

Thesis of S. D. Mason

1870.



DESIGN  
FOR AN IRON GIRDER BRIDGE

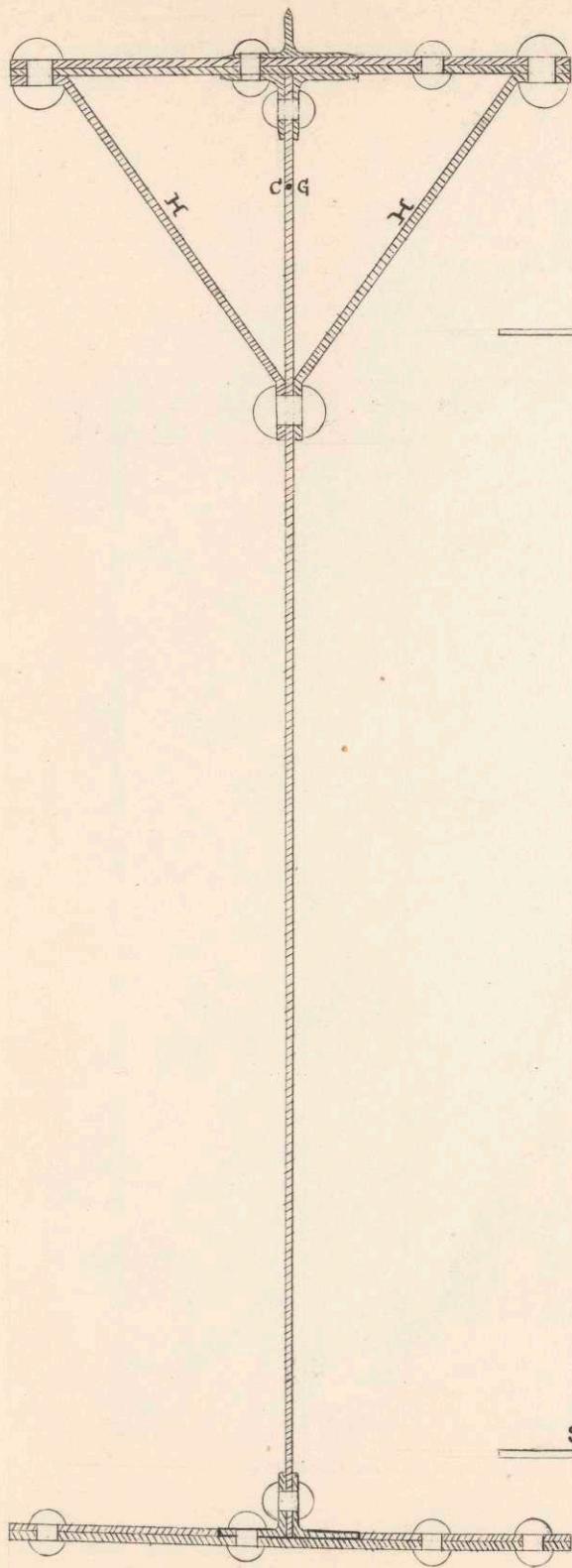
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PLATE  
A



SCALE  $\frac{1}{10}$

FIG. 1

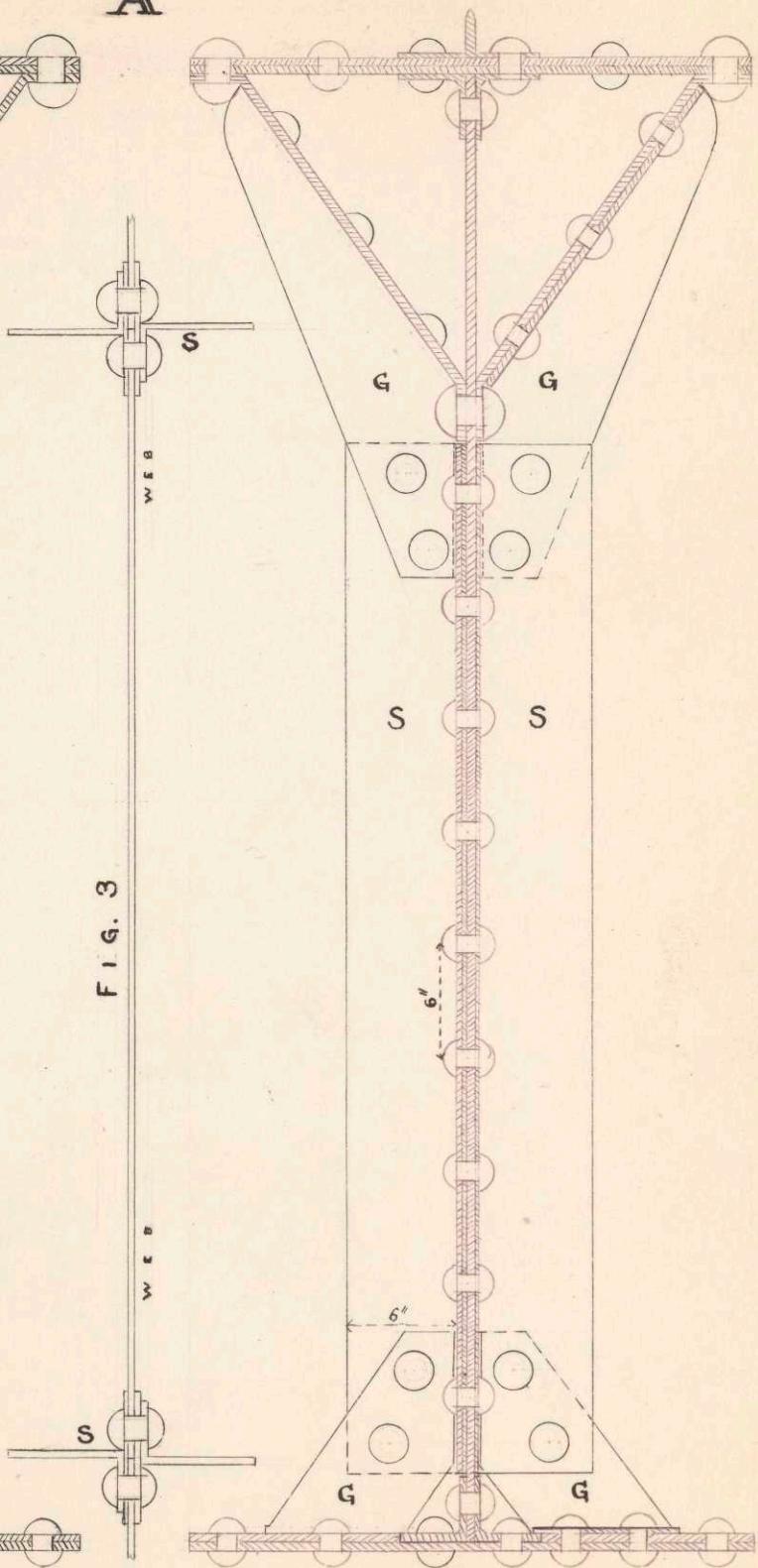


FIG. 2

SCALE  $\frac{1}{10}$

SCALE  $\frac{1}{10}$

PLATE  
B

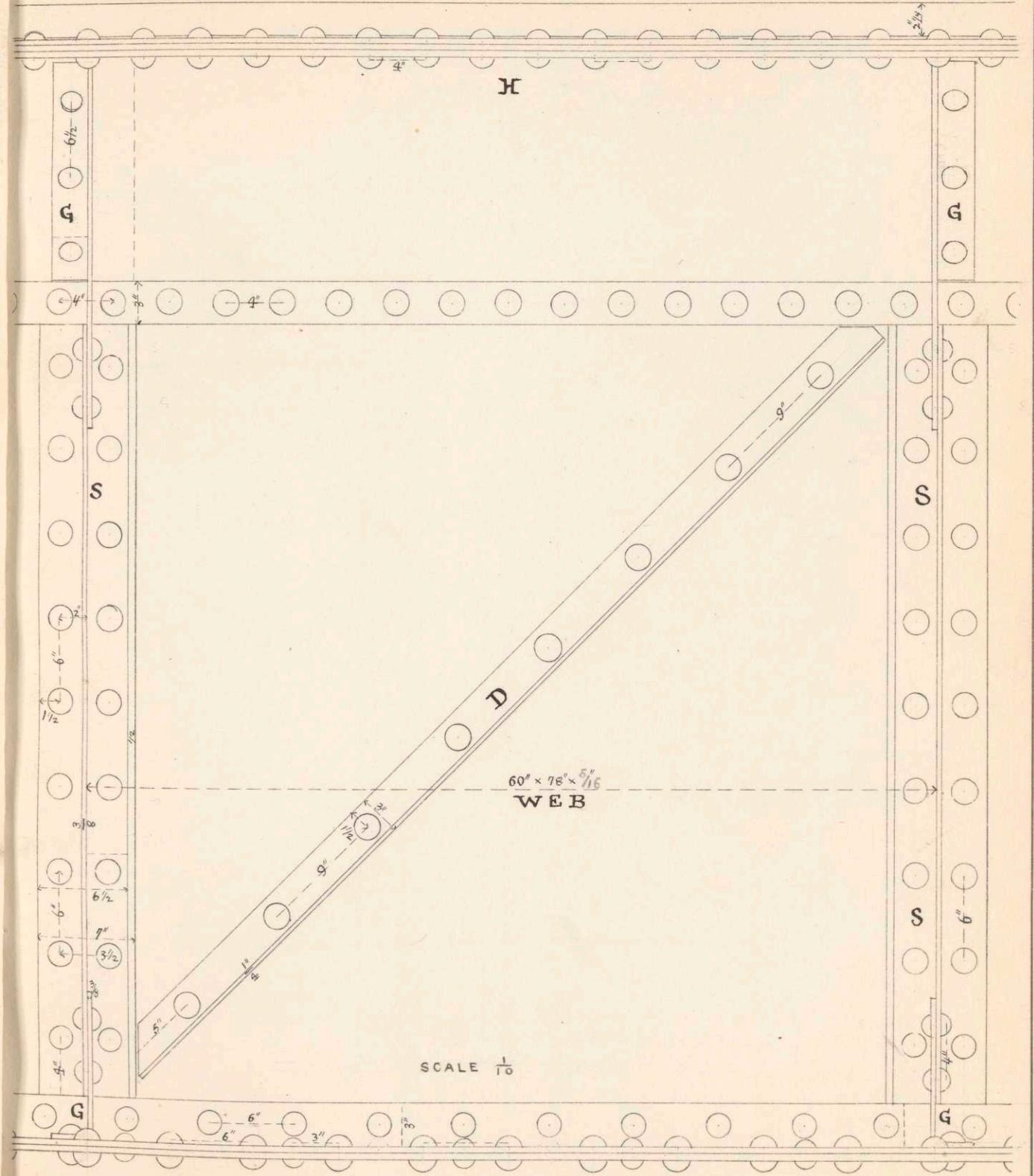
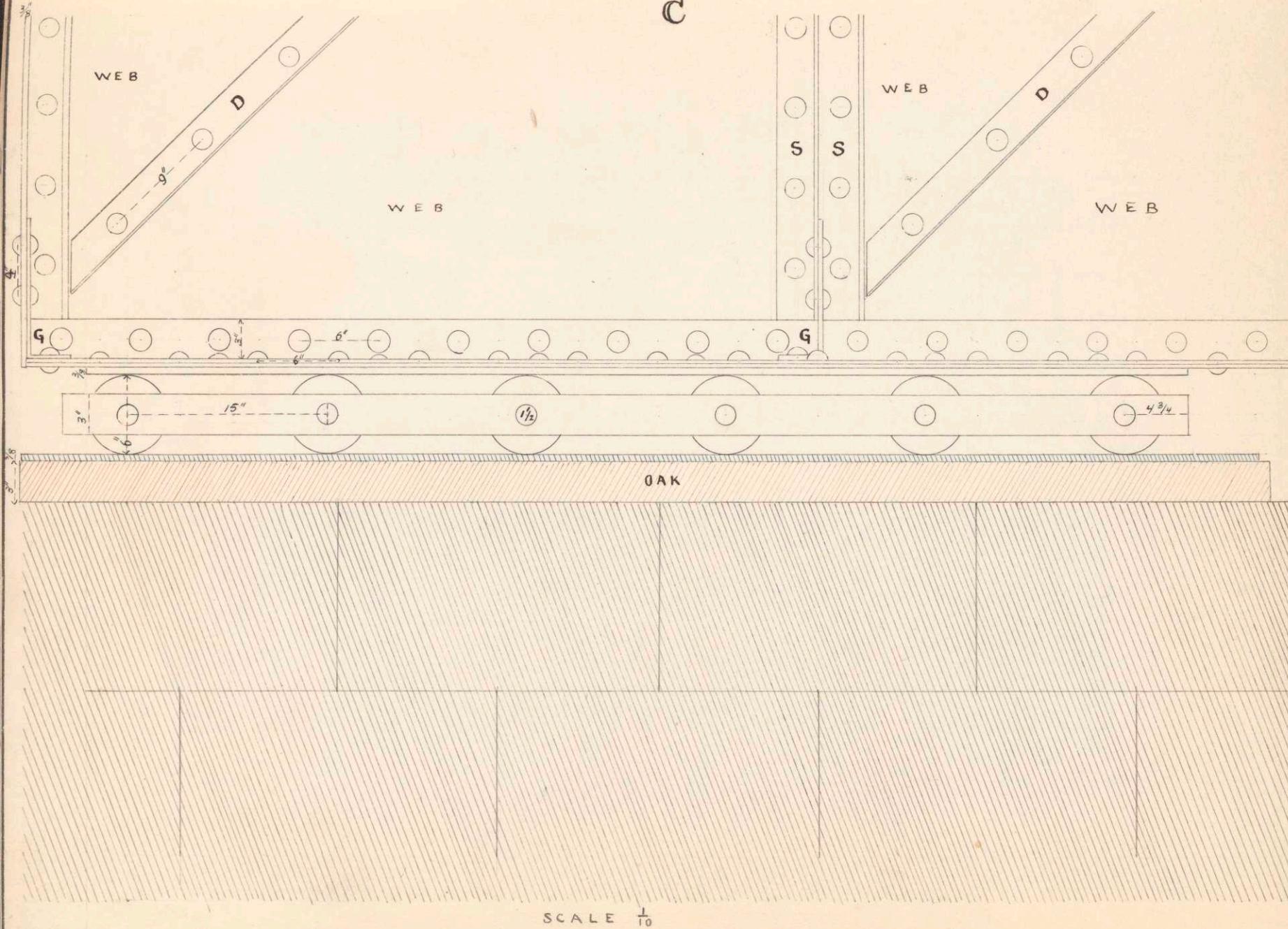
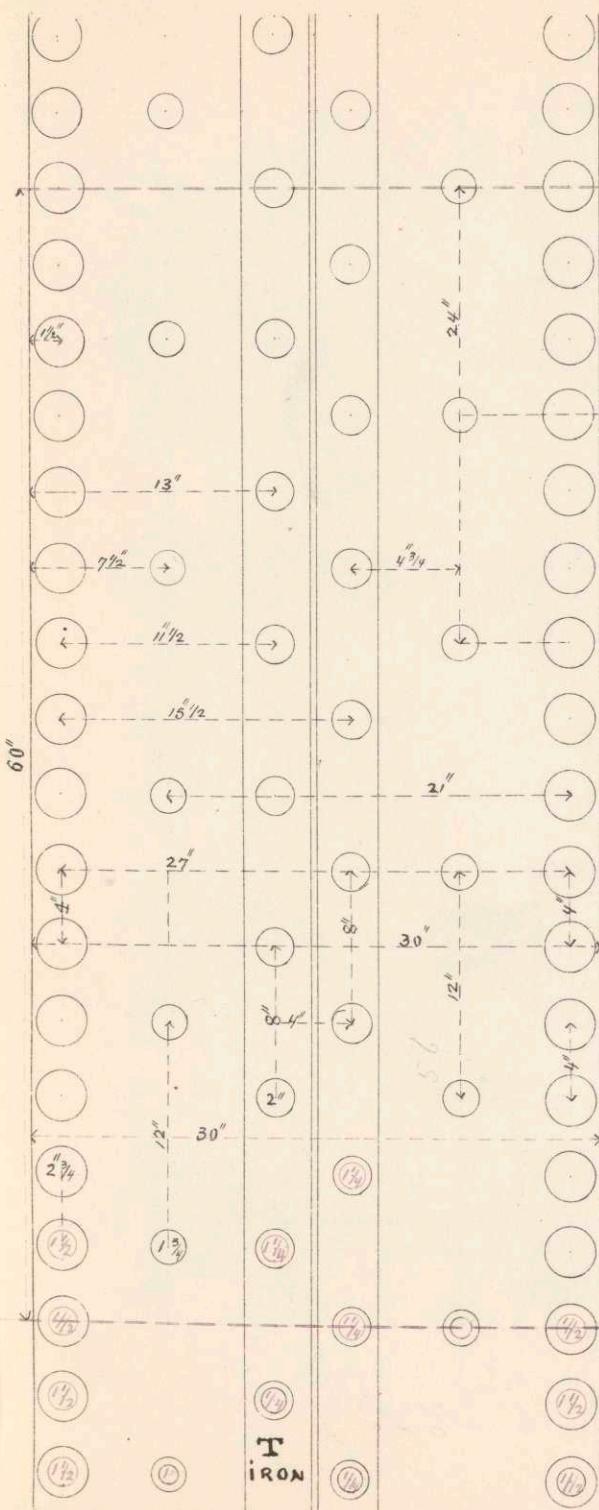


PLATE  
C

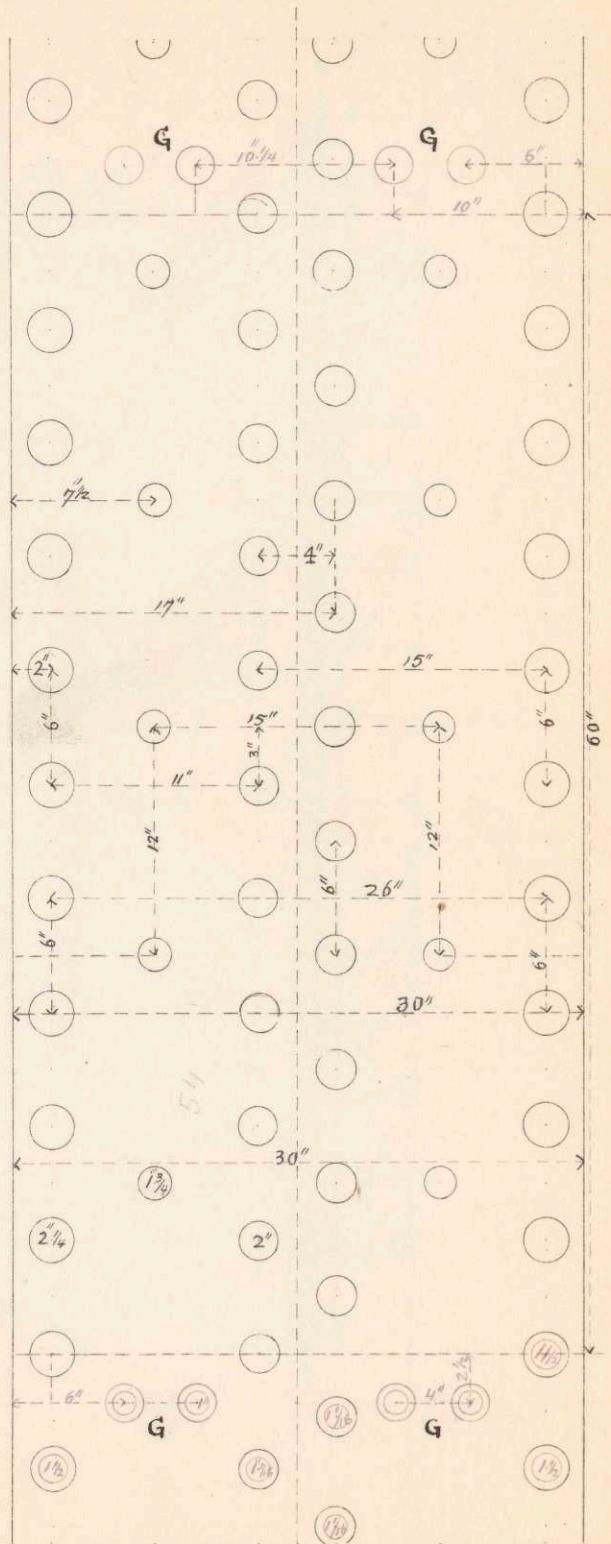


**PLATE  
D**



UPPER CELL  
LOOKING DOWN

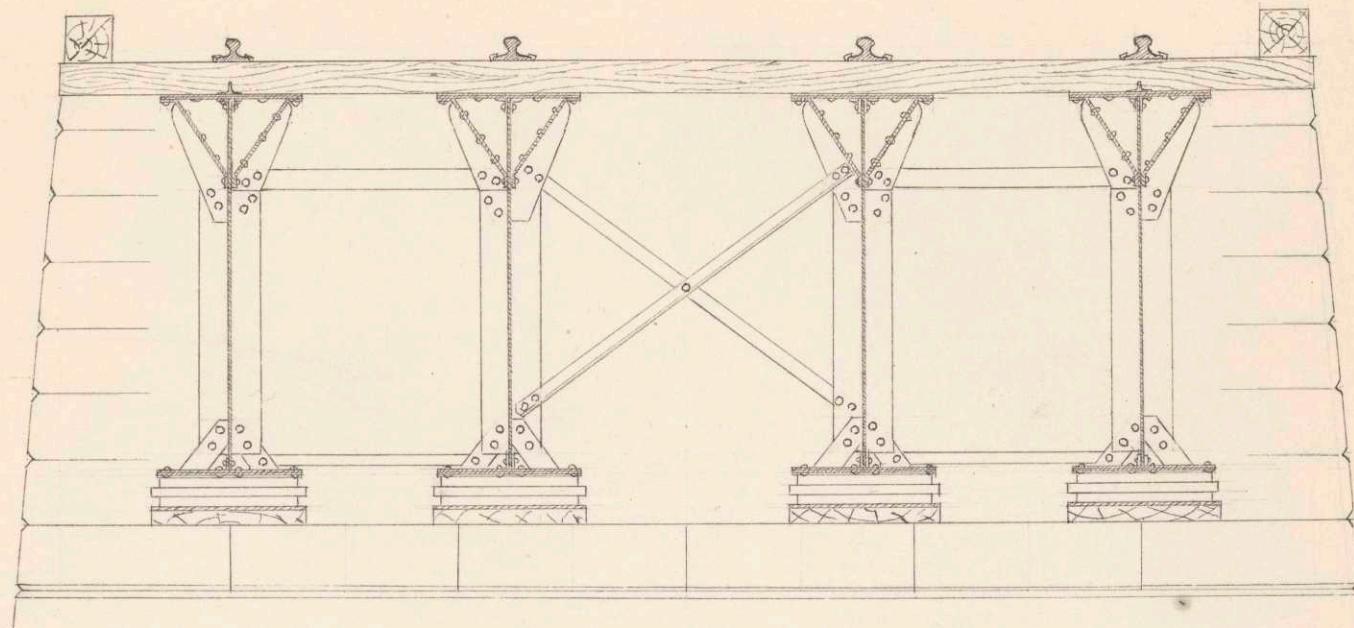
SCALE  $\frac{1}{10}$



LOWER FLANGE  
LOOKING UP

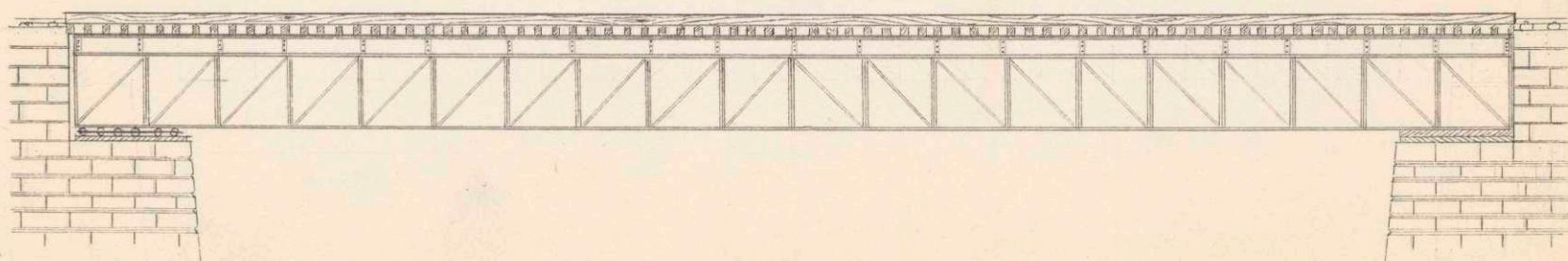
SCALE  $\frac{1}{10}$

PLATE  
E



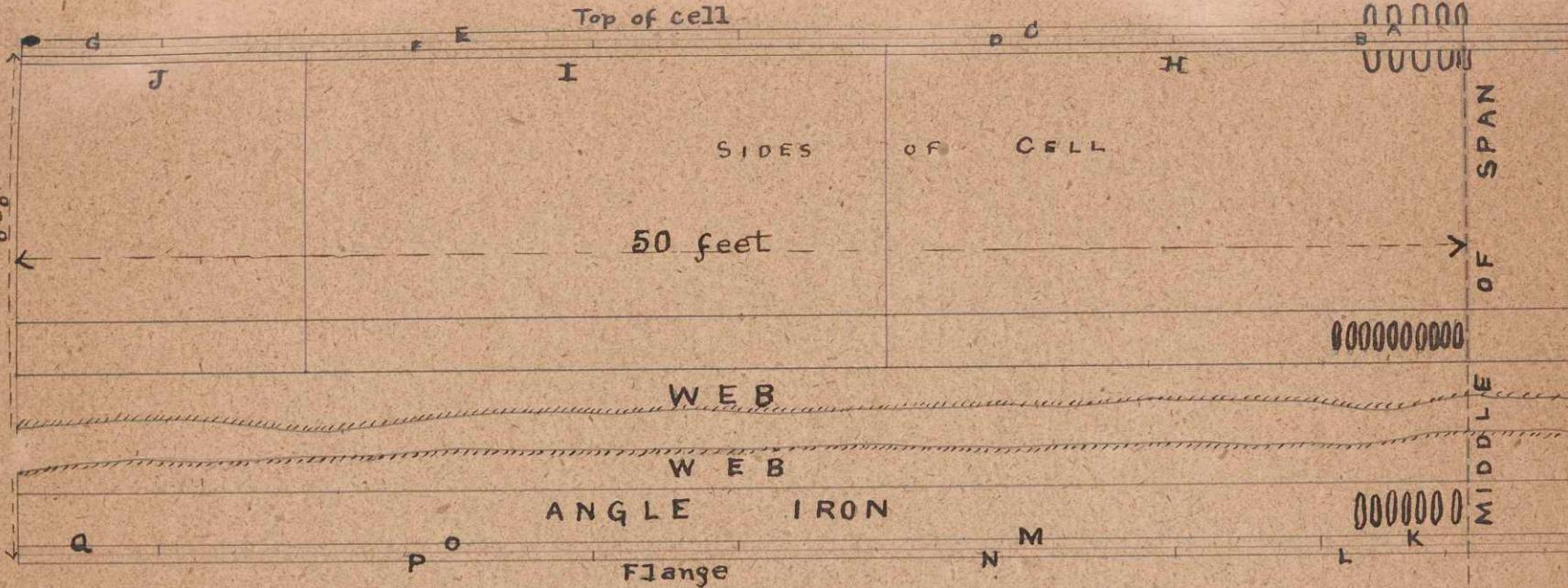
TRANSVERSE SECTION

$\frac{1}{40}$



SIDE ELEVATION

$\frac{1}{150}$



Vertical Scale  $\frac{1}{10}$ ; horizontal Scale  $\frac{1}{72}$

**TOP OF CELL**

PLATE A	$10' \times 30'' \times \frac{7}{16}$	$\times \frac{6}{16}$
" B	$20' \times 30'' \times \frac{7}{16}$	$\times \frac{6}{16}$
" C	$20' \times 30'' \times \frac{6}{16}$	$\times \frac{5}{16}$
" D	$20' \times 30'' \times \frac{6}{16}$	$\times \frac{5}{16}$
" E	$20' \times 30'' \times \frac{4}{16}$	$\times \frac{4}{16}$
" F	$20' \times 30'' \times \frac{4}{16}$	$\times \frac{4}{16}$
" G	$5' \times 30'' \times \frac{4}{16}$	$\times \frac{4}{16}$

**SIDES OF CELL**

SAME FOR OUTER AND

INNER GIROERS

PLATE H  $20' \times 24'' \times \frac{8}{16}$

" I  $20' \times 24'' \times \frac{5}{16}$

" J  $10' \times 24'' \times \frac{4}{16}$

**FLANGE**

PLATE K	$10' \times 11\frac{1}{4}'' \times \frac{7}{16}$	$\times \frac{6}{16}$
" M	$20' \times 11\frac{1}{4}'' \times \frac{5}{16}$	$\times \frac{5}{16}$
" O	$20' \times 11\frac{1}{4}'' \times \frac{4}{16}$	$\times \frac{4}{16}$
" Q	$5' \times 11\frac{1}{4}'' \times \frac{4}{16}$	$\times \frac{4}{16}$
" L	$20' \times 30'' \times \frac{7}{16}$	$\times \frac{6}{16}$
" N	$20' \times 30'' \times \frac{5}{16}$	$\times \frac{5}{16}$
" P	$20' \times 30'' \times \frac{4}{16}$	$\times \frac{4}{16}$

Thickness for inner Giroers

M

Wrought Iron Girder Bridge,  
for a double track, narrow gauge railway.

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### General Description

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The bridge consists of four parallel, similar, plate iron girders, one under each line of rail. The purpose of the bridge is to carry a railroad over a canal and tow path, necessitating a clear span at the surface of the water of eighty-two feet. Since the abutments have a batter of one in twelve - sloping away from the bank, and the headroom is to be twelve feet, the span of the girders will be eighty-four feet. The line of road crosses the canal squarely, and the girders have all the same length - one hundred feet - eight feet of each end resting on the abutments. The grade of the approaches is such, that the requisite headroom may be obtained, if the depth of the

bridge be made one fifteenth of the span. The girders have a cross-section of equal strength above and below, and the longitudinal section is varied proportionally to the varying strains. The lower members are flat flanges, or tables; while the upper, are triangular cells with their apices downwards, riveted to the upper edges of their respective webs. Upon the upper, flat surfaces of the cells, rests a platform of cross-timbers, to which the rails are spiked. A heavy longitudinal timber bolted <sup>along</sup> the ends of the cross-pieces keeps them from spreading; while motion transversely is prevented by the indentation of  irons, riveted to the tops of the outer-most girders.

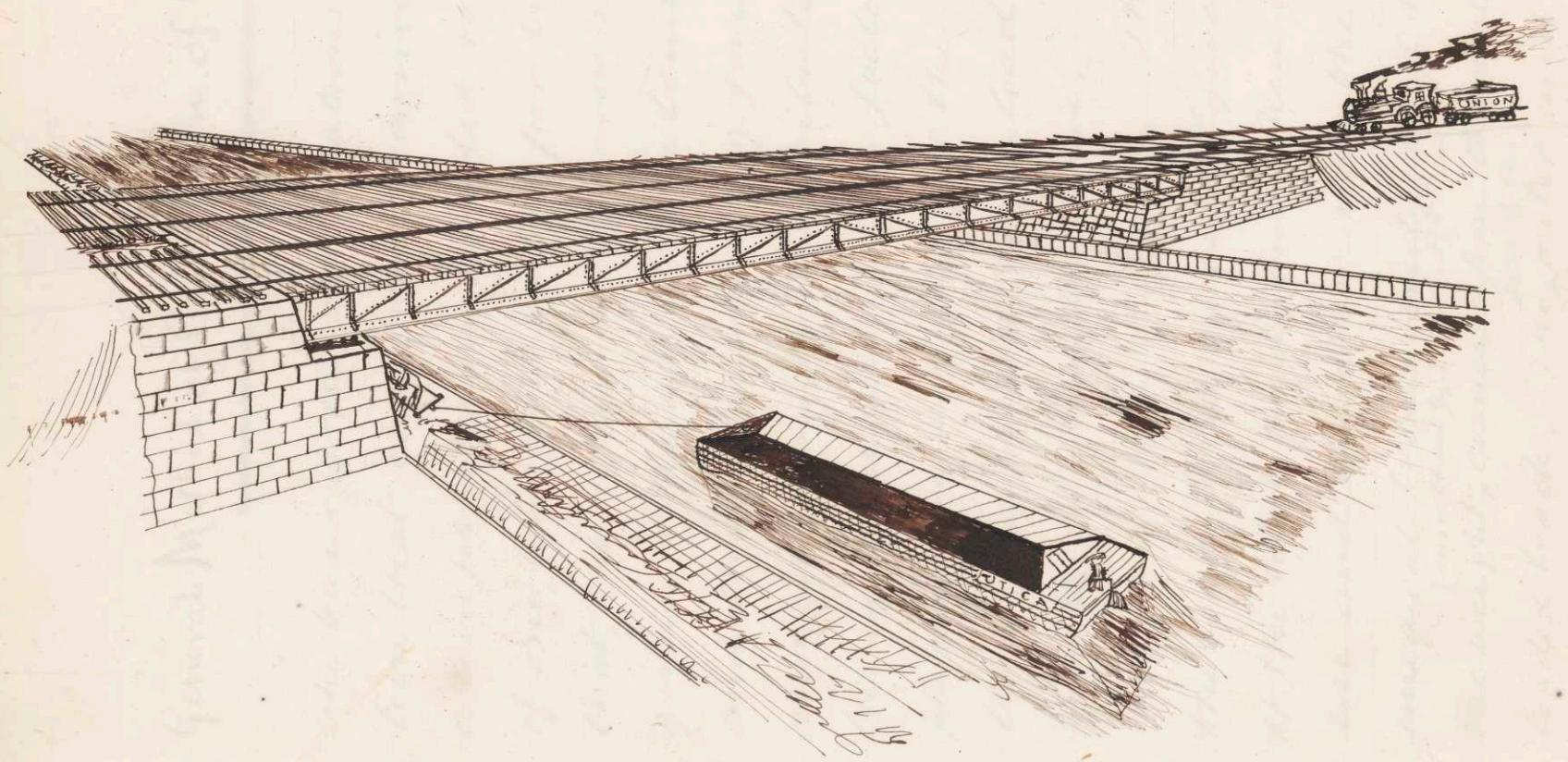
Although similar in form, <sup>in</sup> and arrangement of material, the two inner girders are not exact counterparts of the outside ones, for upon them comes a smaller share of the load,

and therefore a smaller amount of iron will suffice.

To retain the girders in their proper vertical planes, they are so connected by braces as to render it next to impossible for anyone of them to have an independant transverse motion. The centre ones are held in their relative positions by pairs of diagonal braces of **T** iron, riveted to the gussets of either girder. There are nine pairs of these diagonals, one at every second stiffener. The two so connected, form as it were ~~one~~ a single beam, to which horizontal braces of **T** iron hold the two outer girders. The four form a system of considerable rigidity, not likely to be displaced. The arrangement of braces is exemplified in the section of plate E. The abutments are of ashlar masonry, twenty-three feet six inches wide where the bridge rests, and have a batter of one in twelve. At one abutment the girders are fixed, at

the other the end of each rests upon a frame of rollers, admitting of longitudinal motion produced by changes of temperature. The rollers are shown in the elevation of plate E, and on an enlarged scale in plate C.

Between each girder and the stonework, is interposed a cushion, three inches thick, of white oak plank. All the rivet holes are to be drilled, not punched; and made one sixteenth of an inch larger than the diameter of the rivet, to allow for the expansion of the latter when heated. The plates are to be carefully cut into rectangular forms, and all abutting surfaces that transmit thrust, to be planed. The interior of the cell is to receive a coat of paint previous to its parts being put together. Each girder is cambered to the extent of three fourths of an inch. Throughout the design similarity of parts, <sup>corresponding of different girders</sup> is aimed at to avoid complication in the manufacture of the iron —



## General Method of Calculation of the Strains -

The basis of the calculations is the supposition that each track carries (at the same time) a uniformly distributed rolling load ( $w'$ ), of one ton (of 2240 lbs.) per linear foot; also that the upper and lower members of each girder take up all the bending moment, and that the shearing force is entirely and uniformly distributed throughout the vertical web. The factors of safety employed are six ( $s_1$ ), for the rolling load and three ( $s_2$ ), for the dead load, which is the weight of the structure.

The mean share of the load borne by each girder is one quarter of the total load; but when one track is in use and the other not, the distribution is unequal transversely, and more than half the weight, <sup>(more than  $\frac{1}{2} T.$  per foot)</sup> comes upon the outer girder of the loaded track. The outer and inner girders are separately calculated with due regard to

this variation of load. In case of two trains on the bridge, the load is considered as equally distributed transversely, and the inner girders, calculated to sustain  $\frac{1}{2}$  Ton per linear foot.

The proportion of depth to span is taken as one fifteen. This is made the depth from the centre of gravity of the triangular cell, to the upper side of the flange. The centre of gravity of the cell is 6 inches below the lower side of the base. Its position is marked CG on fig. 1, plate A. From the assumed intensity and distribution of the rolling load, the bending moment in inch pounds is calculated for the centre of the span, then multiplied by the proper factor of safety, and the product divided by the depth. The result is the force  $P$  (times the factor of safety), acting at the transverse plane of the middle section, in the longitudinal plane of the bridge. To this force is opposed, in case of the cell, the resistance of the iron to crushing, and in the flange, the tenacity

of the material.

Since the tenacity is independent of the length, a proper value of its modulus ( $f_b$ ), in lbs. on the  $\square$  inch, may be found in tables of the strength of materials. Then the force  $P$ , of the bending moment, divided by the modulus of tenacity  $f_b$ , gives the provisional sectional area  $S_F$ , for the flange. But the cell is in a condition analogous to a long, wrought iron strut; it tends to give way by bending sideways, and the modulus of resistance  $f_a$ , is not a constant quantity - (36000), but is less as the base of the cell is made narrower in comparison with the span.  $f_a$  is therefore modified in accordance with this formula,  $f_a$  (lbs per  $\square$  in.) =  $36000 \div 1 + \frac{l^2}{5000 b^2}$ , in which  $l$  is the span, and  $b$  the breadth of the base of the cell. The provisional sectional area  $S_c$ , of the plates of the cell results from the formula  $\frac{P}{S_c} = f_a \div 1 + \frac{l^2}{far^2}$ ;  $r$  being the least radius of gyration of the cross-section.

If we put  $f_a : 1 + \frac{Z^2}{f_{a,r}} = A$ , then  $\frac{P}{S_c} = A$ , and  $S_c = \frac{P}{A}$ .

The web is assumed of a thickness that will be much more than sufficient to withstand the greatest shear at any section. From the provisional areas of cell, web and flange is computed the weight of the bare girders. This is approximate since it is calculated as though the cross-section were everywhere the same as at the centre; Furthermore, the weight of a girder of 84 ft. length only, is here calculated. In reality the section diminishes towards the ends, and the weight will be in excess. To the above found weight is added the weight of the superstructure, and the aggregate of covering plates, diagonals, stiffeners &c. This is obtained with sufficient accuracy for the next step, the intensity of the dead load, and multiplied by its factor of safety<sup>(3)</sup>, is used in connection with the intensity of the rolling load, for determining the true moment of resistance that the girder must possess.

The result of taking into account the dead load, is increased sectional areas, and consequently <sup>an</sup> increase of dead load, due to increase of weight. But a recalculation of the weight is unnecessary for further designing the beam; particularly as the weight already found is known to be too large.

The greatest bending moment in foot pounds is now calculated for the centre of the span, and for cross-sections respectively 5, 10, 20 & 30 ft. from the centre, by the formula  $M = \frac{ws_2 + w's}{2} (c^2 - x^2)$ ,  $c$  being the half span =  $\frac{l}{2}$ , and  $x$  the distance of the section in question from the centre. The force  $P$ , of the couple constituting the bending moment, is found by dividing  $M$  by 6 feet, which is the arm of the couple  $M$ . Longitudinal variations of section are made in accordance with various values of  $P$ .

The greatest shearing force acts immediately over the edge of an abutment, and its intensity may be as great as the greatest supporting force. Supposing it to have its greatest possible value, calculation C shows the excess of strength possessed by the web, while D shows the resistance that a stiffener, considered as a strut, can oppose to the crushing action of the greatest supporting force. The girders have a cross-section varying along the beam, making it approximately of uniform strength, and uniform depth; further the depth is  $\frac{\text{about}}{15}$  of the span, hence the anticipated working deflection  $v$ , will be  $= \frac{37}{2000} \times$  or an inch and a half. In order that the girder may become nearly straight under its load, it is proposed to give it an upward camber, but not so great as the working deflection resulting from calculation E. Confidence is expressed that the girders will prove stiffer than the formula for  $v$ , would show, and the

deflection be reduced to a minimum. The closeness of the stiffeners (5 ft apart), and the advantageous slope of the diagonals ( $45^\circ$ ); combined with the stiffness of the triangular cell, and the lateral connection of the girders with each other, tend to produce this result. A camber of  $\frac{3}{4}''$  is allowed for each of the four girders. The weakening effect of rivet holes is taken account of only in the flange, which is in a state of extension. One seventh more area is given in order to secure the proper effective section.

Throughout the calculations, formulae, and important results, are entered in red. ~~allowance for rivets~~

## CALCULATIONS.

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84 feet of span. 1 T per ft. of single track. 84 T on two sides.

$$84 \text{ T} (\text{of } 2240 \text{ lbs}) = 188160 \text{ lbs.}$$

$$\text{on an outer girder} .551 \times 188160 = 103676.16 \text{ lbs.} = W.$$

$$M_o = WL \div 8 \quad l = 84 \text{ ft.} \quad M_o = 103676.16 \times \frac{1008}{8} = 13063196.16$$

$$M_{oS} = 13063196.16 \times 6 = 78379176.96 \text{ inch pounds.}$$

$$h = \text{depth} = 6 \text{ ft} = 72 \text{ inches}$$

$$P_s = 78379176.96 \div 72 = 1088599 \text{ say} = 1088600$$

$$f_a = 36000 \div 1 + \frac{\epsilon^2}{5000 b^2} \quad \ell^2 = \overline{1008}^2 = 1016064$$

$$b^2 = \overline{30}^2 = 900$$

$$5000 \times 900 = 45000000 \quad 1016064 \div 45000000 = 22579$$

$$f_a (\text{lbs per sq.in. resistance to crushing}) = 36000 \div 1.22579 = \text{say} 29500$$

$$S_c = \text{area cell} \quad \frac{P_s}{S_c} = 29500 \div 1 + \frac{1016064}{29500 r^2}$$

$$r^2 = b^2 \div 12 = \overline{30}^2 \div 12 = 900 \div 12 = 75$$

$$29500 \times 75 = 2212500 \quad 1016064 \div 2212500 = 4592$$

$$\frac{P_s}{S_c} = 29500 \div 1.4592 = 20216 \text{ say} = 20200$$

$$\text{then } S_c = \frac{P_s}{20200} \quad \text{no allowance for weight of beam}$$

$$= 1088600 \div 20200 = 53.9 \text{ inches.}$$

$$\text{Area flange} = S_F. \quad f_b = 51000 \text{ lbs per sq.inch.}$$

$$S_F = P_s \div f_b = 1088600 \div 51000 = 21.3 \text{ inches.}$$

no allowance yet for wt. of beam.

## Approximate Weight.

Weight of 84 feet only. = 1008 inches.

$$\text{cell } 53.9^{\frac{\square \text{ in}}{\text{in}}} \times 1008'' = 54331$$

$$\text{flange } 21.3 \times 1008 = 21470$$

$$\text{web } 60'' \times \frac{3}{8}'' \times 1008 = \frac{22680}{\frac{98481 \text{ cu in.}}{\div 1728}} = 57 \text{ cu ft.}$$

wt. diagonal. 6' long 6" wide  $\frac{1}{4}$ " thick

$$72'' \times 6'' \times \frac{1}{4}'' = 108 \text{ cu. in.}$$

stiffener 5' long 9" wide  $\frac{3}{8}$ " thick

$$60'' \times 9'' \times \frac{3}{8}'' = 202\frac{1}{2} \text{ cu. in}$$

covering plates. 5' long 7" wide  $\frac{1}{4}$ " thick

$$60'' \times 7'' \times \frac{1}{4}'' = 105 \text{ cu. in.}$$

$$34 \text{ diagonals} = 108 \times 34 = 3672$$

$$34 \text{ stiffeners} = 202\frac{1}{2} \times 34 = 6885$$

$$34 \text{ plates} = 105 \times 34 = \frac{3570}{14127 \text{ cu. in.}} \\ \div 1728 = 8 \text{ cu ft.}$$

$57 + 8 = 65$  cu. ft. iron 1 ft weighs 480 lbs

$$65 \times 480 = 31200 \text{ lbs} \quad \} \text{ iron}$$

$$\text{Rail } 20 \times 84 = 1680 \text{ " } \} \text{ iron}$$

$$\text{Timber - say} = \underline{4300 \text{ "}}$$

$$37180 \text{ lbs dead load}$$

## Intensity of the loads. Outer Girders.

$$\text{let } 37180 \div 84 = 443 = w. \text{ per foot of span} \quad \text{dead load}$$

$$\text{let } 103676 \div 84 = 1234 = w'. " " " " \quad \text{live load}$$

$$w_{s_2} = 443 \times 3 = 1329 \quad \text{say} = 1300 \text{ lbs}$$

$$w'_{s_1} = 1234 \times 6 = 7404 \quad \text{say} = 7400 "$$

$$M_{o,s_2} = \frac{(w_{s_2} + w'_{s_1})}{2} c^2 \quad c = l \div 2 = 42 \text{ ft.}$$

$$\text{Various cross-sections } 42^2 = 1764 = c^2 \quad 1300 + 7400 = 8700$$

$$1764 \times 8700 \div 2 = 7673400 \text{ foot lbs.}$$

$$P_{s,s_2} = M_{o,s_2} \div 6' = 7673400 \div 6 = 1278900$$

$$\text{let } x' = 5 \text{ ft. then } \bar{x}'^2 = 25 \quad 1764 - 25 = 1739$$

$$1739 \times 8700 \div 2 = 7564650 = M_{s,s_2}$$

$$P_{s,s_2} = 7564650 \div 6 = 1260775$$

$$\text{let } x' = 10 \text{ ft. then } \bar{x}'^2 = 100 \quad 1764 - 100 = 1664$$

$$1664 \times 8700 \div 2 = 7238400 = M_{s,s_2}$$

$$P_{s,s_2} = 7238400 \div 6 = 1206400$$

$$\text{let } x' = 20 \text{ ft. then } \bar{x}'^2 = 400 \quad 1764 - 400 = 1364$$

$$1364 \times 8700 \div 2 = 5933400 = M_{s,s_2}$$

$$P_{s,s_2} = 5933400 \div 6 = \cancel{626400} \quad 988900$$

M O M E N T S.

B E N D I N G

$$\text{let } x' = 30 \text{ ft. then } \bar{x}^2 = 30^2 = 900 \quad 1764 - 900 = 864$$

$$864 \times 8700 \div 2 = 3758400 = M_{s,s_2}$$

$$P_{s,s_2} = 3758400 \div 6 = 626400$$


---

## Calculation A Outer Girders.

Various cross-sections resulting from above calculations

$S_c$  = sectional area of the triangular cell.

$S_F$  = " flange " " lower flange

$$f_a = \frac{29500}{20200} \quad f_b = 51000 \quad 20200 = A \text{ (see tip page 8)}$$

final sections

at centre.  $S_c = 1278900 \div 20200 = 63 \square \text{ inches}$

$$5 \text{ ft. out } " = 1260775 = 62 "$$

$$10 " " " = 1206400 = 59 "$$

$$20 " " " = 988900 = 49 "$$

$$30 " " " = 626400 = 31 "$$

at centre  $S_F = 1278900 \div 51000 = 25 \square \text{ in.}$

effective section      total section  
 $= S_F + \frac{S_F}{7} 29$

$$5 \text{ ft. out } " = 1260775 = 25 " \quad \text{say} = 28$$

$$10 " " " = 1206400 = 24 " \quad 27$$

$$20 " " " = 988900 = 19 " \quad 22$$

$$30 " " " = 626400 = 12 " \quad 14$$

$\frac{1}{7}$  more area given to allow for rivet holes.

## Inner Girders.

When both tracks are loaded each girder sustains  $\frac{1}{2}$  Ton per foot = 42 T. on the span =  $84 \div 2$

$$42 T = 94080 \text{ lbs.} = W \quad M_o = \frac{Wl}{8} \quad 84 ft = 1008 \text{ in.}$$

$$M_o = 94080 \times 1008 \div 8 = \frac{11854080}{71124480} \text{ inch lbs.}$$

$$M_{os} = 11854080 \times 6 = 71124480$$

$$P_s = \frac{M_{os}}{h} \quad h = 72" \quad 71124480 \div 72 = 987840$$

$$S_c = \text{area cell (provisionally)} = 987840 \div 20200 = 48.9$$

$$S_f = " \text{ flange } " = 987840 \div 51000 = 19.3$$

### Approximate Weight.

Weight of 84 ft. only = 1008 inches.

$$\text{cell} = 48.9 \times 1008 = 49291$$

$$\text{flange} = 19.3 \times 1008 = 19454$$

$$\text{web } 60 \times \frac{3}{8} \times 1008 = \underline{\underline{22680}}$$

$$91425 \text{ cu. in.}$$

$$\div 1728 = 53 \text{ cu. ft.}$$

$$\text{diag. stiff. plates &c. asbestos} = \frac{8}{61} \text{ cu. ft.}$$

$$61 \times 480 = 29280 \text{ lbs. } \} \text{ iron}$$

$$\text{Rail } 20 \times 84 = 1680 \text{ " } \} \text{ iron}$$

$$\text{Timber say } \underline{\underline{4300}} \text{ "}$$

35260 " dead load. Inner Girder.

## Intensities of the Loads.

## Inner Girders.

$$35260 \div 84 = 419 \text{ say } = 420 = w \text{ per ft. of span, dead}$$

$$94080 \div 84 = 1120 \text{ say } = 1120 = w' \text{ " " " live}$$

$$w_{s_2} = 420 \times 3 = 1260$$

$$w'_{s_1} = 1120 \times 6 = 6720 \quad \text{Bending Moments.}$$

## Bending Moments.

$$M_{o,s_2} = \frac{w_{s_2} + w'_{s_1}}{2} c^2 \quad c = \frac{84}{2} = 42 \text{ ft. } 42^2 = 1764$$

$$1260 + 6720 = 7980$$

$$1764 \times 7980 \div 2 = 7038360 \text{ ft. lbs.} = M_{o,s_2}$$

$$P_{s_1, s_2} = 7038360 \div 6 = 1173060$$

$$M_{s_1, s_2} = \frac{w_{s_2} + w'_{s_1}}{2} (c^2 - x^2)$$

$$\text{let } x' = 5 \text{ ft. then } x'^2 = 25 \quad 1764 - 25 = 1739$$

$$1739 \times 7980 \div 2 = 6938610 = M_{s_1, s_2}$$

$$P_{s_1, s_2} = 6938610 \div 6 = 1156435$$

$$\text{let } x' = 10 \text{ ft. } x'^2 = 100 \quad 1764 - 100 = 1664$$

$$1664 \times 7980 \div 2 = 6639360 = M_{s_1, s_2}$$

$$P_{s_1, s_2} = 6639360 \div 6 = 1106560$$

$$20 \text{ ft. } x'^2 = 400$$

$$\text{let } x' = 20 \text{ ft. then } x'^2 = 400 \quad 1764 - 400 = 1364$$

$$1364 \times 7980 \div 2 = 5442360 = M_{s_1, s_2}$$

$$P_{s_1, s_2} = 5442360 \div 6 = 907060$$

### Calculation C.

Let  $x' = 30$  ft. then  $\bar{x}^2 = 900$   $1764 - 900 = 864$

$$864 \times 7980 \div 2 = 3447360 = M_{s,s}$$

$$P_{s,s_2} = \underline{3447360 \div 6 = 574560}$$

### Calculation B.

### Inner Girders.

Various cross-sections resulting from above calculations

$f_a = 29500$   $f_b = 51000$ . The divisor 20200 results from

the formula  $\frac{P}{S} = \frac{29000}{51000} \div 1 + \frac{\ell^2}{29500} x^2$  or  $= 20200 = A$  (see top page 8)

$$\text{at centre } S_c = \frac{1173060}{20200} = 58 \text{ inches}$$

$$5\text{ft out } " = \frac{1156435}{20200} = 57 "$$

$$10" " = \frac{1106560}{20200} = 54 "$$

$$20" " = \frac{907060}{20200} = 45 "$$

$$30" " = \underline{574560} = 28 "$$

	effective section	final sections
	total section	
at centre $S_c = 1173060 \div 51000 = 23$ in.	23 in.	26 in.

$$5\text{ft. out } " = \frac{1156435}{51000} = 22 " \quad 25 "$$

$$10" " = \frac{1106560}{51000} = 21 " \quad 24 "$$

$$20" " = \frac{907060}{51000} = 18 " \quad 21 "$$

$$30" " = \frac{574560}{51000} = 11 " \quad 13 "$$

Total section = effective section +  $\frac{1}{7}$  effective section.

## Calculation C

Shearing force  $F'$

$$\text{live load} = 103676 \times 6 = 622056$$

$$\text{dead load} = \frac{37180}{2) \underline{140856}} \times 3 = \frac{111540}{2) \underline{733596}}$$

$$\text{supporting force} = \underline{70428} \text{ lbs } F_{s,s_2} = \underline{366798} \text{ lbs}$$

resistance of iron to shearing  $\approx 50000$  lbs per  $\square$  in.

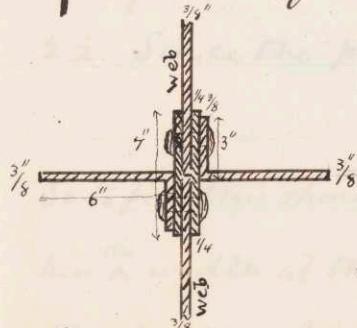
$$F_{s,s_2} \div 50000 = \text{no } \square \text{ in. required}$$

$$= 366798 \div 50000 = 7.3$$

No.  $\square$  in. in web between flange and apex of cell is  
 $60'' \times \frac{3}{8}'' = 22\frac{1}{2}$   $\square$  in. <sup>3 times as much as is required</sup>  $F_{s,s_2}$  to resist the greatest shear

## Calculation D.

+ section of a vertical stiffener at a web joint -



$$\text{L iron} = 9'' \times \frac{3}{8}'' = 3\frac{3}{8} \quad \left. \begin{array}{l} \text{considered as a } \\ \text{pillar} \end{array} \right\}$$

$$\text{plate} = 7 \times \frac{1}{4}'' = \underline{1\frac{6}{8}} \quad \left. \begin{array}{l} \text{five feet high} \\ 5\frac{1}{8} \times 2 = 10\frac{2}{8} \end{array} \right\}$$

$$\text{web } 7'' \times \frac{3}{8}'' = \text{add } \underline{2\frac{5}{8}}$$

$$f_a(\text{mod. of crushing}) = 36000 \text{ per } \square \text{ inch.} \quad \underline{12\frac{7}{8}} \square \text{ inches}$$

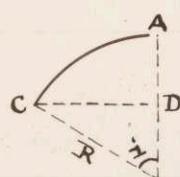
$$36000 \times 12 = 432000 \text{ lbs.} = \text{ultimate } f_a \text{ load. } 5T = 11200 \text{ lbs}$$

### Calculation E.

Camber. since the span = 15 times the depth  
 the working deflection  $v_i = \frac{3\ell}{2000} = .126$  foot or  
 an inch and a half.

### Calculation F

Trapezoidal plates to allow for a camber of  $\frac{3}{4}$ " (see page 10)      Radius of curvature.



Let CA represent  $\frac{1}{2}$  the girder, and AD the camber. CA has a girt of 50 ft. = 600 in.

$AD = .75"$  sensibly  $CD = CA = 600$  in.

$$\text{then } R = \frac{600^2}{2 \times .75} + \frac{.75}{2} = 240000.375 \text{ inches.}$$

$\sin i = \frac{CD}{R} = \frac{600}{240000.375}$  If the web plates were set from the ends towards the centre, and the edge of the first one, <sup>at each end</sup> were made parallel to R, the centre pair would lean away from each other thus,

leaving an angle of  $2i$ . Since the plates are each 78" high, the space  $s = 2 \times 78 \times \sin i$

$$\left\{ \begin{aligned} &= 2 \times 78 \times \frac{600}{240000.375} \\ &= .390 \text{ inch} \end{aligned} \right.$$

So to fill this space the 7th plate from each end

has <sup>the</sup> width at the top increased from 60" to  $60" + \frac{.390}{2} = 60.195"$

The length of the top of the cell will be .39 inch longer than the flange.

## Description of Drawings.

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**Plate A.** Fig. 1. Transverse vertical section of an outer girder, near centre of span, between a pair of stiffeners, ~~of an outer girder~~, scale  $\frac{1}{10}$ . Diagonal D, plate B

**Plate C.** Elevation not shown. H H, continuous side plates of cell. CG, centre of gravity and the angle nearly -

**Plate D.** Fig. 2 Section of the same at a stiffener S. Parts cut by plane of section shown in red. G G G G, gussets of  $\frac{5}{16}$ " plate. Scale  $\frac{1}{10}$ .

**Plate E.** Fig. 3. Horizontal longitudinal section of web between upper and lower members. Diagonal D, plate B not shown. Stiffeners and mode of securing adjacent plates of the web shown at S S. Scale  $\frac{1}{10}$ .

## Plate B

Side elevation of a panel near the centre.  
 H, the sloping side plate of the triangular cell. GG, gussets, ss, stiffeners;  
 D, the diagonal. The red lines show  
 the position of vertical joints of the  
 web. Scale  $\frac{1}{10}$ .

Plate C. Elevation of the roller end of a girder, showing the rollers in their frame and their bearing surfaces. Scale  $\frac{1}{10}$ .

Plate D. Plans showing the position of rivets in the top of cell and bottom of thick flange. The <sup>heavy</sup> red transverse lines mark the limits of one panel of the web. Scale  $\frac{1}{10}$ .

Plate E. 1. Transverse section of the bridge looking towards the roller end; and showing the manner of connecting, drilling and bracing the girders. Scale  $\frac{1}{40}$ .  
 2. Side elevation of entire bridge drawn to a scale of four  $\frac{1}{50}$  inch to a foot.

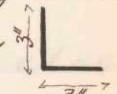
## Particular Descriptions.

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The vertical web.

The webs of all the girders are precisely alike. They are made of plates of iron 6'-6" by 5', placed with the largest dimension vertical. In the three panels of each end the thickness is  $\frac{3}{8}$ "; in the remaining sections  $\frac{5}{16}$ ". Plate BB shows the elevation of a panel near the centre. The red lines show the positions of the vertical joints. The web is in no place less than  $\frac{5}{16}$ " thick, because although more than sufficient to withstand the shearing force (as shown by calculation C), it is an important basis for braces and stiffeners, and a less thickness is insufficient to insure the holding force of the rivets. The sides are planed, so as to abut truly and equally; and as before mentioned the rivet holes are drilled. The vertical joints are covered with fish-plates on each side 7" wide, and  $\frac{1}{4}$ " thick; reaching from the angle iron of the flange to the apex of the cell. Pieces of  $\frac{3}{8}$ " plate, 5 ft. long

The Rollers &

bent to this cross-section , are placed over the fish plates, and the whole riveted through from side to side with inch rivets 6" apart. The joint thus <sup>formed</sup> becomes a pillar of the cross-section shown at \$, fig. 3 plate A<sub>1</sub>, having an area of 12 square inches. One of these pillars if brought to bear the pressure of the load on a locomotive driving wheel (say 5 tons), or of the greatest supporting force, would sustain it (Calculation D). Intermediate between the stiffeners, the web is strengthened against buckling by diagonals D, plates B + C, of  shaped  $\frac{1}{4}$ " iron riveted to each other through the web, and sloping upwards towards the centre of the span at an angle of  $45^\circ$ . The web is connected with the bottom flange by angle irons on each side 3" wide, secured by  $\frac{1}{8}$ " rivets 6" apart. The sides H, fig. 1 plate A<sub>1</sub>, of the triangular cell, are riveted to the web, and its prolongation upwards is made fast to the base. (cross-sections, plate A<sub>1</sub>).

### The Rollers &c.

The rollers are turned to cylindrical forms, with  
gudgeons on their ends  $1\frac{1}{2}$ " diameter, entering  
holes in the frame by which they are held.  
This frame is a rectangular hoop of wrought  
iron, 3" wide and about  $\frac{3}{8}$ " thick. The rivet  
heads are avoided, and a smooth rolling  
surface secured on the lower sides of the  
girder flanges, by drilling holes large enough  
and in the proper positions to receive the pro-  
jections, in a plate of iron 7' long, and of suf-  
ficient thickness to prevent their protru-  
The plate so prepared is placed over the rivets.  
ding through. This plate should set close  
to the flange in order to properly distribute  
the supporting pressure, and not bring any  
of it on the rivet heads. An unequal bearing  
might cause the girders to rock. The lower  
roller-bed is a stout plate of iron covering the  
oaken cushion before spoken of. Plate C shows  
an elevation of the rollers, and their upper and  
lower tracks.

The flange for outer girders.

The flange is double throughout its entire length. The lower plate to which the web is immediately connected by angle irons, is 30" wide and at the centre of span  $\frac{7}{16}$ " thick. The upper plate is in two strips each  $1\frac{1}{4}$  wide, one each side of the web, in lengths of 20'. The upper and lower plates break joint; alternately the one serves the other as a fish-plate. At the centre, the thickness of these side strips is  $\frac{7}{16}$ " but is reduced to  $\frac{5}{16}$ " at a distance of 5 ft, and still further reduced in the third plate from the centre. The position and thickness of the several plates is shown in the exaggerated sketch of sheet M. The flange and web are further connected, through the stiffeners, by gussets of  $\frac{5}{16}$ " iron, fastened to the 6" projections of the stiffeners, then bent at right-angles and riveted to the flange by a pair of  $1\frac{1}{16}$  rivets. This connection is shown in plate II B, and transversely in fig. 2 plate A.

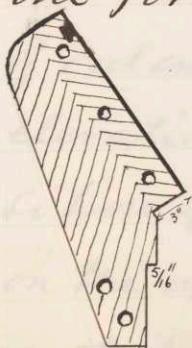
The double flange is riveted together along ~~the~~<sup>each</sup> edge by  $1\frac{1}{2}$ " rivets 6" apart from centre to centre. Fig. 2, Plate II, shows the position of all the rivets in five feet length of flange; the rivets G, are those holding the gussets. The above results for the various thicknesses follow from calculation A.

The triangular cell for outer girders. Top.

The top of the cell is double like the flange, and the plates arranged to break joint. They are all 30" wide, and except the middle and two end ones of the upper layer are each 20' long. Position of the rivets for a single panel is shown in plate II, fig. 1. The <sup>heavy</sup> red, dotted, transverse lines, limit the length of a web plate. At the middle, the upper and lower plates are each  $\frac{7}{16}$ " thick. In the next pair of 20' plates the thickness is reduced  $\frac{1}{16}$ " and in the following pair a further reduction is made to  $\frac{4}{16}$ " for each

which thickness remains uniform for the rest of the girder.

~~in the case of~~ Sides. The sloping side plates of the cell are 24" wide (when flat), in lengths of 20'. A joint comes at the centre of the span. Adjacent plates are fished on the inside, while the gusset covers the joint on the exterior. The two plates either side the centre, are each  $\frac{1}{2}$ " thick. The others have reduced thicknesses noted on sheet M, and in the summary of plates,<sup>page 30</sup>. Three inches of each edge are bent to coincidence with the planes of web, and base of cell respectively, and made fast to them by  $1\frac{1}{2}$ " rivets <sup>before bent</sup> 4" apart. The gussets have the form of the accompanying sketch. They are further shown at G, fig. 2. plate A & plate B. The side plates are marked E in the same.



## Summary of Material.

The web bisects the cell, and is riveted to its base through angle irons 3" wide. (Shown in the cross-sections, plate A.)

### Calculation A,

gives results leading to the adoption of the above thicknesses of the plates.

### Centre Girders.

The webs for the centre girders are precisely like those of the outer, in form, size, and arrangement of parts. The flanges and cells alone differ from the outer, and only in the <sup>reduced</sup> thicknesses of their respective plates.

The arrangement is exactly the same. The varying thicknesses ~~are~~ given in sheet M, and in the summary (page 30), are results of calculation B. Sheet M <sup>shows</sup> an exaggerated elevation of half a girder, pointing out the position of each iron plate, <sup>in cell and flange.</sup> Where joints occur on the upper sides of the cells, they are covered with a strip of ~~the~~ sheet iron

## Summary of Material.

### Iron Plates.

Various thicknesses giving + sections in accordance with calculations A and B. The letters refer to sheet M.

Dimensions.	cu. inches	Plates, $\frac{1}{2}$ Outer G	Plates, $\frac{1}{2}$ inner G	For I Outer G	For I inner G	2 out G	2 in nor G	Total 4 G	Cu. in. in plate Outer sides
cells upper & lower layers - Flanges Lower layers	20' x 30" x $\frac{7}{16}$	3062.5	B L	2		2	4	4	6125.0
	20 x 30 x $\frac{6}{16}$	2625.0	C D	2	BL	2	4	8	12
	20 x 30 x $\frac{5}{16}$	2167.5	N	1	CDN	3	2	6	4 12 16
	20 x 30 x $\frac{4}{16}$	1894.0	E FP	3	E FP	3	6	12	24
	10 x 30 x $\frac{7}{16}$	1531.25	A	1		1		2	2
	10 x 30 x $\frac{6}{16}$	1312.5			A	1	1		2
	5 x 30 x $\frac{4}{16}$	473.5	G	*	G	1*	2	4	8
cells sizes.	20 x 24 x $\frac{8}{16}$	2880.0	H	2	H	2	4	8	16
	20 x 24 x $\frac{5}{16}$	1800.0	I	2	I	2	4	8	16
	10 x 24 x $\frac{4}{16}$	720.0	J	2	J	2	4	8	16
Flanges upper layer	10 x 11 $\frac{1}{4}$ x $\frac{7}{16}$	591.5	K	2		2		4	4
	10 x 11 $\frac{1}{4}$ x $\frac{6}{16}$	507.0		K		2	2	4	4
	20 x 11 $\frac{1}{4}$ x $\frac{5}{16}$	845.0	M	2	M	2	4	8	16
	20 x 11 $\frac{1}{4}$ x $\frac{4}{16}$	676.0	O	2	O	2	4	8	16
	5 x 11 $\frac{1}{4}$ x $\frac{4}{16}$	169.0	Q	2	Q	2	4	8	16
						43	43		
								172	
									cu. in = 64265.25

{ \* below this sign the numbers in the 4th + 6th columns }

} are doubled because there is a plate each side of the web.

## Iron Plates.

### Webs.

dimensions.	number.	solidity for one girder
78" x 60 x $\frac{5}{16}$	56 for middle panels	25130. cu. in
78 x 60 x $\frac{3}{8}$	24 " end "	8775. " "
	80 Total for 4 webs.	33905 " "

## FISH PLATES AND L IRON &c.

covering plates. (for vert. points)	dimensions -	number	solidity for 1 girder
	5' x 7" x $\frac{1}{4}$ "	168	4410 cu. in.
stiffeners 	shaped 5' x 9" x $\frac{3}{8}$ "	168	8505 " "
diagonals - for 20 panels	6" x 6" x $\frac{1}{4}$ "	160	4320 " "
gussets for cell (equivalent to)	22" x 6" x $\frac{5}{16}$ "	168	1732 " "
gussets for flange	15" x 6" x $\frac{5}{16}$ "	168	1181 " "
			24148 " "

## ANGLE AND T iron.

Iron for 9 pairs of diagonal connectors shown in the section of plate E	aggregate length of	142 ft
Iron for 9 pairs horizontal braces	" "	144 ft.
Iron for tops of cells of outer girders		200 ft.
Angle iron 3" wide		1600 ft.

## RIVETS.

diameter	1 girder	4 girders
1 1/2 inch	1320 × 4 =	5280
1 1/4 "	320 × 4 =	1280
1 1/6 "	560 × 4 =	2240
1 "	1280 × 4 =	5120
7/8 "	550 × 4 =	2200
	4030	16120

Screw bolts for fishing sides of triangular cells;  $30 \times 4 = 120$

## Rollers.

$6 \times 4 = 24$  6" diameter 30" long. Four wrought iron frames for them.

## TIMBER &c.

80 cross timbers 22' × 7" × 9" spruce  
 longitudinal timber 10" × 10 total length of 200 ft. pine.  
 3 inch oak plank for cushions.  
 24 strips sheet iron. Paint.

## Weight of an Outer Girder.

Cell-and-flange ; cu. in. 64265.25

the web ; 33905.00

fish-plates, stiffeners &c; 24148.00

Angle and T iron; 11408.00

129718.25 cu. in.

$\div 1728 = 75 \text{ cu ft. } 75 \times 480 = 36000 \text{ lbs.}$

wt. 4000 rivet heads say = 1000 "

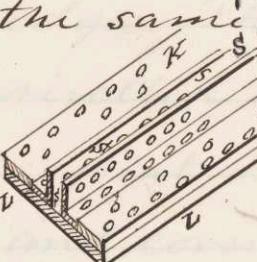
weight of an outer girder = 37000 "

$10\frac{2}{3}T$  of 2240 lbs  $18\frac{1}{2}T$  of 2000 lbs.

It appears from examples of existing iron bridges, that the cost of the iron and labour in ~~construction~~ building and putting up, conjointly has been from 12 to 18 cents per pound of iron - At 13 cents per pound this bridge will cost \$20000.00 exclusive of the masonry and superstructure.

## PROCESS OF PUTTING TOGETHER.

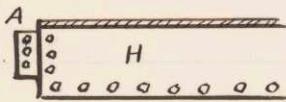
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Rivet the pair of angle irons to sheet M (see sheet M),  
 the angle irons being cut in such lengths that  
 they may break joint with the plates. The bed  
 on which the girders are built should have  
 the same <sup>upward</sup> camber ~~as~~ <sup>that</sup> the bridge <sup>is to have.</sup> In the  
 space s, left between the angle irons,  
 set four of the web plates; they will  
 just occupy the length of plate I.  
 Cover the web joints, with the fish plates and  
 stiffeners. Lay, on each side the strips K.  
 (sheet M), completing the double thickness.  
 Connect the stiffeners to the flange by the gussets.  
 Proceeding thus, work out from the centre,  
 both ways, until all the plates, stiffeners and  
 lower gussets are in place. The seventh <sup>vertical</sup> plate  
 from each end is cut slightly trapezoidal in  
 form, (to an extent shown by calculation F), and  
 placed with ~~the~~ the wider end uppermost. The ob-  
 ject of this is to fill the space left by the plates leaning  
 away from each other ~~owing~~ <sup>because of</sup> to the camber, causing

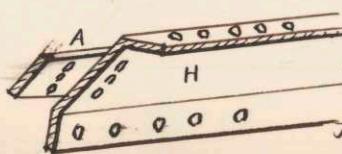
the vertical joints to gape at the top.

When the ver-

tical plates are all in position, the pair of angle irons that are to connect the web with the top of the cell are to be riveted along their upper edges. The double thickness of the top is now riveted on, beginning at the centre. When a joint on the upper side occurs, it is painted and covered with a strip of sheet iron previous to rivetting. Staging will be required for fixing the cell in position, and the girder will need transverse staying. The parts to be enclosed in the cell may now be painted. The side plates will be most difficult to fix, on account of the fish plate on the interior of the triangular cell. This fish plate may be riveted to one end of each side plate before it



is raised. Since when the next length is in position the fish plate will be inaccessible for rivetting, the holes in the projecting part A,



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are cut with a thread, and screw bolts passed through the holes in the side and gusset that serves for an outer fish-plate, and the three thicknesses drawn tightly together by the screw. The inner side of the plates are to be painted before used. Green would be a good color. The upper gussets, with the exception of those covering joints, are to be riveted in their proper positions, <sup>to</sup> in the side plates, before the latter are raised, and may be connected to their respective stiffeners as the work proceeds.

In the erection of the girders they are each to be moved from its bed, endwise, on rollers, over the span, on a temporary scaffolding which must be strong enough to sustain 20 tons. The centre ones may be first placed, and then on either side the outer one -.

no hesitation

a moment

independant

(Ranpin) is riveted (pass.

arrangement

seperately  
securing

exaggerated (bis)

beginning