# Design of a Fail-Safe Wearable Robot with Novel Extendable Arms for Ergonomic Accommodation during Floor Work

by

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B.S. Stanford University (2017)

Submitted to the Department of Mechanical Engineering in partial fulfillment of the requirements for the degree of

Master of Science in Mechanical Engineering

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#### Abstract

Aircraft manufacturing, construction, and agricultural production often involve workers maintaining uncomfortable postures, such as stooping and kneeling, for extended periods of time. We present a wearable robot, named MantisBot Alpha, that consists of two expandable robotic arms that brace a worker near the ground. It allows them to perform bi-manual tasks and assists them in standing up and kneeling down. The key component of this new design is a novel linkage mechanism that provides adjustment of both the worker's distance to the ground and the tilt of their torso. The mechanism link parameters are optimized such that a) its expansion rate is high enough, 1:2.43, to push off the human body from the ground and fully contract the scissor arm when not used, and b) it allows the worker to reach within a larger working space while c) it is light enough for wearability. The linkage mechanism avoids the singularity problem in standard scissor mechanisms. The mechanical design of the system ensures it is fail-safe. A prototype has been fabricated to demonstrate the feasibility of the system.

Keywords: Human Augmentation, Supernumerary Robotic Limbs, Exoskeletons, Mechanism Design, Industrial Robotics

Thesis Supervisor: H. Harry Asada Title: Ford Professor of Engineering

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# Chapter 1

## Introduction

### 1.1 Motivation

Aircraft assembly, flooring and tile placement, berry picking, and many other construction, agriculture, and manufacturing jobs require that workers hold uncomfortable postures, such as crouching, stooping, or kneeling, for long periods of time. See Fig. 1-1. Consequently, many workers sustain long-term work-related musculoskeletal disorders (MSD) [9]. In the United States, MSD accounted for 32.2% of total nonfatal occupational injuries and illnesses for workers in all industries [7]. MSD adversely affects quality of life. 41% of patients report that MSD has a negative effect on their social relationships, 47.8% report that MSD disturbs their sleep, and 30% report that they encounter much difficulty when rising from the floor amongst other daily tasks [8]. This persistent health issue also results in both loss of productivity and a steep economic price. In the United States, MSD incidents resulted in over 4 million lost days from work [7]. Nonfatal injuries in 2007 had cost estimates of 186 billion dollars [14].

Biomechanical analysis has been performed to examine these ergonomically challenging postures. With supervised motion tensor decomposition, postures such as kneeling, stooping, and reaching are identified as awkward postures [9] [11]. An alternative to stooping or kneeling are prone postures, which assumes a more neutral spinal posture while allowing the worker to reach the ground, and provides signifi-

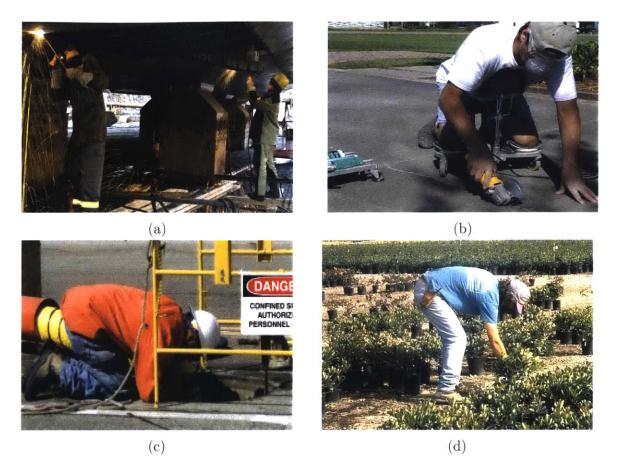


Figure 1-1: Various awkward postures sustained by workers and an attempt to relieve the stress with a passive device. a) Shipbuilding welders twist their torso to reach the low ceiling [2] b) A passive dolly redistributes the worker's weight from his knees to his torso [3]. c) A construction worker kneels to reach below the ground [6]. d) An agriculture worker stoops their back [18].

cantly less discomfort [17]. In this paper we aim to provide a worker with a more ergonomic workspace by giving them extra extendable arms that support them in this prone position (see Fig. 1-2).

### 1.2 Existing Solutions

#### 1.2.1 Passive Assistive Devices

Passive products have been used by construction workers to adjust their posture to fit their environments. In Fig. 1-1b, a worker leans against a dolly that supports both their knees and torso, distributing the load otherwise borne by the knees. Padded



Figure 1-2: The Mantisbot Alpha concept with Supernumerary Robotic Limbs (SRLs). The SRLs support the upper half of the body and allow the worker to perform bi-manual tasks.

creepers are commonly used to access low-ceiling areas or to access below ground environments. Workers can lean on simple body support bags to reach difficult areas along a deep, curved wall. These products successfully free up both the worker's hands, allowing them to perform bi-manual tasks.

While passive products are trustworthy due to their transparent functionality, none of these devices can be used universally in different environments. In addition, these devices lock the user into one posture, leaving only their feet or knees to push and pull to allow for minor adjustments. Lastly, they become bulky and inconvenient when the worker must readjust their posture or move to a different location.

#### 1.2.2 Exoskeletons

To allow for more flexibility and seamless integration with the user, human augmentation robotic systems can be considered. Exoskeleton robots used by Daewoo Shipbuilding can assist in bearing heavy loads, reducing the loads borne by the workers [15]. The user wears robotic limbs along their natural limbs, and the actuator increases the torque at the user's natural joints, relieving the force borne by the user's muscles. Although they are conveniently wearable, exoskeletons move in parallel with the user's natural limbs. Crouching, stooping, and kneeling postures are unnatural and ergonomically challenging because the human body structure is not suitable for taking these postures for extended periods of time. An exoskeleton amplifies an operator's joint torques, but it does not solve the root problem: the inadequate skeletal, kinematic structure of the human body.

Supernumerary Robotic Limbs (SRLs) provide an alternative to exoskeletons by supplementing and augmenting the human kinematic structure instead of enhancing an existing functionality. The robotic limbs do not move in parallel with the user's limbs, but rather acts as a third or fourth limb thus providing new functionality [16].

#### 1.2.3 Previous MantisBot

A previous prototype, the MantisBot [13], had been developed to provide support for near-ground work. With this prototype, we performed preliminary testing at an aircraft final assembly site, where the testers provided valuable feedback and highlighted several drawbacks.

From the testing, we observed that:

- The MantisBot was too heavy; it required even more muscular effort when standing up and kneeling down while wearing the heavy apparatus.
- The testers could not fully trust the machine they placed their palms on the ground for support and the robotic feet were prone to slip.
- Instead of placing their knees on the floor as intended, they used their feet and maintained a push-up position.
- The robot was prone to catastrophic failure in case of power loss.

In addition, the testers gave verbal feedback on their review of the previous MantisBot:

- Keeping their hands free was convenient
- The robot still needed more padding

- There needed to be hard mechanical stops or sensory feedback alarms that warn the wearer from moving beyond the supported range of the system
- There cannot be surprises to the wearer
- Usage should be intuitive and require minimal training and adjustment

Taking these results into consideration and understanding the shortcomings of other solutions, the MantisBot Alpha was developed to assist workers in performing nearground tasks.

In this paper, we present the design of the MantisBot Alpha, shown in Fig. 1-2, as follows: In Chapter 2, we explore the functional and design requirements of a human augmentation system for near floor work, and discuss the mechanisms and its modifications as it applies to the requirements; in Chapter 3 we explore possible design solutions that meet the requirements; in Chapter 4 we perform kinematic and structural analysis of the design concept to optimize for workspace range; In Chapter 5 we explain the implementation details including the machine design, the prototype, and it's testing; and in Chapter 6 we discuss any future work involving the MantisBot Alpha.

# Chapter 2

## **Functional and Design Requirements**

In this section, we define the task, the functional requirements of the robot, and the design requirements derived from the functional requirements.

### 2.1 Task Specifications

The specific task we consider in the current work is aircraft final assembly, which largely relies on manual labor. Fig. 2-1 shows the work environment in this setting. The task must be performed both at and below the floor level. As shown in Fig. 2-1a, the worker has to reach the floor and below the floor. As shown in Fig. 2-1b, the worker must also move side-to-side. Fig. 2-1c is a common task space where workers have to perform a series of manufacturing operations, where they must relocate often and take a crouching or crawling posture. Particularly for older workers, it is fatiguing to make repetitive transitions between standing and crouching. The floor environment is usually cluttered with various obstacles and difficult to use wheels to transfer loads.

### 2.2 Functional Requirements

The design of the SRLs was driven by the feedback from preliminary testing and is determined by the following specific functional requirements:

• Must increase the field of reach of the user in environments common in industry.

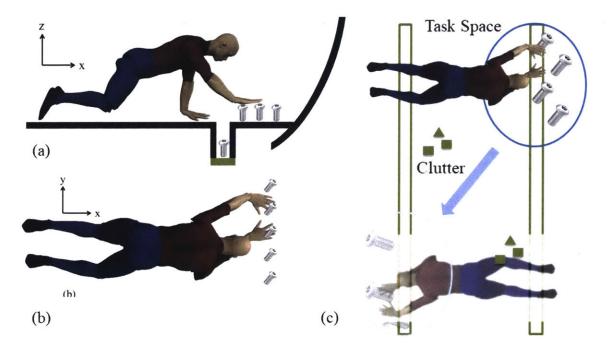


Figure 2-1: The aircraft final assembly work environment. In (a) the worker uses one arm to support himself while using the other arm to screw bolts. The bolts can be on the floor or under the floor. In (b) the worker must move in the y direction to complete the task. In (c) the task spaces are at different locations with clutter between. Therefore, wheels cannot be used.

We will specifically address environments shown in Fig. 2-1c.

- Must support a user weighing up to 300lbs.
- Must be safe in case of electronic failure.
- Must allow the user to perform a bi-manual task without significant visual or physical interference.
- Must be wearable when inactive.
- Must be adjustable to fit different body types.
- Must interact with user in an intuitive way.

### 2.3 Design Requirements

From the functional requirements, we derive the design requirements. To first be compatible with both below the floor and on the floor work, the robot arms must be able to expand in length. For floor work, the elbow is typically locked to reduce muscle energy, while below ground work requires the elbow to bend to support the body. To augment the capabilities of the human arm, we determine the maximum height of the mechanism to be approximately the average male arm length, 78.3 cm with an extra 15 cm [1]. We determine the minimum height of the mechanism to be approximately the average male forearm length, 41.7 cm [1]. Therefore, we define the desired expansion ratio as  $\frac{78.3}{41.7}$ , or 1 : 2.43.

The extra 15 cm aids in transitions between a prone working posture and a standing posture. Getting up from the ground multiple times requires much labor, especially with added weights from toolbelts and a wearable robot. We can utilize the high expansion capability of the robot to lift the torso very high from the ground, allowing the feet to walk up towards the hip where the person can then stand comfortably. Similarly, the robot can lower the person to the ground.

Next, to adjust to different fields of view and reach when working on the floor, the torso must be able to tilt and roll. We define the desired degrees of freedom as rise

(z), tilt  $(\theta_y)$ , and roll  $(\theta_x)$  demonstrated in Fig. 2-2. To actuate about these degrees of freedom, we refer back to the preliminary tests where the testers used their feet instead of knees for support. Using feet for support may provide more flexibility; the ankle is capable of hinging in two directions, dorsiflexion and and eversion, while the hip can only hinge in one direction [5][4]. Given that the foot can easily be protected from the floor with shoes, the knee is comparatively an uncomfortable option to maintain a crawling position for extended periods of time. Repeated knee stress from contact between the kneecap and the floor results in significant knee pain [12]. Thus, we adjust the indicated use posture as using the feet for support.

We also design for passive compliance in the y-direction, as the worker may momentarily want to extend their reach side-to-side as shown in Fig. 2-1b. Thus we define the active degrees of freedom as z, pitch, and roll, and the passive degree of freedom in y. Fig. 2-2 illustrates the coordinate frame and active degrees of freedom relative to the user. The robot is stable in all 6 degrees of freedom. The active, passive, and locked degrees of freedom is demonstrated in Fig. 2-3.

From the preliminary testing, the testers were not willing to trust the robot. We hypothesize that one reason they could not trust the previous MantisBot was because there was no proprioceptive feedback from the robotic arms. Although the four points of contact (two robotic arms and two knees) makes the system an inherently stable system, the control of the knees is commanded by the user, while the robotic arms are controlled by the robotic system; the disconnect in communication between the two makes the system seemingly unstable and difficult to trust from the user's perspective. Therefore, we determine that the MantisBot Alpha system must have at least three points of contact with the ground to be a stable, self-standing system .

In case of a power failure, the arms must immediately lock in position, safely giving the user time to stand upright from their previous posture where their weight was distributed on the robot. We determine that our mechanism must therefore be non-backdriveable, such that the force from human weight does not collapse the mechanism if the motors lose power.

Lastly, the user's arms and shoulders must be free from any attachments and

the robotic support must not lie in the user's workspace. The robot arms must be attached behind the shoulder joint and must be wide enough apart such that the user's elbows do not interfere with the robot arms.

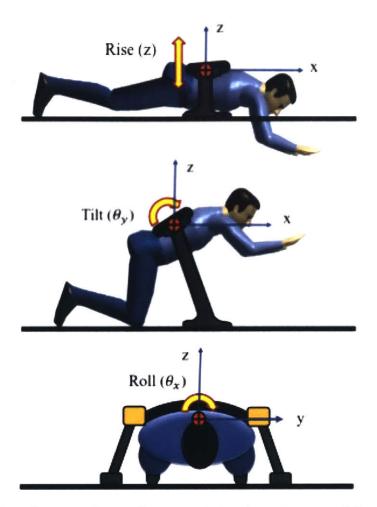
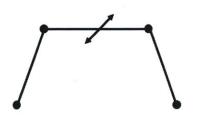


Figure 2-2: The robot coordinate frame and the three degrees of freedom illustrated on the MantisBot Alpha. We define the coordinate system such that x points towards the head, and y-z spans the transverse plane.



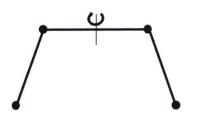
(a) Locked in x-direction.



(b) Actively actuated in z-direction.



(c) Passively actuated in y-direction.



(e) Locked in rotation about z-axis (yaw)

(d) Actively actuated in rotation about y-axis (pitch)



(f) Actively actuated in rotation about x-axis (roll)

Figure 2-3: The 6 active, passive, and locked degrees of freedom. The robot is therefore a self-standing, stable system.

# Chapter 3

## **Design Exploration**

To satisfy the defined design requirements, we explore the mechanism designs that can satisfy these requirements. First, we consider the traditional scissor mechanism for its high expansion ratio. Then, we discuss a novel scissor mechanism and how its singularity configuration satisfies the desired requirements.

### 3.1 Scissor Mechanism

In order to meet our design concept, we consider a scissor mechanism due to its high expansion ratio capability. An example of the mechanism implemented in construction is shown in Fig. 3-1. However, a typical scissor mechanism has two issues: a) it approaches a singular configuration when compressed, and b) it only provides expansion and does not allow for tilt.

Let the scissor mechanism input be a linear actuator acting at one base foot, and let the output be the endpoint of a top linkage. As illustrated in Fig. 3-2, the traditional scissor mechanism output achieves high extension for a short length of input range, making it ideal for quick and large expansion. However, as it approaches lower configurations, the force required to lift the mechanism becomes larger. The linkages act as a lever arm to lift the load. In Fig. 3-2, the red lever arm vector lies along the direction of the blue input force at complete collapsed configuration, requiring infinite force to lift. Thus, the singularity lies when the scissors are completely collapsed.



Figure 3-1: A typical scissor lift used in construction [10]

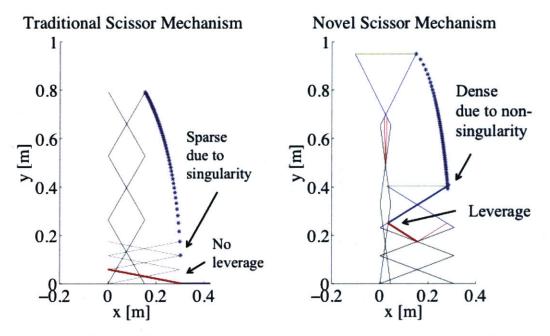


Figure 3-2: The traditional scissor mechanism juxtaposed to a novel scissor mechanism. The blue lines are the input actuators, and the red lines are the lever arms. Given linearly spaced inputs, we can observe the sparseness of the blue endpoints and infer where the system approaches singularity. The traditional scissor endpoints are more sparse when the scissor is contracted, whereas the novel scissor endpoints are more sparse when the scissor is expanded. This supports that the traditional mechanism approaches singularity toward contraction, and that the new mechanism approaches singularity toward expansion.

For our application, the user puts the most load on the robot when they are closest to the ground. When the torso is farther from the ground, the feet are placed closer to the torso, so the feet are able to bear higher portion of the load. In contrast, when the torso is close to the ground, the feet are farther from the torso, so the robot bears more load. Consequently, our mechanism must bear more load in compression and has less load bearing capability in expansion. This is opposite of the traditional scissor mechanism.

### 3.2 Novel Scissor Mechanism

We present a novel 2-DOF scissor mechanism that solves both issues of tilt and singularity by inverting where the singularity lies. The new mechanism and its workspace is illustrated in Fig. 3-2. Now the red lever arms and the blue linear actuators lie at a more acute angle near compression. The resulting mechanism has high force capability at compression and conversely approaches singularity towards expansion. In 3-2, the inputs are linearly spaced. Thus, the sparseness of the blue endpoints indicate where the structure approaches singularity.

The two actuators provide extension and contraction when moving simultaneously and identically. However, when they move in opposite directions, the system is not symmetric and thus tilts the top linkage. These two degrees of freedom are demonstrated in Fig. 3-3. We define the output point as the height of the right pin joint of the top linkage, making this mechanism a two input, two output system. The analysis of this system is discussed in the next section.

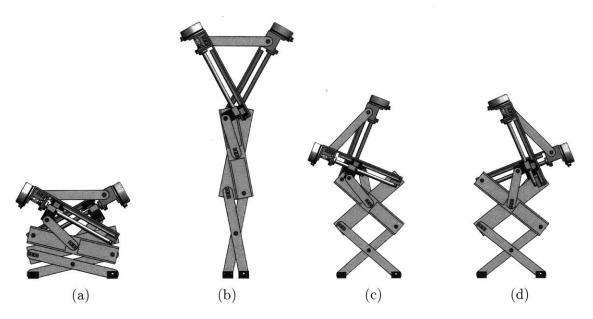


Figure 3-3: A CAD model of the linkage mechanism demonstrating both its large expansion ratio and its ability to tilt.

# Chapter 4

# Kinematic Analysis

To analyze the linkage mechanism, we find the forward and inverse kinematics and the Jacobian, and perform virtual work analysis and structural analysis. With these results, we can determine the robot workspace and linkage geometries. The following analysis uses variables that reference the diagram in Fig. 4-1. We define length  $\overline{AB}$ as k, length  $\overline{A_1F}$  and length  $\overline{A_2F}$  as a, length  $\overline{AE}$  and  $\overline{BD}$  as v, and the length  $\overline{JI}$ and its symmetric counterparts as l. We define the two inputs as  $q_1$  and  $q_2$  as the distances  $\overline{AA_2}$  and  $\overline{BA_1}$  respectively. We define angles  $\theta = \measuredangle KJI$ ,  $\alpha_1 = \measuredangle EDA_1$ ,  $\alpha_2 = \measuredangle DEA_2$ , and  $\gamma =$  angle between the horizontal and  $\overline{AB}$ .

#### 4.1 2D Kinematics and the Workspace

To locate the system, we calculate the desired output variables as a function of the input variables. We adopt the convention that the coordinates of joint B be  $(B_x, B_z)$ . Given the input lengths  $q_1$  and  $q_2$ , we calculate the output coordinates  $B_z$  and  $\gamma$ . It is important to note that AB will always be length k. We use the law of cosine and the law of sine to solve for  $\alpha_1$  and  $\alpha_2$ .

Using  $\triangle A_1 DF$  and  $\triangle A_2 EF$ :

$$a^{2} = (v - q_{2})^{2} + l^{2} - 2l(v - q_{2})\cos(\alpha_{1} + \theta)$$
(4.1)

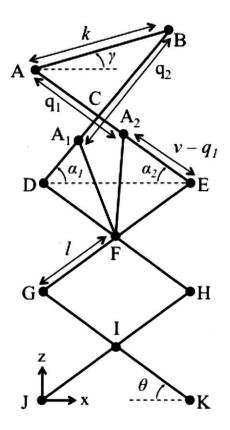


Figure 4-1: The reference 2D diagram representing the linkage configuration of the robot. We define Point J as the origin in the x - z plane as shown. Point C is not a pin joint, but merely where linkages AE and BD crosses over.

$$a^{2} = (v - q_{1})^{2} + l^{2} - 2l(v - q_{1})\cos(\alpha_{2} + \theta)$$
(4.2)

We subtract Eq. 4.2 from Eq. 4.1 to find  $\alpha_1 - \alpha_2$  as a function of  $q_1$  and  $q_2$ :

$$\alpha_1 - \alpha_2 = \arccos\left(a^2 - (v - q_2)^2 - l^2\right) / (-2l(v - q_2)) -$$

$$\arccos\left(a^2 - (v - q_1)^2 - l^2\right) / (-2l(v - q_1))$$
(4.3)

Next, we find  $\alpha_1 + \alpha_2$  by using three equations with three unknowns:  $\alpha_1 + \alpha_2$ ,  $\overline{CA_1}$ , and  $\overline{CA_2}$ :

$$Using \triangle ABC:$$

$$k^{2} = (q_{1} - \overline{CA_{2}})^{2} + (q_{2} - \overline{CA_{1}})^{2} + 2(q_{1} - \overline{CA_{2}})(q_{2} - \overline{CA_{1}})\cos(\alpha_{1} + \alpha_{2})$$

$$(4.4)$$

$$Using \triangle CA_1A_2:$$

$$\overline{CA_1}\sin\left((\alpha_1 + \alpha_2 + \angle CDF + \angle DFA_1 - \angle CEF - \angle EFA_2)/2\right) =$$

$$\overline{CA_2}\sin\left((\alpha_1 + \alpha_2 - \angle CDF - \angle DFA_1 + \angle CEF + \angle EFA_2)/2\right)$$
(4.5)

$$Using\overline{A_{1}A_{2}}:$$

$$\overline{CA_{1}}\cos\left((\alpha_{1}+\alpha_{2}+\angle CDF+\angle DFA_{1}-\angle CEF-\angle EFA_{2})/2\right) =$$

$$2a\cos\left((-\alpha_{1}-\alpha_{2}+\angle CDF+\angle DFA_{1}+\angle CEF+\angle EFA_{2})/2\right)$$
(4.6)

After solving for  $\alpha_1 + \alpha_2$ , we use Eq. 4.3 to find  $\alpha_1(q_1, q_2)$  and  $\alpha_2(q_1, q_2)$ . We use this result, Eq. 4.1, and Eq. 4.2 to find  $\theta$ .

From these three angles, we can find the coordinates of both A and B. Thus we

obtain the forward kinematics:

$$B_{z} = 4l \sin \theta + v \sin \alpha_{1}$$

$$\gamma = \arcsin \frac{v}{k} (\sin \alpha_{1} - \sin \alpha_{2})$$

$$(4.7)$$

To find the inverse kinematics, we calculate  $q_1$  and  $q_2$  given  $B_z$  and  $\gamma$ . We use the same equations as above.

The system of equations are too nonlinear to analytically solve for the forward and inverse kinematics and obtain a closed-form solution. Instead, we calculate the workspace iteratively. First, we find the linkage lengths from the desired minimum and maximum height defined in the design requirements. We determine that k =0.254 m, a = 0.2032 m, v = 0.3302 m, and l = 0.1651 m.

Given these calculations, the final system takes the range of input  $q_1 = q_2 = [0.067 \text{ m}, 0.295 \text{ m}]$ . We obtain the input pairs and the corresponding workspace in Fig. 4-2a and Fig. 4-2c respectively. We state that certain extremes in the workspace will not be used as they are configurations that are either very uncomfortable or improbable for the user. For example, the torso can be at an extremely sharp angle close to the ground, as shown in Fig. 4-2e. Adjusting the inputs and obtaining the desired outputs, the desired inputs and workspace can be seen in Fig. 4-2b and Fig. 4-2d respectively, and the tilt angles can be shown in Fig. 4-2f.

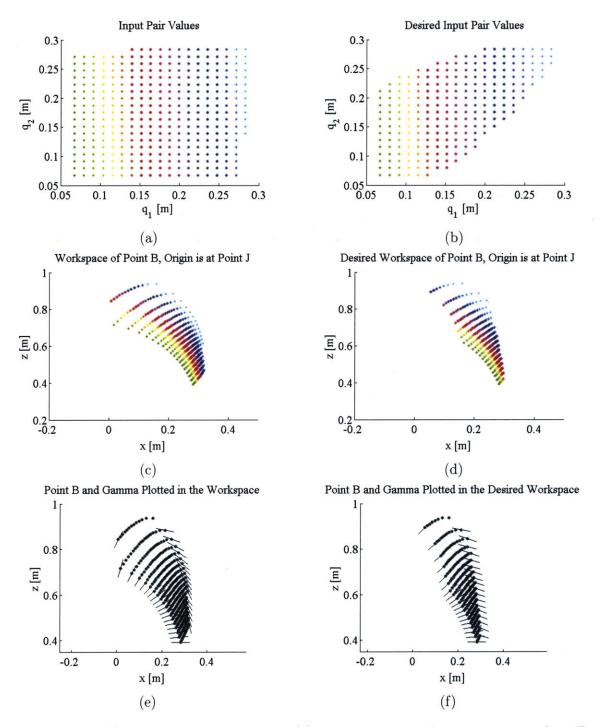


Figure 4-2: (a) the input pair values, (c) their corresponding output in the 2D workspace, and (e) their corresponding gamma values. The regular workspace includes orientations that are not practical, such as the head of the user hitting the ground. These points have been omitted to show the desired input pairs and their corresponding workspace. (b) shows the desired input pair values, (d) shows the desired workspace, and (f) shows the desired gamma values.

### 4.2 3D Coordinated Motion Control

We now consider the 3D system created by the combination of two novel scissor mechanisms. To calculate the rise, pitch, and roll variables of the entire 3D system, we use the system coordinates shown in Fig. 2-2. Let the user's right robot arm have endpoints  $A_R$  and  $B_R$ , and the left robot arm have endpoints  $A_L$  and  $B_L$ . Using 2D forward kinematics described in the previous section, we know the x and z coordinates of these four points. Let the two arms be placed W width apart. Let the endpoint P be the point between  $B_R$  and  $B_L$ , near the user's head. We define the generalized coordinate outputs: height  $P_z$ , pitch  $\theta_y$ , and roll  $\theta_x$ . We note that both  $P_x$  and  $P_y$ directions can be actuated; however, they are residual effects and are small angles. Yaw  $\theta_z$  is constrained due to the geometry of the robot platform. We find the outputs:

$$height = P_z \approx \frac{A_R + B_R + A_L + B_L}{4} \tag{4.8}$$

$$pitch \approx \theta_y = \gamma_L = \gamma_R \tag{4.9}$$

$$roll = \theta_x \approx \arctan\left(\frac{B_{\rm Lz} - B_{\rm Rz}}{W}\right)$$
 (4.10)

By combining the equations from Section 4.1, substituting into eq. 4.8-4.10, and differentiating with respect to the inputs, we can obtain the Jacobian matrix of the complete system such that:

$$\begin{bmatrix} \dot{P}_z \\ \dot{\theta}_y \\ \dot{\theta}_x \end{bmatrix} = \mathbb{J}^T \begin{bmatrix} \dot{q_{L1}} \\ \dot{q_{L2}} \\ \dot{q_{R1}} \\ \dot{q_{R2}} \end{bmatrix}$$
(4.11)

where the Jacobian relates the three endpoint velocities to the input velocities.

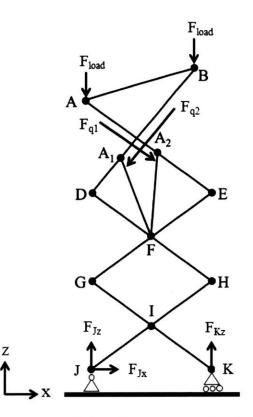


Figure 4-3: A free body diagram of the 2D scissor mechanism. Joint J is modeled as a pin joint, and joint K is modeled as a roller joint. External forces occur at A and B due to the user's weight, applied forces occur at  $A_1$  and  $A_2$  due to the actuator outputs, and reaction forces occur at J and K.

#### 4.3 Actuator Output Analysis

Next, we determine the required actuator force to lift the maximum payload. We use the 2D analysis and assume each arm will take half of the user's load. With a safety factor, we assume the maximum weight borne by a single mechanism is 68 kg. Let vertical external forces  $F_{load}$  act at point A and B respectively, and the total mass, M, is shared equally such that  $F_{load} = \frac{Mg}{2} = 34$  kg. Let actuator output forces acting on  $A_1$  and  $A_2$  be defined as  $F_{q1}$  and  $F_{q2}$  respectively. A free body diagram is shown in Fig. 4-3.

From the forward kinematics, we can find  $A_z = f(q_1, q_2)$  and  $B_z = f(q_1, q_2)$ . We use the Principle of Virtual Work to calculate the linear actuator output force:

$$\delta W ork = \Sigma F \delta r = 0 \tag{4.12}$$

where F are the applied forces and r are the virtual displacements. We have:

$$\delta Work = F_{q1}\delta q_1 + F_{q2}\delta q_2 - \frac{Mg}{2}(\delta B_z + \delta A_z) = 0$$

$$(4.13)$$

$$\delta A_{z} = \frac{\partial A_{z}}{\partial q_{1}} \delta q_{1} + \frac{\partial A_{z}}{\partial q_{2}} \delta q_{2}$$

$$\delta B_{z} = \frac{\partial B_{z}}{\partial q_{1}} \delta q_{1} + \frac{\partial B_{z}}{\partial q_{2}} \delta q_{2}$$

$$(4.14)$$

Substituting Eq. 4.14 into eq. 4.13, we find:

$$F_{q1} = \frac{Mg}{2} \left( \frac{\partial B_z}{\partial q_1} + \frac{\partial A_z}{\partial q_1} \right)$$

$$F_{q2} = \frac{Mg}{2} \left( \frac{\partial B_z}{\partial q_2} + \frac{\partial A_z}{\partial q_2} \right)$$
(4.15)

We perform these calculations iteratively. Thus, we obtain the maximum actuator force required to lift a 68 kg weight is approximately 480 N. See Fig. 4-4 for the required actuator output at different expansions.

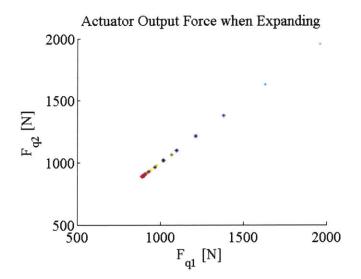


Figure 4-4: The required actuator outputs at different expanion heights. The plot colors correspond to the input pair colors in Fig. 4-2b.

#### 4.4 Structural Analysis

To determine the geometry and thickness of each linkage necessary to bear the expected loads, we perform static structural analysis in the worst loading configuration. We will refer to Fig. 4-5 for the equations in this analysis.

Again, we model the system with the two external forces as discussed in section 4.3. We model point K as a pin joint on a roller:  $\overrightarrow{F_K} = F_{Kz}\hat{z}$ , and point J as a fixed pin joint:  $\overrightarrow{F_J} = F_{Jx}\hat{x} + F_{Jz}\hat{z}$ . We find  $F_{Kz}$ ,  $F_{Jx}$ , and  $F_{Jz}$  with the equilibrium equations  $\Sigma Moment_J = 0$ ,  $\Sigma F_x = 0$ , and  $\Sigma F_z = 0$ . Refer to Fig. 4-3:

$$-2F_{load} + F_{Jz} + F_{Kz} = 0$$

$$\overrightarrow{JA} \times \overrightarrow{F_{load}} + \overrightarrow{JB} \times \overrightarrow{F_{load}} + \overrightarrow{JK} \times \overrightarrow{F_{K}} = 0$$

$$(4.16)$$

Next, we consider internal loading on the pin joints. We isolate the lower two linkages by modeling pin joints G and H each with an x and z component. We use equilibrium equations  $\Sigma Moment_J = 0$ ,  $\Sigma Moment_K = 0$ ,  $\Sigma F_x = 0$ , and  $\Sigma F_z = 0$  to find  $\overrightarrow{F_G}$  and  $\overrightarrow{F_H}$ . The free body diagram is shown in Fig. 4-5a.

$$F_{Gz} + F_{Hz} + F_{Jz} + F_{Kz} = 0$$

$$F_{Gx} + F_{Hx} = 0$$

$$\overrightarrow{JG} \times \overrightarrow{F_G} + \overrightarrow{JH} \times \overrightarrow{F_H} + \overrightarrow{JK} \times \overrightarrow{F_K} = 0$$

$$\overrightarrow{KJ} \times \overrightarrow{F_J} + \overrightarrow{KG} \times \overrightarrow{F_G} + \overrightarrow{KH} \times \overrightarrow{F_H} = 0$$
(4.17)

Finally, we consider the internal loading at joint F. We use the top section linkages to obtain equilibrium equations  $\Sigma F_x = 0$  and  $\Sigma F_z = 0$ . We use the middle section linkages to obtain equations  $\Sigma Moment_D = 0$  and  $\Sigma Moment_E = 0$ . We

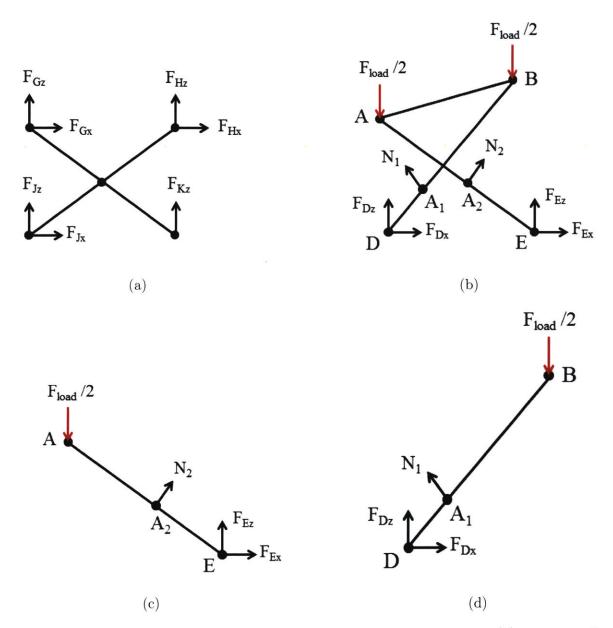


Figure 4-5: The free body diagrams used for static loading analysis. (a) The overall FBD showing external forces. (b) The FBD of the lowest scissor linkages (c) The FBD of the upper scissor linkages (d) The FBD of linkage AE (e) The FBD of linkage BD.

isolate linkages  $\overline{BD}$  and  $\overline{AE}$  and use equilibrium equations  $\Sigma Moment_B = 0$  and  $\Sigma Moment_A = 0$ . We thus obtain 6 equations with 6 unknowns.

The reference free body diagram is shown in Fig. 4-5b.

$$-2F_{load} + \overrightarrow{N_{1}} \cdot \overrightarrow{e_{1z}} + \overrightarrow{N_{2}} \cdot \overrightarrow{e_{2z}} + F_{Dz} + F_{Ez} = 0$$
(4.18)  
$$\overrightarrow{N_{1}} \cdot \overrightarrow{e_{1x}} + \overrightarrow{N_{2}} \cdot \overrightarrow{e_{2x}} - F_{Dx} - F_{Ex} = 0$$
  
$$\overrightarrow{DA_{1}} \times \overrightarrow{N_{1}} + \overrightarrow{DA} \times \overrightarrow{F_{load}} + \overrightarrow{DB} \times \overrightarrow{F_{load}} + \overrightarrow{DA_{2}} \times \overrightarrow{N_{2}} + \overrightarrow{DE} \times \overrightarrow{F_{E}} = 0$$
  
$$\overrightarrow{EA_{1}} \times \overrightarrow{N_{1}} + \overrightarrow{EA} \times \overrightarrow{F_{load}} + \overrightarrow{EB} \times \overrightarrow{F_{load}} + \overrightarrow{EA_{2}} \times \overrightarrow{N_{2}} + \overrightarrow{ED} \times \overrightarrow{F_{D}} = 0$$

The reference free body diagram is shown in Fig. 4-5d.

$$\overrightarrow{BA_1} \times \overrightarrow{N_1} + \overrightarrow{BD} \times \overrightarrow{F_D} = 0 \tag{4.19}$$

The reference free body diagram is shown in Fig. 4-5c.

$$\overrightarrow{AA_2} \times \overrightarrow{N_2} + \overrightarrow{AE} \times \overrightarrow{F_E} = 0 \tag{4.20}$$

For the remaining forces we use linkage equilibrium to find the forces at each pin joint.

From our analysis, we find that linkages  $\overline{A_1F}$ ,  $\overline{A_2F}$ , and  $\overline{EG}$  experience the most tensile forces. Linkage  $\overline{EG}$  experiences the most bending moment. From Fig. 4-6a, the maximum tensile force experienced in the structure is  $3.265 \times 10^4$  N. From Fig. 4-6d, the maximum bending moment experienced in the structure is 3745 Nm.

We use stress equations:

$$Tensile: \sigma = \frac{Force}{Area}$$

$$Bending: \sigma = \frac{Moment \times height}{Inertia}$$
(4.21)

From this data, we use an aluminum u-beam with yield strength 241GPa and modulus of elasticity 68.9GPa for linkages DH and EG. From the maximum calculated forces, we determine linkage geometries 6.35mm thickness, C-shape cross-section with 44.45mm width and 69.85mm height. To fabricate all other linkages, we used a rectangular cross-section beam with 6.35mm thickness, 44.45mm height, and 69.85mm width. We used a safety factor of at least 2.

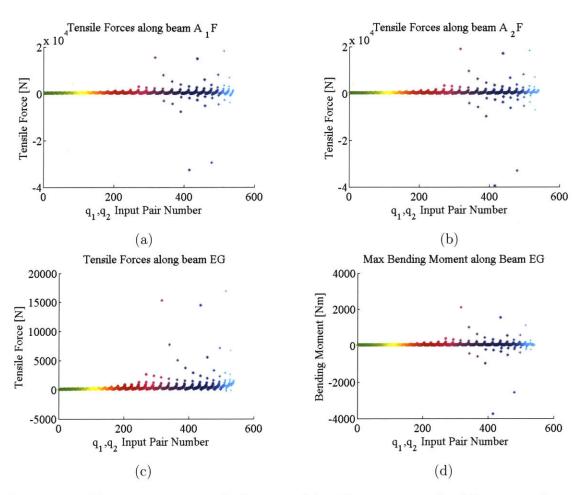


Figure 4-6: The maximum tensile forces and bending moments in different configurations. The forces and moments in other beams are not illustrated as they are smaller and thus not relevant when determining beam cross-section geometry from maximum loadings.

# Chapter 5

# Design Implementation and Evaluation

We proceed with the mechanical design of the system to implement the actuators and linkages determined from the above analysis.

### 5.1 Detailed Module Design

To implement the linear actuator, we use a leadscrew with pitch 3mm and diameter 16mm. This meets the fail-safe functional requirement, as it is not back-driveable and will remain in the current configuration in case of a power failure. To actuate, we use Maxon EC 90 flatØ 90mm brushless motors with nominal torque 1.01 N m, stall torque 14.8 N m, nominal speed 1790rpm, and nominal voltage 18V. We used a closed loop velocity controller to track a constant reference speed of 750rpm. The motor output is connected by an oldham type flexible shaft coupler (Misumi MOR-20C-10-10) to allow for angular and lateral misalignment to the motor. The leadscrew is designed parallel to a linear guide(Misumi SVRL28) such that the leadscrew takes axial load while the linear sliding guide takes radial load. The leadscrew to guide connection is rigid, and thus provides a fixed constraint on the leadscrew. The base of the leadscrew near the motor is attached to a fixed support; however, this results in an over-constrained

linear guide system. We put a flexure spring between the support and its connection to the guide system to allow for compliance. This system is shown in Fig. 5-1.

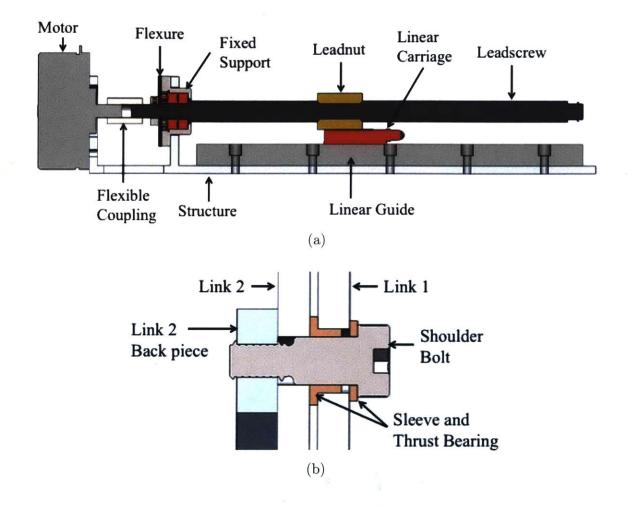


Figure 5-1: (a)A CAD cross-section model of the linear guide design. The leadscrew takes axial load while the linear guide takes the radial load. The flexure at the base of the leadscrew relieves the module from being over-constrained. A flexible coupling relieves the motor from axial and radial misalignment. (b) A CAD cross-section model of the pin joint with bushings. The press-fitted bronze bushings and bearings allow link 1 to rotate about link 2 and the shoulder bolt. The shoulder bolt is screwed into link 2 using a backpiece that is fixed onto the link.

We calculate the material properties and thickness of the flexural spring. Axial load is always towards motor direction, so the flexure is always in tension. We want flexibility for yaw and pitch misalignment errors, but stiffness against roll, the motor output direction. Referring to Fig. 5-1a, we obtain the equation:

$$\frac{\tau_m}{\theta} = k_\theta \tag{5.1}$$
$$\tau_m = \frac{R\mu k_\theta \theta_{worst}}{l_m a x} = F_A l_m a x$$

where R is the diameter of the leadscrew and  $\mu$  is the coefficient of friction from the lubricated steel to brass. We find  $\theta_{worst}$  by assuming the worst misalignment at the first and last screws on the linear guide.

At the base of the leadscrew, we model the flexure as radial spring, with the equations:

$$k_{\theta} = \left(\frac{M}{F_r}\right)^2 k_r = H^2 k_r \tag{5.2}$$

$$k_r = \frac{EA}{t} \tag{5.3}$$

where  $k_r$  is the radial spring, E is the modulus of elasticity of the flexure material, A is the area of contact between the fixed support and the structure, H is the radius of the flexure, and t is the thickness of the flexure. From eq. 5.1, 5.2, and 5.3, we obtain that we can use Neoprene rubber with 1.5875mm thickness.

It is important to note that this system does not turn at its pin joints at high speed. This allows us to use bushings instead of ball bearings at the pin joints. We use 9.525mm diameter shoulder bolts as pin joints that screw into the second linkage. Bronze bushings separates the two linkages, and a press fit flanged bronze bushing is fitted into the first linkage. The threads allow us to preload the pin joint such that the friction between the bronze and aluminum allows the first linkage to rotate about the first linkage, while placing both linkages parallel to one another to minimize free parts, thus minimizing displacement error. This is illustrated in Fig. 5-1b.

Lastly, we connect the human body to the robot using a construction harness. The harness distributes the load across the chest and the hips. The straps make it adjustable to different body types, and can be easily replaced. Since construction harnesses have padding to make hanging from it comfortable for extended periods of time, we determine that a harness is suitable for our application.

### 5.2 Prototype

Figure 5-2: The author wearing the MantisBot Alpha prototype.

For passive y-direction compliance, we use bushings inspired by skateboards to act as torsional springs. A rubber bushing compresses as the screw turns when the user leans to either side. Consequently, the system increases in stiffness as the user rolls farther away from the center. The pre-load can be adjusted to change the compression of the bushings, changing the spring stiffness. Hard mechanical stops force the side-to-side compliance to make sure the user remains within safe bounds. The final robot weighs 12.7kg.

To simplify the communication interface between the user and the robot, we use four buttons. Using the output of the system calculated in Chapter 4, two buttons command the z-direction movement, and the other two buttons command the pitch. More specifically, first button moves both  $q_1$  and  $q_2$  in the positive direction; second button moves both  $q_1$  and  $q_2$  in the negative direction; third button moves  $q_1$  in the positive direction and  $q_2$  opposite; fourth button moves  $q_2$  in the positive direction and  $q_1$  opposite. The entire prototype is shown in Fig. 5-2.

#### 5.3 Testing

Due to resource constraints, we were only able to manufacture one arm. Instead of testing the full system, we test the single arm by measuring the actual current output to demonstrate that the singularity analysis is correct.

We use the ESCON Module 50/5 4-Q Servocontrollers to command the motors. An Arduino Uno sends the button signals to the controller. We use the ESCON Studio interface to collect data for testing. Fig. 5-3a shows the raw data when fixing  $q_1 = 0.18$  and controlling  $q_2$  such that it spans its range. The load is 2.26 kg. We convert the actual current measured to actual torque output by  $\tau = Ik_T$  with torque constant 80.7 mNm/A. The actual torque output is shown in Fig. 5-3b.

The torque output rises significantly towards expansion. This is consistent with the analysis in Section 3.2, because it requires more force to keep the actuator moving at a constant speed. Therefore, we can confirm that our singularity analysis was correct.

Finally, we compare our results to the analysis to demonstrate expansion speed. Given that we must move 0.228m in 10 seconds, our desired motor speed is 456 rpm. Our experiment operated at an average of 350 rpm with peak current 9.8A, and average operating current at 2.6A. The motor is rated for stall current at 186A and continuous operation at approximately 13 A at 456 rpm, so we confirm that it can still operate at the desired speed under normal loading conditions.

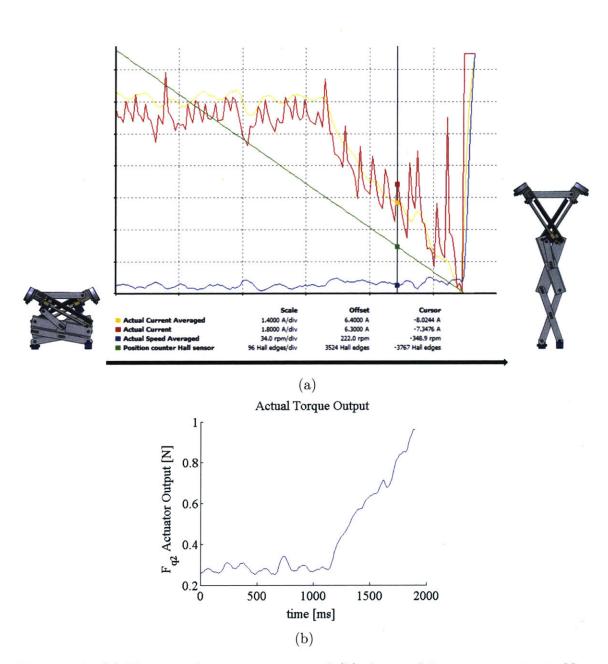


Figure 5-3: (a) The actual motor current and (b) the resulting torque output. Negative position counter indicates the robot arm is moving up, towards expansion. We can observe that the torque output increases as it approaches expansion, which is consistent with the previous singularity analysis.

# Chapter 6

## **Conclusion and Future Work**

When working near the floor, the MantisBot Alpha benefits the user in supporting them in awkward postures and is adaptable to various different environments. A novel linkage mechanism allows the system to reach non-singular configurations when large load bearing capability is necessary by inverting the traditional scissor mechanism design. The design has been demonstrated in a proof-of-concept prototype for supporting the wearer with the desired degrees of freedom.

We recognize that the MantisBot Alpha can be improved to support the user in a wider range of tasks. In some construction work such as welding, it is often important to not only maintain a near ground structure, but also move along the weld path. Future work can explore dynamic crawling with SRLs, thus allowing the user to indeed move like a preying mantis.

Although the SRLs relieve the user's limbs from immediate force and torque output, we have not confirmed that it relieves the user from developing pain in the longterm. It is important in the future to test our hypothesis and determine whether the user develops less musculoskeletal disorders in the long-term when using this robot.

Another interesting direction is to explore a more implicit communication between the user and the SRL. While intuitive and ubiquitous, buttons require the user to stop their work and physically press the button. A more seamless communication such as using EMG signals to measure muscle contraction and control the robot, and receiving proprioceptive feedback from the robot to the human would more seamlessly integrate the SRL system with the user. The authors' group is currently investigating these directions of research.

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