A HARD X-RAY POWER-LAW SPECTRAL CUTOFF IN CENTAURUS X-4

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ABSTRACT

The low-mass X-ray binary (LMXB) Cen X-4 is the brightest and closest (<1.2 kpc) quiescent neutron star transient. Previous 0.5–10 keV X-ray observations of Cen X-4 in quiescence identified two spectral components: soft thermal emission from the neutron star atmosphere and a hard power-law tail of unknown origin. We report here on a simultaneous observation of Cen X-4 with NuSTAR (3–79 keV) and XMM-Newton (0.3–10 keV) in 2013 January, providing the first sensitive hard X-ray spectrum of a quiescent neutron star transient. The 0.3–79 keV luminosity was $1.1 \times 10^{33} \text{D}^2 \text{keV s}^{-1}$, with $\sim 60\%$ in the thermal component. We clearly detect a cutoff of the hard spectral tail above 10 keV, the first time such a feature has been detected in this source class. We show that thermal Comptonization and synchrotron shock origins for the hard X-ray emission are ruled out on physical grounds. However, the hard X-ray spectrum is well fit by a thermal bremsstrahlung model with $\Gamma \lesssim 18$ keV, which can be understood as arising either in a hot layer above the neutron star atmosphere or in a radiatively inefficient accretion flow. The power-law cutoff energy may be set by the degree of Compton cooling of the bremsstrahlung electrons by thermal seed photons from the neutron star surface. Lower thermal luminosities should lead to higher (possibly undetectable) cutoff energies. We compare Cen X-4’s behavior with PSR J1023+0038, IGR J18245−2452, and XSS J12270−4859, which have shown transitions between LMXB and radio pulsar modes at a similar X-ray luminosity.

Key words: accretion, accretion disks – binaries: close – stars: individual (Cen X-4) – stars: neutron – X-rays: binaries

Online-only material: color figures

1. INTRODUCTION

Low-mass X-ray binaries (LMXBs) consist of a neutron star (NS) or black hole (BH) accreting from a low-mass ($\lesssim 1 M_\odot$) stellar companion via Roche-lobe overflow. They may be divided into two categories: persistent accretors with X-ray luminosity $L_x \gtrsim 10^{36} \text{erg s}^{-1}$ and transient systems. Transient LMXBs undergo recurrent burst ($L_x \gtrsim 10^{36} \text{erg s}^{-1}$) outbursts lasting days to weeks and then return to long intervals of X-ray quiescence ($L_x \lesssim 10^{34} \text{erg s}^{-1}$) lasting months to years. The long-term average mass accretion rate of the transients is thus substantially lower than in the persistent systems, owing to their low duty cycle. Transient behavior is understood to arise from a thermal instability in the outer accretion disk wherein the viscosity (and thus the mass accretion rate $M$ through the disk) jumps to a higher value when a critical surface density is reached as the disk fills up (see Lasota 2001, and references therein). The persistent LMXBs avoid this instability because their higher accretion rates lead to increased X-ray heating, keeping the disks permanently ionized (van Paradijs 1996; King et al. 1996).

For the NS systems, the 0.5–10 keV X-ray spectrum of quiescent LMXB transients typically consists of two components: a low-energy (“soft”) $\sim 0.1 \text{keV}$ thermal component, and a high-energy (“hard”) power-law component with photon index $1 < \Gamma < 2$, where the photon flux $dN/dE \propto E^{-\Gamma}$. The soft component is generally well fit by a hydrogen atmosphere model for the NS. The leading explanation for the energy source of the soft component is a deep crustal heating model (Brown et al. 1998) in which the emission is powered by heat injected into the NS crust by pycnonuclear reactions driven by accretion during transient outbursts. In this model, the contribution of quiescent accretion is negligible. X-ray spectroscopy of soft thermal emission in quiescent NS transients has been used to infer NS radii (Brown et al. 1998; Rutledge et al. 1999; Guillot et al. 2013) and to study the thermal relaxation of NS crusts (see Wijnands et al. 2013, and references therein). However, a possible problem for such studies is that accretion may not have completely shut
off during quiescence, as suggested by the detection of quiescent variability in the two brightest quiescent NS/LMXBs, Aql X-1 (Rutledge et al. 2002) and Cen X-4 (Campana et al. 2004b; Bernardini et al. 2013). There has been considerable debate as to whether this variability is primarily in the soft thermal component, the hard power-law component, or both (e.g., Rutledge et al. 2002; Campana & Stella 2003; Cackett et al. 2005).

The origin of the hard power-law tail is unclear. It is not predicted by the deep crustal heating model (Brown et al. 1998). Two explanations have been discussed: synchrotron shock emission from a radio pulsar wind and Comptonization of the soft thermal photons by a hot corona (Campana et al. 1998a). The synchrotron model is of particular interest given the recent confirmation that NS/LMXBs can turn on as radio pulsars at low accretion rates (Archibald et al. 2009; Papitto et al. 2013). A difficulty in discriminating between the different models has been the absence of knowledge about how high the power-law component extends in energy, owing to a lack of sufficient observational sensitivity above 10 keV. The recent launch of the NuSTAR hard X-ray telescope provides the first opportunity to explore this question.

The ideal target with which to address this is Cen X-4, also known as X1455−314 (Galactic coordinates $l = 332^\circ.2$, $b = 23^\circ.9$), the brightest quiescent NS/LMXB. It was discovered in 1969 in the 3–12 keV band with the Vela 5A/5B satellites during an extremely bright ($\sim20$ Crab at peak) X-ray outburst lasting over two months (Conner et al. 1969; Evans et al. 1970). A second bright ($\sim4$ Crab at peak) X-ray outburst was detected in 1979 (Kaluzienski et al. 1980) along with counterparts in the optical (Canizares et al. 1980) and radio (Hjellming 1979; Hjellming et al. 1988), but the source has been in X-ray quiescence ($\sim10^5$ fainter) ever since.

Bright X-ray flashes, now understood as thermonuclear (type I) X-ray bursts, were observed around the time of both the 1969 and 1979 outbursts (Belian et al. 1972; Matsuoka et al. 1980), conclusively establishing the source as an NS and setting an upper limit on the distance of $1.2 \pm 0.3$ kpc (Chevalier et al. 1989). A third burst may have been observed by the Apollo 15 lunar mission in 1971 (Kuulkers et al. 2009). The presence of thermonuclear bursts indicates that the surface dipole magnetic field is weak, with $B_{\text{surf}} \lesssim 10^{10}$ G (Joss & Li 1980) and most likely $\sim10^8$ G (by analogy with other type I bursters). Optical photometry and spectroscopy indicate that the binary companion V822 Cen is a K3-7 V dwarf, the binary period is 15.1 hr, and the binary mass ratio is $q = 0.1755$ (Chevalier et al. 1989; Torres et al. 2002; D’Avanzo et al. 2005; Shahbaz et al. 2014). The best-fit NS mass is $1.94_{-0.05}^{+0.37} M_\odot$ (Shahbaz et al. 2014). Given the proximity and high Galactic latitude of the source, it has extremely low interstellar extinction and absorption, allowing more sensitive observations in the ultraviolet and soft X-ray bands than usually possible for LMXBs (Blair et al. 1984; McClintock & Remillard 2000; Park & García 2011; Cackett et al. 2013). The integrated values along this line of sight are $A_V = 0.362$ (Schlafly & Finkbeiner 2011) and $N_H \approx 9 \times 10^{20}$ cm$^{-2}$ (Dickey & Lockman 1990; Kalberla et al. 2005).

Cen X-4 has been observed extensively during X-ray quiescence since the 1979 outburst, with deep X-ray spectra in the 0.5–10 keV range previously obtained on six occasions since 1994 (see Cackett et al. 2010, and references therein; see also Section 5.2). A long-term daily monitoring campaign with Swift recently demonstrated that the thermal and power-law components vary together on timescales from days to months, with no spectral change observed and each component contributing roughly half of the flux (Bernardi et al. 2013). These authors concluded that the quiescent X-ray emission in Cen X-4 is primarily generated by accretion.

In this paper, we present the first sensitive hard X-ray observation of Cen X-4 in quiescence with NuSTAR, obtained simultaneously with a deep XMM-Newton soft X-ray observation. We describe the observations in Section 2 and our spectral analysis and results in Section 3. We interpret our results in Section 4 and discuss their implications in Section 5.

2. OBSERVATIONS

2.1. NuSTAR

NuSTAR, the first focusing hard X-ray observatory in orbit, was launched in 2012 and operates in the 3–79 keV range (Harrison et al. 2013). It consists of two coaligned telescopes, and the two focal planes (FPMA and FPMB) are each covered by a $2 \times 2$ array of cadmium-zinc-telluride (CZT) pixel detectors. Our NuSTAR observation of Cen X-4 (ObsID 30001004002) began on 2013 January 20, 20:20 UT and had an elapsed duration of 219 ks, with an on-source exposure time of 114 ks. The source was imaged on detector 0 in both FPMA and FPMB. The data were processed and screened using the standard pipeline for on-axis point sources in the NuSTAR Data Analysis System (nustardas) version 1.2.0, along with the NuSTAR calibration database (CALDB) version 20130509. Light curves and spectra from both FPMA and FPMB were extracted from a circular region centered on the source position with a radius of 75 arcsec.

A detailed background model for the source position in each of the two telescopes was derived by using the nuskybgd tool (Wik et al. 2014) to fit blank sky regions covering the entire field of view (including field of view) for all focal plane. For faint point sources like Cen X-4, this is more accurate than the usual method of simply scaling from the background of a nearby blank sky region because it correctly accounts for the highly nonuniform background gradients across the detectors. In both telescopes, the background was brighter than the source above around 20 keV. The background-subtracted count rates in FPMA and FPMB were $(4.51 \pm 0.09) \times 10^{-3}$ count s$^{-1}$ and $(4.08 \pm 0.09) \times 10^{-2}$ count s$^{-1}$, respectively. The NuSTAR spectra were rebinned so that all but the highest energy bin had a background-subtracted significance of at least 10$\sigma$. The highest energy bin had $5.2\sigma$ significance in FPMA (20–79 keV) and $4.3\sigma$ significance in FPMB (17–79 keV), demonstrating that the source was detected beyond 20 keV.

2.2. XMM-Newton

The XMM-Newton observatory, launched in 1999, is a focusing X-ray telescope operating in the 0.3–12 keV range (Jansen et al. 2001). Our XMM-Newton observation of Cen X-4 (ObsID 0692790201) began on 2013 January 21, 13:01 UT and had a duration of 35 ks; this was simultaneous with part of our NuSTAR observation. We used the data from all three coaligned imaging X-ray cameras (EPIC-pn, EPIC-MOS1, and EPIC-MOS2; Strüder et al. 2001; Turner et al. 2001). The cameras were operated in full-frame mode with the thin optical-blocking filter in place, resulting in a time resolution of 73 ms for EPIC-pn and 2.6 s for the MOS cameras. The data were reduced using the XMM-Newton Scientific Analysis System (SAS) v13.0.1, along with the latest calibration files available as of 2013 July 13. We reprocessed the data using epproc and emproc to produce new event files and applied standard event filtering.
background flare intervals by constructing a light curve of the 10–12 keV EPIC-pn data using events from the entire field of view and searching for intervals where the count rate exceeded 1 counts s$^{-1}$. We found three short flares; these intervals were removed from our Cen X-4 event lists. The net exposure time was 27 ks for EPIC-pn and 30 ks for each of the EPIC-MOS units.

For all three detectors, we initially extracted light curves and spectra from a circular region centered on the source position with a radius of 43.5 arcsec. For the MOS detectors, we measured the background using a square blank-sky region 3 x 3 arcmin in size. For the EPIC-pn detector, an important consideration is that the outer parts of the field of view include photons that are due to Cu fluorescence in the instrument while the inner parts do not. Because Cen X-4 was in the region without the Cu emission line, we chose a rectangular region near Cen X-4 for determining the EPIC-pn background. The background-subtracted count rates in the 0.3–10 keV range were 2.58 ± 0.01 counts s$^{-1}$ in EPIC-pn, 0.640 ± 0.005 counts s$^{-1}$ in EPIC-MOS1, and 0.619 ± 0.005 counts s$^{-1}$ in EPIC-MOS2.

These count rates are higher than those observed in previous XMM-Newton observations (Cackett et al. 2010). In fact, the count rates in both the EPIC-MOS and EPIC-pn detectors are close to the threshold where photon pileup effects may begin to distort the measured spectra, particularly during the flares.\footnote{\textsuperscript{15} See Table 3 in Section 3.3.2 of the XMM-Newton Users Handbook, v2.11, 2013, http://heasarc.gsfc.nasa.gov/docs/xmm/uhb/}. Moreover, our preliminary analysis found that the two EPIC-MOS spectra each have significant systematic differences with the EPIC-pn spectrum above 2 keV. As a precaution, we reextracted both the MOS and pn data from an annular region centered on the source position with an outer radius of 43.5 arcsec and an inner radius of 10 arcsec, thus excluding the core of the point-spread function (PSF) where any pileup would occur (at the expense of reduced counting statistics). The MOS and pn spectra from the annular region are mutually consistent. This annulus-only data set still includes sufficient counts to obtain a good measurement of the soft X-ray spectrum.

\begin{figure}[h]
\centering
\includegraphics[width=\textwidth]{figure1}
\caption{Background-subtracted 3–20 keV light curve of Cen X-4 measured with NuSTAR, binned at 300 s resolution. The average of the FPMA and FPMB count rates is plotted, and the size of a typical error bar is shown. The data gaps are due to Earth occultations. The source intensity varies significantly on timescales of minutes to hours. The interval with simultaneous coverage with XMM-Newton is indicated and includes a bright flare around MJD 56313.8 (see Figure 2).
}
\end{figure}

\begin{figure}[h]
\centering
\includegraphics[width=\textwidth]{figure2}
\caption{Top panel: background-subtracted 0.3–10 keV light curve of Cen X-4 measured with XMM-Newton/EPIC-pn, binned at 50 s resolution. The typical error bar is ± 0.16 counts s$^{-1}$. The short data gaps are intervals that were excluded owing to strong background flares. The source intensity shows strong flaring behavior, varying by more than a factor of two on timescales as short as a few minutes. The brightest flare, around MJD 56313.8, is also visible in the NuSTAR light curve (see Figure 1). Bottom panel: spectral hardness of the count rate shown in the top panel, constructed by taking the ratio of the 2–10 keV and 0.3–1.0 keV count rates. There is no evidence for significant spectral changes during the flaring intervals, although there is weak evidence for a small change during the flare at MJD 56313.63.
}
\end{figure}

3. DATA ANALYSIS AND RESULTS

3.1. Timing

The light curves for the NuSTAR and XMM-Newton observations are shown in Figure 1 and the top panel of Figure 2, respectively. (The XMM-Newton light curve uses the full data set, not the annulus-only data.) Both light curves vary significantly on timescales of a few minutes. The XMM-Newton light curve clearly exhibits flaring activity; the strongest of these flares, around MJD 56313.8, is also easily visible in the NuSTAR light curve. The fractional excess rms variability\footnote{This is a measure of the intrinsic source variability in excess of Poisson counting noise; see, e.g., Vaughan et al. (2003).} $F_{\text{var}}$ was 37% ± 6% in the NuSTAR light curve and 37% ± 2% in the XMM-Newton/EPIC-pn light curve. For comparison, a value of 73.0% ± 1.5% was measured in 60 short Swift observations made over three months (Bernardini et al. 2013).

A comparison of the 0.3–1 keV and 2–10 keV XMM-Newton/EPIC-pn light curves shows no evidence for significant spectral changes during these flares, although there is weak evidence for a small change during the flare at MJD 56313.63 (Figure 2, bottom panel; Figure 3). A cross-correlation analysis indicates that the flares in these two bands are simultaneous to within $\lesssim 30$ s. We searched the NuSTAR light curve for evidence of...
3.2. Spectroscopy

Because there is no evidence for significant spectral variability during the flares (Figure 2, bottom panel; Figure 3), we chose to include the flare intervals for our spectral analysis. We performed joint spectral fits of the NuSTAR and XMM-Newton (anulus) data with XSPEC version 12.8 spectral fitting software (Arnaud 1996) using \( \chi^2 \)-minimization. To allow for systematic calibration differences between the different detectors, we included a constant multiplicative factor in the model. This constant was set to unity for XMM-Newton/EPIC-pn but allowed to vary for the other detectors. All other spectral model parameters were tied together across the three instruments. Interstellar absorption was modeled using the \( \text{tbabs} \) model (Wilms et al. 2000) along with photoionization cross sections from Verner et al. (1996).

We tried two different models for the soft thermal component. We first fit a passively cooling NS atmosphere using the \( \text{nsatmos} \) model (Heinke et al. 2006), which assumes a pure H atmosphere and a negligible surface magnetic field \( B \lesssim 10^5 \) G and also includes the effects of surface gravity, heat conduction by electrons, and self-irradiation. In applying \( \text{nsatmos} \), we fixed the source distance at 1.2 kpc (Chevalier et al. 1989) and assumed that the atmospheric emission was coming from the entire NS surface. We found that it was not possible to constrain the NS mass \( M \) and radius \( R \) when both were allowed to vary because a wide range of \( M-R \) pairs gave acceptable fits. We therefore fixed the NS mass to \( M = 1.9 \ M_\odot \) (Shahbaz et al. 2014). As an alternative model, we also tried fitting to the synthetic spectra of Zampieri et al. (1995, 2001) for thermal emission from unmagnetized NSs with a pure H atmosphere in the presence of very low accretion rates. These spectra have been implemented as the XSPEC additive table model \( \text{zamp} \) and are parameterized in terms of the observed accretion luminosity scaled to the Eddington rate \( L_\infty /L_E \), with fixed NS mass \( M = 1.4 \ M_\odot \) and true radius \( R = 12.4 \) km. In practice, the model shapes from \( \text{nsatmos} \) and \( \text{zamp} \) are essentially identical (see, e.g., Soria et al. 2011), but it is useful to demonstrate that models that explicitly include accretion are consistent with the data.

Although previous 0.5–10 keV X-ray observations of Cen X-4 in quiescence were all well fit by an absorbed passive NS atmosphere plus power-law model (see Cackett et al. 2010, and references therein), the \( \text{tbabs*(nsatmos+powerlaw)} \) model does not provide a satisfactory fit to the high-energy data in our combined NuSTAR+XMM-Newton data covering the 0.3–79 keV range. The residuals indicate the presence of a spectral break or cutoff in the 10–20 keV range (see Figure 4).

We found several different models that provided a good fit for the hard component: a cutoff power law (cutoffpl), a broken power law (bknpower), thermal Comptonization (compTT; Titarchuk 1994; Hua & Titarchuk 1995), and thermal bremsstrahlung (bremss). In each case, this component was combined with \( \text{tbabs} \) and either \( \text{nsatmos} \) or \( \text{zamp} \). In all cases, the \( N_H \) value is consistent with the integrated interstellar value along the line of sight (Dickey & Lockman 1990; Kalberla et al. 2005). We found no evidence for fluorescent Fe line emission in the spectrum. The upper limit on the equivalent width of a narrow Gaussian Fe emission line at 6.4 keV is \(<120 \) eV (90%-confidence).

The spectral fits with \( \text{nsatmos} \) are summarized in Table 1; those with \( \text{zamp} \) are summarized in Table 2. A typical fit is shown in Figure 5. The corresponding unfolded spectrum is shown in Figure 6. We are able to obtain reasonably good fits with a wide variety of models. We note that the only spectral shape parameter in the \( \text{zamp} \) model is the accretion luminosity \( L_\infty \) observed at infinity; one must compare this with the measured flux and source distance to check for self-consistency. We find that the best-fit values of \( L_\infty \) are roughly consistent with the measured soft flux for the assumed distance of 1.2 kpc.

Using the \( \text{tbabs*(nsatmos+bremss)} \) model, we find an average (absorbed) flux of \( 3.8 \times 10^{-12} \) erg cm\(^{-2}\) s\(^{-1}\) in the soft (0.3–3 keV) band and \( 3.3 \times 10^{-12} \) erg cm\(^{-2}\) s\(^{-1}\) in the hard (3–79 keV) band. The unabsorbed soft luminosity was
### Table 1
Spectral Fits with a Passive Neutron Star Atmosphere$^a$

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Symbol</th>
<th>Units</th>
<th>cutoffpl</th>
<th>bknpow</th>
<th>compnt(disk)</th>
<th>compnt(sphere)</th>
<th>brems</th>
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<tbody>
<tr>
<td>Absorption column</td>
<td>$N_H$</td>
<td>$10^{21}$ cm$^{-2}$</td>
<td>0.88(4)</td>
<td>0.89(3)</td>
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<td>0.92(4)</td>
<td>0.87(5)</td>
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<td>K</td>
<td>6.16(4)</td>
<td>6.18(1)</td>
<td>6.20(27)</td>
<td>6.19(23)</td>
<td>6.20(10)</td>
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<td>9.2(1.0)</td>
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<tr>
<td>Distance (fixed)</td>
<td>$D$</td>
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#### Photon index 2

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<tr>
<td>Radius</td>
<td>km</td>
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<tr>
<td>Scattering optical depth</td>
<td>$\tau_{\text{sc}}$</td>
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<td>Luminosity</td>
<td>$L$</td>
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<tr>
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<tr>
<td>Distance (fixed)</td>
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<td>Normalization</td>
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<tr>
<td>Photon index</td>
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<td>Electron temperature</td>
<td>$kT_e$ keV</td>
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<tr>
<td>Seed temperature</td>
<td>$kT_0$ keV</td>
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<td>Scattering optical depth</td>
<td>$\tau_{\text{sc}}$</td>
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#### Hard spectral component parameters

<table>
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<tr>
<th>Instrument multiplicative constants</th>
<th>$\chi^2$/dof</th>
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<tr>
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<td>C$_{FPMA}$</td>
</tr>
<tr>
<td>NuSTAR/FPMB</td>
<td>C$_{FPMB}$</td>
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<tr>
<td>Fit statistic</td>
<td>$\chi_{\nu}^2$/dof</td>
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#### Notes.

$^a$ 1σ uncertainties in last digits shown in parentheses.

$^b$ Flux density at 1 keV in units of photons cm$^{-2}$ s$^{-1}$ keV$^{-1}$.

$^c$ $(3.02 \times 10^{-15}/4\pi D^2) / n_e^2 dV$ in units of cm$^{-5}$.

### Table 2
Spectral Fits with an Accreting Neutron-star Atmosphere$^a$

<table>
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<th>Parameter</th>
<th>Symbol</th>
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<th>bknpow</th>
<th>compnt(disk)</th>
<th>compnt(sphere)</th>
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<tbody>
<tr>
<td>Absorption column</td>
<td>$N_H$</td>
<td>$10^{21}$ cm$^{-2}$</td>
<td>0.89(3)</td>
<td>0.87(6)</td>
<td>0.69(5)</td>
<td>0.69(5)</td>
<td>0.93(5)</td>
</tr>
<tr>
<td>Luminosity</td>
<td>$L_{E}$</td>
<td>$L_\odot$</td>
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<td>$-5.13(4)$</td>
<td>$-4.98(3)$</td>
<td>$-4.98(3)$</td>
<td>$-5.19(3)$</td>
</tr>
<tr>
<td>Mass (fixed)</td>
<td>$M$</td>
<td>$M_{\odot}$</td>
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<td>1.4</td>
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</tr>
<tr>
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<td>1.25(2)$^b$</td>
<td>1.39(2)$^b$</td>
<td>1.39(2)$^b$</td>
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#### Hard spectral component parameters

<table>
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<tr>
<th>Instrument multiplicative constants</th>
<th>$\chi^2$/dof</th>
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<tr>
<td>NuSTAR/FPMA</td>
<td>C$_{FPMA}$</td>
</tr>
<tr>
<td>NuSTAR/FPMB</td>
<td>C$_{FPMB}$</td>
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<tr>
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<td>C$_{pn}$</td>
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<td>C$_{MOS1}$</td>
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<tr>
<td>Fit statistic</td>
<td>$\chi_{\nu}^2$/dof</td>
</tr>
</tbody>
</table>

#### Notes.

$^a$ 1σ uncertainties in last digits shown in parentheses.

$^b$ Flux density at 1 keV in units of photons cm$^{-2}$ s$^{-1}$ keV$^{-1}$.

$^c$ $(3.02 \times 10^{-15}/4\pi D^2) / n_e^2 dV$ in units of cm$^{-5}$.

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Figure 5. Count spectrum and model fit for our joint XMM-Newton and NuSTAR observation of Cen X-4, with the hard X-ray spectral cutoff included in the model. A bremsstrahlung model is shown: tbabs*(naatmos+bremss). The color scheme is the same as in Figure 4. The fit parameters are shown in Table 1. (A color version of this figure is available in the online journal.)

\[
L_{\text{soft}} = 6.6 \times 10^{32} D_{\text{kpc}}^2 \text{ erg s}^{-1} \ (0.3-3 \text{ keV}), \text{ the unabsorbed hard luminosity was } L_{\text{hard}} = 4.0 \times 10^{32} D_{\text{kpc}}^2 \text{ erg s}^{-1} \ (3-79 \text{ keV}), \text{ and the total unabsorbed luminosity was } L = 1.1 \times 10^{33} D_{\text{kpc}}^2 \text{ erg s}^{-1} \ (0.3-79 \text{ keV}), \text{ where } D_{\text{kpc}} \text{ is the source distance in kiloparsecs. For comparison with previous observations, the } 0.5-10 \text{ keV unabsorbed luminosity was } 6.4 \times 10^{32} D_{\text{kpc}}^2 \text{ erg s}^{-1}. \text{ This is the highest } 0.5-10 \text{ keV luminosity ever measured from Cen X-4 in quiescence. The next highest observation was } 2.6 \text{ times fainter in 2001 (Campana et al. 2004b), and the faintest observation was } 11.5 \text{ times fainter in 2009 (Cackett et al. 2010). The thermal (NS atmosphere) contribution to the } 0.5-10 \text{ keV luminosity in our observation is } 59\%. \text{ This is consistent with previous observations, where the thermal fraction has always been } 50\%-60\% \text{ (Cackett et al. 2010; Bernardini et al. 2013).}

4. INTERPRETING THE SPECTRAL CUTOFF

We now discuss what can be inferred from our observed high-energy spectral cutoff. We introduce dimensionless variables for parameterizing the NS mass \( M = 1.9 \, M_{\odot} \) and radius \( R = 10 \, R_{10} \) km. It is also convenient to scale the luminosity and accretion rate to the Eddington critical values:

\[
L_E = 2.9 \times 10^{38} M_{1.9} \left( \frac{1 + X}{1.7} \right)^{-1} \text{ erg s}^{-1} \tag{1}
\]

\[
M_E = 1.8 \times 10^{-8} R_{10} \left( \frac{1 + X}{1.7} \right)^{-1} \, M_{\odot} \text{ yr}^{-1}, \tag{2}
\]

where \( X = 0.7 \) is the hydrogen mass fraction for cosmic abundances. Our observed luminosities can then be written as \( L_{\text{soft}}/L_E = 2.3 \times 10^{-6} M_{1.9} \), \( L_{\text{hard}}/L_E = 1.4 \times 10^{-6} M_{1.9} \), and \( L/L_E = 3.8 \times 10^{-6} M_{1.9} \). It is clear that the quiescent mass accretion rate \( \dot{M}_{\text{NS}} \) onto the NS must also be very low. We can set an upper limit by assigning all of the observed X-ray luminosity to accretion, \( \dot{M}_{\text{NS}} \leq L_{\text{E}}/GM \). We then have \( \dot{M}_{\text{NS}}/M_E \leq 3.7 \times 10^{-6} M_{1.9} \). At such extremely low accretion rates, the outer accretion disk is likely to transition into a quasi-spherical, radiatively inefficient accretion flow (RIAF) at a transition radius \( r_t \sim 10^3 R_{\text{Sch}} \sim 6 \times 10^8 M_{1.9} \) cm, where \( R_{\text{Sch}} = 2GM/c^2 = 5.6 \, M_{1.9} \) km is the Schwarzschild radius (Narayan & Yi 1995; Narayan et al. 1998; Menou et al. 1999).

4.1. Comptonization

One way to explain a cutoff power-law spectrum is thermal Comptonization, where soft thermal seed photons (like those from the NS atmosphere) are Compton scattered from a corona of hot electrons. Menou & McClintock (2001) have previously argued that Comptonization of the NS atmosphere photons cannot account for the 1–10 keV power law observed in Cen X-4 because the observed luminosity in the power-law component is too high relative to the soft luminosity. We show here that a thermal Comptonization model for the hard spectral cutoff in Cen X-4 is not physically self-consistent, despite providing an acceptable fit to our observed spectrum. For simplicity, we consider the spherical geometry case; the results for a disk geometry are qualitatively similar.

Our comptt fits yielded an electron temperature of \( kT_e = 6-8 \) keV and an electron scattering optical depth of \( \tau_{es} = 8-9 \) for a spherical geometry (see Tables 1 and 2). This is an unusually low \( kT_e \) for a Comptonized plasma, reflecting the observed spectral cutoff. It is likewise an unusually high \( \tau_{es} \); this follows from the fact that \( kT_e \) and \( \tau_{es} \) are inversely proportional for a fixed power-law index \( \Gamma \) (Titarchuk & Lyubarskij 1995). The optical depth in a corona of radius \( r_c \) is related to the electron density \( n_e \) by

\[
\tau_{es} = \sigma_T \int_{r}^{r_c} n_e(r) dr, \tag{3}
\]

where \( \sigma_T \) is the Thomson cross section. As we see below, it is our high value of \( \tau_{es} \) that makes it difficult to find a physically self-consistent Comptonization model.
4.1.1. Comptonization above the NS Atmosphere or the NS Magnetosphere

We begin by considering the possibility of a hot, optically thin layer above the NS atmosphere. Based on our measured \( \tau_{\text{es\_start\_end}} \), the electron density in the layer would be \( n_e = 1.4 \times 10^{22} h_3^{-1} \text{ cm}^{-3} \), where \( h = 10^3 h_3 \text{ cm} \) is the thickness of the layer. This relatively dense scattering layer would itself be a source of significant thermal bremsstrahlung emission, with \( kT_e \approx 7 \text{ keV} \). Despite the large scattering optical depth \( \tau_{\text{es\_start\_end}} \), the effective optical depth of the medium at 2 keV (including both scattering and free–free absorption) is only \( \tau_{\text{eff}} \approx \sqrt{\tau_{\text{es\_start\_end}} \tau_{\text{ff}} = 0.4 h_3^{-1/2}} \) (Rybicki & Lightman 1979), where \( \tau_{\text{ff}} = 0.02 h_3^{-1} \) is the free–free absorption optical depth at 2 keV. (At higher energies, \( \tau_{\text{ff}} \) will be even smaller.) We can thus use the emissivity for optically thin thermal bremsstrahlung to compute the expected luminosity from the dense scattering layer, \( 3.6 \times 10^{36} h_3^{-3} \text{ erg s}^{-1} \approx 10^{-2} h_3^{-3} L_E \). This is orders of magnitude brighter than what we observe and can be ruled out.

We also consider a corona around the NS magnetosphere. In X-ray quiescence, we can scale the magnetospheric radius \( r_{\text{m}} \) to the corotation radius (where the Keplerian and stellar angular velocities are equal), which is given by

\[
r_{\text{co}} = \left( \frac{GM P^2}{4\pi^2} \right)^{1/3} = 39 P_{3\text{ms}}^{2/3} M_{1.9}^{1/3} \text{ km},
\]

where we have written the (unknown) NS spin period as \( P = 3 P_{3\text{ms}} \) ms. We assume a spherically symmetric corona with inner radius \( r_{\text{co}} \) and scale size \( h \sim r_{\text{co}} \). Then, following the calculations in the previous paragraph, we find an electron density of \( n_e \approx 4 \times 10^{18} (h/r_{\text{co}})^{-1} \text{ cm}^{-3} \), an effective optical depth of \( \tau_{\text{eff}} \approx \sqrt{\tau_{\text{es\_start\_end}} \tau_{\text{ff}} = 0.008 (h/r_{\text{co}})^{-1/2}} \) at 2 keV, and a predicted bremsstrahlung luminosity from the scattering corona of \( 4 \times 10^{35} (h/r_{\text{co}})^{-1} \text{ erg s}^{-1} \approx 10^{-3} (h/r_{\text{co}})^{-1} L_E \). This is, again, orders of magnitude brighter than what we observe and can be ruled out.

4.1.2. Comptonization in the Accretion Flow

We next consider Comptonization in a RIAF-like spherical accretion flow with a radially uniform mass inflow rate \( \dot{M} \) at infall velocity \( v_i = \eta \sqrt{GM/r} \) (where \( \eta \ll 1 \)). The electron density will vary with distance \( r \) from the NS as

\[
n_e(r) = \frac{\dot{M}_{\text{NS}}}{4\pi \eta \mu m_p (GMr^3)^{1/2}},
\]

where \( \mu \) is the mean molecular weight and \( m_p \) is the proton mass. We then find that the optical depth cannot exceed

\[
\tau_{\text{es\_max}} \approx 10^{-3} \left( \frac{\eta}{0.1} \right)^{-1} \left( \frac{\dot{M}_{\text{NS}}/\dot{M}_E}{4 \times 10^{-6}} \right),
\]

independent of \( r_c \). This is orders of magnitude smaller than our computed fit values for \( \tau_{\text{es\_start\_end}} \).

The only way to obtain higher optical depths is to assume that the mass inflow rate \( \dot{M} \) varies with \( r \) in such a way that only a small amount of mass actually reaches the NS, with the remainder being expelled in some sort of outflow. For convenience, we parameterize \( \dot{M} \) as a power law in \( r \):

\[
\dot{M}(r) = \left( \frac{r}{R} \right)^p \dot{M}_{\text{NS}},
\]

where \( R \) is the NS radius, \( \dot{M}_{\text{NS}} \) is the mass accretion rate onto the NS, and \( p > 0 \). (The \( p = 0 \) case corresponds to the radially uniform inflow rate that we just dismissed.) This is the same parameterization used in the “ADIOS” (adiabatic inflow–outflow solution) model of Blandford & Begelman (1999). The electron density now varies as

\[
n_e(r) = \frac{2}{\mu \eta(1+X)} \sqrt{\frac{c^2 R}{GM}} \left( \frac{\dot{M}_{\text{NS}}}{\dot{M}_E} \right) \left( \frac{r}{R} \right)^{p-3/2},
\]

and the optical depth is

\[
\tau_{\text{es}} = \frac{2}{\mu \eta(1+X)} \sqrt{\frac{c^2 R}{GM}} \left( \frac{\dot{M}_{\text{NS}}}{\dot{M}_E} \right) \int \frac{r_{\text{co}}}{r} (\frac{r}{R})^{p-3/2} d(\frac{r}{R}).
\]

For ionized gas with cosmic abundances, we have \( \mu = 0.6 \) and \( X = 0.7 \). We require that \( r_c < a \), where the binary separation is \( a = 2.8 \times 10^{11} M_{1.9}^{1/2} \text{ cm} \) (Frank et al. 2002; Shahbaz et al. 2014). This is equivalent to requiring that \( r_c / a \lesssim 10^3 \). Then taking \( \dot{M}_{\text{NS}}/\dot{M}_E = 4 \times 10^{-6} \) and \( \tau_{\text{es}} \approx 10^{-4} \), we expect optically thin bremsstrahlung emission. Taking \( r_c / a = 10^5 \) and \( kT_e = 5 \text{ keV} \), we predict a bremsstrahlung emission measure of \( \int n_e^2 dV = 8 \times 10^{52} \text{ cm}^{-3} \), which corresponds to a luminosity of \( 8.5 \times 10^{39} \text{ erg s}^{-1} \approx 40 L_E \). This is nearly seven orders of magnitude brighter than the observed quiescent emission! We conclude that a thermal Comptonization model is not physically self-consistent for the hard spectral component in Cen X-4 in quiescence and can be ruled out.

4.2. Synchrotron Shock Emission

Another way of producing a cutoff power-law spectrum is through synchrotron emission. Radio pulsars dissipate their rotational energy via a relativistic wind comprising charged particles and Poynting flux (see Arons 2002; Gaensler & Slane 2006, and references therein). Quiescent NS/LMXB transients can turn on as radio pulsars under some circumstances (Stella et al. 1994); this has recently been observed in at least three cases (see Section 5.3). If Cen X-4 turned on as a radio pulsar during X-ray quiescence, then synchrotron shock emission from the radio pulse wind interacting with intrabinary material or the interstellar medium (ISM) could produce a power-law X-ray spectrum (Campana et al. 1998a).

The synchrotron power-law spectrum will have a high-energy exponential cutoff corresponding to the maximum energy of the electron population accelerated in the shock. This is generally thought to occur at energies of \( \gtrsim 100 \text{ keV} \) in pulsar wind shocks. Indeed, PSR J1023+0023, the only quiescent NS/LMXB in which synchrotron shock emission is definitely thought to have been observed, has an unbroken power-law spectrum out to at least 80 keV (Tendulkar et al. 2014). However, as we show below, it is possible to have lower cutoff energies in pulsar wind shocks.
4.2.1. Formalism

We begin by reviewing the formalism for the synchrotron shock scenario developed by Arons & Tavani (1993, hereinafter AT93) for the case of the eclipsing “black widow” millisecond pulsar PSR B1957+20. The pulsar wind is powered by spin-down of the pulsar with an energy loss rate set by magnetic dipole radiation:

\[
\dot{E} = \frac{4\pi^2 \dot{P} I}{P^3}. \tag{10}
\]

where \(P\) and \(\dot{P}\) are the pulsar spin period and its derivative, and we assume \(I = 10^{45} \text{ g cm}^2\) for the NS moment of inertia. Because we do not know \(P\) and \(\dot{P}\) for Cen X-4, we will scale the surface dipole magnetic field as \(B = 10^8 B_8 \text{ G}\) and the spin period as \(P = 3 P_{3\text{ ms}} \text{ ms}\), where we assume

\[
B = \sqrt{\frac{3c^3 I P \dot{P}}{8\pi^2 R^6}} \tag{11}
\]

\[
= 1.8 \times 10^8 P_{3\text{ ms}}^{1/2} \left(\frac{\dot{P}}{10^{-20}}\right)^{1/2} \text{ G}. \tag{12}
\]

Thus, for a millisecond pulsar, we have \(\dot{P} = 0.3 \times 10^{-20} B_8^2 P_{3\text{ ms}}^{-1}\)
and \(\dot{E} = 4.8 \times 10^{32} B_8^2 P_{3\text{ ms}}^{-3/2} \text{ erg s}^{-1}\).

Upstream from the shock, the Lorentz factor in the wind is

\[
\gamma_{up} = 9 \times 10^4 \left(\frac{V}{0.3}\right) \left(\frac{Z}{A}\right) B_8 P_{3\text{ ms}}^{-3/2}, \tag{13}
\]

where we assume that the ions in the wind have charge \(Z\) and mass \(m_p\), and are accelerated to a fraction \(V/0.3\) of the open-field line voltage of the NS. Possible ion values range from protons (\(Z = A = 1\)) to partially ionized iron (\(Z \approx 3, A \approx 56\)). The relative energetic contributions of Poynting flux and ions in the wind upstream of the shock are described by a magnetization parameter (Kennel & Coroniti 1984a):

\[
\sigma = \frac{B_{up}^2}{4\pi \rho_{up} \gamma_{up} c^2}, \tag{14}
\]

where \(B_{up}\) and \(\rho_{up}\) are the magnetic field strength and density of the upstream wind. For a particle-dominated wind (like the one in the Crab Nebula), \(\sigma \approx 10^{-3}\), and for a magnetically dominated wind, \(\sigma \gg 1\). The upstream magnetic field strength can then be written as (Kennel & Coroniti 1984b)

\[
B_{up}(r_s) = \left(\frac{\sigma}{1 + \sigma}\right)^{1/2} \left(\frac{\dot{E}}{r_s^2 c f_p}\right)^{1/2}, \tag{15}
\]

where \(f_p = \Delta \Omega_p/4\pi\) is the fractional solid angle into which the wind is emitted. From the shock jump conditions, the downstream field strength is (Kennel & Coroniti 1984a)

\[
B_{down} \approx \begin{cases} 3 B_{up} & \text{for } \sigma \ll 1 \\ B_{up} & \text{for } \sigma \gg 1. \end{cases} \tag{16}
\]

The shock will give rise to a power-law electron population with energy distribution \(N(\gamma) \propto \gamma^{-5}\) for \(\gamma > \gamma_{up}\), with \(s \approx 2\).

\(^{17}\) Note that \(\dot{P}\) is the spin period derivative due to magnetic dipole spin-down alone, in the absence of any accretion torques.

This will, in turn, produce a synchrotron radiation spectrum with photon number index \(\Gamma \approx 1.5\) for photon energies above

\[
E_{min} \approx 0.3 \frac{\gamma_{up}^2}{\dot{P} m_e c^3}, \tag{17}
\]

where \(e\) and \(m_e\) are the charge and mass of the electron. If radiative losses are negligible, these power laws will extend up to a cutoff at Lorentz factor

\[
\gamma_m = \left(\frac{A}{Z}\right) \left(\frac{m_p}{m_e}\right) \gamma_{up} = 2 \times 10^8 \left(\frac{V}{0.3}\right) B_8 P_{3\text{ ms}}^{-3/2}, \tag{18}
\]

and at photon energy

\[
E_c = \gamma_m^2 \frac{\dot{E} c B_{down}}{m_e c}. \tag{19}
\]

However, if radiative losses are significant, then the electron population will extend only to \(\gamma_s < \gamma_m\). To find \(\gamma_s\), we compare the acceleration time (AT93)

\[
t_{acc} = \left(\frac{A}{Z}\right) \frac{\gamma_{up} m_p c}{e B_{down}} \tag{20}
\]

and the synchrotron loss time

\[
t_s(\gamma) = \frac{6\pi m_e c}{\sigma T B_{down}^2} \frac{1}{\gamma}, \tag{21}
\]

and solve \(t_{acc} = t_s(\gamma_s)\). If \(\gamma_s < \gamma_m\), then radiative losses are important, and the photon power law will only extend up to

\[
E_c = \gamma_s^2 \frac{\dot{E} c B_{down}}{m_e c}. \tag{22}
\]

Given the above formalism, we now consider two possible sites for the pulsar wind shock location.

4.2.2. Synchrotron Shock in the ISM

If the shock occurs where the pulsar wind is confined by ram pressure in the ISM, then the shock radius will be (Kulkarni & Hester 1988, AT93)

\[
r_s = \left(\frac{\dot{E}}{4\pi f_p c m_p n v_p}\right)^{1/2}. \tag{23}
\]

\[
= 4 \times 10^{15} f_p^{-1/2} n_1^{-1/3} v_{200}^{-2} B_8 P_{3\text{ ms}}^{-3/2} \text{ cm}, \tag{24}
\]

where \(n = n_1 \text{ cm}^{-3}\) is the ISM particle density and \(v_p = 200 \text{ v}_{200} \text{ km s}^{-1}\) is the pulsar space velocity (Shahbaz et al. 2014). At this large distance from the NS, we assume that \(\sigma \ll 1\) (Arons 2002). Then, the upstream magnetic field strength is

\[
B_{up}(r_s) = 3 \times 10^{-6} \left(\frac{\sigma}{10^{-3}}\right)^{1/2} n_1 v_{200}^2 \text{ G}, \tag{25}
\]

and the magnetic field downstream of the shock is \(B_{down} \approx 3 B_{up}\). Radiative losses are negligible in such a weak field, so the expected synchrotron power-law spectrum will extend from

\[
E_{min} = 3 \times 10^{-7} \left(\frac{\sigma}{10^{-3}}\right)^{1/2} n_1^{-1} v_{200}^2 B_8^2 P_{3\text{ ms}}^{-3}, \text{ keV} \tag{26}
\]
to a cutoff at

\[ E_c = 3.3 \left( \frac{\sigma}{10^{-3}} \right)^{1/2} \left( \frac{\eta_v}{0.3} \right)^2 n_1 v_{200}^2 \times B_8^{-3} P_{3 \text{ms}}^{-3}, \text{keV}. \]  

(27)

The ISM shock model produces a cutoff energy consistent with our observed spectrum for a reasonable range of pulsar parameters, as shown in shaded region (a) of Figure 7. However, the predicted synchrotron emission corresponding to that region is orders of magnitude weaker than our observed power-law luminosity (∼10^{32} \text{erg s}^{-1}). Scaling to \( P \) and \( B \) values that lie in the central strip of region (a) in Figure 7, the expected 0.3–20 keV synchrotron luminosity from the ISM shock is (AT93, Equation (16))

\[ L_s \approx 2 \times 10^{37} \left( \frac{\sigma}{10^{-3}} \right)^{\epsilon_a/2} \left( \frac{\eta_v}{0.3} \right)^{1/2} n_1 v_{200} \times \left( \frac{f_{\text{band}}}{0.8} \right) B_8^2 \left( \frac{P}{2 \text{ ms}} \right)^{-6} \text{erg s}^{-1}, \]  

(28)

where \( \epsilon_a \) is the conversion efficiency of pulsar wind luminosity into particle acceleration in the shock, and \( f_{\text{band}} \) is the fraction of the bolometric synchrotron luminosity that lies in the 0.3–20 keV band:

\[ f_{\text{band}} \approx \left[ \min(20 \text{ keV}, E_c) \right]^{1/2} - \left[ \frac{0.3 \text{ keV}}{E_c} \right]^{1/2}. \]  

(29)

Note that the contours of constant \( E_c \) and constant \( L_s \) have the same slope in Figure 7, so the numerical prefactor in Equation (28) characterizes the entire length of the shaded region. We conclude that synchrotron emission from a shock in the ISM cannot explain the observed hard X-ray spectrum in Cen X-4.

4.2.3. Intrabinary Shock

Another possibility is that the pulsar wind collides with material lost from the binary companion or the accretion flow at a shock radius \( r_s \sim a \), where the magnetic field is considerably stronger than in the ISM case. In PSR J1023+0038, the intrabinary shock was modeled as occurring near the inner Lagrangian (\( L_1 \)) point (Bogdanov et al. 2011); in Cen X-4, the \( L_1 \) point lies at \( r \approx 0.67a \). It is unclear whether the pulsar wind would be particle dominated or not in an intrabinary shock relatively close to the pulsar. Arons (2002) points out that theory predicts \( \sigma \gg 1 \) at the pulsar light cylinder, but that observations indicate \( \sigma \ll 1 \) in observed pulsar wind nebulae produced by ISM shocks, and that it is not clear how or where the transition from one regime to the other occurs. We note that Bogdanov et al. (2011) inferred \( \sigma \gg 1 \) for the intrabinary shock in PSR J1023+0038. We therefore consider both the \( \sigma \ll 1 \) and \( \sigma \gg 1 \) cases here.18

Scaling to the binary separation in Equation (15), the up-stream magnetic field is now

\[ B_{\text{up}}(r_s) = \left( \frac{\sigma}{1 + \sigma} \right)^{1/2} \left( \frac{E}{a^2 c \beta_p} \right)^{1/2} \left( \frac{r_s}{a} \right)^{-1}, \]  

(30)

\[ = 0.04 \left( \frac{\sigma}{10^{-3}} \right)^{1/2} f_{p}^{-1/2} \left( \frac{r_s}{a} \right)^{-1} \left( \frac{a}{a_0} \right)^{-1} \times B_8 P_{3 \text{ms}}^{-3/2}, \text{for } \sigma \ll 1, \]  

(31)

\[ = 1.4 f_{p}^{-1/2} \left( \frac{r_s}{a} \right)^{-1} \left( \frac{a}{a_0} \right)^{-1} \times B_8 P_{3 \text{ms}}^{-3/2}, \text{for } \sigma \gg 1, \]  

(32)

where \( a_0 = 2.8 \times 10^{14} \text{ cm} \). The downstream field \( B_{\text{down}} \) is given by Equation (16). From Equation (17), the lower energy bound for the synchrotron power law is

\[ E_{\text{min}} = 0.003 \left( \frac{\sigma}{10^{-3}} \right)^{1/2} f_{p}^{-1/2} \left( \frac{\eta_v}{0.3} \right)^2 \left( \frac{r_s}{a} \right)^{-1} \left( \frac{a}{a_0} \right)^{-1} \times \left( \frac{Z}{A} \right)^2 B_8^2 P_{3 \text{ms}}^{-9/2}, \text{keV, for } \sigma \ll 1, \]  

(33)

\[ = 0.04 f_{p}^{-1/2} \left( \frac{\eta_v}{0.3} \right)^2 \left( \frac{r_s}{a} \right)^{-1} \left( \frac{a}{a_0} \right)^{-1} \times \left( \frac{Z}{A} \right)^2 B_8^2 P_{3 \text{ms}}^{-9/2}, \text{keV, for } \sigma \gg 1. \]  

(34)

18 We follow Stappers et al. (2003) and Bogdanov et al. (2011) in taking this approach. However, it is not clear that the synchrotron shock model is viable for \( \sigma \gg 1 \). Kennel & Coroniti (1984a) wrote: "Large-\( \sigma \) shocks are effectively weak... Only when \( \sigma \leq 0.1 \) can a significant fraction of the total energy flux upstream be converted into thermal energy downstream and thereafter into synchrotron luminosity."
The upper bound depends on whether or not radiative losses are important, which is set by the ratio

$$\frac{\gamma_s}{\gamma_m} = 36 \left( \frac{\sigma}{10^{-3}} \right)^{-1/2} f_p^{1/2} \left( \frac{\eta v}{0.3} \right)^2 \left( \frac{r_s}{a} \right) \left( \frac{a}{a_0} \right)$$

$$\times B_8^{-3} P_{3\text{ ms}}^{9/2}, \text{ for } \sigma \ll 1 \quad (35)$$

$$= 3 f_p^{1/2} \left( \frac{\eta v}{0.3} \right)^{-2} \left( \frac{r_s}{a} \right) \left( \frac{a}{a_0} \right)$$

$$\times B_8^{-3} P_{3\text{ ms}}^{9/2}, \text{ for } \sigma \gg 1. \quad (36)$$

From Equations (19) and (22), the cutoff energy for the $\sigma \ll 1$ case is then

$$E_c = 4.5 \times 10^4 \left( \frac{\sigma}{10^{-3}} \right)^{1/2} f_p^{-1/2} \left( \frac{\eta v}{0.3} \right)^2 \left( \frac{r_s}{a} \right)^{-1}$$

$$\times \left( \frac{a}{a_0} \right)^{-1} B_8^3 P_{3\text{ ms}}^{-9/2} \text{ keV, for } \gamma_s > \gamma_m \quad (37)$$

$$= 5.6 \times 10^7 \left( \frac{\sigma}{10^{-3}} \right)^{-1/2} f_p^{1/2} \left( \frac{\eta v}{0.3} \right)^{-2} \left( \frac{r_s}{a} \right)$$

$$\times \left( \frac{a}{a_0} \right) B_8^{-3} P_{3\text{ ms}}^{9/2} \text{ keV, for } \gamma_s < \gamma_m. \quad (38)$$

and for the $\sigma \gg 1$ case it is

$$E_c = 5.2 \times 10^5 f_p^{-1/2} \left( \frac{\eta v}{0.3} \right)^2 \left( \frac{r_s}{a} \right)^{-1} \left( \frac{a}{a_0} \right)^{-1}$$

$$\times B_8^3 P_{3\text{ ms}}^{-9/2} \text{ keV, for } \gamma_s > \gamma_m \quad (39)$$

$$= 4.7 \times 10^6 f_p^{1/2} \left( \frac{\eta v}{0.3} \right)^{-2} \left( \frac{r_s}{a} \right) \left( \frac{a}{a_0} \right)$$

$$\times B_8^{-3} P_{3\text{ ms}}^{9/2} \text{ keV, for } \gamma_s < \gamma_m. \quad (40)$$

The intrabinary shock model with $\gamma_s > \gamma_m$ is able to produce a cutoff energy consistent with our observed spectrum for a reasonable range of pulsar parameters, as shown in shaded regions (b) and (c) of Figure 7. However, again, the predicted synchrotron luminosity corresponding to those regions is orders of magnitude smaller than our observed power-law luminosity. The expected 0.3–20 keV synchrotron luminosity from an intrabinary shock is (AT93, Equation (24))

$$L_s \approx \epsilon_a \dot{E} f_{\text{band}} f_{\text{geom}}, \quad (41)$$

where $f_{\text{geom}}$ is the fraction of the pulsar wind intercepted by intrabinary material. By analogy to PSR J1023+0038, we expect $f_{\text{geom}}$ to be in the range 0.01–0.1 (Bogdanov et al. 2011). Scaling to $P$ and $B$ values inside the shaded regions, we thus have

$$L_s \simeq 2 \times 10^{29} \left( \frac{f_{\text{band}}}{0.8} \right) \left( \frac{\epsilon_a}{0.2} \right) \left( \frac{f_{\text{geom}}}{0.05} \right)$$

$$\times \left( \frac{B}{3 \times 10^8 \text{ G}} \right)^2 \left( \frac{P}{40 \text{ ms}} \right)^{-3} \text{ erg s}^{-1} \quad (42)$$

for the $\gamma_s > \gamma_m$, $\sigma \ll 1$ case [region (b)], and

$$L_s \simeq 3 \times 10^{29} \left( \frac{f_{\text{band}}}{0.8} \right) \left( \frac{\epsilon_a}{0.2} \right) \left( \frac{f_{\text{geom}}}{0.05} \right)$$

$$\times \left( \frac{B}{3 \times 10^8 \text{ G}} \right)^2 \left( \frac{P}{70 \text{ ms}} \right)^{-3} \text{ erg s}^{-1}, \quad (43)$$

for the $\gamma_s > \gamma_m$, $\sigma \gg 1$ case [region (c)]. The cases where radiative losses dominate ($\gamma_s < \gamma_m$) only give low enough cutoff energies for an unphysical set of pulsar parameters ($P \lesssim 1$ ms with $B \gtrsim 10^9$ G, beyond the upper left corner of Figure 7), and they predict a synchrotron luminosity at least two orders of magnitude larger than what we observe. Taken together, we conclude that synchrotron emission from an intrabinary shock cannot explain the cutoff power-law spectrum in Cen X-4.

4.3. Bremsstrahlung

A third way of modeling our cutoff spectrum is through thermal bremsstrahlung emission from an optically thin cloud of hot electrons. Our bremsstrahlung fits (see Tables 1 and 2) yielded an electron temperature $kT_e = 18$ keV and an emission measure

$$\int n_e^2 dV = 1.6 \times 10^{55} D_{\text{kpc}}^{-3}. \quad (44)$$

We examine two different possibilities for the emission site.

4.3.1. Emission from above the NS Atmosphere

We again consider the possibility of a hot, optically thin layer above the NS atmosphere with geometric thickness $h = 10^3 h_3$ cm. The observed emission measure requires an electron density of

$$n_e = 3.6 \times 10^{19} h_3^{-1/2} D_{\text{kpc}}^{-3}. \quad (45)$$

This implies a free–free absorption optical depth of only $\tau_{\text{ff}} \approx 10^{-8}$ at 2 keV, which is self-consistent for optically thin thermal bremsstrahlung emission. In this scenario, both the soft (thermal) emission and the hard (bremsstrahlung) emission are formed in or above the NS atmosphere. This can thus easily account for the fact that the soft and hard emission are observed to vary together on short timescales, with no detectable time lag.

Deufel et al. (2001) calculated the spectrum of an unmagnetized NS atmosphere accreting at low rates through a RIAF flow. Their work differs from the low-$M$ case considered by Zampieri et al. (1995, see also Section 3.2) in that it includes Coulomb heating of the atmosphere by energetic protons in the RIAF flow. Interestingly, they predict a hot, optically thin surface layer above the NS atmosphere with $kT_e \approx 50$ keV and with significant bremsstrahlung emission expected for a certain range of $M_{\text{NS}}$, in addition to the soft thermal emission from the NS surface. Their most detailed calculations were made assuming a proton temperature of $0.5T_{\text{vir}}$, where $T_{\text{vir}}$ is the virial temperature. For this case, they found that the bremsstrahlung emission is comparable in strength to the thermal component when $M_{\text{NS}} \gtrsim 10^{-3} M_8$, but that it becomes negligible when $M_{\text{NS}} \lesssim 10^{-4} M_8$. By comparison, our observation of Cen X-4 measured comparable luminosity in the two components when the accretion rate was much lower, $M_{\text{NS}} \lesssim 3.7 \times 10^{-6} M_8$. This is a factor of $10^4$ discrepancy with the Deufel et al. (2001) calculation.

One way of reconciling this is to invoke magnetic channeling of the quiescent accretion flow onto the NS polar caps, thus increasing the local accretion rate per unit area. However, this
would require very small polar caps with area $A_{\text{cap}} \sim 10^{-4} \pi R^2$. The measured spectral parameters of the soft thermal component in Cen X-4 are not consistent with such small polar caps (see Tables 1 and 2). On the contrary, they suggest that the thermal emission arises from a significant fraction of the stellar surface. Another alternative is to reexamine the assumptions of the Deufel et al. (2001) calculation because the expected bremsstrahlung luminosity must depend on the details of the Coulomb heating of the atmosphere. The authors found that, for a fixed accretion rate, reducing the proton temperature increases the heating in the upper atmosphere because the protons do not penetrate as deeply. However, they did not investigate this case in detail, so it is not clear whether a physically reasonable choice of proton temperature can produce significant bremsstrahlung emission at accretion rates as low as we observed in Cen X-4.

We conclude that bremsstrahlung emission from a hot layer above the NS atmosphere is consistent with our observed spectral cutoff. However, it is not yet clear how to produce sufficient luminosity to match our data based on existing theoretical models for RIAF accretion onto NSs.

4.3.2. Emission from the RIAF Accretion Flow

As another alternative, we again assume that $\dot{M}$ varies with distance from the NS according to Equation (7) and use Equation (8) for $n_e$. Then, taking $\mu = 0.6$ and $X = 0.7$ for ionized gas with cosmic abundances, the expected emission measure for a cloud of radius $r_c$ is

$$\int n_e^2 \, dV = \frac{8 \pi R}{p \eta^2 \sigma_T^2} \left( \frac{c^2 R}{GM} \right) \left( \frac{M_{\text{NS}}}{M_{\text{E}}} \right)^2 \left( \frac{r_c}{R} \right)^{2p} \left( \frac{r_c}{R} \right)^{2p} \ldots \ldots (46)$$

Equating this to Equation (44), we find that

$$\frac{r_c}{R} \approx 10^{4/p} \eta^{1/p} \frac{D_{\text{kpc}}}{10^{-1}} \left( \frac{M_{\text{NS}}}{M_{\text{E}}} \right)^{-1/p} \left( \frac{4 \times 10^{-6}}{L_c} \right), \ldots \ldots (47)$$

which sets the scale for the bremsstrahlung emission region in units of the NS radius $R$. Requiring $r_c < a$ or equivalently $r_c/R \lesssim 10^5$, we find that $p \gtrsim 0.8$. Alternatively, if we require that the cloud lies inside the RIAF transition radius ($r_c < r_t$ or $r_c/R \lesssim 10^4$), then we find that $p \gtrsim 1$. In either case, only a small fraction $(r_c/R)^{−p} \lesssim 10^{-4}$ of the mass transferred reaches the NS in quiescence; the rest accumulates at large $r$ or is expelled. In particular, we note that much of the bremsstrahlung emission is coming from electrons at large $r$. For $p = 1$, the electron density $n_e$ ranges from $10^{14}$ cm$^{-3}$ near the NS to $10^{12}$ cm$^{-3}$ near $r_c$.

This scenario is able to self-consistently account for the observed bremsstrahlung luminosity. However, it is challenging to explain the short $<30$s lag time observed between the soft and hard flux variability in the X-ray light curve (see Section 3.1). Presumably, the hard flares would arise from mass fluctuations in the RIAF flow, and the soft flares would arise when those fluctuations reach the NS surface. The shortest possible timescale between the soft and hard flares is then the free-fall timescale from $r_c$,

$$t_{\text{ff}} = 60 \left( \frac{r_c}{10^4 R} \right)^{3/2} \ldots \ldots (48)$$

This is only marginally consistent with our upper limit on the lag time. We conclude that bremsstrahlung emission from the RIAF flow is consistent with our observed spectral cutoff and luminosity, but placing this emission far from the NS is difficult to reconcile with the fact that the soft and hard emission vary together on short timescales.

5. DISCUSSION

5.1. The Spectral Cutoff in Cen X-4

We have measured a cutoff in the hard X-ray power-law spectrum of Cen X-4 that can be fit with an exponential cutoff at around 10 keV or a bremsstrahlung spectrum with $kT_e = 18$ keV. This is the first detection of a power-law cutoff in this source class, and it finally permits a more detailed investigation of the origin of the hard component in quiescent NS/LMXBs. We were able to rule out both thermal Comptonization and synchrotron shock emission as the origin of the spectral cutoff. Instead, the hard X-ray spectrum can be understood as bremsstrahlung emission, arising either from a hot, optically thin corona above the NS atmosphere or from hot electrons in an optically thin RIAF. The NS atmosphere scenario has the advantage that it can easily explain why the soft and hard emissions vary together on timescales, while the RIAF scenario has the advantage that it can self-consistently account for the observed luminosity.

The 18 keV electron temperature for the brems model is much lower than either the ~50 keV electron temperature predicted for the hot layer above an NS atmosphere (Deufel et al. 2001) or the ~100 keV electron temperature expected in a RIAF flow around a BH (Mahadevan & Quataert 1997). This may be due to Compton cooling of the bremsstrahlung electrons by the soft X-ray photons from the NS atmosphere, in which case we would expect $T_e$ to depend upon the soft X-ray luminosity $L_{\text{soft}}$. The absence of a detectable Compton emission component is not problematic. The Compton radiative power density is

$$P_C = \sigma_T n_e \left( \frac{4kT_e}{m_e c^2} \right) \left( \frac{L_{\text{soft}}}{4 \pi r^2} \right) \ldots \ldots (49)$$

The resulting inverse Compton luminosity is

$$L_{\text{C, atm}} = 5 \times 10^{29} \left( \frac{h \nu}{18 \text{keV}} \right) \left( \frac{L_{\text{soft}}}{2 \times 10^{-6}} \right) \text{erg s}^{-1} \ldots \ldots (50)$$

for cooling above the NS atmosphere, or

$$L_{\text{C, RIAF}} = 3 \times 10^{30} \left( \frac{h \nu}{18 \text{keV}} \right) \left( \frac{M_{\text{NS}}}{M_{\text{E}}} \right) \left( \frac{L_{\text{soft}}/L_E}{2 \times 10^{-6}} \right) \text{erg s}^{-1} \ldots \ldots (51)$$

for cooling in the accretion flow. In either case, the Compton luminosity is no more than a few percent of the overall source luminosity and thus essentially undetectable in our spectrum.

It is interesting to consider whether the flares observed in the X-ray light curve might be expected to affect the electron temperature (and thus the cutoff energy). The Compton cooling timescale is $t_{\text{C, atm}} = (3/2) n_e kT_e / P_C$. For emission above the NS atmosphere, this yields

$$t_{\text{C, atm}} = 1 \times 10^{-2} \left( \frac{L_{\text{soft}}/L_E}{2 \times 10^{-6}} \right)^{-1} \text{s} \ldots \ldots (52)$$
so the cooling is nearly instantaneous. For this scenario, we might expect to measure spectral changes in the NuSTAR band (\(\gtrsim 10\) keV) during the flares, although we did not have a sufficiently high signal-to-noise ratio to do this with our observation. By contrast, emission in the RIAF gives

\[
\Gamma \sim 1 \times 10^{10} M_{1.9}^{-1} \left( \frac{r}{10^4 R} \right)^2 \left( \frac{L_{\text{soft}}/L_E}{2 \times 10^{-6}} \right)^{-1} \text{s}, \quad (53)
\]

so in this case short-term flaring behavior will not result in significant Compton cooling of the bremsstrahlung electrons in the RIAF flow. This might provide an avenue for discriminating between the two scenarios.

On longer timescales (months to years), the fact that the slope of the hard X-ray power-law spectrum in Cen X-4 was observed to vary from epoch to epoch over the course of two decades (Cackett et al. 2010) makes it unlikely that the 18 keV bremsstrahlung spectrum we have measured is a constant feature of the source in quiescence. In fact, we can demonstrate that the hard X-ray cutoff energy in Cen X-4 is likely variable by noting that the departure of the hard X-ray spectrum from an unbroken power law above \(\gtrsim 6\) keV is evident in our 2013 XMM-Newton spectrum alone, even without including the NuSTAR data. The shape of an 18 keV bremsstrahlung spectrum will show noticeable curvature below 10 keV. On the other hand, all previous deep observations of Cen X-4 in the 0.5–10 keV band are consistent with an unbroken hard X-ray power-law spectrum, indicating a higher cutoff energy for those observations. All of these observations occurred at significantly lower luminosity (see Figure 8). We would expect a lower thermal luminosity to result in reduced Compton cooling of the bremsstrahlung electrons and hence a higher electron temperature, consistent with a higher cutoff energy.

Moreover, we would expect the 2–10 keV power-law slope to vary systematically with the thermal luminosity \(L_\text{th}\). For energy bandpasses far below \(kT_e\), a bremsstrahlung spectrum is

\[\Gamma = 1\] power law (see, e.g., Rybicki & Lightman 1979); as one approaches \(kT_e\) from below, the effective \(\Gamma\) over a fixed bandpass increases as the spectrum begins to gradually roll over. Thus, if we assume that \(kT_e\) is reduced from 50–100 keV in the absence of Compton cooling, then a Compton-cooled bremsstrahlung model predicts that the \(\Gamma\) should be close to 1 at low \(L_\text{th}\); and should increase as \(L_\text{th}\) rises and \(kT_e\) falls. This relationship will eventually break down when \(kT_e\) gets sufficiently low because an unbroken power law no longer provides even a rough fit to a sharp spectral cutoff. The archival data roughly support this picture for \(L_\text{th} \gtrsim 10^{32} D_{\text{kpc}}^2 \text{erg s}^{-1}\). In Figure 8, we plot \(\Gamma\) versus \(L_\text{th}\) for deep quiescent observations of Cen X-4 made since 1994, including our observation. These observations are listed in Table 3; the archival spectra are collected from Cackett et al. (2010) and Cackett et al. (2013). The trend of the observations in Figure 8 with \(L_\text{th} \gtrsim 10^{32} D_{\text{kpc}}^2 \text{erg s}^{-1}\) is roughly consistent with our expectation for a Compton-cooled bremsstrahlung model.

At the lowest thermal luminosities, however, \(\Gamma\) jumps to higher values. The abrupt change is suggestive of a spectral transition to a different emission mechanism. Given the extremely low luminosities, one might consider coronal X-ray emission from the companion star (Bildsten & Rutledge 2000), but the observed spectral shapes for these observations were not consistent with coronal emission (Cackett et al. 2010, 2013). Instead, we suggest that this may indicate a transition to synchrotron shock emission at the lowest luminosities. We discuss this further in Section 5.3.

### Table 3

<table>
<thead>
<tr>
<th>Start Date</th>
<th>Mission</th>
<th>Exposure</th>
<th>(L_\text{th}) (10^{32} \text{erg s}^{-1})</th>
<th>(\Gamma)</th>
<th>Ref.</th>
</tr>
</thead>
<tbody>
<tr>
<td>1994 Feb 27</td>
<td>ASCA</td>
<td>39</td>
<td>1.19(11) 1.24(17)</td>
<td>1</td>
<td></td>
</tr>
<tr>
<td>2001 Aug 20</td>
<td>XMM</td>
<td>53</td>
<td>1.50(5)  1.41(5)</td>
<td>1</td>
<td></td>
</tr>
<tr>
<td>2003 Mar 1</td>
<td>XMM</td>
<td>78</td>
<td>1.07(2)  1.26(8)</td>
<td>1</td>
<td></td>
</tr>
<tr>
<td>2009 Jan 16</td>
<td>Suzaku</td>
<td>147</td>
<td>0.29(2)  1.69(17)</td>
<td>1</td>
<td></td>
</tr>
<tr>
<td>2010 Aug 25</td>
<td>XMM</td>
<td>21</td>
<td>0.63(6)  1.77(21)</td>
<td>2</td>
<td></td>
</tr>
<tr>
<td>2010 Sep 4</td>
<td>XMM</td>
<td>23</td>
<td>0.67(1)  1.62(10)</td>
<td>2</td>
<td></td>
</tr>
<tr>
<td>2011 Jan 24</td>
<td>XMM</td>
<td>15</td>
<td>0.97(2)  1.38(10)</td>
<td>2</td>
<td></td>
</tr>
<tr>
<td>2011 Jan 31</td>
<td>XMM</td>
<td>14</td>
<td>0.31(1)  1.94(19)</td>
<td>2</td>
<td></td>
</tr>
<tr>
<td>2013 Jan 20</td>
<td>XMM+NuSTAR</td>
<td>27/114</td>
<td>3.8(1)  1.56(5)</td>
<td>3</td>
<td></td>
</tr>
</tbody>
</table>

Notes. All archival data fit to \(\text{phabs*(nsatmos+powerlaw)}\) model. Chandra observations excluded owing to possible photon pileup.

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As in most quiescent transient NS/LMXBs, a basic requirement for Cen X-4 is that most of the accretion flow does not reach the NS because the inferred \(M_{\text{NS}}\) is substantially smaller than the binary mass transfer rate \(\dot{M}_T \sim 0.01 M_E\) expected for a Roche-lobe–filling main-sequence donor in a 15.1 hr binary (e.g., King et al. 1996). There may be several mechanisms that contribute to

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19 We exclude observations made with Chandra/ACIS, which may be subject to pileup effects. We note that the \(\Gamma\) values found by Cackett et al. (2010) for these observations are much smaller than for any other observations, as would be expected if there is significant pileup. We will reexamine these data elsewhere.
this. First of all, the disk instability model for LMXB transients predicts that most of the accretion flow during X-ray quiescence builds up in the outer accretion disk until a thermal instability ensues, causing an outburst (see Lasota 2001). At low $M$, the outer disk will transition into a quasi-spherical RIAF flow at $r_m$. It has previously been noted that RIAF models for quiescent NS transients require that most of the RIAF flow is somehow prevented from reaching the NS (Asai et al. 1998; Menou et al. 1999). One way of achieving this is the ADIOS-like outflow that we discussed in Section 4.3.2.

Another possibility is that most of the flow reaching the NS magnetosphere is centrifugally inhibited by the magnetic "propeller effect" (Illarionov & Sunyaev 1975; Ustyugova et al. 2006). This occurs when the magnetosphere extends beyond the corotation radius (see Equation (4)). We define the magnetospheric radius $r_m$ as the location where the magnetic and material stresses are equal:

$$r_m = \xi \left( \frac{\mu_m^4}{GM^2} \right)^{1/7} \approx 31 \xi B_{12}^{1/7} M_{13}^{-1/7} R_{10}^{10/7} \times \left( \frac{M/M_E}{0.01} \right)^{-2/7} \text{km,} \quad (54)$$

where $\mu_m$ is the magnetic dipole moment of the NS, $\xi$ is an order unity constant that depends upon the details of the accretion flow near the magnetosphere (see, e.g., Psaltis & Chakrabarty 1999), and the usual $R^{12/7}$ scaling is modified by the $R$ dependence of $M_E$. In the propeller regime, $r_m > r_{co}$. For ordinary thin-disk magnetic accretion, the disk extends to the magnetosphere, and the accretion is entirely shut off in this regime. However, for a RIAF flow onto a millisecond pulsar, $r_m$ will generally lie inside the transition radius $r_t$, so the flow onto the magnetosphere will be quasi-spherical. In this geometry, a small fraction of the flow is able to reach the NS despite the centrifugal barrier present in the propeller regime (Menou et al. 1999). Whether material is expelled in a strong or weak outflow, or else accumulates outside $r_{co}$ (e.g., a "dead" disk), depends upon details of the disk–magnetosphere interaction (Spruit & Taam 1993; D’Angelo & Spruit 2010, 2012; Lii et al. 2014). However, observationally, Bernardini et al. (2013) have shown that a strong propeller outflow can likely be ruled out in Cen X-4.

Our observations support the conclusion of Bernardini et al. (2013) that low-level accretion is occurring during X-ray quiescence in Cen X-4, indicating that a small fraction of the accretion flow must eventually reach the NS. However, it remains unclear what combination of the above mechanisms ultimately controls what that fraction is.

5.3. Comparison to Other Low-$M$ Systems

After Cen X-4, the next brightest well-studied quiescent NS/LMXB transient is Aql X-1. Unlike Cen X-4, Aql X-1 has a relatively short recurrence timescale of 1–2 yr. There have been several recent studies of its quiescent emission (Cackett et al. 2011; Coti Zelati et al. 2014; Sakurai et al. 2014), all observing a soft thermal component and hard power-law component with no cutoff. Sakurai et al. (2014) argue that, for their 2007 Suzaku observations ($L/L_E = [3–9] \times 10^{-5} M_{1.9}$ for an assumed distance of 5.2 kpc), the most appropriate model for the hard component is Comptonization in either an optically thin ($\tau_{es} \lesssim 0.3$), very hot ($kT_e > 100$ keV) corona or an optically thick ($\tau_{es} > 3$), somewhat cooler ($kT_e \sim 50$ keV) corona. They do not find the same inconsistency between their measured $\tau_{es}$ and radially uniform accretion that we found in Equation (6). This is a consequence of their $M$ being higher and their $\tau_{es}$ being lower than in our Cen X-4 observation. However, we noted in Section 4.1 that $\tau_{es}$ and $kT_e$ vary inversely, and the high $kT_e$ values (and corresponding cutoff energies) that Sakurai et al. (2014) fit lie above their observation bandpass. The Suzaku data are thus unable to rule out the presence of a cutoff below 50–100 keV (but still above their bandpass); this would introduce the same difficulties for a Comptonization model that we found in Cen X-4, although it would be somewhat mitigated by the higher $M$. We note that our bremsstrahlung model could explain the hard component in Aql X-1 for $kT_e \gtrsim 30$ keV.

It is interesting to also compare the behavior of Cen X-4 with systems that have been observed to transition between LMXB and radio pulsar states during X-ray quiescence. The theoretical expectation is that such transitions are controlled by the location of the NS magnetospheric boundary (Stella et al. 1994). We can compare $r_m$ to both $r_{co}$ and the light-cylinder radius:

$$r_{lc} = \frac{cP}{2\pi} = 144 P_{3 ms}^3 \text{km.} \quad (55)$$

For sufficiently low $M$, we have $r_{co} < r_{lc} < r_m$, and the system will be in the propeller regime, with accretion onto the NS (mostly) shut off (Illarionov & Sunyaev 1975; Ustyugova et al. 2006). For even lower $M$, we will have $r_{co} < r_{lc} < r_m$. In this case, the radio pulsar mechanism can turn on, with the radiation pressure of a radio pulsar wind clearing the magnetosphere and an intrabinary shock giving rise to synchrotron X-ray emission (Stella et al. 1994; Campana et al. 1998a; Burderi et al. 2001). The $M$ implied for transition to a millisecond radio pulsar state corresponds to $L_x \lesssim 10^{33}$ erg s$^{-1}$, where the exact value depends on details of the system and the disk–magnetosphere interaction.

Indirect evidence for such transitions in NS/LMXBs during X-ray quiescence was previously reported in Aql X-1 ($L_x = 6 \times 10^{32}$ erg s$^{-1}$; Campana et al. 1998b) and SAX J1808.4–3658 ($L_x = 5 \times 10^{31}$ Burderi et al. 2003; Campana et al. 2004a; Deloye et al. 2008). However, more direct evidence has been reported more recently in at least three systems. The 1.7 ms radio pulsar PSR J1023+0038 (hereafter J1023) has made two transitions between the LMXB and radio pulsar states. It is now understood to have been in an LMXB state during 2000–2001, with direct optical evidence for the presence of an accretion disk (Wang et al. 2009). However, a state transition then occurred, with subsequent observations establishing the absence of an accretion disk during 2002–2013 (Thorstensen & Armstrong 2005) as well as the presence of a millisecond eclipsing radio pulsar during 2007–2013 (Archibald et al. 2009), along with a low X-ray luminosity associated with intrabinary synchrotron shock emission (Archibald et al. 2010; Bogdanov et al. 2011). A second state transition was observed more recently, with the radio pulsar turning off and an accretion disk reemerging (Stappers et al. 2014; Patruno et al. 2014).

In all of these observations, J1023 has remained in X-ray quiescence in the sense that a high-luminosity ($L_x \gtrsim 10^{36}$ erg s$^{-1}$) transient X-ray outburst was not observed. However, two distinct substages are evident: a faint X-ray–quiescent state ($L_x \sim 10^{32}$ erg s$^{-1}$) during which radio pulsations are seen, and a bright X-ray–quiescent state ($L_x \sim 10^{33}$ erg s$^{-1}$) during which the
we apply our Cen X-4 Compton-cooled bremsstrahlung model to the hard X-ray emission in J1023, M28I, and J12270 during their radio quiet or X-ray quiescent states, then we would expect a high (50–100 keV) electron temperature and an unbroken 2–10 keV power-law X-ray spectrum, consistent with what was observed.

Of course, synchrotron shock emission can also produce an unbroken power law in the X-ray band, and we expect this mechanism to dominate in the radio pulsar state. At sufficiently low luminosity, Cen X-4 should transition into a radio pulsar state; we suggest that this may be what occurs at $L_\nu \lesssim 10^{32} D_{\text{pc}}^2 \text{erg s}^{-1}$ in Figure 8 and that the jump in $\Gamma$ might reflect a sharp transition from high-temperature bremsstrahlung emission to synchrotron shock emission. This is consistent with the suggestion by Jonker et al. (2004) that the power-law component in quiescent NS/LMXBs arises from accretion at higher $\dot{M}$ and from some different, nonaccretion mechanism (e.g., synchrotron shock emission) at lower $\dot{M}$; they used this to explain how the fractional power-law contribution to the quiescent luminosity varies with $\dot{M}$ in quiescent NS/LMXBs. It would be interesting to search for millisecond radio pulsations from Cen X-4 when its X-ray luminosity next drops to $\lesssim 10^{32} D_{\text{pc}}^2 \text{erg s}^{-1}$.

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Facilities: NuSTAR, XMM

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