

A PRELIMINARY SIMULATION MODEL OF FACTORS
AFFECTING THE NUTRITIONAL AND HEALTH STATUS
OF CHILDREN IN LOW-INCOME FAMILIES

by

PEDRO CRUZ-BRACHO
Ingeniero Mecanico, Universidad Central de Venezuela
(1971)

Submitted in partial fulfillment of the require-
ments for the Degree of Master of Science in
Operations Research

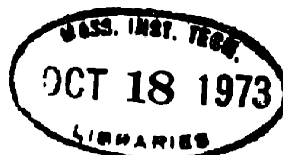
at the

Massachusetts Institute of Technology
August 1973

Signature of Author
Department of Mechanical Engineering, (August 13, 1973)

Certified by
Thesis Supervisor

Accepted by
Chairman, Departmental Committee on Graduate Students
of the Department of Mechanical Engineering



ABSTRACT

A PRELIMINARY SIMULATION MODEL OF FACTORS
AFFECTING THE NUTRITIONAL AND HEALTH STATUS
OF CHILDREN IN LOW-INCOME FAMILIES

by

PEDRO CRUZ

Submitted to the Department of Mechanical Engineering on August 13, 1973 in partial fulfillment of the requirements for the degree of Master of Science in Operations Research

The objective of this study was to explore the possibilities of employing a detailed simulation model to aid nutrition planners in consideration of the design of nutrition and health programs for children in developing countries. We recognized that limitations on time and the scarcity of data would prevent us from developing a model that is both complete and accurate, or from applying it to a real community. However, we believe that this preliminary exercise has met our original objectives of exploring the possible benefits, limitations, and problems associated with the development of detailed simulation models for nutrition planners.

The first step was to construct a longitudinal analysis of the children of one cohort under status quo conditions, relating their nutritional status at six-month intervals to preceding events in their development from conception through the vulnerable weaning period. The second step was to expand the model to include the influences of a mother and child nutrition and health program on the development of the children. We assume that a program for pregnant mothers leads to higher birth weights, while a program for malnourished children increases the probability of recuperation; both programs are assumed to provide education to the mothers on proper feeding of children.

The model is constructed as a tree (or network) of branches representing various possible paths that children may follow from the time of conception to the end of the weaning period. Each branch leads either to a specific state of nutrition and/or health or to

death, or to a critical stage where the influences of a nutrition and health program may occur (e.g., a stage at which it is possible for children to receive supplementary food). A probability is assigned to each branch, and the magnitude of the probabilities along a particular path determine the number of children that will follow that path.

By considering different cohorts born at evenly-spaced intervals, we obtain a description of the nutritional status of children in a community throughout a given period of time. These results enable us to construct a cross-sectional description of the children in terms of the aggregated parameters used in nutrition surveys. The analysis is illustrated by applying it to a hypothetical community.

Various suggestions for future work are discussed, the most important one being that the modelling effort should be accompanied by a simultaneous effort to perform surveys that will provide the data needed for determining the structure and parameters of the model.

Thesis Supervisor:

Robert E. Stickney

Title:

Professor of
Mechanical Engineering

ACKNOWLEDGEMENTS

To my thesis advisor, Professor Robert E. Stickney, for his commitment to and enthusiasm for my thesis topic and for the constructive criticism he gave.

To Kyriakos Sarris for making a series of helpful comments and suggestions.

To Ms. Rosemary Carpenter for her excellent job in typing my thesis.

TO MY FAMILY

TABLE OF CONTENTS

	<u>Page No.</u>
Title Page	1
Abstract	2
Acknowledgements	4
Dedication	5
Table of Contents	6
1. Introduction	8
2. Preliminary Considerations and Motivations for a Simulation Model of the Evolution of Malnutrition in Pre-school Children of Low- Income Families	9
3. The Status Quo Model	13
3.1 Illustration of the Status Quo Model	17
4.	
4.1 The N & H Model	25
4.2 The Use of the N&H Model for the Cross- Sectional Evaluation of a Target Group under the Implementation of an N&H Program	37
4.3 Illustration of the N&H Model and its Implementation for Cross-Section Evaluations	42
5. Concluding Remarks and Suggestions for Future Work	56
References	59
Appendices	60
A.1 Assumptions Used in the Estimation of Probabilities for the Status Quo Model Illustration	61

	<u>Page No.</u>
A.2 Assumptions Used in the Estimation of Probabilities for the N&H Model Illustration	65
A.3 Computer Program Specifications for the Direct Use	67

1. Introduction

The planning of national nutrition programs in developing countries has received increasing attention over the last few years.^{1,2} As most planning processes, they can benefit from the insights provided by the use of models and other quantitative techniques. However, the application of these techniques to nutrition planning is not easy because it involves the consideration of a number of very diverse and complex factors (nutritional status, health, personal beliefs, food acceptabilities, among them).

This thesis is a preliminary work that focuses its attention upon the development of a model of the response of the nutritional status of pre-school aged children to a mother and child nutrition and health program. A methodology is suggested that encompasses the advantages of both longitudinal and cross-sectional types of studies. In spite of the limitations in time that prevented us from applying the model to the study of a real situation, a hypothetical situation was simulated to illustrate its use.

We believe that this exercise points out the very important need for data-gathering experiments to be carried out in conjunction with the model designing task. Only with the combination of these efforts will it be possible to achieve any significant guidance from models of the detailed nature considered here.

2. Preliminary Considerations and Motivations for a Simulation Model of the Evolution of Malnutrition in Pre-school Children of Low-income Families

The traditional use of cross-sectional studies for evaluation of the nutritional status of a community has failed to provide deep insights about the interactions among factors that determine the evolution of malnutrition. On the other hand, recent longitudinal studies (e.g., see ref. 3) have demonstrated their capacity to enrich the scientific understanding of those factors that affect the development of a particular child. In this way, they provide a better means to explore the changes that a certain policy would introduce into the child's development.

Motivated by the potentials of the longitudinal methodology, we first attempted to design a simulation model that would account for the principal factors that influence the development of an individual child from conception through the pre-school age period. The idea was to describe the evolution of a child as a probabilistic process in which at each step in time there is a changing set of probabilities of the child suffering from insufficient food, diarrhea, measles, etc. The values of the probability set would depend upon the complete range of previous events in the history of the child and his siblings, mother and father (e.g., income, education, etc.). The evolution of that child would then be a sequential trajectory of probabilistic events

up to either the terminal age of the study (e.g., age five) or up to the prior death of the child. This probabilistic description would be based upon a set of exhaustive categories that would include the circumstances of all children of that community. The final picture would be a tree-type structure (with probabilities in all its branches) of the possible paths and outcomes of any child's evolution through the period of study. By selecting the initial conditions of a child at random from the relevant categories, the complete evolution of the child could be followed in detail. With the aid of a computer representation of the model, we could consider a sufficiently large sample of children that would enable us to perform a statistical analysis leading to estimations of the values of interest (e.g., total number of malnourished children, death rate, etc.). The model could be calibrated by adjusting the probabilities so as to reproduce the present situation in a particular community. Then, computer "experiments" could be performed to observe variations in the final results produced by choosing a specific policy for combating malnutrition. The decision maker would have then been provided with a useful and rich tool for exploring his assumptions and policies.

We quickly discovered the limitations of this detailed approach. The richness of its behavioral content was counterbalanced by the enormous amount of information that would have been needed to implement it. On the other hand, the complexities involved in the fine-grain design of the model and in its size would have surpassed our time

limitations. Therefore, we decided to design a less detailed model which considered groups of children rather than individuals. This model was still sufficiently detailed that the lack of time and data prevented us from applying it to a real community. A hypothetical application was developed, however, to illustrate the potential benefits - as well as the problems - of simulation models of this type. We believed that this rather abstract exercise was a worthwhile complement to the concurrent attempt by another member⁴ of our group to develop the opposite type of model, i.e., one simplified to the extent that it may be applied more easily to a real case.

The structure of our model describes the evolution of a given cohort of children in a hypothetical community where a mother and child nutrition and health program, (hereafter abbreviated as N&H Program) is implemented. This program is assumed to provide both health care and a food supplement to the malnourished children. Among the main factors to be considered by the model are:

(a) the direct and indirect influence of the mother's nutritional and health status on the child's birth weight;

(b) the consequences of having proper (or improper) food during the weaning period; and

(c) the influence of a food supplement on malnourished children under different circumstances.

From this structure it would be easy to calculate the number of children of that cohort that are malnourished at the end of consecutive predetermined periods. This type of information would be of special interest in a fundamental study; however, from the viewpoint of a nutrition planner, the main points of interest are the total number of malnourished children in a particular range of ages (the "target group") at yearly intervals in the future. Therefore, we have chosen to develop a methodology that is able to encompass both the longitudinal and cross-sectional views of reality.

As the first step, we will concentrate on the description of the evolution of cohorts. To facilitate the reader's understanding we devote Section 3 to the simplest case of a cohort under circumstances where no N&H program exists (which we will call the "Status Quo model"). Subsequently, in Section 4, we consider the evolution of a cohort in the case of an N&H program (called the "N&H model"), and finally we deal with the evolution of a series of consecutive cohorts under the N&H program and develop a cross-sectional evaluation of their trajectory. In each of these sections a hypothetical situation is developed as an illustration.

We should point out that each cohort was followed for only 18 months because the required computations increase extremely rapidly with the length of the period. We recognize that 18 months is not sufficiently long to cover the entire vulnerable period, but it seemed to be a reasonable simplification at this stage of development.

3. The Status Quo Model

The goal of this section is to provide quantitative analysis for estimating the evolution of children of one cohort under the status quo situation (i.e., no N&H program). Figures 1a to 1e constitute the flow diagram of the model. (At this point, the reader is recommended to ignore the values of the probabilities given to the branches in these figures). We start with the number of children conceived in the particular cohort (called "Rate of conception") and the first division of the model is based on its main hypothesis that the evolution of children is originally conditioned on the past history of the mother, i.e., her nutritional and health status during pregnancy, which creates the initial two groups of children, those whose mothers' status during pregnancy is satisfactory, and those whose mothers' status during pregnancy is deficient. Going one step down the tree, we arrive at the birth stage where children from either of the two previous groups can have normal or low birth weights or can be born dead. Presumably, the probabilities of having low-birth weight will depend on the mother's status, and these probabilities would have to be determined by experimental studies. The evolutions of the four groups appearing at the bottom of Figure 1a are described in Figures 1b to 1e.

Rather than attempting to describe each element of the model in detail, we will consider only one group as an illustration of the nature

of the model. Specifically, we have selected group IV shown in Figure 1e, which gives the complete description of possible outcomes and conditioning events of the evolution of children of low-birth weight whose mothers' status during pregnancy were deficient. It is assumed that between birth and 6 months of age, the probabilities of their possible nutritional outcomes depend in part on the mother's status. The model assumes that the evolution of those children that are malnourished at 6 months depends primarily on the diet provided to them during the next 6 months. Similar assumptions are made for subsequent periods.

After a glance through Figure 1e and the rest of the model, the reader will notice that there are several paths that lead to a given nutritional status at each level (i.e., birth, 6, 12 and 18 months). Given the probabilities for all the branches of the tree, he can calculate the number of children that follow a given path leading to the nutritional status at any level he is interested in. This is accomplished by multiplying the Rate of Conception by all the probabilities lying in that particular path.

To insure that this procedure is completely clear to the reader, we will illustrate it by a specific example. Assume that we want to determine the number of children that follow the path described below in terms of the abbreviations defined in Figures 1a and 1e:

C → MSD	$P_1 = 0.6$ (see Figure 1a)
MSD → LBW	$P_2 = 0.08$ (see Figure 1a)
LBW → M	$P_3 = 0.72$ (see Figure 1e)
M → PF	$P_4 = 0.5$ (see Figure 1e)
PF → M	$P_5 = 0.9$ (see Figure 1e)
M → M	$P_6 = 0.92$ (see Figure 1e)

Therefore, the fraction (f) of the children passing along this particular path is given by:

$$\begin{aligned}
 f &= P_1 \times P_2 \times P_2 \times P_3 \times P_5 \times P_6 \\
 &= (0.6) \times (0.08) \times (0.72) \times (0.5) \times (0.9) \times (0.92) \\
 &= 0.0143
 \end{aligned}$$

If we multiply the rate of conception by this value of f, we obtain the number of children passing along this path.

Repeating this procedure for every path that leads to the equivalent states of nutritional status at the level of interest, and then adding the partial results, one obtains the total number of children of the cohort that, at this level, have the specified nutritional status. We point out that the feature provided by this path-following technique - the obtainable partial results - would enable the nutrition planner to keep track of a rich variety of additional information about the dependence of the outcome on differences in circumstances.

The nutrition planner will be interested in having this structure to reproduce the situation of the community. This process of calibration of the model is attainable by an iterative process of "trial and check", in which the adjustment of one or more parameters in the tree leads to results that are consistent with the available information on the community. Unfortunately, the available information generally is of an aggregated nature, meaning that it sets conditions on groups of probabilities rather than on individual probabilities. It is thus clear that more detailed data on the community will lessen the difficulties in the calibration stage.

The process of calibration can be carried out more easily with the aid of an electronic computer for performing the calculations at each stage of the iterative procedure. Therefore, we have designed a computer program (described in the appendix) for this purpose.*

Once the calibration is completed, the nutrition planner would be able to forecast the future evolution of the children of the community, under the assumption of no N&H program, by assuming a birth rate and applying the model to all cohorts born within the period of his forecast. The results of this forecast would serve as a basis of comparison for the results forecasted with the application of the N&H model.

* The computer program actually applies to both the status quo model and the N&H model.

3.1 Illustration of the Status Quo Model

It was impossible to find in the literature the type of detailed information required to calibrate our model to a real case. In spite of this fact, it was decided to develop a hypothetical illustration in order to get experience with the process of calibration of the model. The idea was then to calibrate the model to reproduce to a certain extent the aggregated data for a real community. We chose as a guidance the data summarized in Table 1, which are representative of the situation in El Salvador.* In addition, we found that the task of selecting a self-consistent set of probabilities was aided by first formulating a set of assumptions describing the expected qualitative relations between the probabilities. This set of general assumptions is described in the appendix and they only can be viewed as a very rough first approximation of the relations. Based on this set of assumptions, and with the help of the computer, we carried out a series of trial and check evaluations of probabilities in which the results obtained were compared to the figures of guidance of Table 1. After 5 runs of the computer program, with different estimates of the probabilities, we came out with the set of probabilities that appear on the branches of the trees shown in Figures 1a to 1e. The results obtained on the basis of these probabilities are shown in Table 2. Comparison of Tables 1 and 2, show that the results are close to the

*These figures were found by Kyriakos Sarris from demographic data.

TABLE 1 RATES OF MALNUTRITION AND DEATH OF CHILDREN IN EL SALVADOR*

	Values expressed as percentages			
	Birth	6 months	12 months	18 months
Malnutrition	7	8.5	20**	30**
Death	1.16	3.2	2	1

*Based on data summarized by Kyriakos Sarris (4)

**Estimated from data for children between 1 and 2 years

TABLE 2 HYPOTHETICAL RATES OF MALNUTRITION AND DEATH OF CHILDREN COMPUTED BY THE STATUS QUO MODEL

	Values expressed as percentages			
	Birth	6 months	12 months	18 months
Malnutrition	7.2	9.2	26	30.1
Death	1.0	5.0	3.2	3.5
Normal Children	91.8	84.3	68.6	61.3
Recovered Children	-	1.5	2.2	3.1

"calibration data" in some cases but not in others. Better agreement could be obtained by performing additional runs, but we believe that this would not be worthwhile at this stage.

ABBREVIATIONS

- C = CONCEPTION
- MSS = PREGNANT WOMEN WITH SATISFACTORY NUTRITIONAL AND HEALTH STATUS
- MSD = PREGNANT WOMEN WITH DEFICIENT NUTRITIONAL AND HEALTH STATUS
- NBW = CHILDREN WITH NORMAL BIRTH WEIGHT
- LBW = CHILDREN WITH LOW BIRTH WEIGHT
- D = CHILDREN WHO DIE

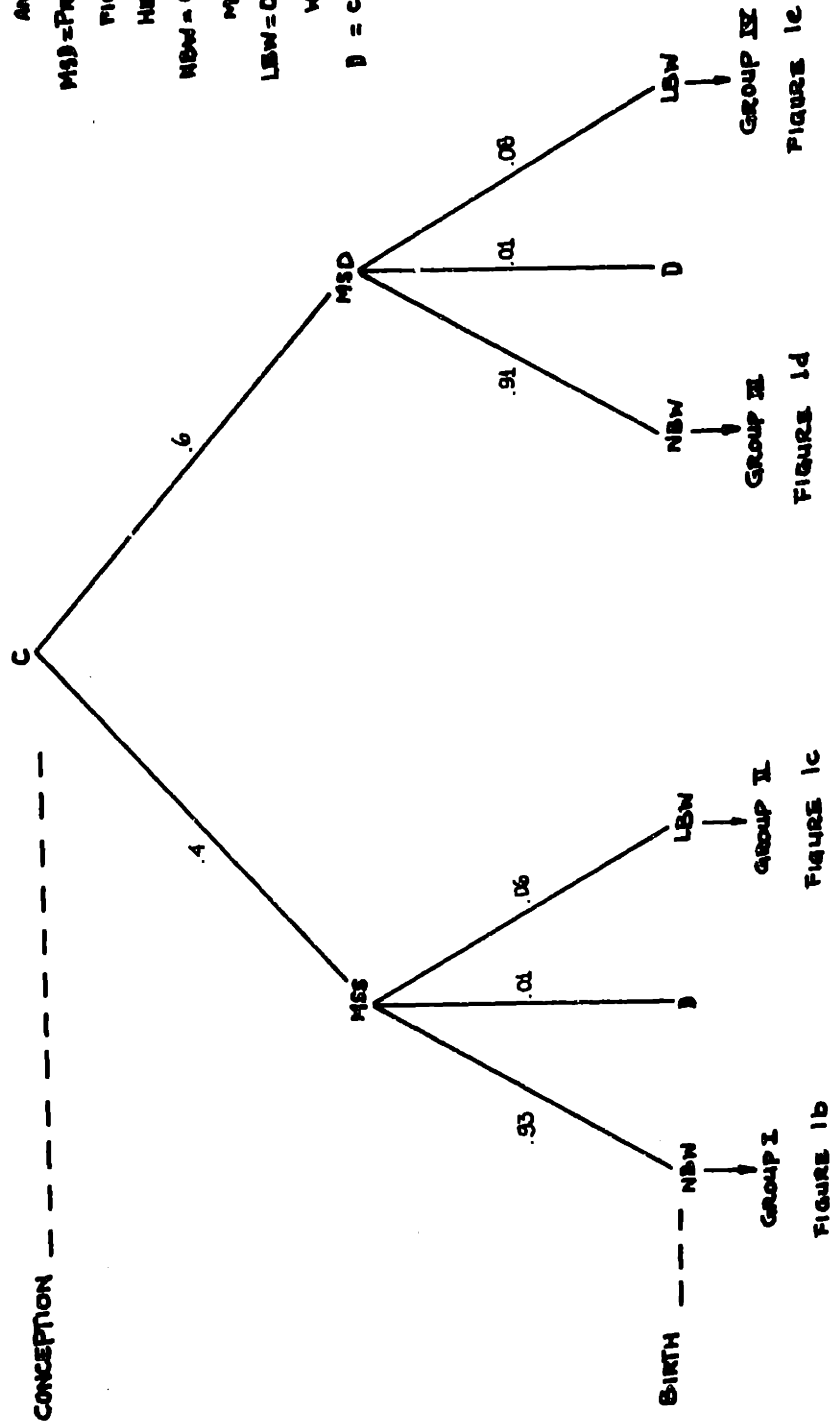


FIGURE 1a.

ABBREVIATIONS
 NBW = CHILDREN WITH NORMAL BIRTH WEIGHT
 N = NORMAL CHILDREN
 M = MALNOURISHED CHILDREN
 D = CHILDREN WHO DIE
 PF = PROPER FOOD IS PROVIDED
 IF = IMPROPER FOOD IS PROVIDED

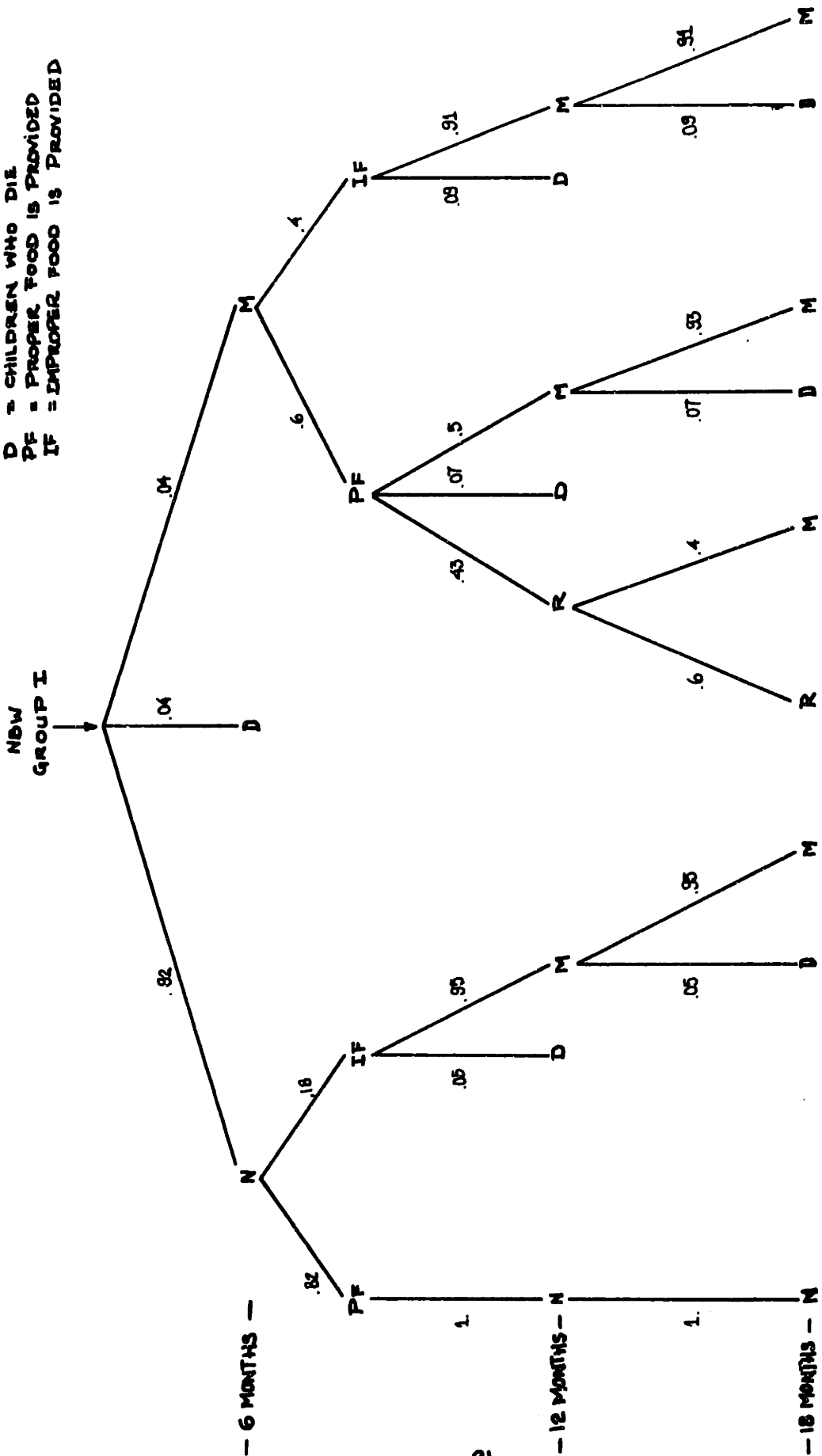


FIGURE 1b

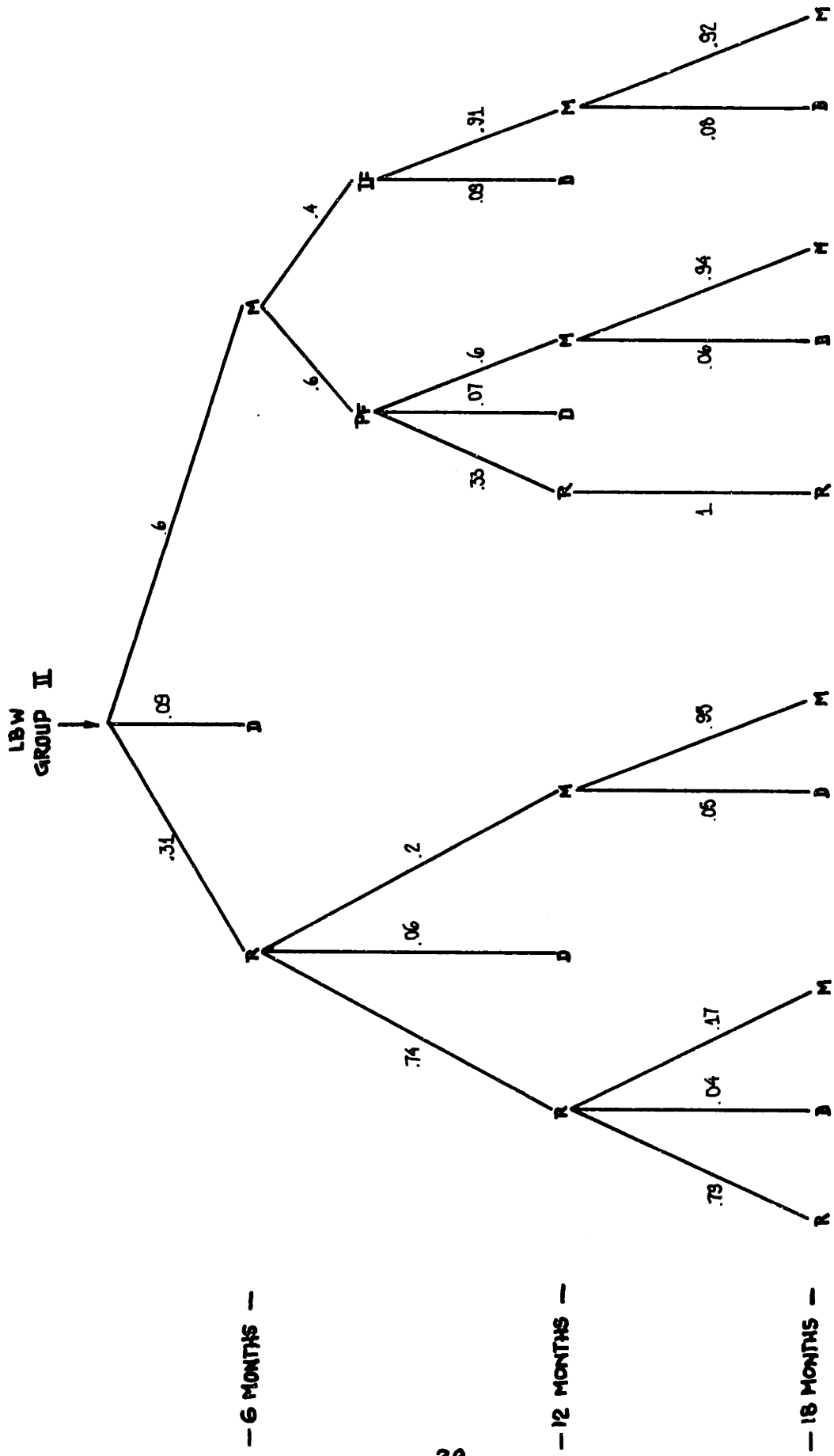


FIGURE 1c

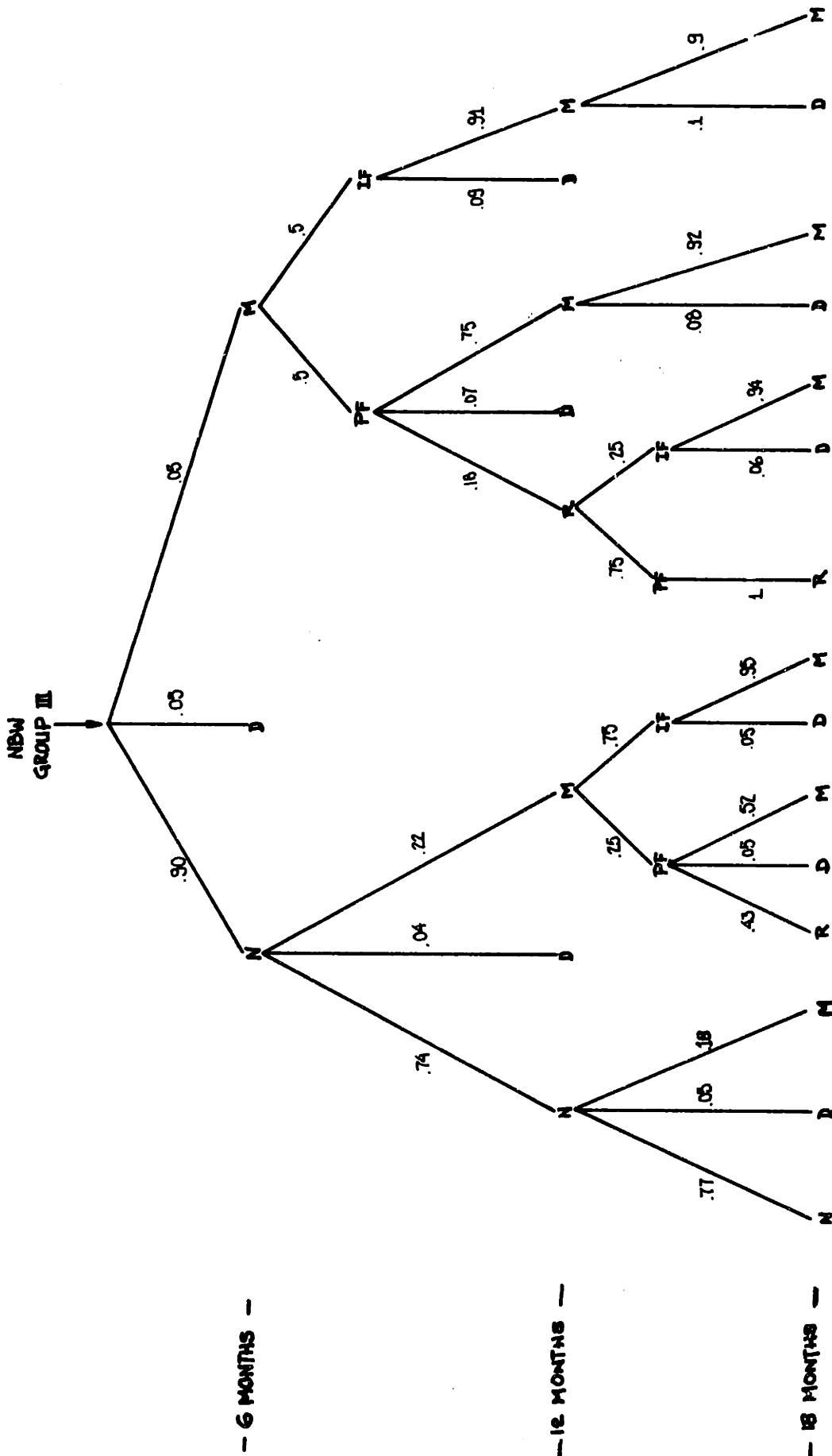


FIGURE 1d

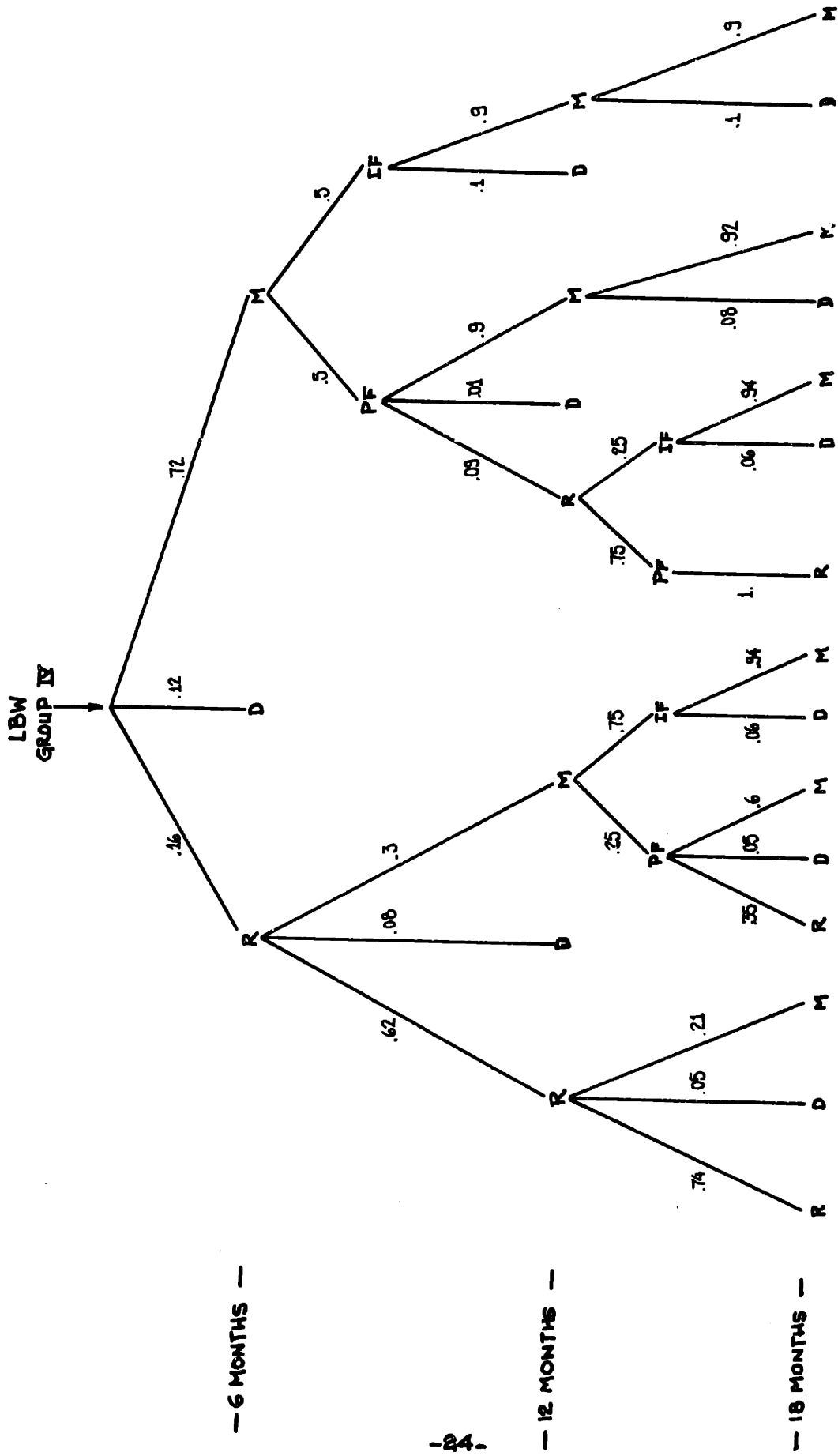


FIGURE 1e.

4.

4.1 The N & H Model

Having developed a model to simulate the status quo situation, the next step was to consider the design of a model to simulate the evolution of a given cohort under the existence of a N&H program in the community. A model with the same general philosophy as the status quo model was developed and the model is summarized in Figures 2a to 2i (ignore the probabilities in the branches at this stage). The members of the cohort are also followed from conception until the age of 18 months. The N&H program would emphasize the importance of beginning to offer its services to women during their pregnancy. The nutritional and health status of the pregnant women would be evaluated at an early stage, and medical and nutritional help provided if needed. One other objective of the program would be to provide pregnant mothers with education on mother and child nutrition and hygiene. It is expected that the children of these mothers would have lower probabilities of being malnourished between birth and 18 months than the children of mothers who are not in the program. For this reason, the N&H model branches out at the top to classify the conceived children according to the mother's involvement with the program (Figure 2a). (However, the program will also be able to admit children that are malnourished and whose mothers were not involved with the program during pregnancy). As a result, there are 12

categories at the birth stage (bottom of Figure 2a). The detailed descriptions of the evolution of these categories are made in Figures 2b to 2i. To get acquainted with the structure of the model from birth on, we suggest that the reader studies one of those figures in detail.

As an example, consider Figure 2i, which models the evolution of the group of low birth weight children whose mothers had a deficient status and were not involved in the program during pregnancy. It is assumed that mother's milk is the principal food during the first 6 months, and that other foods ("weaning foods") are introduced after 6 months. It is also assumed that the child's development is checked at 6 month intervals. If a child is found to be malnourished and then enters the program, a food supplement is provided. The model considers both the possibility of a child being or not being provided with the supplement to account for factors such as personal beliefs, distance to the program centers, taste considerations, etc.

The nutritional outcome at 12 months for children malnourished at 6 months and not provided with the supplement is further conditioned by the possibilities of being provided with proper or improper food in the home. Similar assumptions are made for the period from 12 to 18 months. With this brief verbal description of a few possibilities, the reader will be able to understand the rest of the structure of the model by himself.

Any desired result for that cohort at any level (birth, 6, 12, and 18 months) could be obtained by using the same path-following procedure described for the status quo model. The computer program, already mentioned in Section 3, was written to carry out all the calculations down the tree. (See Appendix for detailed description). Although it computes the total for every possible event in the tree, the printed output is restricted to only a few aggregated results (described later in the illustration). In case it were of interest, any particular result in the tree can be obtained by preparing a single and simple instruction for the computer program.

Now that we have a complete picture of the N&H model for one cohort it will not be difficult to realize that the status quo model is embedded in it, and they are equivalent if we just make the appropriate probabilities in the N&H model equal to zero (i.e., the probability of a mother being involved with the program during pregnancy, the probability of being provided with the food supplement at any level). We are now able to move on one more step toward the goal of the nutrition planner; a monitoring technique that will help them to have a periodical cross-sectional evaluation of the children in the target group, and subsequently deals with the evolution of a series of cohorts. This is the objective of 4.2.

ABBREVIATIONS

- C = CONCEPTION
- MIP = PREGNANT WOMEN IN THE PROGRAM
- MOP = PREGNANT WOMEN NOT IN THE PROGRAM
- MSS = PREGNANT WOMEN WITH SATISFACTORY NUTRITIONAL AND HEALTH STATUS
- MSD = PREGNANT WOMEN WITH DEFICIENT NUTRITIONAL AND HEALTH STATUS
- NSW = CHILDREN WITH NORMAL BIRTH WEIGHT
- LBW = CHILDREN WITH LOW BIRTH WEIGHT
- D = CHILDREN WHO DIE.

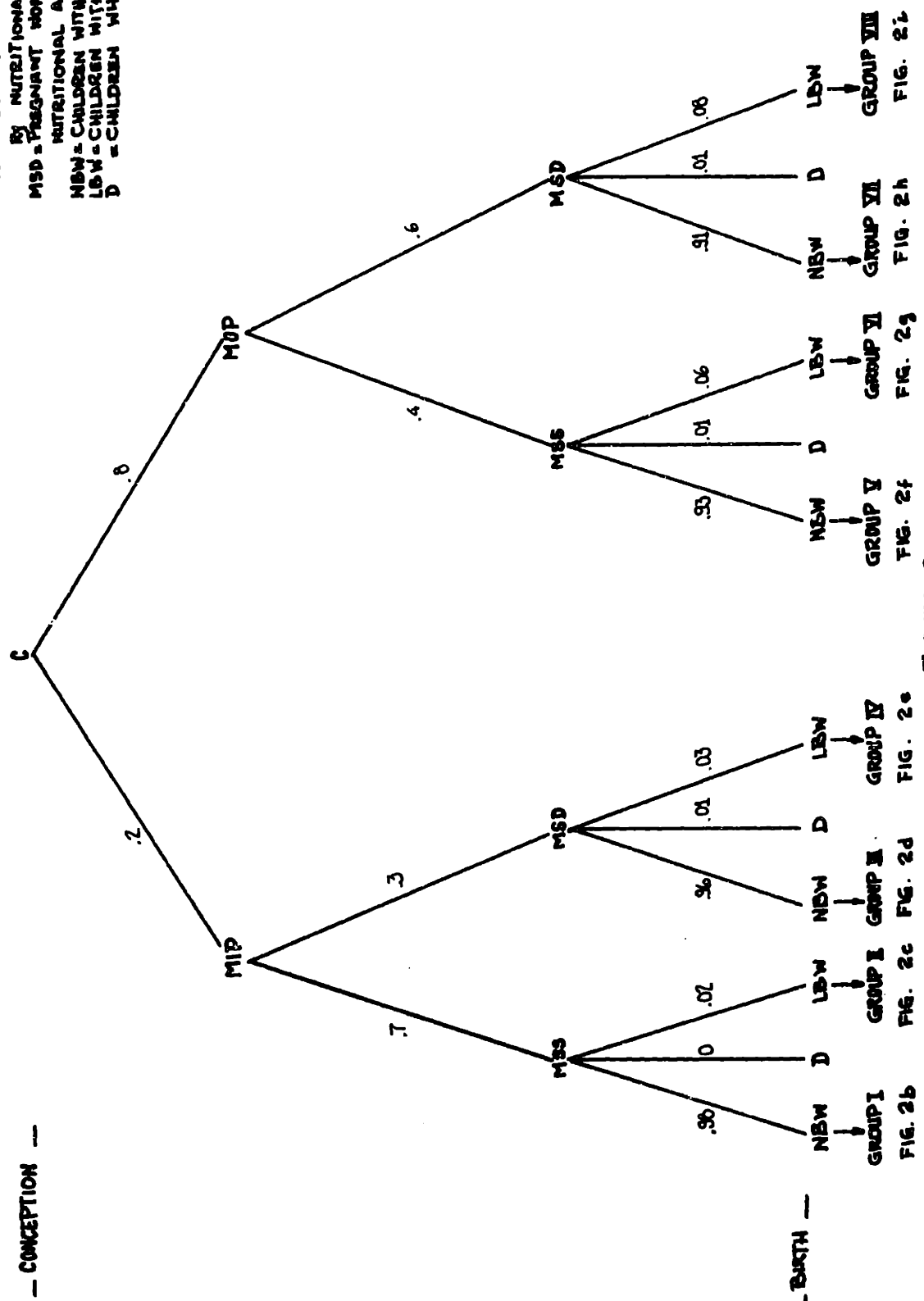


FIGURE 2a.

— CONCEPTION —

— BIRTH —

ABBREVIATIONS

NBW = CHILDREN WITH NORMAL BIRTH WEIGHT

N = NORMAL CHILDREN

M = MALNOURISHED CHILDREN

R = CHILDREN WHO RECOVER

D = CHILDREN WHO DIE

SP = SUPPLEMENT IS PROVIDED

SNP = SUPPLEMENT IS NOT PROVIDED

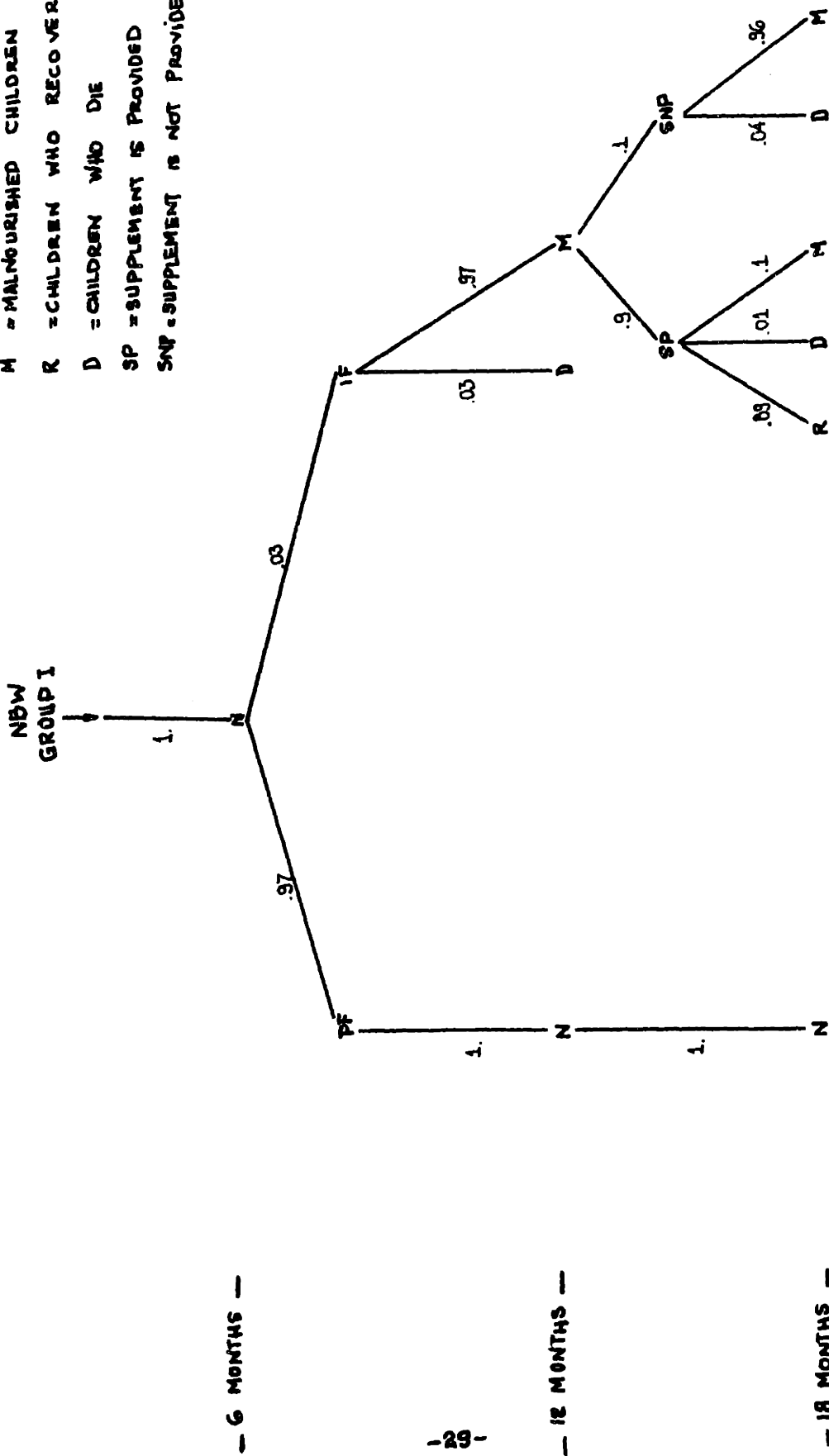


FIGURE 2b

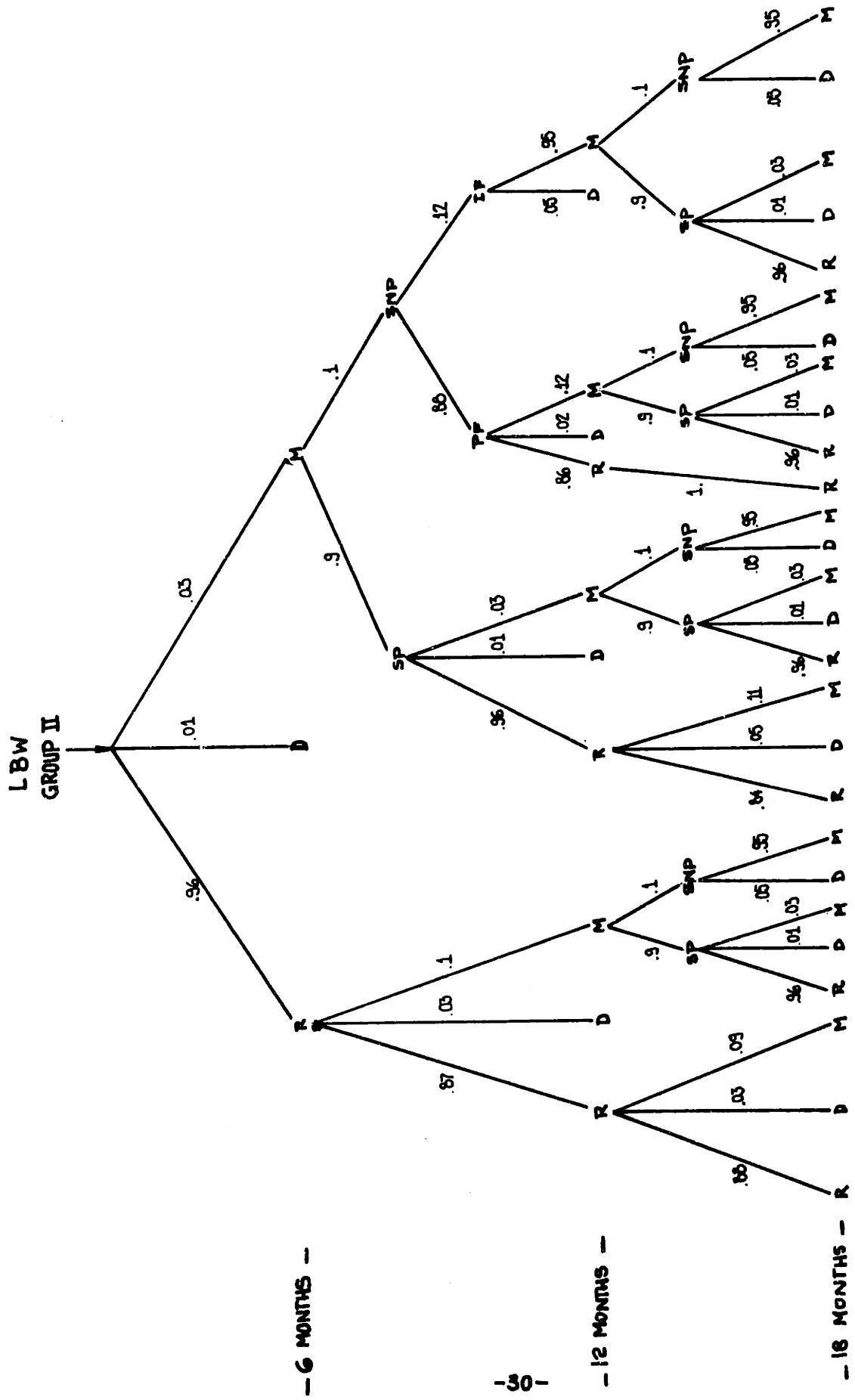


FIGURE 2c.

NBW GROUP III

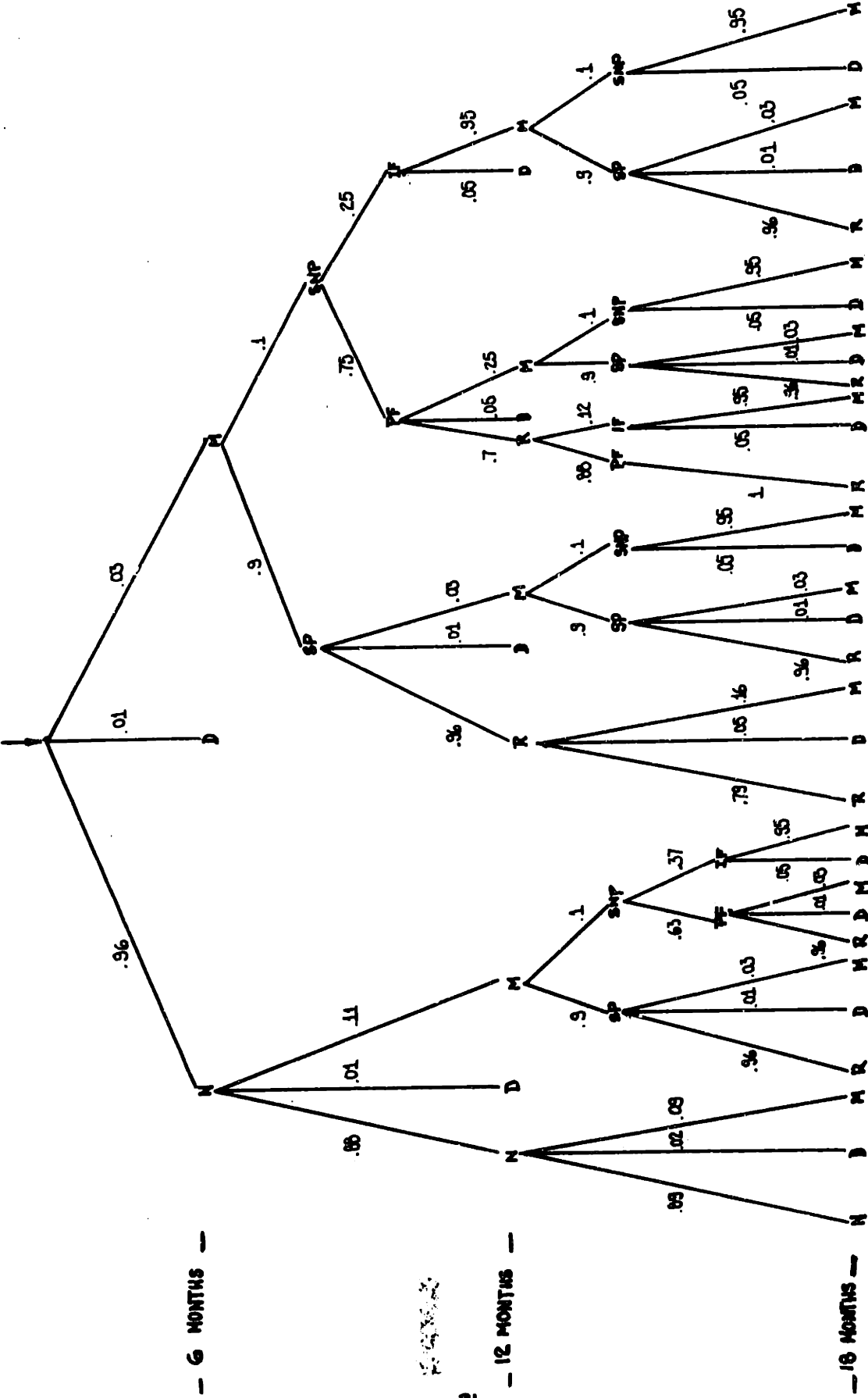


FIGURE 2 d

NBW GROUP V

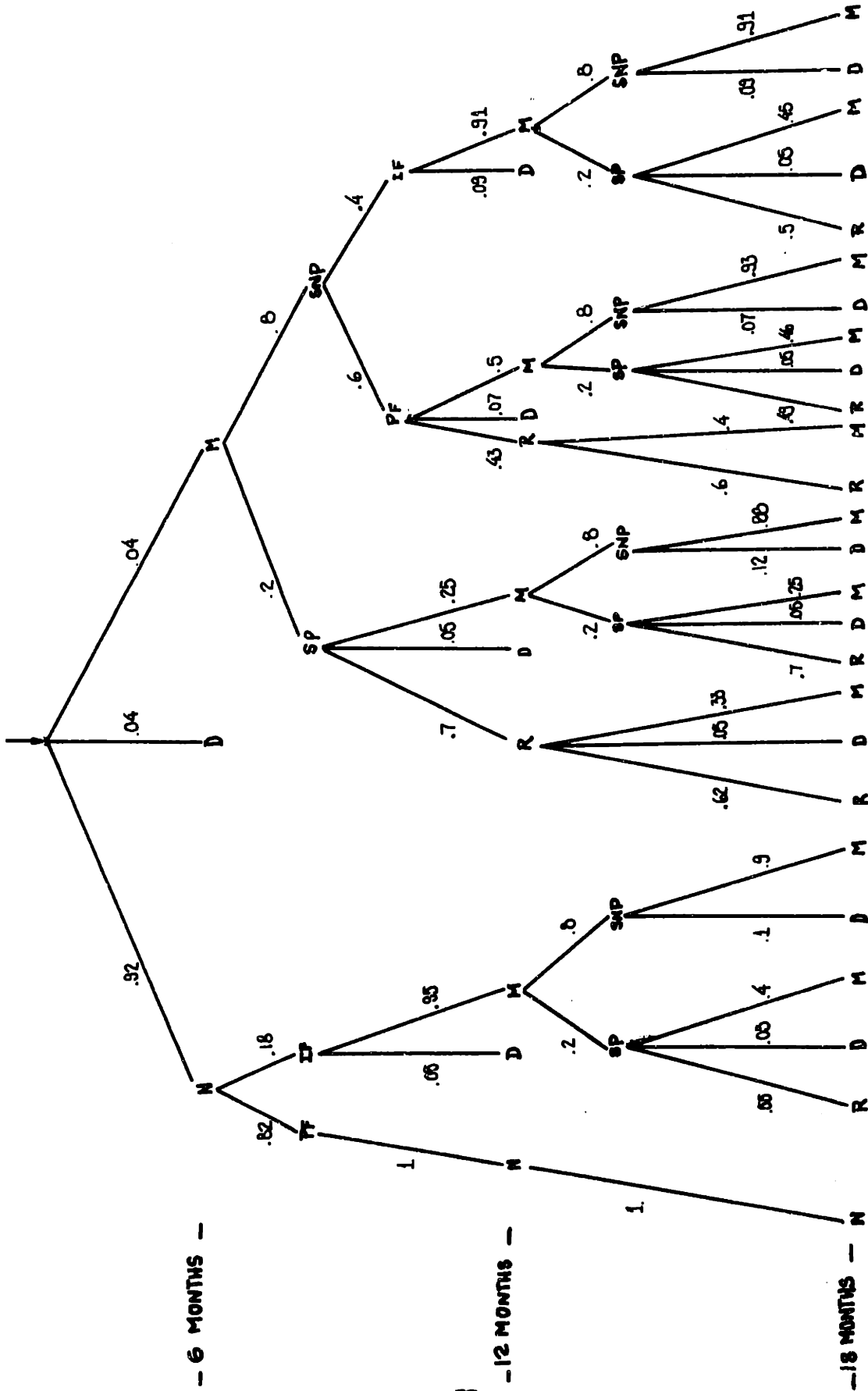
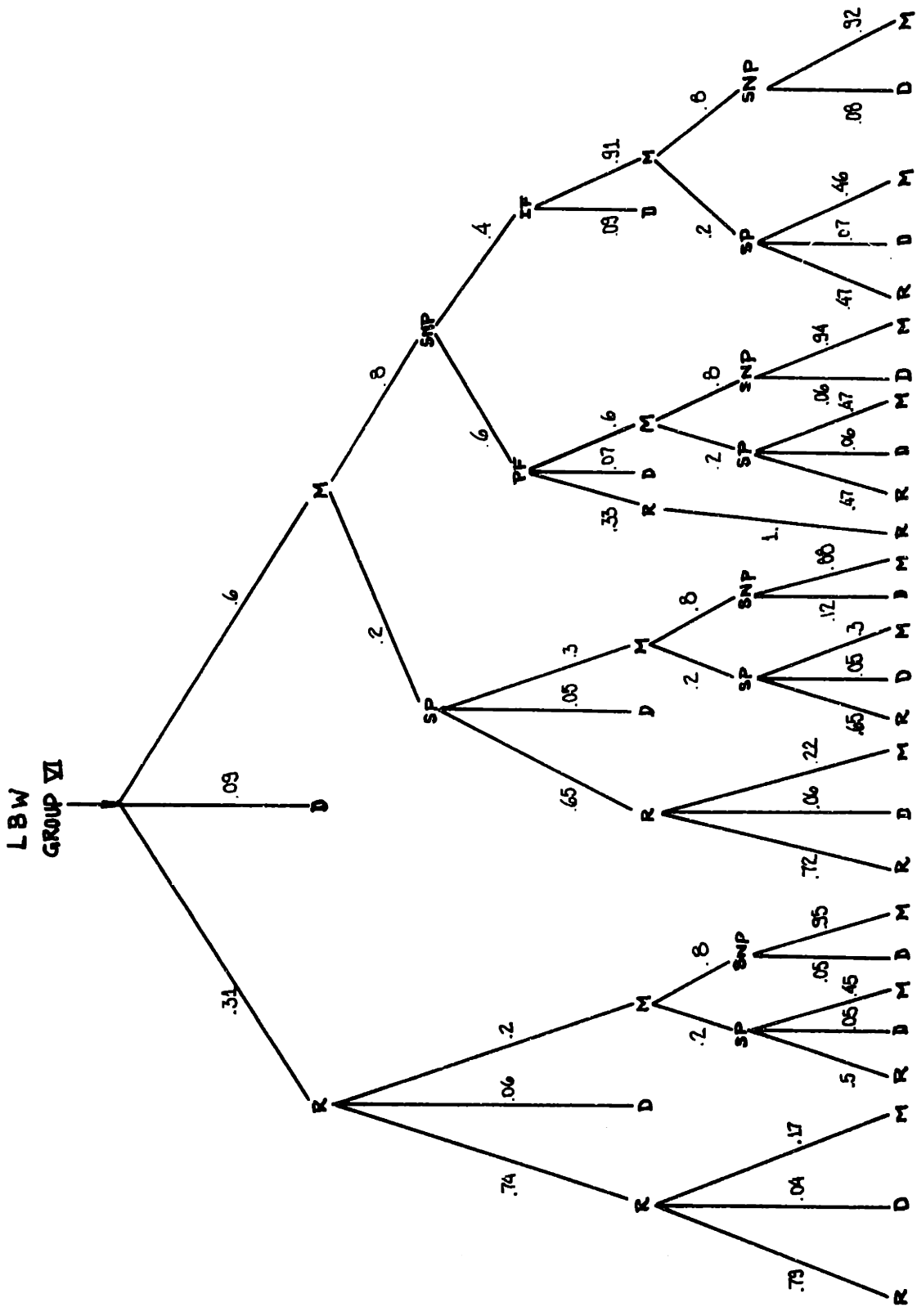


FIGURE 2.f

**LBW
GROUP VI**



-- 6 MONTHS --

-- 12 MONTHS --

-- 18 MONTHS --

FIGURE 23

**NBW
GROUP VII**

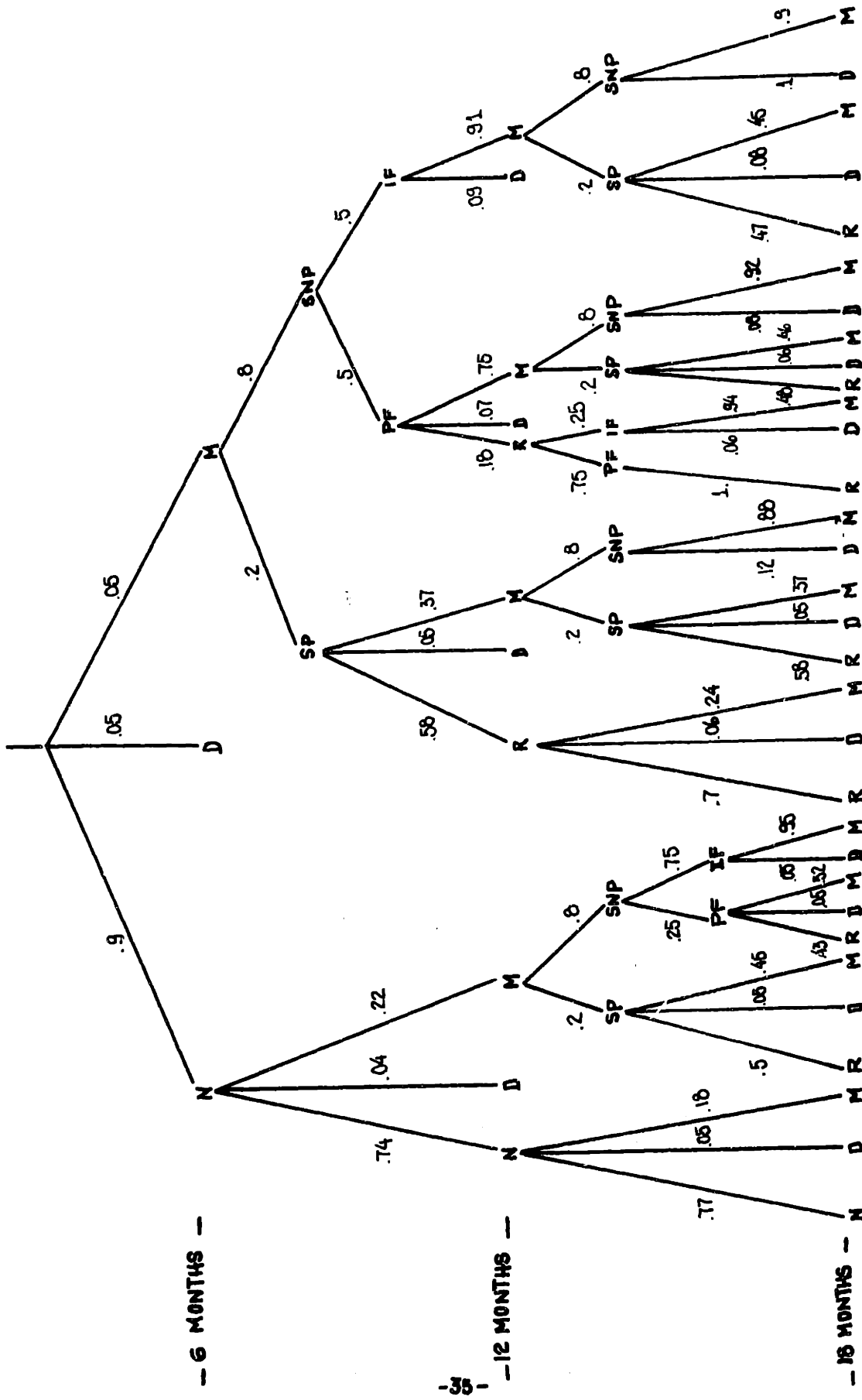


FIGURE 2 h

4.2 The Use of the N&H Model for the Cross-Sectional Evaluation of a Target Group under the Implementation of an N&H Program

Let us assume that a nutrition planning group wants to have semiannual evaluations of the number of malnourished children during the three year period of operation of a nutrition and health program. Let us further assume that their interest is in the number of malnourished children within a target group which consists of children between 0 and 18 months of age.

The question that arises is: How can this information be conveyed to them by making use of the longitudinal N&H model developed before? In order to meet this goal we first would have to be able to divide the target group (children with ages between 0 and 18 months) into separate cohorts whose evolutions we could describe by using the N&H model. We have assumed that we can do this by grouping the children born in one year into two cohorts; one born in January and the other born in July. We recognize that to be more accurate it would be necessary to define more than 2 cohorts per year, but we decided to use 2 in the preliminary approach for the sake of simplicity.

If we consider the target group to consist of children between 0 and 18 months, we can then say that at January of 1981 (arbitrarily assumed year), the cohorts that are in the target group are:

- | | |
|--|----------|
| (a) The cohort born in January of 1981 | cohort 1 |
| (b) the cohort born in July of 1980 | cohort 2 |
| (c) the cohort born in January of 1980 | cohort 3 |
| (d) the cohort born in July of 1979 | cohort 4 |

If we are interested in a cross-sectional evaluation of the malnourished children in the target group in January of 1981, we then have to add together the following groups:

- (a) the number of children of cohort 4 that are malnourished at 18 months
- (b) the number of children of cohort 3 that are malnourished at 12 months
- (c) the number of children of cohort 2 that are malnourished at 6 months
- (d) the number of children of cohort 1 that are malnourished at birth (low birth weight children).

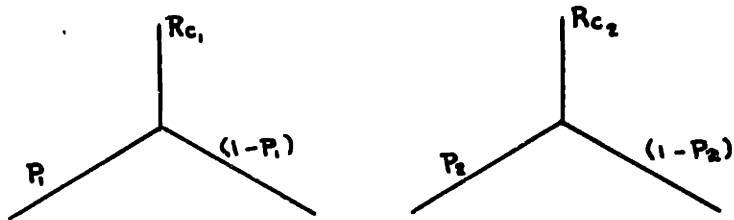
Notice that as time passes, new cohorts enter the target group while others leave it (e.g., in July of 1981 cohort 4 is no longer part of the target group and a new cohort enters the target group i.e. the cohort born in July of 1981).

Then, by taking cross-sectional evaluations periodically (in our case every six months) we can give the nutrition planner the semiannual picture that he is interested in. Given that we can supply the same structure of the N&H model to any cohort, the question that remains

is how to model the influence that the evolution of one cohort has on the subsequent cohorts. Several hypothesis could be argued about the way in which this influence occurs, but only one was used in the model for simplicity. We assumed that the benefits implicit in the improvement observed in the group of mothers reached by the initial coverage spread out through time to make potential mothers of future cohorts aware of the utility of being assisted by the program. This statement was translated into practical terms by saying that the probability of a certain mother being in the program during pregnancy for a given cohort is related to the number of mothers reached by the program during its previous history; for simplicity it was assumed that this probability is only a function of the number of pregnant mothers enrolled in the program during the preceding period. The implementation of this assumption, which is analogous to that in the mathematical theory of epidemics,⁶ is developed out of the following verbal statements: "the chance of any potential mother (pregnant women of the next cohort) being enrolled in the program during pregnancy is proportional to the number of mothers of the previous cohort enrolled in the program."

The mathematical derivation corresponding to this statement is based on the nomenclature stated in Figure 3.

FIGURE 3



R_{c_1} : Number of conceptions in a given cohort

R_{c_2} : Number of conceptions in subsequent cohort

P_1 : Probability that a given mother of a given cohort is enrolled in the program during pregnancy

P_2 : Probability that a given mother of the subsequent cohort is enrolled in the program during pregnancy

β : Contact rate

Then we can write the expression for the number of mothers of the subsequent cohort enrolled in the program during pregnancy as a function of the number of mothers of the initial cohort enrolled in the program during pregnancy:

$$P_2 \times R_{c_2} = P_1 \times R_{c_2} + \Delta\chi \quad (4.1)$$

where $\Delta\chi$ is the variation in the number of mothers enrolled in the program during pregnancy and is given by:

$$\Delta\chi = \beta \times R_{c_2} (P_1 \times R_{c_1}) \quad (4.2)$$

then substituting (4.2) in (4.1)

$$P_2 \times R_{c_2} = P_1 \times R_{c_2} + \beta \times R_{c_2} (P_1 \times R_{c_1})$$

or:

$$P_2 = P_1 \times (1 + \beta \times R_{c_1}) \quad (4.3)$$

This mathematical relation was implemented in the computer program of the N&H model in order to obtain the evolution of consecutive cohorts.

The cross-sectional evaluation at any given time can be performed by adding up the number of malnourished children, at that time, of all those cohorts that were born in a period between the given time and 18 months before this date. Performing this summation for every 6 month period gives the semiannual cross-sectional evaluation. If we start the cross-sectional evaluations at the beginning of the N&H program we have to consider there those cohorts already existing

which are within the target group age at that moment.

Furthermore, we should provide for the possibility that malnourished children of these cohorts be enrolled in the food supplementation program. This is carried out in the illustration below.

4.3 Illustration of the N & H Model and its Implementation for Cross-Sectional Evaluations

To illustrate the N&H model we considered the same hypothetical community used for the status quo model, as a reference. As a consequence, the probabilities of those branches of the N&H model corresponding to a situation of no involvement with the program were assigned the same values that had been given to their equivalents in the status quo model. This assumption seemed reasonable in order to state the invariability of the conditions for those who are not involved in the program in any matter. For the evaluation of the rest of the probabilities we faced the same sort of uncertainties experimented with the status quo model.

In order to obtain a self-consistent set of probabilities we agreed on a series of assumptions interrelating the probabilities. It was even more necessary to make this type of assumption in this illustration than for the status quo model, given that the N&H model is more than twice as big as the status quo model. The set of assumptions adopted are stated in the appendix, and we claim again that they should only be viewed as a guide for consistent estimation

of probabilities and by no means as a description of interrelations for a real case. Figures 2a to 2i contain the set of estimated values for the parameters of the first cohort used in this illustration.

Table 3 summarizes the aggregate results obtained for the evolution of a cohort of 10,000 children for which this set of probabilities apply. Notice that the initial coverage of the program is 20% for this case. In order to make it easier for the reader to understand this table, we list the definitions of the output variables printed by the computer program.

- M1 (K,L) Number of children of the cohort K whose mothers were in the program since pregnancy and who are malnourished at the L^{th} check.
- M0 (K,L) Number of children of the cohort K whose mothers were never in the program and who are malnourished at the L^{th} check.
- MS1(K,L) Number of children of the cohort K whose mothers were in the program during pregnancy and who are malnourished at the L^{th} check, in spite of having been provided with the supplement.
- MS0(K,L) Number of children of the cohort K whose mothers were not in the program during pregnancy and who are malnourished at the L^{th} check, in spite of having been provided with the supplement.

- R1 (K,L) Number of children of cohort K whose mothers were in the program during pregnancy and who recovered from malnutrition by the L^{th} check without the help of the supplement.
- R0 (K,L) Number of children of cohort K whose mothers were never in the program and who were recovered at check L without the help of the supplement.
- RS1(K,L) Number of children of cohort K whose mothers were in the program during pregnancy and who were found to be recovered at the L^{th} check with the help of the supplement.
- RSO(K,L) Number of children of cohort K whose mothers were not in the program and who were found recovered from malnutrition at the L^{th} check after being provided with the supplement.
- N1 (K,L) Number of children of cohort K whose mothers were in the program during pregnancy and who are normal at the L^{th} check.
- NO (K,L) Number of children of cohort K whose mothers were never in the program and are normal at the L^{th} check.
- D1 (K,L) Number of children of cohort K whose mothers were in the program during pregnancy and who died between checks (L-1) and L.

TABLE 3

K = 1

	B	6	12	18
	L=1	L=2	L=3	L=4
M1(K,L)	34.00	18.30	71.88	54.67
MS1(K,L)			0.49	7.00
N1(K,L)	1948.00	1924.96	1850.62	1793.45
D1(K,L)	18.00	6.16	8.05	12.98
R1(K,L)		32.58	28.98	27.14
RS1(K,L)			15.81	72.55
MO(K,L)	576.00	729.12	1579.36	1663.65
MSO(K,L)			12.86	156.36
NO(K,L)	7344.00	6669.12	5154.18	4485.09
DO(K,L)	80.00	400.80	213.87	238.37
RO(K,L)		120.96	131.37	181.37
RSO(K,L)			31.64	184.57

D0 (K,L) Number of children of cohort K whose mothers were never in the program and who died between checks (L-1) and L.

As it would be expected, we can see that the percentages of malnutrition and death for the evolution of this cohort under the N&H program are lower than what they would be if the cohort's evolution were under the status quo conditions.

Under the assumptions of the model, the number of mothers of every new cohort that are enrolled in the program during pregnancy is related to the number of mothers of the previous cohort enrolled in the program during pregnancy. (We have assumed that the services provided by the program can increase sufficiently fast to handle the increase in the demand). Then, in our case, the 20% of initial coverage provides the value of P_1 ($P_1 = 0.2$) which is necessary for the calculation of the coverage for the next cohort (P_2) as stated by Equation (4.3). Once this calculation is made, we are able to compute the results for the next cohort. This process is carried out automatically by the computer for all the cohorts that we specify. Given that we are interested in the semiannual cross-sectional evaluations during three years of operation of the program (since the beginning of it), it was necessary to have the longitudinal evolution of the 7 consecutive cohorts starting with the beginning of the program, plus the longitudinal evolution of the cohorts born 6, 12 and 18 months before the beginning of the program (providing the model with

the details that give those cohorts the chance of being provided with the food supplement at the moments of their evolutions when the program starts; i.e. making the probability of having the supplement, since the date of beginning of the program, different from zero).

Tables 4 to 9 summarize the results obtained for the 6 cohorts (each assumed to be of 10,000 children) that followed the one summarized in Table 3, while Tables 10 to 12 contain the results obtained for the cohorts born 18, 12 and 6 months before the beginning of the program, respectively.

Based on the information provided by the tables we then performed the semiannual cross-sectional evaluations of the number of malnourished children which appear in Table 13 and are graphically represented in Figure 4. This figure shows the decrease in the number of malnourished children after the operation of the N&H program with a 20% rate of initial coverage.

TABLE 4

	K = 2			
	B	6	12	18
	L=1	L=2	L=3	L=4
M1(K,L)	37.40	20.13	70.06	60.13
MS1(K,L)			0.54	7.70
N1(K,L)	2142.80	2117.45	2035.68	1972.79
D1(K,L)	19.80	6.78	8.86	14.28
R1(K,L)		35.84	31.88	29.86
RS1(K,L)			17.39	79.80
MO(K,L)	561.60	710.89	1539.88	1622.06
MSO(K,L)			12.54	152.45
NO(K,L)	7160.39	6502.39	5025.32	4372.96
DO(K,L)	78.00	390.78	208.52	232.41
RO(K,L)		117.94	128.09	176.84
RSO(K,L)			30.85	179.96

TABLE 5

	B	6	K = 3	
	L=1	L=2	L=3	L=4
M1(K,L)	41.14	22.14	86.97	66.15
MS1(K,L)			0.60	8.47
N1(K,L)	2357.08	2329.20	2239.25	2170.07
D1(K,L)	21.78	7.45	9.74	15.71
R1(K,L)		39.42	35.07	32.84
RS1(K,L)			19.13	87.78
MO(K,L)	545.76	690.84	1496.45	1576.31
MSO(K,L)			12.19	148.15
NO(K,L)	6958.44	6318.99	4883.59	4249.62
DO(K,L)	75.80	379.76	202.64	225.86
RO(K,L)		114.61	124.48	171.85
RSO(K,L)			29.98	174.88

TABLE 6

	B L=1	6 L=2	K = 4 12 L=3	18 L=4
M1 (K,L)	45.25	24.36	95.67	72.76
MS1 (K,L)			0.66	9.32
N1 (K,L)	2592.78	2562.12	2463.17	2387.07
D1 (K,L)	23.96	8.20	10.72	17.28
R1 (K,L)		43.36	38.58	36.13
RS1 (K,L)			21.04	96.56
MO (K,L)	528.34	668.79	1448.67	1525.98
MSO (K,L)			11.80	143.42
NO (K,L)	6736.29	6117.25	4727.67	4113.95
DO (K,L)	73.38	367.63	196.17	218.65
RO (K,L)		110.95	120.50	166.36
RSO (K,L)			29.02	169.30

TABLE 7

	K = 5			
	B	6	12	18
	L=1	L=2	L=3	L=4
M1(K,L)	49.78	26.79	105.23	80.04
MS1(K,L)			0.72	10.25
N1(K,L)	2852.06	2818.33	2709.49	2625.78
D1(K,L)	26.35	9.02	11.79	19.01
R1(K,L)		47.70	42.43	39.74
RS1(K,L)			23.15	106.22
MO(K,L)	509.17	644.52	1396.12	1470.63
MSO(K,L)			11.37	138.22
NO(K,L)	6491.91	5895.34	4556.17	3964.71
DO(K,L)	70.72	354.30	189.06	210.71
RO(K,L)		106.93	116.13	160.33
RSO(K,L)			27.07	163.16

TABLE 8

	K = 6			
	B L=1	6 L=2	12 L=3	18 L=4
M1(K,L)	54.76	29.47	115.76	88.04
MS1(K,L)			0.80	11.27
N1(K,L)	3137.26	3100.16	2980.44	2888.35
D1(K,L)	28.99	9.92	12.97	20.91
R1(K,L)		52.47	46.68	43.72
RS1(K,L)			25.46	116.84
MO(K,L)	488.09	617.84	1338.31	1409.73
MSO(K,L)			10.90	132.50
NO(K,L)	6223.11	5651.23	4367.52	3800.55
DO(K,L)	67.79	339.63	181.23	201.99
RO(K,L)		102.50	111.32	153.69
RSO(K,L)			26.81	156.40

TABLE 9

	K = 7			
	B L=1	6 L=2	12 L=3	18 L=4
M1(K,L)	60.23	32.42	127.33	96.85
MS1(K,L)			0.88	12.40
N1(K,L)	3450.99	3410.17	3278.48	3177.19
D1(K,L)	31.89	10.91	14.27	23.00
R1(K,L)		57.72	51.34	48.09
RS1(K,L)			28.01	128.52
MO(K,L)	464.90	588.48	1274.72	1342.75
MSO(K,L)			10.38	126.20
NO(K,L)	5927.42	5382.72	4160.00	3619.97
DO(K,L)	64.57	323.49	172.62	192.39
RO(K,L)		97.63	106.03	146.39
RSO(K,L)			25.54	148.97

TABLE 10

MO (K,L)	720.00	911.40	2444.92	2740.50
MSO (K,L)			0.00	0.00
NO (K,L)	9180.00	8336.39	6442.72	5606.36
DO (K,L)	100.00	501.00	301.66	325.11
RO (K,L)		151.20	209.70	286.28
RSO (K,L)			0.00	0.00

Cohort born 18 months before the start of the program

TABLE 11

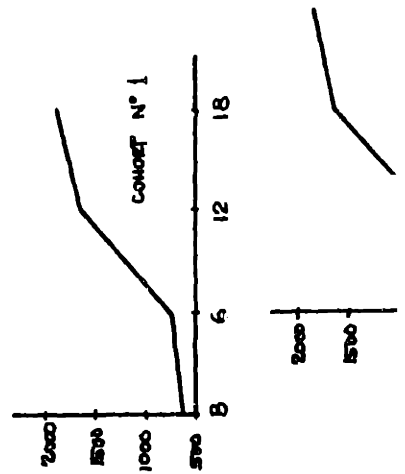
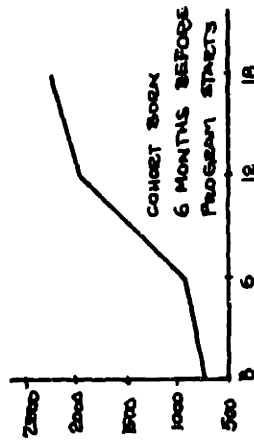
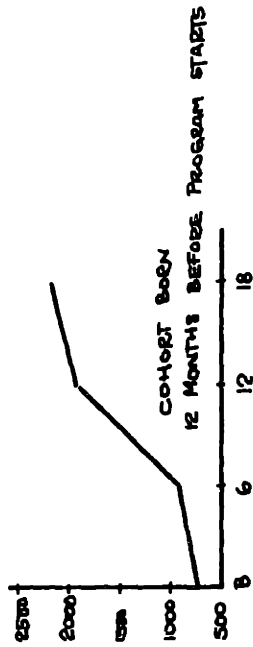
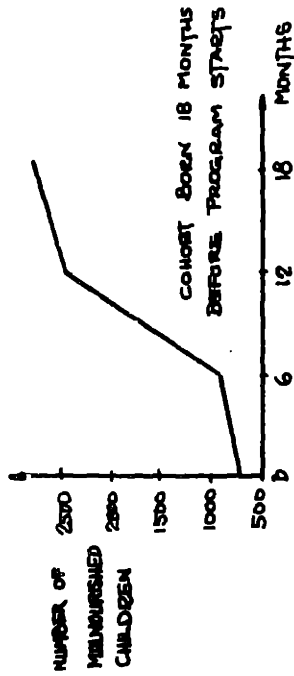
MO (K,L)	720.00	911.40	1907.29	2030.69
MSO (K,L)			0.00	166.21
NO (K,L)	9180.00	8336.39	6442.72	5606.36
DO (K,L)	100.00	501.00	260.81	387.92
RO (K,L)		151.20	169.57	232.54
RSO (K,L)			0.00	195.87

Cohort born 12 months before the start of the program

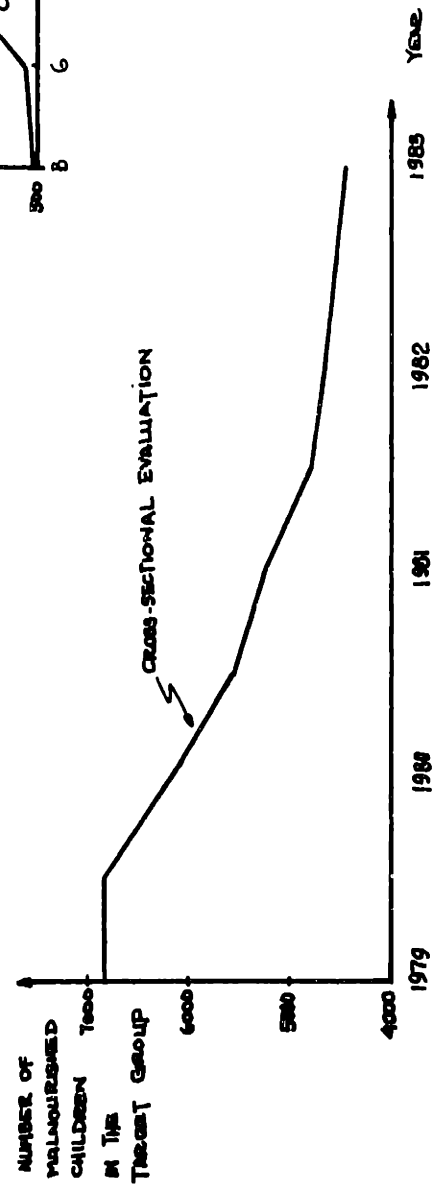
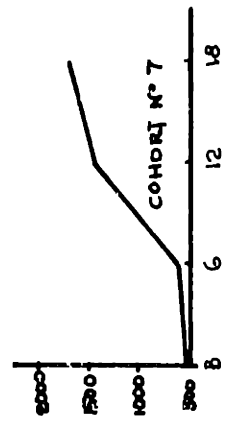
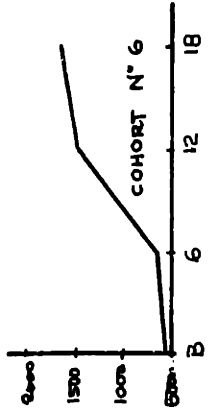
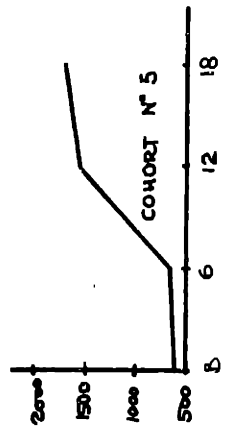
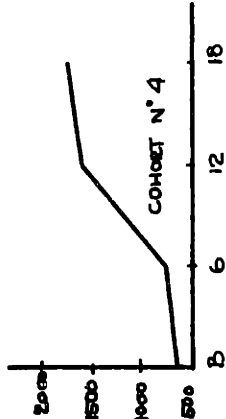
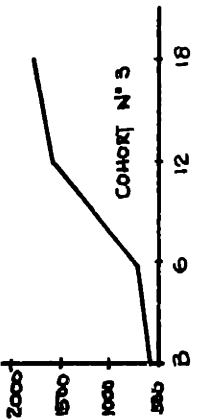
TABLE 12

MO (K,L)	720.00	911.40	1974.20	2079.56
MSO (K,L)			16.08	195.45
NO (K,L)	9180.00	8336.39	6442.72	5606.36
DO (K,L)	100.00	501.00	267.34	297.96
RO (K,L)		151.20	164.22	226.71
RSO (K,L)			39.55	230.72

Cohort born 6 months before the start of the program



THE PROGRAM STARTS.



5. Concluding Remarks and Suggestions for Future Work

This preliminary attempt allowed us to explore the possibilities of employing a detailed simulation model to aid the nutrition planner in consideration of the design of nutrition and health programs for pre-school children. A principal attribute of the approach is that it is capable of providing both the longitudinal and cross-sectional views of the target group.

Two major types of assumptions have to be made in the stages of design and implementation of a model of this type for its use in the analysis of a specific community; these are the assumptions relative to the estimation of parameters of the model (probabilities) and the assumptions relative to the structure of the model itself.

The assumptions relative to the estimation of probabilities are of both quantitative and qualitative nature, and they arise out of the conviction that the application of a model of this type cannot be fully based on actual data because it would require very expensive, careful and detailed studies. The setting of these assumptions requires a very deep understanding of the situation considered, because they are mainly responsible for the fidelity of the results of the model to the actual system behavior. Although it was not the objective of this thesis, it is worthwhile to emphasize the important role that the setting of these assumptions play in

both the calibration of the model and its later use for studying different programs for a specific community. However, there will still be many probabilities to be determined from detailed field studies which, given their number and the high costs implicit in their determination, remain as the biggest challenge for the application of these types of models. There is the hope that longitudinal studies will be more frequent in the near future, and the parallel design and implementation of a model of this type is suggested as a subject of further research.

The assumptions relative to the structure of the model itself are also important because they affect the reliability of the results as well as the usefulness of the model to the nutrition planner. We want to discuss here some of the assumptions made for the structure of this model and their limitations in order to recommend possible orientations for future work:

(a) The separation of the number of children born in one year into two cohorts that are six months apart does not seem to lead to homogeneous groups in what refers to age differences. This factor is very important because it involves the whole spirit of the longitudinal studies approach. We feel that an extension of the work to consider one month intervals rather than six month intervals would be an interesting orientation for future work.

(b) The assumption of 0 to 18 months for the range of age for the target group does not cover the entire vulnerable period. This factor is also very important because it is expected that in certain areas the vulnerable period reaches up to 3 years of age. The extension of the target group is directly related to the level of complexity of the structure of the model not only because of the incredibly large rate of growth of the structure in itself, but also because of the implications of required computations for aggregated results. This tends to be a common problem in almost all systems studies, and it is a major challenge to the ingenuity of the analyst. It is suggested that a study of the possibility of extension of the target group range of age be a subject of further work.

(c) The assumption that the only positive feedback in the model resides in the probability for a mother of being in the program during pregnancy, seemed reasonable at the beginning because of the extremely important role that this factor plays in the child's evolution. We now believe, however, that there might be other important factors not emphasized by us in this preliminary work and which might be the subject of interest of nutrition planners. Therefore, we wish to point out that other types of feedback could be implemented to account for influences of the program on consecutive cohorts.

REFERENCES

1. A. Berg, N.S. Scrimshaw and D. Call (eds.), Nutrition, National Development and Planning, MIT Press, 1973.
2. A. Berg, The Nutrition Factor, The Brookings Institution, 1973.
3. L. Mata, Analysis of Data from an Ecological Study of Infection, Malnutrition, and Growth of Children in a Guatemalan Indian Village, Progress Report, November 1, 1972-January 31, 1973.
4. K. Sarris, An Approximate Analytical Model for Estimating the Effectiveness of a Food Supplementation Program in El Salvador, Master of Science Thesis, MIT.
5. E. D. Beghin and F. Viteri, Nutritional Rehabilitation Centers: A. Evaluation of Their Performance (to be published).
6. N. Bailey, The Elements of Stochastic Processes, John Wiley & Sons, Inc., 1964.

APPENDICES

A.1 Assumptions Used in the Estimation of Probabilities for the Status Quo Model Illustration

As stated in Section 3, the following set of assumptions are only to be viewed as an aid for the determination of a self-consistent set of probabilities:

a) Figure 1a assumes that the nutritional outcome at birth is dependent on the mother's status. To evaluate the corresponding probabilities we have assumed that children whose mother's status are deficient have a 25% higher probability of low birth-weight than children whose mothers are well nourished. A similar assumption is made for the probability of death at birth. Based on these 2 assumptions and the requirement that the sum of the probabilities of occurrence of all possible events must add up to one^{*}, one can derive the set of probabilities corresponding to deficient mother's status from his evaluation of the probabilities for the case of satisfactory mother's status, or vice versa. Figure 5 will be of help for the mathematical illustration of the statement.

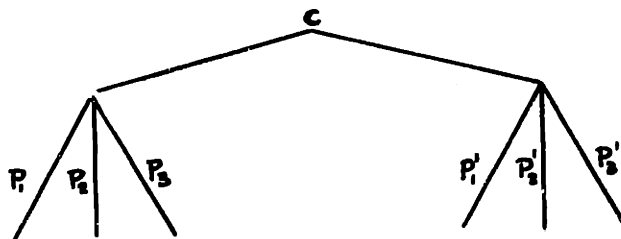


FIG. 5

^{*} this statement always holds

It translates into:

$$P_3' = 1,25 P_3$$

$$P_2' = 1,25 P_2$$

$$P_1' = 1 - P_2' - P_3' = 1 - 1,25 (P_2 + P_3) = 1 - 1,25 (1 - P_1)$$

$$P_1' = 1,25 P_1 - 0,25$$

- b) For the cases of children with normal birth weight (Groups I and IV, Figures 1b and 1d respectively), the probability of becoming malnourished during the first six months is 20% higher for those having mothers whose status is deficient than for those having mothers whose status is satisfactory. A similar assumption is made for the probability of death and again the probability of continuing normal is readily determined from the requirement that the sum of probabilities of all possible events be equal to one.
- c) For the case of children with low birth weight, the probability of becoming malnourished during the first six months is 20% higher for those having mothers whose status is deficient than for those having mothers whose status is satisfactory. A similar assumption is also made for the probability of death. The probability of recovery is again easily obtainable.
- d) For a child that has had proper food and recovers, the probability of having improper food is half what it was in the first time.

e) For a normal birth weight child that becomes malnourished for the first time at 12 months, and whose mother had a deficient status, the probability of having improper food is 50% higher than the probability of having improper food for a child that becomes malnourished for the first time at 6 months. The ground for this assumption is that in the second case the malnutrition could be developed out of deficiencies in the mother's milk or in the quantities provided; while in the first case, the child has had a considerable food intake and the fact that he has evolved from a normal state to a malnourished one supports the belief that this probability of improper food intake is bigger. The 1.5 factor is only one assumption as valid as any other one that could have been made.

f) For a child whose mother's status is deficient and has been normal during all her history, the probability of becoming malnourished at 18 months is 20% lower than it was at 12. The same assumption is made for the probability of death.

g) For normal birth weight children, in comparing children malnourished at 6 months, the probability of becoming malnourished after having proper food, in the case of mothers with deficient status, is 50% higher than for the case of mothers with acceptable nutritional status.

h) For a low birth weight child that is malnourished at 6 months, the probability of continuing to be malnourished at 12 months, in spite

of having proper food, is 20% higher than the corresponding probability for a normal birth weight child.

i) Children with a low birth weight will have twice as high a probability of becoming malnourished, during the first six months, as the children with normal birth weight.

j) The probabilities of becoming malnourished at 12 months for children that have not been malnourished at 6, increase as a function of their past history in what relates to having had low birth weight and mothers with deficient status.

A.2 Assumptions Used in the Estimation of Probabilities for the N and H Model Illustration

a) The status quo model is embedded in the N&H model in such a manner that those children who do not have any contact with the program will have the same rates of malnutrition, death, etc. as in the status quo model.

The following relations are assumed for low birth weight children who are malnourished at 6 months and whose mothers were not in the program during pregnancy.

b) The probability of continuing to be malnourished during the 6-12 month period is one half as high for children receiving the supplement as it is for children receiving proper food but no supplement.

c) The probability of continuing to be malnourished after receiving the supplement for a second period is the same as it was for this child when receiving the supplement for the first time.

d) For a child who is malnourished at both 6 and 12 months, the effect of receiving the supplement only after 12 months is to decrease the probability of malnutrition and death to one half of the case of a child who never receives the supplement.

The following relations are assumed to apply to children whose mothers were in the program during pregnancy:

e) The probability of a malnourished child to receive the supplement

equal to 0.8 at all levels.

f) For the normal birth weight children, the probability of having improper food at any level is half of what it would be for the corresponding branch of the no program tree.

g) For the normal birth weight children whose mothers had deficient status during pregnancy, the effect of proper food is to have a conditional probability of malnutrition equal to half of its value in the best case of those when the mothers are not in the program during pregnancy.

h) For the low birth weight children, the probability of becoming malnourished for the first time at 12 months is equal to half of what it would be if the mother had not been in the program during pregnancy.

i) For the low birth weight children whose mothers have satisfactory nutritional and health status, the probability of having improper food after 6 months is half of what it is for the corresponding branch in the tree of the normal birth weight children whose mother was deficient.

A.3 Computer Program Specifications for the Direct Use

The program was run on the IBM 360/165 located at the Information Processing Center at MIT. The job run time was about .142 minutes and the system residence time was 3 minutes. The total charge per run was in the order of \$4.

The computer program was written based on Figures 6a to 6i instead of Figures 2a to 2i. (Both sets of figures are equivalent with differences only in the order of paths). Therefore, in order to use the computer program one has to reallocate the values estimated for the branches of Figures 2a to 2i to their corresponding branches in Figures 6a to 6i. The input to the computer program is formed by the value of the rate of conception and the values of the probabilities. The ordering and format to be used for the probabilities are specified by the READ statements in the computer listing. The general nomenclature for the probabilities is $P_{ij}(k,l)$ and it is fully described in part b).

Additional Information

This section describes the arrays defined for the implementation of the program. They are:

$P_{ij}(k,l)$: (defines for the probabilities). Is a set of 2 by 2 arrays, where i, j, k and l are variable numbers which vary according to the particular branch considered. The meaning of each subscript is

explained below:

i : varies from 0 to 8, and defines the "basic group" in which the particular probability is located. Group 0 corresponds to that part of the tree before it branches out to the main 8 groups. Numbers 1 to 8 correspond to each one of these 8 groups.

j : varies from 1 to 9. It defines the "stage of decision" in the tree to which the particular probability corresponds. It locates the coefficient in the vertical direction.

k : it defines the number of the decision within a particular basic group, at a given level j .

These decisions are numerated from left to right.

l : defines the branch of the particular decision to which the particular probability corresponds.

Several arrays were defined to account for the several categories to which a particular child might correspond at any particular check-point (birth, 6, 12 and 18 months). The names of these arrays and their meanings are stated below:

R : number of children that

(a) recovered during the last interchecking period without supplement's help, or

(b) recovered in the same way before the last period and did not get malnourished up to the present check.

RS : number of children that

- (a) recovered with supplement's help during the currently finished interchecking period, or
- (b) recovered with supplement's help before the currently finished interchecking period and did not get malnourished up to the present check.

M : number of children that are found malnourished in the currently referred check, and have never made use of the supplement.

MS : number of children that having been exposed to the supplementation program (have had the supplement), are again found malnourished in the present check.

N : number of children that are found to be normal in the present check.

D : number of children that died during the last interchecking period.

The dimensions of these arrays and the explanation of the subscripts are given below:

R (i, j, k, l, m)

i : defines the number of the main group $i = 1, 2, \dots, 8$

j : defines the number of the interchecking period with which we are concerned $j = 2, 3, 4$

k : indicator of whether or not the mother is in the program during pregnancy $k = 1 \rightarrow$ mother is; $k = 2 \rightarrow$ mother is not.

l : number of times that a child has been found malnourished
including the present check l = 1,2

m : number of times that the child has been declared
recovered including the result of the present check
m = 1, 2, 3.

When there was more than one box corresponding to a specific set of values for i, j, k, l, and m, we defined a new array of only one dimension whose name was given by the corresponding values of i, j, k, l, and m (e.g., Rijklm(n)).

Where the subindex n was defined to increase from left to right in Figures 6a to 6i.

RS (i, j, k, l, m)

i : defines the number of the group i = 1, 2, 8

j : defines the number of the checking period with which we are concerned j = 2, 3, 4

k : indicator of whether or not the mother is in the program during pregnancy k = 1, 2

l : number of times that a child has been found malnourished including the present time l = 1, 2, 3

m : number of times that a child has been declared recovered including the result of the present check m = 1, 2

When there was more than one box corresponding to a specific set of values for i, j, k, l, and m we used the same procedure that we used for the R arrays. The only difference is that instead of calling

the new array RS ijklm (n), we call it H ijklm (n) (we use H instead of RS because the computer program does not accept a name of variable with more than 6 characters.

M (i, j, k, l, m)

i : number of the group i = 1, 2, 8

j : number of the checking period with which we are concerned
j = 2, 3, 4

k : indicator of whether or not the mother is in the program
during pregnancy k = 1, 2

l : number of times that the child has been found malnourished
including present check l = 1, 2, 3, 4

m : number of times that he has been declared recovered including
the result of the present check m = 1, 2, 3

(3 stands for no times. It is done in this way because the computer does not accept a subscript equal to zero).

The same procedure as before is used when there is more than one box with the same set of values for i, j, k, l, and m. The new arrays are called M ijklm (n).

MS (i, j, k, l, m)

i : number of the group i = 1, 2, 8

j : number of the checking period j = 2, 3, 4

k : indicator of whether or not the mother is in the program
during pregnancy k = 1, 2

l : number of times the child has been found malnourished
 including present check $l = 2, 3, 4$
 m : number of times that they have been declared recovered
 including the result of the present check $m = 1, 2$
 (2 stand for 0 times, because the computer doe not accept
 a subscript equal to zero).

Again, the same procedure as before is used when there is more than
 one box with the same set of values for i, j, k, l , and m . The new
 arrays are called $V_{ijklm}(n)$ instead of $MS_{ijklm}(n)$, for the same
 reasons stated for the case of RS .

$N(i, j, k)$

i : number of the group $i = 1, 2, \dots, 8$

j : indicator of whether or not the mother is in the program
 during pregnancy $j = 1, 2$

k : number of the checking period $k = 2, 3, 4$

$D(i, j, k)$

i : number of the group $i = 1, 2, \dots, 8$

j : indicator of whether or not the mother is in the program
 during pregnancy $j = 1, 2$

k : number of the checking period $k = 2, 3, 4$

When there is more than one box corresponding to a specific set of
 values of i, j , and k , we define a new variable $D_{ijk}(l)$ (where l
 stands for the number of the box from left to right).

ABBREVIATIONS

- C = CONCEPTION
- MIP = PREGNANT WOMEN IN THE PROGRAM
- MIP = PREGNANT WOMEN NOT IN THE PROGRAM
- MNA = PREGNANT WOMEN WITH SATISFACTORY NUTRITIONAL AND HEALTH STATUS
- MND = PREGNANT WOMEN WITH DEFICIENT NUTRITIONAL AND HEALTH STATUS
- NBW = CHILDREN WITH NORMAL BIRTH WEIGHT
- UBW = CHILDREN WITH LOW BIRTH WEIGHT
- DIO = CHILDREN WHO DIE
- DOO = CHILDREN WHO DIE

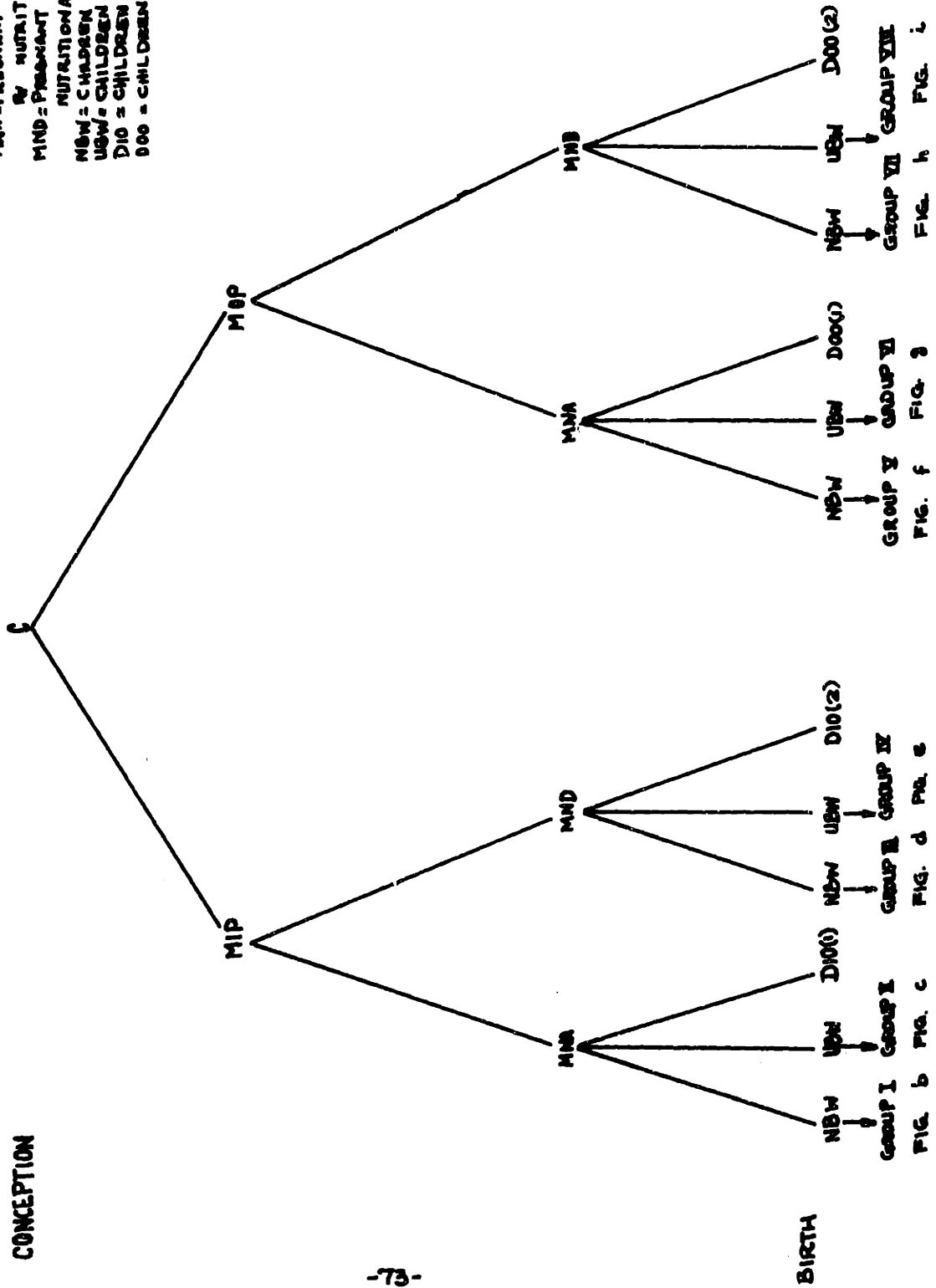


FIGURE 6 C.

ABBREVIATIONS

NBW = CHILDREN WITH NORMAL BIRTH WEIGHT

N = NORMAL CHILDREN

M = MALNOURISHED CHILDREN

R = CHILDREN WHO RECOVER

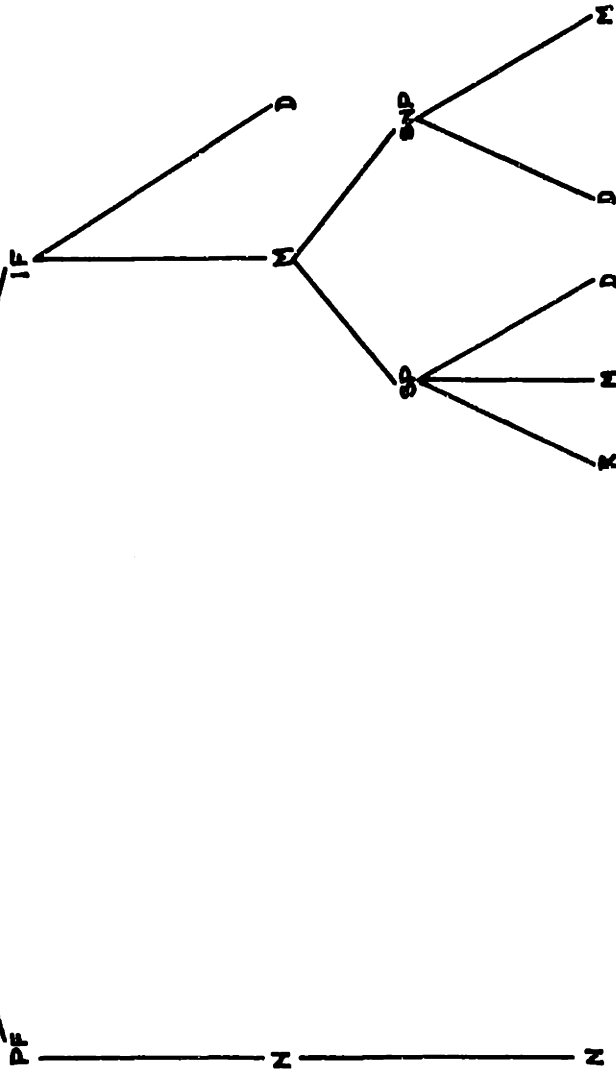
D = CHILDREN WHO DIE

SP = SUPPLEMENT IS PROVIDED

SNP = SUPPLEMENT IS NOT PROVIDED

**NBW
GROUP I**

6 MONTHS



12 MONTHS

18 MONTHS

FIGURE 6b

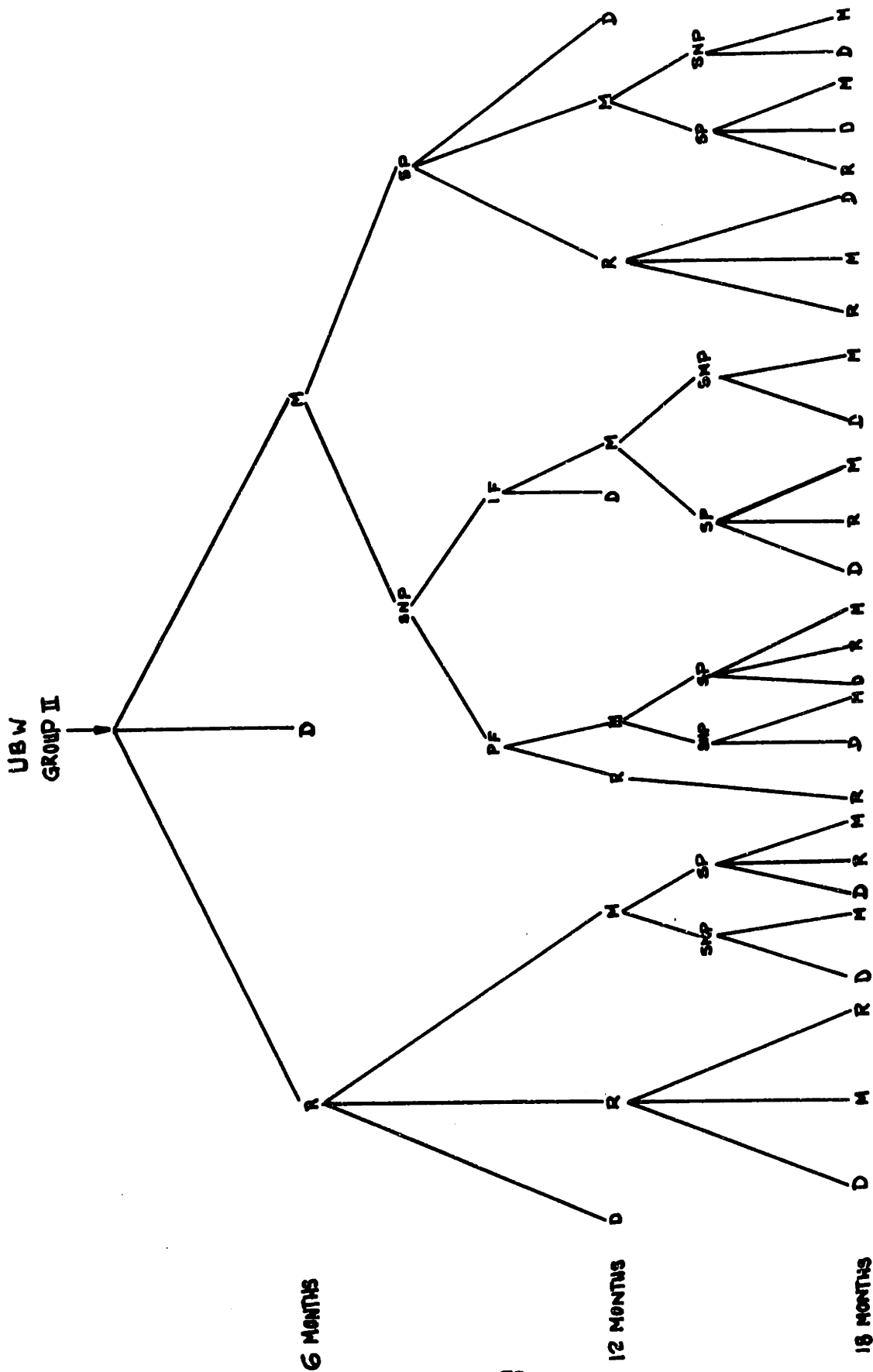


FIGURE 6c

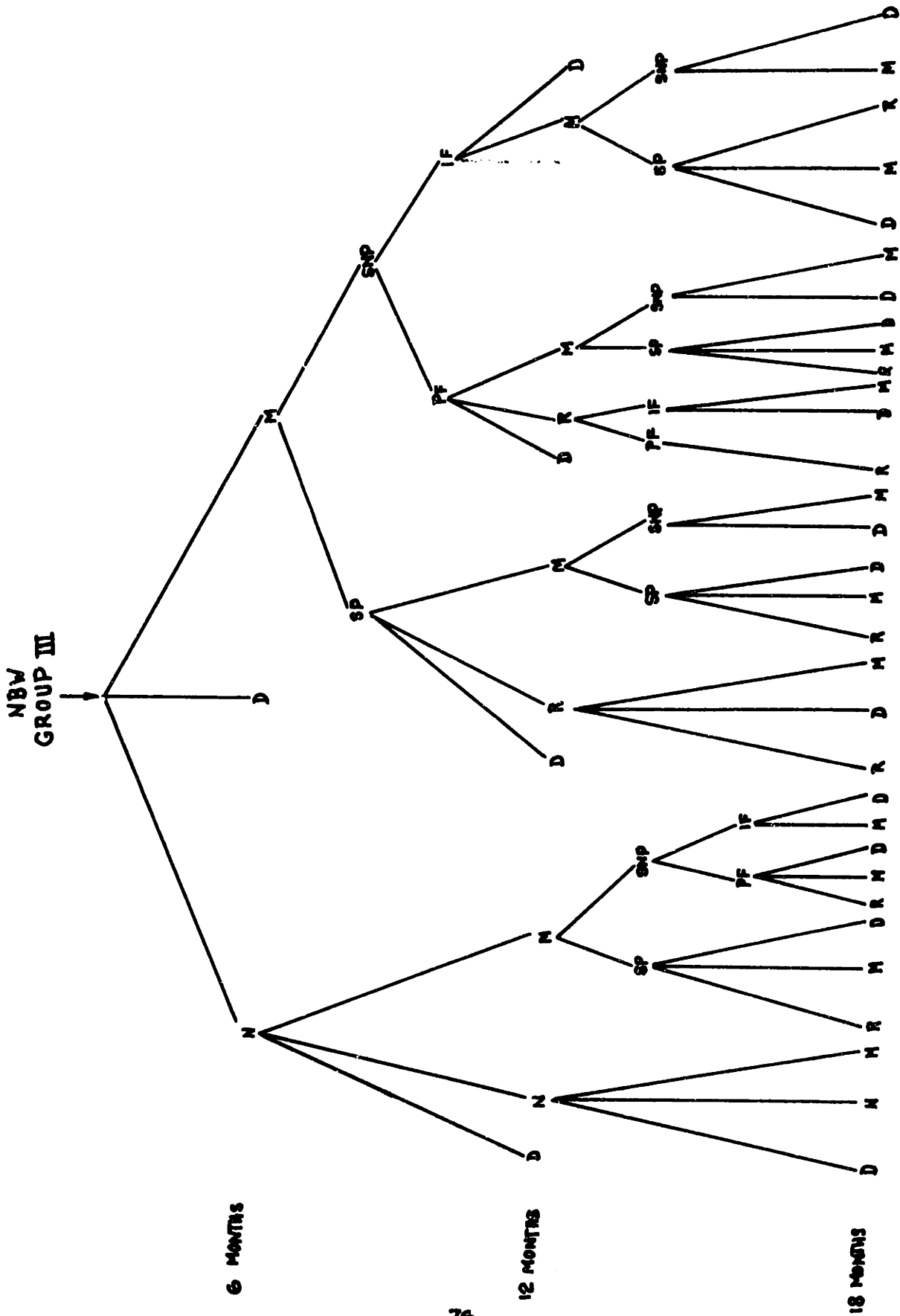


FIGURE 6d

**NBW
GROUP V**

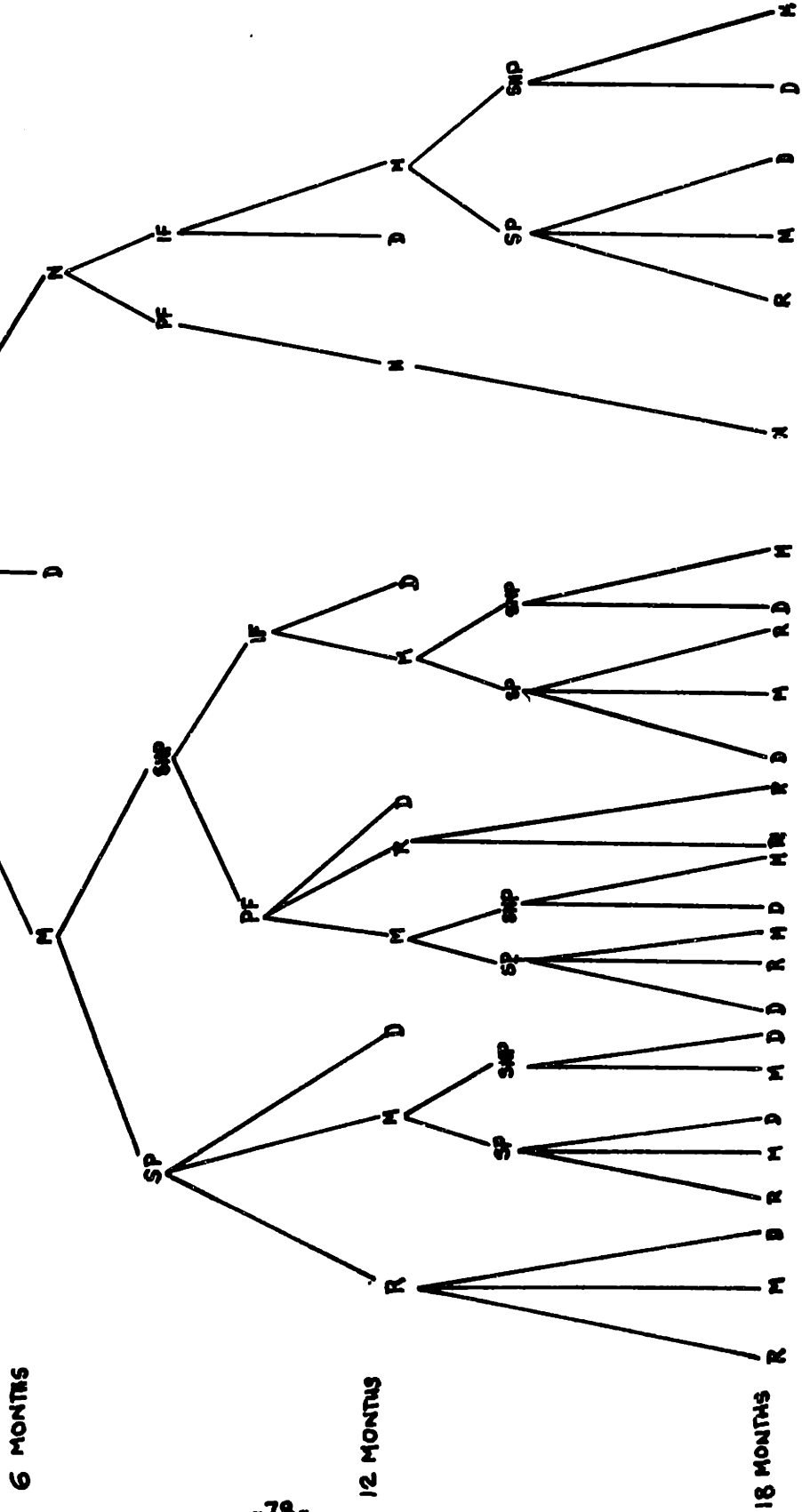


FIGURE 6 f

6 MONTHS

12 MONTHS

18 MONTHS

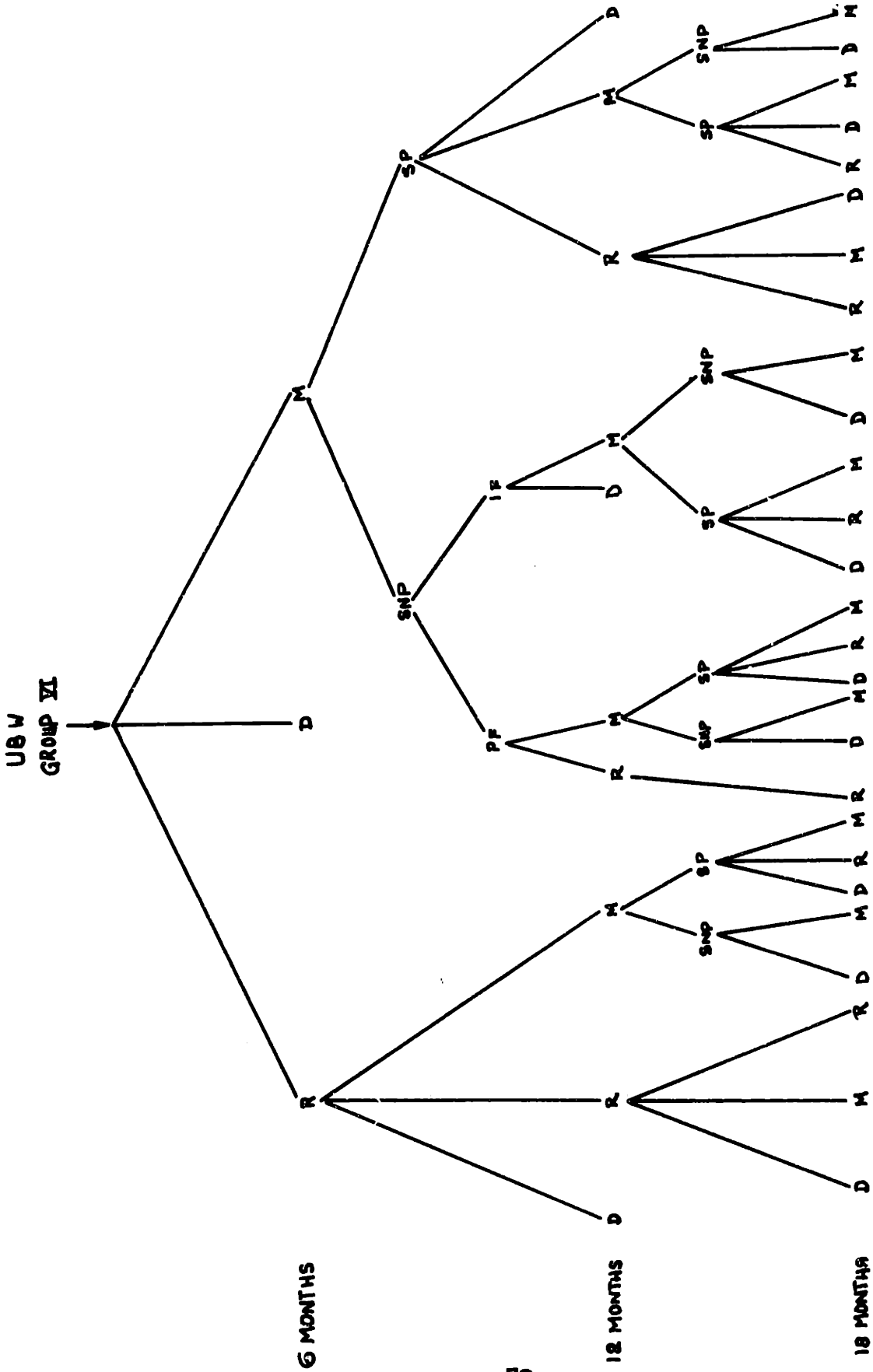


FIGURE 69

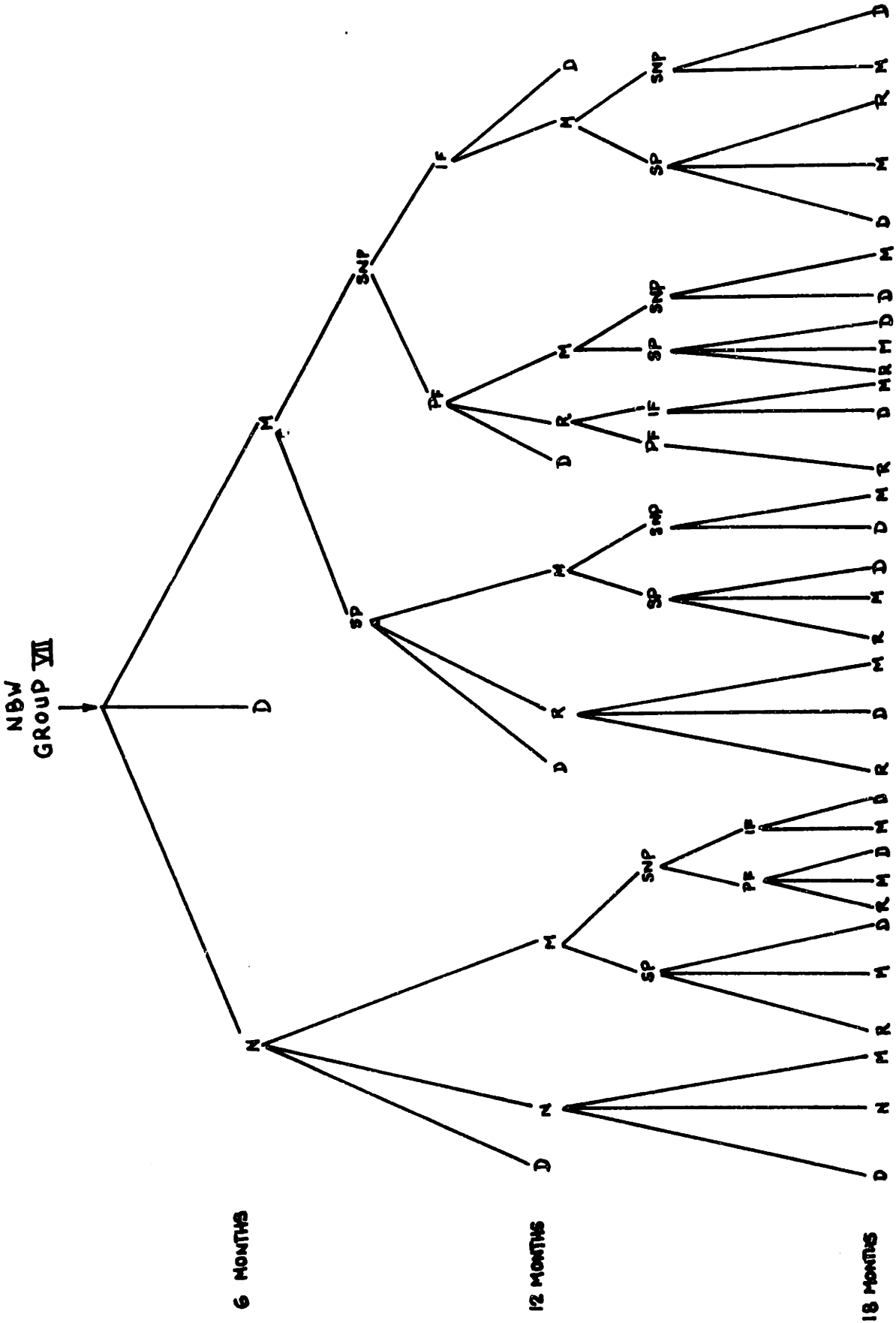


FIGURE 6 h

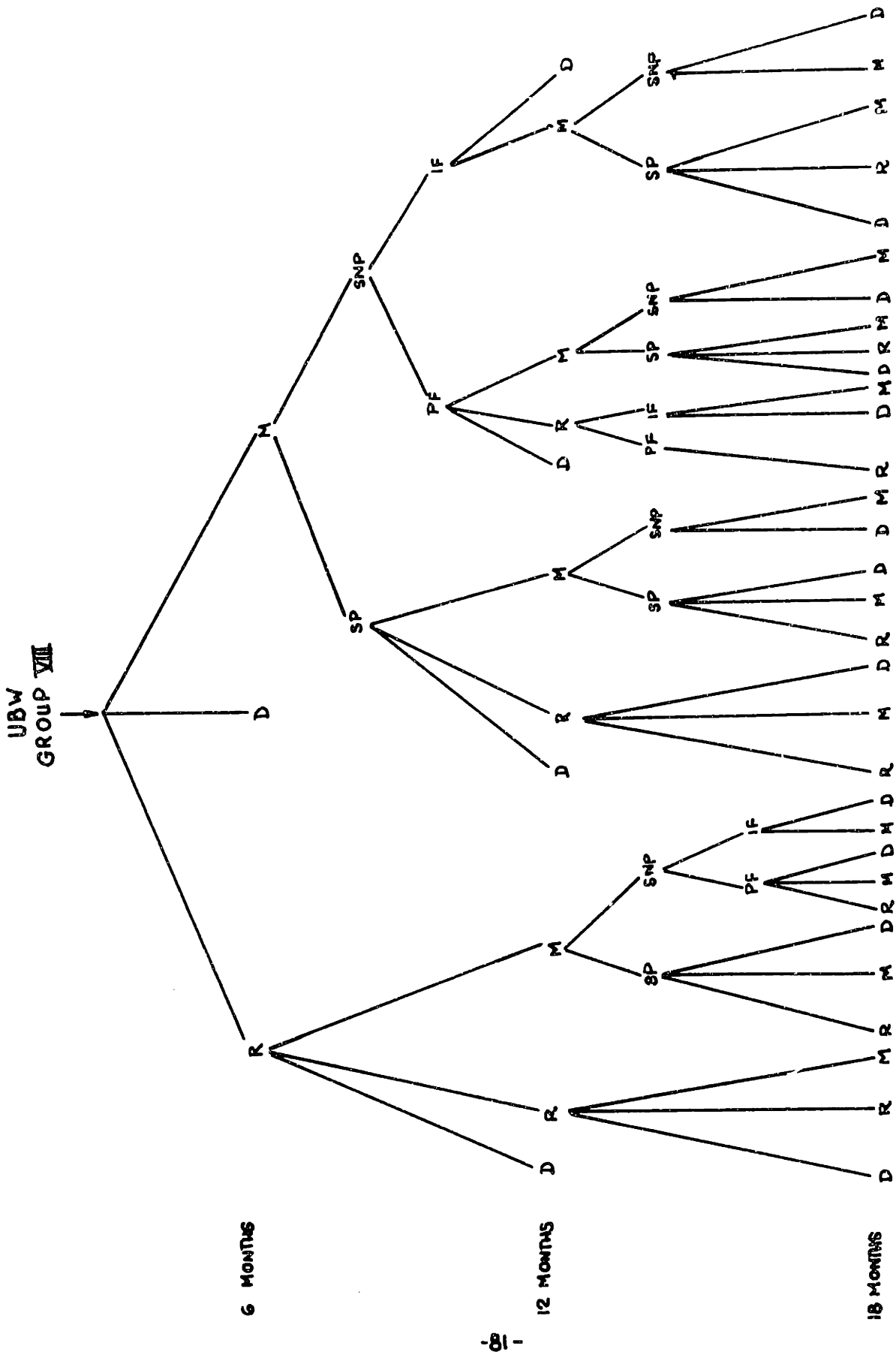


FIGURE 6 A

REAL M1(7,4),MO(7,4),MSI(7,4),MSO(7,4),NI(7,4),NO(7,4)
 REAL NBW1,NBW3,NBW5,NBW7
 REAL M(8,4,2,4,3),M23130(2),M24140(2),M33120(2),M34120(2),M34130(2)
 1),M43130(2),M44131(3),M44140(2),M53020(2),M54030(2),M63030(2),M640
 240(2),M73020(2),M74020(2),M74030(2),M83030(2),M84031(3),M84040(2),
 3MS(8,4,2,4,2),N(8,2,4)
 DIMENSION R1(7,4),R0(7,4),RS1(7,4),RS0(7,4),D1(7,4),D0(7,3),D10(2)
 1,DOO(2),DIGTOT(7),DOOTOT(7)
 DIMENSION P01(1,2),P02(2,2),P03(4,3),P14(1,2),P15(2,2),P16(2,2),P1
 27(2,3),P24(1,3),P25(2,3),P26(4,3),P27(6,3),P28(5,3),P29(4,3)
 DIMENSION P34(1,3),P35(2,3),P36(4,3),P37(6,3),P38(7,3),P39(6,3),P4
 14(1,3),P45(2,3),P46(4,3),P47(6,3),P48(7,3),P49(6,3),P54(1,3),P55(2
 2,2),P56(4,3),P57(6,3),P58(7,3),P59(4,3)
 DIMENSION P64(1,3),P65(2,3),P66(4,3),P67(6,3),P68(5,3),P69(4,3),P7
 14(1,3),P75(2,3),P76(4,3),P77(6,3),P78(7,3),P79(6,3),P84(1,3),P85(4
 2,3),P86(4,3),P87(6,3),P88(7,3),P89(6,3)
 DIMENSION R84122(2),R84022(2),H24122(2),H24131(3),H34121(3),H44122
 1(2),H44131(3),H54021(3),H64022(2),H74021(3),H64022(2),H84031(3)
 DIMENSION R(8,4,2,2,3),R44122(2),R44022(2),RS(8,4,2,3,2),V24131(2)
 1,V24140(4),V34130(4),V44131(2),V44140(4),V54030(4),V64031(2),V6404
 20(4),V74030(4),V84031(2),V84040(4),D(8,2,3),H64031(3)
 DIMENSION D113(2),D212(4),D213(10),D312(4),D313(12),D412(4),D413(1
 12),D502(4),D503(9),D602(4),D603(10),D702(4),D703(12),D802(4),D803(
 212)

READ(5,888)RC

888 FORMAT(F10.2)

READ(5,100)P01

100 FORMAT(2F4.2)

READ(5,101)((P02(I,J),J=1,2),I=1,2)

101 FORMAT(4F4.2)

READ(5,102)((P03(I,J),J=1,3),I=1,4)

102 FORMAT(12F4.2)

READ(5,100)P14

READ(5,101)((P15(I,J),J=1,2),I=1,2)

READ(5,101)((P16(I,J),J=1,2),I=1,2)

READ(5,103)((P17(I,J),J=1,3),I=1,2)

NUTR0001
 NUTR0002
 NUTR0003
 NUTR0004
 NUTR0005
 NUTR0006
 NUTR0007
 NUTR0008
 NUTR0009
 NUTR0010
 NUTR0011
 NUTR0012
 NUTR0013
 NUTR0014
 NUTR0015
 NUTR0016
 NUTR0017
 NUTR0018
 NUTR0019
 NUTR0020
 NUTR0021
 NUTR0022
 NUTR0023
 NUTR0024
 NUTR0025
 NUTR0026
 NUTR0027
 NUTR0028
 NUTR0029
 NUTR0030
 NUTR0031
 NUTR0032
 NUTR0033
 NUTR0034
 NUTR0035
 NUTR0036

```

103 FORMAT(6F4.2)
    READ(5,104)P24
104 FORMAT(3F4.2)
    READ(5,103)((P25(I,J),J=1,3),I=1,2)
    READ(5,105)((P26(I,J),J=1,3),I=1,4)
105 FORMAT(12F4.2)
    READ(5,106)((P27(I,J),J=1,3),I=1,6)
106 FORMAT(18F4.2)
    READ(5,107)((P28(I,J),J=1,3),I=1,5)
107 FORMAT(15F4.2)
    READ(5,105)((P29(I,J),J=1,3),I=1,4)
    READ(5,104)P34
    READ(5,103)((P35(I,J),J=1,3),I=1,2)
    READ(5,105)((P36(I,J),J=1,3),I=1,4)
    READ(5,106)((P37(I,J),J=1,3),I=1,6)
108 FORMAT(20F4.2)
    READ(5,108)((P38(I,J),J=1,3),I=1,7)
    READ(5,106)((P39(I,J),J=1,3),I=1,6)
    READ(5,104)P44
    READ(5,103)((P45(I,J),J=1,3),I=1,2)
    READ(5,105)((P46(I,J),J=1,3),I=1,4)
    READ(5,106)((P47(I,J),J=1,3),I=1,6)
    READ(5,108)((P48(I,J),J=1,3),I=1,7)
    READ(5,106)((P49(I,J),J=1,3),I=1,6)
    READ(5,104)P54
    READ(5,101)((P55(I,J),J=1,2),I=1,2)
    READ(5,105)((P56(I,J),J=1,3),I=1,4)
    READ(5,106)((P57(I,J),J=1,3),I=1,6)
    READ(5,108)((P58(I,J),J=1,3),I=1,7)
    READ(5,105)((P59(I,J),J=1,3),I=1,4)
    READ(5,104)P64
    READ(5,103)((P65(I,J),J=1,3),I=1,2)
    READ(5,105)((P66(I,J),J=1,3),I=1,4)
    READ(5,106)((P67(I,J),J=1,3),I=1,6)
    READ(5,107)((P68(I,J),J=1,3),I=1,5)
    READ(5,105)((P69(I,J),J=1,3),I=1,4)

```

```

NUTR0037
NUTR0038
NUTR0039
NUTR0040
NUTR0041
NUTR0042
NUTR0043
NUTR0044
NUTR0045
NUTR0046
NUTR0047
NUTR0048
NUTR0049
NUTR0050
NUTR0051
NUTR0052
NUTR0053
NUTR0054
NUTR0055
NUTR0056
NUTR0057
NUTR0058
NUTR0059
NUTR0060
NUTR0061
NUTR0062
NUTR0063
NUTR0064
NUTR0065
NUTR0066
NUTR0067
NUTR0068
NUTR0069
NUTR0070
NUTR0071
NUTR0072

```

NUTR0073
 NUTR0074
 NUTR0075
 NUTR0076
 NUTR0077
 NUTR0078
 NUTR0079
 NUTR0080
 NUTR0081
 NUTR0082
 NUTR0083
 NUTR0084
 NUTR0085
 NUTR0086
 NUTR0087
 NUTR0088
 NUTR0089
 NUTR0090
 NUTR0091
 NUTR0092
 NUTR0093
 NUTR0094
 NUTR0095
 NUTR0096
 NUTR0097
 NUTR0098
 NUTR0099
 NUTR0100
 NUTR0101
 NUTR0102
 NUTR0103
 NUTR0104
 NUTR0105
 NUTR0106
 NUTR0107
 NUTR0108

```

READ(5,104)P74
READ(5,103)((P75(I,J),J=1,3),I=1,2)
READ(5,105)((P76(I,J),J=1,3),I=1,4)
READ(5,106)((P77(I,J),J=1,3),I=1,6)
READ(5,108)((P78(I,J),J=1,3),I=1,7)
READ(5,106)((P79(I,J),J=1,3),I=1,6)
READ(5,104)P84
READ(5,103)((P85(I,J),J=1,3),I=1,2)
READ(5,105)((P86(I,J),J=1,3),I=1,4)
READ(5,106)((P87(I,J),J=1,3),I=1,6)
READ(5,108)((P88(I,J),J=1,3),I=1,7)
READ(5,106)((P89(I,J),J=1,3),I=1,6)
BETA=0.00001
DELTA=1.0
DO 699 K=1,7
  NBW1=RC*P01(1,1)*P02(1,1)*P03(1,1)
  UBW2=RC*P01(1,1)*P02(1,1)*P03(1,2)
  NBW3=RC*P01(1,1)*P02(1,2)*P03(2,1)
  UBW4=RC*P01(1,1)*P02(1,2)*P03(2,2)
  NBW5=RC*P01(1,2)*P02(2,1)*P03(3,1)
  UBW6=RC*P01(1,2)*P02(2,1)*P03(3,2)
  NBW7=RC*P01(1,2)*P02(2,2)*P03(4,1)
  UBW8=RC*P01(1,2)*P02(2,2)*P03(4,2)
  D10(1)=RC*P01(1,1)*P02(1,1)*P03(1,3)
  D10(2)=RC*P01(1,1)*P02(1,2)*P03(2,3)
  D00(1)=RC*P01(1,2)*P02(2,1)*P03(3,3)
  D00(2)=RC*P01(1,2)*P02(2,2)*P03(4,3)
  N(1,1,2)=NBW1
  N(1,1,3)=N(1,1,2)*P14(1,1)
  M(1,3,1,1,3)=N(1,1,2)*P14(1,2)*P15(2,1)
  D(1,1,2)=N(1,1,2)*P14(1,2)*P15(2,2)
  N(1,1,4)=N(1,1,3)
  RS(1,4,1,1,1)=M(1,3,1,1,3)*P16(2,1)*P17(1,1)
  MS(1,4,1,2,2)=M(1,3,1,1,3)*P16(2,1)*P17(1,2)
  M(1,4,1,2,3)=M(1,3,1,1,3)*P16(2,2)*P17(2,2)
  D113(1)=M(1,3,1,1,3)*P16(2,1)*P17(1,3)

```

NUTRO109
 NUTRO110
 NUTRO111
 NUTRO112
 NUTRO113
 NUTRO114
 NUTRO115
 NUTRO116
 NUTRO117
 NUTRO118
 NUTRO119
 NUTRO120
 NUTRO121
 NUTRO122
 NUTRO123
 NUTRO124
 NUTRO125
 NUTRO126
 NUTRO127
 NUTRO128
 NUTRO129
 NUTRO130
 NUTRO131
 NUTRO132
 NUTRO133
 NUTRO134
 NUTRO135
 NUTRO136
 NUTRO137
 NUTRO138
 NUTRO139
 NUTRO140
 NUTRO141
 NUTRO142
 NUTRO143
 NUTRO144

D113(2)=M(1,3,1,1,3)*P16(2,2)*P17(2,1)
 D(1,1,3)=D113(1)+D113(2)
 M(2,2,1,2,3)=UBW2*P24(1,3)
 R(2,2,1,1,1)=UBW2*P24(1,1)
 C(2,1,1)=UBW2*P24(1,2)
 M(2,3,1,2,1)=R(2,2,1,1,1)*P25(1,3)
 M23130(1)=M(2,2,1,2,3)*P25(2,1)*P26(3,1)*P27(3,2)
 M23130(2)=M(2,2,1,2,3)*P25(2,1)*P26(3,2)*P27(4,2)
 M(2,3,1,3,3)=M23130(1)+M23130(2)
 MS(2,3,1,3,2)=M(2,2,1,2,3)*P25(2,2)*P26(4,2)
 R(2,3,1,1,2)=R(2,2,1,1,1)*P25(1,2)
 R(2,3,1,2,1)=M(2,2,1,2,3)*P25(2,1)*P26(3,1)*P27(3,1)
 RS(2,3,1,2,1)=M(2,2,1,2,3)*P25(2,2)*P26(4,1)
 D212(1)=R(2,2,1,1,1)*P25(1,1)
 D212(2)=M(2,2,1,2,3)*P25(2,1)*P26(3,1)*P27(3,3)
 D212(3)=M(2,2,1,2,3)*P25(2,1)*P26(3,2)*P27(4,1)
 D212(4)=M(2,2,1,2,3)*P25(2,2)*P26(4,3)
 D(2,1,2)=0.0
 DO 850 I=1,4
 D(2,1,2)=D(2,1,2)+D212(I)
 850 CONTINUE
 M(2,4,1,2,2)=R(2,3,1,1,2)*P26(1,2)
 M(2,4,1,3,1)=M(2,3,1,2,1)*P26(2,1)*P27(1,2)
 M24140(1)=M23130(1)*P28(2,1)*P29(1,2)
 M24140(2)=M23130(2)*P28(3,2)*P29(4,2)
 M(2,4,1,4,3)=M24140(1)+M24140(2)
 V24131(1)=M(2,3,1,2,1)*P26(2,2)*P27(2,3)
 V24131(2)=RS(2,3,1,2,1)*P27(5,2)
 MS(2,4,1,3,1)=V24131(1)+V24131(2)
 V24140(1)=M23130(1)*P28(2,2)*P29(2,3)
 V24140(2)=M23130(2)*P28(3,1)*P29(3,3)
 V24140(3)=MS(2,3,1,3,2)*P27(6,1)*P28(4,3)
 V24140(4)=MS(2,3,1,3,2)*P27(6,2)*P28(5,2)
 MS(2,4,1,4,2)=0.0
 DO 200 I=1,4
 MS(2,4,1,4,2)=MS(2,4,1,4,2)+V24140(I)

200 CONTINUE

R(2,4,1,1,3)=R(2,3,1,1,2)*P26(1,3)
R(2,4,1,2,2)=R(2,3,1,2,1)
H24122(1)=M(2,3,1,2,1)*P26(2,2)*P27(2,2)
H24122(2)=RS(2,3,1,2,1)*P27(5,1)
RS(2,4,1,2,2)=H24122(1)+H24122(2)
H24131(1)=M23130(1)*P28(2,2)*P29(2,2)
H24131(2)=M23130(2)*P28(3,1)*P29(3,2)
H24131(3)=MS(2,3,1,3,2)*P27(6,1)*P28(4,1)
R(2,4,1,3,1)=H24131(1)+H24131(2)+H24131(3)
D213(1)=R(2,3,1,1,2)*P26(1,1)
D213(2)=M(2,3,1,2,1)*P26(2,1)*P27(1,1)
D213(3)=M(2,3,1,2,1)*P26(2,2)*P27(2,1)
D213(4)=M23130(1)*P28(2,1)*P29(1,1)
D213(5)=M23130(1)*P28(2,2)*P29(2,1)
D213(6)=M23130(2)*P28(3,1)*P29(3,1)
D213(7)=M23130(2)*P28(3,2)*P29(4,1)
D213(8)=RS(2,3,1,2,1)*P27(5,3)
D213(9)=MS(2,3,1,3,2)*P27(6,1)*P28(4,2)
D213(10)=MS(2,3,1,3,2)*P27(6,2)*P28(5,1)
D(2,1,3)=0.0
DO 300 I=1,10
D(2,1,3)=D(2,1,3)+D213(I)

300 CONTINUE

M(3,2,1,1,3)=NBW3*P34(1,3)
N(3,1,2)=NBW3*P34(1,1)
D(3,1,1)=NBW3*P34(1,2)
M(3,3,1,1,3)=N(3,1,2)*P35(1,3)
M33120(1)=M(3,2,1,1,3)*P35(2,2)*P36(4,1)*P37(5,3)
M33120(2)=M(3,2,1,1,3)*P35(2,2)*P36(4,2)*P37(6,1)
M(3,3,1,2,3)=M33120(1)+M33120(2)
MS(3,3,1,2,2)=M(3,2,1,1,3)*P35(2,1)*P36(3,3)
R(3,3,1,1,1)=M(3,2,1,1,3)*P35(2,2)*P36(4,1)*P37(5,2)
RS(3,3,1,1,1)=M(3,2,1,1,3)*P35(2,1)*P36(3,2)
D312(1)=N(3,1,2)*P35(1,1)
D312(2)=M(3,2,1,1,3)*P35(2,1)*P36(3,1)

PAGE 86

NUTRO145
NUTRO146
NUTRO147
NUTRO148
NUTRO149
NUTRO150
NUTRO151
NUTRO152
NUTRO153
NUTRO154
NUTRO155
NUTRO156
NUTRO157
NUTRO158
NUTRO159
NUTRO160
NUTRO161
NUTRO162
NUTRO163
NUTRO164
NUTRO165
NUTRO166
NUTRO167
NUTRO168
NUTRO169
NUTRO170
NUTRO171
NUTRO172
NUTRO173
NUTRO174
NUTRO175
NUTRO176
NUTRO177
NUTRO178
NUTRO179
NUTRO180

```

D312(3)=M(3,2,1,1,3)*P35(2,2)*P36(4,1)*P37(5,1)
D312(4)=M(3,2,1,1,3)*P35(2,2)*P36(4,2)*P37(6,2)
D(3,1,2)=0.0
DO 400 I=1,4
D(3,1,2)=D(3,1,2)+D312(I)
400 CONTINUE
N(3,1,3)=N(3,1,2)*P35(1,2)
N(3,1,4)=N(3,1,3)*P36(1,2)
M(3,4,1,1,3)=N(3,1,3)*P36(1,3)
M(3,4,1,2,1)=R(3,3,1,1,1)*P38(5,2)*P39(2,2)
M34120(1)=M(3,3,1,1,3)*P36(2,2)*P37(2,1)*P38(1,2)
M34120(2)=M(3,3,1,1,3)*P36(2,2)*P37(2,2)*P38(2,1)
M(3,4,1,2,3)=M34120(1)+M34120(2)
M34130(1)=M33120(1)*P38(6,2)*P39(4,2)
M34130(2)=M33120(2)*P38(7,2)*P39(6,1)
M(3,4,1,3,3)=M34130(1)+M34130(2)
MS(3,4,1,2,2)=M(3,3,1,1,3)*P36(2,1)*P37(1,2)
MS(3,4,1,2,1)=RS(3,3,1,1,1)*P37(3,3)
V34130(1)=MS(3,3,1,2,2)*P37(4,1)*P38(3,2)
V34130(2)=MS(3,3,1,2,2)*P37(4,2)*P38(4,2)
V34130(3)=M33120(1)*P38(6,1)*P39(3,2)
V34130(4)=M33120(2)*P38(7,1)*P39(5,2)
MS(3,4,1,3,2)=0.0
DO 500 I=1,4
MS(3,4,1,3,2)=MS(3,4,1,3,2)+V34130(I)
500 CONTINUE
D313(1)=N(3,1,3)*P36(1,1)
D313(2)=M(3,3,1,1,3)*P36(2,1)*P37(1,3)
D313(3)=M(3,3,1,1,3)*P36(2,2)*P37(2,1)*P38(1,3)
D313(4)=M(3,3,1,1,3)*P36(2,2)*P37(2,2)*P38(2,2)
D313(5)=RS(3,3,1,1,1)*P37(3,2)
D313(6)=MS(3,3,1,2,2)*P37(4,1)*P38(3,3)
D313(7)=MS(3,3,1,2,2)*P37(4,2)*P38(4,1)
D313(8)=R(3,3,1,1,1)*P38(5,2)*P39(2,1)
D313(9)=M33120(1)*P38(6,1)*P39(3,3)
D313(10)=M33120(1)*P38(6,2)*P39(4,1)

```

NUTRO181
NUTRO182
NUTRO183
NUTRO184
NUTRO185
NUTRO186
NUTRO187
NUTRO188
NUTRO189
NUTRO190
NUTRO191
NUTRO192
NUTRO193
NUTRO194
NUTRO195
NUTRO196
NUTRO197
NUTRO198
NUTRO199
NUTRO200
NUTRO201
NUTRO202
NUTRO203
NUTRO204
NUTRO205
NUTRO206
NUTRO207
NUTRO208
NUTRO209
NUTRO210
NUTRO211
NUTRO212
NUTRO213
NUTRO214
NUTRO215
NUTRO216


```

D313(11)=M33120(2)*P38(7,1)*P39(5,1)
D313(12)=M33120(2)*P38(7,2)*P39(6,2)
D(3,1,3)=0.0
DO 600 I=1,12
D(3,1,3)=D(3,1,3)+D313(I)
600 CONTINUE
R(3,4,1,1,1)=M(3,3,1,1,3)*P36(2,2)*P37(2,1)*P38(1,1)
R(3,4,1,1,2)=R(3,3,1,1,1)*P38(5,1)*P39(1,1)
RS(3,4,1,1,1)=M(3,3,1,1,3)*P36(2,1)*P37(1,1)
RS(3,4,1,1,2)=RS(3,3,1,1,1)*P37(3,1)
H34121(1)=MS(3,3,1,2,2)*P37(4,1)*P38(3,1)
H34121(2)=M33120(1)*P38(6,1)*P39(3,1)
H34121(3)=M33120(2)*P38(7,1)*P39(5,3)
RS(3,4,1,2,1)=H34121(1)+H34121(2)+H34121(3)
M(4,2,1,2,3)=UBW4*P44(1,3)
R(4,2,1,1,1)=UBW4*P44(1,1)
D(4,1,1)=UBW4*P44(1,2)
M(4,3,1,2,1)=R(4,2,1,1,1)*P45(1,3)
M43130(1)=M(4,2,1,2,3)*P45(2,2)*P46(4,1)*P47(5,3)
M43130(2)=M(4,2,1,2,3)*P45(2,2)*P46(4,2)*P47(6,1)
M(4,3,1,3,3)=M43130(1)+M43130(2)
MS(4,3,1,3,2)=M(4,2,1,2,3)*P45(2,1)*P46(3,3)
R(4,3,1,1,2)=R(4,2,1,1,1)*P45(1,2)
R(4,3,1,2,1)=M(4,2,1,2,3)*P45(2,2)*P46(4,1)*P47(5,2)
RS(4,3,1,2,1)=M(4,2,1,2,3)*P45(2,1)*P46(3,2)
D412(1)=R(4,2,1,1,1)*P45(1,1)
D412(2)=M(4,2,1,2,3)*P45(2,1)*P46(3,1)
D412(3)=M(4,2,1,2,3)*P45(2,2)*P46(4,1)*P47(5,1)
D412(4)=M(4,2,1,2,3)*P45(2,2)*P46(4,2)*P47(6,2)
D(4,1,2)=0.0
DO 700 I=1,4
D(4,1,2)=D(4,1,2)+D412(I)
700 CONTINUE
M(4,4,1,2,2)=R(4,3,1,1,2)*P46(1,3)
M44131(1)=M(4,3,1,2,1)*P46(2,2)*P47(2,1)*P48(1,2)
M44131(2)=M(4,3,1,2,1)*P46(2,2)*P47(2,2)*P48(2,1)

```

NUTR0217
NUTR0218
NUTR0219
NUTR0220
NUTR0221
NUTR0222
NUTR0223
NUTR0224
NUTR0225
NUTR0226
NUTR0227
NUTR0228
NUTR0229
NUTR0230
NUTR0231
NUTR0232
NUTR0233
NUTR0234
NUTR0235
NUTR0236
NUTR0237
NUTR0238
NUTR0239
NUTR0240
NUTR0241
NUTR0242
NUTR0243
NUTR0244
NUTR0245
NUTR0246
NUTR0247
NUTR0248
NUTR0249
NUTR0250
NUTR0251
NUTR0252

M44131(3)=R(4,3,1,2,1)*P48(5,2)*P49(2,2)
M(4,4,1,3,1)=M44131(1)+M44131(2)+M44131(3)
M44140(1)=M43130(1)*P48(6,2)*P49(4,2)
M44140(2)=M43130(2)*P48(7,2)*P49(6,1)
M(4,4,1,4,3)=M44140(1)+M44140(2)
V44131(1)=M(4,3,1,2,1)*P46(2,1)*P47(1,2)
V44131(2)=RS(4,3,1,2,1)*P47(3,2)
MS(4,4,1,3,1)=V44131(1)+V44131(2)
V44140(1)=MS(4,3,1,3,2)*P47(4,1)*P48(3,2)
V44140(2)=MS(4,3,1,3,2)*P47(4,2)*P48(4,2)
V44140(3)=M43130(1)*P48(6,1)*P49(3,3)
V44140(4)=M43130(2)*P48(7,1)*P49(5,3)
MS(4,4,1,4,2)=0.0
DC 800 I=1,4
MS(4,4,1,4,2)=MS(4,4,1,4,2)+V44140(1)
800 CONTINUE
R(4,4,1,1,3)=R(4,3,1,1,2)*P46(1,2)
R44122(1)=M(4,3,1,2,1)*P46(2,2)*P47(2,1)*P48(1,1)
R44122(2)=R(4,3,1,2,1)*P48(5,1)*P49(1,1)
R(4,4,1,2,2)=R44122(1)+R44122(2)
H44122(1)=M(4,3,1,2,1)*P46(2,1)*P47(1,1)
H44122(2)=RS(4,3,1,2,1)*P47(3,1)
RS(4,4,1,2,2)=H44122(1)+H44122(2)
H44131(1)=MS(4,3,1,3,2)*P47(4,1)*P48(3,1)
H44131(2)=M43130(1)*P48(6,1)*P49(3,2)
H44131(3)=M43130(2)*P48(7,1)*P49(5,2)
RS(4,4,1,3,1)=H44131(1)+H44131(2)+H44131(3)
D413(1)=R(4,3,1,1,2)*P46(1,1)
D413(2)=M(4,3,1,2,1)*P46(2,1)*P47(1,3)
D413(3)=M(4,3,1,2,1)*P46(2,2)*P47(2,1)*P48(1,3)
D413(4)=M(4,3,1,2,1)*P46(2,2)*P47(2,2)
D413(5)=RS(4,3,1,2,1)*P47(3,3)
D413(6)=MS(4,3,1,3,2)*P47(4,1)*P48(3,3)
D413(7)=MS(4,3,1,3,2)*P47(4,2)*P48(4,1)
D413(8)=R(4,3,1,2,1)*P48(5,2)*P49(2,1)
D413(9)=H43130(1)*P48(6,1)*P49(3,1)

NUTRO253
NUTRO254
NUTRO255
NUTRO256
NUTRO257
NUTRO258
NUTRO259
NUTRO260
NUTRO261
NUTRO262
NUTRO263
NUTRO264
NUTRO265
NUTRO266
NUTRO267
NUTRO268
NUTRO269
NUTRO270
NUTRO271
NUTRO272
NUTRO273
NUTRO274
NUTRO275
NUTRO276
NUTRO277
NUTRO278
NUTRO279
NUTRO280
NUTRO281
NUTRO282
NUTRO283
NUTRO284
NUTRO285
NUTRO286
NUTRO287
NUTRO288

NUTR0289
 NUTR0290
 NUTR0291
 NUTR0292
 NUTR0293
 NUTR0294
 NUTR0295
 NUTR0296
 NUTR0297
 NUTR0298
 NUTR0299
 NUTR0300
 NUTR0301
 NUTR0302
 NUTR0303
 NUTR0304
 NUTR0305
 NUTR0306
 NUTR0307
 NUTR0308
 NUTR0309
 NUTR0310
 NUTR0311
 NUTR0312
 NUTR0313
 NUTR0314
 NUTR0315
 NUTR0316
 NUTR0317
 NUTR0318
 NUTR0319
 NUTR0320
 NUTR0321
 NUTR0322
 NUTR0323
 NUTR0324

D413(10)=M43130(1)*P48(6,2)*P49(4,1)
 D413(11)=M43130(2)*P48(7,1)*P49(5,1)
 D413(12)=M43130(2)*P48(7,2)*P49(6,2)
 D(4,1,3)=0.0
 DO 900 I=1,12
 D(4,1,3)=D(4,1,3)+D413(I)
 900 CONTINUE
 M(5,2,2,1,3)=NBW5*P54(1,1)
 N(5,2,2)=NBW5*P54(1,3)
 D(5,2,1)=NBW5*P54(1,2)
 M(5,3,2,1,3)=N(5,2,2)*P55(2,2)*P56(4,2)
 M53020(1)=M(5,2,2,1,3)*P55(1,2)*P56(2,1)*P57(3,1)
 M53020(2)=M(5,2,2,1,3)*P55(1,2)*P56(2,2)*P57(4,1)
 M(5,3,2,2,3)=M53020(1)+M53020(2)
 MS(5,3,2,2,2)=M(5,2,2,1,3)*P55(1,1)*P56(1,2)
 R(5,3,2,1,1)=M(5,2,2,1,3)*P55(1,2)*P56(2,1)*P57(3,2)
 RS(5,3,2,1,1)=M(5,2,2,1,3)*P55(1,1)*P56(1,1)
 D502(1)=M(5,2,2,1,3)*P55(1,1)*P56(1,3)
 D502(2)=M(5,2,2,1,3)*P55(1,2)*P56(2,1)*P57(3,3)
 D502(3)=M(5,2,2,1,3)*P55(1,2)*P56(2,2)*P57(4,2)
 D502(4)=N(5,2,2)*P55(2,2)*P56(4,1)
 D(5,2,2)=0.0
 DO 901 I=1,4
 D(5,2,2)=D(5,2,2)+D502(I)
 901 CONTINUE
 N(5,2,3)=N(5,2,2)*P55(2,1)*P56(3,1)
 N(5,2,4)=N(5,2,3)
 M(5,4,2,2,1)=R(5,3,2,1,1)*P58(4,1)
 M(5,4,2,2,3)=M(5,3,2,1,3)*P57(6,2)*P58(7,2)
 M54030(1)=M53020(1)*P58(3,2)*P59(2,2)
 M54030(2)=M53020(2)*P58(5,2)*P59(4,2)
 M(5,4,2,3,3)=M54030(1)+M54030(2)
 MS(5,4,2,2,1)=RS(5,3,2,1,1)*P57(1,2)
 MS(5,4,2,2,2)=M(5,3,2,1,3)*P57(6,1)*P58(6,2)
 V54030(1)=MS(5,3,2,2,2)*P57(2,1)*P58(1,2)
 V54030(2)=MS(5,3,2,2,2)*P57(2,2)*P58(2,1)

```

V54030(3)=M53020(1)*P58(3,1)*P59(1,3)
V54030(4)=M53020(2)*P58(5,1)*P59(3,2)
MS(5,4,2,3,2)=0.0
DO 902 I=1,4
MS(5,4,2,3,2)=MS(5,4,2,3,2)+V54030(I)
902 CONTINUE
R(5,4,2,1,2)=R(5,3,2,1,1)*P58(4,2)
RS(5,4,2,1,2)=RS(5,3,2,1,1)*P57(1,1)
RS(5,4,2,1,1)=M(5,3,2,1,3)*P57(6,1)*P58(6,1)
H54021(1)=MS(5,3,2,2,2)*P57(2,1)*P58(1,1)
H54021(2)=M53020(1)*P58(3,1)*P59(1,2)
H54021(3)=M53020(2)*P58(5,1)*P59(3,3)
RS(5,4,2,2,1)=H54021(1)+H54021(2)+H54021(3)
D503(1)=RS(5,3,2,1,1)*P57(1,3)
D503(2)=MS(5,3,2,2,2)*P57(2,1)*P58(1,3)
D503(3)=MS(5,3,2,2,2)*P57(2,2)*P58(2,2)
D503(4)=M53020(1)*P58(3,1)*P59(1,1)
D503(5)=M53020(1)*P58(3,2)*P59(2,1)
D503(6)=M53020(2)*P58(5,1)*P59(3,1)
D503(7)=M53020(2)*P58(5,2)*P59(4,1)
D503(8)=M(5,3,2,1,3)*P57(6,1)*P58(6,3)
D503(9)=M(5,3,2,1,3)*P57(6,2)*P58(7,1)
D(5,2,3)=0.0
DO 903 I=1,9
D(5,2,3)=D(5,2,3)+D503(I)
903 CONTINUE
M(6,2,2,2,3)=UBW6*P64(1,3)
R(6,2,2,1,1)=UBW6*P64(1,1)
D(6,2,1)=UBW6*P64(1,2)
M(6,3,2,2,1)=R(6,2,2,1,1)*P65(1,3)
M63030(1)=M(6,2,2,2,3)*P65(2,1)*P66(3,1)*P67(3,2)
M63030(2)=M(6,2,2,2,3)*P65(2,1)*P66(3,2)*P67(4,2)
M(6,3,2,3,3)=M63030(1)+M63030(2)
MS(6,3,2,3,2)=M(6,2,2,2,3)*P65(2,2)*P66(4,2)
R(6,3,2,1,2)=R(6,2,2,1,1)*P65(1,2)
R(6,3,2,2,1)=M(6,2,2,2,3)*P65(2,1)*P66(3,1)*P67(3,1)

```

```

NUTR0325
NUTR0326
NUTR0327
NUTR0328
NUTR0329
NUTR0330
NUTR0331
NUTR0332
NUTR0333
NUTR0334
NUTR0335
NUTR0336
NUTR0337
NUTR0338
NUTR0339
NUTR0340
NUTR0341
NUTR0342
NUTR0343
NUTR0344
NUTR0345
NUTR0346
NUTR0347
NUTR0348
NUTR0349
NUTR0350
NUTR0351
NUTR0352
NUTR0353
NUTR0354
NUTR0355
NUTR0356
NUTR0357
NUTR0358
NUTR0359
NUTR0360

```

NUTR0361
NUTR0362
NUTR0363
NUTR0364
NUTR0365
NUTR0366
NUTR0367
NUTR0368
NUTR0369
NUTR0370
NUTR0371
NUTR0372
NUTR0373
NUTR0374
NUTR0375
NUTR0376
NUTR0377
NUTR0378
NUTR0379
NUTR0380
NUTR0381
NUTR0382
NUTR0383
NUTR0384
NUTR0385
NUTR0386
NUTR0387
NUTR0388
NUTR0389
NUTR0390
NUTR0391
NUTR0392
NUTR0393
NUTR0394
NUTR0395
NUTR0396

RS(6,3,2,2,1)=M(6,2,2,2,3)*P65(2,2)*P66(4,1)
D602(1)=R(6,2,2,1,1)*P65(1,1)
D602(2)=M(6,2,2,3)*P65(2,1)*P66(3,1)*P67(3,3)
D602(3)=M(6,2,2,3)*P65(2,1)*P66(3,2)*P67(4,1)
D602(4)=M(6,2,2,3)*P65(2,2)*P66(4,3)
C(6,2,2)=0.0
DO 731 I=1,4
D(6,2,2)=D(6,2,2)+D602(I)

731 CONTINUE

M(6,4,2,2,2)=R(6,3,2,1,2)*P66(1,2)
M(6,4,2,3,1)=M(6,3,2,2,1)*P66(2,1)*P67(1,2)
M64040(1)=M63030(1)*P68(2,1)*P69(1,2)
M64040(2)=M63030(2)*P68(3,2)*P69(4,2)
M(6,4,2,4,3)=M64040(1)+M64040(2)
V64031(1)=M(6,3,2,2,1)*P66(2,2)*P67(2,3)
V64031(2)=RS(6,3,2,2,1)*P67(5,2)
MS(6,4,2,3,1)=V64031(1)+V64031(2)
V64040(1)=M63030(1)*P68(2,2)*P69(2,3)
V64040(2)=M63030(2)*P68(3,1)*P69(3,3)
V64040(3)=MS(6,3,2,3,2)*P67(6,1)*P68(4,3)
V64040(4)=MS(6,3,2,3,2)*P67(6,2)*P68(5,2)
MS(6,4,2,4,2)=0.0
DO 732 I=1,4
MS(6,4,2,4,2)=MS(6,4,2,4,2)+V64040(I)

732 CONTINUE

R(6,4,2,1,3)=R(6,3,2,1,2)*P66(1,3)
R(6,4,2,2,2)=R(6,3,2,2,1)
H64022(1)=M(6,3,2,2,1)*P66(2,2)*P67(2,2)
H64022(2)=RS(6,3,2,2,1)*P67(5,1)
RS(6,4,2,2,2)=H64022(1)+H64022(2)
H64031(1)=M63030(1)*P68(2,2)*P69(2,2)
H64031(2)=M63030(2)*P68(3,1)*P69(3,2)
H64031(3)=MS(6,3,2,3,2)*P67(6,1)*P68(4,1)
RS(6,4,2,3,1)=H64031(1)+H64031(2)+H64031(3)
D603(1)=R(6,3,2,1,2)*P66(1,1)
D603(2)=M(6,3,2,2,1)*P66(2,1)*P67(1,1)

NUTRO397
NUTRO398
NUTRO399
NUTRO400
NUTRO401
NUTRO402
NUTRO403
NUTRO404
NUTRO405
NUTRO406
NUTRO407
NUTRO408
NUTRO409
NUTRO410
NUTRO411
NUTRO412
NUTRO413
NUTRO414
NUTRO415
NUTRO416
NUTRO417
NUTRO418
NUTRO419
NUTRO420
NUTRO421
NUTRO422
NUTRO423
NUTRO424
NUTRO425
NUTRO426
NUTRO427
NUTRO428
NUTRO429
NUTRO430
NUTRO431
NUTRO432

D603(3)=M(6,3,2,2,1)*P66(2,2)*P67(2,1)
D603(4)=M63030(1)*P68(2,1)*P69(1,1)
D603(5)=M63030(1)*P68(2,2)*P69(2,1)
D603(6)=M63030(2)*P68(3,1)*P69(3,1)
D603(7)=M63030(2)*P68(3,2)*P69(4,1)
D603(8)=RS(6,3,2,2,1)*P67(5,3)
D603(9)=MS(6,3,2,3,2)*P67(6,1)*P68(4,2)
D603(10)=MS(6,3,2,3,2)*P67(6,2)*P68(5,1)
C(6,2,3)=0.0
DO 381 I=1,10
D(6,2,3)=D(6,2,3)+D603(I)
381 CONTINUE
M(7,2,2,1,3)=NBW7*P74(1,3)
N(7,2,2)=NBW7*P74(1,1)
D(7,2,1)=NBW7*P74(1,2)
M(7,3,2,1,3)=N(7,2,2)*P75(1,3)
M73020(1)=M(7,2,2,1,3)*P75(2,2)*P76(4,1)*P77(5,3)
M73020(2)=M(7,2,2,1,3)*P75(2,2)*P76(4,2)*P77(6,1)
M(7,3,2,2,3)=M73020(1)+M73020(2)
MS(7,3,2,2,2)=M(7,2,2,1,3)*P75(2,1)*P76(3,3)
R(7,3,2,1,1)=M(7,2,2,1,3)*P75(2,2)*P76(4,1)*P77(5,2)
RS(7,3,2,1,1)=M(7,2,2,1,3)*P75(2,1)*P76(3,2)
D702(1)=N(7,2,2)*P75(1,1)
D702(2)=M(7,2,2,1,3)*P75(2,1)*P76(3,1)
D702(3)=M(7,2,2,1,3)*P75(2,2)*P76(4,1)*P77(5,1)
D702(4)=M(7,2,2,1,3)*P75(2,2)*P76(4,2)*P77(6,2)
C(7,2,2)=0.0
DO 401 I=1,4
D(7,2,2)=D(7,2,2)+D702(I)
401 CONTINUE
N(7,2,3)=N(7,2,2)*P75(1,2)
N(7,2,4)=N(7,2,3)*P76(1,2)
M(7,4,2,1,3)=N(7,2,3)*P76(1,3)
M(7,4,2,2,1)=R(7,3,2,1,1)*P78(5,2)*P79(2,2)
M74020(1)=M(7,3,2,1,3)*P76(2,2)*P77(2,1)*P78(1,2)
M74020(2)=M(7,3,2,1,3)*P76(2,2)*P77(2,2)*P78(2,1)

NUTR0433
NUTR0434
NUTR0435
NUTR0436
NUTR0437
NUTR0438
NUTR0439
NUTR0440
NUTR0441
NUTR0442
NUTR0443
NUTR0444
NUTR0445
NUTR0446
NUTR0447
NUTR0448
NUTR0449
NUTR0450
NUTR0451
NUTR0452
NUTR0453
NUTR0454
NUTR0455
NUTR0456
NUTR0457
NUTR0458
NUTR0459
NUTR0460
NUTR0461
NUTR0462
NUTR0463
NUTR0464
NUTR0465
NUTR0466
NUTR0467
NUTR0468

M(7,4,2,2,3)=M74020(1)+M74020(2)
M74030(1)=M73020(1)*P78(6,2)*P79(4,2)
M74030(2)=M73020(2)*P78(7,2)*P79(6,1)
M(7,4,2,3,3)=M74030(1)+M74030(2)
MS(7,4,2,2,2)=M(7,3,2,1,3)*P76(2,1)*P77(1,2)
MS(7,4,2,2,1)=RS(7,3,2,1,1)*P77(3,3)
V74030(1)=MS(7,3,2,2,2)*P77(4,1)*P78(3,2)
V74030(2)=MS(7,3,2,2,2)*P77(4,2)*P78(4,2)
V74030(3)=M73020(1)*P78(6,1)*P79(3,2)
V74030(4)=M73020(2)*P78(7,1)*P79(5,2)
MS(7,4,2,3,2)=0.0
DO 501 I=1,4
MS(7,4,2,3,2)=MS(7,4,2,3,2)+V74030(I)
501 CONTINUE
D703(1)=N(7,2,3)*P76(1,1)
D703(2)=M(7,3,2,1,3)*P76(2,1)*P77(1,3)
D703(3)=M(7,3,2,1,3)*P76(2,2)*P77(2,1)*P78(1,3)
D703(4)=M(7,3,2,1,3)*P76(2,2)*P77(2,2)*P78(2,2)
D703(5)=RS(7,3,2,1,1)*P77(3,2)
D703(6)=MS(7,3,2,2,2)*P77(4,1)*P78(3,3)
D703(7)=MS(7,3,2,2,2)*P77(4,2)*P78(4,1)
D703(8)=R(7,3,2,1,1)*P78(5,2)*P79(2,1)
D703(9)=M73020(1)*P78(6,1)*P79(3,3)
D703(10)=M73020(1)*P78(6,2)*P79(4,1)
D703(11)=M73020(2)*P78(7,1)*P79(5,1)
D703(12)=M73020(2)*P78(7,2)*P79(6,2)
D(7,2,3)=0.0
DO 601 I=1,12
D(7,2,3)=D(7,2,3)+D703(I)
601 CONTINUE
R(7,4,2,1,1)=M(7,3,2,1,3)*P76(2,2)*P77(2,1)*P78(1,1)
R(7,4,2,1,2)=R(7,3,2,1,1)*P78(5,1)*P79(1,1)
RS(7,4,2,1,1)=M(7,3,2,1,3)*P76(2,1)*P77(1,1)
RS(7,4,2,1,2)=RS(7,3,2,1,1)*P77(3,1)
H74021(1)=MS(7,3,2,2,2)*P77(4,1)*P78(3,1)
H74021(2)=M73020(1)*P78(6,1)*P79(3,1)

H74021(3)=M73020(2)*P78(7,1)*P79(5,3)
RS(7,4,2,2,1)=H74021(1)+H74021(2)+H74021(3)
M(8,2,2,2,3)=UBW8*P84(1,3)
R(8,2,2,1,1)=UBW8*P84(1,1)
D(8,2,1)=UBW8*P84(1,2)
M(8,3,2,2,1)=R(8,2,2,1,1)*P85(1,3)
M83030(1)=M(8,2,2,2,3)*P85(2,2)*P86(4,1)*P87(5,3)
M83030(2)=M(8,2,2,2,3)*P85(2,2)*P86(4,2)*P87(6,1)
M(8,3,2,3,3)=M83030(1)+M83030(2)
MS(8,3,2,3,2)=M(8,2,2,2,3)*P85(2,1)*P86(3,3)
R(8,3,2,1,2)=R(8,2,2,1,1)*P85(1,2)
R(8,3,2,2,1)=M(8,2,2,2,3)*P85(2,2)*P86(4,1)*P87(5,2)
RS(8,3,2,2,1)=M(8,2,2,2,3)*P85(2,1)*P86(3,2)
D802(1)=R(8,2,2,1,1)*P85(1,1)
D802(2)=M(8,2,2,2,3)*P85(2,1)*P86(3,1)
D802(3)=M(8,2,2,2,3)*P85(2,2)*P86(4,1)*P87(5,1)
D802(4)=M(8,2,2,2,3)*P85(2,2)*P86(4,2)*P87(6,2)
D(8,2,2)=0.0
DO 701 I=1,4
D(8,2,2)=D(8,2,2)+D802(I)
701 CONTINUE
M(8,4,2,2,2)=R(8,3,2,1,2)*P86(1,3)
M84031(1)=M(8,3,2,2,1)*P86(2,2)*P87(2,1)*P88(1,2)
M84031(2)=M(8,3,2,2,1)*P86(2,2)*P87(2,2)*P88(2,1)
M84031(3)=R(8,3,2,2,1)*P88(5,2)*P89(2,2)
M(8,4,2,3,1)=M84031(1)+M84031(2)+M84031(3)
M84040(1)=M83030(1)*P88(6,2)*P89(4,2)
M84040(2)=M83030(2)*P88(7,2)*P89(6,1)
M(8,4,2,4,3)=M84040(1)+M84040(2)
V84031(1)=M(8,3,2,2,1)*P86(2,1)*P87(1,2)
V84031(2)=RS(8,3,2,2,1)*P87(3,2)
MS(8,4,2,3,1)=V84031(1)+V84031(2)
V84040(1)=MS(8,3,2,3,2)*P87(4,1)*P88(3,2)
V84040(2)=MS(8,3,2,3,2)*P87(4,2)*P88(4,2)
V84040(3)=M83030(1)*P88(6,1)*P89(3,3)
V84040(4)=M83030(2)*P88(7,1)*P89(5,3)

NUTR0469
NUTR0470
NUTR0471
NUTR0472
NUTR0473
NUTR0474
NUTR0475
NUTR0476
NUTR0477
NUTR0478
NUTR0479
NUTR0480
NUTR0481
NUTR0482
NUTR0483
NUTR0484
NUTR0485
NUTR0486
NUTR0487
NUTR0488
NUTR0489
NUTR0490
NUTR0491
NUTR0492
NUTR0493
NUTR0494
NUTR0495
NUTR0496
NUTR0497
NUTR0498
NUTR0499
NUTR0500
NUTR0501
NUTR0502
NUTR0503
NUTR0504

NUTR0505
 NUTR0506
 NUTR0507
 NUTR0508
 NUTR0509
 NUTR0510
 NUTR0511
 NUTR0512
 NUTR0513
 NUTR0514
 NUTR0515
 NUTR0516
 NUTR0517
 NUTR0518
 NUTR0519
 NUTR0520
 NUTR0521
 NUTR0522
 NUTR0523
 NUTR0524
 NUTR0525
 NUTR0526
 NUTR0527
 NUTR0528
 NUTR0529
 NUTR0530
 NUTR0531
 NUTR0532
 NUTR0533
 NUTR0534
 NUTR0535
 NUTR0536
 NUTR0537
 NUTR0538
 NUTR0539
 NUTR0540

MS(8,4,2,4,2)=0.0
 DD 801 I=1,4
 MS(8,4,2,4,2)=MS(8,4,2,4,2)+V84040(I)
 801 CONTINUE
 R(8,4,2,1,3)=R(8,3,2,1,2)*P86(1,2)
 R84022(1)=M(8,3,2,2,1)*P86(2,2)*P87(2,1)*P88(1,1)
 R84022(2)=R(8,3,2,2,1)*P88(5,1)*P89(1,1)
 R(8,4,2,2,2)=R84022(1)+R84022(2)
 H84022(1)=M(8,3,2,2,1)*P86(2,1)*P87(1,1)
 H84022(2)=RS(8,3,2,2,1)*P87(3,1)
 RS(8,4,2,2,2)=H84022(1)+H84022(2)
 H84031(1)=MS(8,3,2,3,2)*P87(4,1)*P88(3,1)
 H84031(2)=M83030(1)*P88(6,1)*P89(3,2)
 H84031(3)=M83030(2)*P88(7,1)*P89(5,2)
 RS(8,4,2,3,1)=H84031(1)+H84031(2)+H84031(3)
 D803(1)=R(8,3,2,1,2)*P86(1,1)
 D803(2)=M(8,3,2,2,1)*P86(2,1)*P87(1,3)
 D803(3)=M(8,3,2,2,1)*P86(2,2)*P87(2,1)*P88(1,3)
 D803(4)=M(8,3,2,2,1)*P86(2,2)*P87(2,2)*P88(2,2)
 D803(5)=RS(8,3,2,2,1)*P87(3,3)
 D803(6)=MS(8,3,2,3,2)*P87(4,1)*P88(3,3)
 D803(7)=MS(8,3,2,3,2)*P87(4,2)*P88(4,1)
 D803(8)=R(8,3,2,2,1)*P88(5,2)*P89(2,1)
 D803(9)=M83030(1)*P88(6,1)*P89(3,1)
 D803(10)=M83030(1)*P88(6,2)*P89(4,1)
 D803(11)=M83030(2)*P88(7,1)*P89(5,1)
 D803(12)=M83030(2)*P88(7,2)*P89(6,2)
 D(8,2,3)=0.0
 DD 904 I=1,12
 D(8,2,3)=D(8,2,3)+D803(I)
 904 CONTINUE
 R1(K,2)=R(2,2,1,1,1)+R(4,2,1,1,1)
 R1(K,3)=R(2,3,1,1,2)+R(2,3,1,2,1)+R(3,3,1,1,1)+R(4,3,1,1,2)+R(4,3,1,2,1)
 R1(K,4)=R(2,4,1,1,3)+R(2,4,1,2,2)+R(3,4,1,1,1)+R(3,4,1,1,2)+R(4,4,1,1,3)+R(4,4,1,2,2)

NUTRO541
NUTRO542
NUTRO543
NUTRO544
NUTRO545
NUTRO546
NUTRO547
NUTRO548
NUTRO549
NUTRO550
NUTRO551
NUTRO552
NUTRO553
NUTRO554
NUTRO555
NUTRO556
NUTRO557
NUTRO558
NUTRO559
NUTRO560
NUTRO561
NUTRO562
NUTRO563
NUTRO564
NUTRO565
NUTRO566
NUTRO567
NUTRO568
NUTRO569
NUTRO570
NUTRO571
NUTRO572
NUTRO573
NUTRO574
NUTRO575
NUTRO576

PAGE 97

RO(K,2)=R(6,2,2,1,1)+R(8,2,2,1,1)
RO(K,3)=R(5,3,2,1,1)+R(6,3,2,1,2)+R(6,3,2,2,1)+R(7,3,2,1,1)+R(8,3,2,1,2)+R(8,3,2,2,1)
RO(K,4)=R(5,4,2,1,2)+R(6,4,2,1,3)+R(6,4,2,2,2)+R(7,4,2,1,1)+R(7,4,2,1,2)+R(8,4,2,1,3)+R(8,4,2,2,2)
RS1(K,3)=RS(2,3,1,2,1)+RS(3,3,1,1,1)+RS(4,3,1,2,1)
RS1(K,4)=RS(1,4,1,1,1)+RS(2,4,1,2,2)+RS(2,4,1,3,1)+RS(3,4,1,1,1)+R
IS(3,4,1,1,2)+RS(3,4,1,2,1)+RS(4,4,1,2,2)+RS(4,4,1,3,1)
RSO(K,3)=RS(5,3,2,1,1)+RS(6,3,2,2,1)+RS(7,3,2,1,1)+RS(8,3,2,2,1)
RSO(K,4)=RS(5,4,2,1,2)+RS(5,4,2,1,1)+RS(5,4,2,2,1)+RS(6,4,2,2,2)+R
IS(6,4,2,3,1)+RS(7,4,2,1,1)+RS(7,4,2,1,2)+RS(7,4,2,2,1)+RS(8,4,2,2,2,2)+RS(8,4,2,3,1)
M1(K,1)=UBW2+UBW4
M1(K,2)=M(2,2,1,2,3)+M(3,2,1,1,3)+M(4,2,1,2,3)
M1(K,3)=M(1,3,1,1,3)+M(2,3,1,2,1)+M(2,3,1,3,3)+M(3,3,1,1,3)+M(3,3,1,1,2,3)+M(4,3,1,2,1)+M(4,3,1,3,3)
M1(K,4)=M(1,4,1,2,3)+M(2,4,1,2,2)+M(2,4,1,3,1)+M(2,4,1,4,3)+M(3,4,1,1,3,3)+M(3,4,1,2,1)+M(3,4,1,3,3)+M(4,4,1,2,2)+M(4,4,1,2,3,1)+M(4,4,1,3,3)
M1(K,5)=M(1,5,1,2,3)+M(2,5,1,2,2)+M(2,5,1,3,1)+M(2,5,1,4,3)+M(3,5,1,1,3,3)+M(3,5,1,2,1)+M(3,5,1,3,3)+M(4,5,1,2,2)+M(4,5,1,2,3)
M1(K,6)=M(1,6,1,2,3)+M(2,6,1,2,2)+M(2,6,1,3,1)+M(2,6,1,4,3)+M(3,6,1,1,3,3)+M(3,6,1,2,1)+M(3,6,1,3,3)+M(4,6,1,2,2)+M(4,6,1,2,3)
MO(K,1)=UBW6+UBW8
MO(K,2)=M(5,2,2,1,3)+M(6,2,2,2,3)+M(7,2,2,1,3)+M(8,2,2,2,3)
MO(K,3)=M(5,3,2,1,3)+M(5,3,2,2,3)+M(6,3,2,2,1)+M(6,3,2,3,3)+M(7,3,2,1,3)+M(7,3,2,2,3)+M(8,3,2,2,1)+M(8,3,2,3,3)
MO(K,4)=M(5,4,2,2,1)+M(5,4,2,2,3)+M(5,4,2,3,3)+M(6,4,2,2,2)+M(6,4,2,2,3)+M(7,4,2,1,3)+M(7,4,2,2,3)+M(7,4,2,2,1)+M(7,4,2,2,3)
MO(K,5)=M(6,4,2,4,3)+M(7,4,2,1,3)+M(7,4,2,2,3)+M(8,4,2,3,1)+M(8,4,2,4,3)
MS1(K,3)=MS(2,3,1,3,2)+MS(3,3,1,2,2)+MS(4,3,1,3,2)
MS1(K,4)=MS(1,4,1,2,2)+MS(2,4,1,3,1)+MS(2,4,1,4,2)+MS(3,4,1,2,2)+M
IS(3,4,1,2,1)+MS(3,4,1,3,2)+MS(4,4,1,3,1)+MS(4,4,1,4,2)
MSO(K,3)=MS(5,3,2,2,2)+MS(6,3,2,3,2)+MS(7,3,2,2,2)+MS(8,3,2,3,2)
MSO(K,4)=MS(5,4,2,2,1)+MS(5,4,2,2,2)+MS(5,4,2,3,2)+MS(6,4,2,3,1)+M
IS(6,4,2,4,2)+MS(7,4,2,2,2)+MS(7,4,2,2,1)+MS(7,4,2,3,2)+MS(8,4,2,3,2,2)+MS(8,4,2,4,2)
N1(K,1)=NBW1+NBW3
N1(K,2)=N(1,1,2)+N(3,1,2)
N1(K,3)=N(1,1,3)+N(3,1,3)

NUTR0577
 NUTR0578
 NUTR0579
 NUTR0580
 NUTR0581
 NUTR0582
 NUTR0583
 NUTR0584
 NUTR0585
 NUTR0586
 NUTR0587
 NUTR0588
 NUTR0589
 NUTR0590
 NUTR0591
 NUTR0592
 NUTR0593
 NUTR0594
 NUTR0595
 NUTR0596
 NUTR0597
 NUTR0598
 NUTR0599
 NUTR0600
 NUTR0601
 NUTR0602
 NUTR0603
 NUTR0604
 NUTR0605
 NUTR0606
 NUTR0607
 NUTR0608
 NUTR0609
 NUTR0610
 NUTR0611
 NUTR0612

```

N1(K,4)=N(1,1,4)+N(3,1,4)
N0(K,1)=NBW5+NBW7
N0(K,2)=N(5,2,2)+N(7,2,2)
N0(K,3)=N(5,2,3)+N(7,2,3)
N0(K,4)=N(5,2,4)+N(7,2,4)
DIOTOT(K)=D10(1)+D10(2)
D1(K,1)=D(2,1,1)+D(3,1,1)+D(4,1,1)
D1(K,2)=D(1,1,2)+D(2,1,2)+D(3,1,2)+D(4,1,2)
D1(K,3)=D(1,1,3)+D(2,1,3)+D(3,1,3)+D(4,1,3)
DOOTOT(K)=D00(1)+D00(2)
D0(K,1)=D(5,2,1)+D(6,2,1)+D(7,2,1)+D(8,2,1)
D0(K,2)=D(5,2,2)+D(6,2,2)+D(7,2,2)+D(8,2,2)
D0(K,3)=D(5,2,3)+D(6,2,3)+D(7,2,3)+D(8,2,3)
WRITE(6,911)K
911 FORMAT(1H1,60X,'K=',I3,/)
WRITE(6,320)
320 FORMAT(1H0,45X,'L=1',7X,'L=2',7X,'L=3',7X,'L=4',/)
WRITE(6,933)(M1(K,L),L=1,4)
WRITE(6,934)(M31(K,L),L=3,4)
WRITE(6,939)(N1(K,L),L=1,4)
WRITE(6,935)DIOTOT(K),(D1(K,L),L=1,3)
WRITE(6,937)(R1(K,L),L=2,4)
WRITE(6,938)(R31(K,L),L=3,4)
WRITE(6,943)(M0(K,L),L=1,4)
WRITE(6,944)(M30(K,L),L=3,4)
WRITE(6,949)(N0(K,L),L=1,4)
WRITE(6,945)DOOTOT(K),(D0(K,L),L=1,3)
WRITE(6,947)(R0(K,L),L=2,4)
WRITE(6,948)(R30(K,L),L=3,4)
933 FORMAT(1H0,30X,'M1(K,L)',3X,4F10.2,/)
943 FORMAT(1H0,30X,'M0(K,L)',3X,4F10.2,/)
934 FORMAT(1H0,30X,'M31(K,L)',22X,2F10.2,/)
944 FORMAT(1H0,30X,'M30(K,L)',22X,2F10.2,/)
935 FORMAT(1H0,30X,'D1(K,L)',3X,4F10.2,/)
945 FORMAT(1H0,30X,'D0(K,L)',3X,4F10.2,/)
937 FORMAT(1H0,30X,'R1(K,L)',13X,3F10.2,/)

```

```

947 FORMAT(1H0,30X,'RO(K,L)',13X,3F10.2,/)
938 FORMAT(1H0,30X,'RSI(K,L)',22X,2F10.2,/)
948 FORMAT(1H0,30X,'RSO(K,L)',22X,2F10.2,/)
939 FORMAT(1H0,30X,'NI(K,L)',3X,4F10.2,/)
949 FORMAT(1H0,30X,'NO(K,L)',3X,4F10.2,/)
      POI(1,1)=POI(1,1)*(1.0+BETA*RC*DELTA)
      IF(POI(1,1)-1.0)1,1,3
3 WRITE(6,281)
281 FORMAT(1H1,'REVISE THE VALUE OF BETA')
      GO TO 8
1 CONTINUE
      POI(1,2)=1.0-POI(1,1)
699 CONTINUE
      8 CONTINUE
      STOP
      END

```

```

NUTR0613
NUTR0614
NUTR0615
NUTR0616
NUTR0617
NUTR0618
NUTR0619
NUTR0620
NUTRC621
NUTR0622
NUTR0623
NUTR0624
NUTR0625
NUTR0626
NUTR0627
NUTR0628

```