

2.71/2.710 Optics

Units: 3-0-9, Prerequisites: 8.02, 18.03

2.71: meets the Department Elective requirement

2.710: H-Level, meets the MS requirement in Design

Class objectives

- Cover the fundamental properties of light propagation and interaction with matter under the approximations of geometrical optics and scalar wave optics, emphasizing
 - physical intuition and underlying mathematical tools
 - *systems* approach to analysis and design of optical systems
- Application of the physical concepts to topical engineering domains, chosen from
 - high-definition optical microscopy
 - optical switching for data communications and computer interconnects
 - optical data storage
 - interface to human visual perception and learning
 - micro-optical adaptive components (optical MEMS)

What you need

- Absolutely necessary
 - Euclidean geometry
 - calculus with complex variables
 - Taylor series approximation
 - MATLAB or other computation/visualization software
- Helpful if you know but we will cover here
 - basic electrodynamics
 - basic wave propagation
 - linear systems and Fourier analysis

Topics

- Geometrical optics
 - Basic ray-tracing
 - Image formation and imaging systems
 - Optical design
- Wave optics
 - Scalar linear wave propagation
 - Wave properties of light
 - Polarization
 - Interference and interferometry
 - Fourier/systems approach to light propagation
 - Spatial filtering, resolution, coherent & incoherent image formation, inverse problems
 - Wavefront modulation/holography

Applications

- Confocal microscopy
 - optical slicing
 - fluorescence
 - two-photon
 - real-time
 - holographic
 - Spectroscopic
 - bio-imaging, imaging through turbulence
- Super-resolution
 - apodizing filters
 - hybrid (optics+signal processing) approaches
 - information-theoretic viewpoint
- Optical data storage
 - optical disks (CD's, DVD's, MO disks)
 - holographic memories
- Optical switching
 - optical MEMS
 - liquid crystals
 - thermo-optics
 - acousto-optics
- Statistical optics
 - Coherence imaging (van Cittert-Zernicke theorem, radio astronomy)
 - Optical coherence tomography
 - X-ray tomography (Slice Projection theorem, Radon transforms)

Class compass

- Broadcasts
 - 2.710@petrosian.mit.edu
- Textbooks: “Optics” by E. Hecht, 3rd edition (Addison-Wesley)
 - [2.710 only] “Introduction to Fourier optics” by J. W. Goodman, 2nd edition (McGraw-Hill)
- Recommended texts:
 - “Waves and fields in optoelectronics” by H. A. Haus
 - “Optics” by Klein and Furtak
 - “Fundamentals of photonics” by Saleh and Teich
 - “Fundamentals of optics” by Jenkins and White
 - “Modern Optical Engineering” by W. J. Smith

Administrative: 2.71

- Grade: 30% homeworks, 40% quiz, 30% final exam
- Ten homeworks
 - each due 1 week after post date (see syllabus)
 - see website for collaboration & late policies
 - mainly “comprehension” problems
- Occasional lab demonstrations (optional)

Administrative: 2.710

- Grade: 25% homeworks, 30% quizzes, 20% project, 25% final exam
- Ten homeworks
 - each due 1 week after post date (see syllabus)
 - see website for collaboration & late policies
 - both “comprehension” and “open-ended” problems
- Occasional lab demonstrations (optional)
- Project
 - teams of 2-3
 - selected among one of the application areas (topics soon TBA)
 - start first week of November
 - weekly or so info meetings with instr/TA
 - oral presentation and 3-page technical paper

Administrative: both

- Two quizzes:
 - Quiz 1 on Wednesday Oct. 10, 10am (in class)
 - Quiz 1 content: geometrical optics, basic wave propagation
 - Quiz 2 on Wednesday Nov. 14, 10am (in class)
 - Quiz 2 content: Fourier optics
- Final exam:
 - scheduled by the Registrar
 - comprehensive on everything covered in class
- Absence from quizzes/final: Institute policies apply
- Grading: Institute definitions apply

Administrative: both (cont.)

- Office hours: TBA
- Unlimited email access (broadcasts encouraged), best effort to reply within 24hrs.
- Recitations during scheduled class hours
 - *most* Wednesdays (some separate for 2.71 and 2.710)
 - broadcast by e-mail when not in syllabus
 - contents
 - example problems (usually before homeworks are due)
 - homework solutions (after homework due dates)
 - extended coverage of some special topics (e.g., optical design software; 2D Fourier transforms)
 - suggestions welcome

Brief history of optics

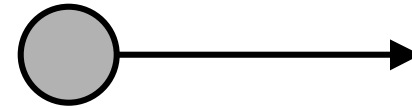
- Ancient Greeks (~5-3 century BC)
 - Pythagoras (rays emerge from the eyes)
 - Democritus (bodies emit “magic” substance, simulacra)
 - Plato (combination of both of the above)
 - Aristotle (motion transfer between object & eye)
- Middle Ages
 - Alkindi, Alhazen defeat emission hypothesis (~9-10 century AD)
 - Lens is invented by accident (northern Italy, ~12th century AD)
 - Della Porta, da Vinci, Descartes, Gallileo, Kepler formulate geometrical optics, explain lens behavior, construct optical instruments (~15th century AD)
- Beyond the middle ages:
 - Newton (1642-1726) and Huygens (1629-1695) fight over nature of light

Brief history of optics (cont'ed)

- 18th-19th centuries
 - Fresnel, Young experimentally observe diffraction, defeat Newton's particle theory
 - Maxwell formulates electro-magnetic equations, Hertz verifies antenna emission principle (1899)
- 20th century
 - Quantum theory explains wave-particle duality
 - Invention of holography (1948)
 - Invention of laser (1956)
 - Optical applications proliferate
 - computing, communications, fundamental science, medicine, manufacturing, entertainment

Particle properties of light

Photon=elementary light particle

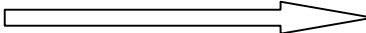


Mass=0

Speed $c=3\times 10^8$ m/sec

$$c=\lambda\nu$$

“Dispersion relation”

Energy $E=h\nu$ 

relates the dual particle & wave nature of light;

h =Planck's constant
 $=6.6262\times 10^{-34}$ J sec

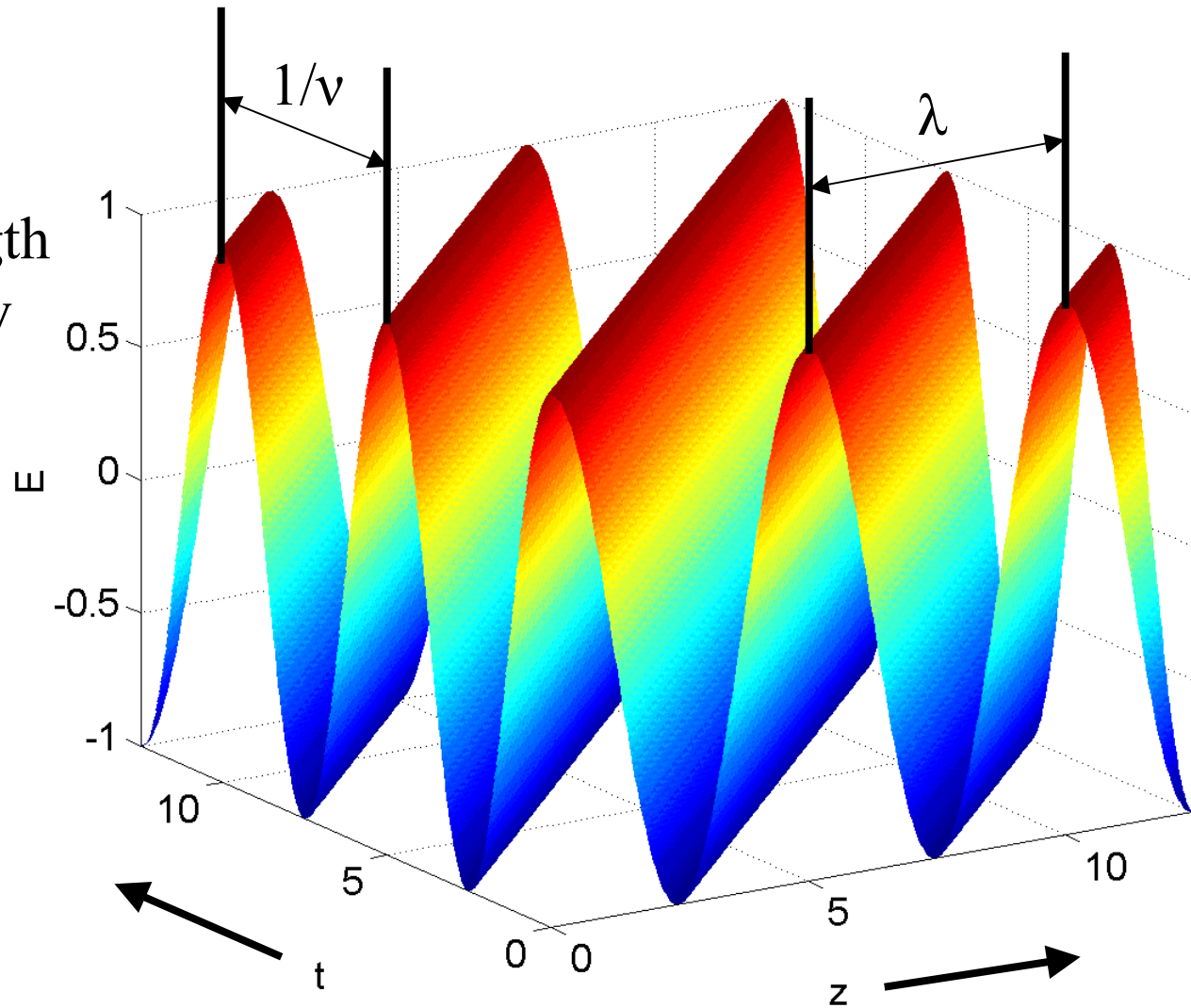
ν is the temporal oscillation frequency of the light waves

ν =frequency (sec^{-1})
 λ =wavelength (m)

λ is the spatial period of the light waves

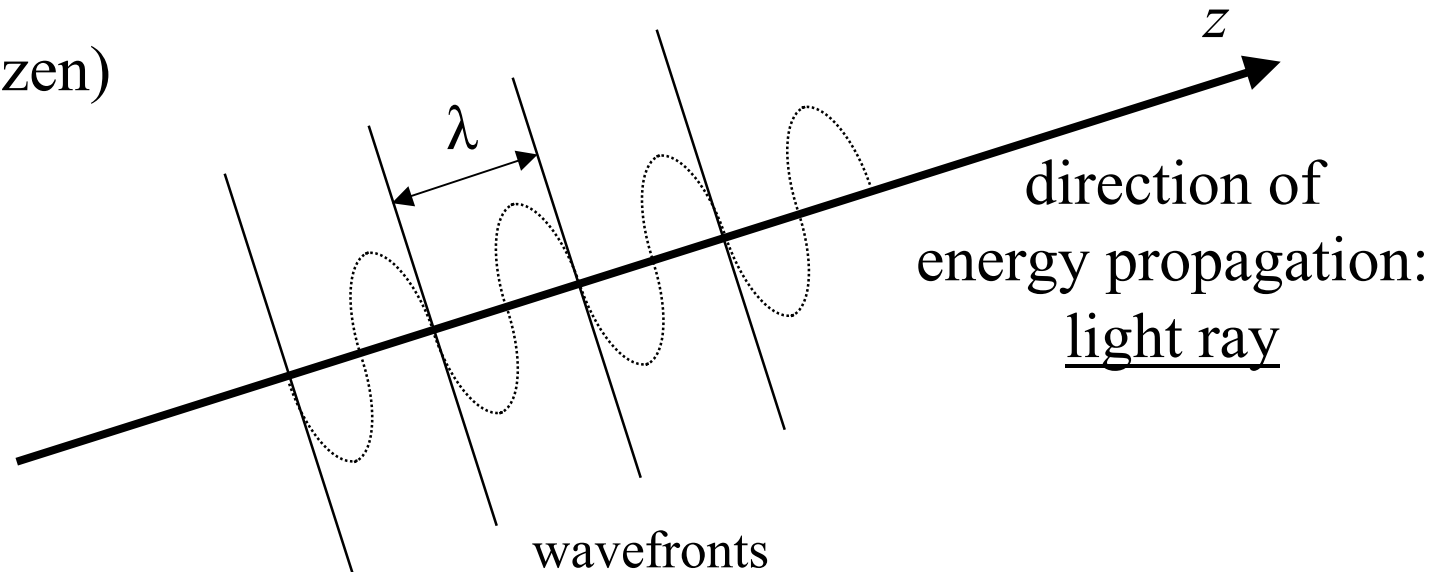
Photon flux: a light wave

λ : wavelength
 ν : frequency
 E : electric field



The concept of a “ray”

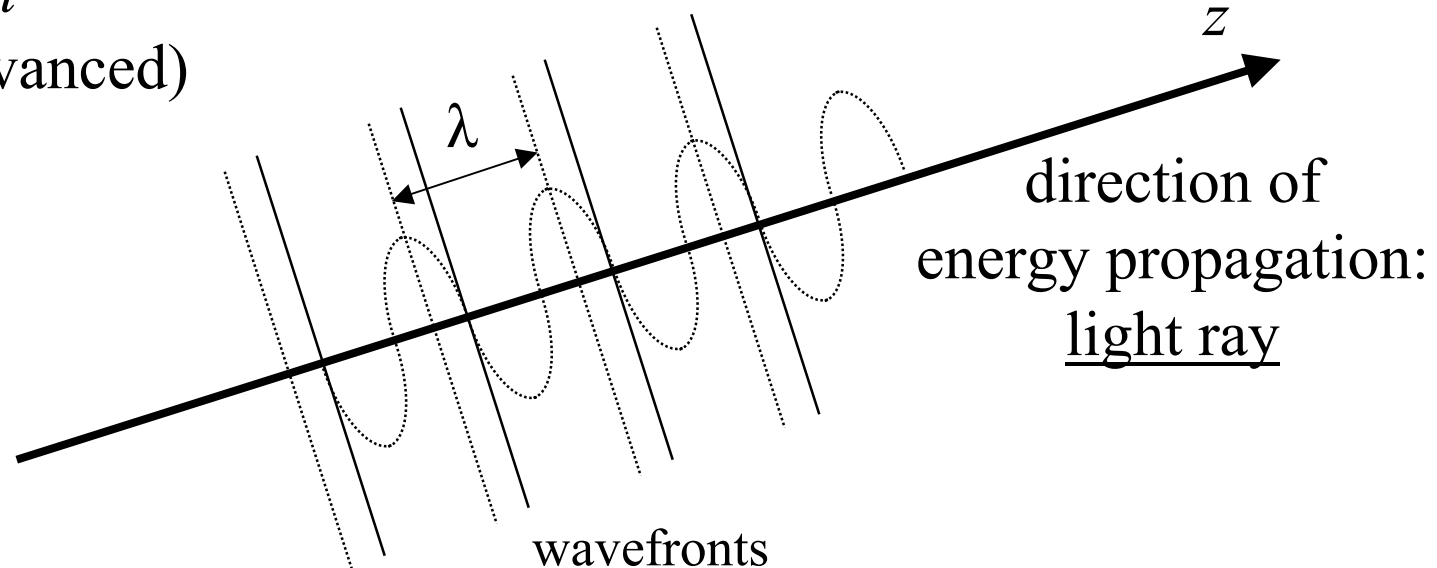
$t=0$
(frozen)



In homogeneous media,
light propagates in rectilinear paths

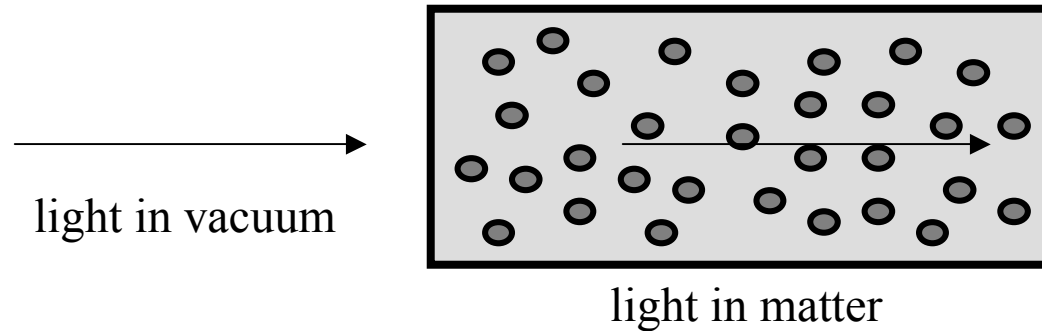
The concept of a “ray”

$t = \Delta t$
(advanced)



In homogeneous media,
light propagates in rectilinear paths

Light in matter



Speed $c=3\times 10^8$ m/sec

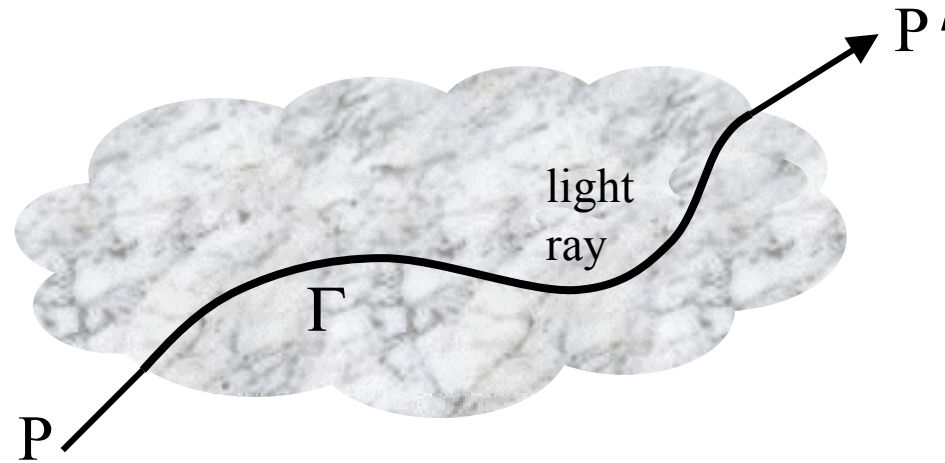
Speed c/n
 n : refractive index
(or index of refraction)

Absorption coefficient 0

Absorption coefficient α
energy decay coefficient,
after distance L : $e^{-2\alpha L}$

E.g. glass has $n\approx 1.5$, glass fiber has $\alpha\approx 0.25\text{dB/km}=0.0288/\text{km}$

The minimum path principle



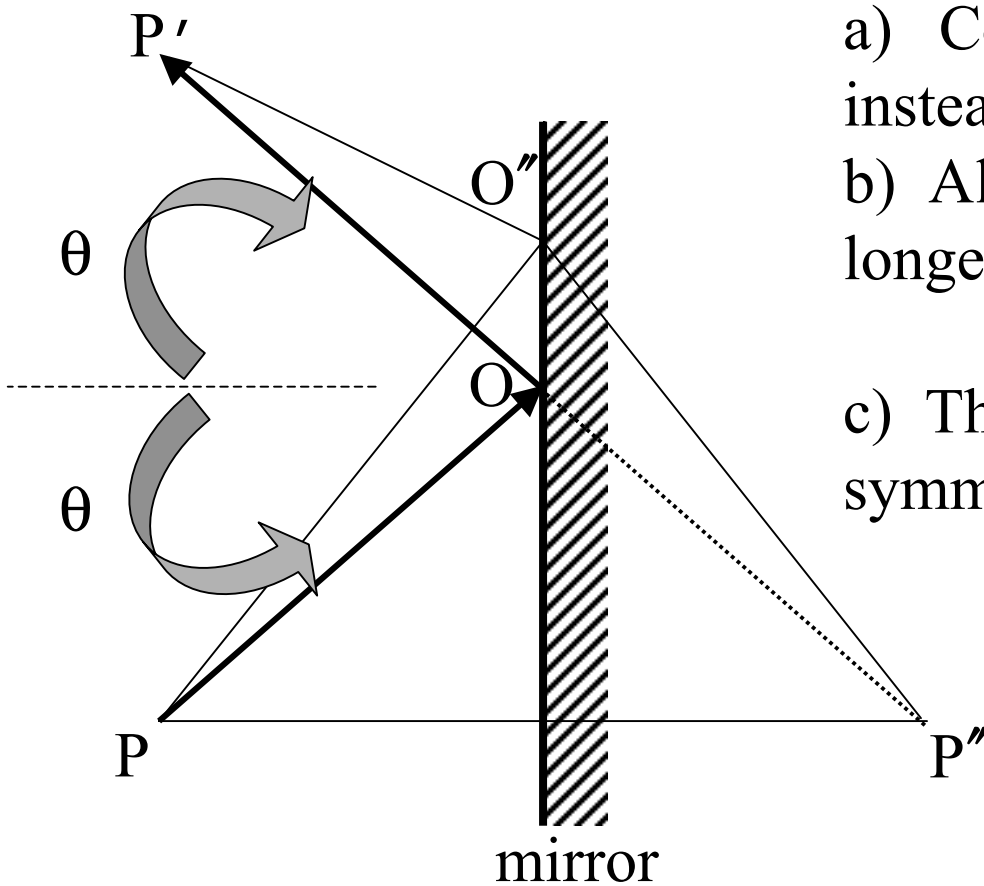
$$\int_{\Gamma} n(x, y, z) dl$$

Γ is chosen to minimize this
“path” integral, compared to
alternative paths

(aka **Fermat**’s principle)

Consequences: law of reflection, law of refraction

The law of reflection

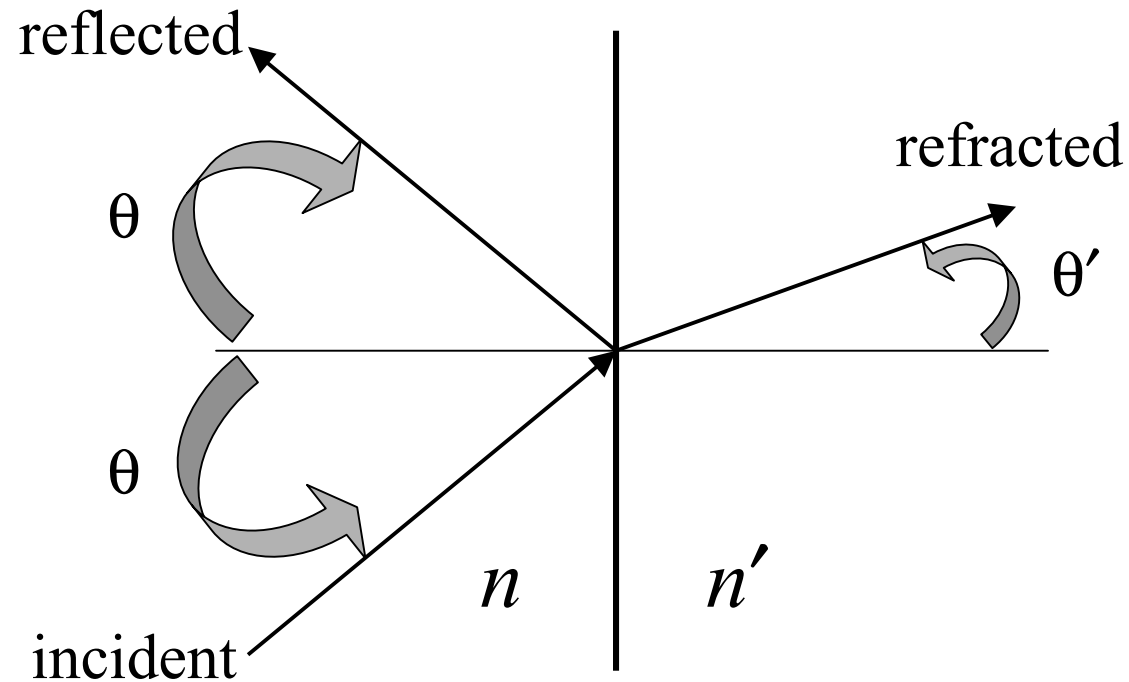


a) Consider virtual source P'' instead of P

b) Alternative path P''O''P' is longer than P''OP'

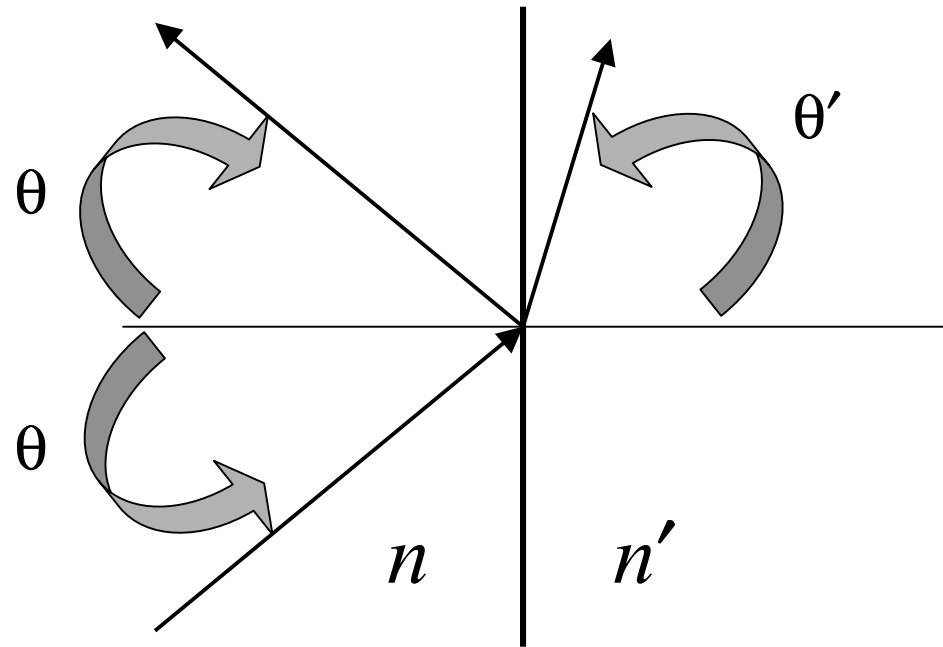
c) Therefore, light follows the symmetric path POP'.

The law of refraction



$$n \sin \theta = n' \sin \theta' \quad \text{Snell's Law of Refraction}$$

Total Internal Reflection (TIR)



$n > n' \Rightarrow \theta'$ becomes imaginary when $\theta > \theta_{\text{crit}} = \sin^{-1} \frac{n'}{n}$

\Rightarrow refracted beam disappears, all energy is reflected

Frustrated Total Internal Reflection (FTIR)

Reflected rays are missing
where index-matched surfaces
touch \Rightarrow shadow is formed

Angle of incidence
exceeds critical angle

