**Differential branching fraction and angular analysis of \( \frac{0}{b} \)^+ decays**

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Differential branching fraction and angular analysis of $Λ_b^0 \to Λ\mu^+\mu^-$ decays

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ABSTRACT: The differential branching fraction of the rare decay $Λ_b^0 \to Λ\mu^+\mu^-$ is measured as a function of $q^2$, the square of the dimuon invariant mass. The analysis is performed using proton-proton collision data, corresponding to an integrated luminosity of 3.0 fb$^{-1}$, collected by the LHCb experiment. Evidence of signal is observed in the $q^2$ region below the square of the $J/ψ$ mass. Integrating over $15 < q^2 < 20$ GeV$^2$/c$^4$ the differential branching fraction is measured as

$$\frac{dB(Λ_b^0 \to Λ\mu^+\mu^-)}{dq^2} = (1.18^{+0.09}_{-0.08} \pm 0.03 \pm 0.27) \times 10^{-7} (\text{GeV}^2/\text{c}^4)^{-1},$$

where the uncertainties are statistical, systematic and due to the normalisation mode, $Λ_b^0 \to J/ψΛ$, respectively. In the $q^2$ intervals where the signal is observed, angular distributions are studied and the forward-backward asymmetries in the dimuon ($A_{FB}^ℓ$) and hadron ($A_{FB}^h$) systems are measured for the first time. In the range $15 < q^2 < 20$ GeV$^2$/c$^4$ they are found to be

$$A_{FB}^ℓ = -0.05 \pm 0.09 \text{ (stat)} \pm 0.03 \text{ (syst)} \text{ and}$$
$$A_{FB}^h = -0.29 \pm 0.07 \text{ (stat)} \pm 0.03 \text{ (syst)}.$$

KEYWORDS: Rare decay, Hadron-Hadron Scattering, Branching fraction, B physics, Flavour Changing Neutral Currents

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1 Introduction

The decay $Λ^0_b → Λµ^+µ^−$ is a rare ($b → s$) flavour-changing neutral current process that, in the Standard Model (SM), proceeds through electroweak loop (penguin and $W^{±}$ box) diagrams. As non-SM particles may also contribute to the decay amplitudes, measurements of this and similar decays can be used to search for physics beyond the SM. To date,
emphasis has been placed on the study of rare decays of mesons rather than baryons, in part due to the theoretical complexity of the latter [1]. In the particular system studied in this analysis, the decay products include only a single long-lived hadron, simplifying the theoretical modelling of hadronic physics in the final state.

The study of $Λ^0_b$ baryon decays is of considerable interest for several reasons. Firstly, as the $Λ^0_b$ baryon has non-zero spin, there is the potential to improve the limited understanding of the helicity structure of the underlying Hamiltonian, which cannot be extracted from meson decays [1, 2]. Secondly, as the $Λ^0_b$ baryon may be considered as consisting of a heavy quark combined with a light diquark system, the hadronic physics differs significantly from that of the $B$ meson decay. A further motivation specific to the $Λ^0_b \to Λμ^+μ^−$ channel is that the polarisation of the $Λ$ baryon is preserved in the $Λ \to pπ^−$ decay, giving access to complementary information to that available from meson decays [3].

Theoretical aspects of the $Λ^0_b \to Λμ^+μ^−$ decay have been considered both in the SM and in some of its extensions [3–16]. Although based on the same effective Hamiltonian as that for the corresponding mesonic transitions, the hadronic form factors for the $Λ^0_b$ baryon case are less well-known due to the less stringent experimental constraints. This leads to a large spread in the predicted branching fractions. The decay has a non-trivial angular structure which, in the case of unpolarised $Λ^0_b$ production, is described by the helicity angles of the muon and proton, the angle between the planes defined by the $Λ$ decay products and the two muons, and the square of the dimuon invariant mass, $q^2$. In theoretical investigations, the differential branching fraction, and forward-backward asymmetries for both the dilepton and the hadron systems of the decay, have received particular attention [3, 11, 15–17]. Different treatments of form factors are used depending on the $q^2$ region and can be tested by comparing predictions with data as a function of $q^2$.

In previous observations of the decay $Λ^0_b \to Λμ^+μ^−$ [18, 19], evidence for signal had been limited to $q^2$ values above the square of the mass of the $ψ(2S)$ resonance. This region will be referred to as “high-$q^2$”, while that below the $ψ(2S)$ will be referred to as “low-$q^2$”. In this paper an updated measurement by LHCb of the differential branching fraction for the rare decay $Λ^0_b \to Λμ^+μ^−$, and the first angular analysis of this decay mode, are reported. Non-overlapping $q^2$ intervals in the range 0.1–20.0 GeV$^2$/c$^4$, and theoretically motivated ranges 1.1–6.0 and 15.0–20.0 GeV$^2$/c$^4$ [3, 20, 21], are used. The rates are normalised with respect to the tree-level $b \to c \bar{c}s$ decay $Λ^0_b \to J/ψ Λ$, where $J/ψ \to μ^+μ^−$. This analysis uses $pp$ collision data, corresponding to an integrated luminosity of 3.0 fb$^{-1}$, collected during 2011 and 2012 at centre-of-mass energies of 7 and 8 TeV, respectively.

2 Detector and simulation

The LHCb detector [22, 23] is a single-arm forward spectrometer covering the pseudorapidity range $2 < η < 5$, designed for the study of particles containing $b$ or $c$ quarks. The detector includes a high-precision tracking system (VELO) consisting of a silicon-strip vertex detector surrounding the $pp$ interaction region [24], a large-area silicon-strip detector

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1The inclusion of charge-conjugate modes is implicit throughout.
located upstream of a dipole magnet with a bending power of about 4 Tm, and three stations of silicon-strip detectors and straw drift tubes [25] placed downstream of the magnet. The tracking system provides a measurement of momentum, \( p \), with a relative uncertainty that varies from 0.5% at low momentum to 1.0% at 200 GeV/c. The minimum distance of a track to a primary vertex, the impact parameter, is measured with a resolution of \((15 + 29/p_T) \mu\text{m}\), where \( p_T \) is the component of the momentum transverse to the beam, in GeV/c. Different types of charged hadrons are distinguished using information from two ring-imaging Cherenkov (RICH) detectors [26]. Photon, electron and hadron candidates are identified using a calorimeter system that consists of scintillating-pad and preshower detectors, an electromagnetic calorimeter and a hadronic calorimeter. Muons are identified by a system composed of alternating layers of iron and multiwire proportional chambers [27].

The trigger [28] consists of a hardware stage, based on information from the calorimeter and muon systems, followed by a software stage in which a full event reconstruction is carried out. Candidate events are first required to pass a hardware trigger, which selects muons with a transverse momentum \( p_T > 1.48 \text{ GeV/c} \) in the 7 TeV data or \( p_T > 1.76 \text{ GeV/c} \) in the 8 TeV data. In the subsequent software trigger, at least one of the final-state charged particles is required to have both \( p_T > 0.8 \text{ GeV/c} \) and impact parameter greater than 100 \( \mu\text{m} \) with respect to all of the primary \( pp \) interaction vertices (PVs) in the event. Finally, the tracks of two or more of the final-state particles are required to form a vertex that is significantly displaced from the PVs.

Simulated samples of \( pp \) collisions are generated using Pythia [29] with a specific LHCb configuration [30]. Decays of hadronic particles are described by EvtGen [31], in which final-state radiation is generated using Photos [32]. The interaction of the generated particles with the detector, and its response, are implemented using the Geant4 toolkit [33] as described in ref. [35]. The model used in the simulation of \( A_0^b \to \Lambda \mu^+ \mu^- \) decays includes \( q^2 \) and angular dependence as described in ref. [16], together with Wilson coefficients based on refs. [36, 37]. Interference effects from \( J/\psi \) and \( \psi(2S) \) contributions are not included. For the \( A_0^b \to J/\psi \Lambda \) decay the simulation model is based on the angular distributions observed in ref. [38].

3 Candidate selection

Candidate \( A_0^b \to \Lambda \mu^+ \mu^- \) (signal mode) and \( A_0^b \to J/\psi \Lambda \) (normalisation mode) decays are reconstructed from a \( \Lambda \) baryon candidate and either a dimuon or a \( J/\psi \) meson candidate, respectively. The \( A_0^b \to J/\psi \Lambda \) mode, with the \( J/\psi \) meson reconstructed via its dimuon decay, is a convenient normalisation process because it has the same final-state particles as the signal mode. Signal and normalisation channels are distinguished by the \( q^2 \) interval in which they fall.

The dimuon candidates are formed from two well-reconstructed oppositely charged particles that are significantly displaced from any PV, identified as muons and consistent with originating from a common vertex.

Candidate \( \Lambda \) decays are reconstructed in the \( \Lambda \to p\pi^- \) mode from two oppositely charged tracks that either both include information from the VELO (long candidates),
or both do not include information from the VELO (downstream candidates). The Λ candidates must also have a vertex fit with a good $\chi^2$, a decay time of at least 2 ps and an invariant mass within 30 MeV/$c^2$ of the known Λ mass [39]. For long candidates, charged particles must have $p_T > 0.25$ GeV/$c$ and a further requirement is imposed on the particle identification (PID) of the proton using a likelihood variable that combines information from the RICH detectors and the calorimeters.

Candidate $Λ_b^0$ decays are formed from Λ and dimuon candidates that have a combined invariant mass in the interval 5.3–7.0 GeV/$c^2$ and form a good-quality vertex that is well-separated from any PV. Candidates pointing to the PV with which they are associated are selected by requiring that the angle between the $Λ_b^0$ momentum vector and the vector between the PV and the $Λ_b^0$ decay vertex, $θ_D$, is less than 14 mrad. After the $Λ_b^0$ candidate is built, a kinematic fit [40] of the complete decay chain is performed in which the proton and pion are constrained such that the $p\pi^-$ invariant mass corresponds to the known Λ baryon mass, and the Λ and dimuon systems are constrained to originate from their respective vertices. Furthermore, candidates falling in the 8–11 and 12.5–15 GeV/$c^2$ intervals are excluded from the rare sample as they are dominated by decays via $J/ψ$ and $ψ(2S)$ resonances.

The final selection is based on a neural network classifier [41, 42], exploiting 15 variables carrying kinematic, candidate quality and particle identification information. Both the track parameter resolutions and kinematic properties are different for downstream and long Λ decays and therefore a separate training is performed for each category. The signal sample used to train the neural network consists of simulated $Λ_b^0 → Λµ^+µ^-$ events, while the background is taken from data in the upper sideband of the $Λ_b^0$ candidate mass spectrum, between 6.0 and 7.0 GeV/$c^2$. Candidates with a dimuon mass in either the $J/ψ$ or $ψ(2S)$ regions (±100 MeV/$c^2$ intervals around their known masses) are excluded from the training samples. The variable that provides the greatest discrimination in the case of long candidates is the $\chi^2$ from the kinematic fit. For downstream candidates, the $p_T$ of the Λ candidate is the most powerful variable. Other variables that contribute significantly are: the PID information for muons; the separation of the muons, the pion and the $Λ_b^0$ candidate from the PV; the distance between the Λ and $Λ_b^0$ decay vertices; and the pointing angle, $θ_D$.

The requirement on the response of the neural network classifier is chosen separately for low- and high-$q^2$ candidates using two different figures of merit. In the low-$q^2$ region, where the signal has not been previously established, the figure of merit $ε/\sqrt{N_B+a/2}$ [43] is used, where $ε$ and $N_B$ are the signal efficiency and the expected number of background decays and $a$ is the target significance; a value of $a = 3$ is used. In contrast, for the high-$q^2$ region the figure of merit $N_S/\sqrt{N_S+N_B}$ is maximised, where $N_S$ is the expected number of signal candidates. To ensure an appropriate normalisation of $N_S$, the number of $Λ_b^0 → J/ψ Λ$ candidates that satisfy the preselection is scaled by the measured ratio of branching fractions of $Λ_b^0 → Λµ^+µ^-$ to $Λ_b^0 → J/ψ (→ µ^+µ^-)Λ$ decays [19], and the $J/ψ → µ^+µ^−$ branching fraction [39]. The value of $N_B$ is determined by extrapolating the number of candidate decays found in the background training sample into the signal region. Relative to the preselected event sample, the neural network retains approximately 96% (66%) of downstream candidates and 97% (82%) of long candidates for the selection at high (low) $q^2$. 

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4 Peaking backgrounds

In addition to combinatorial background formed from the random combination of particles, backgrounds due to specific decays are studied using fully reconstructed samples of simulated $b$ hadron decays in which the final state includes two muons. For the $A_0^0 \rightarrow J/\psi \Lambda$ channel, the only significant contribution is from $B^0 \rightarrow J/\psi K_S^0$ decays, with $K_S^0 \rightarrow \pi^+\pi^-$ where one of the pions is misidentified as a proton. This decay contains a long-lived $K_S^0$ meson and therefore has the same topology as the $A_0^0 \rightarrow J/\psi \Lambda$ mode. This contribution leads to a broad shape that peaks below the $A_0^0$ mass region, which is taken into account in the mass fit.

For the $\Lambda_0^0 b \rightarrow \Lambda \mu^+\mu^-$ channel two sources of peaking background are identified. The first of these is $\Lambda_0^0 b \rightarrow J/\psi \Lambda$ decays in which an energetic photon is radiated from either of the muons; this constitutes a background in the $q^2$ region just below the square of the $J/\psi$ mass and in a mass region significantly below the $A_0^0$ mass. These events do not contribute significantly in the $q^2$ intervals chosen for the analysis. The second source of background is due to $B_0^0 \rightarrow K_0^S \mu^+\mu^-$ decays, where $K_0^S \rightarrow \pi^+\pi^-$ and one of the pions is misidentified as a proton. This contribution is estimated by scaling the number of $B_0^0 \rightarrow J/\psi K_S^0$ events found in the $A_0^0 \rightarrow J/\psi \Lambda$ fit by the ratio of the world average branching fractions for the decay processes $B_0^0 \rightarrow K_0^S \mu^+\mu^-$ and $B_0^0 \rightarrow J/\psi(\rightarrow \mu^+\mu^-)K_S^0$ [39]. Integrated over $q^2$ this is estimated to yield fewer than ten events, which is small relative to the expected total background level.

5 Yields

5.1 Fit procedure

The yields of signal and background events in the data are determined in the mass range 5.35–6.00 GeV/c$^2$ using unbinned extended maximum likelihood fits for the $A_0^0 \rightarrow \Lambda \mu^+\mu^-$ and the $A_0^0 \rightarrow J/\psi \Lambda$ modes. The likelihood function has the form

$$ L = e^{-(N_S+N_C+N_P)} \times \prod_{i=1}^{N} [N_S P_S(m_i) + N_C P_C(m_i) + N_P P_P(m_i)] , $$

where $N_S$, $N_C$ and $N_P$ are the number of signal, combinatorial and peaking background events, respectively, $P_j(m_i)$ are the corresponding probability density functions (PDFs) and $m_i$ is the mass of the $A_0^0$ candidate. The signal yield itself is parametrised in the fit using the relative branching fraction of the signal and normalisation modes,

$$ N_S(A_0^0 \rightarrow \Lambda \mu^+\mu^-)_k = \left( \frac{d B(A_0^0 \rightarrow \mu^+\mu^-)/dq^2}{B(J/\psi \Lambda)} \right) \cdot N_S(J/\psi \Lambda)_k \cdot \varepsilon_{rel} \cdot \frac{\Delta q^2}{B(J/\psi \rightarrow \mu^+\mu^-)} , $$

where $k$ is the candidate category (long or downstream), $\Delta q^2$ is the width of the $q^2$ interval considered and $\varepsilon_{rel}$ is the relative efficiency, fixed to the values obtained as described in section 6. Fitting the ratio of the branching fractions of signal and normalisation modes simultaneously in both candidate categories makes better statistical use of the data.
<table>
<thead>
<tr>
<th>Selection</th>
<th>$N_S$ (long)</th>
<th>$N_S$ (downstream)</th>
</tr>
</thead>
<tbody>
<tr>
<td>high-$q^2$</td>
<td>$4313 \pm 70$</td>
<td>$11497 \pm 123$</td>
</tr>
<tr>
<td>low-$q^2$</td>
<td>$3363 \pm 59$</td>
<td>$7225 \pm 89$</td>
</tr>
</tbody>
</table>

**Table 1.** Number of $\Lambda^0_b \to J/\psi \Lambda$ decays in the long and downstream categories found using the selection for low- and high-$q^2$ regions. Uncertainties shown are statistical only.

The signal shape, in both $\Lambda^0_b \to \Lambda \mu^+ \mu^-$ and $\Lambda^0_b \to J/\psi \Lambda$ modes, is described by the sum of two Crystal Ball functions [44] that share common means and tail parameters but have independent widths. The combinatorial background is parametrised by an exponential function, independently in each $q^2$ interval. The background due to $B^0 \to J/\psi K^0_s$ decays is modelled by the sum of two Crystal Ball functions with opposite tails. All shape parameters are independent for the downstream and long sample.

For the $\Lambda^0_b \to J/\psi \Lambda$ mode, the widths and common mean in the signal parametrisation are free parameters. The parameters describing the shape of the peaking background are fixed to those derived from simulated $B^0 \to J/\psi K^0_s$ decays, with only the normalisation allowed to vary to accommodate differences between data and simulation.

For the $\Lambda^0_b \to \Lambda \mu^+ \mu^-$ decay, the signal shape parameters are fixed according to the result of the fit to $\Lambda^0_b \to J/\psi \Lambda$ data and the widths are rescaled to allow for possible differences in resolution as a function of $q^2$. The scaling factor is determined comparing $\Lambda^0_b \to J/\psi \Lambda$ and $\Lambda^0_b \to \Lambda \mu^+ \mu^-$ simulated events. The $B^0 \to K^0_s \mu^+ \mu^-$ background component is also modelled using the sum of two Crystal Ball functions with opposite tails where both the yield and all shape parameters are constrained to those obtained from simulated events.

### 5.2 Fit results

The invariant mass distribution of the $\Lambda^0_b \to J/\psi \Lambda$ candidates selected with the high-$q^2$ requirements is shown in figure 1, combining both long and downstream candidates. The normalisation channel candidates are divided into four sub-samples: downstream and long events are fitted separately and each sample is selected with both the low-$q^2$ and high-$q^2$ requirements to normalise the corresponding $q^2$ regions in signal. The number of $\Lambda^0_b \to J/\psi \Lambda$ decays found in each case is given in table 1.

The fraction of peaking background events is larger in the downstream sample amounting to 28% of the $\Lambda^0_b \to J/\psi \Lambda$ yield in the full fitted mass range, while in the sample of long candidates it constitutes about 4%.

The invariant mass distributions for the $\Lambda^0_b \to \Lambda \mu^+ \mu^-$ process, integrated over $15.0 < q^2 < 20.0$ GeV$^2$/c$^4$ and in eight separate $q^2$ intervals, are shown in figures 2 and 3. The yields found in each $q^2$ interval are given in table 2 together with their significances. The statistical significance of the observed signal yields is evaluated as $\sqrt{2 \Delta \ln \mathcal{L}}$, where $\Delta \ln \mathcal{L}$ is the change in the logarithm of the likelihood function when the signal component is excluded from the fit, relative to the nominal fit in which it is present.
Figure 1. Invariant mass distribution of the $B^0 \rightarrow J/\psi \Lambda$ candidates selected with the neural network requirement used for the high-$q^2$ region. The (black) points show data, combining downstream and long candidates, and the solid (blue) line represents the overall fit function. The dotted (red) line represents the combinatorial and the dash-dotted (brown) line the peaking background from $B^0 \rightarrow J/\psi K^0_S$ decays.

Figure 2. Invariant mass distribution of the $B^0 \rightarrow J/\psi \Lambda$ candidates, integrated over the region $15.0 < q^2 < 20.0$ GeV$^2$/c$^4$ together with the fit function described in the text. The points show data, the solid (blue) line is the overall fit function and the dotted (red) line represents the combinatorial background. The background component from $B^0 \rightarrow \Lambda_0 K^0_S \mu^+ \mu^-$, (brown) dashed line, is barely visible due to the very low yield.

6 Relative efficiency

The measurement of the differential branching fraction of $B^0 \rightarrow J/\psi \Lambda$ benefits from the cancellation of several potential sources of systematic uncertainty in the ratio of efficiencies, $\varepsilon_{\text{rel}} = \varepsilon_{\text{tot}}(B^0 \rightarrow \Lambda \mu^+ \mu^-)/\varepsilon_{\text{tot}}(B^0 \rightarrow J/\psi \Lambda)$. Due to the long lifetime of $\Lambda$ baryons, most of the candidates are reconstructed in the downstream category, with an overall efficiency of 0.20%, while the typical efficiency is 0.05% for long candidates.
Figure 3. Invariant mass distributions of $\Lambda_0^b \rightarrow \Lambda \mu^+ \mu^-$ candidates, in eight $q^2$ intervals, together with the fit function described in the text. The points show data, the solid (blue) line is the overall fit function and the dotted (red) line represents the combinatorial background component.

The efficiency of the PID is obtained from a data-driven method [26] and found to be 98% while all other efficiencies are evaluated using simulated data. The models used for the simulation are summarised in section 2. The trigger efficiency is calculated using simulated data and increases from approximately 56% to 86% between the lowest and highest $q^2$ regions. An independent cross-check of the trigger efficiency is performed using a data-driven method. This exploits the possibility of categorising a candidate $\Lambda_0^b \rightarrow \Lambda \mu^+ \mu^-$
or $A_0^0 \rightarrow J/\psi \Lambda$ decay in two ways depending on which tracks are directly responsible for its selection by the trigger: “trigger on signal” candidates, where the tracks responsible for the hardware and software trigger decisions are associated with the signal; and “trigger independent of signal” candidates, with a $A_0^0$ baryon reconstructed in either of these channels but where the trigger decision does not depend on any of their decay products. As these two categories of event are not mutually exclusive, their overlap may be used to estimate the efficiency of the trigger selection using data. Using $A_0^0 \rightarrow J/\psi \Lambda$ candidates and calculating the ratio of yields that are classified as both trigger on signal and independent of signal, relative to those that are classified as trigger independent of signal, an efficiency of $(70 \pm 5)\%$ is obtained, which is consistent with that of $(73.33 \pm 0.02)\%$ computed from simulation.

The relative efficiency for the ratio of branching fractions in each $q^2$ interval, calculated from the absolute efficiencies described above, is shown in figure 4. The increase in efficiency as a function of increasing $q^2$ is dominated by two effects. Firstly, at low $q^2$ the muons have lower momenta and therefore have a lower probability of satisfying the trigger requirements. Secondly, at low $q^2$ the $\Lambda$ baryon has a larger fraction of the $A_0^0$ momentum and is more likely to decay outside of the acceptance of the detector. Separate selections are used for the low- and high-$q^2$ regions and, as can be seen in figure 4, the tighter neural network requirement used in the low-$q^2$ region has a stronger effect on downstream candidates.

The uncertainties combine both statistical and systematic contributions (with the latter dominating) and include a small correlated uncertainty due to the use of a single simulated sample of $A_0^0 \rightarrow J/\psi \Lambda$ decays as the normalisation channel for all $q^2$ intervals. Systematic uncertainties associated with the efficiency calculation are described in detail in section 7.

<table>
<thead>
<tr>
<th>$q^2$ interval [GeV$^2$/c$^4$]</th>
<th>Total signal yield</th>
<th>Significance</th>
</tr>
</thead>
<tbody>
<tr>
<td>0.1–2.0</td>
<td>$16.0 \pm 5.3$</td>
<td>4.4</td>
</tr>
<tr>
<td>2.0–4.0</td>
<td>$4.8 \pm 4.7$</td>
<td>1.2</td>
</tr>
<tr>
<td>4.0–6.0</td>
<td>$0.9 \pm 2.3$</td>
<td>0.5</td>
</tr>
<tr>
<td>6.0–8.0</td>
<td>$11.4 \pm 5.3$</td>
<td>2.7</td>
</tr>
<tr>
<td>11.0–12.5</td>
<td>$60 \pm 12$</td>
<td>6.5</td>
</tr>
<tr>
<td>15.0–16.0</td>
<td>$57 \pm 9$</td>
<td>8.7</td>
</tr>
<tr>
<td>16.0–18.0</td>
<td>$118 \pm 13$</td>
<td>13</td>
</tr>
<tr>
<td>18.0–20.0</td>
<td>$100 \pm 11$</td>
<td>14</td>
</tr>
<tr>
<td>1.1–6.0</td>
<td>$9.4 \pm 6.3$</td>
<td>1.7</td>
</tr>
<tr>
<td>15.0–20.0</td>
<td>$276 \pm 20$</td>
<td>21</td>
</tr>
</tbody>
</table>

Table 2. Signal decay yields ($N_S$) obtained from the mass fit to $A_0^0 \rightarrow \Lambda \mu^+ \mu^-$ candidates in each $q^2$ interval together with their statistical significances. The yields are the sum of long and downstream categories with downstream decays comprising $\sim 80\%$ of the total yield. The 8–11 and 12.5–15 GeV$^2$/c$^4$ $q^2$ intervals are excluded from the study as they are dominated by decays via charmonium resonances.
Figure 4. Total relative efficiency, $\varepsilon_{\text{rel}}$, between $\Lambda^0_b \rightarrow \Lambda \mu^+ \mu^-$ and $\Lambda^0_b \rightarrow J/\psi \Lambda$ decays. The uncertainties are the combination of both statistical and systematic components, and are dominated by the latter.

7 Systematic uncertainties on the branching fraction

7.1 Yields

Three sources of systematic uncertainty on the measured yields are considered for both the $\Lambda^0_b \rightarrow J/\psi \Lambda$ and the $\Lambda^0_b \rightarrow \Lambda \mu^+ \mu^-$ decay modes: the shape of the signal PDF, the shape of the background PDF and the choice of the fixed parameters used in the fits to data.

For both decays, the default signal PDF is replaced by the sum of two Gaussian functions. All parameters of the Gaussian functions are allowed to vary to take into account the effect of fixing parameters. The shape of the background function is changed by permitting the $K^0_S \mu^+ \mu^-$ peaking background yield, which is fixed to the value obtained from simulation the nominal fit, to vary. For the resonant channel, the $J/\psi K_S^0$ peaking background shape is changed by fixing the global shift to zero. Finally, simulated experiments are performed using the default model, separately for each $q^2$ interval, generating the same number of events as observed in data. Each distribution is fitted with the default model and the modified PDFs. The average deviation over the ensemble of simulated experiments is assigned as the systematic uncertainty. The relative change in signal yield due to the choice of signal PDF varies between 0.6% and 4.6% depending on $q^2$, while the change due to the choice of background PDF is in the range between 1.1% and 2.5%. The $q^2$ intervals that are most affected are those in which a smaller number of candidates is observed and therefore there are fewer constraints to restrict potentially different PDFs. The systematic uncertainties on the yield in each $q^2$ interval are summarised in table 3, where the total is the sum in quadrature of the individual components.

7.2 Relative efficiencies

The dominant systematic effect is that related to the current knowledge of the angular structure and the $q^2$ dependence of the decay channels. The uncertainty due to the finite
size of simulated samples is comparable to that from other sources. The total systematic uncertainties on the efficiencies, calculated as the sums in quadrature of the individual components described below, are summarised in table 3.

### 7.2.1 Decay structure and production polarisation

The main factors that affect the detection efficiencies are the angular structure of the decays and the production polarisation \( P_b \). Although these arise from different parts of the process, the efficiencies are linked and are therefore treated together.

For the \( \Lambda^0_b \to \Lambda \mu^+ \mu^- \) decay, the impact of the limited knowledge of the production polarisation, \( P_b \), is estimated by comparing the default efficiency, obtained in the unpolarised scenario, with those in which the polarisation is varied within its measured uncertainties, using the most recent LHCb measurement, \( P_b = 0.06 \pm 0.09 \) [38]. The larger of these differences is assigned as the systematic uncertainty from this source. This yields a \( \sim 0.5\% \) uncertainty on the efficiency of downstream candidates and \( \sim 1.2\% \) for long candidates. No significant \( q^2 \) dependence is found.

To assess the systematic uncertainty due to the limited knowledge of the decay structure, the efficiency corresponding to the default model [16, 36, 45] is compared to that of a model containing an alternative set of form factors based on a lattice QCD calculation [15]. The larger of the full difference or the statistical precision is assigned as the systematic uncertainty.

For the \( \Lambda^0_b \to J/\psi \Lambda \) mode, the default angular distribution is based on that observed in ref. [38]. The angular distribution is determined by the production polarisation and four complex decay amplitudes. The central values from ref. [38] are used for the nominal result. To assess the sensitivity of the \( \Lambda^0_b \to J/\psi \Lambda \) mode to the choice of decay model, the production polarisation and decay amplitudes are varied within their uncertainties, taking into account correlations.

To assess the potential impact that physics beyond the SM might have on the detection efficiency, the \( C_7 \) and \( C_9 \) Wilson coefficients are modified by adding a non-SM contribution \( (C_i \to C_i + C_i') \). The \( C_i' \) added are inspired to maintain compatibility with the recent LHCb result for the \( P_5' \) observable [46] and indicate a change at the level of \( \sim 7\% \) in the 0.1–2.0 \( q^2 \) interval, and 2–3\% in other regions. No systematic is assigned as a result of this study.

### 7.2.2 Reconstruction efficiency for the \( \Lambda \) baryon

The \( \Lambda \) baryon is reconstructed from either long or downstream tracks, and their relative proportions differ in data and simulation. This proportion does not depend significantly on \( q^2 \) and therefore possible effects cancel in the ratio with the normalisation channel. Furthermore, since the analysis is performed separately for long and downstream candidates, it is not necessary to assign a systematic uncertainty to account for a potential effect due to the different fractions of candidates of the two categories observed in data and simulation. To allow for residual differences between data and simulation that do not cancel completely in the ratio between signal and normalisation modes, systematic uncertainties
of 0.8% and 1.2% are estimated for the low-$q^2$ and high-$q^2$ regions, respectively, using the same data-driven method as in ref. [47].

### 7.2.3 Production kinematics and lifetime of the $Λ_b^0$ baryon

In $Λ_b^0 \to J/ψΛ$ decays a small difference is observed between data and simulation in the momentum and transverse momentum distributions of the $Λ_b^0$ baryon produced. Simulated data are reweighted to reproduce these distributions in data and the relative efficiencies are compared to those obtained using events that are not reweighted. This effect is less than 0.1%, which is negligible with respect to other sources.

Finally, the $Λ_b^0$ baryon lifetime used throughout corresponds to the most recent LHCb measurement, 1.479 ± 0.019 ps [48]. The associated systematic uncertainty is estimated by varying the lifetime value by one standard deviation and negligible differences are found.

### 8 Differential branching fraction

The values for the absolute branching fraction of the $Λ_b^0 \to Λμ^+μ^−$ decay, obtained by multiplying the relative branching fraction by the absolute branching fraction of the normalisation channel, $\mathcal{B}(Λ_b^0 \to J/ψΛ) = (6.3 ± 1.3) \times 10^{-4}$ [39], are given in figure 5 and summarised in table 4, where the SM predictions are obtained from ref. [15]. The relative branching fractions are given in the appendix.

Evidence for signal is found in the $q^2$ region between the charmonium resonances and in the interval $0.1 < q^2 < 2.0 \text{GeV}^2/c^4$, where an increased yield is expected due to the proximity of the photon pole. The uncertainty on the branching fraction is dominated by

<table>
<thead>
<tr>
<th>$q^2$ interval [GeV$^2/c^4$]</th>
<th>Syst. on yields [%]</th>
<th>Syst. on eff. [%]</th>
</tr>
</thead>
<tbody>
<tr>
<td>0.1–2.0</td>
<td>3.4</td>
<td>+2.2</td>
</tr>
<tr>
<td></td>
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<td>−3.6</td>
</tr>
<tr>
<td>2.0–4.0</td>
<td>3.8</td>
<td>+2.2</td>
</tr>
<tr>
<td></td>
<td></td>
<td>−4.1</td>
</tr>
<tr>
<td>4.0–6.0</td>
<td>6.6</td>
<td>+17.2</td>
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<td></td>
<td>−14.3</td>
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<td>−3.1</td>
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<td>11.0–12.5</td>
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<td>−5.2</td>
</tr>
<tr>
<td>15.0–16.0</td>
<td>2.8</td>
<td>+3.1</td>
</tr>
<tr>
<td></td>
<td></td>
<td>−2.8</td>
</tr>
<tr>
<td>16.0–18.0</td>
<td>1.4</td>
<td>+3.0</td>
</tr>
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<td></td>
<td></td>
<td>−4.1</td>
</tr>
<tr>
<td>18.0–20.0</td>
<td>2.5</td>
<td>+3.9</td>
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<td>−2.3</td>
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<td>+2.2</td>
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<td></td>
<td></td>
<td>−4.6</td>
</tr>
<tr>
<td>15.0–20.0</td>
<td>1.0</td>
<td>+2.0</td>
</tr>
<tr>
<td></td>
<td></td>
<td>−2.9</td>
</tr>
</tbody>
</table>

Table 3. Systematic uncertainties as a function of $q^2$, assigned for yields and efficiencies. Values reported are the sums in quadrature of all contributions evaluated within each category.
Figure 5. Measured $A^0_b \rightarrow \Lambda \mu^+ \mu^-$ branching fraction as a function of $q^2$ with the predictions of the SM [15] superimposed. The inner error bars on data points represent the total uncertainty on the relative branching fraction (statistical and systematic); the outer error bar also includes the uncertainties from the branching fraction of the normalisation mode.

<table>
<thead>
<tr>
<th>$q^2$ interval [GeV$^2$/c$^4$]</th>
<th>$\frac{d\mathcal{B}(A^0_b \rightarrow \Lambda \mu^+ \mu^-)}{dq^2} \cdot 10^{-7}$[(GeV$^2$/c$^4$)$^{-1}$]</th>
</tr>
</thead>
<tbody>
<tr>
<td>0.1–2.0</td>
<td>0.36 $^{+0.12}<em>{-0.11}$ $^{+0.02}</em>{-0.02}$ $^{\pm 0.07}$</td>
</tr>
<tr>
<td>2.0–4.0</td>
<td>0.11 $^{+0.12}<em>{-0.09}$ $^{+0.01}</em>{-0.01}$ $^{\pm 0.02}$</td>
</tr>
<tr>
<td>4.0–6.0</td>
<td>0.02 $^{+0.09}<em>{-0.00}$ $^{+0.01}</em>{-0.01}$ $^{\pm 0.01}$</td>
</tr>
<tr>
<td>6.0–8.0</td>
<td>0.25 $^{+0.12}<em>{-0.11}$ $^{+0.01}</em>{-0.01}$ $^{\pm 0.05}$</td>
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<tr>
<td>11.0–12.5</td>
<td>0.75 $^{+0.15}<em>{-0.14}$ $^{+0.03}</em>{-0.05}$ $^{\pm 0.15}$</td>
</tr>
<tr>
<td>15.0–16.0</td>
<td>1.12 $^{+0.19}<em>{-0.18}$ $^{+0.05}</em>{-0.05}$ $^{\pm 0.23}$</td>
</tr>
<tr>
<td>16.0–18.0</td>
<td>1.22 $^{+0.14}<em>{-0.14}$ $^{+0.03}</em>{-0.06}$ $^{\pm 0.25}$</td>
</tr>
<tr>
<td>18.0–20.0</td>
<td>1.24 $^{+0.14}<em>{-0.14}$ $^{+0.06}</em>{-0.05}$ $^{\pm 0.26}$</td>
</tr>
<tr>
<td>1.1–6.0</td>
<td>0.09 $^{+0.06}<em>{-0.05}$ $^{+0.01}</em>{-0.01}$ $^{\pm 0.02}$</td>
</tr>
<tr>
<td>15.0–20.0</td>
<td>1.20 $^{+0.09}<em>{-0.09}$ $^{+0.02}</em>{-0.04}$ $^{\pm 0.25}$</td>
</tr>
</tbody>
</table>

Table 4. Measured differential branching fraction of $A^0_b \rightarrow \Lambda \mu^+ \mu^-$, where the uncertainties are statistical, systematic and due to the uncertainty on the normalisation mode, $A^0_b \rightarrow J/\psi \Lambda$, respectively.

The data are consistent with the theoretical predictions in the high-$q^2$ region but lie below the predictions in the low-$q^2$ region.
9 Angular analysis

The forward-backward asymmetries of both the dimuon system, $A_{FB}^\ell$, and of the $p\pi$ system, $A_{FB}^h$, are defined as

$$A_{FB}^i(q^2) = \frac{\int_0^1 d^2\Gamma d\cos\theta_i d\cos\theta_i - \int_{-1}^0 d^2\Gamma d\cos\theta_i d\cos\theta_i}{d\Gamma/dq^2},$$

(9.1)

where $d^2\Gamma/dq^2 d\cos\theta_i$ is the two-dimensional differential rate and $d\Gamma/dq^2$ is the rate integrated over the corresponding angles. The observables are determined by a fit to one-dimensional angular distributions as a function of $\cos\theta_\ell$, the angle between the positive (negative) muon direction and the dimuon system direction in the $\Lambda_b$ ($\Lambda_b^*$) rest frame, and $\cos\theta_h$, which is defined as the angle between the proton and the $\Lambda$ baryon directions, also in the $\Lambda_b^*$ rest frame. The differential rate as a function of $\cos\theta_\ell$ is described by the function

$$d^2\Gamma(\Lambda_b \to \Lambda \ell^+\ell^-) d\cos\theta_\ell = B(\Lambda \to p\pi^-) \frac{B(\Lambda_b \to \Lambda \ell^+\ell^-)}{d\Gamma/dq^2} \frac{1}{2} (1 + 2A_{FB}^h \cos\theta_h),$$

(9.2)

where $f_L$ is the fraction of longitudinally polarised dimuons. The rate as a function of $\cos\theta_h$ has the form

$$d^2\Gamma(\Lambda_b \to \Lambda(\to p\pi^-)\ell^+\ell^-) d\cos\theta_h = B(\Lambda \to p\pi^-) \frac{d\Gamma(\Lambda_b \to \Lambda \ell^+\ell^-)}{d\Gamma/dq^2} \left(\frac{3}{8} (1 + \cos^2\theta_\ell) (1 - f_L) + A_{FB}^\ell \cos\theta_\ell + \frac{3}{4} f_L \sin^2\theta_\ell\right),$$

(9.3)

These expressions assume that $\Lambda_b^*$ baryons are produced unpolarised, which is in agreement with the measured production polarisation at LHCb [38].

The forward-backward asymmetries are measured in data using unbinned maximum likelihood fits. The signal PDF consists of a theoretical shape, given by eqs. (9.2) and (9.3), multiplied by an acceptance function. Selection requirements on the minimum momentum of the muons may distort the $\cos\theta_\ell$ distribution by removing candidates with extreme values of $\cos\theta_\ell$. Similarly, the impact parameter requirements affect $\cos\theta_h$ as very forward hadrons tend to have smaller impact parameter values. The angular efficiency is parametrised using a second-order polynomial and determined separately for downstream and long candidates by fitting simulated events, with an independent set of parameters obtained for each $q^2$ interval. These parameters are fixed in the fits to data. The acceptances are shown in figure 6 as a function of $\cos\theta_h$ and $\cos\theta_\ell$ in the $15 < q^2 < 20\,\text{GeV}^2/c^4$ interval for each candidate category.

The angular fit is performed simultaneously for the samples of downstream and long candidates, using separate acceptance and background functions for the two categories while keeping the angular observables as shared parameters. Angular distributions are shown in figure 7 where the two candidate categories are combined.
Figure 6. Angular efficiencies as a function of (left) $\cos \theta_\ell$ and (right) $\cos \theta_h$ for (upper) long and (lower) downstream candidates, in the interval $15 < q^2 < 20 \text{GeV}^2/c^4$, obtained using simulated events. The (blue) line shows the fit that is used to model the angular acceptance in the fit to data.

Figure 7. Angular distributions as a function of (left) $\cos \theta_\ell$ and (right) $\cos \theta_h$, for candidates in the integrated $15 < q^2 < 20 \text{GeV}^2/c^4$ interval with the overall fit function overlaid (solid blue). The (red) dotted line represents the combinatorial background.

10 Systematic uncertainties on angular observables

10.1 Angular correlations

To derive eqs. (9.2) and (9.3), a uniform efficiency is assumed. However, non-uniformity is observed, especially as a function of $\cos \theta_h$ (see figure 6). Therefore, while integrating over the full angular distribution, terms that would cancel with constant efficiency may remain and generate a bias in the measurement of these observables. To assess the impact of this
potential bias, simulated experiments are generated in a two-dimensional $(\cos \theta_\ell, \cos \theta_h)$ space according to the theoretical distribution multiplied by a two-dimensional efficiency histogram. Projections are then made and are fitted with the default one-dimensional efficiency functions. The average deviations from the generated parameters are assigned as systematic uncertainties. The magnitudes of these are found to be $-0.032$ for $A^\ell_{FB}$, $0.013$ for $A^h_{FB}$ and $0.028$ for $f_L$, independently of $q^2$. In most $q^2$ intervals this is the dominant source of systematic uncertainty.

10.2 Resolution

Resolution effects may induce an asymmetric migration of events between bins and therefore generate a bias in the measured value of the forward-backward asymmetries. To study this systematic effect, a map of the angular resolution function is created using simulated events by comparing reconstructed quantities with those in the absence of resolution effects. Simulated experiments are then generated according to the measured angular distributions and smeared using the angular resolution maps. The simulated events, before and after smearing by the angular resolution function, are fitted with the default PDF. The average deviations from the default values are assigned as systematic uncertainties. These are larger for the $A^h_{FB}$ observable because the resolution is poorer for $\cos \theta_h$ and the distribution is more asymmetric, yielding a net migration effect. The uncertainties from this source are in the ranges $[0.011, 0.016]$ for $A^\ell_{FB}$, $[-0.001, -0.007]$ for $A^h_{FB}$ and $[0.002, 0.008]$ for $f_L$, depending on $q^2$.

10.3 Angular acceptance

An imprecise determination of the efficiency due to data-simulation discrepancies could bias the $A_{FB}$ measurement. To estimate the potential impact arising from this source, the kinematic reweighting described in section 7.2 is removed from the simulation. Simulated samples are fitted using the same theoretical PDF multiplied by the efficiency function obtained with and without kinematical reweighting. The average biases evaluated from simulated experiments are assigned as systematic uncertainties. These are larger for sparsely populated $q^2$ intervals and vary in the intervals $[0.009, 0.016]$ for $A^\ell_{FB}$, $[0.001, 0.007]$ for $A^h_{FB}$ and $[0.002, 0.044]$ for $f_L$, depending on $q^2$.

The effect of the limited knowledge of the $A^p_{FB}$ polarisation is investigated by varying the polarisation within its measured uncertainties, in the same way as for the branching fraction measurement. No significant effect is found and therefore no contribution is assigned.

10.4 Background parametrisation

As there is ambiguity in the choice of parametrisation for the background model, in particular for regions with low statistical significance in data, simulated experiments are generated from a PDF corresponding to the best fit to data, for each $q^2$ interval. Each simulated sample is fitted with two models: the nominal fit model, consisting of the product of a linear function and the signal efficiency, and an alternative model formed from a constant function multiplied by the efficiency shape. The average deviations are taken as systematic
\[ q^2 \text{ interval } [\text{GeV}^2/c^4] \quad A_{FB}^\ell \quad f_L \quad A_{FB}^h \]

\begin{array}{cccc}
0.1–2.0 & 0.37 \pm 0.37 & 0.03 & 0.56 \pm 0.23 & -0.12 \pm 0.31 \\
11.0–12.5 & 0.01 \pm 0.19 & 0.06 & 0.40 \pm 0.37 & -0.50 \pm 0.10 \\
15.0–16.0 & -0.10 \pm 0.18 & 0.03 & 0.49 \pm 0.30 & -0.19 \pm 0.14 \\
16.0–18.0 & -0.07 \pm 0.13 & 0.04 & 0.68 \pm 0.15 & -0.44 \pm 0.10 \\
18.0–20.0 & 0.01 \pm 0.15 & 0.04 & 0.62 \pm 0.24 & -0.13 \pm 0.09 \\
15.0–20.0 & -0.05 \pm 0.09 & 0.03 & 0.61 \pm 0.11 & -0.29 \pm 0.07 \\
\end{array}

Table 5. Measured values of leptonic and hadronic angular observables, where the first uncertainties are statistical and the second systematic.

Figure 8. Measured values of (left) the leptonic and (right) the hadronic forward-backward asymmetries in bins of \( q^2 \). Data points are only shown for \( q^2 \) intervals where a statistically significant signal yield is found, see text for details. The (red) triangle represents the values for the 15 < \( q^2 \) < 20 GeV\(^2/c^4\) interval. Standard Model predictions are obtained from ref. [17].

uncertainties. These are in the ranges [0.003, 0.045] for \( A_{FB}^\ell \), [0.017, 0.053] for \( A_{FB}^h \) and [0.014, 0.049] for \( f_L \), depending on \( q^2 \).

11 Results of the angular analysis

The angular analysis is performed using the same \( q^2 \) intervals as those used in the branching fraction measurement. Results are reported for each \( q^2 \) interval in which the statistical significance of the signal is at least three standard deviations. This includes all of the \( q^2 \) intervals above the \( J/\psi \) resonance and the lowest \( q^2 \) bin.

The measured values of the leptonic and hadronic forward-backward asymmetries, \( A_{FB}^\ell \) and \( A_{FB}^h \), and the \( f_L \) observable are summarised in Table 5, with the asymmetries shown in Figure 8. The statistical uncertainties are obtained using the likelihood-ratio ordering method [49] where only one of the two observables at a time is treated as the parameter of interest. In this analysis nuisance parameters were accounted for using the plug-in method [50]. In Figure 9 the statistical uncertainties on \( A_{FB}^\ell \) and \( f_L \) are also reported (for
the interval $15 < q^2 < 20\text{ GeV}^2/c^4$) as a two-dimensional 68 \% confidence level (CL) region, where the likelihood-ratio ordering method is applied by varying both observables and therefore taking correlations into account. Confidence regions for the other $q^2$ intervals are shown in figure 10, see appendix.

12 Conclusions

A measurement of the differential branching fraction of the $Λ_b^0 \to Λ\mu^+\mu^-$ decay is performed using data, corresponding to an integrated luminosity of 3.0 fb$^{-1}$, recorded by the LHCb detector at centre-of-mass energies of 7 and 8 TeV. Signal is observed for the first time at a significance of more than three standard deviations in two $q^2$ intervals: $0.1 < q^2 < 2.0\text{ GeV}^2/c^4$, close to the photon pole, and between the charmonium resonances. No significant signal is observed in the $1.1 < q^2 < 6.0\text{ GeV}^2/c^4$ range. The uncertainties of the measurements in the region $15 < q^2 < 20\text{ GeV}^2/c^4$ are reduced by a factor of approximately three relative to previous LHCb measurements [19]. The improvements in the results, which supersede those of ref. [19], are due to the larger data sample size and a better control of systematic uncertainties. The measurements are compatible with the predictions of the Standard Model in the high-$q^2$ region and lie below the predictions in the low-$q^2$ region.

The first measurement of angular observables for the $Λ_b^0 \to Λ\mu^+\mu^-$ decay is reported, in the form of two forward-backward asymmetries, in the dimuon and $p\pi$ systems and the fraction of longitudinally polarised dimuons. The measurements of the $A_{FB}$ observable are in good agreement with the predictions of the SM, while for the $A_{FB}$ observable measurements are consistently above the prediction.

A Additional results

The measured values of the branching fraction of the $Λ_b^0 \to Λ\mu^+\mu^-$ decay normalised to $Λ_b^0 \to J/ψΛ$ decays are given in table 6, where the statistical and total systematic uncertainties are shown separately.

The two-dimensional 68\% CL regions for the observables $A_{FB}$ and $f_L$ are given in figure 10, for each $q^2$ interval in which signal is observed.

Acknowledgments

We express our gratitude to our colleagues in the CERN accelerator departments for the excellent performance of the LHC. We thank the technical and administrative staff at the LHCb institutes. We acknowledge support from CERN and from the national agencies: CAPES, CNPq, FAPERJ and FINEP (Brazil); NSFC (China); CNRS/IN2P3 (France); BMBF, DFG, HGF and MPG (Germany); INFN (Italy); FOM and NWO (The Netherlands); MNiSW and NCN (Poland); MEN/IFA (Romania); MinES and FANO (Russia); MinECo (Spain); SNSF and SER (Switzerland); NASU (Ukraine); STFC (United Kingdom); NSF (U.S.A.). The Tier1 computing centres are supported by IN2P3 (France), KIT and BMBF (Germany), INFN (Italy), NWO and SURF (The Netherlands), PIC (Spain),...
Figure 9. Two-dimensional 68% CL region (black) as a function of $A^f_{FB}$ and $f_L$. The shaded area represents the region where the PDF is positive over the complete cos $\theta_\ell$ range. The best fit point is given by the (blue) star.

<table>
<thead>
<tr>
<th>$q^2$ interval [GeV$^2$/c$^4$]</th>
<th>$\frac{dB(A^0_b \rightarrow \Lambda \mu^+ \mu^-)/dq^2}{B(A^0_b \rightarrow J/\psi \Lambda)} \cdot 10^{-3}$[(GeV$^2$/c$^4$)$^{-1}$]</th>
</tr>
</thead>
<tbody>
<tr>
<td>0.1–2.0</td>
<td>0.56</td>
</tr>
<tr>
<td></td>
<td>$^{+0.20}_{-0.17}$</td>
</tr>
<tr>
<td></td>
<td>$^{+0.03}_{-0.03}$</td>
</tr>
<tr>
<td>2.0–4.0</td>
<td>0.18</td>
</tr>
<tr>
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<td>$^{+0.18}_{-0.15}$</td>
</tr>
<tr>
<td></td>
<td>$^{+0.01}_{-0.01}$</td>
</tr>
<tr>
<td>4.0–6.0</td>
<td>0.04</td>
</tr>
<tr>
<td></td>
<td>$^{+0.14}_{-0.04}$</td>
</tr>
<tr>
<td></td>
<td>$^{+0.01}_{-0.01}$</td>
</tr>
<tr>
<td>6.0–8.0</td>
<td>0.40</td>
</tr>
<tr>
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<td>$^{+0.20}_{-0.17}$</td>
</tr>
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<td>$^{+0.01}_{-0.02}$</td>
</tr>
<tr>
<td>11.0–12.5</td>
<td>1.19</td>
</tr>
<tr>
<td></td>
<td>$^{+0.24}_{-0.23}$</td>
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<td>$^{+0.04}_{-0.07}$</td>
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<td>15.0–16.0</td>
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<td>$^{+0.31}_{-0.28}$</td>
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<td>16.0–18.0</td>
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<tr>
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<td>$^{+0.10}_{-0.07}$</td>
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<td>15.0–20.0</td>
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</tr>
<tr>
<td></td>
<td>$^{+0.04}_{-0.06}$</td>
</tr>
</tbody>
</table>

Table 6. Differential branching fraction of the $A^0_b \rightarrow \Lambda \mu^+ \mu^-$ decay relative to $A^0_b \rightarrow J/\psi \Lambda$ decays, where the uncertainties are statistical and systematic, respectively.

GridPP (United Kingdom). We are indebted to the communities behind the multiple open source software packages on which we depend. We are also thankful for the computing resources and the access to software R&’D tools provided by Yandex LLC (Russia). Individual groups or members have received support from EPLANET, Marie Sklodowska-Curie Actions and ERC (European Union), Conseil g´en´eral de Haute-Savoie, Labex ENIGMASS and OCEVU, R´egion Auvergne (France), RFBR (Russia), XuntaGal and GENCAT (Spain), Royal Society and Royal Commission for the Exhibition of 1851 (United Kingdom).
Figure 10. Two-dimensional 68% CL regions (black) as a function of $A_{FB}$ and $f_L$. The shaded areas represent the regions in which the PDF is positive over the complete $\cos \theta_l$ range. The best fit points are indicated by the (blue) stars.

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References


[5] Y.-M. Wang, Y. Li and C.-D. Lu, Rare Decays of $\Lambda_b \to \Lambda + \gamma$ and $\Lambda_b \to \Lambda + \ell^+\ell^-$ in the Light-cone Sum Rules, Eur. Phys. J. C 59 (2009) 861 [arXiv:0804.0648] [nSPIRE].

[6] C.-S. Huang and H.-G. Yan, Exclusive rare decays of heavy baryons to light baryons: $\Lambda_b \to \Lambda\gamma$ and $\Lambda_b \to \Lambda\ell^+\ell^-$, Phys. Rev. D 59 (1999) 114022 [hep-ph/9811303] [nSPIRE].


[16] T. Gutsche, M.A. Ivanov, J.G. Korner, V.E. Lyubovitskij and P. Santorelli, Rare baryon decays $\Lambda_b \to \Lambda\ell^+\ell^-(\ell = e, \mu, \tau)$ and $\Lambda_b \to \Lambda\gamma$: differential and total rates, lepton- and hadron-side forward-backward asymmetries, Phys. Rev. D 87 (2013) 074031 [arXiv:1301.3737] [nSPIRE].


[18] CDF collaboration, T. Aaltonen et al., Observation of the Baryonic Flavor-Changing Neutral Current Decay $\Lambda_b \to \Lambda\mu^+\mu^-$, Phys. Rev. Lett. 107 (2011) 201802 [arXiv:1107.3753] [nSPIRE].

[19] LHCb collaboration, Measurement of the differential branching fraction of the decay $\Lambda_b^0 \to \Lambda\mu^+\mu^-$, Phys. Lett. B 725 (2013) 25 [arXiv:1306.2577] [nSPIRE].


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