Source and Pathway of the Western Arctic Upper Halocline in a Data-Constrained Coupled Ocean and Sea Ice Model

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Source and Pathway of the Western Arctic Upper Halocline in a Data-Constrained Coupled Ocean and Sea Ice Model

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ABSTRACT

A coupled ocean and sea ice model is used to investigate dense water (DW) formation in the Chukchi and Bering shelves and the pathways by which this water feeds the upper halocline. Two 1992–2008 data-constrained solutions at 9- and 4-km horizontal grid spacing show that 1) winter sea ice growth results in brine rejection and DW formation; 2) the DW flows primarily down Barrow and Central–Herald Canyons in the form of bottom-trapped, intermittent currents to depths of 50–150 m from the late winter to late summer seasons; and 3) eddies with diameters ∼ 30 km carry the cold DW from the shelf break into the Canada Basin interior at depths of 50–150 m. The 4-km data-constrained solution does not show eddy transport across the Chukchi Shelf at shallow depths; instead, advection of DW downstream of polynya regions is driven by a strong (∼0.1 m s⁻¹) mean current on the Chukchi Shelf. Upper halocline water (UHW) formation rate was obtained from two methods: one is based on satellite data and on a simple parameterized approach, and the other is computed from the authors’ model solution. The two methods yield 5740 ± 6420 km³ yr⁻¹ and 4190–4860 km³ yr⁻¹, respectively. These rates imply a halocline replenishment period of 10–21 yr. Passive tracers also show that water with highest density forms in the Gulf of Anadyr and along the eastern Siberian coast immediately north of the Bering Strait. These results provide a coherent picture of the seasonal development of UHW at high spatial and temporal resolutions and serve as a guide for improving understanding of water-mass formation in the western Arctic Ocean.

1. Introduction

The Arctic Ocean halocline, a layer of high vertical salinity gradient and of near-freezing temperature, insulates the surface sea ice from heat stored in Atlantic Water and has a significant impact on sea ice growth and melt (Aagaard et al. 1981; Steele and Boyd 1998; Rudels et al. 2004). Despite its importance, our understanding of Arctic halocline ventilation remains limited because of a lack of direct observations. In the literature, the halocline is often divided into an upper and lower layer based on the distinctive temperature and salinity (T–S) properties and origins of each layer. Figure 1 summarizes the qualitative definitions of Arctic upper halocline water (UHW) and lower halocline water (LHW) and the various mechanisms for halocline ventilation proposed by Weingartner et al. (1998), Woodgate et al. (2005a), Shimada et al. (2005), Pickart (2004), and Pickart et al. (2005). Ranges of salinity are approximately 32–33.3 psu for UHW and 33.3–34.3 psu for LHW. For studies of water-mass formation, Pickart (2004) and Woodgate et al. (2005a) also define core salinities for the UHW and LHW as approximately 32.85–33.1 and 34.0 psu, respectively.

The source and pathways of both the LHW and UHW are subjects of ongoing investigations. In this paper, we focus on the formation and ventilation of the UHW. For completeness, we first review current understanding of mechanisms for LHW and UHW ventilation and how they are related. Because of its higher salinity, the LHW is thought to be of Atlantic origin (Steele and Boyd 1998; Rudels et al. 2004). Woodgate et al. (2005a), however, showed that diapycnal mixing between Atlantic and

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Pacific Winter Water could be a potential mechanism for ventilation of the LHW. Weingartner et al. (1998) suggested that water formed during polynyas events, which he referred to as hypersaline water with near-freezing temperature and salinity $S > 34$ psu, could also be a source of LHW (black open oval in Fig. 1). As for the UHW, oxygen data analysis by Shimada et al. (2005) suggests that hypersaline water of Pacific origin ventilates the upper part of the halocline in the southern Canada Basin in the vicinity of the Alaskan coast. In addition to chemical tracers, Pickart (2004) and Pickart et al. (2005) also used hydrographic profiles to show that winter-transformed Bering Water ($T < -1.4^\circ$C and $32.5 < S < 33.5$ psu), which flows off the Chukchi Shelf via Barrow Canyon (BC) and Herald Canyon (HC), ventilates the upper halocline.

In addition to these observations, theoretical and numerical studies have been conducted by Gawarkiewicz and Chapman (1995, hereafter GC95), Chapman and Gawarkiewicz (1995, hereafter CG95), and Gawarkiewicz (2000) to specifically examine dense water (DW) formation and pathways on an idealized shelf. Dense water here refers to the combination of hypersaline and winter-transformed Pacific Water. These studies suggest that shelf eddies, which form because of frontal instability associated with coastal and bottom friction, serve as the main agent for transport of the DW to the shelf break. These eddies have characteristic length scales of $\sim 15$ km, time scales of growth of 6–10 days, and velocity magnitudes of 0.01–0.02 m s$^{-1}$; these scales imply a cross-shelf transit time scale of 10–30 days. This eddy transport mechanism limits the maximum shelf density anomaly within the DW to 0.2–1.0 kg m$^{-3}$ (GC95). When a submarine canyon such as Barrow or Herald Canyon is present, DW tends to collect inside the canyons and is carried off shelf episodically both as gravity-driven plumes and as eddy-driven slumps (CG95; Chapman 2000). The time scale of transports down the canyon from the canyon’s mouth is $\sim 14$ days. In the Canada Basin interior, the depth to which this DW reaches is determined by the location of the DW source and by the vertical stratification of the water column seaward of the shelf break (Gawarkiewicz 2000). In the case of the Chukchi Shelf, where a high-density (salinity) gradient exists (i.e., the halocline), the bottom-trapped DW is first carried by eddies to the shelf break at typical velocity of $\sim 0.05$ m s$^{-1}$; it then flows as frictional gravity current down to depths of 90–165 m (Gawarkiewicz 2000). The time scale of eddy transport from the source to depths of 90–165 m in the halocline is $\sim 90$ days.

The fate of the DW at the shelf break, at depths of 50–150 m, is investigated by Spall et al. (2008) using an idealized 1-km primitive equation model. They found that the DW is carried into the Canada Basin interior by dominantly cold-core anticyclonic eddies. These eddies, different from those formed on the shelf, develop along the Chukchi Shelf edge at middepth and have diameters of 20–30 km.

Related to the DW transport mechanisms both on the Chukchi Shelf and in the basin interior is the question of how much of the Pacific DW contributes to UWH in term of production rates. Cavalieri and Martin (1994, hereafter CM94) provided a first regional estimate of UWH production in the western Arctic Ocean for the period 1978–87 using satellite-derived sea ice concentration, in situ measurements of sea surface salinity, and basic assumptions about properties of halocline water. UWH in CM94 is defined as the resultant water mass of the mixing between DW and ambient lighter water (Fig. 1). A key assumption here is that all of the DW flows off the Chukchi Shelf into the Arctic Ocean interior and replenishes the halocline. Even though this assumption is partially supported by observations of shelf flows from hydrographic profiles (Melling 1993; Pickart 2004; Pickart et al. 2005), numerical studies have shown that such assumptions can be erroneous (Winsor and Björk 2000; Gawarkiewicz 2000). In particular,
Gawarkiewicz (2000) showed that only approximately half of the DW from the source reaches the halocline depth to become UHW, whereas the rest remains on the shelf or is transported off shelf to shallow depths, which then mixes with ambient water. It is important to note that numerical UHW production estimates, in general, can be highly sensitive to the atmospheric forcing used in the model. As an example, Winsor and Chapman (2002) showed that a high-resolution meteorological forcing on the Chukchi Shelf yields dense shelf water with typical salinity anomalies of 1.5 psu instead of the 1.0-psu salinity anomaly obtained using the National Centers for Environmental Prediction (NCEP) reanalysis. This difference in maximum salinity anomaly on the shelf can result in ~20% difference in the production rates of DW that ventilates the halocline (see, e.g., Fig. 7 of Winsor and Chapman 2002).

The nomenclature we adopt in the rest of this study is as follows: DW is defined as the combined hypersaline water (S > 33.6 psu and T < −1.8°C; Weingartner et al. 1998) and winter-transformed Pacific Water (32.3 ≤ S ≤ 33.6 psu and T < −1.3°C; Pickart et al. 2005) that form on the shelf. UHW is defined in two ways depending on the context. When pertaining to the CM94 method, UHW is the resultant product of the mixing between two end members: dense and ambient (lighter) water masses (Fig. 1). For the numerical model analyses, UHW is the portion of DW that crosses the 50-m isobath at the shelf slope and penetrates down to greater depths.

Two data-constrained coupled ocean and sea ice simulations at 9- and 4-km horizontal grid spacing are used in this study to investigate the main mechanism for ventilating the UHW. Specifically, we calculate production rates of DW on the Chukchi Shelf and trace this water as it flows off the shelf slope into the Canada Basin. The primary motivation for using solutions at 9- and 4-km grid spacing is to investigate the dependence of horizontal resolution on DW production and more importantly on the transport of this DW both on the Chukchi Shelf and in the Canada Basin interior. Because most global models currently cannot achieve horizontal grid spacing beyond 9-km, this study can potentially offer an assessment of the capability of global and pan-Arctic coupled ocean and sea ice models to simulate DW production and upper halocline ventilation. The use of the eddy-permitting 4-km solution allows us to investigate the contribution of eddy transport of DW into the halocline.

We estimate UHW production using two approaches: one follows CM94 and the other uses the model $T$–$S$ output and passive tracers. A comparison of the two methods will enable us to assess the validity of the various CM94 assumptions. When applicable, we compare our results of DW and UHW production rates and pathways with those from existing studies. The paper is organized as follows: Section 2 describes the model and the calculations of sea ice, DW, UHW production rates, and eddy transports. Results and discussions of sea ice, DW, UHW production, and eddy transports are in section 3. Summary and concluding remarks follow in section 4.

2. Method

In this section, we first describe the model and the study area and then describe the methods for calculating productions of sea ice, DW, UHW, and eddy transports.

a. Model description

This study is based on a regional Arctic configuration of the Massachusetts Institute of Technology general circulation model (MITgcm) (Marshall et al. 1997a,b). The ocean model is coupled to a dynamic/thermodynamic sea ice model, as described in Menemenlis et al. (2005b), Losch et al. (2010), and Heimbach et al. (2010). The model configuration is identical to that of Nguyen et al. (2011), with the exception that the horizontal grid spacing has been decreased from 18 km to 9 and 4 km and the bathymetry has been updated accordingly in order to better resolve the flow down the narrow and steep Barrow Canyon. Bathymetry for the 9-km solution is from the blend S2004 (Marks and Smith 2006) with minor modifications in the Barrow Canyon to ensure that the canyon slopes match with those from Pickart et al. (2005). For the 4-km solution, we merged S2004 with the International Bathymetric Chart of the Arctic Ocean (IBCAO; Jakobsson et al. 2008). No special treatment for Barrow Canyon was employed in the merged bathymetry.

Salt rejected during sea ice formation is treated using the subgrid-scale salt plume parameterization of Nguyen et al. (2009). This parameterization is key to permitting a realistic representation of the upper halocline in the 18-km solution of Nguyen et al. (2011). Model parameters, initial conditions, and surface boundary conditions for the 18-km solution were selected and adjusted using the Green’s function approach of Menemenlis et al. (2005a) to fit a large complement of hydrographic and sea ice observations (see Table 2 of Nguyen et al. 2011). Monthly-mean estuarine fluxes of freshwater are based on the Regional, Electronic, Hydrographic Data Network for the Arctic Region (R-ArcticNET) dataset (Lammers et al. 2001).

As in Nguyen et al. (2011), sea ice initial conditions for January 1992 are from the Polar Science Center (Zhang and Rothrock 2003) and ocean initial conditions are from the World Ocean Atlas 2005 (Antonov et al. 2006; Locarnini et al. 2006). Surface boundary conditions are
from the Japanese 25-year Reanalysis (JRA25; Onogi et al. 2007). Lateral boundary conditions are from the partially constrained Estimating the Circulation and Climate of the Ocean, Phase II (ECCO2) solution (Menemenlis et al. 2008). No surface temperature and salinity restoring is used. The integration period is 1992–2008. We did not see any large model drift at the beginning of the integration period. As a precaution, however, analyses shown in this study begin in January 1995. Several subsequent time series of heat flux across Bering Strait, sea ice production, and DW production will be shown here to address the stability of the solutions.

To assess the 9- and 4-km solutions, we calculated the model–data misfits and compared with those from the optimized 18-km solution in Nguyen et al. (2011). The most relevant assessments are transports across Bering Strait and the hydrography in the western Arctic Ocean (Fig. 2). The largest difference between the solutions is the drift in the core temperature of the Atlantic Water layer in the model, which is enhanced as horizontal resolution increases (Fig. 2b). There is also a small change in the net heat and volume (8%) transports across Bering Strait. The increase of misfits in the higher-resolution solutions is expected because the 18-km optimized parameters for ocean mixing and transports are resolution dependent and because the 9- and 4-km solutions have higher eddy activity. We discuss any effect of these differences on DW production in section 3. The overall properties of water masses above 150 m in both the 9- and 4-km solutions, however, are consistent with those in the optimized solution that was assessed in Nguyen et al. (2011). We note that additional assessments of these three solutions can be found in Holloway et al. (2011).

Figure 3 shows the regional Arctic Ocean model domain and an inset of the study area, which includes the Chukchi and Bering Seas. Water flows from Bering Strait into the Arctic Ocean interior through four main pathways: Barrow Canyon, Central Channel (CC), Herald Canyon, and Long Strait (Fig. 3; Woodgate et al. 2005b; Pickart et al. 2005). Of these pathways, BC is the steepest, which induces the most energetic downslope flow (Pickart et al. 2005). As we will show using passive tracers, there is negligible flow down Long Strait. Thus, gates BC and CC as shown in Fig. 3, are sufficient to capture dense shelf water flux down the slopes. Note that gate CC + HC, as shown in Fig. 3, are sufficient to capture dense shelf water flux down the slopes. Note that gate CC + HC covers both CC and HC as well as the shelf slope connecting the two canyons.

b. Calculations following CM94

This section describes the steps to obtain sea ice, DW, and UHW production rates using CM94 procedure. The five key assumptions CM94 made are 1) the starting date of winter, 2) the sea surface salinity, 3) the enhanced salinity of DW, 4) the core UHW salinity, and 5) that all DW makes its way to the halocline. As we try to reproduce CM94’s calculations, we made similar assumptions but further discuss how we test sensitivities of our results to such assumptions. The purpose of this exercise is to gain understanding into the effect of various assumptions and to compare production rates with our numerical results. Only the 9-km solution is used in this section.

1) SEA ICE PRODUCTION CALCULATIONS

CM94 assumed an early and a late start date to define the beginning of winter (assumption 1), then used open water fraction from the Nimbus-7 Scanning Multichannel Microwave Radiometer (SMMR) and meteorological data to estimate net heat loss during each winter. We follow the CM94 procedure using open water fraction from the Special Sensor Microwave Imager (SSM/I) and atmospheric boundary conditions from JRA25 to calculate heat loss. These results are also compared with the model output of heat loss for evaluation purpose. These early and late start dates correspond to the time when their regions have 15% and 80% sea ice, respectively.
Note that the sea ice on the Chukchi Shelf is seasonal with ice concentration ranging from 0% during the summer to 95%–100% during the winter. Hence, these start dates are attempts to pick out the first date of the freezing season. In our analysis, we use a start date that corresponds to a sea ice concentration of 95% and will investigate the sensitivity of ice production to this start date definition by varying sea ice concentration between 90% and 99%. We also define the end of the sea ice production season as when heat loss from the ocean to the atmosphere is less than 20 W m\(^{-2}\). In the simulation, sea ice on the Chukchi Shelf typically reaches 95% concentration during the third week of December. During each winter, sea ice volume production \(V_i\) and salt release \(\text{Salt}_F\) are obtained from the daily heat loss \(H_L\) (Joules) as follows:

\[
V_i = H_L \rho_i^{-1} L^{-1} \quad \text{and} \quad \text{Salt}_F = \rho_i V_i (S_w - S_i),
\]

where \(H_L\) is either obtained from the net JRA25 ocean-to-atmosphere heat flux or from the model output, \(\rho_i\) is the ice density \((0.92 \times 10^3 \text{ kg m}^{-3})\), \(L\) is the latent heat of fusion \((3.34 \times 10^5 \text{ J kg}^{-1})\), \(S_w\) is the salt-water salinity, and \(S_i\) is the sea ice salinity. The two different ways of obtaining \(H_L\) offer insight into differences between model and SSM/I sea ice and open water conditions. In the model, \(S_i\) is set to \(-10\) psu (Nguyen et al. 2011). In their calculation, CM94 increased the heat loss to take into account a lower \(L_i\) due to \(S_i > 0\) [see Eq. (2) in CM94]. In our model, however, we did not parameterize \(L_i\) as a function of \(S_i\). As a result, we did not increase the heat loss the way CM94 did; if we had done so, sea ice production would have been higher. We discuss the effect of this higher heat loss on sea ice production in section 3a(1).

Figure 4a shows the nine regions used for comparison with sea ice production estimated from CM94. These 9 regions span approximately the same area as the 23 regions used in CM94. In addition, we evaluate ice production along the Alaskan coast in the Chukchi Sea (region 1) with that from the more recent estimates, which are calculated using a more sophisticated procedure and are based on SSM/I and Advanced Microwave Scanning Radiometer (AMSR) data (Martin et al. 2004, 2005).

2) DENSE WATER AND UPPER HALOCLINE WATER CALCULATIONS

DW and UHW productions described here are based on the ice production rate above and follow the CM94 procedure. To calculate DW production, CM94 needed the surface salinity \(S_s\) and DW salinity \(S_d\) (assumptions 2 and 3). For \(S_s\), CM94 used a compilation of in situ observations and assigned three values in each region to cover the observed variability in the data. For \(S_d\), due to the lack of observations, CM94 assumed two different values: 1.5 and 2.0 psu higher than \(S_s\). Values calculated from the CM94 late start date, intermediate \(S_s\), and averaged over the two \(S_d\) are used in this study for comparison.

For the model calculations, with available outputs of \(T-S\), the CM94 assumption for \(S_d\) is not necessary. Following CM94, the model-based calculation of DW volume \(V_d\) is
where \( \rho_d \) is the density of DW and \( \rho_o \) the density of ambient water. As defined in CM94, \( V_d \) is the DW with salinity ranging from 1.5 to 2 psu higher than the background water’s salinity that is available to mix with ambient water to produce UHW (what we call dense water in Fig. 1). In the model-based calculations, \( S_o \) is estimated within each region using the mean 1993–2008 salinity in the first three layers (centered at the 5-, 15-, and 25-m depths) for the following reasons: First, we want to reproduce the CM94 method, which includes an assumption about mean background salinity within each region; CM94 used regional-mean values based on in situ observations, and we use regional-mean values based on the model output of salinity. Second, the Chukchi Shelf is ~50 m deep (i.e., five model vertical levels) and, as we will show later in the analysis, the bottom two layers in the model tend to contain the newly formed DW. As a result, we use the top three layers to calculate the mean regional background salinity. This salinity range will also allow us to look at the sensitivity of DW production as a function of assumed \( S_o \) in section 3a(3). To further quantify the fractional DW production, we separate \( V_d \) into five categories of potential density anomaly at increments \( \Delta \sigma \) of 0.2 kg m\(^{-3}\).

It will be shown that the inclusion–exclusion of the contribution from Eq. (5) approximately corresponds to the inclusion–exclusion of the contribution from the smallest \( \Delta \sigma \) of DW. Uncertainties in \( V_d \) and \( V_{UHW} \) are estimated from the range of \( S_o \) and \( S_{UHW} \) used [section 3a(3)].

3) MODEL SKILL MEASUREMENT

To quantitatively evaluate the model sea ice, DW, and UHW productions, we use the root-mean-square error (RMSE) as defined in Oke et al. (2002),

$$\text{RMSE}^2 = \frac{1}{N} \sum_{i=1}^{N} (m_i - o_i)^2 = (m - \overline{m})^2 + (s_m - s_o)^2 + 2s_m s_o (1 - r) = (MB)^2 + (SDE)^2 + 2s_m s_o (1 - r),$$

where \( m \) is the model output, \( o \) is the observation, \( \overline{m} \) is the model mean, \( s_m \) is the model standard deviation, \( s_o \) is the observation standard deviation, \( r \) is the correlation coefficient between the model and observation, \( MB \) is the model bias, and \( SDE \) is the spatial difference error.
where $m_i$ and $o_i$ are modeled and satellite-derived values, the overbar denotes the time mean, $s_m$ and $s_o$ are the model and satellite-derived sample standard deviations, $r$ is the correlation coefficient defined as $r = s_m^{-1}s_o^{-1}N^{-1}\sum_{i=1}^{N}(m_i - \overline{m})(o_i - \overline{o})$, and $N$ is the number of overlapping years of the modeled and satellite-derived ice production time series. Equation (6) shows that the mean of misfit (model minus data) squared (RMSE)$^2$ can be decomposed into three terms related to the mean model bias (MB), the error in variability SDE, and the correlation error $1 - r$ (Oke et al. 2002).

For ice production in region 1, in addition to comparing satellite derived ($o_i$; Martin et al. 2004, 2005) with estimates from both the model ($m_i$) and JRA25–SSM/I ($m_1$), we also compare the model production to that computed from JRA25–SSM/I. Because JRA25 forcing is used in both the JRA25–SSM/I and the model ice production computations, we expect the two to be highly correlated except in the case when the model is adjusting during initial state or when the model ice cover is drastically different from SSM/I concentration.

c. Model numerical calculations and tracer setup

Here we described DW and UHW production calculations using the model 3-day average of T–S and passive tracers. Eight passive tracers in the 9-km configuration as shown in Fig. 4b are used to calculate DW and UHW productions. Initial locations of the passive tracers are constrained by the bathymetry as follows: tracer A covers the eastern Chukchi Shelf and is confined to depths above 30 m; tracer B covers shallow water above 30 m surrounding Herald Shoal and Wrangel Island; tracer C hugs the eastern Siberian coast just north of Bering Strait above the 30-m depth; tracer D covers the rest of the Chukchi Shelf below 30 m; tracer E covers the area shallower than 25 m surrounding the St. Lawrence Island; tracer F covers Norton Sound at depths shallower than 30 m; tracer G covers the Gulf of Anadyr in the northern Bering Sea above 40 m; and tracer H covers the Laptev and east Siberian shelves above 30-m depth. These locations are related to the nine regions covered in CM94 (Fig. 4a) as follows: Tracers A–C and E–G overlap with the nine above-mentioned regions and encompass the areas where CM94 deemed polynyas most likely to occur. In addition, tracers D and H cover locations where winter-transformed water most likely forms. These eight tracers are injected only in the model surface level at each model time step. Thus, any tracer seen at depth reflects the sinking of DW. DW within the tracers is further constrained with mean temperature $T < -1.3^\circ C$ and $S > 32.3$ psu ($\sigma_r > 26.0$ kg m$^{-3}$). Finally, UHW flux is calculated as the volume of DW, which flows downslope below the 50-m depth in Barrow Canyon and the combined Central and Herald Canyons (Fig. 4b).

To investigate the contribution of eddy transport to UHW ventilation, we calculate eddy and mean fluxes using 3-day average ocean T–S and velocity fields from the 4-km configuration as follows,

$$u'\overline{C'} = \overline{uC} - \overline{uC}$$

where $u$ is the total down-slope velocity, $u'$ and $\overline{u}$ are the eddy and mean components with $u = \overline{u} + u'$, and $C$ is the DW property (density, salinity, temperature). As is the case in the 9-km configuration, DW is constrained to $T < -1.3^\circ C$ and $S > 32.3$ psu ($\sigma_r > 26.0$ kg m$^{-3}$). Temporal averaging periods ranging from 1 month to 1 yr are used to calculate the mean fields in order to investigate the time at which the mean and eddy transports are stable.

3. Results and discussion

In this section we first compare polynya, sea ice, DW, and UHW productions following the CM94 procedure with estimates from the satellite-derived ice productions of Martin et al. (2004, 2005) and of CM94. A discussion of DW production based on the 9- and 4-km model T–S and velocity fields follows. The seasonal cycle of DW formation in both the 9- and 4-km simulations is also compared. Finally, we show UHW mean and eddy transport from the shelf break into the Canada Basin interior from the 4-km simulation. The time scale of halocline ventilation will also be estimated.

a. Results based on CM94 calculations

1) SEA ICE PRODUCTION

A 1993–2008 time series of net sea ice production along the Alaskan coast in the Chukchi Sea (region 1), as obtained from Eq. (1) is shown in Fig. 5a. The error bars in Fig. 5a show the range when the sea ice concentration, which is used to define the start date of each winter season, is between 90% and 99%. In the same figure, we also show recent satellite-derived estimates from Martin et al. (2004, 2005). The wind condition near the coast of Alaska plays an important role in driving sea ice offshore and dictates the rate of polynya formation (Pickart et al. 2005; Martin et al. 2005). This gives rise to the large interannual variability in sea ice productions seen in Fig. 5a. Prior to 1999, the model underestimates the satellite-derived sea ice production variability (Fig. 5a).
The first three rows of Table 1 list values for RMSE, correlation coefficient $r$, and the three terms in Eq. (6) for ice production in region 1 during the 1995–2003 period, which is the overlapping period between modeled and satellite-derived ice production. All time series have high correlation coefficients with each other with $r \approx 0.85$. As anticipated, the model variability matches that of JRA25–SSM/I with the lowest SDE of 4 and highest correlation coefficient $r = 0.97$. In addition, there is only a very small bias (MB = 1) between JRA25–SSM/I and the model, implying that the model sea ice coverage matches that from SSM/I very well. Compared to satellite-derived production, however, both the model and JRA25–SSM/I overestimate production by 12–13 kg yr$^{-1}$. In addition, both the model and JRA25–SSM/I underestimate the variability (SDE of −11 to −14; see also Fig. 5a). If we increase heat loss to account
for the dependence of \( L_i \) on \( S_i \) in Eq. (1), MB would increase to \( \sim 28 \), but SDE would remain approximately the same at \( \sim 9 \). The consistent overestimation of the mean and underestimation of variability in the model and JRA25–SSM/I compared to satellite-derived values suggests a common issue related to the JRA25 forcing. However, the overall high correlation in sea ice production between this study and Martin et al. (2004, 2005), which is based on calculations of heat loss in polynyas, suggests that sea ice between Cape Lisburne and Point Barrow in the Chukchi Sea is produced primarily during polynya events.

Table 1 (last two rows), Table 2, and Fig. 5c summarize the statistics and annual sea ice production in all nine regions shown in Fig. 4a. Error bars in Fig. 5c show the interannual variability around the 1993–2008 mean. Note that, because CM94 is an alternate method for estimating sea ice, we relabel the model and CM94 as \( m_1 \) and \( m_2 \), respectively, in place of \( m \) and \( o \) in Eq. (6). The correlation in ice production between the model and the CM94 estimates is 0.92. In both model and CM94, ice production is largest in the Gulf of Anadyr (region 7), a result of prevailing northeasterly wind that pushes sea ice

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<td>Model 9 km</td>
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<td>JRA25–SSM/I</td>
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<td>Model 9 km</td>
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</table>

Regions 1–4 and 6–9 sea ice production

| \( m_1 \) | \( m_2 \) | \( N \) | \( \mu_1 \) | \( \mu_2 \) | \( s_{m1} \) | \( s_{m2} \) | RMSE | MB | SDE | \( r \) | \( r \) error |
| Model 9 km | CM94 | 8 | 41 | 69 | 30 | 58 | 44 | −28 | −29 | 0.92 | 17 |

Table 2. Annual-mean 1993–2008 sea ice, DW, and UHW production. Estimates are based on the CM94 procedure. SUM1 reflects total production where contribution from the first \( \Delta S \) bin is excluded.

| Region | \( S^a \) | \( S^b \) | \| Box | \( S^c \) | \( S^d \) | DW
<table>
<thead>
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</thead>
<tbody>
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<td>31.4</td>
<td>31.5</td>
<td>120–165</td>
<td>1860–2620</td>
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</tr>
<tr>
<td>2</td>
<td>30.7</td>
<td>31.1</td>
<td>15–24</td>
<td>190–320</td>
<td></td>
<td></td>
</tr>
<tr>
<td>3</td>
<td>31.3</td>
<td>31.9</td>
<td>27–32</td>
<td>440–540</td>
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<tr>
<td>4</td>
<td>29.3</td>
<td>29.2</td>
<td>28–47</td>
<td>130–220</td>
<td></td>
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</tr>
<tr>
<td>5</td>
<td>30.1</td>
<td>30.0</td>
<td>25–34</td>
<td>125–173</td>
<td></td>
<td></td>
</tr>
<tr>
<td>6</td>
<td>31.3</td>
<td>30.5</td>
<td>25–34</td>
<td>360–510</td>
<td></td>
<td></td>
</tr>
<tr>
<td>7</td>
<td>32.3</td>
<td>32.8</td>
<td>125–173</td>
<td>4620–6410</td>
<td></td>
<td></td>
</tr>
<tr>
<td>8</td>
<td>31.4</td>
<td>30.8</td>
<td>26–34</td>
<td>360–510</td>
<td></td>
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<td>31.2</td>
<td>38–42</td>
<td>470–540</td>
<td></td>
<td></td>
</tr>
<tr>
<td>SUM</td>
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<td>360</td>
<td>404–551</td>
<td>8430–11650</td>
<td></td>
<td></td>
</tr>
<tr>
<td>SUM1</td>
<td>3880</td>
<td>4100</td>
<td>5050</td>
<td>1360</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>

Uncertainty\(^g\) 14% 20% 55% 33%

<table>
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<tr>
<th>Region</th>
<th>( S^a )</th>
<th>( S^b )</th>
<th>( S^c )</th>
<th>( S^d )</th>
<th>( DW^d )</th>
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<td>120–165</td>
<td>1860–2620</td>
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<td>15–24</td>
<td>190–320</td>
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<tr>
<td>3</td>
<td>31.3</td>
<td>31.9</td>
<td>27–32</td>
<td>440–540</td>
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<tr>
<td>4</td>
<td>29.3</td>
<td>29.2</td>
<td>28–47</td>
<td>130–220</td>
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<tr>
<td>5</td>
<td>30.1</td>
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<td>25–34</td>
<td>125–173</td>
<td></td>
</tr>
<tr>
<td>6</td>
<td>31.3</td>
<td>30.5</td>
<td>25–34</td>
<td>360–510</td>
<td></td>
</tr>
<tr>
<td>7</td>
<td>32.3</td>
<td>32.8</td>
<td>125–173</td>
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<tr>
<td>8</td>
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<tr>
<td>9</td>
<td>29.9</td>
<td>31.2</td>
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<td>470–540</td>
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<td>360</td>
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<td>8430–11650</td>
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<tr>
<td>SUM1</td>
<td>3880</td>
<td>4100</td>
<td>5050</td>
<td>1360</td>
<td></td>
</tr>
</tbody>
</table>

Uncertainty\(^g\) 14% 20% 55% 33%

\( ^a \) Mean 1993–2008 salinity in the upper 30 m.
\( ^b \) Intermediate surface salinity.
\( ^c \) Ranges are based on early and late winter starting dates.
\( ^d \) Based on sea ice and averaged over the two CM94 values for \( S_s \). See section 3a(2) for discussion.
\( ^e \) \( \pm \) values reflect the interannual variability around the 1993–2008 mean.
\( ^f \) CM94 provided combined estimates for boxes 7–11 and 30. Here we split the estimates from boxes 7–11 into our regions 6 and 8.
\( ^g \) Values reported here are cumulative uncertainties when additional factors are taken into consideration. See section 3a(3) for further discussion.
ice away from the coast in this area (CM94). Overall, the net ice production from the model (359 ± 49 km³ yr⁻¹) is lower than the CM94 estimate (404 km³ yr⁻¹; Table 2), which resulted in negative MB and SDE (fourth row in Table 1). Along the Alaskan coast (region 1), our estimate of 65 ± 23 km³ yr⁻¹ agrees with that from Martin et al. (2004, 2005) of 67 ± 42 km³ yr⁻¹ but is significantly less than the CM94 values (120–165 km³ yr⁻¹; Table 2). If we take into account the dependence of Lᵣ on Sᵣ in Eq. (1), the model ice production for this region would increase to ~85 km³ yr⁻¹, which is still significantly lower than CM94 values. CM94 estimated errors in ice production in this area of 30–40 km³ yr⁻¹, which potentially bring their lower estimate for the region to ~80 km³ yr⁻¹. For comparison, Winsor and Björk (2000) calculated a significantly lower rate of 12.1 km³ yr⁻¹ for this same region over 39 winter seasons from 1958 to 1997 using a polynya model forced by NCEP. It is unclear why their values are significantly lower than Martin et al. (2004); they speculated that it may be due to errors in open water identification in SSM/I concentration.

2) DW AND UHW PRODUCTION

Net DW production in all nine regions, as calculated using sea ice production described above and following Eq. (3), is summarized in Tables 1 and 2 and shown in Fig. 5b. Nearly half of the DW produced during each winter is within the range 0.05–0.25 kg m⁻³ (i.e., the first density bin Δσᵣ). Note that these Δσ ranges are defined in reference to the ambient water with average salinity shown in Table 2 (second column). This means that, in all nine regions, water within Δσᵣ corresponds to that with S < S_UHW. If we exclude CM94’s assumption in Eq. (5) (i.e., consider that DW within Δσᵣ is not dense enough to contribute to the total halocline water production and exclude it), the annual-mean DW production over the 1993–2008 period is 3880 ± 630 km³ yr⁻¹ (SUM₁ in Table 2). Following Eqs. (4) and (5), over the same period, local mixing yields UHW production of 5740 ± 1420 km³ yr⁻¹ with Δσᵣ included and 5050 ± 1360 km³ yr⁻¹ with Δσᵣ excluded.

A region-by-region comparison with CM94 is shown in Fig. 5d. Shaded area in Fig. 5d covers the upper and lower limits of the assumed surface salinities in CM94. Error bars in both Table 2 and Fig. 5d are the interannual variability around the 1993–2008 mean values. Similar to the sea ice production, the model mean and variability of DW across all regions are lower than those from CM94 (MB = −19 and SDE = −38) primarily due to lower values in regions 1 and 7 (Fig. 5d). The high correlation of 0.96 between the model and CM94 is not unexpected because of the high correlation in ice productions and because we followed the CM94 procedure to calculate DW. It remains to be seen if these DW production rates are consistent with estimates from model numerical calculations using the model output of water properties in the next subsection.

3) UNCERTAINTY ESTIMATES

Here we discuss (i) the sensitivity of sea ice production to winter starting date and (ii) the sensitivity of DW and UHW production to surface water salinity Sᵣ, surface temperature, and UHW core salinity S_UHW. CM94 selected an early and a late winter start date to assess the variability in sea ice production. In this study, we define the start of winter as when sea ice concentration reaches 95%. A lower or higher concentration directly corresponds to redefining the start of the winter season at an earlier or later date and yields a higher or lower sea ice production, respectively. To examine the sensitivity of production based on this assumption, we calculate the upper and lower bounds in production using 90% and 99% sea ice concentration. Sensitivity of sea ice production to end date definition is lower than sensitivity to start date definition. The end date is chosen when net heat loss from ocean to the atmosphere is ~20 W m⁻². This relatively small heat loss, combined with reduced sea ice concentration and thickness in the seasonal ice zone at this time of year, means that ice growth and brine rejection are relatively small near the end date compared to starting date. The error bars in Fig. 5a (red curve) and in Table 2 (third column) reflect the sensitivity of sea ice production to the 90%–99% sea ice concentration range. For the entire western Arctic (i.e., the combined nine regions in Fig. 4), the uncertainty is approximately 14% of the net sea ice production (error bars in Fig. 5c).

For DW calculation, CM94 estimated that a 1% change in Sᵣ and a 5% change in sea ice concentration correspond to 23% and 7% changes in the DW production, respectively. In the simulation, net DW production varies within 15% of the mean because of variations in Sᵣ in the top three layers (±1100 km³ yr⁻¹; Table 2, fourth column). If we include the 14% sea ice production uncertainty from above, the net uncertainty in DW production is ~20% (Table 2, fourth column).

For UHW production rate, the sensitivity of UHW is ~50% for a 1% (0.3 psu) change in S_UHW. If we allow for this 1% of S_UHW uncertainty, the combined uncertainty is 54% (50% from S_UHW and 20% from DW as discussed above assuming uncorrelated errors; bottom row in Table 2). Therefore, the UHW production rate uncertainty in the CM94 procedure is dominated by the S_UHW uncertainty.

b. Model results

We first show the seasonal cycle of DW formation and UHW ventilation. Production rates of DW and UHW
from both the 9- and 4-km simulations follow. Finally, we discuss the contribution of eddy transport to the net DW flow on the shelf and in the Canada Basin interior.

1) **Seasonal Cycle of DW Formation and UHW Ventilation**

During the winter months, in addition to winter-transformed water on the Chukchi Shelf, polynya events such as the one shown in Figs. 6a–c often develop along the coast. These events can produce highly salty and DW ($T < -1.8^\circ C$, $S > 34$ psu, and $\sigma > 27.25$ kg m$^{-3}$) in the upper 30 m in the model. Below 30 m, maximum salinity is typically 1 psu lower. At 4-km resolution, the model just begins to resolve the shelf eddies predicted by GC95 and CG95. A closer look at the feature with concentric salinity contours in Fig. 6c shows a surface-level cyclonic eddy that formed on 22 February 1998. Between 28 February and 3 March 1998, the eddy is first seen detaching from the main source before merging with an existing salinity anomaly and getting advected...
downstream. The total distance the eddy traveled along the coast before losing its characteristics is ~48 km (12 grid points). Both the eddy’s growth rate of ~6 days and length scale of 30 km (in diameter) are consistent with those predicted in theoretical calculations. GC95 estimated eddies transporting DW to the shelf slope at a mean speed of ~0.02 m s\(^{-1}\). We note, however, that GC95 and CG95 did not consider DW formation within a strong spatially varying flow or with realistic, spatially varying bathymetry. When there is a strong alongshore current and a submarine parallel to the main flow direction, Chapman (2000) showed that a substantial amount of DW can be advected into the canyon. In the 4-km simulation, the along-shelf mean flow, on the order of 0.05–0.1 m s\(^{-1}\), is the primary mechanism of DW advection to the canyons.

Figures 7 and 8 show the \(T-S-\sigma\) vertical structure of section AA\(^{9}\), which runs through the center of the polynya shown in Fig. 6a. On 28 February 1998, the vertical extent of hypersaline water is seen down to the bottom of the 20-m shallow shelf. The main qualitative difference between the 9- and 4-km solutions is in the horizontal extent of the densest water (e.g., \(\sigma > 27.4\) kg m\(^{-3}\) in Figs. 7a, 8a). Because of local mixing and advection, areas surrounding and downstream of the polynya also have relatively high salinity-density. By 19 June 1998, bottom-trapped dense shelf water is seen flowing down the shelf in both 9- and 4-km vertical sections, and middepth (70–120 m) salinity contours of 32–33 psu are seen extending onto the shelf (Figs. 7b, 8b). This result is consistent with those of Gawarkiewicz (2000) for the case of high salinity gradient offshore (e.g., his Fig. 11a for day 70). By 20 October 1998, small remnant of DW, which is transported northward from the Bering Sea throughout the summer months, is seen flowing down the shelf slope. The large contrast in the \(T-S-\sigma\) density vertical structures between 28 February 1998 and 26 February 1999 in Figs. 7 and 8 is a manifestation of interannual variability, which we will discuss further in section 3b(2). Specifically, we will show that during the years 1999 and
2003 there are no significant DW transports down Barrow Canyon.

The seasonal cycle of DW formation and UHW ventilation is shown in Fig. 9 for the 9-km simulation and is based on the 1995–2008 mean vertical T–S–σ structures along profile BB'. The cycle for 4-km is similar and is not shown here. Throughout the winter, in addition to hypersaline water that forms during polynya events, winter-transformed water is also found on the Chukchi Shelf as a result of cooling and northward advection from the Bering Sea (\(T < -1.6^\circ\text{C}\) in Figs. 9a,b; Pickart 2004). This cold and dense water flows down either the canyons or shelf slope to depths of 50–100 m and warms up to approximately \(-1.4^\circ\text{C}\) as it mixes with the warmer ambient water (Fig. 9c). Seaward of the shelf break, the core UHW can be seen with temperature \(T \approx -1.3^\circ\text{C}\) and \(26.4 \text{ kg m}^{-3} \leq \sigma \approx 27 \text{ kg m}^{-3}\) at a depth centered at \(\sim 100 \text{ m}\) (Fig. 9). The halocline depth in the model varies between 100 m near the Chukchi Cap area to 150 m in the Beaufort Sea. During the summer and fall months (July–November), water with \(S < 31.5 \text{ psu}\) and \(T > 0^\circ\text{C}\), also known as Pacific Summer Water (PSW; Woodgate and Aagaard 2005), flows northward through Bering Strait (kilometer 0 in Fig. 9c) and slides above the bottom-trapped DW to reach the Chukchi Shelf. Throughout this time, DW continues to flow downslope while some of it mixes with the warm and fresh PSW on the shelf (Fig. 9c). In the following winter, PSW settles at a depth of \(\sim 40 \text{ m}\) as surface water cools (water with \(T \approx -0.8^\circ\text{C}\) in November in Fig. 9d) and the seasonal cycle restarts.

2) DW AND UHW PRODUCTIONS IN THE MODEL

To quantify off-shelf flux, we track DW using the criteria \(T < -1.3^\circ\text{C}\) and \(S \approx 32.3 (\sigma > 26.0)\) in both the 9- and 4-km simulations. Figure 10 shows the 3-day average and annual flux of DW below 50 m across gates CC + HC and BC for the period 1995–2008 (see Fig. 3b for location of the gates). Three-day average velocity shows the intermittent nature of the flow down all canyons, with more bursts seen in BC for the 4-km simulation (Fig. 10b). Annual transports down CC + HC are independent of model resolution with remarkable agreements across all potential density anomaly ranges.
Δσ, both in annual time series and annual-mean rates (Figs. 10a,c,d). The fractions of DW as a function of Δσ are 20%, 51%–54%, 24%–27%, and 2%–3% for the four Δσ shown in Fig. 10d.

For Barrow Canyon, there is a systematic difference with ~25% higher flux across all Δσ in the 4-km simulation compared to the 9-km simulation (Figs. 10b,e). One possible explanation is that, at higher resolution,
Barrow Canyon is better resolved and this allows the DW jet, which is observed by Pickart et al. (2005), to flow at a faster rate down the more confined, steeper, and narrower canyon (Wang et al. 2011) instead of being mixed horizontally. The fractional contributions are 25%, 54%–61%, 13%–20%, and 1% for the four $\Delta\sigma$ shown in Fig. 10f.

Averaged over the 1995–2008 period, DW transports across the gate BC are $1612 \pm 696$ and $2181 \pm 1207$ km$^3$ yr$^{-1}$ in the 9- and 4-km simulations, respectively. Transports across gate CC + HC are $2579 \pm 636$ km$^3$ yr$^{-1}$ and $2682 \pm 786$ km$^3$ yr$^{-1}$ in the 9- and 4-km simulations, respectively (Fig. 11a). These rates yield total transports of $4191 \pm 1152$ km$^3$ yr$^{-1}$ and $4863 \pm 1440$ km$^3$ yr$^{-1}$ for the two simulations, respectively. The error bars reported here represent interannual variability.

The geographic dependency of DW source and pathways is investigated with the use of eight passive tracers in the 9-km simulation, as described in section 2c. DW forms on the Chukchi Shelf throughout the winter months and begins flowing down BC typically between February and April and continues until July–August. This start date for off-shelf flows down BC is consistent with mooring observations in Weingartner et al. (1998). Flows down CC + HC begin later, approximately in April, and end in July or August. Figure 11b shows the 1995–2008 annual-mean flux down the BC and CC + HC gates as a function of geographic source and $\Delta\sigma$. The Gulf of Anadyr in the northern Bering Sea (tracer G) contributes the largest volume of DW per unit area. This result is consistent with CM94. Overall, the Chukchi Sea (tracers A and D) contributes 56% to the total off-shelf flux across both BC and CC + HC, followed by the Gulf of Anadyr and Norton Sound (tracers G and F) at 18% and 10%, respectively (Table 3). Error bars reported in Table 3 and Fig. 11 are standard deviations of UHW production rates around its 1995–2008 mean. A very small amount of DW (24 \pm 14; <1%) from the Laptev Sea and east Siberian coast (region H) is seen flowing down CC + HC or BC. A closer look shows that the water in this region is too light and stays almost entirely in the upper 50 m. We note that this result is sensitive to the freshwater input. In both the 9- and 4-km simulations, the eastern Siberian Sea and Norton Sound receive 814 and 242 km$^3$ yr$^{-1}$ of freshwater, respectively. As a result, the ambient water in these two regions (tracers...
F and H) can be significantly fresher than the surroundings and potentially yield less brine-enriched DW.

3) MEAN AND EDDY TRANSPORTS

GC95, CG95, and Winsor and Chapman (2002) simulated eddies that (i) form on the Chukchi Shelf, (ii) peel off lenses of brine-enriched DW from the source, (iii) transport these lenses downslope, and (iv) prevent water of excessive salinity from forming on the shelf during the winter. As discussed in section 3b(1), a few (one or two per month) of the eddies mentioned in (i) and (ii) above are reproduced in the 4-km simulation to a certain extent. Based on the analysis of the 3-day average shelf velocity field (Fig. 6), however, these few surface cyclonic eddies lose their coherence a short distance downstream from the source.

Our results here are supported by some observations. For example, Danielson et al. (2006) also found insignificant eddy activity on the shelf in the vicinity of brine-rich water in polynyas along St. Lawrence Island (see Fig. 3 for location). Their result was based on densely spaced (10 km) mooring measurements in a field campaign, which was designed specifically to study the shelf eddy activity predicted by CG95. They suggested that the alongshore advection of DW by strong seasonal flow is the likely reason for lack of eddy activity. In addition, shears from spatially varying mean flow can potentially export DW away from the source and delay, distort, or inhibit the frontal instability growth and consequently impede the development of eddies (Danielson et al. 2006).

Farther downstream of the DW source, Chapman (2000) had shown that a combination of relatively strong mean flow and submarine canyons oriented along that mean flow direction can lead to delayed eddy development and to eddy-associated intermittent bursts of

---

**TABLE 3. DW flux across BC and across CC + HC. Flux is in km$^3$ yr$^{-1}$ and is based on 1995–2008 mean passive tracers.**

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<thead>
<tr>
<th>Tracers</th>
<th>$\Delta \sigma$</th>
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<th>CC + HC</th>
<th>BC</th>
<th>CC + HC</th>
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<tr>
<td>A</td>
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<td>96 ±62</td>
<td>14 ±11</td>
<td>245 ±162</td>
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<td>61 ±90</td>
<td>4 ±4</td>
<td>406 ±254</td>
<td>38 ±15</td>
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<tr>
<td>B</td>
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<td>21 ±25</td>
<td>77 ±56</td>
<td>41 ±36</td>
<td>154 ±81</td>
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<td>42 ±64</td>
<td>66 ±56</td>
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<td>11 ±9</td>
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<td>247 ±167</td>
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<td>631 ±383</td>
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<td>81 ±53</td>
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<tr>
<td>Net</td>
<td></td>
<td>407 ±144</td>
<td>520 ±196</td>
<td>983 ±326</td>
<td>1395 ±384</td>
<td>209 ±161</td>
<td>625 ±393</td>
<td>1612 ±507</td>
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<tr>
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DW down the canyons. Thus, the intermittent flux down both CC + HC and BC in the model simulations suggests the presence of eddy activity inside these canyon (cf., e.g., Figs. 10a,b to Fig. 14b in Chapman 2000).

In addition to looking at velocity on the shelf, we examine the maximum shelf salinity as well as velocity seaward of the shelf break. Figure 12 shows salinity frequency distribution on the Chukchi Shelf. At the surface level of the model, maximum salinity in small pockets (<0.02% of the total Chukchi Sea surface area) can reach above 37 psu. Each winter, between 0% and 6% of the Chukchi Shelf surface area can have $S > 33.5$ psu and about 1% of the shelf area has $S > 34.5$ psu. These high surface salinity areas can be seen mixing down to a depth of 45 m where salinity decreases to ~34.5 psu (Fig. 12c). The seasonal cycle of shelf surface salinity can also be seen clearly with elevated $S$ from the late winter to summer and reduced $S$ close to ambient values (<31 psu) from late summer to early winter (Fig. 12a). A similar seasonal cycle is seen at depths of 25 and 45 m. At the bottom of the shelf, at depths of 45–55 m, the mean salinity is ~33.2 psu during the late winter to summer and 32.2 psu from fall to early winter (Fig. 12c). The mean $S$ of ~32.2 psu comes from the mixing of Pacific Summer Water and Bering Sea DW that is transported into the Chukchi Sea throughout the summer months. The maximum shelf salinity shown here is closer to values that Winsor and Chapman (2002) obtained using high-resolution meteorological forcing than to values obtained using NCEP forcing. It remains to be seen if these high salinity values are still present in coupled ocean–ice models at higher horizontal resolution than what was used here.

Seaward of the shelf break, Fig. 13 shows typical $T$–$S$ and velocity fields at the mouth of Barrow Canyon at depths of 55 and 85 m in the 4-km simulation. The flow down BC has typical velocity of 0.1–0.2 m s$^{-1}$ and hugs the eastern side of the canyon, consistent with the observations by Pickart et al. (2005) and with simulations by CG95. Once at the canyon mouth, at depths of 50–150 m, predominantly anticyclonic cold-core eddies with ~30-km diameter can be seen moving lenses of cold dense water away from the shelf break into the Canada Basin (Figs. 13b,c). Eddy transports of mass, salt, and heat, as obtained from Eq. (7), are ~75% of the net transports into the Arctic interior. This fractional contribution is

<table>
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<th>Year</th>
<th>Salinity (psu)</th>
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<td>108</td>
<td>32</td>
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Fig. 12. Salinity frequency distribution in the Chukchi Sea in the 4-km simulation at depths of (a) 5, (b) 25, and (c) 45 m for the period 1996–2008. Dashed horizontal lines bound the salinity range 33.5–34.5 psu, which Winsor and Chapman (2002) considered for maximum shelf salinity analysis. Colored contours show the percentage of area on the Chukchi Shelf: that is, 0.02% corresponds to 0.02% of the total ~445 000-km$^2$ Chukchi Sea area. The dark gray contour in (a) shows the 0.02% fractional area within region 1 (Fig. 4a) relative to the total Chukchi Sea area; it indicates that the majority of densest water formed in the Chukchi Sea came from region 1.
consistent across several averaging periods ranging from 1 month to 1 yr. A drift in eddy transport exists with 60%–70% contribution between 1995 and 2002 and 80%–90% between 2003 and 2008. For comparison, Spall et al. (2008), who advected DW down Barrow Canyon to achieve the observed flow rate from Pickart et al. (2005), showed in their 1-km idealized simulation that 100–200 predominantly anticyclonic cold-core eddies form each year seaward of the shelf break, at depths of 50–150 m, and transport nearly half of the shelf water into the basin interior.

In summary, the 4-km simulation produces a small number of localized eddies on the shelf with growth rate and length scale consistent with those predicted in GC95 and CG95. These eddies, however, lose their coherent structures a short distance downstream from the source and are not the primary mechanism for transporting water to the shelf slope. As a result, DW is first advected by the mean flow to the main canyons (Barrow, Central, and Herald), flows down the canyons in intermittent bursts, and finally is transported into the interior of the Canada Basin by eddies. Maximum salinity on the shelf is more consistent with values obtained by Winsor and Chapman (2002) using high-resolution meteorological forcing than using NCEP atmospheric forcing. Overall, $4191 \pm 6152 \text{ km}^3 \text{ yr}^{-1}$ to $4863 \pm 1440 \text{ km}^3 \text{ yr}^{-1}$ of DW in the density anomaly range $\sigma$ of 26.0–27.5 kg m$^{-3}$ flows across gates BC and CC + HC (Fig. 11a). Seaward of the shelf break, at depths of 50–150 m, eddies transport 60%–90% of the DW into the Arctic interior. There is, however, a pronounced drift in eddy transport contribution, which we speculate is related to the drift of core Atlantic Water temperature in the model. Further investigation, which is beyond the scope of this study, is
required to fully understand the temperature drift due to resolution increase and the eddy transport drift.

4) COMPARISON OF PRODUCTION RATES

Here, we compare UHW production rates obtained from the CM94 procedure [section 3a(2)] and from the model simulations [section 3b(2)]. The mean annual rates are $5740 \pm 1420 \text{ km}^3 \text{ yr}^{-1}$ for the CM94 procedure (Table 2) and $4191 \pm 1152 \text{ km}^3 \text{ yr}^{-1}$ to $4863 \pm 1440 \text{ km}^3 \text{ yr}^{-1}$ for the 9- and 4-km model solutions (Fig. 11a). Although the estimates are of the same order, their corresponding annual time series have very low correlation ($<0.1$, correlation between Fig. 5b and the combined Figs. 10, c, e).

Between the two model solutions, the main difference is a 25% higher flux of DW down Barrow Canyon in the 4-km solution compared to 9-km solution. This difference amounts to $\sim 570 \text{ km}^3 \text{ yr}^{-1}$ and is about half of the interannual variability. One possible explanation is that Barrow Canyon is better resolved in the 4-km bathymetry. DW flux down CC + HC only differs by 4% ($\sim 100 \text{ km}^3 \text{ yr}^{-1}$) between the two solutions; this difference is negligible compared to the interannual variability ($640$–$790 \text{ km}^3 \text{ yr}^{-1}$).

Within the uncertainty and interannual variability ranges, the net annual UHW production rates are similar to previous estimates of $6310 \text{ km}^3 \text{ yr}^{-1}$ from a 1958–97 numerical model study (Winsor and Björk 2000) and of $6370 \pm 3150 \text{ km}^3 \text{ yr}^{-1}$ from an idealized box model inversion constrained by mass, heat, salt, and $\delta^{18}O$ measurements (Goldner 1999). CM94 reports an annual DW production of $8430$–$11650 \text{ km}^3$ (Table 2, last column) and can be compared to our estimate of $7450 \pm 1100 \text{ km}^3$ (including $\Delta\rho_1$ contribution; fourth column in Table 2). These rates are likely overestimations due to assumption 5 in their method. Their corresponding UHW production rate is expected to be lower than that of DW.

Based on the UHW annual rate obtained in this study and assuming a Canada Basin area of $\sim 10^6 \text{ km}^2$ and a UHW thickness of $50$–$100 \text{ m}$, the ventilation rate is 10–21 yr. This rate is comparable to the ventilation period of 10–20 yr suggested by Pickart et al. (2005) based on his estimated production rates of $9500 \text{ km}^3 \text{ yr}^{-1}$ for dense water and $2525$–$5050 \text{ km}^3 \text{ yr}^{-1}$ for upper halocline water. We caution again that the rates reported here can be sensitive to the atmospheric boundary conditions used in the model, as shown in Winsor and Chapman (2002).

4. Summary

We use two regional, coupled ocean and sea ice simulations to study the source and pathway of dense water (DW) and upper halocline water (UHW) in the western Arctic Ocean. The first simulation has 9-km horizontal grid spacing, typical of resolutions used for pan-Arctic Ocean studies. The second simulation has 4-km horizontal grid spacing, hence admitting eddies and providing insight on the role of resolution in representing DW and UHW formation and transport.

The two simulations are first evaluated using satellite-derived estimates of sea ice production (Fig. 5a). Overall, the simulations overestimate the mean ice production by $13 \text{ km}^3 \text{ yr}^{-1}$ and underestimate ice production variability in the Chukchi Sea between Point Barrow and Cape Lisburne, a result that is likely governed by JRA25, the atmospheric forcing used here. A high correlation of 0.90 between simulated and satellite-derived ice production, however, indicates that the model can produce realistic polynyas next to the coast of Alaska during winter months. The 17-yr model solutions show that DW forms in the Chukchi and Bering Seas as a result of polynyas and of sea ice growth during the winter (Figs. 6–9).

Two methods were used to calculate DW and UHW productions and transports. The first method is based on sea ice productions using satellite ice concentration, following the CM94 procedure. This method yields a net UHW production of $5740 \pm 1420 \text{ km}^3 \text{ yr}^{-1}$ (Fig. 5b).

The second method is based on the 9- and 4-km model $T$–$S$ and velocity fields. This method yields a net UHW production of $4190$–$4860 \pm 1440 \text{ km}^3 \text{ yr}^{-1}$ (Figs. 10, 11a). The largest contribution to the difference in DW transport between the 9- and 4-km simulations is the $\sim 25\%$ higher flux down Barrow Canyon in the 4-km simulation. This difference, however, is about half the interannual variability of flux down Barrow Canyon. Thus, within the uncertainty and variability range, UHW production rates in the 9- and 4-km simulations are comparable.

UHW production rates obtained in this study can also be compared with published estimates that range between $6310$ and $11650 \text{ km}^3 \text{ yr}^{-1}$ (Table 2; CM94, Winsor and Björk 2000; Goldner 1999). Based on the rates obtained in this study, UHW ventilation time is 10–21 yr. For comparison, Pickart et al. (2005) estimated it takes 10–20 yr to ventilate the upper halocline based on their off-shelf DW flow estimate of $\sim 9500 \text{ km}^3 \text{ yr}^{-1}$. We caution that the rates reported here can be sensitive to the atmospheric boundary conditions used by the model, as shown in Winsor and Chapman (2002).

Passive tracers released in the 9-km simulation are used to study the geographic dependency of DW flows. These passive tracers show that water with the highest density ($\sigma > 27 \text{ kg m}^{-3}$) is produced in the Gulf of Anadyr and along the east Siberian coast immediately north of Bering Strait (regions C and G; Fig. 11b) and
that it reaches the Arctic interior by flowing down Central and Herald Canyons (Figs. 10d, 11b). Within the uncertainties and interannual variability, approximately the same volume of DW flows down Barrow Canyon and down the combined Central and Herald Canyons (Fig. 11a) before feeding the upper halocline.

The 4-km simulation permits investigation of eddy transports on the Chukchi Shelf and in the Canada Basin interior. At depths of 50–150 m, UHW is transported from the shelf break along Barrow Canyon into the Canada Basin interior by eddies with typical diameter of ~30 km (Fig. 13). The contribution of eddies to the total transport at these depths is 60%–70% between 1994 and 2002 and higher after 2003. We note that there is a drift in eddy transport contribution, which would require further investigation to fully understand. The generally high contribution of eddy transport at these depths agrees with results from Spall et al. (2008).

On the Chukchi Shelf, a small number of eddies is generated in the vicinity of brine-enriched DW that forms during the winter as a result of sea ice formation (Fig. 6e). The growth rate of ~6 days and the ~30-km diameter of these eddies are consistent with the theoretical calculations of GC95 and CG95. These eddies, however, lose their coherent structures a short distance from the source and are not the primary agent for DW transport to the shelf slope in the model. A mean along-shelf flow with speed of 0.05–0.1 m s⁻¹ transports DW down the canyons. We speculate that this strong mean flow on the shelf, along with bathymetric variations, potentially contribute to the small eddy growth and to negligible eddy transport on the shelf.

Intermittent flows of DW down Barrow Canyon begin in February and then down Central and Herald Canyons in April (Figs. 10a,b). The results obtained here are consistent with mooring observations (Danielson et al. 2006) and with results from primitive equation numerical model (Chapman 2000), which show (i) negligible eddy energy associated with polynyas in the St. Lawrence Island region, (ii) DW being advected alongshore away from the source by the mean flow, and (iii) downstream eddy development and eddy-associated intermittent flows that transport DW down the canyons.

The contribution of eddies to the transport of DW on the Chukchi Shelf thus remains an open question. The 4-km solution is likely too coarse to fully resolve eddies on the shelf, and the studies of GC95 and CG95 are too idealized to realistically represent the formation and dissipation of these eddies. A valuable future study would be to compare results of the 9- and 4-km solutions with a yet higher-resolution solution that can resolve realistic eddy–bathymetry–current interactions on the shelf. Initial frontal instability that results in the formation of these eddies scale with the baroclinic Rossby radius, which is estimated to be 4–8 km on the shallow Chukchi Shelf (GC95; Chapman and Gawarkiewicz 1997). When the forcing region has a length scale larger than the Rossby radius, GC95 and Chapman and Gawarkiewicz (1997) showed that the eventual eddies scale with the forcing region width but remain within the range of 20–30 km. The relevant question is then at what higher resolution we should expect to resolve the frontal instability and eddies. GC95 showed in one of their idealized simulations that a 2-km horizontal grid spacing can resolve eddies on the shelf and that higher horizontal resolution (finer grid spacing) yielded only minor differences. This same conclusion was also reached by Chapman and Gawarkiewicz (1997). On a related note, GC95 and Chapman and Gawarkiewicz (1997) showed that at high latitude, when the shelf is very shallow such that rotational effect is not important, DW sinks quickly to the bottom of the ~50-m shelf. Cross sections of their respective results showed that the bottom-trapped DW can have thickness of 20–50 m (see also Fig. 11 in CG95). Thus, we believe grid spacings of 10 m in the vertical direction and ~2 km in the horizontal direction should be used in future studies to sufficiently address the contribution of shelf eddies to DW and UHW ventilation.

The conclusion of this study, however, consistent with the observational and numerical results of Danielson et al. (2006) and Chapman (2000), is that eddies have a negligible contribution to transport of DW on the shelf.

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