the short position was overpriced by \$262.50. If the option prices are adjusted to the values, the result would be a potential tax deduction of \$49.60 in the current year.

Put Spreads TABLE 6

ENTER DATE, INTEREST RATE 12 05 .06

WHICH SUBROUTINE DO YOU WANT 4

NUMBER OF STOCKS:

r.

STOCK: ТВМ

ENTER CURRENT PRICES STOCK: 280.

JAN 260.000: .75 APR 260.000:

ŕ

JUL 260.000: 4.

JAN 280,000:

6. APR 280.000: 8.5

JUL 280.000:

10. STOCK: DEC ENTER CURRENT PRICES STOCK: 50. JAN 45.000: .25 APR 45.000: 1.

45,000:

50.000 NAU 19 1 • 5 1

1.75 APR 50.000: 2.5 Jul 50.000: 3.25

PUT SPREADS

61

TABLE 6 (Continued)

1821.815 541.809 83.866 83.692 82.286 42.015 4368.130 431.774 19,968 38.926 38,582 327.464 326.356 52+579 47.429 12,739 .12,557 87.722 41.068 32.426 203.674 54,087 109.903 30.795 30.595 28,745 27.973 26.425 186.227 42+071 30L • V0L LOST INT 2191.69 457.39 119.71 28.02 5.22 8.92 9.36 31.38 10.09 58.69 8.78 25,80 6.43 0.05 115.04 17.51 17.51 22.35 27.35 77.25 15.77 15.77 0.18 0.06 5.11 189.75 8.60 19.64 488.76 107.38 174.38 3159.75 43.38 174.19 19.26 21.86 436.47 127.27 24.68 34,44 109.24 271.15 151.95 318.16 459.43 334.97 72.36 301.52 36077.45 919,94 166.16 488,15 222.10 7416.68 1951.07 .65,61 306.80 164.44 CASH COMMISSION 66.253 90.586 25.292 6.137 3.071 10.631 9,716 2,716 2.104 3.066 1.713 1.249 0.968 3.040 0.946 2.405 0,733 4.557 6.462 0,751 10.177 6 • 1 0 9 0.968 2.626 1.313 3,253 4.024 3,417 0.684 EXCESS 212,90 83,42 36.94 1.84 0.85 6.63 1.28 1.69 0.20 1.59 0.58 0.53 11.63 0.41 260.000 45.000 45.000 45.000 45.000 280.000 45.000 260.000 260.000 50,000 260.000 45+000 260.000 260.000 45,000 260.000 45.000 280,000 280,000 280.000 50.000 50.000 45.000 45,000 50.000 260.000 260,000 260,000 260.000 SHORT APR APR APR JAN JUL APR JAN APR APR NAU 498 498 498 APR APR NAU APR NAU NAU NAU NAU NAL NAL JUL Ę ٦P Ę Ę Ë ₫ -5.697 -7,533 -0.072 -1.970 -0.493 -0.173 -0.645 -0.740 -0.213 -0.637 -0.073 -0.192 -0.517 -0.496 -0.054 -0.193 -0,363 -0.040 -0.165 -0.170 -0.051 -0.095 -0.118 -0+076 -0.226 -0.055 -0.065 -0.143 -0.107 -0.071 SUBROUTINE DO YOU WANT 260+000 260+000 280.000 45.000 260,000 280.000 45,000 260,000 50.000 280,000 45,000 280.000 LONG NAL JAN APR APR APR JUL APR JUL JUL JUL JUL JUL JAN APR APR APR -NUN JUL JAN とよう NUN NUN NAU JUL APR APR JUL JUL NAL 0.058 1.006 0.229 0.188 0.5560 0,060 0.057 0,107 0.168 0.035 2.097 3,125 0.209 0.015 0.015 0.403 0.048 0.304 0.096 0.019 0.606 0.244 0.144 0.240 0.047 0.311 0.207 WHICH 

Results of Put Spreads If Sold Immediately TABLE 7 WHICH SUBROUTINE DO YOU WANT STOCK: IBM LOWER PRICE: 270 UPPER PRICE: 270 UPPER PRICE: 290 LONG OPTION NUMBER: 2.097 ENTER DATE, INTEREST RATE 12 05 .06 6. SHORT OPTION NUMBER SOLD: 5.697 I: 2 Price paid: 3. PRICE PAID: \*\* ---1 4

RESULTS OF PUT SPREADS

SHORT DELTA	150.06	143,38	136.89	130.59	124.47	118.54	112.01	107.26	101,91	96.74	91,76	86,97	82,37	77,95	17.77			65•/J	62,03	58.47	55 • 08	40.15	
LONG DELTA	140.43	135.77	131.01	126,19	121,30	116.33	111,43	106.48	101,53	96.62	91°75	86,95	82,23	77,59		00	60.04 2	64.36	60.20	56,20	45° N	V7 0V	LD + 01
PROFIT	50,42	58,77	65.28	70.26	73.93	76.63	78,52	79,95	80.82	80.64	30.40	80.30	80,38	80.68			82 *2/	83,63	85.39	87,59	90.23	· * * * C	10 <b>.</b> 0k
SHORT CHANGE	930,29	783,75	643,77	510,15	382,72	261,28	145,67	35,67	-68,90	-168.23	-262,50	-351.90	-436.61			0/*262-	-664.43	-732,20	-796,16	-856.47	-013.32		*00 * 0 *
LONG CHANGE	1113+20	975,02	041.50	712,91	589.15	470.40	356+69	248+12	144,42	44.91	-49.60	-139.11	X7,X70-			-378+90	-449.66	-516+07	-578,27	-636.39	-490.59	, ) , , , , , )	-/41,03
COMMISSIONS FAID	132,50	132.50	132.50	132,50	132,50	132.50	132,50	132,50	132.50	132.50	132.50	132.50		> ( • 0 • 0 • 1 • 1		132.50	132,50	132.50	132,50	132.50	1 70 50		132,50
SHORT	5.497 APR 260.000	APR	apr.	APR APR	5.497 APR 260.000	a a⊂	APR.	AP.R.	a a a	200 0	200 000	i ŭ ŭ V	2 Q Q C <		ЯЧЯ	5.697 APR 260.000	5.697 APR 260.000	APR	APR	A d C	: 00×		5.697 APR 260.000
LONG	000 101 100 C				222,020 NHU 700,0 000,020 NAU 700,0									NGU	NAU	NAL	IAN.	ΝĢΙ	NAL	IVVI		NEC.	2.097 JAN 280.000
STOCK		N 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0		0000 V/V	AV0+000						000 V00	200* 000	281.000	282+000	283,000	284,000	285,000	286.000	287,000			287,000	290+000

WHICH SUBROUTINE DO YOU WANT

As in Table III, it can be seen that the position remains fairly neutral over a wide range of stock prices; the delta of the long position is approximately equal to the delta of the short position. It can also be seen that the potential deductions grow as the stock price varies. However, the side of the spread which will be used for the deduction is reversed from the previous case. Here, for increases in stock price, the deduction is obtained by selling the long position rather than repurchasing the short position. For decreases in the stock price, the deduction is obtained by repurchasing the short position.

Table VIII shows the results of the put spread on December 31, 1977. Because both options have come closer to expiration, their values and deltas have changed. The spread is no longer neutral. It is assumed that the prices have adjusted to equal the values.

The investor has used \$36077.45 as margin to enter this spread. The cash outlay is high because of the large number of naked April 260 options. Each naked option contract requires approximately \$8400 in margin. If the stock price declines to \$270, the investor will have the opportunity to deduct \$579.33 for tax purposes. In addition, the investor would theoret-ically have a \$203.26 profit. If the stock price increased to \$290, a \$1033.43 deduction would result.

The decision of whether or not to establish the neutral spread is supported by the information provided about the delta of the remaining side of the spread. For the latter case, when the stock price increases to \$290, the long option would be sold to recognize a loss. The remaining short position would have a delta of \$43.29. Each one point change in the stock price would cause a \$43.29 change in the value of the short position.

-975.94 -1031.23 -1082.88 -279.99 -377.55 -469.54 -556.19 -637.69 -786.18 -853.61 48.66 -67.08 300.02 -1131.07-1176.00-714.28 579.33 436.06 -916.79 64 CHANGE SHORT -402.43 -495.10 -580.44 -658.71 -730.16 -730.16 597.73 448.27 305.36 169.29 40.30 -81.42 -195.64 -302.28 -906.65 -953,95 -996+09 -1033.43 -853,81 915.09 753,45 LONG CHANGE RESULTS OF PUT SPREADS Results of Put Spreads If Held Until December 31 COMMISSI\_NC 132.50 132.50 32,5 260.000 260,000 260,000 260.000 260.000 260,000 260,000 260.000 260,000 260,000 260,000 260,000 260.000 260.000 260.000 260,000 APR 260.000 260.000 260.000 260,000 260,000 TABLE 8 SHORT FUT APR AFR APR 5.697 5.697 5.697 5.697 5.697 5.697 5,697 5,697 5+697 5.697 5.697 5.697 5.697 5.697 5.697 5.697 5.697 5,697 5,697 5.697 5.697 280.000 280.000 280.000 280.000 280.000 280.000 280.000 280.000 280.000 280.000 280.000 280.000 280.000 280.000 280+000 280.000 280.000 280.000 280.000 280.000 280.000 WHICH SUBROUTINE DO YOU WANT INTEREST RATE LONG FUT JAN NAU NAL NAL NAU NAL JAN ZAU NAU NAL NAU NUN NAU NAL NAL NAL N N N AN JAN 2.097 2.097 2.097 2.097 2.097 2.097 2,097 2.097 2.097 2,097 2,097 2.097 2+097 2,097 2.097 2.097 .097 SHORT OPTION DATE, .06 PRICE PAID: 3. LOWER PRICE: NUMBER SOLD: UPPER PRICE: LONG OPTION NUMBER: PRICE PAID: 273.000 274.000 281.000 278,000 279.000 80.000 283.000 284.000 287,000 000\*88; 270,000 271,000 272.000 275,000 276+000 277.000 282.000 285,000 286,000 289.000 290,000 PRICE ENTER 12 31 STOCK: STOCK • 097 5.697 TBM 270 290

**SHORT** 

DELTA

LONG

PROFIT

164.47 158.71 152.59 146.16

### DELTA 147.12 139.75 132.61 125.71 106.40 94.72 89.23 83.97 78.94 119.04 74.14 69.56 53,36 43.29 65+19 61.04 57,10 49.82 46.40

88.85 81.76 74.87 61.87 61.84 139.45 132.50 125.37 1126.11 1118.11 1110.77 103.40 96.08 55.78

44.68 39.67

50.05

10.08 -5.08 -9.02 203.26 184.89 165.21 165.21 144.79 124.21 103.86 84.35 66.07 49.41 34.76 -10.37 -7.92 -3.57 21.27 2.48 -10,80

## 4.2 Spreads Between Stock and Options.

The same line of reasoning which was applied to spreads betwen options can be applied to spreads between stock and options. A neutral spread is constructed by setting the delta of the stock position equal to the delta of the option position. The size of each side is determined by setting the dollar curvature equal to unity.

The delta of a stock is identically equal to one. The gamma of a stock is equal to zero. The other variables required to define the spreads are:

D2= delta of the option

G2= gamma of the option

P= stock price

V= stock volatility

N1= number of shares of stock in the spread

N2= number of options in the spread

DC= dollar curvature=1

The delta of the spread becomes:

## DS=N1-N2\*D2

In order for the spread to be neutral, the spread's delta must be equal to zero. This leads to the following relationship between N1 and N2:

## N1-D2\*N2

Since the gamma of the stock is equal to zero, the spread's gamma simply equals the gamma of the option position, N2\*G2. The dollar curvature is equal to the gamma times the stock price squared times the volatility squared, and is defined to be unity. This leads to concise expressions for N1 and N2:

$$N2=1 /G2*P^2*V^2$$

4.2.1 Spreads Between Call Options and Stock

Table IX lists the spreads which can be formed between IBM and its call options, and the spreads which can be formed between DEC and its call options. The spreads are formed on December 5, 1977. The price of IBM is assumed to be \$280 per share. The price of DEC is assumed to be \$50 per share.

When forming these spreads, the investor can either buy the stock and sell the calls, or sell the stock and buy the calls. If the options are overpriced, they ought to be sold. If they are underpriced, they ought to be bought. The column labeled "excess" indicates how far the option prices differ from their model values.

The column labeled "lost int" lists the amount of interest that would be lost on money held by the broker. Although this figure is not directly relevant to the establishment of the spreads, it is of interest because it specifies an opportunity cost for this strategy.

The rightmost column lists the dollar volatility of the spreads. As previously stated, this is a measure of the expected price fluctuation of each side of the spread and is therefore an appropriate quantity by which to rank the spreads.

Table X illustrates the possible outcomes of one of the spreads if it were liquidated on December 5, 1977, the same day it was initiated. It has been assumed that the option prices adjusted to equal their values. This table provides information about the differences between the market conditions and the predicted conditions. The results of this table are straightforward and directly analogous to those of Tables III and VII.

ENTER DATE, INTEREST RATE 12 05 .06

WHICH SUBROUTINE DO YOU WANT 5

NUMBER OF STOCKS: Ċ4

STOCK: ТВМ

ENTER CURRENT FRICES STOCK: 280. Jan 260.000: 24. AFR 260.000: 29.

JUL 260.000: 34.

JAN 280.000: 8.5 APR 280.000: 14.75 Jul 280.000:

20.5 STOCK: DEC ENTER CURRENT PRICES STOCK: 50.

45.000: NAU

45,000: 

45,000:

50.000

50,000: 

50,000;

TABLE 9

Call Option - Stock Spreads

TABLE 9 (Continued)

CALL OFTION-STOCK SPREADS

UND 1	SHORT	EXCESS	COMMISSION	CASH	LOST INT	DOL . VOL .
F.OX SHARFS		4,391	2,41	519.47	1.50	239,31
IA WA CHARFS	-0.207 .111 45.000	11,205	7 • 89	262,16	1 * 79	212,43
	IAN .	6 • 375	2 + 07	514.49	0,62	210,94
	( 2 2 2 2 2 2 2 2	4 + 747	2,06	474.19	1,12	205.67
14.00 SHAPES	ŭ ŭ V	11.809	2×71	243,78	1,36	182,05
AO RHARES	NAL.	6 • 303	6+43	264,96	0 + 86	177 + 97
JA CHARTS	; =	1 • 767	1.40	298,38	0.08	131,32
STATES		1 . 179	10°4	165.59	0,29	124,23
010 010 000 010 010 000	10 00 00	- 878 - C	1.02	228.74	0.06	93,80
		4 . X 4 A	3,60	129.41	0,22	90.02
	NAN		0.57	134.95	0.03	51,22
AN	92 82 81	0,364	2,04	112,20	11.67	50.03

REGULTS         NICE:         NICE:         STICE:         If SHARES:         IID:         IIII:         IIII:         IIII: <th>OPTION-STOCK SPREADS TOCK OPTION ANGE -52.60 5.27 -48.01</th> <th>• · · · ·</th>	OPTION-STOCK SPREADS TOCK OPTION ANGE -52.60 5.27 -48.01	• · · · ·
TAID:       RESULTS OF         AID:       RESULTS OF         RESULTS:       RESULTS OF         RESULTS OF       RESULTS OF         STOCK       OFTION         STOCK <th>- C • •</th> <th>P R 12 12</th>	- C • •	P R 12 12
STUCK       OPTION         5:030       SHARES       -0.062 JUL       260.000         5:030       SHARES       -0.062 JUL       <	0PTION CHANGE -52.60 -48.01	PR0F1
<ul> <li>5.030 SHARES</li> <li>6.0062 JUL 260.000</li> <li>5.030 SHARES</li> <li>6.0062 JUL 260.000</li> <li>5.030 SHARES</li> <li>6.0062 JUL 260.000</li> <li>5.030 SHARES</li> <li>6.040 042 JUL 260.000</li> <li>5.030 SHARES</li> <li>6.040 040 040</li> <li>7.040 040 040</li> <li>7.040 040 040</li> <li>7.040 040<td>-52.60</td><td>+</td></li></ul>	-52.60	+
5.030       SHARES       -0.062       JUL       260.000         5.030       SHARES       -0.062       JUL       260.000 <td< td=""><td>-48,01</td><td></td></td<>	-48,01	
5.030 SHARES       -0.062 JUL 260.000		-1.56
5.030 SHARES       -0.062 JUL 260.000	-43,37	-1.16
5.030 SHARES       -0.062 JUL 260.000	-38.68	10.00 10.00
<ul> <li>5.030 SHARES</li> <li>5.030 SHARES</li> <li>5.030 SHARES</li> <li>5.030 SHARES</li> <li>5.030 SHARES</li> <li>5.030 SHARES</li> <li>6.062 JUL 260.000</li> <li>5.030 SHARES</li> <li>6.062 JUL 260.000</li> <li>5.030 SHARES</li> <li>6.062 JUL 260.000</li> <li>5.030 SHARES</li> <li>6.040 JUL 260.000</li> <li>6.030 SHARES</li> <li>6.040 JUL 260.000</li> <li>7.030 SHARES</li> <li>7.040 JUL 260.000</li> <li>7.030 SHARES</li> <li>7.040 JUL 260.000</li> <li>7.030 SHARES</li> <li>7.040 JUL 260.000</li> <li>7.030 SHARES</li> <li>7.030 SHARES</li> <li>7.040 JUL 260.000</li> </ul>	42.021	
5.030 SHARES 5.030 SHARES 5.030 SHARES 5.030 SHARES 5.030 SHARES 5.030 SHARES 5.030 SHARES 5.030 SHARES 5.030 SHARES 6.030 SHARES 7.030	1 V V V 1 4	
5.030       SHARES       -0.062       JUL       260.000       4	-10.00	00.0
5.030 SHARES       -0.062 JUL 260.000       4	-14.45	0.09
5.030 SHARES       -0.062 JUL 260.000       4	-9.46	0.13
5.030 SHARES -0.062 JUL 260.000 4 5.030 SHARES -0.062 JUL 260.000 4 5.030 SHARES -0.062 JUL 260.000 5 5.030 SHARES -0.062 JUL 260.000 5 5.030 SHARES -0.062 JUL 260.000 4 5.030 SHARES -0.062 JUL 260.000 4 5.030 SHARES -0.062 JUL 260.000 4	-4.42	0.12
5.030 SHARES -0.062 JUL 260.000 4 5.030 SHARES -0.062 JUL 260.000 5 5.030 SHARES -0.062 JUL 260.000 5 5.030 SHARES -0.062 JUL 260.000 5 5.030 SHARES -0.062 JUL 260.000 4 5.030 SHARES -0.062 JUL 260.000 4	0.66	0.07
5.030 SHARES         -0.062 JUL 260.000         4.	5.79	20*0-
5.030 SHARES         -0.062 JUL 260.000         4.	10,95	-0.16
5.030 SHARES -0.062 JUL 260.000 4. 5.030 SHARES -0.062 JUL 260.000 4. 5.030 SHARES -0.062 JUL 260.000 4.	16+16	4 M I
5.030 SHARES -0.062 JUL 260.000 4. 5.030 SHARES -0.062 JUL 260.000 4.	21.41	-0,56
3+030 SHARES -0+000X JUL 260+000 4+	26,69	-0.81
× V4V CTVDLC	325 4 1 1 2 1 2 1 2 1 2 1 2 1 2 1 2 1 2 1 2	
	\9 \ 9	
287.000 5.030 SHARES -0.062 JUL 260.000 4.30	42.77	
		11111 NUNUH11 NO4040400003H3NVN8 04004440003H3NVN8 0400444307944300074 44000074

WHICH SUBROUTINE DO YOU WANT

Table XI lists the results of the same spread if it is held until December 31, 1977. Assume that an investor bought 5.03 shares of IBM stock on December 5, 1977 and simultaneously sold .062 July 260 call contracts. The cash outlay was \$519.47. The possible outcomes which the investor would face on December 31, 1977 are listed in this table. If the stock price declined to \$270 per share, the investor would have a deduction of \$50.30, and a net capital gain of \$6.99. Alternatively, if the stock price increased to \$290, the investor would have a deduction of \$39.65 and a net gain of \$6.35.

The investor could realize his losses in the current year in exactly the same way he did in the previous strategy. That is, the investor could simply liquidate one side of the spread in the current year and delay liquidation of the other side until the following year. However, if the spread shows a loss in the option side of the spread and a gain in the stock side of the spread, the investor has another alternative for ending the spread. Payment dates for stock transactions are five business dates following the purchase or sale. However, payment dates for option transactions are the following day. Consequently, if the investor closes both the option and stock positions on the second to last trading day of the year, the losses on the options would be recognized in the current year and the gains on the stock would be recognized in the following year. This eliminates the market risk associated with holding an uncovered position into the new year.

## 4.2.2 Spreads Between Put Options and Stock

When constructing spreads between stock and put options, the investor will either buy both the stock and options or sell both. Table XII lists the put option-stock spreads which can be formed for IBM and DEC.

DELTA 5.03 5.03 5.03 5,03 2,03 5,03 LONG PROFIT 6.99 7.84 44.0 244 46.44 46 44 46 44 RESULTS OF CALL OPTION-STOCK SPREADS OPTION CHANGE -3.04 2.16 7.40 12.68 18.00 23,36 -61.59 -8.19 28.75 34,18 39,65 れ 10.06 25.15 30.18 35.21 40.24 20.12 45.27 STOCK CHANGE -50,30 -45.27 COMMISSIONS Results of Call Option - Stock Spreads If PAID Held Until December 31 260.000 260.000 260.000 260,000 260.000 260.000 260.000 260.000 260,000 260.000 260.000 260.000 260.000 260.000 260.000 260.000 260.000 260.000 260.000 260.000 260,000 TABLE 11 OPTION JUL JuL JUL ЧĽ ЧП JUL JUL JUL Ę Ч JuL JUL JUL JUL JUL JUL -0.062 -0.062 -0.062 -0.062 -0.062 -0.062 -0.062 -0.062 -0.062 -0.062 -0.062 -0.062 -0.062 -0.062 -0.062 -0.062 -0.062 -0.062 -0+062 -0.062 -0.062 WHICH SUBROUTINE DO YOU WANT SHARES INTEREST RATE STOCK 5.030 5.030 5.030 +020 5.030 NUMBER OF OFTIONS: -.062 NUMBER OF SHARES: LOWER PRICE: UPPER PRICE: ENTER DATE, 12 31 .06 PRICE PAID: PRICE PAID: 34. 270.000 271.000 277.000 277.000 2775.000 2775.000 2775.000 2775.000 2775.000 2775.000 2775.000 2775.000 2775.000 2775.000 2877.000 2887.000 2887.000 2887.000 285.000 286.000 287+000 288.000 289,000 290,000 STOCK STOCK: FRICE OPTION STOCK 5.03 280. 270 ΠBΜ 290 ੁ

DEL TA 4.55

SHORT

4.44 4.70 7.72 7.72 7.72 4440000 9440000 44000000 440000000

4.83

 5,38

00. 444 100

5.34

# 

ENTER DATE, INTEREST RATE 12 05 .06

WHICH SUBROUTINE DO YOU WANT S NUMBER OF STOCKS: STOCK: IBM ENTER CURRENT PRICES STOCK: STOCK: STOCK: PR 260.000: APR 260.000: APR 260.000: APR 260.000: APR 280.000: APR 280.

TABLE 12

Put Option - Stock Spreads

73

# TABLE 12 (Continued)

PUT OPTION-STOCK SPREADS'

DOL. VOL. 79.16

LOST INT

33.19 0.06 0.17

CASH 350+04

COMMISSION

EXCESS 1,833

> 50.000 280.000 50.000 280.000 280.000 280.000 260.000 250.000 250.000

JUL

-0.156

JUL

0.044

APP JUC APR

0,118

-0.207

PUTS

267.81 154.93

75.92 63.71

61+63

0,05

20,67

14,42 20,89 31,48 23,93 23,91

> 219.55 392.26 174.42 337.24

00+00 ••••• •••••

280,000 260,000 45,000

NAL

-0,070 -0,019

-0.172

-0+062

APR JAN

-0,052 -0,153

260+000

NAL

-0,048

19,60

41.61 40.63 39.85 39.49

53,93

25.58 40.50 19.20

209.80 285.61 483.33

1000001 4604040 7604040 76040 76040 76040

> 0,262 3,175 3,175 2,495 577 577

223,93 149,94

57,01

N	SHARES	SHARES	SHARES	SHARES	SHARES	SHARES	SHARES	SHARES	SHARES	SHARES	SHARES	SHARES	
STOCK	μo	SHS	ΨS	SH S	μΩ	SHA	ΗS	ЯHS	ΞHΩ	Ξs	ΞΩ	ΞſΩ	
	-6+09	1 + 60	4,90	4 2 9 1	-4,39	-1.13	-3+20	-3,13	<b>*</b> 0 • 0 <del>•</del>	-0*83	-1.59	-0.41	
	DEC	ТВМ	DEC	TBM	DEC	TBM	DEC	DEC	ПВМ	ИЗІ	DEC	IBM	

WHICH SUBROUTINE DO YOU WANT

The spreads are formed on December 5, 1977. The assumptions used in this example are identical to the assumptions in the previous examples.

Tables XIII and XIV list the possible outcomes for a particular spread. Table XIII is based on closing the position on December 5. It assumes that the option prices adjust to their values immediately. Table XIV is based on holding the spread until December 31. If the price of the stock declines, the value of the puts will increase. Since this spread has a short position in the puts, losses will occur on the put side and gains will occur on the stock side. If the stock price rises, the situation is reversed.

The decision to sell the puts was made because they were overpriced when the spread was established. However, by setting up the spread in this manner, the result will be a capital loss on the spread for all of the stock prices shown. If the stock and puts had been purchased, the excess value of the spread would have been negative and the profits on the spread would have been even more negative than shown in the table. 4.3 Spreads Between Puts and Calls

Spreads can be formed between puts and calls on a stock. The spread is constructed by either purchasing both sets of options or writing both sets. A straddle is a spread consisting of one put and one call, each of which has the same strike price and expiration date. However, many other spreads can be formed between the options. IBM has six call options. It will soon have six put options. It is therefore possible to form a total of thirty-six unique spreads.

The spreads formed in this strategy are neutral and have a dollar curvature equal to unity. The number of options on each side of the spread is determined by the same equations that were used in the first strategy.

74

ENTER DATE, INTEREST RATE 12 05 +06 WHICH SUBROUTINE DO YOU WANT

11 STOCK: DEC LOWER PRICE: 40 UPPER PRICE: 60 STOCK NUMBER OF SHARES: -6.09 PRICE PAID: 50. 0PTION NUMBER OF OPTIONS: -1156 1: -1156 1: -1156 1: 3.25

RESULTS OF PUT OPTION-STOCK SPREADS

		-11.81	-11,21	-10.58			-8.61			-6+68		00°01	-4.95				-3,13					
	6.09		60.0			60.0					6.09	6.09					6.09					
z	-35.74				-15.32	-11.81	-8.96	-6.79	-5.27	-4.36		-4.37		-6.64							-28	
CHANGE	-90,75	-78,65	-67,13						-11,55	-			12,83					31.72	34.31	36.58	38.57	
S STOCK CHANGE	60.90								12.18		0.00	·	-12,18						-48.72		-60.90	
COMMISSIONS Paid	5.89	5+89	5.89	5.89	5.89	5.89	5,89	5.89	5,89	5.89	5,89	5,89	5.89	2,89	5.89	5,89	5,89	5,89	5.89	5,89	5.89	
OFTION				JL 50.000																		
051	-0.156 JL			-0,156 JUL																		
STOCK	-6.090 SHARES									-6.090 SHARES							-6.090 SHARES		-6.090 SHARES	-6.090 SHARES		WHICH SUBROUTINE DO YOU WANT
STOCK PRICE	40,000	41.000	42.000	43,000	44,000	45.000	46.000	47.000	48,000	49.000	50.000	51,000	52,000	23,000	54.000	55.000	56.000	57,000	58,000	59,000	60.000	WHICH SUB

75

Results of Put Option - Stock Spreads If Sold Immediately

TABLE 13

INTEREST RATE ENTER DATE, 12 31 .06

Results of Put Option - Stock Spreads If Held Until December 31 WHICH SUBROUTINE DO YOU WANT 11 STOCK: DEC LOWER PRICE: STOCK NUMBER OF SHARES: -6.09 PRICE PAID: 50. 0PTION NUMBER OF OPTIONS: -1156 40 UPPER PRICE: 60 6 FRICE PAID: 3.25 ÷

RESULTS OF PUT OPTION-STOCK SPREADS

STOCK	STOCK	OPTION	2	COMMISSIONS	STOCK	OPTION	PROFIT	STOCK	PUT
PRICE				PAID	CHANGE	CHANGE		DELTA	DELTA
40.000	-6.090 SHARES	156	50.000	5.89	60.90	-91.40	-36.39	6.09	-12,76
41.000	-6.090 SHARES	0 10	50.000	5°.09	54.81	-78.92	-30,00	6.09	-12,19
42.000	-6.090 SHARES	-0.156 JUL	50.000	5.89	48.72	-67.03	-24,20	6.09	-11.58
43.000	-6.090 SHARES	90	50.000	5,89	42,63	-55,77	-19.03	6.09	-10.94
44.000	-6.090 SHARES	0 10	50.000	50°0	36.54	-45,16	-14.51	60.6	-10.26
45.000	-6.090 SHARES	ง เก	50,000	رو 100	30,45	-35,24	-10.68	6.09	-9.57
46.000	-6.090 SHARES	ຈ	50.000	0.09 09	24.36	-26.01	-7.05	6109	-8,87
47,000	SHARE	9 10	50.000	5, 39	18.27	-17.49	-10. -12	6.09	-8.18
48.000	-6.090 SHARES	م	50.000	5,89	12.18	-9,68	-3.40	6.09	-7.49
49,000		ຈ	50.000	5 <b>•</b> 89	6+05	-2,53	50 * 33	6009	-6.82
50,000	-6.090 SHARES	ຈ	50.000	5°.89	00*0	3,98	-1.91	6.09	-6.17
51.000	-6.090 SHARES	ຈາ ເວ	50.000	ດ ເ	-6.09	9,85	-2,13	6109	-5.56
52,000	-6.090 SHARES	່ 0 ເກ	50.000	5,89	-12.18	15,12	-2,96	6.09	-4.98
53,000	-6.090 SHARES	ຈ	50.000	5,89	-18,27	19,81	-4.35	6,09	-4.43
54.000	-6.090 SHARES	ຈ ທ	50.000	5.89	-24.36	23.99	-6.27	6.09	26*2-
55,000	-6.090 SHARES	ч 10	50,000	68°0	-30.45	27,68	-8+66	6.09	-3.47
56.000	-6.090 SHARES	90	50.000	5,89	-36.54	30.93	-11.50	6,09	-3.04
57.000	-6,090 SHARES	ទ	50.000	5.89	-42.63	33,78	-14,75	6.09	-2,66
58.000	-6.090 SHARES	•0 ເວ	50.000	5,89	-48.72	36.26	-18,35	6.09	-2.31
59,000	-6.090 SHARES	•0 ເວ	50,000	5°89	-54.81	38.42	-22,28	6.09	-2.01
60.000	-6.090 SHARES	-0.156 JUL	50,000	5.89	-60,90	40.29	-26.50	6.09	-1,73

WHICH SUBROUTINE DO YOU WANT

76

TABLE 14

) 、

All of the possible spreads are listed in Table XV. This table contains the same information that was provided in Table II, VI, IX, and XII.

Tables XVI and XVII list the possible outcomes of a spread if the positions are closed on December 5 and December 31, respectively. The analysis of these tables is exactly the same as their counterparts in previous strategies.

4.4 Comparison of the Strategies

The examples provided for each of the three strategies have all used the same stocks, the same time interval, and the same risk (dollar curvature). Each of the strategies has the same objective, that is, to defer income. Consequently, the examples provide a convenient medium for comparing the effectiveness of the strategies.

On December 5, 1977, the investor is faced with the problem of establishing a spread to defer income. He realizes that there are a total of 78 possible spreads that he can construct between the calls, puts and stock if he restricted himself to IBM and DEC. The best spread for any situation will depend on potential tax savings, the investor's risk aversion, and potential capital gains. In the series of examples which have been presented in this thesis, it is clear that the best spread is between the IBM April 260 and January 260 call options. This spread provides the highest potential tax deduction for the risk. However, a different spread might be chosen if the investor has a cash constraint.

77

ENTER DATE, INTEREST RATE 12 05 .06

WHICH SUBROUTINE DO YOU WANT

NUMBER OF STOCKS: 1 NO.

STOCK: IBM

ENTER CURRENT PRICES STOCK: 280. Jan 260.000CALL: 24. Jan 260.000 PUT: .75 APR 260.000 PUT: 29. APR 260.000 PUT:

'n

JUL 260.000CALL: 34. JUL 260.000 PUT: 4.

JAN 280.000CALL: 8.5 Jan 280.000 Put:

6. AFR 280.000CALL: 14.75 AFR 280.000 PUT: 8.5 JUL 280.000CALL: 20.5 JUL 280.000 PUT: 10.

TABLE 15

Put-Call Spreads

79

## TABLE 15 (Continued)

PUT-CALL SPREADS

DVWMVVV	1004000 4040004	400000		988077448444 18807777938 18809777938 188099984349
H\$QQ+3	, u c u c a w	ផ្លំលំហំហំពំ	0 $0$ $0$ $0$ $0$ $0$ $0$ $0$ $0$ $0$	
0 • • • • • C 0 M O 🕈 M	· · · · · · · · · · · · · · · · · · ·	709-98 821-11 512-92 512-92 882-82 482-82 482-21		NA 4 4 A 9 8 9 8 4 8 4 8 4 8 4 8 4 8 4 8 4 8 4 8
			* * * * * * * *	00000000000000000000000000000000000000
<u>[1]</u> * * * * *		19999990 1990909 19909909 199099909	440M40D0 64040440 40404440	
164 JUL 260 228 JUL 260 161 APR 280 103 JUL 280 095 APR 280		062 AFR 280. 064 JUL 280. 105 JUL 280. 047 AFR 280. 046 AFR 280.		0524 JAN 280 0624 AFR 260 0253 AFR 260 0788 JAN 280 0781 JAN 280 0551 JAN 260 0553 JAN 260 0553 JAN 260 10N 260 10N 260
CALL -0.381 JAN 280 -0.139 AFR 280 -0.113 JAN 280 -0.060 JUL 280 -0.064 201 280	-0.000 AN 280. -0.064 JAN 280. -0.059 JAN 280. -0.044 AFR 280. -0.030 AFR 280.	-0.029 JUL 280. -0.029 JUL 280. -0.023 APR 260. -0.022 APR 260. -0.020 JAN 260.	-0.018 APR 260. -0.017 JAN 260. -0.024 APR 260. -0.024 APR 280. -0.019 JUL 280. -0.019 JUL 280.	-0.011 JAN 260 -0.012 JAN 260 -0.012 JAN 260 -0.012 JUL 260 -0.012 JUL 260 -0.0012 JAN 280 -0.0012 JAN 280 -0.005 AFR 280 -0.005 JAN 280 -0.005 JAN 280 -0.005 JAN 280
Ю H + 0 + 0 + 0 + 0 + 0 + 0 + 0 + 0 + 0 +			* * * * * * * *	

WHICH SUBROUTINE DO YOU WANT

BHCTA DELTA DELTA 29.92 29.85 29.83 27.82 25.87 25.85 25.75 25.25 25.85 25.85 25.85 25.85 25.85 25.85 25.85 25.85 25.85 25.85 25.85 25.85 25.85 25.85 25.85 25.85 25.85 25.85 25.25 25.85 25.25 25.85 25.25 24.02 23.12 22.23 18.26 17.52 16.82 19,79 20,59 21.41 DELTA 112:55 113:55 114:55 114:55 115:43 115:45 115 21.43 22.30 23.16 24.00 LONG 24.83 25.63 26.41 27.16 27.89 28.59 29.26 -44.00 -32.32 -22.51 -14.57 -8.48 -4.19 -1.52 -13,97 -21,32 -30,17 -50.49 -52.22 -65.32 -79.74 -73.03 -57,57 -8.19 PROFIT -90.39 -4.01 64.53 41.03 18.34 256.01 225.66 196.35 168.05 140.76 114.42 -117.78 -165.23 -3,48 -24.48 -44.67 -64.07 CHANGE -82,71 134.27 -150.07 80 FUT RESULTS OF FUT-CALL SPREADS -22,41 -70.41 -95.66 -121.69 -128.49 -148.49 -204.28 -233.22 CHANGE CALL COMMISSIONS 000000 00000 000000 000000 000000 26,26 FAID Results of Put-Call Spreads If Sold Immediately 260.000 260.000 260,000 260,000 260,000 260.000 260.000 260.000 260.000 260.000 260.000 260.000 260+000 260.000 260+000 260.000 260,000 260.000 260.000 260,000 TABLE 16 PUT ЧЧ ЧЧ JUL JUL JUL JUL JUL JUL JUL -L L L JUL JUL JUL JUL JUL J JUL Ę -1,164 -1.164 -1,164 -1.164 -1,164 -1.164 -1,164 -1, 164-1,164 -1+164 -1.164 -1.164 -1.164 -1.164-1.164 -1,164 -1.164 -1.164 -1.164 -1,164 -1.164 280.000 280.000 280.000 280.000 280.000 280+000 280.000 280.000 280.000 280,000 280.000 280.000 280.000 280.000 WHICH SUBROUTINE DO YOU WANT INTEREST RATE CALL NAU NAL NGU NAL NAU JAN NAL NAU NAL NAL JAN NAL NGU NAU NAL JAN NAL ZAL NAL Ner RAL -0.381 -0,381 -0.381 -0.381 -0.381 -0.381 -0.381 -0.381 -0.381 -0.381 -0.381 -0.381 -0.381 -0.381 -0.381 -0.381 -0,381 -0.38. -0,38: -DWER PRICE: UPPER PRICE: ENTER DATE, 12 05 .06 CALL OFTION PRICE PAID: 8.5 PUT OPTION PRICE PAID: 2770.000 2771.000 2772.000 2775.000 2775.000 2775.000 2775.000 2775.000 2775.000 2775.000 2887.000 2887.000 2887.000 2887.000 NUMBER: -1.164 285,000 286,000 287,000 NUMBER: 288,000 90,000 289,000 PRICE STOCK: STOCK -,381 270 290 TBM

19.01

15.46 14.82 14.20

WHICH SUBROUTINE DO YOU WANT

16.13

## g,

212.17 181.76 124.24 97.08 -122,24 -201.38 CHANGE 152,46 -156.04 -171,84 -186+95 PUT RESULTS OF PUT-CALL SPREADS 254.68 2431.60 2311.60 218.23 2031.57 203.57 187.58 1187.58 1170.23 1151.51 151.51 110.34 110.34 87,74 63,86 38,75 273,22 264**,**49 12,44 -14.99 -43,49 -72,99 -103,44 -134,75 CHANGE CALL COMMISSIONS 26+26 PAID Results of Put-Call Spreads If Held Until December 31 260,000 260,000 260,000 260,000 260,000 260.000 260.000 260,000 260.000 260,000 260.000 260.000 260.000 260.000 260+000 260.000 260.000 260.000 260.000 260.000 260.000 TABLE 17 FUT H F F 불불불 JUL JUL JUL JUL JuL JuL JUL JUL. JUL JUL JUL JUL -1,164 -1,164 -1.164 -1,164 -1.164 -1,164. -1.164 -1,164 -1.164 -1.164 -1,164 -1,164 -1,164 -1,164 -1.164-1,164 -1,164-1,164 -1,164 -1,164 -1,164 280,000 280,000 280.000 280,000 280,000 280,000 280.000 280,000 280.000 280.000 280.000 280.000 280+000 280.000 280,000 280,000 280.000 280.000 280.000 WHICH SUBROUTINE DO YOU WANT INTEREST RATE CALL JAN NAU NAU JAN JAN NAL JAN JAN NAN NAN NAU JAN NGU JAN JAN NAL JAN -0,381 -0.381 -0.381 -0,381 -0,381 -0,381 -0,381 -0,381 -0\*381 -0.381 -0\*381 182.0--0,381 -0.381 -0.381 -0.381 -0.381 -0.381 -0,381 JPPER PRICE ENTER DATE, 12 31 .06 JOWER PRICE CALL OPTION PRICE PAID: FUT OPTION PRICE PAID: 282 • 000 283 • 000 287,000 288,000 NUMBER: NUMBER: 270.000 281+000 284,000 285,000 286+000 289.000 290.000 STOCK PRICE STOCK: -1.164-,381 Mai 270 290 ເດ ເດ \*\* ٥. ¢

SHORT

LONG

PROFIT

34,79 56,46

DELTA

81

20 • 08 19 • 24 17.64 16.83 15,44 14,75 14,09 16,15 18,43 13,45 

114.78 102.09 87.69 71.68 54.15

.25,69

75.95 93.23 93.23 108.25 1131.48 1131.48 1139.65 1149.05 1149.05 1149.05 1149.77 1146.84 134.72 134.72

WHICH SUBROUTINE DO YOU WANT

## 5.0 APPENDIX

A variety of computer programs have been written to support the analyses performed in this study. These programs were designed to be interactive. The programs prompt the user for any data which are required.

The programs have been loaded in two modules due to the core limitations of the computer being used. These modules are named \*MA1 and \*MA2. The data file is named DASTA. All of the subprogram codes are presented at the end of this paper.

The program \*MAl provides analyses of the call spreads, and the call option-stock spreads. After date and interest rate information is input, the program asks for a subroutine request. This informs the program which analysis is desired. The following is a list of available subroutines for use in \*MA1:

Subroutine

- 1 terminates program execution
- 2 supplies the call values and deltas for a single stock price
- 3 supplies the call values and delta for a range of stock prices
- 4 presents an analysis of all possible spreads between call options on a particular stock
- 5 presents an analysis of all spreads between the stock and the call options.

The program \*MA2 provides analyses of the put spreads and the put option-stock spreads. It also has subroutines which present an analysis of spreads between put options and call options. In addition, \*MA2 has subroutines which present the possible outcomes of any spread for a range of possible prices of the underlying stock. The subroutines are:

- 1 terminates program execution
- 2 supplies put values and deltas for a single stock price
- 3 supplies the put values and deltas for a range of stock prices
- 4 presents an analysis of all possible spreads between put options on a particular stock
- 5 presents an analysis of all possible spreads between put options and stock
- 6 presents an analysis of all possible spreads between put options and call options on a particular stock
- 7 presents the possible outcomes of spreads between put options
- 8 presents the possible outcomes of spreads between put options
- 9 presents the possible outcomes of spreads between call options and stock
- 10 presents the possible outcomes of spreads between put options and stock
- 11 presents the possible outcomes of spreads between put options
  and call options.

PROGRAM: \*MA1

-

```
INTEGER NOP, SR, H, ENT, EXP, CYC
      DIMENSION NAME(10), VOL(10), NOP(10)
      DIMENSION EXP(2,3), OP(10,9), TD(10,9)
      DOUBLE PRECISION NAME
      EXP(1,1) = 386
      EXP(1,2)=470
      EXP(1,3)=561
      EXP(2,1)=414
      EXP(2,2)=505
      EXP(2,3)=596
      DO 20 I=1,10
      READ (5,30,END=25) NAME(I), VOL(I), NOP(I),CYC
      J=NOP(I)
      DO 10 K=1,J,3
      READ (5,40) OP(I,K)
      1.=:长十1
      OP(I_yL) = OP(I_yK)
      ∟≕∟+1
      OP(I_{J}L) = OP(I_{J}K)
      TD(I,K) = EXP(CYC,1)
      TD(I_{V}K+1) = EXP(CYC_{V}2)
      TD(I,K+2) = EXP(CYC,3)
10
      CONTINUE
20
      CONTINUE
25
      ENT=I
30
      FORMAT(A3,1X,F3,2,1X,I2,1X,I2)
40
      FORMAT(F6.3)
45
      WRITE(1,50)
      READ(1,60) MONTH, DAY, R
46
      WRITE (1,70)
      READ(1,80) SR
50
      FORMAT('ENTER DATE,
                             INTEREST RATE()
60
      FORMAT (12,1X,12,1X,F3.2)
70
      FORMAT(/, WHICH SUBROUTINE DO YOU WANT()
80
      FORMAT(12)
      IF (MONTH. EQ. 1) JD=DAY
      IF (MONTH, EQ. 2) JD=DAY+31
      IF (MONTH, EQ, 3) JD≕DAY+59
      IF (MONTH, EQ, 4) JD=DAY+90
      IF (MONTH, EQ, 5) JD=DAY+120
      IF (MONTH, EQ, 6) JD=DAY+151
      IF (MONTH, EQ. 7) JD=DAY+181
      IF (MONTH, EQ. 8) JD=DAY+212
      IF (MONTH, EQ. 9) JD=DAY+243
      IF (MONTH. EQ. 10) JD=DAY+273
      IF (MONTH, EQ, 11) JD=DAY+304
      IF (MONTH, EQ, 12) JD=DAY+334
      GO TO (201,202,203,204,205), SR
      CALL PRICE(NAME, OP, NOP, VOL, TD, JD, R, ENT)
202
      GO TO 46
203
      CALL VARY(NAME, OP, NOP, VOL, TD, JD, R, ENT)
      GO TO 46
      CALL OPSPR(NAME, OP, NOP, VOL, TD, JD, R, ENT)
204
```

85

	GO TO 46
205	CALL SSP(NAME,OP,NOP,VOL,TD,JD,R,ENT)
	GO TO 46
201	CALL EXIT
	END

.

	SUBROUTINE PRICE(NAME,OP,NOP,VOL,TD,JD,R,ENT) 88
	DIMENSION NAME(10),NOP(10),OP(10,18), VOL(10),TD(10,18)
	DOUBLE PRECISION NAME, CD1, CD2, CD3, STOCK
	INTEGER H,ENT
	WRITE(1,10)
10	FORMAT('STOCK:')
	READ(1,20) STOCK
20	FORMAT(A3)
	DO 30 I=1,ENT
	IF (NAME(I), EQ, STOCK) GO TO 40
30	CONTINUE
	WRITE(1,35)
35	FORMAT('STOCK NOT IN DATA SET')
	GO TO 10
4()	
	WRITE(1,50)
50	FORMAT('PRICE:')
	READ(1,55) X
55	FORMAT(F7.3)
	N=NOP(H)
	V=VOL(H)
	CD1=CALD(TD(H,1))
	CD2=CALD(TD(Hy2))
	CD3=CALD(TD(H,3))
4 A A	WRITE(1,100) FORMAT(32X,'CALL PRICES')
100	WRITE (1,60) CD1,CD2,CD3
60	FORMAT(///STRIKE PRICE//6X/A4/15X/A4/15X/A4)
ωV	DO 80 I=1/N/3
	T=(TD(H,I)-JD)/365
	CALL VAL(V,X,OP(H,I),T,R,V1,D1,G1)
	T = (TD(H, I+1) - JD)/365
	CALL VAL(V,X,OP(H,I+1),T,R,V2,D2,G2)
	T=(TD(H,I+2)-JD)/365
	CALL VAL(V,X,OP(H,I+2),T,R,V3,D3,G3)
	WRITE(1,70) OP(H,I),V1,D1,V2,D2,V3,D3
70	FORMAT(F7.3,3(4X,F6.3,4X,F4.2))
80	CONTINUE
	RETURN
	END

.

	SUBROUTINE VARY(NAME,OF,NOP,VOL,TD,JD,R,ENT) 90
	DIMENSION NAME(10),NOP(10),OP(10,18), VOL(10),TD(10,18)
	DOUBLE PRECISION NAME, CD1, CD2, CD3, STOCK
	INTEGER X,H,ENT
	WRITE(1,10)
10	FORMAT('STOCK:')
1. V/	READ(1,20) STOCK
20	FORMAT(A3)
<i>x.</i>	DO 30 I=1/ENT
	IF (NAME(I), EQ. STOCK) GO TO 40
30	CONTINUE
1317 1	WRITE(1,35)
35	FORMAT('STOCK NOT IN DATA SET')
00	GO TO 10
40	Hel
~7 V	WRITE(1,50)
50	FORMAT('LOWER PRICE:')
50	READ(1,55) I1
	WRITE(1,51)
10. <sup>11</sup> - 1	FORMAT('UPPER PRICE:')
51	READ(1,55) I2
55	FORMAT(I3)
~J~J	N=NOF(H)
	V=VOL(H)
	CD1=CALD(TD(H,1))
	CD2=CALD(TD(H,2))
	CD3=CALD(TD(H,3))
	WRITE(1,200)
200	FORMAT(42X, CALL PRICES')
~~~	WRITE (1,60) CD1,CD2,CD3
60	FORMAT(/,15X, 'STRIKE PRICE',6X,A4,15X,A4,15X,A4)
ωv.	PO(100 X=11,12,10)
	WRITE(1,110) X
110	FORMAT('PRICE:'/1X/I3)
a. a. w	Y=X
	DO 80 I=1,N,3
	T = (TD(H,I) - JD) / 360
	CALL VAL( $V_{3}Y_{3}OF(H,I)_{3}T_{3}R_{3}VI_{3}DI_{3}GI)$
	T = (TD(H, I+1) - JD)/360
	CALL VAL( $V_{y}Y_{y}OP(H_{y}I+1),T_{y}R_{y}V2_{y}D2_{y}G2)$
	T = (TD(H, I+2) - JD)/360
	CALL VAL(V,Y,0P(H,1+2),T,R,V3,D3,G3)
	WRITE(1,70) OP(H,I),V1,D1,V2,D2,V3,D3
20	FORMAT(15X,F7.3,3(4X,F6.3,4X,F4.2))
80	CONTINUE
100	CONTINUE
	RETURN
	END

	SUBROUTINE OPSPR(NAME, OP, NOP, VOL, TD, JD, R, ENT) 92
	DIMENSION A(18), NOP(10), OP(10, 18), TD(10, 18), N1(3, 18, 18)
	DIMENSION VOL(10), NAME(10), EXS(3,18,18), N2(3,18,18)
	DIMENSION P(18), EX(18), DELS(3, 18, 18), RANK(3, 18, 18)
	DIMENSION CASH(3,18,18),ALI(3,18,18)
	DIMENSION COM(3,18,18)
	INTEGER H,ENT
	REAL P
	REAL N1,N2
	DOUBLE PRECISION CD,CD1,CD2,NAME,STOCK
	NUM=0
	NDS=3
	DO 600 K=1,ENT
	po 5 I=1,18
	DO 6 J=1,18
	$N1(K_yI_yJ)=0$
	$N2(K_{j}I_{j}J)=0$
	EXS(K,I,J)=0
	DELS((v, I, v, J)=0
	$RANK(K_{y}I_{y}J)=0$
6	CONTINUE
5	CONTINUE
600	CONTINUE
www	WRITE(1,500)
500	FORMAT('NUMBER OF STOCKS:')
~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~	READ(1,510) NS
510	FORMAT(12)
01.V	DO 1000 INDEX=1,NS
101	WRITE(1,1)
1	FORMAT('STOCK:')
.4.	READ(1,2) STOCK
2	FORMAT(A3)
<i></i>	$DO \ 8 \ I=1$ , ENT
	IF (STOCK. EQ. NAME(I)) GO TO 9
15	FORMAT(A3)
	CONTINUE
8	WRITE(1,16)
	FORMAT('STOCK NOT IN DATA SET')
16	GO TO 101
25	H=I OU TO TOT
9	
	V=VOL(H)
	WRITE(1,10) Format('Enter current prices')
1.0	
	WRITE(1,1)
	READ(1,11) X
1. 1.	FORMAT(F8.4)
	DD = 20 I = 1 N
	CD = CALD(TD(H,I))
	WRITE(1,30) CD, $OP(H_{y}I)$
30	FORMAT(A4,1X,F7,3,7,1)
	READ(1,40) P(1)
40	FORMAT(F7.4)
20	CONTINUE

```
DO 70 I=1,N
      T = (TD(H_{y}I) - JD) / 365
      CALL VAL(V,X,OP(H,I),T,R,V1,D1,G1)
      EX(I) = VI - P(I)
70
      CONTINUE
      NN = N - 1
      DO 50 I=1,NN
      T=(TD(H,I)-JD)/365
      CALL VAL(V,X,OP(H,I),T,R,V1,D1,G1)
      11=1+1
      DO 60 J=II,N
      T = (TD(H_yJ) - JD) / 365
      CALL VAL(V,X,OP(H,J),T,R,V2,D2,G2)
      N1(H,J)=(D2/((G1*D2-G2*D1)*(X*V)**2))
      IF (N1(H_{y}I_{y}J)), LT, O) N1(H_{y}I_{y}J) = -N1(H_{y}I_{y}J)
      N2(HyIyJ)=(D1/((G1*D2-G2*D1)*(X*V)**2))
      IF (N2(H_{y}I_{y}J)), LT, O) N2(H_{y}I_{y}J) = -N2(H_{y}I_{y}J)
      DELS(HyIyJ)=N1(HyIyJ)*D1*100*X*V
      EXI=EX(I)*N1(H,I,J)
      EXJ=EX(J)*N2(H,I,J)
      IF (EXI. GE. EXJ) N2(H,I,J)=-N2(H,I,J)
      IF (EXJ. GT. EXI) N1(H,I,J)=-N1(H,I,J)
      GO TO 280
3000
      ALI(H_{y}I_{y}J) = (CASH(H_{y}I_{y}J) - 100*(N1(H_{y}I_{y}J))
     C*P(I)+N2(H_{y}I_{y}J)*P(J))*R
60
      CONTINUE
50
      CONTINUE
      DO 80 I=1,NN
      II=I+1
      DO 90 J=II,N
      EXS(H,I,J)=(N1(H,I,J)*EX(I)+N2(H,I,J)*EX(J))*100
90
      CONTINUE
      CONTINUE
80
1000
      CONTINUE
      DO 1500 H=1,ENT
      IF (N1(H,1,2), EQ, 0) GO TO 1500
       DO 1400 M=H,ENT
      IF (N1(M,1,2), EQ, 0) GO TO 1400
      N = NOP(H)
      NN=N-1
      DO 150 I=1,NN
      II = I + 1
      DO 160 J=II,N
      NT=NOP(M)
      NNT=NT-1
      IF (H. EQ. M) 12=1
      IF (H, LT, M) 12=1
      00 170 K=I2,NNT
       IF (K. EQ. I2) KK≔J
       IF (K. GT. 12) KK=K+1
       IF (H. LT. M) KK=K+1
      DO 180 L=KK,NT
       IF (DELS(H,I,J), LE, DELS(M,K,L))
     CRANK(H,I,J)=RANK(H,I,J)+1
```

	IF (DELS(M,K,L). LT. DELS(H,I,J))
	$CRANK(M_{y}K_{y}L) = RANK(M_{y}K_{y}L) + 1$
180	CONTINUE
170	CONTINUE
160	CONTINUE
150	CONTINUE
	A(1) = 1
	DO 200 I=2,N
	A(I) = I * A(I-1)
200	CONTINUE
1400	CONTINUE
	NUM=A(N)/(2*A(N-2))+NUM
1500	CONTINUE
	WRITE(1,650)
650	FORMAT(50X, (CALL SPREADS(,/)
	WRITE(1,290)
290	FORMAT(/,13X,'LONG',21X,'SHORT',13X,'EXCESS',3X,
	C'COMMISSION',5X,'CASH',6X,'LOST INT',2X,'DOL. VOL.')
	DO 250 I=1,NUM
	DO 255 H=1,ENT
	IF (N1(H,1,2). EQ. 0) GO TO 255
	N=NOF(H)
	NN==N1
	DO 260 J=1,NN
	140=10
	DO 270 K=JJ/N
	IF (I. EQ. RANK(H,J,K)) GO TO 630
	GO TO 270
280	BULL=0
	COM(H,I,J)=(ABS(N1(H,I,J))+ABS(N2(H,I,J)))*8.5
	BEAR=O
	IF (N1(H,I,J)) 525,550,550
525	BN=N2(H,J,J)
	SN==-N1(H,I,J)
	BS=OP(H,J)
	SS=OP(H,I)
	BP≕P(J)
	SP=P(I)
	TS=TD(H,I)
P. 199 75	60 TO 625
550	BN≈N1(H,I,J)
	SN=-N2(HyIyJ)
	BS≕OP(HvI) SS≕OP(HvJ)
	BB==P(I)
	SP=P(J)
	TB=TD(HyI)
	TS=TD(Hy.1)
625	IF (TB. LT. TS) GO TO 575
an sa an	BC=COM(H,I,J)+(BN*BP-SN*SP)*100
	IF (BN. LT. SN) GO TO 2000
	$CASH(H_{y}I_{y}J) = BC+(BS-SS)*SN*100$
2000	

	C*(1.3*X-SS))*100	95
	GO TO 3000	
575	CASH(H,I,J)=COM(H,I,J)+(BN*BP+SN*(1.3*X-SS-SP))*100	
	GO TO 3000	
630	CD1=CALD(TD(H,J))	
	CD2=CALD(TD(H,K))	
	IF (N1(H,J,K). GT. 0) WRITE(1,300)	
	CNAME(H),N1(H,J,K),CD1,OP(H,J),N2(H,J,K),	
	CCD2,OP(H,K),EXS(H,J,K),COM(H,J,K),CASH(H,J,K),ALI(H,	JyK) y
	CDELS(H,J,K)	
	IF (N2(H,J,K), GT, O) WRITE (1,300)	
	$CNAME(H)_{y}N2(H_{y}J_{y}K)_{y}CD2_{y}OP(H_{y}K)_{y}N1(H_{y}J_{y}K)_{y}$	
	CCD1,OP(H,J),EXS(H,J,K),COM(H,J,K),CASH(H,J,K),ALI(H,	JyK)y
	CDELS(H,J,K)	
300	FORMAT(A3,1X,2(F9,3,1X,A4,1X,F7,3,4X),F8,2,4X,F7,3,4	X,F8.2,
	C4X,F8.2,3X,F8.3)	
270	CONTINUE	
260	CONTINUE	
255	CONTINUE	
250	CONTINUE	
	RETURN	
	END	
	(ML) 1 (K)	

.

	SUBROUTINE SSP(NAME,OP,NOP,VOL,TD,JD,R,ENT)	97
	DIMENSION A(18),NOP(10),OP(10,18),TD(10,18),N1(10,18)	
	DIMENSION VOL(10),NAME(10),EXS(10,18),N2(10,18)	
	DIMENSION P(18),EX(18),DELS(10,18),RANK(10,18)	
	DIMENSION ALI(10,18),COM(10,18),CASH(10,18)	
	INTEGER H, ENT	
	REAL P	
	REAL N1,N2	
	DOUBLE PRECISION CD, CD1, CD2, NAME, STOCK	
	NDS=3	
	DO 600 K=1,ENT	
	DO 5 I=1,18	
	NI(K,I)=0	
	$N2(K_{y}I)=0$	
	EXS(K,I)=0	
	DELS(K, I) = 0	
	RANK(K,I)=0	
5	CONTINUE	
600	CONTINUE	
000	WRITE(1,500)	
500	FORMAT('NUMBER OF STOCKS:')	
0VV	READ(1,510) NS	
510	FORMAT(12)	
J 4 V	DO 1000 INDEX=1,NS	
4 / 4		
101	WRITE(1,1)	
1.	FORMAT('STOCK:') READ(1,2) STOCK	
2	FORMAT(A3)	
	DO 8 I=1,ENT IF (STOCK. EQ. NAME(I)) GO TO 9	
15	FORMAT(A3)	
8	CONTINUE	
4 2	WRITE(1,16)	
16	FORMAT('STOCK NOT IN DATA SET')	
<i>2</i> 2	GO_TC 101	
9		
	NN≕N1	
4.0	WRITE(1,10)	
10	FORMAT('ENTER CURRENT PRICES')	
	WRITE(1,1)	
-1 -1	READ(1,11) X	
1.1.	FORMAT(F8.4)	
	$\frac{1}{100} \frac{1}{100} = 100$	
	CD=CALD(TD(H,I))	
	WRITE(1,30) CD,OP(H,I)	
30	FORMAT(A4,1X,F7,3,1;1)	
A /\	READ(1,40) P(I)	
40	FORMAT(F7.4)	
20	CONTINUE DO 70 Tetan	
	DO 70 I=1,N	
	T=(TD(H,I)-JD)/365 CALL VAL(V,X,OP(H,I),T,R,V1,D1,G1)	
	しいしに マビにキマクスタロピ キピタネノタキッパタマネタおネタけえブ	

	EX(I) = V1 - P(I)	98
70	CONTINUE	<i>y</i> 0
	DO 50 I=1,N	
	T=(TD(H,I)-JD)/365	
	CALL VAL(V,X,OP(H,I),T,R,V1,D1,G1)	
	N1(H,I)=D1/(G1*(X*V)**2)	
	IF $(N1(H_yI), LT, O) N1(H_yI) = -N1(H_yI)$	
	N2(H,I)=1/(G1*(X*V)**2)	
	IF $(N2(H_{y}I), LT, 0) N2(H_{y}I) = -N2(H_{y}I)$	
	$DELS(HyI) = 100 \times X \times V \times N1(HyI)$	
	IF (EX(I), LE, O) N2(H,I)=-N2(H,I)	
	IF (EX(I), GT, O) N1(H,I)=-N1(H,I)	
	EXS(H,I)=100*N2(H,I)*EX(I)	
	CD1=CALD(TD(H,I))	
	A1=100*N1(H,I)	
	A2=100*N2(H,I)	
	COM(H,I)=,375*ABS(A1)+,085*ABS(A2)	
	IF (A1) 800,850,850	
800	CASH(H,I)=COM(H,I)-(A1/2)*X+A2*P(I)	
	GO TO 51	
850	Y1=A1+A2	
	XA=X-OP(H,I)	
	IF (Y1) 900,950,950	
900	CASH(H,I) = COM(H,I) + (A1*X)/2 + A2*P(I)	
	C+ABS(A1+A2)*ABS(XA)	
	GO TO 51	
950	CASH(H,I)=(X*A1/2)+A2*(P(I)+OP(H,I)-X)+COM(H,I)	
51	$ALI(H_{yI}) = (CASH(H_{yI}) - A1*X/2 - A2*P(I))*R$	
50	CONTINUE	
1000	CONTINUE	
1000		
	DO 700 $H=1$ , ENT	
	IF (N1(H,1), EQ, 0) GO TO 700	
	N=NOP(H)	
	NUM==NUM+N	
	DO 770 K=HyENT	
	IF (N1(K,1), EQ, 0) GO TO 770	
	DO 750 I=1,N	
	IF (H. EQ. K) L=I	
	IF (H. LT. K) L=1	
	DO 760 J=L,N	
	IF (DELS(H,I), LE, DELS(K,J))	
	SRANK(H,I)=RANK(H,I)+1	
	IF (DELS(KyJ), LT, DELS(H,I))	
	$SRANK(K_yJ) = RANK(K_yJ) + 1$	
760	CONTINUE	
750	CONTINUE	
770	CONTINUE	
700	CONTINUE	
	WRITE(1,2000)	
2000	FORMAT(44X, 'CALL OPTION-STOCK SPREADS')	
	WRITE(1,290)	
290	FORMAT(/,13X, LONG',21X, SHORT',13X, EXCESS',3X, COMM	MISSION/,3X,
	C'CASH',7X,'LOST INT',	

	C2X, DOL. VOL.()	99
	DO 250 I=1,NUM	
	DO 255 H=1,ENT	
	IF (N1(H,1). EQ. 0) GO TO 255	
	N=NOP(H)	
	NN=N-1	
	DO 260 J=1,N	
	IF (I. EQ. RANK(H,J)) GO TO 975	
	GO TO 260	
975	CD1=CALD(TD(H,J))	
	N1(H,J)=100*N1(H,J)	
	IF (N1(H,J), GT, O) WRITE(1,300)	
	CNAME(H) yN1(HyJ) yN2(HyJ) y	
	CCD1,OP(H,J),EXS(H,J),COM(H,J),CASH(H,J),ALI(H,J)	
	C,DELS(H,J)	
	IF (N2(H,J), GT. 0) WRITE (1,350)	
	$CNAME(H)_yN2(H_yJ)_yCD1_yOP(H_yJ)_yN1(H_yJ)_y$	
	CEXS(H,J),COM(H,J),CASH(H,J),ALI(H,J)	
	C,DELS(H,J)	
300	FORMAT(A3,1X,F10,2,1X,'SHARES',8X,F9,3,1X,A4,1X,F7,3,4	X,F7,3,
	C4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2)	
350	FORMAT(A3,1X,F9.3,1X,A4,1X,F8.2,4X,F10.2,1X,'SHARES',7	'X y
	CF7.3,4X,F7.2,4X,F7.2,4X,F7.2,4X,F7.2)	
260	CONTINUE	
255	CONTINUE	
250	CONTINUE	
	RETURN	
	END	

PROGRAM: \*MA2

```
INTEGER NOP, SR, H, ENT, EXP, CYC
      DIMENSION NAME(10), VOL(10), NOP(10)
      DIMENSION EXP(2,3), OP(10,9), TD(10,9)
      DOUBLE PRECISION NAME
      EXP(1,1) = 386
      EXP(1,2)=470
      EXP(1,3)=561
      EXP(2,1)=414
      EXP(2,2)=505
      EXP(2,3)=596
      DO 20 I=1,10
      READ (5,30,END=25) NAME(I), VOL(I), NOP(I),CYC
      J=NOP(I)
      DO 10 K=1,J,3
      READ (5,40) OP(I,K)
      上=K+1
      OP(I_{y}L) = OP(I_{y}K)
      L=L+1
      OP(I_{y}L) = OP(I_{y}K)
      TD(I,K) = EXP(CYC, 1)
      TD(I_{K+1}) = EXP(CYC_{2})
      TD(I_{1}K+2) = EXP(CYC_{2})
10
      CONTINUE
20
      CONTINUE
25
      ENT=I
30
      FORMAT(A3,1X,F3,2,1X,I2,1X,I2)
      FORMAT(F6.3)
40
45
      WRITE(1,50)
      READ(1,60) MONTH, DAY, R
46
      WRITE (1,70)
      READ(1,80) SR
50
      FORMAT('ENTER DATE,
                             INTEREST RATE()
60
      FORMAT (12,1X,12,1X,F3.2)
70
      FORMAT(/, WHICH SUBROUTINE DO YOU WANT')
80
      FORMAT(12)
      IF (MONTH, EQ, 1) JD=DAY
      IF (MONTH, EQ, 2) JD=DAY+31
      IF (MONTH, EQ, 3) JD=DAY+59
      IF (MONTH, EQ. 4) JD=DAY+90
      IF (MONTH, EQ, 5) JD=DAY+120
      IF (MONTH, EQ. 6) JD=DAY+151
      IF (MONTH, EQ, 7) JD=DAY+181
      IF (MONTH, EQ, 8) JD=DAY+212
      IF (MONTH, EQ, 9) JD=DAY+243
      IF (MONTH, EQ. 10) JD=DAY+273
      IF (MONTH, EQ. 11) JD=DAY+304
      IF (MONTH, EQ, 12) JD=DAY+334
      GO TO (201,206,207,208,209,210,
     C211,212,213,214,215), SR
206
      CALL PRIP(NAME, OP, NOP, VOL, TD, JD, R, ENT)
      GO TO 46
207
      CALL VARP(NAME, OP, NOP, VOL, TD, JD, R, ENT)
      GO TO 46
```

- 208 CALL POSP(NAME, OP, NOP, VOL, TD, JD, R, ENT) GO TO 46
- 209 CALL PSSP(NAME,OP,NOP,VOL,TD,JD,R,ENT) GO TO 46
- 210 CALL STRAD(NAME, OP, NOP, VOL, TD, JD, P, ENT) GC TO 46
- 211 CALL RES(NAME,OP,NOP,VOL,TD,JD,R,ENT) GO TO 46
- 212 CALL RESP(NAME,OP,NOP,VOL,TD,JD,R,ENT) GO TO 46
- 213 CALL RESS(NAME,OP,NOP,VOL,TD,JD,R,ENT) GO TO 46
- 214 CALL RECS(NAME,OP,NOP,VOL,TD,JD,R,ENT) GO TO 46
- 215 CALL REPS(NAME;OP;NOP;VOL;TD;JD;R;ENT) GO TO 46
- 201 CALL EXIT

•

	SUBROUTINE PRIP(NAME,OP,NOP,VOL,TD,JD,R,ENT) 104
	DIMENSION NAME(10), NOP(10), OP(10,18), VOL(10), TD(10,18)
	DOUBLE PRECISION NAME, CD1, CD2, CD3, STOCK
	INTEGER H, ENT
4.0	WRITE(1,10)
10	FORMAT('STOCK:')
00	READ(1,20) STOCK
20	FORMAT(A3)
	DO 30 $I=1$ , ENT
~ <b>y</b> ^	IF (NAME(I), EQ, STOCK) GO TO 40
30	
"Z E.	WRITE(1,35)
35	FORMAT('STOCK NOT IN DATA SET')
* ^	GO TO 10
40	H=I WRITE(1,50)
50	FORMAT('PRICE:')
UV .	READ(1,55) X
55	FORMAT(F7.3)
w/ w/	N=NOP(H)
	V=VOL(H)
	CD1=CALD(TD(H,1))
	CD2=CALD(TD(H,2))
	CD3=CALD(TD(H,3))
	WRITE(1,100)
100 .	FORMAT(32X,'PUT PRICES')
	WRITE (1,60) CD1,CD2,CD3
60	FORMAT(/,'STRIKE PRICE',6X,A4,15X,A4,15X,A4)
	DO 80 I=1,N,3
	T=(TD(H,I)-JD)/365
	CALL VALP(V,X,OP(H,I),T,R,V1,D1,G1)
	T=(TD(H,I+))-JD)/365
	CALL VALP(V,X,OP(H,I+1),T,R,V2,D2,G2)
	T=(TD(H,I+2)-JD)/365
	CALL VALP(V,X,OP(H,I+2),T,R,V3,D3,G3)
	WRITE(1,70) OP(H,1),V1,D1,V2,D2,V3,D3
70	FORMAT(F7.3,3(4X,F6.3,4X,F4.2))
80	CONTINUE
	RETURN
	END

	SUBROUTINE VARP(NAME, OP, NOP, VOL, TD, JD, R, ENT) 106
	DIMENSION NAME(10),NOP(10),OP(10,18), VOL(10),TD(10,18)
	DOUBLE PRECISION NAME, CD1, CD2, CD3, STOCK
	INTEGER X,H,ENT
4.75	WRITE(1,10) FORMAT('STOCK:')
1.0	READ(1,20) STOCK
20	FORMAT(A3)
<i></i>	DO 30 I=1,ENT
	IF (NAME(I). EQ. STOCK) GO TO 40
30	CONTINUE
	WRITE(1,35)
35	FORMAT('STOCK NOT IN DATA SET')
	GO TO 10
40	
	WRITE(1,50)
50	FORMAT('LOWER PRICE:')
	READ(1,55) I1
	WRITE(1,51)
51	FORMAT(/UPPER PRICE:/)
	READ(1,55) I2
55	FORMAT(13)
	N≕NOP(H)
	CD1 = CALD(TD(H,1))
	CD2=CALD(TD(H,2))
	CD3=CALD(TD(H,3)) WRITE(1,2000)
2000	FORMAT(42X, 'PUT PRICES')
~~~~	WRITE (1,60) CD1,CD2,CD3
60	FORMAT(/,15X,'STRIKE PRICE', 6X,3(A4,15X))
00	DO 100 X=11,12,10
	WRITE(1,110) X
140	FORMAT(/PRICE://1X/I3)
ada 184 197	Y=X
	DO 80 I=1,N,3
	T=(TD(H,I)-JD)/360
	CALL VALF(V,Y,OP(H,I),T,R,V1,D1,G1)
	T=(TD(H,I+1)-JD)/360
	CALL VALP(V,Y,OP(H,I+1),T,R,V2,D2,G2)
	T=(TD(H,I+2)-JD)/360
	CALL VALP(V,Y,OP(H,I+2),T,R,V3,D3,G3)
	WRITE(1,70) OP(H,I),V1,D1,V2,D2,V3,D3
20	FORMAT(15X,F7.3,3(4X,F6.3,4X,F4.2))
80	CONTINUE
100	CONTINUE
	RETURN
	END

	SUBROUTINE POSP(NAME, OP, NOP, VOL, TD, JD, R, ENT) 108
	DIMENSION A(18),NOP(10),OP(10,18),TD(10,18),N1(3,18,18)
	DIMENSION VOL(10),NAME(10),EXS(3,18,18),N2(3,18,18)
	DIMENSION P(18),EX(18),DELS(3,18,18),RANK(3,18,18)
	DIMENSION CASH(3,18,18),ALI(3,18,18)
	DIMENSION COM(3,18,18)
	INTEGER H, ENT
	REAL P
	REAL N1,N2
	DOUBLE PRECISION CD,CD1,CD2,NAME,STOCK NUM=0
	NDS=3
	DO 600 K=1,ENT
	DO 5 $VV$ $K=1/1R$
	$00 \ 5 \ -1718$
	N1(KyIyJ)=0
	$N2(K_{y}I_{y}J)=0$
	$EXS(K_{7}I_{7}J)=0$
	DELS(K, I, J) = 0
	$RANK(K_{y}I_{y}J)=0$
6	CONTINUE
5	CONTINUE
600	CONTINUE
	WRITE(1,500)
500	FORMAT('NUMBER OF STOCKS:')
	READ(1,510) NS
510	FORMAT(12)
	DO 1000 INDEX=1,NS
101	WRITE(101)
1	FORMAT('STOCK:')
	READ(1,2) STOCK
2	FORMAT(A3)
	DO 8 I=1,ENT
	IF (STOCK, EQ, NAME(I)) GO TO 9
15	FORMAT(A3)
8	CONTINUE
	WRITE(1,16)
16	FORMAT('STOCK NOT IN DATA SET')
	GO_TO 101
9	
	N=NOP(H)
	V=VOL(H)
4 ()	WRITE(1,10)
10	FORMAT('ENTER CURRENT PRICES') WRITE(1,1)
	READ(1,11) X
	FORMAT(F8.4)
11	PO(1=1)N
	CD=CALD(TD(H,I))
	WRITE(1,30) CD,OP(H,I)
30	FORMAT(A4,1X,F7.3,':')
	READ(1,40) P(I)
40	FORMAT(F7.4)
20	CONTINUE

	DO 70 I=1,N
	T=(TD(H,I)-JD)/365
	CALL VALP(V,X,OP(H,I),T,R,V1,D1,G1)
	EX(I)=V1-F(I)
70	CONTINUE
<i>, .</i>	NN=N-1
	DO 50 I=1,NN
	$T = (TD(H_{y}I) - JD) / 365$
	CALL VALP(V,X,OP(H,I),T,R,V1,D1,G1)
	]]=:[+]
	DO 60 J=IIN
	T=(TD(H,J)-JD)/365
	CALL VALP(V,X,OP(H,J),T,R,V2,D2,G2)
	N1(H,J,J)=(D2/((G1*D2-G2*D1)*(X*V)**2))
	IF (N1(H,I,J), LT, O) N1(H,I,J)≕-N1(H,I,J)
	$N2(H_{y}I_{y}J) = (D1/((G1*D2-G2*D1)*(X*V)**2))$
	IF (N2(H,I,J), LT, O) N2(H,I,J)=−N2(H,I,J)
	DELS(H,I,J)=N1(H,I,J)*D1*100*X*V
	$EXI = EX(I) \times N1(H \times I \times J)$
	$EXJ = EX(J) \times N2(H_y I_y J)$
	IF (EXI, GE, EXJ) $N2(H_{y}I_{y}J) = -N2(H_{y}I_{y}J)$
	IF (EXJ, GT, EXI) $N1(H_{y}I_{y}J) = -N1(H_{y}I_{y}J)$
	GO TO 280
3000	ALI(H,I,J)=(CASH(H,I,J)-100*(N1(H,I,J)*
	CP(I)+N2(H,I,J)*P(J)))*R
60	CONTINUE
50	CONTINUE
	DO 80 I=1,NN
	II=I+1
	DO 90 J=II,N
	$EXS(H,I,J) = (N1(H,I,J) \times EX(I) + N2(H,I,J) \times EX(J)) \times 100$
90	CONTINUE
80	CONTINUE
1000	
TAAAA	
	DO 1500 $H=1$ , ENT
	IF (N1(H,1,2), EQ, 0) GO TO 1500
	DO 1400 M≕H,ENT
	IF (N1(M,1,2), EQ. 0) GO TO 1400
	N=NOP(H)
	NN=N-1
	DO 150 I=1,NN
	ĨĨ==Ĩ+1
	DO 160 J=II,N
	NT=NOP(M)
	NNT = NT - 1
	IF (H. EQ. M) I2≕I
	IF (H. LT. M) I2=1
	DO 170 K=I2,NNT
	IF (K. EQ. I2) KK=J
	IF (K. GT. I2) KK=K+1
	IF (H. LT. M) KK=K+1
	DO 180 L=KK+NT
	IF (DELS(H,I,J). LE. DELS(M,K,L))
	$CRANK(H_{y}I_{y}J) = RANK(H_{y}I_{y}J) + 1$
	CONTRACTOR A 1997 CONTRACTOR A CONTRACTOR

		110
	IF (DELS(MyKyL), LT, DELS(HyIyJ)) CRANK(MyKyL)=RANK(MyKyL)+1	110
180	CONTINUE	
170	CONTINUE	
160	CONTINUE	
150	CONTINUE	
4. 07 07	A(1)=1	
	DO 200 I=2,N	
	A(I) = I * A(I - 1)	
200	CONTINUE	
1400	CONTINUE	
	NUM=A(N)/(2*A(N-2))+NUM	
1500	CONTINUE	
	WRITE(1,650)	
650	FORMAT(50X, 'PUT SPREADS', /)	
	WRITE(1,290)	
290	FORMAT(/,13X,'LONG',21X,'SHORT',13X,'EXCESS',3X,	
	C'COMMISSION',5X, (CASH',6X, (LOST INT',2X, (DOL.VOL.())	
	DO 250 I=1,NUM	
	DO 255 H=1,ENT	
	IF (N1(H,1,2), EQ, 0) GO TO 255	·
	NN=N-1 DO 260 J=1,NN	
	1+L=LL	
	DO 270 K=JJ,N	
	IF (I, EQ, RANK( $H_{y}J_{y}K$ )) GO TO 630	
	GO TO 270	
280	BULL=0	
	COM(H,I,J)=(ABS(N1(H,I,J))+ABS(N2(H,I,J)))*8.5	
	BEAR=0	
	IF (N1(H,I,J)) 525,550,550	
525	BN≡N2(HyIyJ)	
	SN=-N1(HyIyJ)	
	BS=OP(H,J)	
	SS=OP(H,I)	
	BP=P(J) SP=P(I)	
	$TB=TD(H_{y}J)$	
	$TS = TD(H_{FI})$	
	GO TO 625	
550	BN=N1(H,I,J)	
	SN≕-N2(H,I,J)	
	BS≕OP(H,I)	
	SS=OP(H,J)	
	BP=P(I)	
	SP=P(J)	
	TB=TD(H,I)	
1 10.90	TS=TD(H,J)	
625	IF (TB, LT, TS) GO TO 575 RC-COM(H.T. L) (RNMRRD-CNMCR) #100	
	BC=COM(H,I,J)+(BN*BP-SN*SP)*100 IF (BN, LT, SN) GO TO 2000	
	$CASH(H_{y}I_{y}J) = BC+(SS-BS)*SN*100$	
2000		
	and a construction of the metric of the construction of the boots of the boots of the boots of the boots of the	

•

	C*(SS7*X))*100	111
	GO TO 3000	
575	CASH(H,I,J)=COM(H,I,J)+(BN*BP+SN*(SS7*X-SP))*100	
	GO TO 3000	
630	CD1=CALD(TD(H,J))	
	CD2=CALD(TD(H,K))	
	[F (N1(H,J)K), GT, O) WRITE(1,300)	
	CNAME(H),N1(H,J,K),CD1,OP(H,J),N2(H,J,K),	
	CCD2,OP(H,K),EXS(H,J,K),COM(H,J,K),CASH(H,J,K),ALI(H,	J,K),
	CDELS(H,J,K)	
	IF (N2(H,J,K). GT. O) WRITE (1,300)	
	$CNAME(H)_yN2(H_yJ_yK)_yCD2_yOP(H_yK)_yN1(H_yJ_yK)_y$	
	CCD1,OP(H,J),EXS(H,J,K),COM(H,J,K),CASH(H,J,K),ALI(H,	ЈуК) у
	CDELS(HyJyK)	
300	FORMAT(A3,1X,2(F9,3,1X,A4,1X,F7,3,4X),F8,2,4X,F7,3,4	X,F8.2,
	C4X,F8.2,3X,F8.3)	
270	CONTINUE	
260	CONTINUE	
255	CONTINUE	
250	CONTINUE	
	RETURN	
	END	

	SUBROUTINE PSSP(NAME,OP,NOP,VOL,TD,JD,R,ENT)
	DIMENSION A(9),NOP(10),OP(10,9),TD(10,9),N1(10,9)
	DIMENSION VOL(10), NAME(10), EXS(10,9), N2(10,9)
	DIMENSION P(9), EX(9), DELS(10,9), RANK(10,9)
	DIMENSION ALI $(10,9)$ , COM $(10,9)$ , CASH $(10,9)$
	INTEGER H/ENT
	REAL P
	REAL N1,N2
	DOUBLE PRECISION CD,CD1,CD2,NAME,STOCK
	NDS=3
	DO 600 K≕1,ENT
	DO 5 I=1,9
	$N1(K_{F}I)=0$
	N2(KyI)=0
	$EXS(K_{y}I)=0$
	DELS(K,I)=0
	$RANK(K_{y}I) = 0$
5	CONTINUE
600	CONTINUE
0VV	WRITE(1,500)
500	FORMAT('NUMBER OF STOCKS:')
000	
	READ(1,510) NS
510	FORMAT(12)
	DO 1000 INDEX=1,NS
101	WRITE(1,1)
1	FORMAT('STOCK:')
	READ(1,2) STOCK
2	FORMAT(A3)
	DO 8 I=1,ENT
	IF (STOCK, EQ, NAME(I)) GO TO 9
15	FORMAT(A3)
8	CONTINUE
	WRITE(1,16)
16	FORMAT('STOCK NOT IN DATA SET')
	GO TO 101
9	H=T
	N=NOP(H)
	NN=N-1
	V=VOL(H)
	WRITE(1,10)
10	FORMAT('ENTER CURRENT PRICES')
4 W	WRITE(1,1)
	$\begin{array}{c} READ(1,1) \\ X \end{array}$
11	FORMAT(F8+4)
	DO 20 I=1,N
	CD=CALD(TD(H,I))
	WRITE(1,30) CD,OP(H,I)
30	FORMAT(A4,1X,F7,3,';')
	$READ(1,40) \ P(1)$
40	FORMAT(F7.4)
20	CONTINUE
	DO 70 I=1,N
	T==(TD(H,I)-JD)/365
	CALL VALP(V,X,OP(H,I),T,R,V1,D1,G1)

```
EX(1) = V1 - P(1)
                                                                  114
70
      CONTINUE
      DO 50 I=1,N
      T=(TD(H,I)-JD)/365
      CALL VALP(V,X,OP(H,I),T,R,V1,D1,G1)
      N1(H,I)=D1/(G1*(X*V)**2)
      IF (N1(H_{yI}), LT, O) N1(H_{yI}) = -N1(H_{yI})
      N2(H_{y}I) = 1/(G_{1} \times (X \times V) \times 2)
      IF (N2(H,I), LT, 0) N2(H,I)=-N2(H,I)
      DELS(H,I)=100*X*V*N1(H,I)
      IF (EX(I), LE, 0) N2(H,I) = -N2(H,I)
      IF (EX(I), LE, O) N1(H_{yI}) = -N1(H_{yI})
      EXS(H,I) = 100 \times N2(H,I) \times EX(I)
      CD1=CALD(TD(H,I))
      A1=100%N1(H,I)
      A2=100*N2(H,I)
      COM(H,I)=.375*ABS(A1)+.085*ABS(A2)
      IF (A1) 800,850,850
800
      AA1=ABS(A1)
      AA2=ABS(A2)
      BC=COM(H_{y}I)+(AA1*X/2)+AA2*P(I)
      IF (AA1, GE, AA2) CASH(H,I)=BC+AA2*(OP(H,I)-X)
      IF (AA2, GT, AA1) CASH(H,I)=BC+AA1*(OP(H,I)-X)
     C+(AA2-AA1)*(OP(H,1)-.7*X)
      GO TO 51
850
      CASH(H,I) = COM(H,I) + (A1*X/2) + A2*P(I)
51
      ALI(H,I) = (CASH(H,I) - A1*X/2 - A2*P(I))*R
50
      CONTINUE
1000
      CONTINUE
      NUM≈0
      DO 700 H=1,ENT
      IF (N1(H,1), EQ. 0) GO TO 700
      N = NOP(H)
      NUM=NUM+N
      100 770 K=H,ENT
      IF (N1(K,1), EQ, 0) GO TO 770
      DO 750 I=1,N
      IF (H, EQ, K) L=I
      IF (H. LT. K) L=1
      DO 760 J=L,N
      IF (DELS(H,I), LE, DELS(K,J))
     CRANK(H,I) = RANK(H,I) + 1
      IF (DELS(K,J), LT, DELS(H,T))
     CRANK(K,J)=RANK(K,J)+1
760
      CONTINUE
250
      CONTINUE
770
      CONTINUE
200
      CONTINUE
      WRITE(1,2000)
2000
      FORMAT(44X, 'PUT OPTION-STOCK SPREADS')
      WRITE(1,290)
290
      FORMAT(//14X/STOCK1/21X/PUTS1/13X/EXCESS1/3X/COMMISSION1/3X/
     C'CASH',5X,'LOST INT',
     C2X, (DOL. VOL. ()
```

	DO 250 I=1,NUM DO 255 H=1,ENT IF (N1(H,1), EQ. 0) GO TO 255 N=NOP(H)	115
	NN=N-1	
	DD 260 J=1,N	
	IF (I. EQ. RANK(H,J)) GO TO 975 GO TO 260	
975	CD1=CALD(TD(H,J)) N1(H,J)=100*N1(H,J)	
	WRITE(1,300)	
	CNAME(H), N1(H,J), N2(H,J),	
	CCD1,OP(H,J),EXS(H,J),COM(H,J),CASH(H,J),ALI(H,J)	
300	o / Maaa o (Fry J /	
000	FORMAT(A3,1X,F10,2,1X,'SHARES',9X,F9,3,1X,A4,1X,F7, C4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2,4X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,F7,2X,	3,4X,F7.3,
260	C4X,F7.2,4X,F7.2,4X,F7.2,4X,F7.2) CONTINUE	
255	CONTINUE	
250	CONTINUE Return	
	END	

		SUBROUTINE STRAD(NAME, OP, NOP, VOL, TD, JD, R, ENT) 117
		DIMENSION FEX(9),CEX(9),NOP(10),OF(10,9),TD(10,9),N1(3,9,9)
		DIMENSION VOL(10),NAME(10),EXS(3,9,9),N2(3,9,9)
		DIMENSION PC(9), PP(9), EX(9), DELS(3,9,9), RANK(3,9,9)
		DIMENSION CASH(3,9,9),ALI(3,9,9),COM(3,9,9)
		INTEGER H, TB, TS, ENT
		REAL P
		REAL N1,N2
		DOUBLE PRECISION CD,CD1,CD2,NAME,STOCK
		O=MUM
		NDS=3
		DO 600 K=1,ENT
		DO 5 I=1,9
		DO 6 J=1,9
		N1(KyIyJ)=0
		$N2(K_{J}I_{J}J)=0$
		EXS(K,I,J)=0
		DELS(K,I,J)=O
		RANK(K,I,J)=0
	6	CONTINUE
	5	CONTINUE
	600	CONTINUE
		WRITE(1,500)
	500	FORMAT('NUMBER OF STOCKS:')
		READ(1,510) NS
	510	FORMAT(12)
		DO 1000 INDEX=1,NS
	101	WRITE(1,1)
	1.	FORMAT('STOCK:')
		READ(1,2) STOCK
	2	FORMAT(A3)
		DO 8 I=1,ENT
		IF (STOCK, EQ, NAME(I)) GO TO 9
	15	FORMAT(A3)
	8	CONTINUE
		WRITE(1,16)
	16	FORMAT('STOCK NOT IN DATA SET')
	9	GO TO 101 H≡I
	7	N=NOP(H)
		V=VOL(H)
		WRITE(1,10)
	10	FORMAT('ENTER CURRENT PRICES')
	1. V	WRITE(1,1)
		READ(1,11) X
	11	FORMAT(F8.4)
	.şş.	DO 20 I=17N
•		CD=CALD(TD(H,I))
		WRITE(1,30) CD,OP(H,I)
	30	FORMAT(A4,1X,F7.3,'CALL:')
	394 47	READ(1,40) PC(I)
		WRITE(1,35) CD,OP(H,I)
	35	FORMAT(A4,1X,F7.3,1X, PUT: /)
		READ(1,40) PP(I)

	40 20	FORMAT(F7.4) CONTINUE DO 70 I=1,N T=(TD(H,I)-JD)/365
		CALL VAL( $V_7X_9OP(H_9I)_9T_9R_9V1_9D1_9G1$ ) CEX(I)=V1-PC(I)
		CALL VALP(V,X,OP(H,I),T,R,V1,D1,G1) PEX(I)=V1-PP(I)
	70	
		NN=N-1 DO 50 I=1∘N
		DO 60 J=1,N
		TI=(TD(H,I)-JD)/365
		CALL VAL(VyXyOP(HyI)yTIyRyV1yD1yG1)
		$TJ = (TD(H_FJ) - JD)/365$
		CALL VALP(V,X,OP(H,J),TJ,R,V2,D2,G2) N1(H,I,J)=(D2/((G1*D2-G2*D1)*(X*V)**2))
		IF $(N1(H_yI_yJ), LT, O) N1(H_yI_yJ) = -N1(H_yI_yJ)$
		N2(H,I,J)=(D1/((G1*D2-G2*D1)*(X*V)**2))
		IF $(N2(H,I,J), LT, O) N2(H,I,J) = -N2(H,I,J)$
		DELS(H,I,J)=N1(H,I,J)*D1*100*X*V
		EXS(H,I,J)=(CEX(I)*N1(H,I,J)+PEX(J)*N2(H,I,J))*100 IF (EXS(H,I,J), GE, 0) GO TO 59
		$N1(H_{y}I_{y}J) = -N1(H_{y}I_{y}J)$
		$N2(H_{y}I_{y}J) = -N2(H_{y}I_{y}J)$
		$EXS(H_{y}I_{y}J) = -EXS(H_{y}I_{y}J)$
	59	$COM(H_{J}I_{J}J) = (ABS(N1(H_{J}I_{J}J)) + ABS(N2(H_{J}I_{J}J))) * 8.5$
	525	IF (N1(H,IJ)) 525,550,550 CASH(H,IJ)=(N1(H,IJ)*PC(I)+N2(H,IJ)*PP(J)
	020	$C \rightarrow 3 \times X \times (N1(H_{y}I_{y}J) + N2(H_{y}I_{y}J)) - N1(H_{y}I_{y}J) \times (X - OP(H_{y}I))$
		$C-N2(H_{y}I_{y}J)*(OP(H_{y}J)-X))*100+COM(H_{y}I_{y}J)$
-		GO TO 61
	550	$CASH(H_{y}I_{y}J) = COM(H_{y}I_{y}J) + (N1(H_{y}I_{y}J) * PC(I) + N2(H_{y}I_{y}J) *$
	7.4	CFP(J)) * 100
	61	$ALI(H_{y}I_{y}J) = (CASH(H_{y}I_{y}J) - 100*(N1(H_{y}I_{y}J))*$ $CPC(I) + N2(H_{y}I_{y}J)*PP(J)) *R$
	60	CONTINUE
	50	CONTINUE
	1000	CONTINUE
		DO 1500 $H=1$ , ENT
		IF (N1(H,1,2). EQ. O) GO TO 1500 N≡NOP(H)
		DO 150 I=1,N
		DO 160 J=1,N
		DO 1400 M=H,ENT
		NT=NOP(M) IF (N1(M,1,2). EQ. 0) GO TO 1400
		L1=1
		L2=1
		IF (M. EQ. H) L1=I
		IF (M. EQ. H) L2=J DO 170 K=L1,NT
		IF (K. GT. I) L2=1
		DO 180 L=L2,NT

-

	IF (DELS(H,I,J), LE, DELS(M,K,L))	119
	$CRANK(H_{y}I_{y}J) = RANK(H_{y}I_{y}J) + 1$	
	IF (DELS(M,K,L), LT, DELS(H,I,J))	
4.00.0	$CRANK(M_{y}K_{y}L) = RANK(M_{y}K_{y}L) + 1$	
180	CONTINUE	
170	CONTINUE	
	A=NT*N	
1400		
160	CONTINUE	
150	CONTINUE	
	NUM=NUM+A	
1500		
	DO 1501 H=1,ENT	
	IF (N1(H,1,2), EQ, 0) GO TO 1501	
	N=NOP(H)	
	DO 1502 I=1,N	
	DO 1503 J=1,N	
1503	CONTINUE	
1502	CONTINUE	
1501	CONTINUE	
	WRITE(1,2000)	
2000	FORMAT(50X,'PUT-CALL SPREADS')	
	WRITE(1,290)	
290	FORMAT(/,13X,'CALL',21X,' PUT ',13X,'EXCESS',3X,	
	C'COMMISSION1,5X,1CASH1,6X,1LOST INT1,	
	C2X, DOL. VOL.()	
	DO 250 I=1,NUM	
	DO 255 H=1,ENT	
	IF (N1(H,1,2), EQ, 0) GO TO 255	
	N=NOP(H)	
	DD 260 J=1,N	
	DO 270 K=1,N	
	IF (I. EQ. RANK(H,J,K)) GO TO 280	
	GO TO 270	
280	CD1=CALD(TD(H,J))	
	CD2=CALD(TD(H,K))	
630	WRITE(1,300)	
	CNAME(H),N1(H,J,K),CD1,OF(H,J),N2(H,J,K),	
	CCD2,OP(H,K),EXS(H,J,K),COM(H,J,K),CASH(H,J,K),ALI(H,	JyK)
	C,DELS(H,J,K)	
300	FORMAT(A3,1X,2(F9,3,1X,A4,1X,F7,3,4X),F8,2,4X,F7,3,4)	(,F8.2,
	C4X,F8.2,4X,F8.3)	
270	CONTINUE	
260	CONTINUE	
255	CONTINUE	
250	CONTINUE	
	RETURN	
	END	

	SUBROUTINE RES(NAME,OP,NOP,VOL,TD,JD,R,ENT) 121
	DIMENSION NAME(10), NOP(10), OP(10,18), VOL(10), TD(10,18)
	DOUBLE PRECISION NAME,CD1,CD2,CD3,STOCK INTEGER X,H,ENT
	REAL N1,N2
	WRITE(1,10)
10	FORMAT('STOCK:')
	READ(1,20) STOCK
20	FORMAT(A3)
	DO 30 I=1,ENT
30	IF (NAME(I), EQ, STOCK) GO TO 40 Continue
30	WRITE(1,35)
35	FORMAT('STOCK NOT IN DATA SET')
00	GO TO 10
40	H=[
	WRITE(1,50)
50	FORMAT('LOWER PRICE:')
	READ(1,55) I1
	WRITE(1,51)
51	FORMAT('UPPER PRICE:')
	READ(1,55) 12
55	FORMAT(13)
	N=NOP(H) V=VOL(H)
	CD1=CALD(TD(H,1))
	CD2=CALD(TD(H,2))
	CD3=CALD(TU(H,3))
	WRITE(1,60)
60	FORMAT('LONG OPTION')
	WRITE(1,70)
70	FORMAT('NUMBER:')
	READ(1,80) N1
80	FORMAT(F7.4)
90	WRITE(1,90) FORMAT('I;')
70	READ(1,100) J1
100	FORMAT(12)
	WRITE(1,115)
115	FORMAT('PRICE PAID:')
	READ(1,80) P1
	WRITE(1,110)
110	FORMAT('SHORT OFTION')
4 MA	WRITE(1,120)
120	FORMAT('NUMBER SOLD:') READ(1,80) N2
	WRITE(1,90)
	READ(1,100) J2
	WRITE(1,115)
	READ(1,80) P2
	WRITE(1,2000)
	$CD1=CALD(TD(H_yJ1))$
2000	CD2=CALD(TD(H,J2)) COPMAT(SEY,(DECUTO OF CALL OPPEADO())
2000	FORMAT(55X, 'RESULTS OF CALL SPREADS')

150	WRITE(1,150) FORMAT(/,1X,'STOCK',12X,'LONG',19X,'SHORT',9X, C'COMMISSIONS',3X,'LONG',5X,'SHORT',9X,'PROFIT',5X, C'LONG',6X'SHORT')	122
160	WRITE(1,160) FORMAT(1X, 'PRICE',12X, 'CALL',19X, 'CALL',14X, 'PAID', C5X, 'CHANGE',4X, 'CHANGE',19X, 'DELTA',5X, 'DELTA',/) DO 200 X=I1,I2 Y=X	
	$T = (TD(H_yJ1) - JD) / 365$ CALL VAL(U_yY_0P(H_yJ1), T_yR_yV1, D1, G1)	
	T=(TD(H,J2)-JD)/365 CALL VAL(V,Y,NP(H,J2),T,R,V2,D2,G2)	
	A=(ABS(N1)+ABS(N2))*17.	
	$B = (100 \times N1) \times (V1 - P1)$ $BB = (100 \times N2) \times (V2 - P2)$	
	C=B-BB-A	
	D1=D1*N1*100 D2=D2*ABS(N2)*100	
	WRITE(1,210) X,N1,CD1,OP(H,J1),N2,CD2,OP(H,J2),	
210 200	CA,B,BB,C,D1,D2 FORMAT(F7.3,3X,2(F7.3,1X,A3,1X,F7.3,4X),6(F8.2,3X)) CONTINUE	
	RETURN END	

	SUBROUTINE RESP(NAME,OP,NOP,VOL,TD,JD,R,ENT) 124
	DIMENSION NAME(10),NDP(10),OP(10,18), VOL(10),TD(10,18)
	DOUBLE PRECISION NAME, CD1, CD2, CD3, STOCK
	INTEGER X,H,ENT
	REAL N1,N2 WRITE(1,10)
10	FORMAT('STOCK:')
1. V	READ(1,20) STOCK
20	FORMAT(A3)
	DO 30 I=1,ENT
	IF (NAME(I), EQ, STOCK) GO TO 40
30	CONTINUE
	WRITE(1,35)
35	FORMAT('STOCK NOT IN DATA SET')
	GO TO 10
40	H = I
r" 25	WRITE(1,50)
50	FORMAT('LOWER PRICE:') READ(1,55) I1
	WRITE(1,51)
51	FORMAT('UPPER PRICE;')
<b>₹₹</b>	READ(1,55) I2
55	FORMAT(13)
	N=NOP(H)
	V=VOL(H)
	CD1=CALD(TD(H,1))
	CD2=CALD(TD(H,2))
	CD3=CALD(TD(H,3))
	WRITE(1+60)
60	FORMAT('LONG OPTION')
·" ^	WRITE(1,70)
70	FORMAT('NUMBER:') READ(1,80) N1
80	FORMAT(F7.4)
00	WRITE(1,90)
90	FORMAT('I:')
	READ(1,100) J1
100	FORMAT(12)
	WRITE(1,115)
115	FORMAT('PRICE PAID:')
	READ(1,80) F1
	WRITE(1,110)
110	FORMAT('SHORT OPTION')
120	WRITE(1,120) FORMAT('NUMBER SOLD:')
di di V	READ(1,80) N2
	WRITE(1,90)
	READ(1,100) J2
	WRITE(1,115)
	READ(1,80) P2
	WRITE(1,2000)
	CD1=CALD(TD(H,J1))
~~~ <i>~</i>	CD2=CALD(TD(H,J2))
2000	FORMAT(50X, 'RESULTS OF PUT SPREADS')

WRITE(1,150)

- 150 FORMAT(/»1X»/STOCK/»12X»/LONG/»19X»/SHORT/»9X» C/COMMISSIONS/»4X»/LONG/»5X»/SHORT/»8X»/PROFIT/»5X»/LONG/» C6X»/SHORT/)
  - WRITE(1,160)
- 160 FORMAT(1X, 'PRICE', 13X, 'PUT', 19X, ' PUT', 14X, 'PAID', C5X, CHANGE (,4X, CHANGE (,19X, DELTA (,5X, DELTA (,/)) DO 200 X=11,12 Y≕X  $T = (TD(H_2J1) - JD) / 365$ CALL VALP(V,Y,OP(H,J1),T,R,V1,D1,G1)  $T = (TD(H_yJ2) - JD) / 365$ CALL VALF(V,Y,OP(H,J2),T,R,V2,D2,62) A=(N1+N2)\*17. B=100\*(N1)\*(V1-P1) BB=100\*(N2)\*(V2-P2) C = B - BB - AD1=D1\*N1\*100 D2=D2\*ABS(N2)\*100 WRITE(1,210) X,N1,CD1,OP(H,J1),N2,CD2,OP(H,J2), CA, B, BB, C, D1, D2 210 FORMAT(F7.3,3X,2(F7.3,1X,A3,1X,F7.3,4X),6(F8.2,3X)) 200
  - O CONTINUE RETURN END

	SUBROUTINE RECS(NAME,OF,NOP,VOL,TD,JD,R,ENT) 127
	DIMENSION NAME(10),NOP(10),OP(10,18), VOL(10),TD(10,18)
	DOUBLE PRECISION NAME,CD1,CD2,CD3,STOCK
	INTEGER X,H,ENT
	REAL N1,N2
	WRITE(1,10)
10	FORMAT('STOCK:')
	READ(1,20) STOCK
20	FORMAT(A3)
	DO 30 I=1,ENT
	IF (NAME(I), EQ, STOCK) GO TO 40
30	CONTINUE
	WRITE(1,35)
35	FORMAT('STOCK NOT IN DATA SET')
	GO TO 10
40	
	WRITE(1,50)
50	FORMAT('LOWER PRICE:')
	READ(1,55) I1
	WRITE(1,51)
51	FORMAT('UPPER PRICE:')
1.441 1/11	READ(1,55) I2
55	FORMAT(13)
	N=NOP(H)
	V=VOL(H) CD1=CALD(TD(H,1))
	CD2=CALD(TD(H,2))
	$CD3=CALD(TD(H_{3}))$
	WRITE(1,60)
60	FORMAT('STOCK')
	WRITE(1,70)
70	FORMAT('NUMBER OF SHARES:')
	READ(1,80) N1
80	FORMAT(F7.4)
90	FORMAT('I:')
100	FORMAT(12)
	WRITE(1,115)
115	FORMAT('PRICE PAID:')
	READ(1,80) P1
	WRITE(1,110)
110	FORMAT('OPTION')
	WRITE(1,120)
120	FORMAT('NUMBER OF OPTIONS;')
	READ(1,80) N2
	WRITE(1,90)
	READ(1,100) J2
	WRITE(1,115) READ(1,80) P2
	WRITE(1,2000)
2000	
<i>k</i> V V V	WRITE(1,150)
150	FORMAT(/,1X,'STOCK',12X,'STOCK',17X,'OPTION',8X,
	C'COMMISSIONS',5X,'STOCK',6X,'OFTION',5X,'PROFIT',5X,
	C'LONG',6X'SHORT')

WRITE(1,160)

- 160 FORMAT(1X, 'PRICE', 53X, 'PAID', C6X, CHANGE (, 6X, CHANGE (, 16X, DELTA(, 5X, DELTA(, /)) DO 200 X=11,12 Y≔X T=(TD(H,J2)-JD)/365 CD2=CALD(TD(H,J2)) CALL VAL(V,Y,OP(H,J2),T,R,V2,D2,G2) A=ABS(N1)\*,75+ABS(N2)\*8.5 B=(N1)\*(X-P1)  $BB = (100 \times N2) \times (P2 - V2)$ C = B - B B - AD1 = ABS(N1)D2=D2\*ABS(N2)\*100 WRITE(1,210) X,N1,N2,CD2,OP(H,J2), CA, B, BB, C, D1, D2 210FORMAT(F7.3,6X,F7.3,1X,'SHARES',6X, CF7.3,1X,A3,1X,F7.3,4X,6(F8.2,3X)) 200 CONTINUE RETURN
  - KETU END

	SUBROUTINE REPS(NAME,OP,NOF,VOL,TD,JD,R,ENT) 130 DIMENSION NAME(10),NOP(10),OP(10,18), VOL(10),TD(10,18) DOUBLE PRECISION NAME,CD1,CD2,CD3,STOCK INTEGER X,H,ENT REAL N1,N2 WRITE(1,10)
10	FORMAT('STOCK:') READ(1,20) STOCK
20	FORMAT(A3)
	$DO = 3O = I_F ENT$
	IF (NAME(I), EQ. STOCK) GO TO 40
30	CONTINUE
	WRITE(1,35)
35	FORMAT('STOCK NOT IN DATA SET')
4.0	60 TO 10
40	
50	WRITE(1,50) Format('Lower Price:')
50	READ(1,55) I1
	WRITE(1,51)
51	FORMAT('UPPER PRICE:')
	READ(1,55) I2
55	FORMAT(I3)
	N=NOP(H)
	V=VOL(H)
	CD1=CALD(TD(H,1))
	CD2=CALD(TD(H,2))
	CD3=CALD(TD(H,3))
	WRITE(1,60)
- 60	FORMAT('STOCK')
70	WRITE(1,70) FORMAT('NUMBER OF SHARES:')
/ \	READ(1,80) N1
80	FORMAT(F7.4)
90	FORMAT(/I:/)
100	FORMAT(12)
	WRITE(1,115)
115	FORMAT('PRICE FAID;')
	READ(1,80) P1
	WRITE(1,110)
110	FORMAT('OPTION')
	WRITE(1,120)
120	FORMAT('NUMBER OF OFTIONS:')
	READ(1,80) N2 WRITE(1,90)
	READ(1,100) J2
	WRITE(1,115)
	READ(1,80) P2
	WRITE(1,2000)
2000	<pre>&gt; FORMAT(55X, 'RESULTS OF PUT OPTION-STOCK SPREADS')</pre>
	WRITE(1,150)
150	FORMAT(/,1X,'STOCK',12X,'STOCK',17X,'OPTION',8X,
	C'COMMISSIONS',5X,'STOCK',7X,'OPTION',4X,'PROFIT',5X,
	C'STOCK',7X'PUT')

WRITE(1,160) 160 FORMAT(1X, 'PRICE', 53X, 'PAID', C6X, 'CHANGE', 6X, 'CHANGE', 16X, 'DELTA', 5X, 'DELTA', /) DO 200 X=I1,I2 Y≔X  $T = (TD(H_yJ2) - JD)/365$ CALL VALF(V,Y,OP(H,J2),T,R,V2,D2,G2) CD2=CALD(TD(H,J2)) A=ABS(N1)\*.75+ABS(N2)\*8.5 B=(N1)\*(X-P1) BB=(100\*N2)\*(V2-P2) C = B + B B - AD1=ABS(N1) D2=-ABS(N2)\*D2\*100 WRITE(1,210) X,N1,N2,CD2,OP(H,J2), CA, B, BB, C, D1, D2 210 FORMAT(F7.3,6X,F7.3,1X,'SHARES',6X, CF7.3,1X,A3,1X,F7.3,4X,6(F8.2,3X)) 200 CONTINUE RETURN END

	SUBROUTINE RESS(NAME,OP,NOP,VOL,TD,JD,R,ENT) 133
	DIMENSION NAME(10),NOP(10),OP(10,18), VOL(10),TD(10,18)
	DOUBLE PRECISION NAME,CD1,CD2,CD3,STOCK
	INTEGER X, H, ENT
	REAL N1,N2
	WRITE(1,10)
1.0	FORMAT('STOCK:/)
	READ(1,20) STOCK
20	FORMAT(A3)
A. V	DO 30 I=1,ENT
	IF (NAME(I), EQ, STOCK) GO TO 40
30	CONTINUE
	WRITE(1,35)
35	FORMAT('STOCK NOT IN DATA SET')
00	GO TO 10
40	
E: 73	WRITE(1,50)
50	FORMAT('LOWER PRICE:')
	READ(1,55) 11
	WRITE(1,51)
51	FORMAT('UPPER PRICE:')
	READ(1,55) 12
55	FORMAT(I3)
	N=NOP(H)
	V=VOL(H)
	CD1=CALD(TD(H,1))
	CB2=CALD(TD(H,2))
	CD3=CALD(TD(H,3))
	WRITE(1,60)
60	FORMAT('CALL OPTION')
	WRITE(1,70)
70	FORMAT('NUMBER:')
	READ(1,80) N1
80	FORMAT(F7.4)
	WRITE(1,90)
90	FORMAT('I:')
	READ(1,100) J1
100	FORMAT(12)
	WRITE(1,115)
115	FORMAT('PRICE PAID:')
	READ(1,80) P1
	WRITE(1,110)
110	FORMAT(' PUT OPTION')
d- d- 17	WRITE(1,120)
120	FORMAT('NUMBER:')
.d. A., W	READ(1,80) N2
	WRITE(1,90)
	READ(1,100) J2
	WRITE(1,115)
	READ(1,80) P2
	WRITE(1,2000)
2000	FORMAT(55X, 'RESULTS OF PUT-CALL SPREADS')
2. V V V	WRITE(1,150)
150	FORMAT(//1X//STOCK//12X//CALL//19X// PUT //9X/
A CO V	TUMMENTYYANY GEWUN YAZAY UMLL YAYAY EUT YYAY

134

C'COMMISSIONS', 3X, 'CALL', 7X, 'PUT', 8X, 'PROFIT', 7X, 'LONG', 6X, 'SHORT ) WRITE(1,160) 160 FORMAT(1X, 'PRICE', 52X, 'PAID', C6X, CHANGE (, 6X, CHANGE (, 17X, DELTA (, 5X, DELTA (, /) DO 200 X=I1,I2 Y≔X T = (TD(H, J1) - JD) / 365CALL VAL(V,Y,OP(H,J1),T,R,V1,D1,G1) T=(TD(H,J2)-JD)/365 CALL VALP(V,Y,OP(H,J2),T,R,V2,D2,G2) A=ABS(N1+N2)\*17.  $B = (100 \times N1) \times (V1 - P1)$ BB=(100\*N2)\*(P2-V2) C = B - BB - AD1=ABS(N1)\*D1\*100 D2=ABS(N2)\*D2\*100 CD1=CALD(TD(H,J1)) CD2=CALD(TD(H,J2)) WRITE(1,210) X,N1,CD1,OP(H,J1),N2,CD2,OP(H,J2), CA, B, BB, C, D1, D2 210FORMAT(F7.3,3X,2(F7.3,1X,A3,1X,F7.3,4X),6(F8.2,3X)) 200 CONTINUE RETURN END

## SUPPORT FUNCTION PROGRAMS

```
SUBROUTINE VAL(V,X,C,T,R,W,ND,G)
REAL N,ND
S2=V**2
B=SQRT(S2*T)
A=ALOG(X/C)
D1=(ALOG(X/C)+((R+S2/2)*T))/SQRT(S2*T)
D2=D1-SQRT(S2*T)
PI=3.142
G=EXF(-(D1**2)/2)/(X*V*SQRT(2*PI*T))
W=X*N(D1)-C*EXP(-R*T)*N(D2)
ND=N(D1)
RETURN
END
```

	FUNCTION N(X)
	RÉAL M,N
	₽≈.47047
	A1=.3480242
	A2=0958798
	A3=,7478556
	Y=X/SQRT(2.)
	IF (Y) 100,200,200
100	Y == Y
	M≈1/(1+(P*Y))
	Z=(((A1*M)+(A2*M**2)+(A3*M**3))*EXP(-Y**2))-1
	N=(Z+1)/2
	RETURN
200	M=1/(1+(P*Y))
	Z=1-((A1*M)+(A2*M**2)+(A3*M**3))*EXP(-Y**2)
	N≈(1+Z)/2
	RETURN
	END

```
FUNCTION CALD(X)
 DOUBLE PRECISION CALD
 DOUBLE PRECISION MON(12)
 REAL MON
 DATA MON//DEC/,/NOV/,/OCT/,/SEPT/,/AUG/,/JULY/,
C'JUNE', 'MAY', 'APR', 'MAR', 'FEB', 'JAN'/
 Y≈X-365+
 IF (Y. LT. 365) CALD=MON(1)
 IF (Y. LT. 334) CALD=MON(2)
 IF (Y. LT. 304) CALD=MON(3)
 IF (Y. LT. 273) CALD=MON(4)
 IF (Y. LT. 243) CALD= MON(5)
 IF (Y. LT. 212) CALD=MON(6)
 IF (Y. LT. 181) CALD=MON(7)
 IF (Y, LT. 151) CALD=MON(8)
 IF (Y. LT. 120) CALD=MON(9)
 IF (Y. LT. 90) CALD=MON(10)
 IF (Y. LT. 59) CALD=MON(11)
 IF (Y. LT. 31) CALD=MON(12)
RETURN
END
```

```
SUBROUTINE VALP(V,X,C,T,R,W,ND,G)
REAL N,ND
S2=V**2
B=SQRT(S2*T)
A=ALOG(X/C)
D1=(ALOG(X/C)+((R+S2/2)*T))/SQRT(S2*T)
D2=D1-SQRT(S2*T)
PI=3.142
G=EXP(-(D1**2)/2)/(X*V*SQRT(2*PI*T))
DD1=-D1
W=-X*N(DD1)+C*EXP(-R*T)*N(-D2)
ND=N(DD1)
RETURN
END
```

## 6.0 BIBLIOGRAPHY

- 1. Black, Fischer, "Fact and Fantasy In the Use of Options," reprint from Financial Analysts Journal, July/August, 1975
- 3. "All That's Wrong With The Black-Scholes Model," February 23, 1976
- 4. "The Long and Short of Options Trading," March 8, 1976
- 5. "The Long and Short of Options Trading (Conclusion)," March 22, 1976
- "What Happens to Stocks When Options Start Trading," April 19, 1976

7. "How We Came Up With the Option Formula," June 21, 1976

- "How We Came Up With the Option Formula (Conclusion)," July 5, 1976
- 9. \_\_\_\_\_, Scholes, Myron, "The Pricing of Options and Corporate Liabilities," <u>Modern Developments in Financial Management</u>, Stewart C. Myers ed., Praeger Publishers, NY, 1976, pp 229-246
- Gallager, Michael C., "Options Trading Markets Offer Unique Tax Savings Opportunities for Investors," <u>The Journal of Taxation</u> (JTAX), May 1975, p. 258
- 11. Gross, LeRoy, <u>The Stockbroker's Guide to Put and Call Option</u> Strategies, New York Institute of Finance, NY, 1974
- 12. Herskowitz, Elliot, "How Tax Considerations Enhance Opportunities In Listed Options," JTAX, October 1975, p. 212
- 13. Malkiel, Burton G., Quandt, Richard E., <u>Strategies and Rational</u> <u>Decisions in the Securities Options Market</u>, MIT Press, Cambridge, MA, 1969
- Miller, Jarrott T., <u>The Long and Short of Hedging</u>, Henry Regnery Co., Chicago, 1973
- 15. The Options Clearing House, Prospectus in Traded Put and Call Options, October 29, 1976
- 16. Rosen, Lawrence R., <u>How to Trade Put and Call Options</u>, Dow Jones-Irwin, Inc., Homewood, IL, 1974

- 17. Shepherd, William G., "The New Game in Options," <u>Business Week</u>, February 3, 1975, p. 53
- 18. Soll, Lauren S., "The Income Tax Ramifications of Securities Options," The Tax Adviser, August 1974, p. 484
- 19. <u>Tax Treatment of Options to Buy and Sell Stock, Securities or</u> <u>Commodities</u>, Hearing Before the House Committee on Ways and Means on HR 12224, April 5, 1976
- 20. <u>Tax Treatment of Transactions in Options</u>, Report prepared for the use of the House Committee on Ways and Means, April 13, 1976