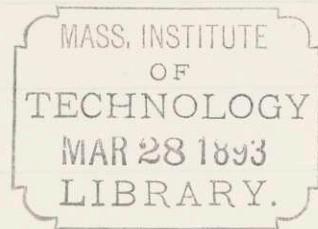


6<sup>20</sup>  
8



## Thesis

Plan for  
Widening a Stone Arch at  
Providence R. I.

Howard A. Oll. and  
Lincoln C Heywood

May 1891

I

Thesis

It is with the same degree  
of interest with which the  
citizens of Massachussetts  
recall the founding of  
Plymouth, that the citizens  
of Rhode Island recall the  
days of Roger Williams and  
Samuel Slater. It is with  
the latter however that  
we are at present concerned.

One hundred years ago  
last October, Samuel Slater  
founded the first cotton  
mill in America.

The spot which he selected  
as the site for what has  
since become the greatest  
manufacturing industry  
in America, is situated at

the Pawtucket Falls on the  
Blackstone River.

A century ago manufacturing  
was comparatively lacking  
in this country and the  
increasing population was  
entirely dependent on foreign  
nations for manufactured  
products. Great Britain  
was the chief manufacturing  
nation of the old world  
and she determined to keep  
our country, in, at least  
industrial vassalage.

One of her statutes interdicted  
the exportation of "any  
machine, engine, tool or  
press which now is or  
hereafter may be used in

the woolen, cotton or silk manufacture"

But thanks to the daring skill and energy of Samuel Slater, the gauntlet was safely run, and the Arkwright patent transported to our land, not as paper, not in wood, not in iron but in the retentive memory of Samuel Slater.

Providentially, he was led to Pawtucket, Rhode Island. Here he built his machinery, constructed his dam, erected his mill and soon there began on the banks of the Blackstone the whirr of seventy two spindles.

The business increased rapidly and new problems arose.

The water at that portion of the stream was rapid and he found it difficult to pass to the other shore. A bridge must be had. With his indomitable pluck he erected a very peculiar wooden structure, which would be classed in the words of modern times, as "statically undetermined"

No one knows how Sam Slater managed to transfer the products of his cotton mill across this bridge.

But for many years it stood  
as an honor to its owners  
engineering ability.

Sketches which remain bear  
the same stamp of peculiarity  
and excite fully as much  
curiosity, as the portrait  
of Samuel Slater with his  
Knickerbockers, his bullet  
head, and the single lock  
of hair hanging over his  
forehead.

As the prosperity of Pawtucket  
increased the old frame  
bridge began to claim the  
attention of the more  
progressive citizens.

Attempts were made to  
repair it, but these efforts

only made it still more statically undetermined.

The skill of its originator was lacking and a new bridge must be had.

The flourishing condition of the town seemed to warrant a stone arch and this was soon erected.

It was thought that the width of twenty four feet would be ample for generations to come.

Time advances another pace and our bridge is again found inadequate to the demand. Relief is suggested by removing the foot passages from the roadway

Accordingly a side-walk is suspended on each side of the bridge making its total width forty feet with a high stone coping five feet high and two feet thick between each side walk and the roadway.

Five years ago the stone copings were removed and a small iron railing substituted.

Bridges have been built both above and below the original bridge of Samuel Slatin, but they only afford partial relief to the crowded business portions of the city. The recent introduction of the street

railway did not in the least alleviate matters.

Various plans, accordingly, have been suggested during the past few years, for the widening of the Main Street bridge.

No definite action was taken however, until about a year ago, when a board of commissioners were appointed by the City Council to prepare plans for widening the bridge.

Accordingly an able engineer in Providence was consulted and with the assistance of the Pencoyd Bridge Works, he submitted plans

widening the bridge on the up stream side. It was to be accomplished by extending the center pier of the arch up stream upon which a double Warren Truss was rested.

There is little doubt but that the plans would have been accepted had not the mill owners on the East objected.

It was found that the truss on the East shore abutment, interfered with their gates and sluice ways.

The opposition was headed by Danus Goff perhaps the most influential

in the city and by far the most concerned in the improvement financially.

(See Sheet No 1) He desired that the bridge should be widened on the down stream side.

The advantages claimed were:-

- 1<sup>st</sup> Little or no interference with water privileges.
- 2<sup>d</sup> Foundations on either side easily arranged upon the ledge which extends under the river and is the cause of the water fall.
- 3<sup>d</sup> Property damaged would be limited to various frame structures.

more in number but of less value than the buildings cut upon the other side.

4<sup>th</sup> Improve and straighten the line of Main St. to better advantage.

The chief objection was the greater expense of extending the center pier down stream. This difficulty was caused by the greater height to the water surface and by the immense gat holes formed by the turbidity of the water.

Upon investigation, indeed, it was found that this disadvantage was most serious. Soundings were

taken and the feasibility  
of extending the pier down  
stream was consequently  
abandoned.

One span must suffice  
and its length must be  
limited by high water

From the level of the dam  
to the top of the roadway  
there are but nineteen and a  
half feet. Record shows  
that in the recent flood  
eleven feet of water have  
stood upon the crest.  
This leaves but eight feet  
for the height of the truss.  
The span is one hundred  
and twelve feet.

The question of raising

the road bed was then discussed, but when it was found that the level of the bridge already exceeded that on either side relief from that quarter was acknowledged to be impracticable.

A straight chord bridge is thus practically out of the question, and as any structure except a deck bridge, is out of consideration, we are compelled to adapt the cantilever or the arch.

The latter has been adopted with a span of one hundred feet rise twelve feet atree hinged arch has been

designed. Said arch is placed eighteen feet from the present stone structure. The floor beams are allowed to extend six feet further making in all twenty four feet, and giving for the total width fifty six feet.

The advantages claimed were as a rule well taken. It was found that no water privilege would be seriously damaged. The sluice way on the west side would be partially filled by the abutment but there is no reason why the distance appropriated

on one side could not be  
made up on the other.  
The bed is solid rock on  
both sides and on the  
east no difficulty is  
encountered. The arch  
could easily rest upon  
the ledge with little or  
perhaps no additional  
foundation.

How much better the  
line of Main Street may  
be improved by widening  
on the south side is fully  
shown by the accompanying  
plan Sheet No 1  
Two red lines are shown  
upon the east side they  
coincide. The old wooden

mill must be cut and  
a very disagreeable jag  
at the corner of River  
Street will be removed.

The abutments do not  
in the least affect the  
water privileges and  
sluice ways. The only  
extra damage to this  
property will possibly be  
the removal of the turbines  
a few inches further down  
the river. The difficulty  
of the western abutment  
has already been mentioned.  
The longer line extending  
to the Post Office is the  
one recommended by reason,  
1<sup>st</sup> Of the greater relief

afforded to the crowded portion.

2<sup>d</sup> Straightening and improving the thorough fare generally

3<sup>d</sup> Because it would necessitate the removal of many old frame buildings which from a sanitary point of view should have been removed long ago.

Every one of these buildings, with one minor exception, are wood.

Widening on the north side would involve the cutting of three valuable brick block.

In view of these considerations, the south side was approved and the dimensions of a three bridged arch next claimed our attention.

Span; - The span of one hundred and twelve feet was about right and was accordingly adopted,

Rise; - From the road bed to the dam there are only nineteen and a half feet. The arch has been placed in the sidewalk in order to secure greater

height. The center line of the upper chord being eight inches below the surface of the walk.

Placing the center of the abutment three feet ten inches about the level of the dam leaves but fifteen feet for the end vertical. From these two points, one on each bank and one hundred and twelve feet apart, circles parabolas and ellipses have been drawn with a view to fitting the present stone arch. Both for the sake of appearance and to avoid danger of

flood water. To do this it was necessary to know the exact shape of the stone arch. Measurements were made with this end in view and the results are as shown on Sheet No. 2 which shows the structure to be a five centered arch of radius nine twenty and forty one feet. It was thought that with a radius of one hundred and thirty six and two thirds feet a new arch could be designed which would best conform to the

the requirements mentioned. This gave a height of three feet at the center hinge and a rise of twelve feet.

Panels;— An excessive panel length brought the inclination of the diagonals nearly in line with the chords. For this reason a panel length of eight feet seemed to conform best to the requirements. Thus making a total of fourteen panels.

## Floor Beams; -

An effective widening of twenty four feet necessitated a floor beam of about twenty six and a half feet; the excess being in the sidewalk strut and the support on the stone arch.

From the stone arch to the center of the iron arch there are eighteen feet, the remainder of the floorbeam being a cantilever. Being limited in height the floor beams cannot be placed on the upper chord nor can they

be suspended to the tower. Connection with the upper chord is the only available way. This connection has been made by passing the floor beams between the two channels of the verticals and resting them upon brackets riveted to the back of the channels which compose the verticals.

The upper chord is ten inches deep the lower sixteen inches deep while the center vertical is but three feet. This limits the height of

the floor beams to about fifteen inches consequently they are made of steel plates and angles.

### Stringers : -

The stringers are made of plates and angles in the shape of steel flooring. This is supported upon the tops of the floor beams and is also limited in height like the floor beam it is made of steel.

Pencoyd iron flooring was not used owing to the greater efficiency of the above section.

The filling is to be concrete and tar capped with block paving.

Loading; — The structure has been designed to carry a live load of one hundred pounds to the square foot or the steam road roller used in the city.

Specification; — The specifications are those recommended for highway bridges by the Massachusetts Institute of Technology

## Calculations; —

The following calculations are submitted as a supplement to the plans and details shown on Sheet No 3

## Conclusion: —

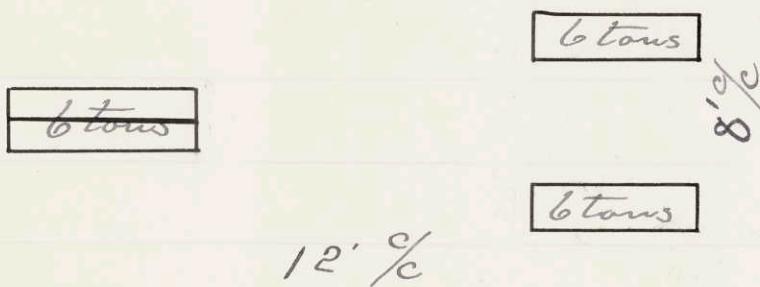
The seventy two spindles of Samuel Slater have been increased to over fourteen million.

The "Old Slater Mill" on the banks of the Blackstone has begotten thousands of cotton mills. These, indeed, remain to recall the work of Samuel Slater.

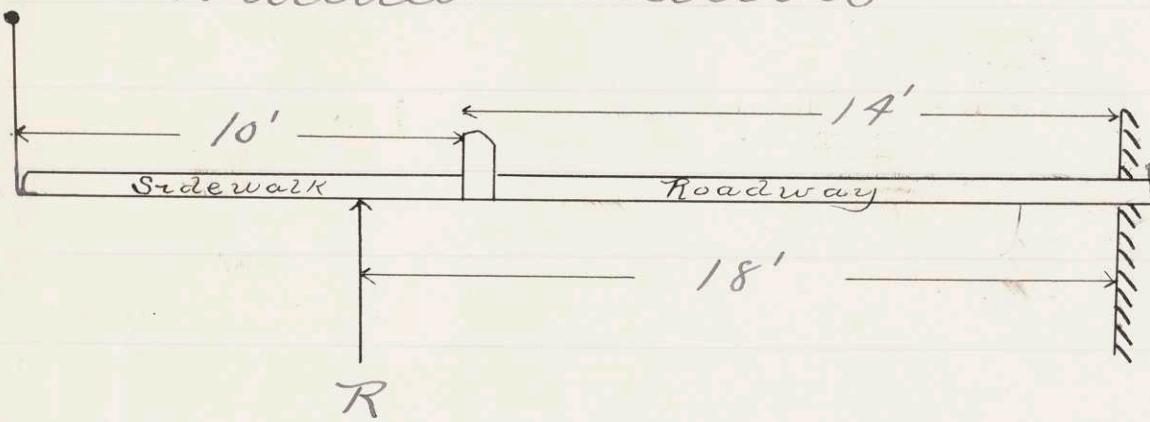
But the old wooden bridge across which were carried many pounds of yarn, many pounds of cotton cloth, has been worn away by the hurrying steps of countless thousands.

In presenting our design for Widening a Stone Arch to span this historic spot, we trust we have done no violence to the memory of him whose zeal, industry, courage, and skill won him the title of "Father of American Manufacture"

Live Loading  
 100 lbs per square foot on  
 Steam Road Roller  
 Used in Pawtucket RI



### Widened Section



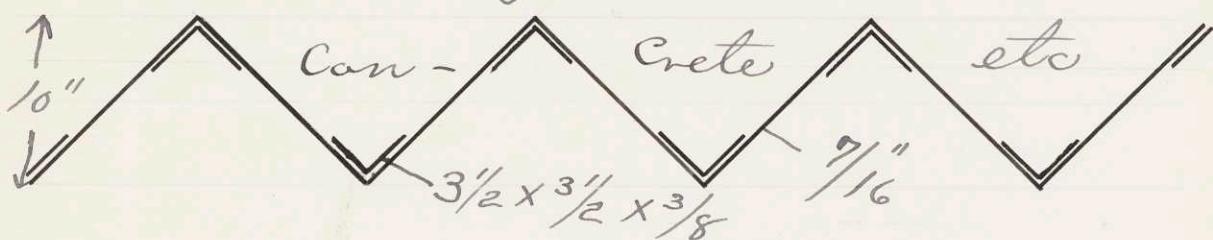
R is the reaction on the  
 Iron arch which is placed  
 18 feet from the present  
 stone arch

M. I. T. Specifications

## Iron Flooring

Iron Flooring is used in the roadway some 14 feet

## Paving Stones



Loading : — Section 20" wide

150 sq" sand @ 100 lbs cu ft = 95

Paving stones @ 160 " " " = 140

Dead weight of flooring = 65

Total Dead Load = 300

per linear foot 20" wide

Live Rear wheel on Boller  
6 tons placed in the center  
of the span

$$N = \frac{300 \times 8 \times 8 \times 12}{8} + 6000 \times 4 \times 12$$

Iron Flooring  
Max moment on section 20" wide  
= 318600

Use Steel plates & dis  $\therefore f = 10000$   
Hence  $I = \frac{316800 \times 5}{10000} = 15840$

Moment of Inertia of  
2 Plates  $\frac{7}{16}$ " thick

$$\frac{2 \times 4375 - \sqrt{2} \times 10 \times 10 \times 10}{12} = 103.2$$

2 lis  $3\frac{1}{2} \times 3\frac{1}{2} \times \frac{3}{8}$ " A = 2.4

$$248 (5 - 1.55)^2 \times a = \frac{59.1}{164.7}$$

OK

Required value of I = 158.40

Weight of Flooring 20" wide

2 Plates  $10\sqrt{2} \times \frac{7}{16}$ " = 35.35"

2 lis  $3\frac{1}{2} \times 3\frac{1}{2} \times \frac{3}{8}$  =  $\frac{16.6}{51.95}$

Assumed at 65 lbs  $\therefore$  OK

## Iron Flooring

$$\text{Pitch of Rivets} : - \quad s = \frac{S Q}{I}$$

$s$  = Reaction = for 20"

$$\text{Dead} = 300 \times 4 = 1200$$

$$\text{Live} = 6 \text{ tons} = \frac{12000}{13200}$$

$$\text{Shear on } \text{I} = 6600$$

$$Q = 1.24 \times 3.46 = 887.428$$

$$s = \frac{6600 \times 887.428}{164.7} = 172$$

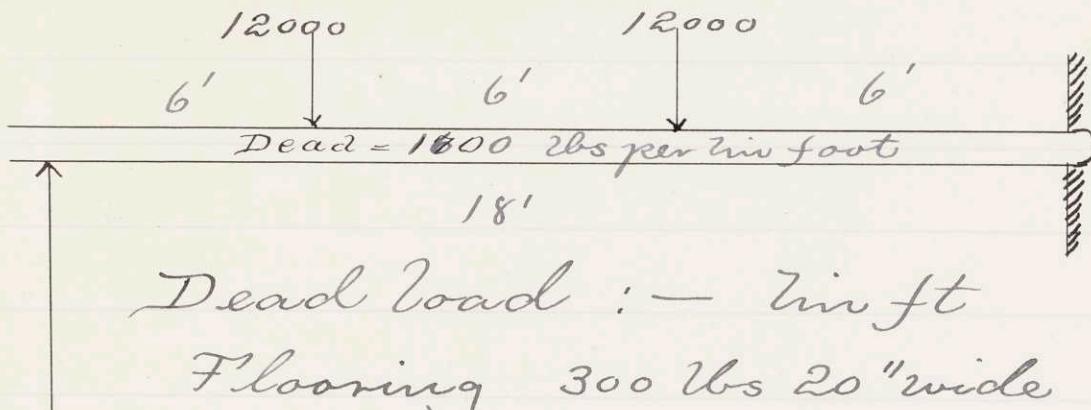
$$\text{Shearing} = 4500$$

$$\text{Bearing} = \frac{7}{8} \times \frac{3}{8} \times 16000 = 5400$$

$$\frac{4500}{172} = 26.2" \text{ Pitch Rivets}$$

Use about 4" or 5" pitch

## Floor Beam



Dead Load :— 7 in ft

$$\text{Flooring } 300 \text{ lbs } 20'' \text{ wide} \\ = 8 \frac{300}{20} 12 = 1440 \text{ say } 1500$$

Assume Floor Beam 100

Total Dead say 1600

Live Load Board Roller as shown

$$\text{Moment :— } 12000 \times 6 \times 12 = 864000$$

$$\frac{1600}{8} \times 18 \times 18 \times 12 = 777600$$

$$\text{Total Moment in ft lbs } \underline{1641600}$$

Upper Flange

$$\text{Assume depth } 15'' \quad R = \frac{1641600}{10000} \\ = 164.20$$

$$\frac{164.2}{15} = 10.92 \text{ in}$$

$$\text{Web} = \frac{1}{6} \times \frac{3}{8} \times 10 = \frac{.62}{10.30}$$

$$2 \text{ l's } \frac{3}{2} \times \frac{3}{2} \times \frac{3}{8} = \underline{4.98}$$

Floor Beam  
Upper Flange Continued

5.32

$$2 \text{ Plates } 8 \times \frac{3}{8} = \underline{6.00}$$

$$\text{Lower Flange : - } \frac{1641600}{10500 \times 15}$$

$$\text{Required Area} = 10.42 \text{ in}^2$$

$$\text{Web as before} = \underline{.62}$$

$$2 \text{ L's } 3\frac{1}{2} \times 3\frac{1}{2} \times \frac{3}{8} = \frac{9.80}{4.32} \text{ net}$$

$$2 \text{ Plates } 6\frac{1}{4} \times \frac{7}{16} = \underline{5.46}$$

Weight of Floor Beam per ft

$$4 \text{ L's } 3\frac{1}{2} \times 3\frac{1}{2} \times \frac{3}{8} = 33.2$$

$$\text{Web } 15 \times \frac{3}{8} = 18.75$$

$$2 \text{ Plates } 8 \times \frac{3}{8} = 20.00$$

$$2 \text{ Plates } 8 \times \frac{7}{16} = \underline{23.34}$$

$$95.30 + 2\% = 97$$

Assumed as 100 : OK

Dead load on the cantilever tends to diminishes. so small it was neglected

## Floor Beam

Max Panel Load = 29400

$$S = \frac{S_Q}{I} \quad S = 29400$$

$$Q = 7.98 \times 7.5 = 59.8$$

$$I = 59.8 \times 2 \times 75 + I_{\text{web}}$$

$$S = \frac{29400 \times 59.8}{896 + 106} = 1750$$

Value of a Rivets Steel Plates

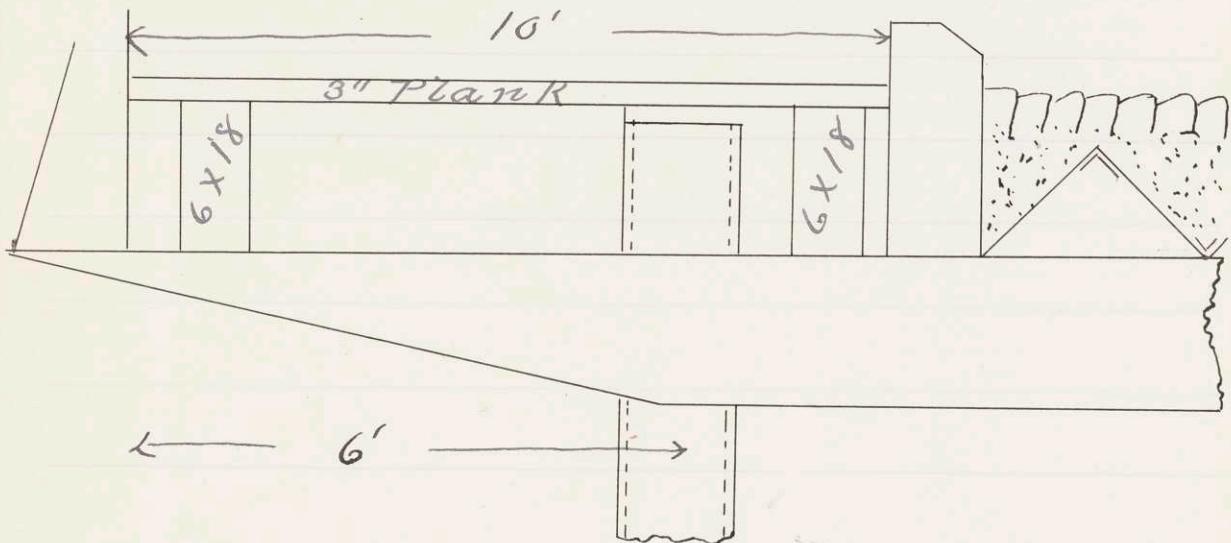
$$\text{Bearing} ; - \frac{7}{8} \times \frac{3}{8} \times 18000 = 6000$$

$$\text{Shearing} ; - .6 \times 2 \times 7500 = 9000$$

$$\text{Pitch} = \frac{6000}{1750} = 3.43 "$$

3" Pitch is used

## Floor Beam Cantilever Portion :-



Sidewalk Live Load  $100 \text{ lb}'$   
Yellow Pine Floor  $f = 1000$

$$\frac{1000 \times 12 \times h^2}{6} = \frac{100 \times 9 \times 9 \times 12}{8}$$

$$h = 2.47"$$

$\therefore$  Call Floor 3" Planks

Stringers:- Must be 18" high  
an account of the truss  
Use Cheap Timber  $f = 600$   
Loading Live =  $5 \times 100 = 500$   
Plank  $40 \times \frac{1}{4} \times 5 = 50$ ; St = 25 say

## Floor Beam Cantilever Portion :- Moment

$$200 \times 6 \times 12 = 14400$$

$$4600 \times 5\frac{1}{2} \times 12 = \underline{303600}$$

Total moment  $31800^{\circ}$  inch lbs  
Very much less than the  
other moment which this  
loading tends to diminish  
Hence the entire area  
of the Floor Beam not  
quite as large as figured  
Dead load of the wooden  
side so small that it  
was neglected in designing  
the first section

Area of Cantilever portion  
diminished by cutting of plate  
For other reasons the inner  
plates are carried throughout

## Floor Beam

Stringer on Side walk

$$\text{Load per ft} = 300 + 50 + 25 = 375$$

$$\frac{375}{8} \times 8 \times 8 \times 12 = \frac{1}{6} \times 600 \times b \times 18 \times 18$$
$$b = 1.75 "$$

Here there must be some excess of material for the sake of getting the Arch as high from the water as possible Let us use 6" x 18"

Max Reaction on Stringer

$$= 575 \times 8 = 4600 \text{ lbs}$$

including both live & dead

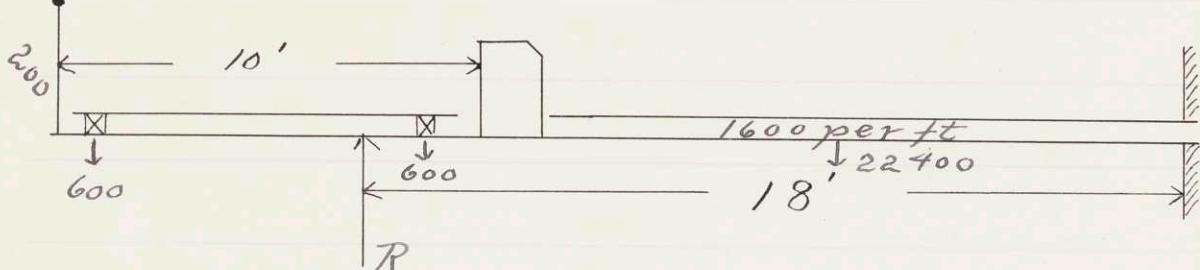
Fence on Sidewalk weight

25 lbs per lin ft

$$25 \times 8 = 200 \text{ lbs panel}$$

## Panel Loads

### 1° Dead Load



$$18R = 22400 \times 7 + 600 \times 15 + 800 \times 24$$

$$R = 9800 \text{ say } 1300 \text{ per ft}$$

### 2° Live Load 100 lbs/s'

Stringer Reactions = 4000 each

$$8 \times 100 \times 14 = 11200 \text{ Roadway}$$

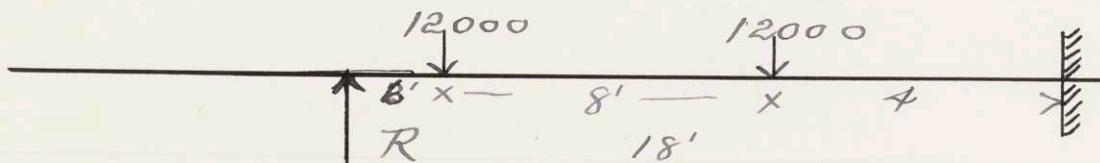
$$\text{Hence } 18R = 11200 \times 7 + 4000(15+24)$$

$$R = 13000 \text{ say } 1600 \text{ per ft}$$

### 3° Road Roller Ecess

Live on Roadbed

$$18R = 11200 \times 7 \quad R = 4355$$



$$18R = 4 \times 12000 + 12 \times 12000 \cdot R = 10555$$

## Panel Loads

3° Continued

R. Live per panel = 4355

R. Road Roller = 10555

Excess ∴ = 6200 lbs. panel

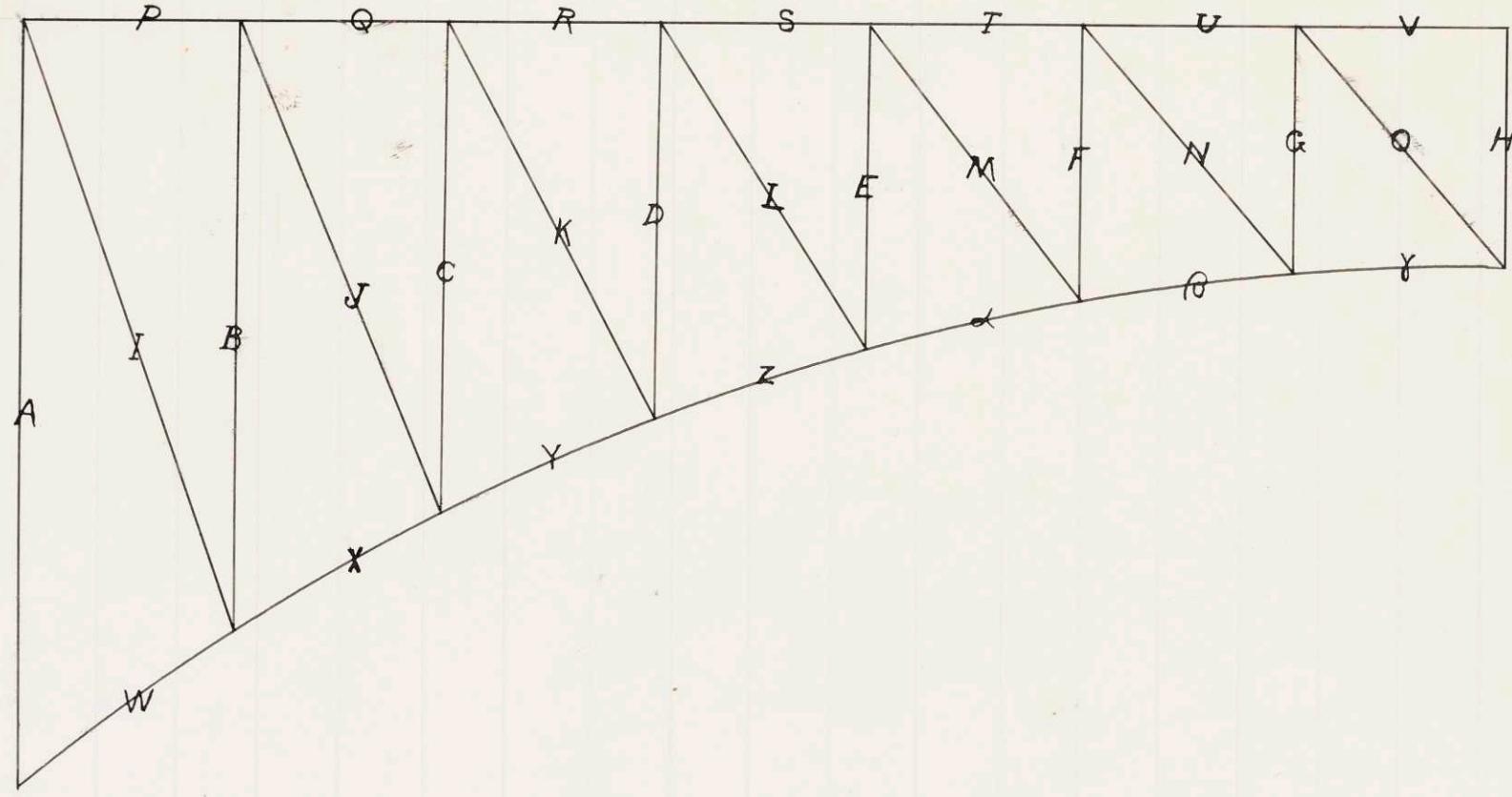
4° Dead load Truss = 450 per ft

## Summary for Influence Lines

Dead Load per ft = 1750

Live " " " = 1600

Road Roller Excess = 6200 per panel



$$\text{Span} = 112 \quad \text{Rise} = 12' \\ \therefore \text{Radius} = 136.66'$$

### Lengths of Bands

$A = 15.00$	$I = 14.20$	$Q = 8.00$	$Y = 8.29$
$B = 11.71$	$J = 12.03$	$R = 8.00$	$Z = 8.17$
$C = 8.99$	$K = 10.50$	$S = 8.00$	$L = 8.08$
$D = 6.80$	$L = 9.50$	$T = 8.00$	$B = 8.03$
$E = 5.12$	$M = 8.92$	$V = 8.00$	$P = 8.00$
$F = 3.94$	$N = 8.62$	$U = 8.00$	
$G = 3.24$	$O = 8.54$	$W = 8.65$	
$H = 3.00$	$P = 8.00$	$X = 8.45$	

### Reactions for Load Unity

Load at Joint

Panel	$\overset{1}{P}Q$	$\overset{2}{Q}R$	$\overset{3}{R}S$	$\overset{4}{S}T$	$\overset{5}{T}V$	$\overset{6}{V}W$	$\overset{7}{W}V$
V.C.	$\frac{1}{14}$	$\frac{1}{7}$	$\frac{3}{14}$	$\frac{2}{7}$	$\frac{5}{14}$	$\frac{3}{7}$	$\frac{1}{2}$
H.C.	$\frac{1}{3}$	$\frac{2}{3}$	1	$\frac{4}{3}$	$\frac{5}{3}$	2	$\frac{7}{3}$

## Verticals - Bar A

Stress = V.C of I +  $\frac{1}{2}$  Panel Load

Stress in I = ten 32000 Comp = 40000

V.C. : Stress = 11.71 : 14.2

V.C. = 26500 causing comp

10561 Road Roller

37061 = Total Comp.

16680  
53741 Max Comp + 60%

V.C. = 33200 causing tension

5400  $1350 \times 4$

27800 Max Tension

60  
16680

44480 Max Tension + 60%

Assume 2-3.5" x 8" Ls

$$\frac{9500}{1 + \frac{1}{18000} \frac{15 \times 15 \times 144}{3 \times 3}} = 7920 \quad \frac{53800}{7900} = 6.8$$

Hence 2-8" Ls 35° O.K.

## Bar A Continued

Tension = 44480      Comp = 53800

Riv =  $3\frac{1}{8}$ "

Bearing =  $\frac{53800}{2 \times 3\frac{1}{8} \times 16000} = .54$  thick  
∴ Use plate  $\frac{9}{16}$ "

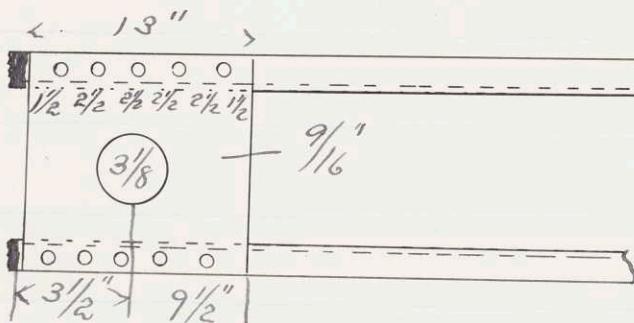
Rivets; -  $\frac{7}{8}$ "

$.6 \times 7500 = 4500$  Shearing

$\frac{7}{8} \times 16000 \times .37 = 5150$  Bearing on 8"

Shearing units

$\frac{53800}{2 \times 4500} = 5.9$  Rivets on each side  
the vertical



6 Rivets necessary  
to need

This vertical carries tension  
44480      Will the plate shear?

## Bar A Continued

Sanzar gives  $a = 100000$  in  
 $a \frac{t\tau^2}{2} = 44480$   
Solving  $\tau = 1.15'' \pm$

Shearing :—  $2\left(\tau + \frac{d}{2}\right) \cdot 56 \times 7500 = \frac{44480}{2}$   
 $\tau = 2.7''$

Hence  $3\frac{1}{2}$  as used OK

## Floor Beam Support

Live Load = 1600 per ft

Dead .. =  $\frac{1300}{2900}$  .. ..

Reaction =  $2800 \times 8 = 23200$

Road Roller Ecess =  $\frac{6200}{29400}$   
Max Reaction

Floor Beam at Panel A  
does not carry but 22000  
Let us make detail same for all

## Bar A Continued

Rivets; - Shearing  $.6 \times 7500 = 4500$

$8'' L$  web = .21 +  $\frac{3}{8}$  Plate = .58

Bearing; -  $\frac{7}{8} \times 16000 \times .58 = 8180$

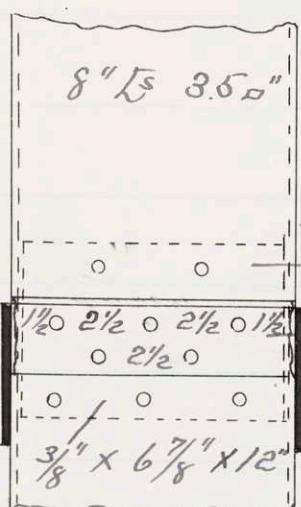
$\frac{29400}{4500} = 6.54$  Rivets 4 on each

5 on each are used

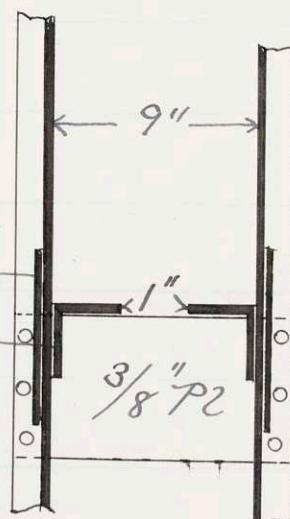
Width; - Floor Beams = 8" Flange  
Hence width in clear = 9"

Brackets; -  $6'' \times 4'' \times \frac{1}{2}''$  L

4 Rivets ( $\frac{7}{8}$ ) necessary use 5



Sections  
through  
the center  
 $\frac{3}{8}$ " Plate  
 $6 \times 4 \times \frac{1}{2}$   
 $\frac{7}{8}$ " Rivets



Perpendicular  
to the Truss

Parallel to  
the Truss

Bar A Continued

Plate on lower end,-

Pin  $5\frac{3}{4}''$

Assume plate as at the top  $\frac{9}{16}$

$$.56 \times 11 = 6.16$$

$$.56 \times 5.75 = \underline{3.22}$$

3.94 net section

$$\frac{22240}{394} = 7550 \quad \text{Hence } \frac{9}{16}'' \text{ Plate OK}$$

Lanza, -  $a = 100000$  in  $a \frac{t\gamma^2}{d}$

$$\gamma^2 = \frac{5.75 \times 100000}{.56 \times 22240} = 46.21$$

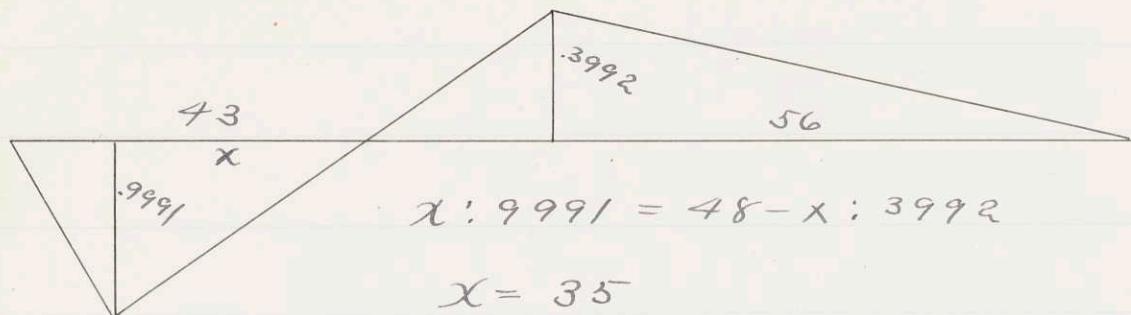
$$\gamma = 7'' \pm$$

Shearing  $2 \times 7500 \times \left(\gamma + \frac{d}{2}\right) \times .56 = 22000$

$$\gamma + \frac{5.75}{2} = 2.62$$

Hence Use same ( $\frac{9}{16}''$ ) plate  
Pin 7" from the edge

## Bar B - Continued



Compression :-

$$\frac{43}{2} \cdot .9991 = 26.5^{\circ}$$

Tension :-  $\frac{79}{2} \cdot .3992 = 15.8$

Difference = 10.7 Compression

Stresses :-

Compression

Tension

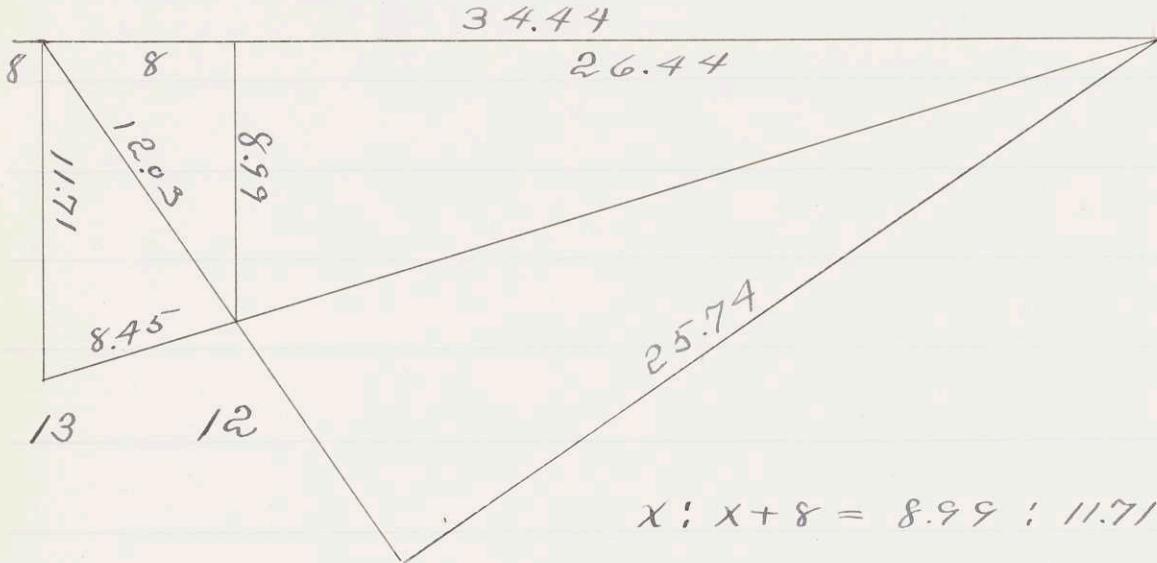
$$1750 \times 10.7 = 18720 \quad 1600 \times 15.8 = 25300$$

$$1600 \times 26.5 = 42400 \quad 6200 \times .3992 = \frac{2480}{27780}$$

$$6200 \times .9991 = \frac{6200}{67320} \quad \underbrace{18720}_{9060}$$

$$\frac{5436}{72756} = 60\% \text{ of } 9060 \quad \frac{5436}{14496}$$

## Vertical Bar B



$$y : 34.44 = 8.99 : 1203 \quad y = 25.74$$

Ordinates - Influence Lines

Load at 7;—

$$-34.44 S = -\frac{7}{3} 15 + \frac{1}{2} 42.44 \quad S = +3.992$$

Load at 13;—

$$34.44 S = \frac{1}{3} 15 - \frac{13}{14} 42.44 +$$

$$S = -9.991$$

Load at 14       $S = 0$

## Bar B- Continued

Assume  $\omega = 8'' \text{ & } 4.5 \text{ s}$

$$\frac{9500}{1 + \frac{1}{18000} \frac{11.7 \times 117 \times 144}{2.7 \times 2.7}} = 8260 \text{ Allow.}$$

$$\frac{72800}{2 \times 8200} = 4.44 \text{ s} \quad 4.5 \text{ s OK}$$

Bearing on Pin ; -

$$2 \times 3\frac{1}{8}'' x \times 16000 = 72800 \quad x = .73$$

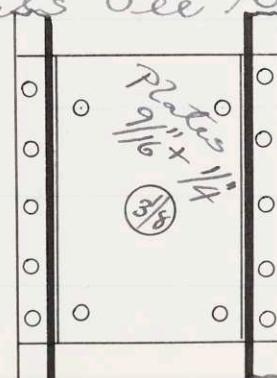
Hence  $\frac{3}{4}''$  Plate this is the only place where  $\frac{1}{16}''$  plate is not sufficient

Thus, rivet on a  $\frac{1}{4}''$  Plate inside and counter sink the rivets.

This is done in order to maintain the width of the Chords  
Rivets ; - Other details See Bar A

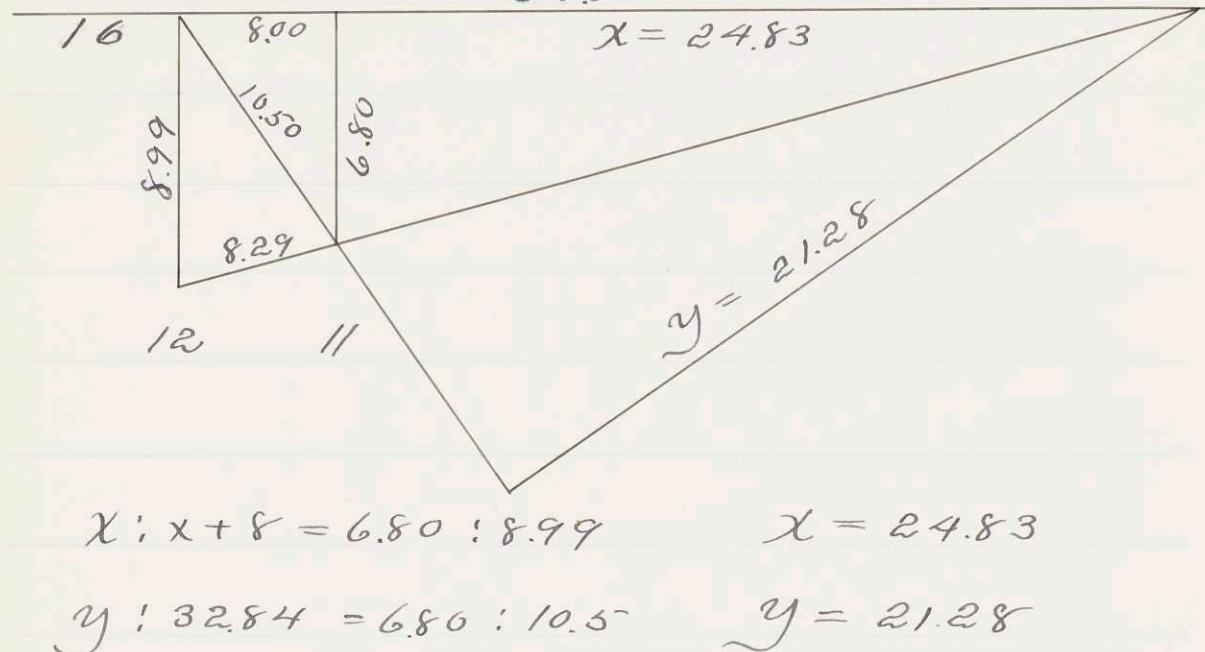
$$\frac{72800}{2 \times 4500} = 8$$

10 rivets O.K



## Vertical - Bar C

32.84



## Ordinates Influence Lines

Load at 7

$$32.84 + 16 = 48.84$$

$$+ 32.84 S + \frac{1}{2} 48.84 - \frac{7}{3} 15 = 0 \quad S = +3.22$$

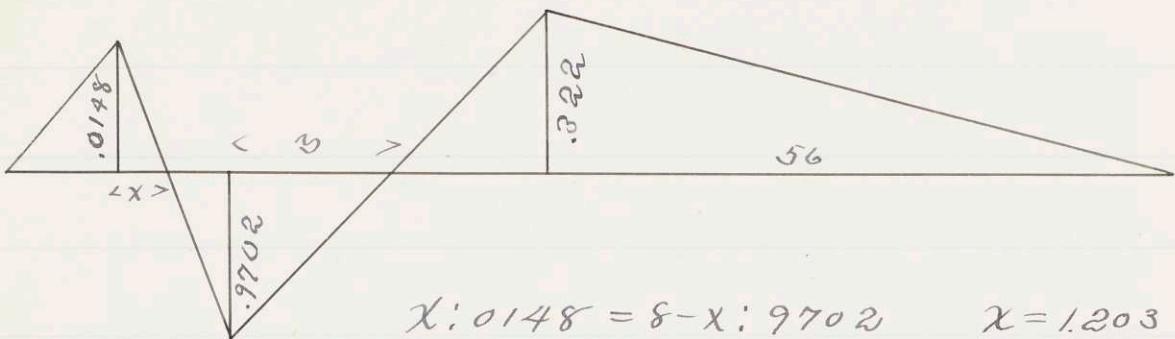
Load at 12

$$+ 32.84 S + \frac{6}{7} 48.84 - \frac{2}{3} 15 = 0 \quad S = -9.702$$

Load at 13

$$32.84 S + \frac{13}{17} 48.84 - \frac{1}{3} 15 = 40.84 \quad S = +0.0148$$

## Bar C-Continued



Compression; -  $\frac{37.90}{2} \cdot 0.9702 = 18.40$

Tension; -  $\frac{0.148}{2} 8.12 + \frac{0.322}{2} 65.98 = 10.67$

Difference = 7.63 Compression

Compression

$$7.63 \times 1750 = 13520$$

$$18.40 \times 1600 = 29440$$

$$6200 \times 0.9702 = \frac{6020}{48990}$$

$$\begin{array}{r} 3340 \\ \hline 52330 \end{array}$$

Max Comp. + 60%

Tension

$$10.67 \times 1600 = 17100$$

$$6200 \times 0.322 = \underline{1990}$$

$$\begin{array}{r} 19090 \\ \hline \text{Dead} = \frac{13520}{5570} \\ \hline .6 \\ \hline 3342 \end{array}$$

$$\text{Tew. } 8912$$

## Bar C Continued

Assume 2-8"  $\times$  3"  $\times$

$$\text{Allow Stress} = \frac{9500}{1 + \frac{1}{18000} \frac{9 \times 9 \times 144}{3 \times 3}} = 8860$$

$$\frac{52400}{2 \times 8860} = 2.93 \text{ in} \quad 3\text{" O.K.}$$

Details of Connections with

(a) Floor Beam

(b) Pin

Same as bar A since

Bearing : - On Pin

$$\frac{52400}{2 \times 3\frac{1}{8} \times 16000} = .532 \text{ say } \frac{9}{16} \text{ Plate}$$

Same as A

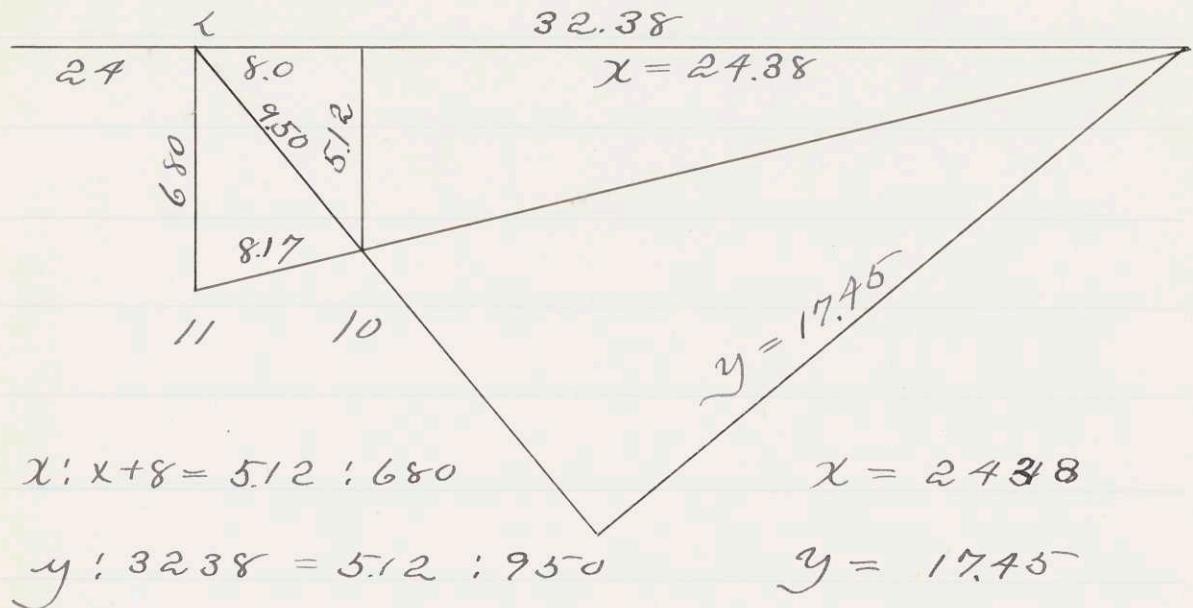
Rivets : -  $\frac{7}{8}$ "

$$\text{Shearing } 4500 = .6 \times 7500$$

$$\text{Bearing } \frac{7}{8} \times 16000 \times .37 = .5780$$

$$\frac{52400}{2 \times 4500} = 6 \text{ Rivets Use 10 as in A}$$

## Vertical - Bar D



Ordinates - Influence Line

Load at 7  $8 + 24.38 + 24 = 56.38$

$$32.38 S - \frac{7}{3} 15 + \frac{1}{2} 56.38 = 0$$

$$S = +.210$$

Load at 11

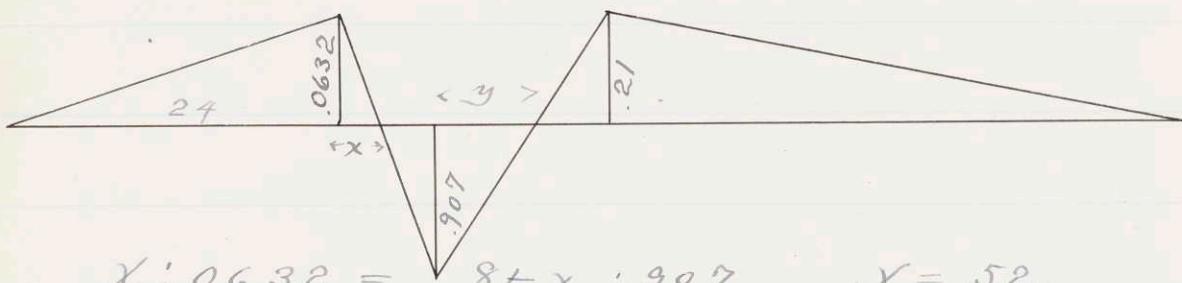
$$32.38 S + \frac{11}{14} 56.38 - 15 = 0 \quad S = -.907$$

Load at 12

$$32.38 S + \frac{6}{7} 56.38 - \frac{2}{3} 15 - 40.38 = 0$$

$$S = +.0632$$

## Bar D Continued



$$y : .907 = 32 - y : .21 \quad y = 31.27$$

Compression; -  $\frac{7.48 + 31.27}{2} .907 = 17.57$

Tension; -  $\frac{.0632}{2} 24.52 + 56.73 \frac{.21}{2} = 6.73$

Difference 10.84 Compression

Compression

$$10.84 \times 1750 = 18990$$

$$17.57 \times 1600 = 28110$$

$$6200 \times .907 = \frac{5630}{52730}$$

Tension

$$1600 \times 6.73 = 10780$$

$$6200 \times .21 = \frac{1310}{12090}$$

Camp.

Assume 2- 6" S 30"

$$\frac{9500}{1 + \frac{1}{18000}} \frac{6.8 \times 6.8 \times 144}{2.3 \times 2.3} = 8930 \text{ allow}$$

## Bar D Continued

$$\frac{53000}{2 \times 8900} = 2.985"$$

$\therefore 2\text{-}6\text{"} \times 3\text{v}$ " O.K. For sake of uniformity  $2\text{-}8\text{"} \times$  same area

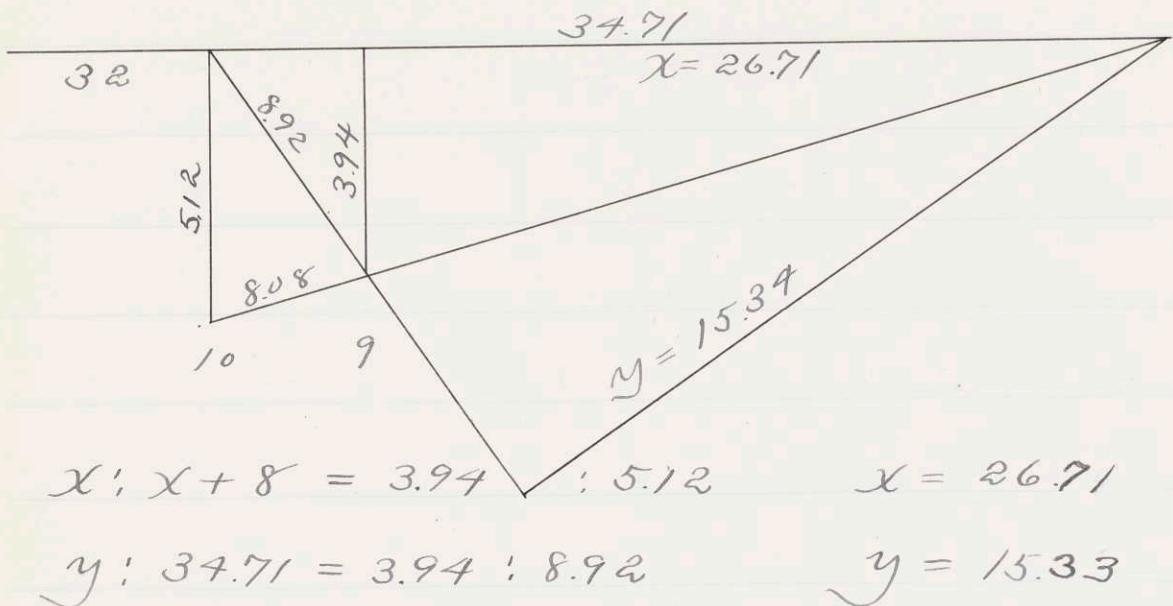
## Bearing on Pin

$\frac{53000}{2 \times 3\frac{3}{8} \times 16000} = .531$  say  $\frac{9}{16}$ " Plate  
and make it  
in this detail the same as Bar A

## Floor Beam Connection

Same as Bar B, A etc.

## Vertical Bar E.



## Influence Lines

$$S \cdot 34.71 + \frac{1}{2} \cdot 66.71 - \frac{7}{3} \cdot 15^- = 0$$

$$S = +0.474 \quad \text{Load at 7}$$

Load at 10

$$34.71 S + \frac{5}{7} \cdot 66.71 - \frac{4}{3} \cdot 15^- = 0$$

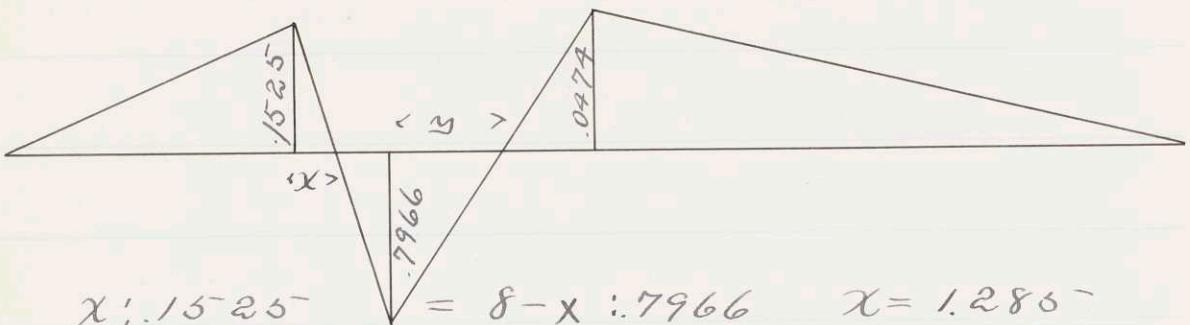
$$S = -0.7966$$

Load at 11

$$34.71 S + \frac{11}{14} \cdot 66.71 - \frac{4}{7} \cdot 15^- - 42.71 = 0$$

$$S = +0.1525^-$$

## Bar E Continued



$$y : 7966 = 24 - y : 0474 \quad y = 22.62$$

Compression: -  $\frac{29.34}{2} \cdot 7966 = 1170$

Tension: -  $\frac{1525}{2} \cdot 25.28 + \frac{0474}{2} \cdot 57.38 = 3.29$

Difference = 8.41 Compression

Compression

$$8.41 \times 1760 = 14720$$

$$11.70 \times 1600 = 18700$$

$$\begin{array}{r} 6200 \times 7966 = 4940 \\ \hline 38360 \end{array}$$

Tension

$N_{\text{even}}$

Assume 2-6"  $\times$  2.5"  $\times$  "

$$\frac{9600}{1 + \frac{1}{18000} \cdot \frac{512 \times 512 \times 144}{2.3 \times 2.3}} = 92.25 \text{ allow}$$

## Bar E Continued

$$\frac{39000}{9200 \times 2} = 2.125"$$

Call it  $\frac{3}{4}$ "

And make it like the others

2-8" to 3 $\frac{1}{2}$ "

## Beaming on Pin

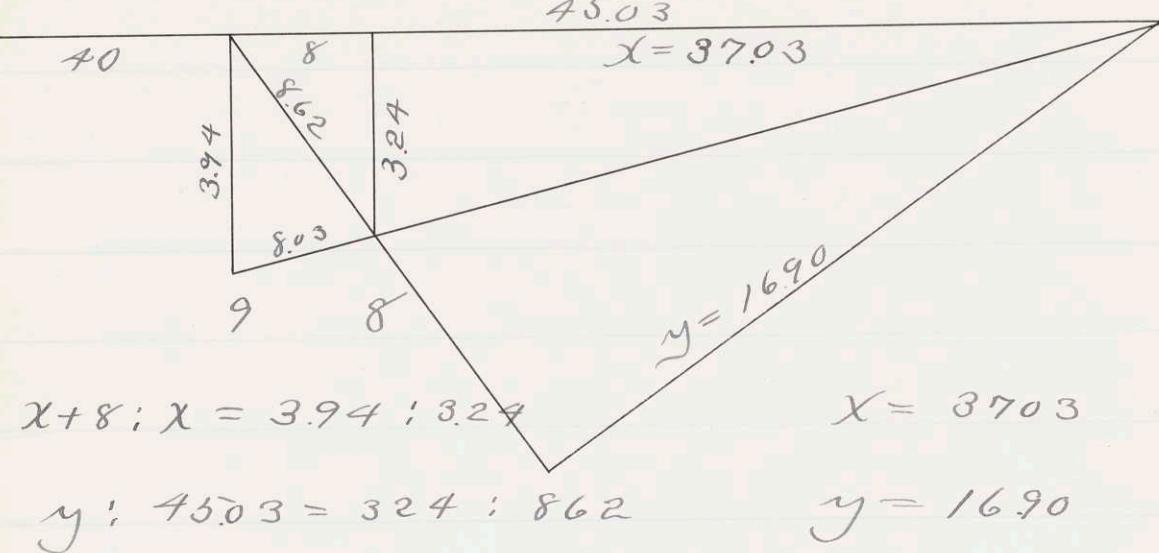
$$\frac{39000}{2 \times 3\frac{1}{8} \times 16000} = .40$$

Call it  $\frac{1}{4}$ " and

make it like the others

Floor Beam Connections the same  
as stated Bar A

# Vertical-Bar F



Influence Line

Load at 7

$$45.03 S + \frac{1}{2} 85.03 - \frac{7}{3} 15^- = 0$$

$$S = -1669$$

Load at 9

$$45.03 S + \frac{9}{14} 85.03 - \frac{5}{3} 15^- = 0$$

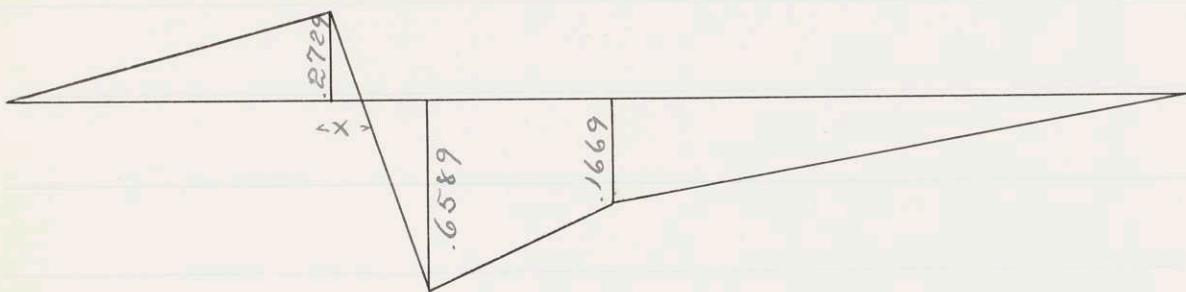
$$S = -6589$$

Load at 10

$$45.03 S + \frac{5}{7} 85.03 - \frac{4}{3} 15^- - 53.03 = 0$$

$$S = +2729$$

## Bar F Continued



$$x : .2729 = 8 - x : .6589 \quad x = 2.34$$

Tension :-  $\frac{2729 \times 34.34}{2} = 4.68$

Compression :-  $.1669 \times 28 + 8(.1669 + .6589)$   
 $+ \frac{5.66}{2} .6589 = 13.15$

Difference = 8.47 Compression

Compression

$$8.47 \times 1750 = 14820$$

$$13.15 \times 1600 = 21200$$

$$6200 \times .6589 = \frac{4080}{40100}$$

Tension

$$1600 \times 4.68 = 7500$$

Never

Assume 2-6" D 2.5" S "

## Bar F Continued

$$\frac{9500}{1 + \frac{1}{18000} \frac{3.94 \times 3.94 \times 144}{2.3 \times 2.3}} = 9290$$

$$\frac{40100}{2 \times 9200} = 2.18 \text{ in}$$

Use 2 - 8" L 35" same as before

Bearing on Pin

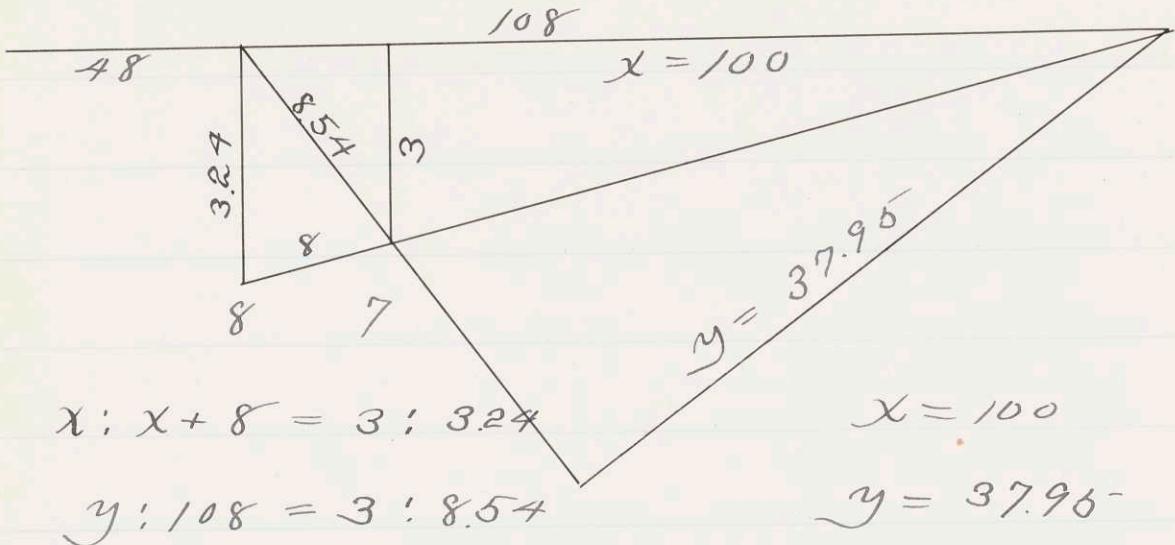
$$\frac{40100}{2 \times \frac{3}{8} \times 16000} = .41 \quad \text{say } \frac{9}{16} \text{ " Plate}$$

Same as before

Floor Beam Connections

Same as Bar A

# Vertical Bar Co



Influence Line :-

Load at 9 -

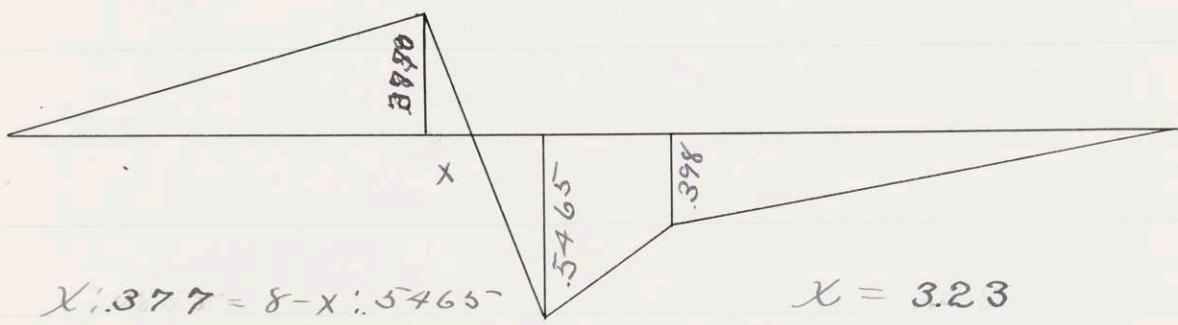
$$108S + 156 \frac{1}{2} - \frac{2}{3} 15 = 0 \quad S = -3.98$$

Load at 8 -

$$108S + 156 \frac{4}{7} - 2 \times 15 = 0 \quad S = -5.465$$

Load at 9 -

$$-108S + \frac{5}{14} \times 44 + \frac{5}{3} 15 = 0 \quad S = +3.770$$



## Bar G Continued

$$\text{Compression} : - = 16.23$$

$$\frac{398}{2} 56 + (5465 + 398) 4 + \frac{5465}{2} 4.77$$

$$\text{Tension} = \frac{377}{2} 43.23 = 8.15$$

Difference 8.08 Compression

$$\text{Compression} : - \text{ Tension}$$

$$16.23 \times 1850 = 26000 \quad 1600 \times 8.15 = 13040$$

$$1850 \times 8.08 = 14140 \quad 6200 \times .377 = \frac{2400}{15940}$$

$$\begin{array}{rcl} 6200 \times 5465 = \frac{3380}{43520} & \text{Dead} & \frac{14140}{1300} \\ + 60\% T \quad \frac{780}{44300} & & \end{array}$$

Assume 2-8" to 3.0."

$$\frac{9500}{1 + \frac{1}{18000} \frac{3.24 \times 3.24 \times 144}{3.07 \times 3.07}} = 9430 \text{ allow}$$

$$\frac{45000}{2 \times 9400} = 2.72 \text{ in}$$

Hence 28" to 3.0" OK some excess but better to be uniform

Vertical Bar H

Max Tension = 0

Max Compression = Max

panel load = 29800

as deduced under Bar A

$$\frac{29800}{6\text{ in.}} = 4970$$

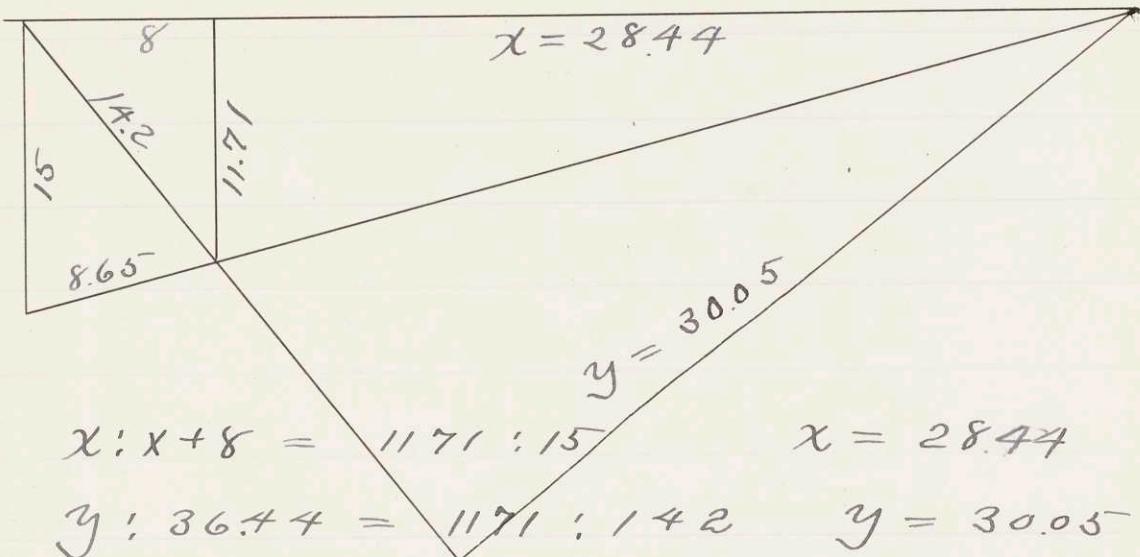
Allow. at  
least is 7300

For the sake of Floor Beam  
connection make it the  
same as the others

Hence 2- 8" ~~to~~ 3" total 6"

Shearing and Bearing on  
pin :- Much less than  
in any other case but  
for uniformity call it  
 $\frac{9}{16}$ " plate 10 Rivets

# Diagonal Bar I



$$x : x + 8 = 1171 : 15 \quad x = 28.44$$

$$y : 36.44 = 1171 : 142 \quad y = 30.05$$

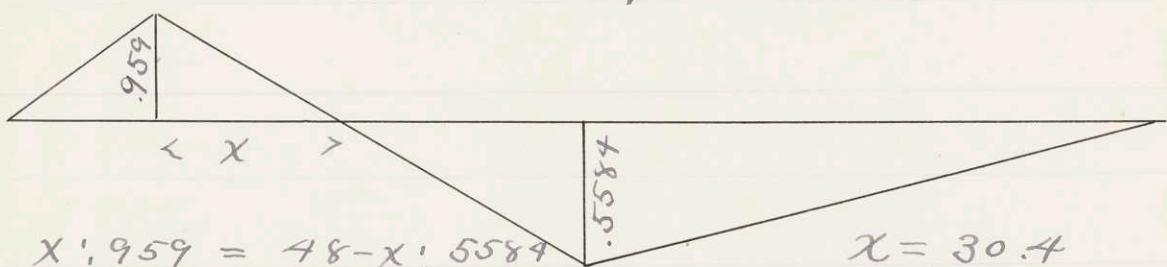
Influence Lines :-

$$\text{Load at } 7 - 30.05 - S + 36.44 \frac{1}{2} - \frac{1}{3} 15 = 0$$

$$S = -55.84$$

$$\text{Load at } 13 - 30.05 - S + \frac{13}{14} 36.44 - \frac{15}{3} = 0$$

$$S = +95.9$$



$$x : 95.9 = 48 - x : 55.84$$

$$\text{Tension} : \frac{95.9}{2} 38.4 = 18.45$$

$$\text{Compression} : -\frac{55.84}{2} 736 = 20.58$$

Difference = 2.13 Compression

## Bar I Continued

Compression	Tension
$1750 \times 2.13 = 3730$	$1600 \times 18.45 = 29500$
$1600 \times 20.58 = 32900$	$6200 \times .959 = \underline{5930}$
$6200 \times 5.584 = \underline{3460}$	Dead $\frac{35450}{3730}$
$60\% \text{ ten} = \underline{\frac{40090}{19032}}$	$+ 60\% \quad \underline{\frac{31720}{19032}}$
Max = 59122	80752

Assume 2- 8" L 4" "

$$\frac{9500}{1 + \frac{1}{18000} \frac{14.2 \times 142 \times 144}{2.89 \times 2.89}} = 8080 \text{ allow}$$

$$\frac{59122}{2 \times 8000} = 3.75" \text{ Comp O.K.}$$

Tension :-

Bearing on Pin,-

$$\frac{59200}{2 \times 16000 \times 3\frac{1}{8}} = .60 \quad \text{Web} = 34$$

∴ say  $3\frac{1}{8}"$  Filler

Gross Section = 4 "

$$\text{Pin hole } .34 \times 3\frac{1}{8} = \frac{1.06}{2.94} \text{ Net}$$

$$\frac{50800}{2 \times 2.94} = 8500 \quad \text{Tension O.K.}$$

# Diagonal Bar T

Sketch and Lever Arms see Bar B

Influence Line : -

$$\text{Load at } 7 - 25.74 S + \frac{1}{2} 42.44 - 15 \frac{2}{3} = 0$$

$$S = -0.5353$$

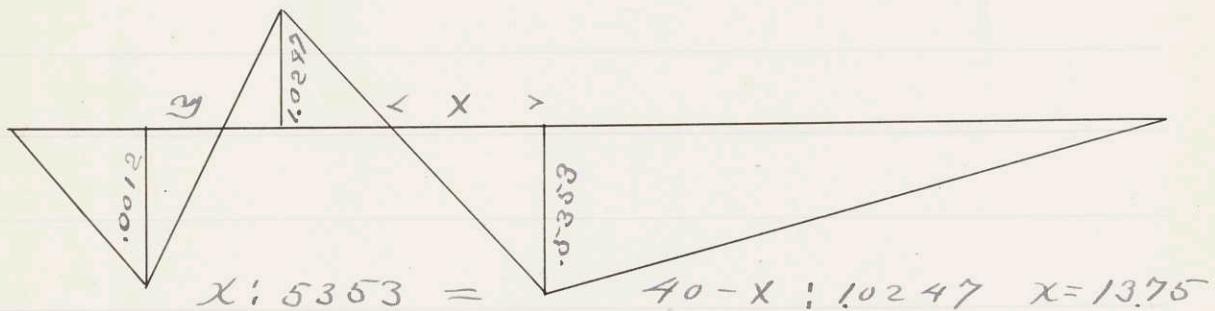
Load at 12 -

$$-S 25.74 + \frac{6}{7} 42.44 - 15 \frac{2}{3} = 0 \quad S = +1.048$$

Load at 13

$$-S 25.74 + \frac{13}{14} 42.44 - 15 \frac{2}{3} - 34.25 = 0$$

$$S = -0.0012$$



$$y : 0.0012 = 8 - y : 1.0247 \quad y = 0.0094$$

$$\text{Tension : } -\frac{1.0247}{2} 34.25 = 17.52$$

$$\text{Compression : } -\frac{53.63}{2} 69.75 = 186.8$$

Difference 116 Compression

# Bar J Continued

Compression      Tension

$$1.16 \times 1750 = 2030 \quad 1600 \times 17.52 = 28100$$

$$18.68 \times 1600 = 29900 \quad 6200 \times 1.0247 = \underline{6350} \quad \underline{34450}$$

$$\begin{array}{rcl} 6200 \times .5353 = \underline{3320} & & \text{Dead} \\ + 60\% \text{ ten} & \underline{\underline{35250}} & \underline{2030} \\ \hline \text{Max} & \underline{\underline{19450}} & + 60\% \\ & & \underline{\underline{32420}} \\ & & \hline \text{Total} & & \underline{\underline{19450}} \\ & & \hline & & \underline{\underline{51870}} \end{array}$$

Compression :

Assume 2 - 8" D 4" x 4"

$$\frac{9500}{1 + \frac{1}{18000} \frac{12 \times 12 \times 144}{2.89 \times 289}} = 8280 \text{ allow}$$

$$\frac{54700}{2 \times 8200} = 3.34 \text{ in } 4 \text{ " O.K.}$$

Bearing :-

$$\frac{54700}{2 \times 16000 \times 3\frac{1}{8}} = .55$$

$\frac{.34}{.21}$  say  $\frac{3}{8}$ " Plate

Tension :-

Gross Area = 4"

Piv Hole	$\frac{1.06}{2.94}$	
$\frac{52000}{2 \times 294} = 8850$		O.K.

Diagonal Bar K  
 Sketch and Lever Arms Bar C  
 Influence Line  
 Load at 7

$$-21.28 S + \frac{1}{2} 48.84 - \frac{2}{3} 15 = 0 \quad S = -49.75$$

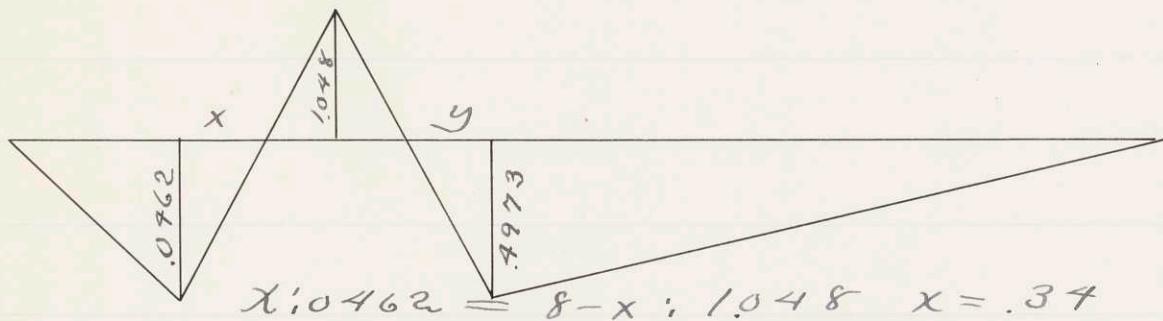
Load at 11

$$-21.28 S + \frac{6}{7} 48.84 - \frac{7}{7} 15 = 0 \quad S = +1.048$$

Load at 12

$$-21.28 S + \frac{6}{7} 48.84 - \frac{2}{3} 15 - 32.84 = 0$$

$$S = -0.462$$



$$y : 49.75 = 32 - x : 1.048 \quad y = 10.25$$

Compression :-

$$\frac{16.32}{2} \cdot 0.462 + \frac{49.75}{2} 66.25 = 16.84$$

$$\text{Tension} : - \frac{1.048}{2} 29.41 = 15.38$$

Difference = .46 Compression

# Bar K Continued.

Compression

Tension

$$46 \times 1750 = 8060$$

$$15.38 \times 1600 = 24600$$

$$16.84 \times 1600 = 26950$$

$$6200 \times 1048 = \frac{6500}{31100}$$

$$6200 \times 4973 = 3080$$

$$+ 60\% \quad \frac{805}{30290}$$

$$\begin{array}{r} 30835 \\ - 18177 \\ \hline 49012 \end{array}$$

$$\begin{array}{r} 18177 \\ \hline 48472 \end{array}$$

Compression: — 2-8" L 4" T

$$\frac{9600}{1 + \frac{1}{18000} \frac{10.6 \times 10.6 \times 144}{2.89 \times 2.89}} = 8880$$

$$\frac{49012}{2 \times 8880} = 2.92"$$

$$\text{Bearing: } \frac{49012}{2 \times 3\frac{1}{8} \times 16000} = .492$$

$$\text{Web of } 8" L 4" = 34$$

Say use a  $\frac{3}{8}$ " Plate

Tension: — Gross Area 4"

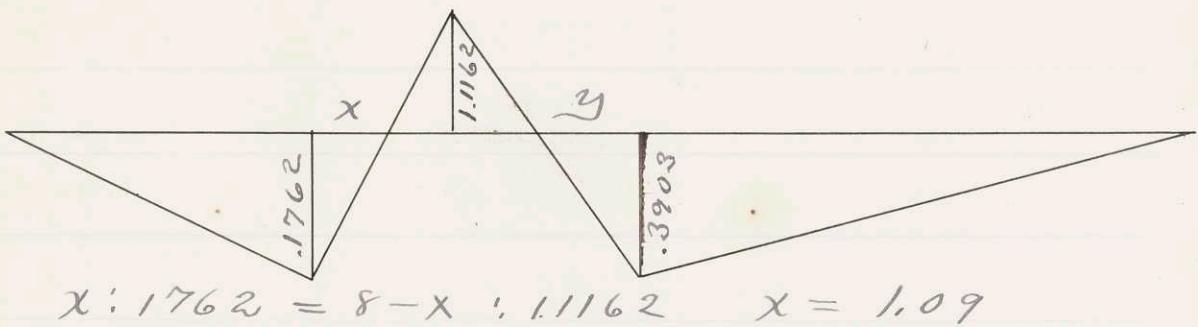
$$\text{Pin hole} = \frac{1.06}{2.94}$$

$$\frac{48472}{2 \times 2.94} = 8270$$

∴ Use 2-8" L 4"

Diagonal Bar L  
 Sketch and Lever arms Bar D  
 Influence Line:  
 Load at 7 - 17.45 S + 56.38  $\frac{1}{2}$  - 15  $\frac{2}{3}$  = 0  
 $S = -39.03$

Load at 10 : - 17.45 S +  $\frac{5}{7} 56.38 - 15 \frac{4}{3} = 0$   
 $S = +116.2$   
 Load at 11: - 17.45 S -  $\frac{11}{4} 56.38 - 15 - 32.38 = 0$   
 $S = 176.2$



$$x : 176.2 = 8 - x : 116.2 \quad x = 1.09$$

$$y : 39.03 = 24 - y : 116.2 \quad y = 6.20$$

$$\text{Tension} : - \frac{24.71}{2} 116.2 = 13.78$$

$$\text{Compression} : - \frac{39.03}{2} 176.2 + \frac{62.2}{2} 39.03 \\ = 14.36$$

Difference .58 Compression

## Bar L Continued

Compression      Tension

$$\begin{array}{ll}
 .58 \times 1750 = 1014 & 13.78 \times 1600 = 22040 \\
 14.36 \times 1600 = 23000 & 11162 \times 6200 = \frac{6920}{28960} \\
 6200 \times .3903 = \frac{2440}{26554} & \text{Dead} \quad \frac{1014}{27946} \\
 + 60\% \quad \frac{15932}{42486} & + 60\% \text{ Cam} \quad \frac{15932}{43878}
 \end{array}$$

Compression : — 2-8" to 4"

$$\frac{\frac{9500}{1 + \frac{1}{18000}} - \frac{9.5 \times 9.5 \times 144}{2.89 \times 2.89}}{= 8680 \text{ Allow}}$$

$$\frac{43500}{2 \times 8600} = 2.54 \text{ "}$$

Tension : — Gross 4

$$\text{Pin hole} \quad \frac{106}{294} \text{ Net}$$

$$\frac{43900}{2 \times 294} = 7350$$

Some Excess but better

to make the diagonals uniform  
 when there is such a slight  
 difference ∴ 2-8" to 4"  
 with  $\frac{3}{8}$ " Filler for Bearing

Bar N Diagonal  
 Sketch & Lever Arms Bar E  
 Influence Lines : —

$$\text{Load at } 7 - 15.34 S + \frac{1}{2} 66.71 - 15 \frac{7}{3} = 0$$

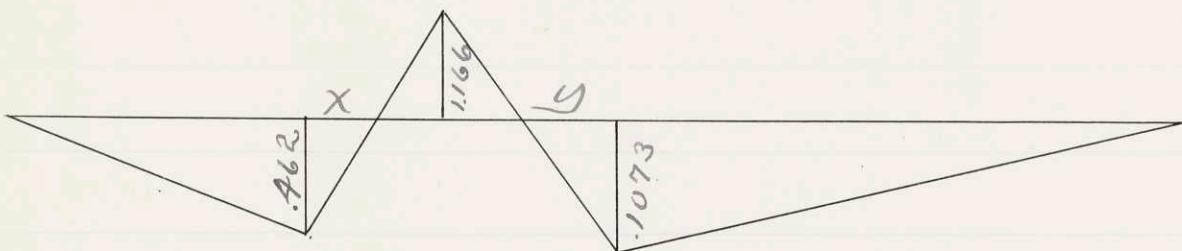
$$S = .1073$$

$$\text{Load at } 9 : \quad S = +1.166$$

$$-15.34 S + \frac{9}{14} 66.71 - 15 \frac{5}{3} = 0 \quad S =$$

$$\text{Load at } 10 : \quad S = - .462$$

$$-15.34 S + \frac{5}{7} 66.71 - 15 \frac{4}{3} - 34.71 = 0$$



$$x : .462 = 8 - x : 1.166 \quad x = 2.27$$

$$y : .107 = 24 - y : 1.166 \quad y = 20.18$$

Tension : —

$$\frac{1.166}{2} 2772 = 16.16$$

Compression : —

$$\frac{.462}{2} 34.27 + \frac{.1073}{2} 58.018 = 920$$

Difference 6.96 Tension

## Bar M Continued

Tension	Compression
$6.96 \times 1750 = 12180$	$9.2 \times 1600 = 14710$
$16.16 \times 1600 = 25800$	$6200 \times .462 = \frac{2860}{17570}$
$6200 \times 1166 = \frac{7240}{\text{Dead}}$	$\frac{12180}{5390}$
+ 60% Comp $\frac{45220}{3234}$	$+ 60\% = \frac{3234}{8624}$
	$48454$

Assume 2-8" D 45"

Compression OK

Tension, - Gross 45"  
 Pin Hole  $\frac{1.06}{294}$  Net

$$\frac{48500}{2 \times 294} = 8320$$

Hence 2-8" D 45" OK

Bearing on Pin

$$\frac{48500}{3/8 \times 16000 \times 2} = 49 \quad \text{Web 34}$$

Use the same uniform plate  $\frac{3}{8}$ "

Diagonal Bar N  
 Sketch and Lever Arms Bar F  
 Influence Lines

Load at 7                       $S = +4471$

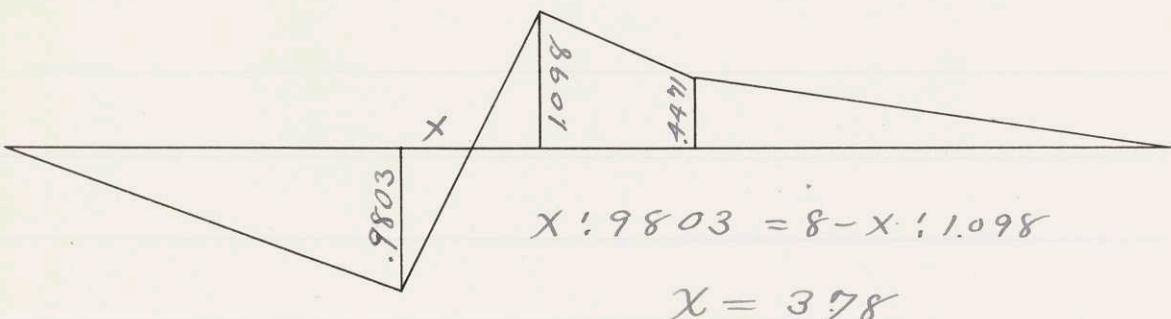
$$-1690 S + 85.03 \frac{1}{2} - 15 \frac{7}{3} = 0$$

Load at 8                       $S = +1.098$

$$-1690 S + 85.03 \frac{4}{7} - 2 \times 15 = 0$$

Load at 9                       $S = -9803$

$$-1690 S + 85.03 \frac{9}{14} - \frac{5}{3} 15 - 43.03 = 0$$



Tension :-

$$\frac{4471}{2} 5.6 + \frac{1098 + 4471}{2} 8 + \frac{1098}{2} 4.22 = 21.00$$

Compression :-

$$\frac{9803}{2} 4.378 = 21.5$$

Difference .5 Compression

Bar N Continued

Will the plate shear out  
the t

Stress in N is greater than  
in any other diagonal  
in which t is used

Hence Safer for N safer for all

Sanzo gives  $a = 100000$

$$\text{Stress} = a \frac{tb^2}{2}$$
$$82000 = 100000 \frac{.7t^2}{3.78} \quad t = 1.66"$$

Shearing :

$$2 \times 7500 \left( z + \frac{\partial}{z} \right) \times .7 = 31000$$

$$z = 1.39"$$

Nothing less than 3" used  
on any diagonal generally  
much more Hence there  
is no danger from shearing  
on the diagonals

# Bar N Continued

Compression

$$1760 \times .5^- = 875^-$$

$$1600 \times 21. = 34400$$

$$6200 \times .98 = \underline{6100}$$

$$+ 60\% \text{ ten} \quad \underline{\underline{22500}}$$

Compression  $63875^-$

Tension

$$1600 \times 21 = 33600$$

$$6200 \times 1.098 = \underline{6810}$$

$$\text{Dead} \quad \underline{\underline{875^-}}$$

$$+ 60\% \quad \underline{\underline{28500}}$$

$$62000$$

$$\frac{9500}{1 + \frac{1}{18000}} \quad \frac{86 \times 86 \times 144}{2.89 \times 289} = 8850 \text{ Allow}$$

Assume 2-8" D 45"

$$\frac{63875^-}{2 \times 8800} = 3.52 \text{ in}$$

$\therefore$  2-8" D 45" OK

Tension : Gross Area 4 in<sup>2</sup>

$$\text{Piv hole} \quad \frac{1.06}{2.94}$$

$$\frac{62000}{2 \times 2.94} = 10600$$

Plate must be used

$$\text{Beaming : } \frac{64000}{2 \times 3/8 \times 16000} = .65^-$$

$$\text{Web} = \underline{.34}$$

Say 3/8" Plate .31 Tens. O.K.

Hence 2-8" D 45" O.K.

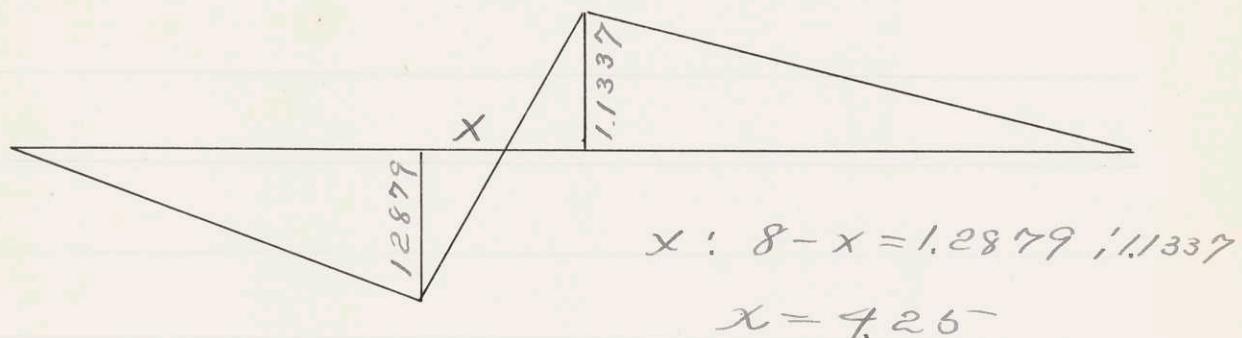
Diagonal Bar O  
 Sketch and Lever Arms Bar C  
 Influence Lines

Load at 7  $S = 1.1337$

$$-3795 - S + \frac{1}{2} 156 - 15\frac{2}{3} = 0$$

Load at 8  $S = 1.2879$

$$-3795 - S + \frac{4}{7} 156 - 2 \times 15 - 108 = 0$$



Tension :-  $\frac{11337}{2} 5975 = 33.95$

Compression :-  $\frac{12879}{2} 5225 = 33.62$

Difference = .33 Tension

Compression      Tension

$$33.62 \times 1600 = 53800 \quad .33 \times 1750 = 578$$

$$6200 \times 1.2879 = \frac{7990}{61790} \quad 1600 \times 33.95 = 54300$$

$$\text{Dead} \quad \frac{578}{61212} \quad 6200 \times 1.1337 = 7050$$

$$+ 60\% \quad \frac{36727}{97939} \quad + 60\% C \quad \frac{61928}{36727}$$

$$\text{Total} \quad \frac{98655}{}$$

## Bar O Continued

Tension : —

$$\frac{98700}{2 \times 9500} = 5.2 \text{ in}''$$

$$5.25 = 7 \times \frac{3}{4}$$

$$7 \times \frac{3}{4} + \text{Rivet hole} = 8 \times \frac{3}{4} \text{ OK}$$

Compression :

$$I = \frac{3 \times 8 \times 8 \times 8}{4 \times 12} = 32 \quad C^2 = 5.33$$

$$\frac{\frac{9500}{1}}{1 + \frac{1}{18000}} \frac{854 \times 854 \times 144}{5.33} = 8575 \text{ allow}$$

$$\frac{98000}{2 \times 8500} = 5.8 \text{ in}''$$

$\therefore$  2 - Eye Bars  $8 \times \frac{3}{4}$

Lattice or spacers

$$I = \frac{8 \times 3 \times 3 \times 3}{12 \times 4 \times 4 \times 4} = \frac{9}{32} \quad C^2 = \frac{54}{32}$$

$$\frac{\frac{9500}{1}}{1 + \frac{1}{18000}} \frac{2^2 \times 144}{1.688} = \frac{98000}{12} = 8300$$

$\therefore$  Use 2

Eye Beam spacers 3' apart

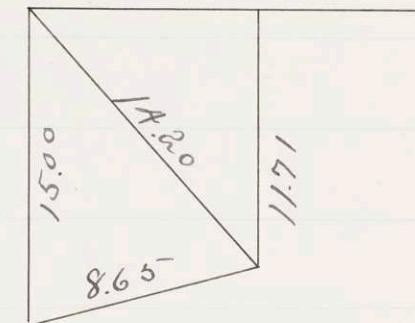
# Upper Chord Bar P

Influence Lines

Load at 7

$$11.71 S + \frac{1}{2} 8 - \frac{7}{3} 3.29 = 0$$

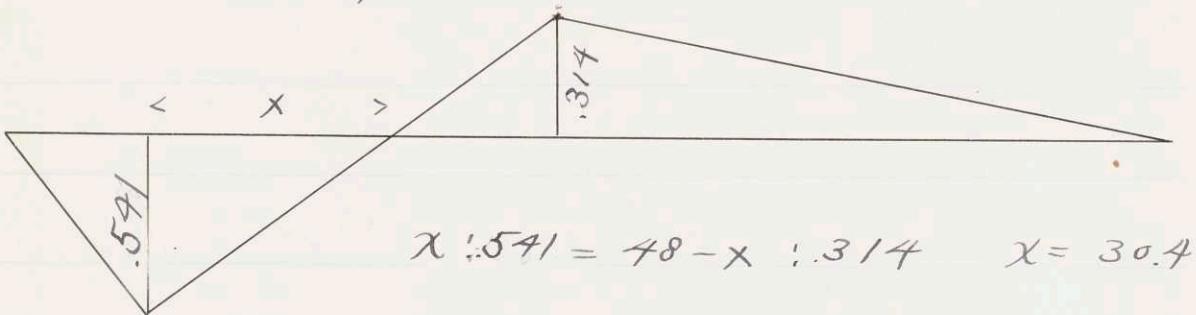
$$S = +.314$$



$$14 \quad 13$$

Load at 13

$$11.71 S + \frac{13}{14} 8 - \frac{1}{3} 3.29 \quad S = -.541$$



$$x : .541 = 48 - x : .314 \quad x = 30.4$$

$$\text{Tension} : - \frac{.314}{2} 73.6 = 11.55$$

$$\text{Compression} : - \frac{.541}{2} 38.4 = 10.38$$

Difference 1.17 Tension

Tension

Compression

$$1.17 \times 1750 = 2015^-$$

$$10.38 \times 1600 = 16600$$

$$11.55 \times 1600 = 18600$$

$$.571 \times 16200 = \frac{3350}{20000}$$

$$6200 \times .3741 = \frac{1950}{22465}$$

Dead

$$\frac{2015}{17985}$$

## Bar P Continued

Tension = 22465

$$60\% \text{ Comp} = \frac{10791}{33256} \quad \text{Total Tension}$$

Compression = 17985

$$+ 60\% = \underline{10791} \quad 28776 \quad \text{Total Comp.}$$

Such wide variations of stress between this and the adjoining panel necessitates an excess of material in this bar

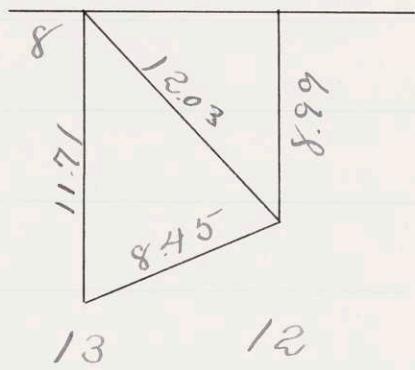
Details see Bar Q

# Uyzer Chord Bar Q

Influence Line  
load at 7

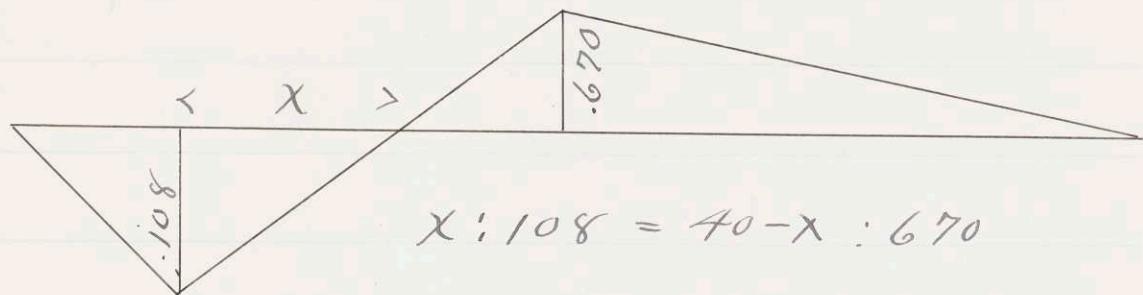
$$S = 8.99 + \frac{1}{2} \cdot 16 - \frac{7}{3} \cdot 7.01$$

$$S = +670$$



Load at 12

$$8.99 S + \frac{6}{7} \cdot 16 - \frac{2}{3} \cdot 7.01 \quad S = -108$$



$$\text{Compression: } -\frac{40.7}{2} \times 108 = 22.$$

$$\text{Tension: } -\frac{71.3}{2} \times 6.7 = 23.9$$

Difference = 1.92 Tension

Tension

Compression

$$190 \times 1750 = 3320$$

$$1600 \times 22 = 35200$$

$$23.9 \times 1600 = 38200$$

$$6200 \times 108 = \frac{670}{35870}$$

$$6200 \times 6.70 = \frac{4160}{45680}$$

$$\text{Total } \frac{3320}{32550}$$

## Bar Q Continued

$$\text{Compression} \quad 32550 + .60\% = 52080$$

$$\text{Tension} \quad 45680 + 19530 = 65210$$

Compression:-

Use Smallest 10" L 4.80"

$$\frac{9500}{1 + \frac{1}{18000}} = \frac{8 \times 8 \times 144}{3.62 \times 362} = 9220$$

$$\frac{52080}{2 \times 9200} = 2.83 \text{ in" necessary}$$

Tension:- 4.80"

$$\frac{\text{Pin hole } 3/8 \times 32}{\text{Net section}} = \frac{.99}{3.81}$$

$$\frac{65210}{2 \times 3.81} = 8600$$

Hence use a 10" L 4.80" for

the first two panel

Splice in the second panel

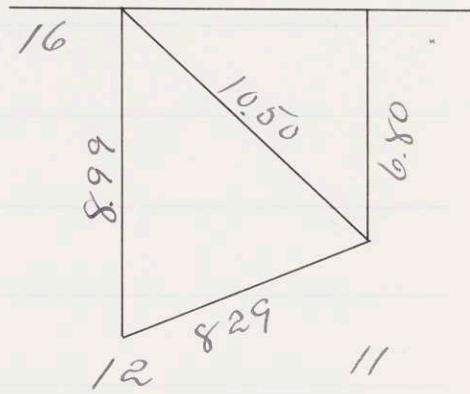
Details See Bar R

# Upper Chord Bar R

Influence Lines  
Load at 7

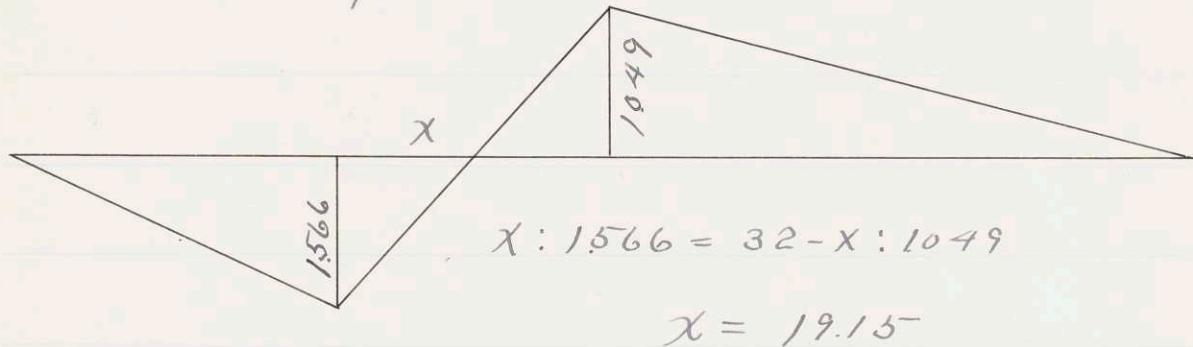
$$6.80 S + \frac{1}{2} 24 - \frac{7}{3} 8.2$$

$$S = 1.049$$



Load at 11

$$6.80 S + \frac{11}{14} 24 - \frac{7}{3} \quad S = 1.566$$



$$\text{Compression } \frac{1566}{2} 43.15^- = 33.8$$

$$\text{Tension } \frac{1049}{2} 6885^- = 36.15^-$$

Difference 2.35 Tension

Tension

Compression

$$2.35^- \times 17.50 = 4125 \quad 33.8 \times 1600 = 54100$$

$$36.15^- \times 1600 = 57800 \quad 6200 \times 1.566 = \underline{9700}$$

$$6200 \times 1.049 = \frac{6500}{68425} \quad \text{Dead } \frac{4125}{59675}$$

## Bar R Continued

Compression  $59675 + 60\% = 95470$

Tension  $68425 + 35795 = 104220$

Bars R, S, T, & Q are made in one piece of  $10^{\prime \prime} \times 5^{\prime \prime}$  for section  
see Bar T

Connection with Bar Q Splice

$10^{\prime \prime} \times 4.85^{\prime \prime}$  &  $10^{\prime \prime} \times 9.2^{\prime \prime}$

web .32                  web .66                  Filler .34

Make the splice in Bar Q

Rivets - Shearing = 4500

Bearing: =  $.66 \times \frac{7}{8} \times 1600 = 9200$

.34" Filler tight used on Q

Stress in Q = 65210

$$\frac{65210}{2 \times 4500} = 7.2 \text{ Rivets}$$

Put a plate on the inside  $10 \times \frac{3}{8}$

Bar R Continued  
Then Rivets in double shear

$$\frac{65210}{2 \times 9000} = 3.6 \text{ Rivets}$$

6 Rivets are used

Area 10 t in Q = 4.8"

$$\frac{4.8}{10 + 7} = .283 \quad \text{say } \underline{\underline{.3/8}}$$

Hence Splice consists

$10 \times \frac{3}{8}$ " plate on outside

$7 \times .34$ " Filler on inside

$7 \times \frac{3}{8}$  plate on inside

4 Rivets on each side necessary

6 being used with the  
same number in the  
 $.34$ " tight filler

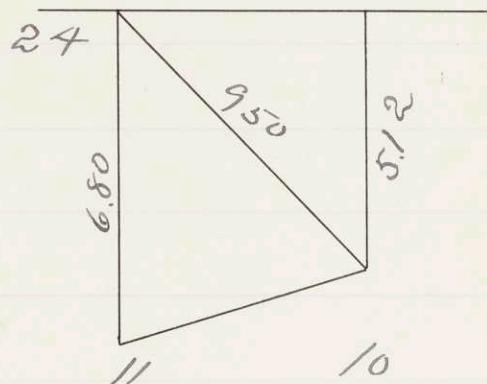
# Upper Chord Bar S

Influence Line

Load at 7

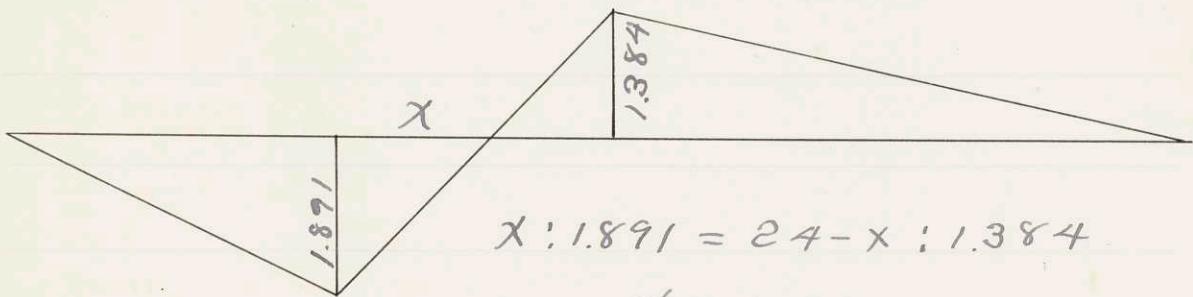
$$5/12 S + \frac{1}{2} 32 - \frac{7}{3} 9.88 = 0$$

$$S = +1.384$$



Load at 10

$$5/12 S + \frac{5}{7} 32 - \frac{4}{3} 9.88 = 0 \quad S = 1.891$$



$$\text{Compression } \frac{1.891}{2} 45.85^- = 43.4$$

$$\text{Tension } \frac{1.384}{2} 66.15^- = 45.7$$

Difference = 2.3 Tension

Tension

$$2.3 \times 1750 = 4020$$

Compression

$$1600 \times 43.4 = 69500$$

$$45.7 \times 1600 = 73300$$

$$6200 \times 1.891 = \underline{\underline{11710}} \\ 81210$$

$$1.384 \times 6200 = \underline{\underline{8580}} \\ 85900$$

$$\text{Dead } \frac{4020}{\underline{\underline{77190}}}$$

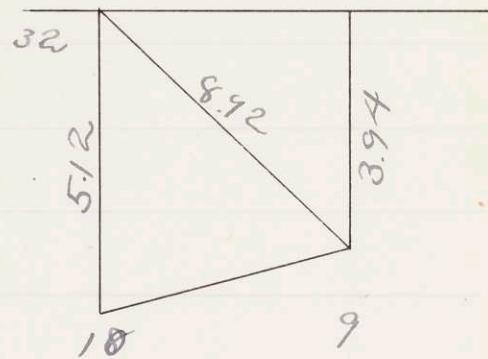
$$+60\% C = \underline{\underline{132214}}$$

$$+60\% = \underline{\underline{123504}}$$

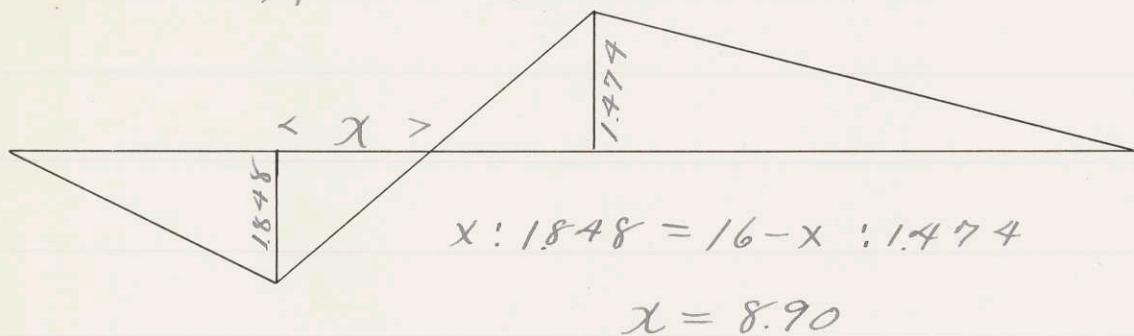
# Upper Chord Box T

Influence Lines  
Load at 7

$$394S + \frac{1}{2}40 - \frac{7}{3}11.06 \\ S = 1.474$$



$$394S + \frac{9}{14}40 - \frac{5}{3}11.06 \\ S = 1.848$$



$$\text{Compression; } - \frac{48.9}{2}1.848 = 45.2$$

$$\text{Tension; } - \frac{14.74}{2}6.31 = 46.5$$

Difference = 1.3 Tension

Compression      Tension

$$45.2 \times 1600 = 72400 \quad 1.3 \times 1750 = 2190$$

$$6200 \times 1.848 = \underline{\underline{11480}} \quad 46.5 \times 1600 = 74400$$

$$\text{Dead} \quad \underline{\underline{88880}} \quad \underline{\underline{2190}}$$

$$6200 \times 1.474 = \underline{\underline{9150}}$$

$$+60\% \quad \begin{array}{r} 81690 \\ 49020 \\ \hline 130710 \end{array}$$

$$+60\% C = \begin{array}{r} 85740 \\ 49020 \\ \hline 134760 \end{array}$$

## Bar T Continued

Stress	Tension	Compression
Bar R	104220	95470
" S	132214	123504
" T	134760	130710

These bars made of one section say 2-10" to 90"

Compression : -

$$\frac{9500}{1 + \frac{1}{18000}} = \frac{8 \times 8 \times 144}{346 \times 346} = 9080 \text{ allow}$$

$$\frac{130710}{2 \times 90"} = 7300 \therefore \text{Comps OK}$$

Tension : - Area 90"

$$\text{Pin hole } .66 \times 3/8 = \frac{2.06}{6.94 \text{ net}}$$

$$\frac{134760}{2 \times 694} = 9725 \text{ Call it OK}$$

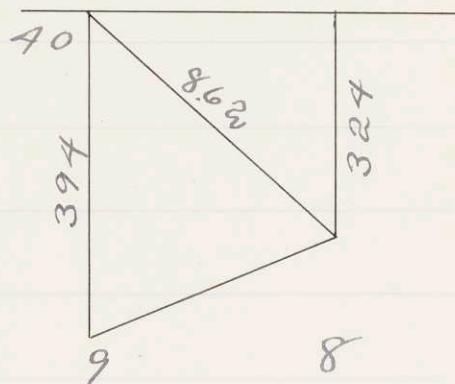
Hence Bars R S & T are one alias 2-10 to 90" each

# Upper Chord Bar U

Influence Lines  
Load at 7

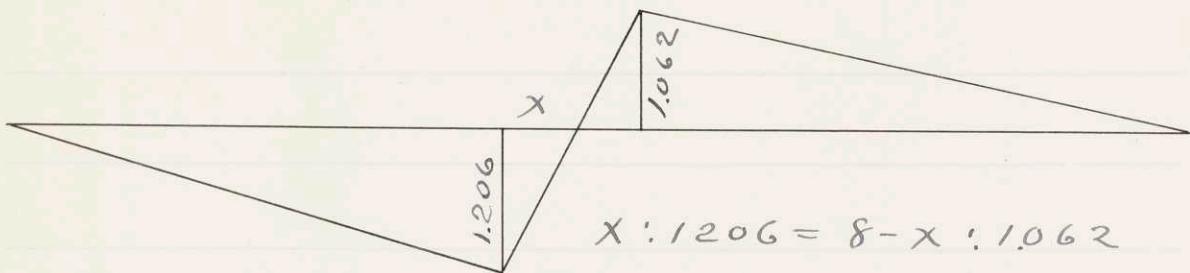
$$3.24S + 40 \frac{1}{2} - \frac{7}{3} 11.76 = 0$$

$$S = 1.062$$



Load at 8

$$3.24S + \frac{4}{7} 48 - 2 \times 11.76 \quad S = 1.206$$



Compression :-  $x = 4.25^-$

$$\frac{52.25^-}{2} 1.206 = 31.5^-$$

$$\text{Tension } \frac{59.75^-}{2} 1.062 = 31.7$$

Difference = .2 Tension

$$1750 \times .2 = 350$$

$$1600 \times 31.5 = 50400$$

$$31.7 \times 1600 = 51000$$

$$6200 \times 1.206 = 7480$$

$\overline{57880}$

$$6200 \times 1.062 = \underline{6580}$$

Dead

$\overline{360}$

$$+ 60 \text{ Comp } \underline{\underline{34524}}$$

$\overline{57530}$

$$\text{Tension} = 92454$$

$$+ 60\% \underline{\underline{34524}}$$

$$\text{Comp} = 92054$$

## Bar U Continued

Assume 2- 10" to 6"

$$\frac{9500}{1 + \frac{1}{18000}} = 9200 \text{ Allow}$$

$\frac{8 \times 8 \times 144}{3.85 \times 3.85}$

$$\frac{92054}{12} = 7700 \quad \therefore \text{Comp O.K.}$$

Tension Area = 6"

$$\text{Piv Hole } 3\frac{1}{8} .30 = \frac{.936}{5.06} \text{ Net}$$

$$\frac{92460}{10.12} = 9100 \quad \text{Tension OK}$$

Splice or Connection with Bar T

$$\frac{6"}{10" + 7"} = .353 \quad \text{say } \frac{3}{8}'' \text{ Plates}$$

Rivets Double Shear = 9000

$$\frac{92500}{2 \times 9000} = 5.16 \text{ Rivets} \quad 6 \text{ are used}$$

Splice Thus  $10 \times \frac{3}{8}''$  plate inside  
 Tight Filler  $7 \times \frac{3}{8}''$  plate on U  
 6 Rivets each side  $7 \times \frac{3}{8}''$  plate outside

## Upper Chord Bar V

Stress = zero

Cheaper to run the 10" to 6 $\frac{1}{2}$ " used in the adjoining panel U than to change

Connection at Hinge Joint

Rivet on a  $\frac{3}{8}$ " plate with  
a slotted hole for the  
pin steadyng the vertical

$$7'' \times \frac{3}{8}'' = 4.38 \text{ @ } 9500 \text{ s''}$$

$$\frac{4.38 \times 9500}{4500} = 9.2 \text{ Rivets}$$

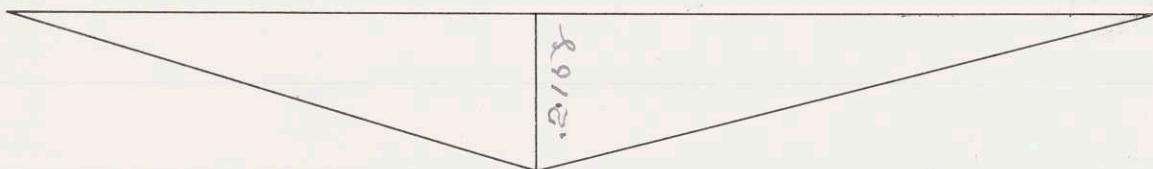
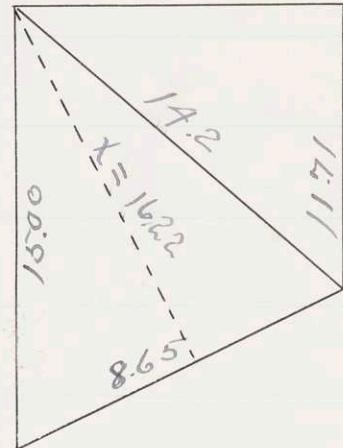
8 Rivets are used to  
hold this projecting  
plate  $7'' \times \frac{3}{8}''$

# Lower Chord Bar W

$$x: 15 = 8.65 : 8 \quad x = 16.22$$

Influence Line  
Load at 7

$$-15\frac{7}{3} - S/16.22 = 0 \quad S = -2158$$



Compression:  $\frac{2158}{2} \times 112 = 120.9$

$$120.9 \times 1750 = 211600$$

$$120.9 \times 1600 = 193300$$

$$6200 \times 2158 = \underline{\underline{133800}}$$

Total  $418280$  Compress.

$$\frac{418280}{9300} = 45.5" \text{ each } 22.5$$

$$2 \text{ vs } 6 \times 4 \times \frac{3}{4} = 14.44$$

$$16" \times \frac{1}{2} = \frac{800}{2244}$$

## Bar W Continued

Value of P

$$2 - 6 \times 4 \times \frac{3}{4} F = 11.00$$

$$(8 - 1.1)^2 \times 2 \times 7.22 = 686.00$$

$$\frac{16 \times 16 \times 16}{12 \times 2} = \frac{170.5}{\frac{867.5}{22.44}} = 38.6$$

$$\frac{\frac{9500}{1 + \frac{1}{18000}}}{\frac{8.7 \times 8.7 \times 144}{38.6}} = 93.50 \text{ Allow.}$$

$$\frac{418280}{2 \times 2244} = 93.30 \quad \text{Hence OK}$$

Connection with next panel  
See Bar Y

Bed Plate Connection

See next page

Bar W Continued  
Connection with Abutment  
Pin  $5\frac{3}{4}$ "

Compression 418250

Bearing width:-

$$\frac{210000}{16000 \times 5.75} = 2.28 \text{ " thick}$$

$$\begin{array}{r} .50 \\ - 1.78 \\ \hline .75 \\ \hline 1.03 \\ - 1.00 \end{array} \begin{array}{l} \text{web} \\ \text{Filler } 7\frac{3}{4} \times \frac{3}{4} \\ \text{Plate 1" thick} \end{array}$$

Projecting Plate say  $14'' \times 1''$

Rivets Shearing = 4500

$$\text{Bearing } \frac{7}{8} \times \frac{1}{2} \times 16000 = 7000$$

Filler  $\frac{3}{4}'' \times 7\frac{3}{4}$  : 16 Rivets used

$$\frac{.75}{2.28} \frac{210000}{4500} = 15.4 \text{ Rivets}$$

Projecting Plate  $14'' \times 1''$   $\frac{16}{22}$  Rivets used

$$\frac{1}{2.28} \frac{210000}{4500} = 20.5 \text{ Rivets}$$

Use  $\frac{3}{8}$ " Rivets Pitch 3"

# Lower Chord Bar. X

$$X : 11.71 = 8.45 : 8.00$$

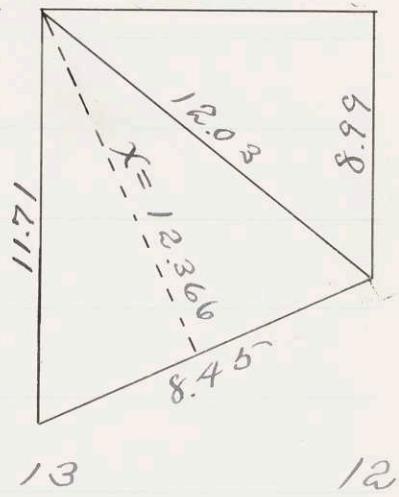
$$X = 12.366$$

Influence Line

Load at 7

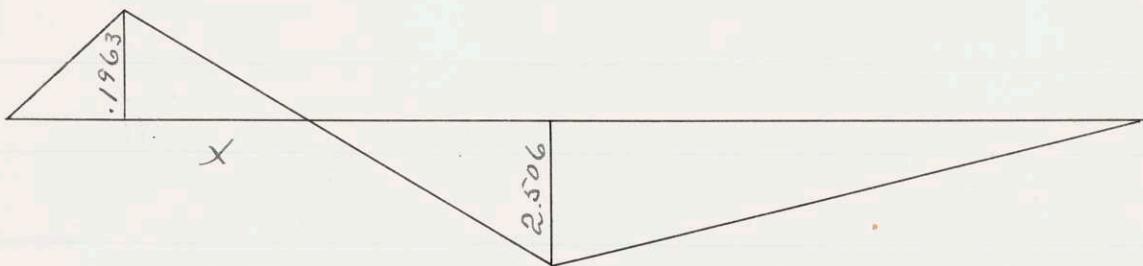
$$12.366S - 8\frac{1}{2} + \frac{7}{3} 15$$

$$S = -2.506$$



Load at 13

$$12.37 S - 104 \frac{1}{14} + \frac{1}{3} 5 \quad S = .1963$$



$$X : .1963 = 48 - X : 2.506 \quad X = 3.48$$

$$\text{Compression} : - \frac{2.506}{2} 100.52 = 126.4$$

$$\text{Tension} : - \frac{.1963}{2} 11.48 = 1.13$$

Difference 125.7 Compression

$$\text{Compression} = 125.7 + 1750$$

$$+ 126.4 \times 1600 + 6200 \times 2.506 = 437950$$

Section and Details Bar Y

# Bar X Continued

## Connection with Bar W

$$\frac{220000}{9000} = 28.18 \text{ in}$$

$$7\frac{3}{4} \times \frac{1}{2} = \frac{3.88}{19.30} \text{ Filler}$$

$$16 \times \frac{3}{4} = \frac{12.00}{7.30} \text{ Inside Plate}$$

$$14 \times \frac{9}{16} = \frac{7.88}{7.30} \text{ Outside Plate}$$

Rivets : -

Bearing -  $\frac{1}{4}$ " tight Filler on W

$$\frac{3}{4} \times \frac{7}{8} \times 16000 = 10500$$

Shearing - Double

$$.6 \times 7500 \times 2 = 9000$$

$$\frac{220000}{9000} = 24.4 \text{ Rivets}$$

We must use the same plates on bar W ∴ let us use the same number of rivets, which is on the safe side

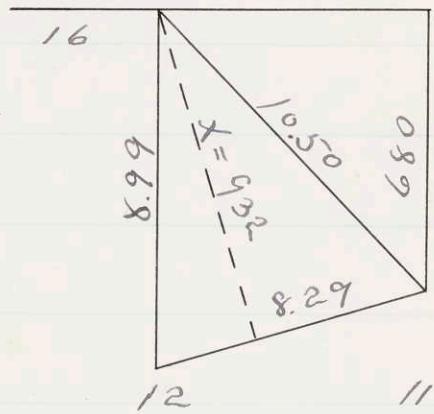
# Lever Chord Bar Y

$$x : 8.99 = 829 : 8$$

$$x = 9.32$$

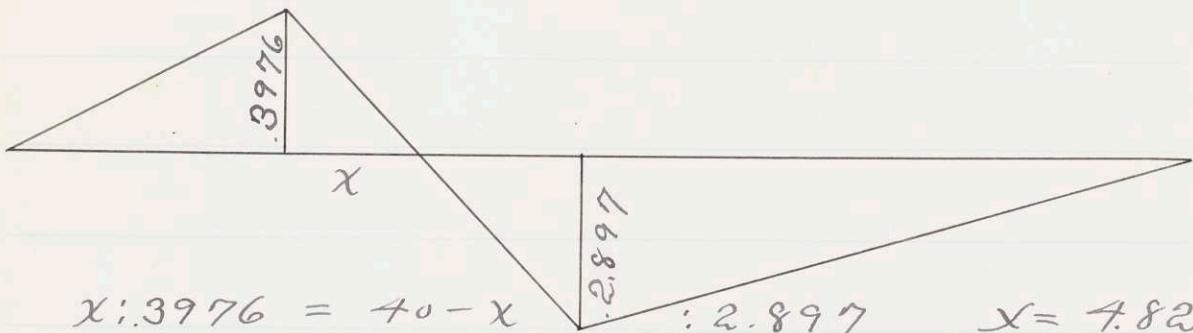
Influence Line

Load at 7



Load at 12

$$9.32 S + \frac{7}{3} 15 - \frac{1}{2} 16 \quad S = -2.897$$



$$x : 39.76 = 40 - x \quad x = 7.82$$

$$\text{Compression} : - \frac{10.41}{2} \cdot 39.76 = 4.14$$

$$\text{Tension} : - \frac{91.18}{2} \cdot 2.897 = 132$$

Difference 127.86 Compression  
Total Compression :—

$$127.86 \times 3350 = 434900$$

$$6200 \times 2.897 = \frac{17950}{452850}$$

Bar V Continued

Total Compression = 452850

Increase the section by

inserting a plate between the L's

$$I; - 2 - 6 \times 4 \times \frac{3}{4} + 16 \times \frac{1}{2} = 867.5$$

$$I; - 7\frac{3}{4} \times \frac{1}{4} = \frac{9.7}{877.2}$$

$$\text{Area} = 2244 + 1.94 = 24.38 \text{ in}^2$$

$$\rho^2 = \frac{877.2}{24.38} = 36.1$$

$$\frac{9500}{1 + \frac{1}{18000}} \cdot \frac{\frac{8.3 \times 8.3 \times 144}{36.1}}{= 9340}$$

$$\frac{453000}{2 \times 24.38} = 9300 \quad \text{Section OK}$$

Bar X Stress = 437950 Comp

A  $\frac{1}{4}$ " plate reinforce, small enough. Hence make it the same as Bar V

# Lower Chord - Bar Z

$$x : 6.8 = 8.17 : 8.0$$

$$x = 6.94$$

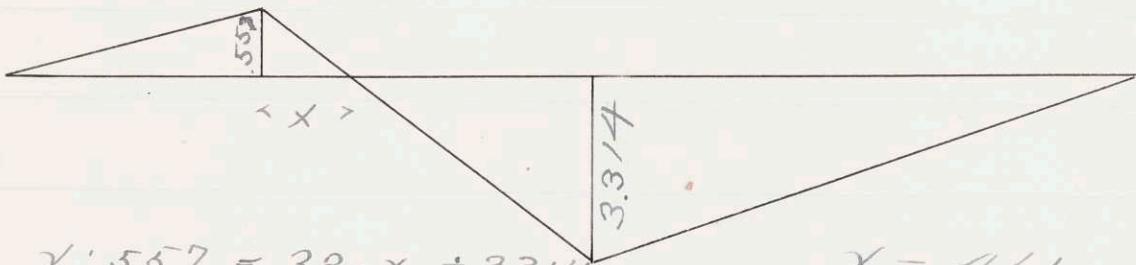
Influence line

Load at 7

$$-5.17S - \frac{7}{3}15 + \frac{1}{2}32 \quad S = -3.314$$

Load at 11

$$5.17S - \frac{2}{7}80 + \frac{4}{3}15 \quad S = +5.57$$



$$x : 5.57 = 32 - x : 3.314 \quad x = 4.61$$

$$\text{Tension} : - \frac{28.61}{2} 5.57 = 7.96$$

$$\text{Compression} : - \frac{83.39}{2} 3.314 = 138$$

Difference 130.04 Compression  
Compression : -

$$3350 \times 130.04 = 449200$$

$$6200 \times 3.314 = \frac{20520}{469720} \text{ Total}$$

Details Bar Z

Bar Z Continued  
 Connection with Bar Y  
 Sections

Bar Y constant section +  $7\frac{3}{4} \times \frac{1}{4}$

Bar Z " " +  $7\frac{3}{4} \times \frac{5}{16}$

Stress Bar Z 469720

$$\frac{235000}{9500} = 24.72$$

$$7\frac{3}{4} \times \frac{5}{16} = \frac{2.42}{22.30} \text{ Filler}$$

$$16 \times \frac{3}{4} = \frac{12.00}{10.30} \text{ Inside Plate}$$

$$14 \times \frac{3}{4} = \frac{10.50}{10.30} \text{ Outside "}$$

Rivets Double Shear

$$\frac{235000}{9500} = 26.1 \text{ Rivets}$$

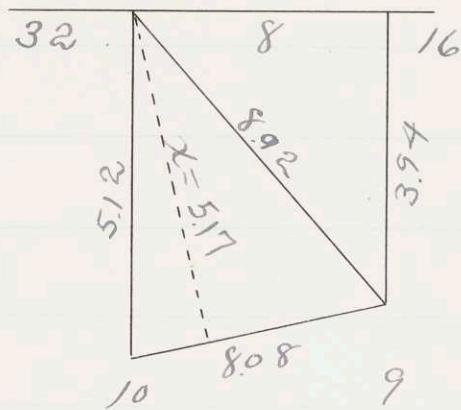
Used

Same Plates over Bar Y +  $\frac{3}{16}$ "  
 loose filler Let us use  
 the same no of rivets as on  
 Bar Z

## Lower Chord Bar 2

$$x : 5.12 = 8.08 : 8$$

$$x = 5.17$$



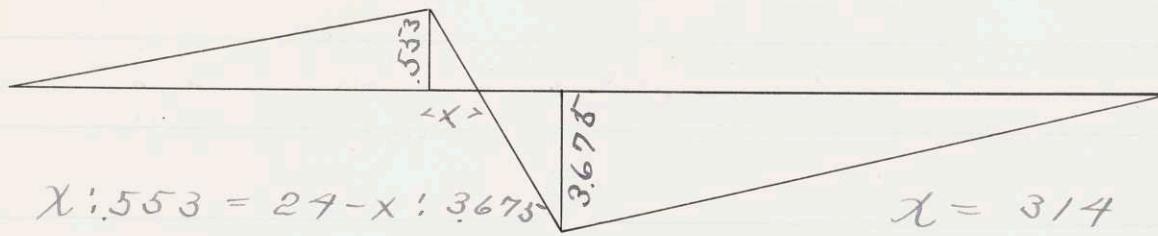
Influence Line

Line 1 Load at 7

$$-5.17S - \frac{1}{3}15 + \frac{1}{2}32 \quad S = 36.75^-$$

Load at 10

$$5.17S + \frac{4}{3}15 - \frac{2}{7}80 \quad S = +55.3$$



Compression :-

$$\frac{36.75^-}{2} \times 76.86 = 141$$

$$\text{Tension} : - \quad \frac{35.14}{2} \times 55.3 = 9.70$$

Difference = 131.3      Compression

$$131.3 \times 3350 = 4458600$$

$$6200 \times 36.75^- = \underline{\underline{22800}}$$

$$\text{Total Comps} = 478600$$

Bar d Continued

Bar d and z are one piece

Compression in Z = 470000

" " d = 478600

I Constant Section = 867.5-

$$\frac{7}{16} \times \frac{1}{12} \times 7.75 - 7.75 \times 7.76 - = \frac{16.95}{884.45}$$

$$\rho^2 = \frac{884.45^-}{22.44 + 3.39} = 34.3$$

$$\frac{9500}{1 + \frac{1}{18000}} \frac{\frac{8.2 \times 8.2 \times 144}{34.3}}{34.3} = 93.60 \text{ allow}$$

$$\frac{478600}{2 \times 25.83} = 9275^- \text{ OK}$$

Connection with B

$$\frac{478600}{2 \times 9500} = 25.127^-$$

$$\frac{2.42}{22.68} = 7\frac{3}{4} \times \frac{5}{16} \text{ filler}$$

$$\frac{11.38}{11.30} = 14 \times \frac{3}{16} \text{ outside}$$

$$\underline{12.00} = 16 \times \frac{3}{4} \text{ inside}$$

Bar A Continued  
Rivets in double shear

$$\frac{478600}{2 \times 9000} = 26.6 \text{ Rivets}$$

Same Plates extend on to  
Bar B let us use the  
same number of rivets

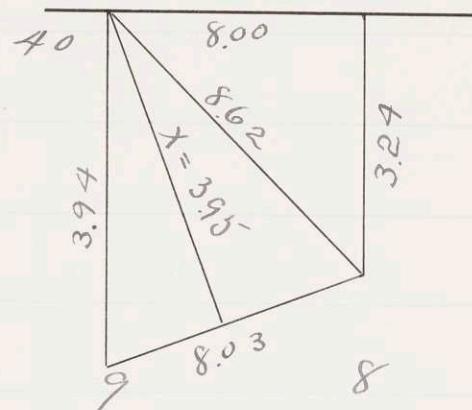
Section = Constant section  
alias Bar W +  $7\frac{3}{4} \times \frac{7}{16}$ "  
reinforcement plate

# Lawer Chord Bar B

$$x : 3.94 = 8.03 : 8.00$$

$$x = 3.95^{\circ}$$

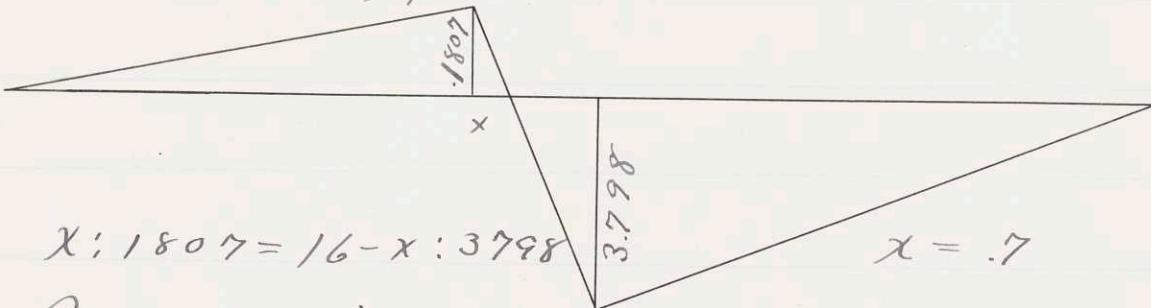
Influence Line  
Load at 7



$$-3.95^{\circ}S + 40 \times \frac{1}{2} - \frac{7}{3} \times 15 = 0 \quad S = -3.798$$

Load at 9

$$3.95^{\circ}S - \frac{5}{14} \times 72 + \frac{5}{3} \times 15 = 0 \quad S = +1.807$$



Compression

$$\frac{3.798}{2} \times 71.3 = 135.2$$

$$\frac{1.807}{2} \times 40.7 = \frac{3.68}{131.52}$$

$$131.52 \times 3350 = 446900$$

$$6200 \times 3.798 = \frac{23520}{470420}$$

Bar B Continued

Bar B and P are in one piece

Compression in B = 470420

" " P = 458520

I Constant section = 867.6<sup>-</sup>

$$\frac{\frac{3}{8} \times \frac{1}{12} \times 7.75^- \times 7.75^- \times 7.75}{882.1} = \frac{14.6}{882.1}$$

Area = 2244 + 291 = 2535<sup>-</sup>

$$P^2 = \frac{882.1}{2535^-} = 34.95^-$$

$$\frac{\frac{9500}{1 + \frac{1}{18000}} - \frac{8 \times 8 \times 144}{34.95^-}}{867.6} = 9370 \text{ Allow}$$

$$\frac{470500}{2 \times 2535^-} = 9300$$

Hence  $\frac{3}{8}$ " Reinforcement plate OK

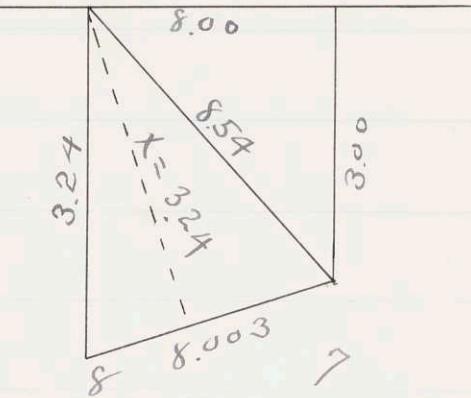
Connection with L see Bar L

# Lower Chord Bar R

$$x: 3.24 = 8.00 : 8$$

$$x = 3.24$$

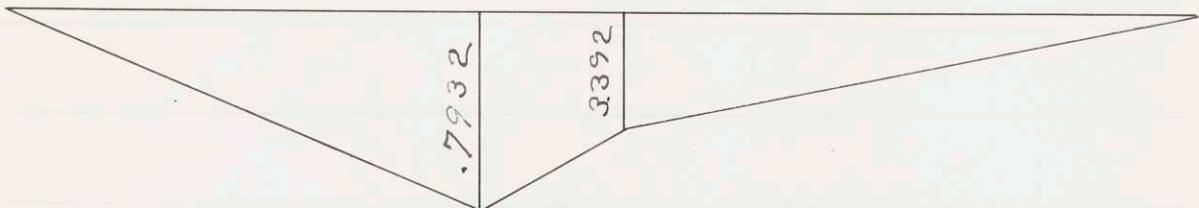
Influence Lines  
Load at 7



$$-3.24S - 15 \frac{7}{3} + 48 \frac{1}{2} = 0 \quad S = -3.392$$

Load at 8

$$0 = 3.24 S + 15 \times 2 - 64 \frac{3}{7} \quad S = -7.932$$



Compression :-

$$7.932 \times 24 = 19.03$$

$$3.392 \times 28 = 94.8$$

$$4.1852 \times 4 = 16.74 \quad \text{total } 130.57$$

$$130.57 \times 3350 = 437500$$

$$6200 \times 3.392 = \underline{21020}$$

Comp. 458520 total

Section and details see Bar B

Bar V Continued  
Connection with Centr hinge

Hinge =  $5\frac{3}{4}$ " Pin

Stress each side = 229300

$\frac{229300}{576 \times 16000} = 2.50$ " thick

$\frac{.875}{1.675}$  web

$7\frac{3}{4} \times \frac{3}{8}$   $\frac{1.675}{3.75}$  Filler

$16 \times \frac{1}{2}$   $\frac{5.0}{1.30}$  Projecting plate

Say  $14 \times \frac{7}{8} = .80$  on the inside

Projecting plate on outside =  $14 \times \frac{1}{2}$

Rivets : — Shearing = 4500

$\frac{229300}{4500} \frac{.375}{2.63} = \text{Filler } 7\frac{3}{4} \times \frac{3}{8}$

= 8.6 Rivets

Plate  $14 \times \frac{7}{8}$  20 Rivets used

$\frac{875}{263} \frac{229300}{4500} = 16.9$  Rivets

Projecting Plate 12 Rivets used

$\frac{5.0}{2.63} \frac{229300}{4500} = 9.7$  Rivets

## Abutment

Max Stress in lower chord = 420000

Caused by full loading

$$H.C. = \frac{420000 \times 8}{8.65} = 388000$$

$$V.C. = \frac{1}{2} \text{ The full load}$$
$$= 3350 \times 56 + 3100 = 190600$$

$$\text{Resultant} = \sqrt{H.C.^2 + V.C.^2} = 432500$$

Direction of max Resultant  
very near the line of  
the lower Chord

Thus the bed plate may  
be advantageously made  
perpendicular to the lower  
chord

Bearing :

$$\frac{532500}{2 \times \frac{3}{4} \times 16000} = 2.35^{\prime \prime}$$

Use Two Plates  $1\frac{1}{4}$ " each

## Abutment

Rivets :-

$$\text{Bearing } \frac{1}{4} \times \frac{7}{8} \times 16000 = 17500$$

$$\text{Double Shear } 7500 \times 6 \times 2 = 9000$$

$$\frac{132500}{2 \times 9000} = 24.04 \text{ Rivets}$$

25 are Used

Use 6x6 and 6x4 L's

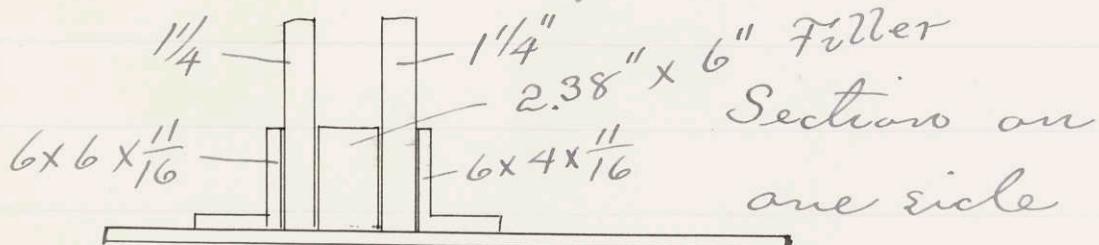
Thickness :-

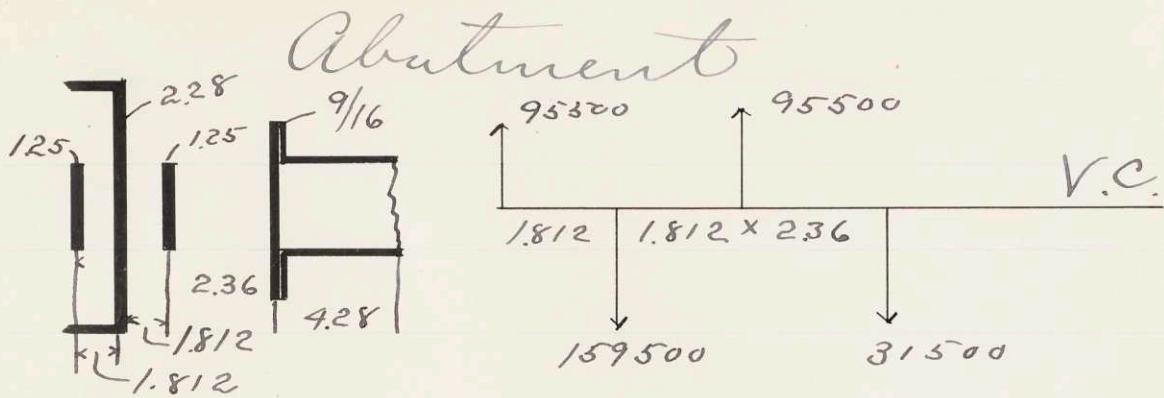
$$9000 = t \times \frac{7}{8} \times 16000$$

$$t = .642$$

∴ L's must be  $\frac{1}{16}$ " thick

Thickness Lower Chord = 2.28  
with 1-1" projecting plate



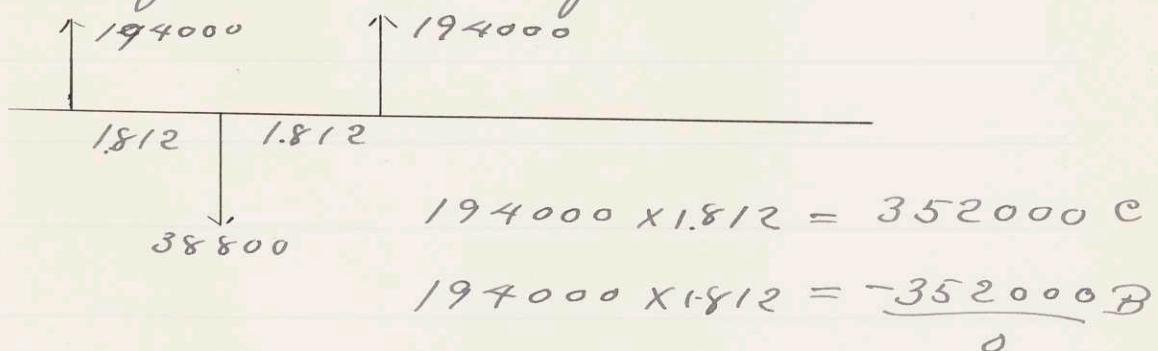


$$95500 \times 1.812 = +173000 \text{ Chord}$$

$$64000 \times 1.812 = -\frac{116000}{57000} \text{ Bed PL}$$

$$31500 \times 2.36 = +\frac{74400}{131400} \text{ Vertical}$$

### *Horizontal Component*



$$M_y = \sqrt{173000^2 + 352000^2} = 392200$$

Hence  $5\frac{3}{4}$ " Pin

Lower Chord =  $14\frac{5}{8}$ " clear

Upper Chord =  $13\frac{7}{8}$ " clear