# ESTIMATING SETTLEMENTS AND CAPACITIES OF PILED FOUNDATIONS WITH NON-LINEAR FINITE ELEMENT ANALYSES

by

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## ABSTRACT

Conventional foundation settlement calculation methods are performed assuming elastic soil behavior. However, soil exhibits non-linear stress-strain properties at relatively small shear strains. Therefore, large factors of safety are needed, such that the designed capacity is within the elastic zone of the soil, leading to inefficient designs and increased costs.

This thesis explores the use of non-linear finite element analyses, to predict the load settlement response of piled foundations. The accuracy of the non-linear analyses depends in large part, on the ability of soil models to describe the actual soil behavior. In order to check the validity, two cases studies are analyzed with finite element analysis using an elastic-perfectly plastic model to represent free draining, sands and silts, and Modified Cam Clay to describe soft clay behavior. In the first study, finite element analysis predicts the capacities and settlement responses of instrumented single piles tested at Northwestern University in 1989. The second case study considers the rate and extent of consolidation settlement of a heavy storage building supported by a piled raft in Oslo, Norway. Both FE and conventional analyses are performed, and the results are compared and evaluated with measured capacities and settlements.

Results show that the finite element analysis predict consistent and reliable results. In the first case, the predicted capacities of driven piles are within one percent of the measured capacity. For the second case, the predicted rate and extent of settlement are also in good agreement with measured data. However, FE predictions for the stiffness and capacity of drilled shafts are much too conservative. Results can be improved with more accurate soil parameters for the models, better understanding of the installation effects of piles, and more advanced soil models.

Thesis Supervisor: Andrew J. Whittle Title: Associate Professor of Civil and Environmental Engineering

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ABSTRACT	2
Acknowledgments	3
Table of Contents	4
List of Figures	5
List of Tables	7
Chapter 1 Introduction	8
Chapter 2 Background and Development of Finite Element Model	10
<ul> <li>2.1 Background of Finite Element</li></ul>	10 11 13 20 23 29 33
Chapter 5 Analysis of National Geotechnical Experiment Site, Northwestern	
<ul> <li>3.1 Background and Detail of Testing Program</li> <li>3.2 Subsurface Characteristics and Engineering Properties</li></ul>	33 35 42 43 44 46
3.3.4 Finite Element Analysis.	48
3.4 Comparison of Analyzed Results with Measured Data	49
3.4.2 Evaluating Pile Settlement Results	51
3.4.3 Evaluating Skin Friction Distribution	60
3.5 Summary Chapter 4 Settlement Analysis of a Storage Building at Jernhanetollsted, Oslo	64
A 1 Background and Details of Site	
4.3 Method of Analyzing Settlement.	68
4.4 Setting up Finite Element Analysis	71
4.5 Comparing FE Settlement Results with Measured Settlements	76
4.4.1 Load Supported by the Piles	/ / רד
4.4.3 Settlements Comparison with Measured Settlements	79
4.4.4 Estimating Differential Settlement Center	82
4.5 Summary of Consolidation Settlement Analysis	84
Chapter 5 Summary, Conclusion and Recommendation	85
References	88
Appendix A	89
Appendix B	104
Appendix C	122

# List of Figures

FIGURE 2.1 STRESS-STRAIN RELATIONSHIP OF A CONCRETE CYLINDER WITH ELASTIC MODEL	. 13
FIGURE 2.2 ELASTIC-PERFECTLY-PLASTIC MODEL FOR A CONCRETE CYLINDER	. 14
FIGURE 2.3 MOHR-COULOMB MODEL	. 15
FIGURE 2.4 MOHR-COULOMB MODEL FROM PLAXIS	. 15
FIGURE 2.5 UNDRAINED TRIAXIAL SHEARING OF ELEMENT AT INITIAL OCR =1.5 WITH MODIFIED CAM	
CLAY MODEL	. 16
FIGURE 2.6 VOID RATIO VS. LOG P'	. 17
FIGURE 2.7 UNDRAINED BEHAVIOR IN CIU TEST ON NORMALLY CONSOLIDATED CLAY USING MCC	
Model	. 19
FIGURE 2.8 STRESS-STRAIN BEHAVIOR IN CIU TEST ON NORMALLY CONSOLIDATED CLAY USING MCC	
Model	. 19
FIGURE 2.9 SOLUTION OF THE LOAD TRANSFER METHOD (RANDOLPH & WROTH 1978)	.21
FIGURE 2.10 FINITE ELEMENT MESH FOR MODELING PILES	.21
FIGURE 2.11 COMPARISON OF LOAD TRANSFER RESULT WITH PLAXIS FOR CONCRETE PILES	22
FIGURE 2.12 COMPARISON OF LOAD TRANSFER RESULT WITH PLAXIS FOR STEEL PILES	22
FIGURE 2.13 FAILURE FOR ELASTIC-PLASTIC MODEL	23
FIGURE 2.14 FAILURE FOR MMC MODEL	24
FIGURE 2.15 STRESS-STRAIN RELATIONSHIP FOR MOHR-COULOMB	24
FIGURE 2.16 STRESS STRAIN RELATIONSHIP FOR MCC MODEL	25
FIGURE 2.17 PULE HEAD STIEFNESS FOR MOHR-COULOMB MODEL	. 25
FIGURE 2.17 THE HEAD STITTNESS FOR MORE COOLONID WODEL	. 25
FIGURE 2.10 FILL TILAD STITT TESS FOR WICE MODEL	. 20
FIGURE 2.20 LIND ANIED FAILURE DI MCC WITH K CONDITION	. 20
FIGURE 2.20 UNDRAINED FAILURE IN NICC WITH $R_0$ CONDITION	. 27
FIGURE 2.21 FE MESH FOR F-D CONSOLIDATION ANALYSIS	. 29
FIGURE 2.22 SETTLEMENT VS. TIME AT THE TOP OF THE MESH	. 31
FIGURE 2.22 ISOCHROMES OF EACESS FORE FRESSURE AT DIFFERENT TIMES	. 32
FIGURE 2.1.1 AVOLT OF TEST DUES	. 52
FIGURE 2.2 DETAILS OF DRUGN DUES	. 34
FIGURE 2.2 DETAILS OF DRIVEN FILES	. 33
FIGURE 5.5 LOCATION OF IN-SITU TESTS AND SITE INVESTIGATIONS	. 30
FIGURE 2.5 Approved the OCD Property Construction of the Stress Profile AL NORTHWESTERN NGES	. 37
FIGURE 3.5 APPROXIMATE OUR PROFILE OF THE NORTHWESTERN NGES	. 39
FIGURE 3.6 VERTICAL HYDRAULIC CONDUCTIVITY PROFILE AT TEST SITE	. 40
FIGURE 3.7 CORRELATION OF HYDRAULIC CONDUCTIVITY WITH WATER CONTENT	. 41
FIGURE 3.8 SOIL PROFILE AND PROPERTIES OF THE NORTHWESTERN TEST SITE	. 42
FIGURE 3.9 EXPECTED FAILURE MODE OF H PILE	. 43
FIGURE 3.10 SHEAR MODULUS PROFILE FOR LOAD TRANSFER METHOD	. 47
FIGURE 3.11 SETTLEMENT ANALYSIS WITH LOAD TRANSFER METHOD	. 47
FIGURE 3.12 FINITE ELEMENT MESH FOR THE NORTHWESTERN PILE LOAD TEST ANALYSIS	. 48
FIGURE 3.13 COMPARISON OF ESTIMATED PILE CAPACITIES WITH MEASURED CAPACITIES	. 50
FIGURE 3.14 MEASURED SETTLEMENT OF PILE LOAD TEST PERFORMED 2 WEEKS AFTER INSTALLATION.	. 52
FIGURE 3.15 MEASURED SETTLEMENT OF PILE LOAD TEST PERFORMED 5 WEEKS AFTER INSTALLATION.	. 52
FIGURE 3.16 MEASURED SETTLEMENT OF PILE LOAD TEST PERFORMED 43 WEEKS AFTER INSTALLATION	52
FIGURE 3.17 SETTLEMENT OF H PILE WITH DIFFERENT TIME RATE LOADING	. 54
FIGURE 3.18 SETTLEMENT OF DRILLED PILE WITH DIFFERENT TIME RATE LOADING	. 54
FIGURE 3.19 COMPARISON OF SETTLEMENT ANALYSES WITH MONITORED DATA FOR PIPE PILE	. 56
FIGURE 3.20 COMPARISON OF SETTLEMENT ANALYSES WITH MONITORED DATA FOR H PILE	. 56
FIGURE 3.21 COMPARISON OF SETTLEMENT ANALYSES WITH MONITORED DATA FOR DRILLED SLURRY PROVIDENT ANALYSES WITH MONITORED	ILE
	. 57
FIGURE 3.22 COMPARISON OF SETTLEMENT ANALYSES WITH MONITORED DATA FOR DRILLED CASED PIL	Æ
	. 57

FIGURE 3.23 THE EFFECT OF κ* IN PILE HEAD SETTLEMENT	60
FIGURE 3.24 COMPARISON OF SKIN FRICTION DISTRIBUTION FOR PIPE PILE	61
FIGURE 3.25 COMPARISON OF SKIN FRICTION DISTRIBUTION FOR H PILE	62
FIGURE 3.26 COMPARISON OF SKIN FRICTION DISTRIBUTION FOR DRILLED PILES	62
FIGURE 3.27DISTRIBUTION OF LOAD FOR PIPE PILE	63
FIGURE 3.28 DISTRIBUTION OF LOAD FOR H PILE	63
FIGURE 3.29 DISTRIBUTION OF LOAD FOR DRILLED PILES	63
FIGURE 4.1 PLAN VIEW OF STORAGE BUILDING FOR FINITE ELEMENT ANALYSIS	66
FIGURE 4.2 SUMMARY OF THE 1968 NGI GEOTECHNICAL INVESTIGATION IN OSLO	67
FIGURE 4.3 PORE PRESSURE AND STRESSES PROFILE	68
FIGURE 4.4 SECTION 1-1, DESIGNED SECTION	69
FIGURE 4.5 EQUIVALENT PILE WALL SETUP	70
FIGURE 4.6 FE MESH FOR THE SETTLEMENT ANALYSIS OF THE STORAGE BUILDING IN OSLO	72
FIGURE 4.7 TYPICAL SOIL PROFILE IN DRAMMEN, (BJERRUM, 1967)	73
FIGURE 4.8 PARAMETERS FOR THE FE ANALYSIS	74
FIGURE 4.9 ACTUAL AND MODELED LOADING CONDITION	75
FIGURE 4.10 COMPARISON OF AVERAGE DEGREE OF CONSOLIDATION FROM FE ANALYSIS AND PUBLI	SHED
Results (Anderson & Clausen, 1974)	76
FIGURE 4.11 EXCESS PORE PRESSURE AT THE CENTER OF THE BUILDING	78
FIGURE 4.12 EXCESS PORE PRESSURE AT THE EDGE OF THE BUILDING	79
FIGURE 4.13 COMPARISON OF FE RESULTS AT PT. X WITH MEASURED SETTLEMENTS	80
FIGURE 4.14 ESTIMATION OF FINAL SETTLEMENT AT PT X WITH FE ANALYSIS	81
FIGURE 4.15 PREDICTED SETTLEMENT OF POINT X WITHOUT INSTALLATION OF PILES	82
FIGURE 4.16 DIFFERENTIAL SETTLEMENT OF CROSS SECTION WITH $K_v = 8.6E-5M/DAY$	83
FIGURE 4.17 DIFFERENTIAL SETTLEMENT OF CROSS SECTION WITH $K_v = 4.3E-5M/DAY$	83
FIGURE 4.18 DIFFERENTIAL SETTLEMENT OF CROSS SECTION WITH $K_v = 8.6e-6m/day$	84

# List of Tables

TABLE 2.1 INPUT AND BACK CALCULATED PARAMETERS FOR CIUC IN MCC.	20
TABLE 2.2 INITIAL CONDITIONS FOR THE PILE IN NC MCC MODEL	26
TABLE 2.3 CAPACITIES DESIGN CALCULATIONS FOR PILES IN THREE TYPES OF SOIL MODEL	28
(KSF)	29
TABLE 2.4 COMPARISON OF DESIGN CAPACITIES WITH FE CAPACITIES	29
TABLE 2.5 CONSOLIDATION PARAMETERS FOR ONE DIMENSIONAL ANALYSIS	30
TABLE 3.1 SUMMARY OF PILE LOAD TEST ACTIVITIES.	33
TABLE 3.2 SUMMARY OF USING SHANSEP TO ESTIMATE OCR PROFILE FOR STIFF CLAY	38
TABLE 3.3 PROPERTIES OF PILES TESTED IN NORTHWESTERN NGES.	44
TABLE 3.4 CAPACITIES FOR PILE DESIGN USING VARIOUS METHODS.	46
TABLE 3.5 CAPACITIES AND SETTLEMENTS OF PILES FROM FE ANALYSES	49
TABLE 3.6 VOLUME OF SOIL DISPLACED BY THE TESTED PILES	53
TABLE 3.7 ESTIMATIONS OF SHEAR MODULUS TO UNDRAINED SHEAR STRENGTH	58
TABLE 4.1 SOIL MODELING FOR FE ANALYSIS	71
TABLE 4.2 SUMMARY OF SECTION, PILE, AND PILE WALL PROPERTIES.	72
TABLE 4.3 ESTIMATED LOAD SUPPORTED BY THE PILES.	77

## **Chapter 1 Introduction**

Conventional pile foundation designs focuses mainly on satisfying the ultimate capacity criteria, while settlement calculations are performed assuming elastic soil behavior. Neither methods account for the progressive mobilization of the shaft resistance as the load level increases, nor the settlements associated with consolidation in low permeability clay soils. Design loads based on ultimate capacity are adequate when settlements are not the limiting criterion. However, there are many applications where piles are used to minimize settlements of raft foundations (e.g. Randolph, 1994). In these cases, accurate predictions of pile-soil interactions become important in designs, in order to optimize the number and sizes of piles. In the case of piled rafts, the load is at least partially supported by the raft and; therefore, bearing capacity is no longer the parameter controlling the number of piles required. In order to reduce the costs of pile foundations, a reliable analysis that can predict the complete load-deformation response of piles is needed. This will lead to the development of settlement based design method, that can determine the number of piles required to satisfy the settlement criteria. The settlementbased approach can reduce the number of piles required and ultimately the cost of the foundation system.

Current settlement analyses are based on solutions that assume linear stress-strain properties of the soil. However, soils behave non-linearly, and more advanced effective stress soil models are needed for such analyses. Therefore, this thesis will evaluate the settlement results of piles and pile group systems analyzed with non-linear soil models. Models are created and analyzed using a finite element analysis program. Results from

8

the finite element models are also compared with two case studies. In chapter 2, a general description of the finite element program and the background information about the soil models used in the analysis are given. Chapter 3, describes finite element analyses of the pile loading tests performed at the National Geotechnical Experiment Site in Northwestern University (Finno, R.J. 1989). Chapter 4 describes further analyses of a piled raft foundation for a storage building in Oslo, Norway (Anderson, K.H., & Clausen. 1974). The summary and conclusions based on these two case studies are presented in chapter 5.

#### **Chapter 2 Background and Development of Finite Element Model**

#### 2.1 Background of Finite Element

The finite element method (FE) provides a powerful numerical framework for analyzing pile foundation systems. In contrast to current design methods, which make major simplifying assumptions for representing pile-soil interactions (e.g. using equivalent pier representation of pile groups, Fleming et al. 1992). The finite element method is capable of discretizing the pile (or pile group) soil profile and properties (including deformation and flow) and pile-soil interface properties. The individual components (pile-soil) can be modeled by a variety of constitutive laws and hence, enable detailed study of complex time-dependent interactions (relating to consolidation and creep of the surrounding soil). In a pile foundation system analysis, elements are used to represent the different properties of soil layers, piles and pile cap. In order for the model to represent the system accurately, continuity must be maintained throughout the system, and the governing equations (equilibrium, constitutive laws and stress-deformation) are solved while simultaneously satisfying the boundary and initial loading conditions. Instead of considering only the overall system response, the finite element method enables engineers to examine the stress-strain behavior at specific locations of the foundation system in detail. The corresponding disadvantages are

1) FE analyses require large computational power

- 2) Experience is needed to control the accuracy of the non-linear solution
- Approximations are necessary to define the FE model for a given site condition (site properties, models...etc., must all be selected to capture main aspects of project)

10

#### 2.2 Description of PLAXIS Program

PLAXIS (acronym for PLasticity AXISymmetric) is a 2-D finite element program designed to solve axisymmetric and plane strain geotechnical design problems involving groundwater flows, consolidation, foundation engineering, and tunnel construction. This thesis uses version 6.31 (PLAXIS, 1997), which runs in the MS-DOS operating system. The program discretizes the soil mass using triangular elements with either 6displacement nodes (quadratic displacement interpolations) or 15-nodes (cubic-strain triangles after Sloan & Randolph, 1981). For 15-noded triangular elements, PLAXIS calculates cubic distributions of stress and strain, resulting in smooth and accurate stressstrain distributions using relatively coarse meshes. These high order elements are especially reliable in modeling undrained incompressible clay behavior. PLAXIS provides a library of different types of elements for modeling geotechnical problems:

- i) Soil Elements (soils and solids)
- ii) Interface Elements
- iii) Walls, plates & shells
- iv) Geotextiles
- v) Anchor elements

The program incorporates 5 different constitutive models to define stress-strain properties of the soil. They are Elastic, Mohr-Coulomb (Elastic-Perfectly Plastic), Soft Soil, Hard Soil, and Modified Cam-Clay models. In the thesis, only Elastic, Mohr-Coulomb, and Modified Cam-Clay models are used for the modeling piles and soil strata. These models will be explained in detail in the following sections. The program has a simple mesh generator to define the distribution of elements for each problem. This particular version has a maximum number of 200 15-noded triangular elements. Interface Elements are used to describe the contacting surface between two different types of materials. These elements allow the user to define reduced/increased strength parameters and/or hydraulic conductivity between the two different types of elements. Interface elements are especially useful when modeling the pile-soil interactions

Wall, plate and shell elements are designed to model elastic wall and beam structures. The flexural rigidity and axial stiffness are used to define the elastic properties of the beam or wall. Mindlin beam theory is used to estimate the shear deformation of the beam elements. The advantage of these elements (instead of soil elements) is that mesh lines do not need to be defined according to their placement, leading to more efficient and compact solutions. The shell elements are equivalent to walls in plane strain problems and are used in the modeling of pile groups.

Geotextiles and anchor elements are not used in the current modeling of foundation systems, and are ideal in modeling materials like geomembranes and tieback systems respectively.

In this thesis, all stress curves are plotted using effective stress invariants, **p**' and **q**', where **p**' is the mean effective stress, and **q** is the second invariant of deviatoric stress which is a measure of the total shear stress within the soil.

$$p' = \sigma'_{oct} = \frac{1}{3}(\sigma'_{1} + \sigma'_{2} + \sigma'_{3});$$
  
$$q = \frac{1}{\sqrt{2}}\sqrt{(\sigma_{1} - \sigma_{2})^{2} + (\sigma_{1} - \sigma_{3})^{2} + (\sigma_{2} - \sigma_{3})^{2}}$$

This thesis uses standard soil mechanics sign convention with stresses in compression.<sup>1</sup>

<sup>&</sup>lt;sup>1</sup> The PLAXIS Code uses positive stresses in tension, consistent with other fields of solid mechanics

# 2.3 Clay Models

In the pile foundation analyses, the following three soil models are used to model soil and structural elements:

- i) Linear Elastic Model
- ii) Mohr-Coulomb Model
- iii) Modified Cam-Clay Model

The linear elastic model has linear stress-strain relationship, and is therefore ideal for modeling structural elements where no failure is expected. The elastic modulus, E, and the Poisson's ratio, v, govern the stress-strain relationship of this model.



FIGURE 2.1 STRESS-STRAIN RELATIONSHIP OF A CONCRETE CYLINDER WITH ELASTIC MODEL

The Mohr-Coulomb Model is a linear elastic and perfectly plastic model (see Figure 2.2). The user can specify the strength, and stress-strain properties of the element through the input of internal friction angle ( $\phi$ '), cohesion (c'), elastic modulus (E), and Poisson's ratio (v). The shear modulus can be obtain through v and E.



FIGURE 2.2 ELASTIC-PERFECTLY-PLASTIC MODEL FOR A CONCRETE CYLINDER

The relationship of the failure shear stress can be modeled with the Mohr-Coulomb Criterion and described with Mohr-circles, as shown in Figure 2.3. In order to verify the results from PLAXIS, **p'-q** curve of simple isotropic consolidated triaxial undrained compression model analyzed with PLAXIS is compared with the theoretical results. The result of a Mohr-Coulomb model ( $\phi'=33^\circ$ , c'=0,  $\sigma'_c=1$ ksf) is shown in Figure 2.4. In addition to the strength parameters, the hydraulic conductivity both in the vertical and horizontal directions must be specified for consolidation analyses.







The Modified Cam-Clay Model, developed by Roscoe and Burland in 1968, is one of the first generalized, effective stress, soil models. In order to use the Modified Cam-Clay (MCC) model for finite element analyses, the following input parameters are required:

i) M = 
$$6\sin\phi'/(3-\sin\phi')$$
  
ii)  $\kappa^* = C_s/(2.3^*(1+e_o))$   
iii)  $\lambda^* = C_c/(2.3^*(1+e_o))$   
iv)  $\nu$  = Elastic Poisson's Ratio  
v)  $K_o = \sigma'_{h initial}/\sigma'_{v initial}$  (for specifying the initial stress)  
vi)  $\mathbf{p'_m}$  = The initial yield stress  
Where  $e_o$  is the initial void ratio

A brief explanation of the MCC model is given using the undrained shearing of an isotropically consolidated soil element as an example. In Figures 2.5, and 2.6, the effective stress path ( $\mathbf{p'-q}$ ) and the e vs. log  $\mathbf{p'}$  for a soil with an initial OCR = 1.5 are shown. The failure shear strength of this model is governed by the Critical State Line (slope,  $M = \tan^{-1} \mathbf{q/p'}$ ). In the Modified Cam-Clay model, the soil behaves elastically and exhibits recoverable volumetric strains at all points within the Yield Surface. In the e-log  $\mathbf{p'}$  plane, the Loading and Reloading Line (URL) represents all attainable volumes under

elastic loading and unloading with  $\mathbf{p'_m}$  obtained from the maximum past pressure. The shape of the Yield Surface (YS) is defined as an ellipse in the p'-q plane, and its location is determined by the maximum past pressure of the soil. (Since the maximum past pressure can vary from zero to infinity, there are an infinite number of Yield Surfaces that can be generated.) The relationship of the YS is given below:

$$\frac{\mathbf{p'}}{\mathbf{p'}_m} = \left(\frac{M^2}{M^2 + R^2}\right); \qquad \qquad R = \frac{\mathbf{q}}{\mathbf{p'}};$$



FIGURE 2.5 UNDRAINED TRIAXIAL SHEARING OF ELEMENT AT INITIAL OCR =1.5 WITH MCC MODEL



FIGURE 2.6 VOID RATIO VS. LOG P'

During undrained shearing at the elastic range, both **p'** and void ratio (e) remain constant. This shearing is represented by the vertical stress path ( $\mathbf{p'}=4ksf$ ) in Figure 2.5. In Figure 2.6, since both e and **p'** remain constant in the elastic region, point **p'**<sub>i</sub> in the log **p'**-e plane represents the entire course of undrained shearing within the YS. In the elastic region, the stress-strain behavior of the soil is described by the following elastic properties:

$$E = \frac{3(1-2\nu)\mathbf{p}'}{\kappa^*}; \quad G = \frac{3(1-2\nu)\mathbf{p}'}{2\kappa^*(1+\nu)}$$

However, no elastic straining is generated due to undrained staining. After yielding, undrained shearing causes the soil to undergo both plastic and elastic straining. The

Normal Consolidation Line (NCL) in Figure 2.6 shows the amount of plastic deformation undergone. In order to maintain constant volume during undrained shearing, an equal but opposite amount of elastic deformation must occur.

For Undrained Shearing:

$$\Delta \varepsilon = \Delta \varepsilon^{elastic} + \Delta \varepsilon^{plastic} = 0; \quad \varepsilon = \frac{e}{1 + e_0}$$
$$\Delta \varepsilon^{elastic} = -\kappa * \ln\left(\frac{\mathbf{p'}_i}{\mathbf{p'}_f}\right); \quad \Delta \varepsilon^{plastic} = -\lambda * \ln\left(\frac{\mathbf{p'}_m}{\mathbf{p'}_{mf}}\right)$$

The fraction of plastic volumetric deformation,  $\delta v^p$ , to plastic shear deformation,  $\delta \gamma^p$ , is governed by the (associated) flow rule as the gradient of the yield surface (see Figure 2.5). The stress path during plastic deformation follows the State Boundary Surface (SBS) from **p**'<sub>i</sub> to **p**'<sub>p</sub>, which has constant volume throughout shearing (see Figure 2.6). As the soil undergoes plastic deformation, the maximum past pressure increases from **p**'<sub>m</sub> to **p**'<sub>mt</sub> at failure. Therefore, the yield surface expands as plastic deformation occurs reaching a final position **p**'<sub>m</sub> for shearing to critical state conditions. The location of the SBS for normal-consolidated (NC) soil is characterized by **p**'<sub>e</sub> (consolidation stress) which is equal to **p**'<sub>m</sub>. However, for over-consolidated (OC) soil, the SBS is characterized by an equivalent pressure, **p**'<sub>e</sub> (shown on Figure 2.6). In Figure 2.6, one can view the undrained shearing of the OC soil at **p**'<sub>i</sub>, as part of the undrained shearing of the NC soil with **p**'<sub>m</sub> equals to **p**'<sub>e</sub>. The following equations define the SBS in the **p**'-**q** plane.

$$\frac{\mathbf{p'}}{\mathbf{p'}_e} = \left(\frac{M^2}{M^2 + R^2}\right)^{1-m}; \quad m = 1 - \frac{\kappa^*}{\lambda^*}$$

In order to show how the MCC models behave in PLAXIS, a model is set up to simulate an isotropic consolidated triaxial undrained compression test. A confining stress of 1ksf is applied to clay prior to undrained shearing. In Figure 2.7, the effective stress ( $\mathbf{p'}$ - $\mathbf{q}$ ) path shows that yielding occur at the beginning of the loading and follows the SBS until failure occur when  $\mathbf{q}$  is approximately equal to 0.745ksf.



FIGURE 2.7 UNDRAINED BEHAVIOR IN CIU TEST ON NORMALLY CONSOLIDATED CLAY USING MCC.



FIGURE 2.8 STRESS-STRAIN BEHAVIOR IN CIU TEST ON NORMALLY CONSOLIDATED CLAY USING MCC

The results from PLAXIS follow closely the analytical equations of the MCC SBS, with undrained shear strength mobilized at large shear strains (as the stress state asymptotes towards critical state conditions). The non-linear stress-strain response is also shown in Figure 2.8. From the graphs, one can check the results by back calculating the parameters. The input and back calculated parameters are summarized in Table 2.1.

Summary of MCC Parameters for CIUC				
Μ (φ' =33°)	1.3307			
λ*	0.08679			
к*	0.01604			
ν	0.277			
Theoretical G <sub>initial</sub> (ksf)	32.7			
Back Calculated Parameters				
М	1.331			
G <sub>initial</sub> (ksf)	32.6			

Table 2.1 Input and back calculated parameters for CIUC in MCC.

## 2.4 Validation of Finite Element Modeling Methodology

In order to validate the results on the FE model, trial analyses are first performed on problems that have published solutions. This section compares the analyses for an axially loaded pile in an elastic soil with solutions from the load-transfer method proposed by Randolph & Wroth (1978). Figure 2.9 summarizes the Load Transfer analyses. Figures 2.10 shows the finite element model used to analyze the behavior of axially loaded axisymmetric concrete and steel piles in an elastic soil.





Figures 2.11 and 2.12 compare the pile head stiffness concrete and steel piles of different radii with the Load-transfer solutions. The results show very good agreement (within 1% of differences) between the finite element calculation of normalized pile head stiffness  $(Q_T/(w_T r_o G_L))$ , where  $Q_T$  is the load at the tip;  $w_T$  is the pile head displacement,  $r_o$  is the radius of the pile, and  $G_L$  is the shear modulus of the soil at the pile tip) and results of the Load-transfer analyses, for a wide range of pile aspect ratio,  $L/r_o$ . These results confirm the ability of the FE analyses to predict behavior of piles in elastic soil



FIGURE 2.11 COMPARISON OF LOAD TRANSFER RESULT WITH PLAXIS FOR CONCRETE PILES



FIGURE 2.12 COMPARISON OF LOAD TRANSFER RESULT WITH PLAXIS FOR STEEL PILES

#### 2.5 Pile Response in an Elastic-Plastic Soil

This section compares pile response in an element of elastic-plastic soil at a confining pressure,  $\sigma_c$ =1ksf. The calculations compare two cases: 1) soil is characterized by the Elastic Perfectly Plastic (EPP) Mohr-Coulomb model with G = 32.7ksf, v=0.277, and  $\phi$ '=33°; and 2) soil is modeled as normally consolidated clay with MCC model. The parameters used for the MCC model are listed below:

i)  $M = 1.331 \text{ (for } \phi^{2}=33^{\circ})$ ii)  $\lambda^{*} = 0$ iii)  $\mathbf{p'_{m}} = \mathbf{p'_{c}} = 1 \text{ksf}$ iv)  $\kappa^{*} = 0.0848$ v)  $\nu = 0.277$ 

With constant  $\mathbf{p'_m}$  throughout the MCC model, the stiffness and the strength are homogeneous at all points. The piles used in the models have length of 20ft and radius of 1.75ft and self-weight stresses are neglected. Loads are then applied under undrained condition (i.e. no change in void ratio,  $\Delta e= 0$ ) at the pile head until failure occurs. Figure 2.13 and 2.14 show the effective stress paths of the EPP and the MCC models, respectively at a point X adjacent to the pile shaft with depth to pile length ratio, z/L, = 0.725.



FIGURE 2.13 FAILURE FOR ELASTIC-PLASTIC MODEL



In Figure 2.13, **p'**, the mean effective stress, remains almost constant throughout shearing. In Figure 2.14, the MCC model exhibits plastic behavior and follows the SBS during undrained shearing. Both plastic and elastic deformations take place during shearing in this model because the soil is normally consolidated (initial state of stress is located at the YS), hence the changes in **p'** correspond to shear induced pore pressure. Both models have been set up to have a constant shear modulus of 32.7ksf throughout the depth of the soil. Figure 2.15 shows the stress-strain response of the EPP model at point X. The shear modulus remains constant until failure occurs. Figure 2.16 shows the stress-strain relationship of the MCC model, the modulus decreases as plastic deformation takes place.





Nevertheless, the initial shear moduli of the two models have nearly identical values. Since both models have analogous modulus in the beginning of the loading throughout the soil, the pile head stiffness of the two models should also match at the beginning of the loading. As loading increases, however, the MCC model should have a lower pile head stiffness caused by plastic deformation. These type of pile head responses are verified by Figures 2.17 and 2.18, where the settlement of the pile head is plotted against the applied load on the pile head.





A further calculation has been carried out for the pile in a normally consolidated clay layer (using MCC model) with gravity stresses controlled by the buoyant weight. The mesh is identical from the previous model. The initial stress condition is summarized in Table 2.2.



FIGURE 2.19 LOAD VS. DISPLACEMENT FOR NORMALLY CONSOLIDATED CLAY IN MCC MODEL



FIGURE 2.20 UNDRAINED FAILURE IN MCC WITH  $K_o$  condition

In this model, the modulus of the soil changes linearly with depth due to gravity stresses. The pile head stiffness of this model (Figure 2.19) is much more non-linear than the pile head stiffness in Figure 2.18. Note that the initial stress condition of this model is different from previous models. The stress path starts at  $K_0 = 0.5$  (see Figure 2.20) instead of  $\mathbf{q} = 0$  ( $K_0 = 1$ ) from the previous example.

In addition to examining the pile head stiffness of the pile, the capacities are also checked and compared with convention calculation method. Conventional calculation estimates capacity as the sum of skin friction capacity and tip resistance capacity. The estimated parameters for the conventional calculation are shown below:

$$\begin{split} Q_{total} &= Q_{bf} + Q_{sf}; \qquad Q_{bf} = q_b A_b = \text{tip resistance}; \qquad Q_{sf} = f_s A = \text{side resistance} \\ q_b &= N_c s_u + p; \qquad N_c \approx 9; \qquad p = \frac{1}{3} (1 + 2K_o) \sigma'_{vo} + u_0 \\ f_s &= \alpha S_u; \qquad \alpha \approx 0.3 \text{ to } 1.1 \\ A_b &= \text{area of the pile tip;} \qquad A = \text{Area of the pile shaft} \end{split}$$

Table 2.3 shows conventional calculations of design capacity (assuming a rigid pile) of the three piles mentioned above. The values of  $\alpha$  depend on Su, and are selected from three different design curves. The undrained shear strength is based on the theoretical value of the models. For the first two cases where the pile is embedded in a soil element, the undrained shear strength is constant throughout, and can obtained from the input parameters. For the pile embedded in the NC MCC model, the undrained strengths at different depths are obtained from the equations (given in section 2.3) that define MCC model. In general the calculated design capacities are slightly higher but they are within a good range of one another. Table 2.4 shows the comparison of the capacities calculated from conventional design methods to the ones estimated by FE analysis.

Pile Properties	radius	Length	A <sub>t</sub>	Α							
	(ft)	(ft)	(ft <sup>2</sup> )	(ft <sup>2</sup> )							
	1.8	20.0	9.6	219.9							
					For	σ' <sub>c</sub> = 1	<b>ksf</b>				
	Tip Re	esistan	се	Skin I	Friction				Capa	city	
	Nc	р	q⊾	Su	α	α	α	$\alpha_{\text{avg}}$	Q <sub>bf</sub>	$Q_{sf}$	<b>Q</b> <sub>totai</sub>
		(ksf)		(ksf)	Tomlinson	API 1981	0&5		(kips)	(kips)	(kips)
EPP Model	9.0	1.0	7.0	0.67	0.8	0.9	0.8	0.8	67.2	119.9	187.1
MCC Model	9.0	1.0	4.3	0.37	1.0	1.0	1.0	1.0	41.7	81.4	123.0
		For	Nor	mally	Conso	idated	MCC N	lode	l, K <sub>o</sub> =	0.5	
Skin Friction											
Depth	P <sub>c</sub>	₽ <sub>e</sub>	q	Su	Depth	α	α	α	$\alpha_{avg}$	Su <sub>avg.</sub>	$Q_{sf}$
(ft)	(ksf)	(ksf)	(ksf)		(ft)	Tomlinson	API 1981	0 & S		(ksf)	(ksf)
0.0	0.2	0.3	0.2	0.09							
5.0	0.6	0.8	0.6	0.28	0 - 5	1.0	1.0	1.0	1.0	0.19	10.4
10.0	1.0	1.3	0.9	0.47	5 - 10	1.0	1.0	1.0	1.0	0.38	20.8
15.0	1.4	1.8	1.3	0.66	10 - 15	0.8	1.0	1.0	0.9	0.57	25.9
20.0	1.8	2.3	1.7	0.85	15 - 20	0.8	0.9	0.7	0.8	0.76	33.2
Tip Resistance									Capa	city	
Nc	Su	q₅							Q <sub>bf</sub>	Q <sub>sf tot</sub>	<b>Q</b> <sub>total</sub>
Nc	Su (ksf)	q <sub>ь</sub> (ksf)							Q <sub>bf</sub> (kips)	Q <sub>sf tot</sub> (kips)	Q <sub>total</sub> (kips)

Table 2.3 Capacities Design Calculations for Piles in Three Types of Soil Model

	Capacity <sub>design</sub>	Capacity <sub>FE</sub>	% Difference
	(ksf)	(ksf)	(ksf)
EPP w/ σ' <sub>c</sub> =1ksf	123.0	117.0	4.9
MCC w/ o' <sub>c</sub> =1ksf	187.1	164.0	12.4
NC MCC	181.5	163.0	10.2

Table 2.4 Comparison of Design Capacities with FE Capacities

#### 2.6 1-D Consolidation

In addition to verifying the soil models in PLAXIS, consolidation predictions have also been checked. Results from a one-dimensional consolidation analysis on an elastic soil are compared with Terzaghi's solution. The model in PLAXIS is set up with the properties listed in Table 2.3. The FE mesh for the model is shown in Figure 2.21. To replicate 1-D consolidation, an axisymmetric model is used. The left, right and bottom boundaries do not allow any horizontal displacement, and the bottom boundary does not allow any vertical displacement. Both the top and the bottom allow the dissipation of excess pore pressure; therefore, the drainage height,  $H_d$ , is half of the total height of the model.



29

Consolidation Model Properties				
u <sub>o</sub> , Initial excess pore pressure	1	(ksf)		
k <sub>v</sub>	0.0003	(ft/day)		
γ <sub>w</sub>	0.0624	(kips/ft <sup>3</sup> )		
H <sub>d</sub> , Drainage Height	2.5	(ft)		
G	32.7	(ksf)		
ν	0.3			

Table 2.5 Consolidation Parameters for One Dimensional Analysis

From the properties of the model given above,  $m_v$ , the coefficient of volume change, can be obtained, and consequently, the equivalent Terzaghi's consolidation solution can be set up. The solutions of the Terzaghi's 1-D consolidation solution with double drainage are listed below.

$$u_{e} = \sum_{m=0}^{\infty} \frac{2u_{o}}{M} (\sin MZ) e^{-M^{2}T} \qquad C_{v} = \frac{k_{v}}{m \gamma_{w}}; \quad m_{v} = \frac{\Delta \varepsilon_{v}}{\Delta \sigma_{v}}$$

$$M = \frac{\pi}{2} (2m+1) \qquad For \ Axisymmetric \ Elastic \ Model :$$

$$Z = \frac{z}{H_{d}} = \frac{depth}{drainage \ height} \qquad m_{v} = \frac{(1+v)(1-2v)}{E(1-v)}$$

$$T = \frac{C_{v}t}{H^{2}}$$

First, the displacement of a point located at the top of the mesh is computed (see Figure 2.22). The results are similar to the published Terzaghi's solution. In addition the excess pore pressure along the depth of the model is computed at different time gaps. The solution (see Figure 2.23) shows that the initial excess pore pressure (0.965ksf) deviates from the known solution (1ksf). In undrained condition, the initial excess pore pressure should equal to the applied load. However, the FE analysis shows the initial excess pore pressure is less than the applied load. Therefore, excess pore pressures at mid height from PLAXIS are also compared with Terzaghi's solution throughout the consolidation

process to examine the degree of deviation. Although the results (see Figure 2.24) from the two solutions do not match exactly, PLAXIS provides a reasonable estimate of the pore pressure dissipated within an error of 6% of the initial excess pore pressure. The discrepancies between computed results and Terzaghi's are caused by the limitations of modeling incompressible response using finite elements. The maximum Poisson's ratio allowed in PLAXIS is 0.495, and therefore initial conditions do not match the Terzaghi's solution (where v= 0.5). The computed excess pore pressure at time, t = 0 is less than the applied load. In addition, PLAXIS can not model drainage at the edges of the consolidation boundary precisely, causing the rate of consolidation to differ slightly from the theoretical solution. According to the software developer, a finer mesh near the top and bottom drainage boundaries can improve these results.



FIGURE 2.22 SETTLEMENT VS. TIME AT THE TOP OF THE MESH



FIGURE 2.23 ISOCHRONES OF EXCESS PORE PRESSURE AT DIFFERENT TIMES



FIGURE 2.24 COMPARISON OF TERZAGHI'S CONSOLIDATION SOLUTION WITH PLAXIS ANALYSIS

# Chapter 3 Analysis of National Geotechnical Experiment Site, Northwestern

# 3.1 Background and Detail of Testing Program

A series of pile load were performed on four different types of piles at the Evanston Campus of Northwestern University (Finno et al, 1989). The test piles included 1) HP 14x73 steel pile; 2) 18"-diameter, closed-ended, pipe pile; 3) 18"-diameter drilled pier installed using the slurry method; and 4) 18"-diameter drilled pier installed with temporary casing. All four-test piles are approximately 50ft long, and the layout of the piles is shown in Figure 3.1. A summary of the activities performed in the Northwestern site is listed in Table 3.1.

Date	Activity
24-May-88	Pre-auger 12-indiameter hole for 18-indiameter pipe pile; drive pipe pile and HP 14x73 test piles; drive 2 anchor piles (HP 10*42)
25-May-88	Drive remaining 7 anchor piles (HP 10*42)
26-May-88	Install 2 drilled piles
7-Jun-88	Perform 1 <sup>st</sup> load test on HP 14*73
8-Jun-88	Perform 1 <sup>st</sup> load test on 18-indiameter pile
9-Jun-88	Perform 1 <sup>st</sup> load test on drilled pier (slurry method)
10-Jun-88	Perform 1 <sup>st</sup> load test on drilled pier (cased method)
26-Jun-88	Begin 2 <sup>nd</sup> set of load tests
29-Jun-88	Complete 2 <sup>nd</sup> set of load tests
12-Jun-88	Begin 3 <sup>rd</sup> set of load tests

## Table 3.1 Summary of Pile Load Test Activities.



FIGURE 3.1 LAYOUT OF TEST PILES

The load tests were performed in three different phases according to the standard procedures suggested by ASTM D-1143-81 (ASTM, 1994). The first load sequence was applied two weeks after installation of the piles; a second series at five weeks; and a third series of load tests were carried out forty-three weeks after installation. The loading is applied to the piles using a hydraulic jack supported by the loading frame, which in turn is supported by another nine HP 10\*42 anchor piles. Incremental loading is applied to the pile is considered to have reached failure when the rate of settlement exceeds 0.015" per hour and continuous pumping of the jack is required to maintain a constant load. Therefore, strain gauges are installed along the pile to monitor movements during loading. Figure 3.2 shows the cross section and the location of the strain gauges for the driven piles.

34



FIGURE 3.2 DETAILS OF DRIVEN PILES

# 3.2 Subsurface Characteristics and Engineering Properties

The upper twenty-three feet of the soil profile comprise a fine-grained sand (SP) that was bottom-dumped from barges in 1966 by the University to raise the ground above the elevation of an adjacent lake. Clamshells were also used to place the sand, but no standard compaction procedures were performed on the sand. Approximately thirtyseven feet of NC soft to medium clay (CL) lies underneath the sand. As suggested by Finno, (1989), water contents of the soil are a few percents above the plastic limit which suggest that the clay was originally OC. Nevertheless, placing the sand over the clay in1966 appears to re-load the (soft to medium) clay back to a normally or very lightly over-consolidated. Below the NC clay, twenty feet of OC stiff clay (CL) is underlain by ten feet of hard silt (ML), and the Niagaran dolomite bedrock is beneath the hard silt. The water table is located at a depth of 13ft and pressures are essentially hydrostatic.

The sand and NC clay stratum have the most influence on the behavior of the piles, and therefore, extensive site investigations were performed from the top of the sand stratum down to a total depth of seventy feet. A series of in-situ tests were performed, including standard penetration test, field vane tests (FV) cone penetration tests (CPT), piezocone soundings, dilatometer tests (DMT), and Ménard pressuremeter tests (PMT) are performed throughout the site. Figure 3.2 indicates the location of the tests, and the results are included in the Appendix A.



FIGURE 3.3 LOCATION OF IN-SITU TESTS AND SITE INVESTIGATIONS
In addition to in-situ tests, laboratory tests were also conducted on samples of the soft to medium clay to obtain the pertinent engineering properties. These include consolidation tests, unconsolidated-undrained (UU) triaxial compression tests, direct shear tests, and  $K_o$ consolidated, undrained (CK<sub>o</sub>U) triaxial compression and extension tests. All test results are also included in the Appendix A.

In order model the strength of the clay correctly, the maximum past pressure of the clay stratum must be determined. From the consolidation test data, the maximum past pressure  $(\sigma'_p)$  profile was obtained (by Casagrande construction) together with information on the compression ratio (CR), and recompression ratio (RR) for the clay. The in-situ stresses and maximum past pressure profile are shown in Figure 3.4. The best estimated line (Finno, 1989) is used in the following calculations to represent the OCR because the measured maximum past pressures from oedometer tests were lower than the in-situ effective stresses ( $\sigma'_{vo}$ ). Most of the data for maximum past pressure are lower than the vertical effective stress profile. This suggests that the samples originally have maximum past pressures close to the in-situ effective stresses, and sample disturbances reduce the estimated maximum past pressures below the in-situ vertical effective stresses. Therefore the over-consolidated ratio is estimated as OCR  $\approx 1.1$ .



FIGURE 3.4 APPROXIMATE STRESS PROFILE AT NORTHWESTERN NGES

For the stiff clay the stress history profile is back calculated from undrained field vane strength tests using SHANSEP normalized strength parameters. The relationship between the undrained shear strength ratio,  $(S_u/\sigma'_{vc})$ , and OCR is described by the following relation (Ladd & Foott, 1974):

$$\frac{Su_{FV}}{\sigma'_{v}} = S(OCR)^{m}$$

For the soft to medium clay, both OCR and  $Su_{FV}$  profiles have been obtained (hence S=  $(S_u/\sigma'_{vc})_{NC} = 0.216$ ). However, the OCR profile for the stiff clay layer is not available because minimal consolidation data were obtained on samples from this stratum. Assuming m = 0.8 for typical CL clay, the stiff clay has the same normalized parameters (S and m) as the overlying soft clay, the OCR profile for the stiff clay stratum can also be determined. Table 3.2 presents the OCR calculation, and Figure, 3.5 illustrates the estimated OCR profile for NC and OC clay and OCR inputs for the MCC model.

Depth	Su <sub>FV</sub>	Estimated o',		S	
(ft)	(ksf)	(ksf)		······································	
Soft to Me	dium Clay				
29.5	0.66	2.47		0.248	
34.4	0.82	2.78		0.277	
37.7	0.66	2.98		0.208	- i
41	0.74	3.17		0.220	
44.3	0.8	3.36		0.224	
47.6	0.82	3.58		0.217	
50.8	0.76	3.79		0.191	
54.1	0.86	3.97		0.206	
57.4	0.68	4.17		0.155	
			Savg	0.216	
Stiff Clay					
			Back Calculated σ' <sub>p</sub>	Estimated OCR	Su/σ' <sub>vc</sub>
<u>60.7</u>	1.56	4.37	8.18	1.9	0.357
<u>64</u>	1.42	4.56	7.19	1.6	0.312
<u>66.3</u>	3.58	4.69	22.69	4.8	0.764
γ <sub>t</sub> is assu	umed to be	120pcf			

Table 3.2 Summary of Using SHANSEP to Estimate OCR Profile for Stiff Clay.



FIGURE 3.5 APPROXIMATE OCR PROFILE OF THE NORTHWESTERN NGES

In addition to strength properties of the soil, consolidation parameters and elastic and plastic properties are also obtained from consolidation tests. The hydraulic conductivities at different depths of the NC soil are back-calculated from the oedometer test data assuming constant  $m_v$  for each load increment. Void ratio is assumed to vary linearly with log  $k_v$  (hydraulic conductivity in the vertical direction) and the in-situ  $k_v$  is interpolated from the best-fit line. The calculations of  $k_v$  at different depths are included in the Appendix B, and the  $k_v$  profile for the soft to medium clay is shown in Figure 3.6.



FIGURE 3.6 VERTICAL HYDRAULIC CONDUCTIVITY PROFILE AT TEST SITE Since only a few consolidation tests are performed on the OC clay,  $k_v$  for OC clay can be interpolated from the best fit line of water content vs. log  $k_v$ . The water contents are obtained from boring samples from OC clay. The best-fit line is plotted in Figure 3.7, which shows the empirical correlation between water content and hydraulic conductivity. Finally, elastic and plastic stress-strain parameters of the MCC model are determined by  $\kappa^*$  and  $\lambda^*$  respectively. These parameters are obtained from the average RR and CR values from the consolidation tests and are assumed constant for soft and stiff clay layers.



FIGURE 3.7 CORRELATION OF HYDRAULIC CONDUCTIVITY WITH WATER CONTENT

For other soil strata, either correlations from geotechnical publications or in-situ tests results are used to estimate properties. The elastic modulus of the sand layer is determined from dilatometer tests, and the sand layer is assumed to be free draining. The internal friction angle for the sand layer is interpreted from standard penetration tests performed by Woodward Clyde and STS consultants. The SPT data are corrected from N to  $N_{160}$  (Skempton, 1986) with published correlations, leading to a friction angle,  $\phi' = 37^{\circ}$ . The calculations are shown in the Appendix B. For the hard silt stratum, the elastic modulus , the internal friction angle and the hydraulic conductivity are obtained from correlations (Hasaab, 1951; Hough, 1957; Lambe & Whitman, 1969). The dolomite bedrock is assumed to have infinite stiffness and free draining. Finally, the soil profile of the Northwestern site with all the relevant properties is shown in Figure 3.8.



FIGURE 3.8 SOIL PROFILE AND PROPERTIES OF THE NORTHWESTERN TEST SITE

# 3.3 Analyzing the Pile Load Test of the Northwestern Site

In modeling the pile load tests at NGES, the following steps are taken to fully understand the how the solutions from current design procedure and FE modeling with MCC model differ from the actual monitored data:

- 1) Comprehensive capacity designs are performed on all tested piles.
- 2) Elastic solutions for single pile are used to estimate initial pile stiffness.

- A FE model is set up to estimate the capacity and load-settlement response of all tested piles.
- 4) More in-depth analyses are performed to estimate the distribution of stress.
- 5) Compare design and FE results with monitored data.
- 3.3.1 Properties of Tested Piles

Since the design and modeling methods used in this thesis are based on solid cylindrical pile geometries, all properties of non-solid cylindrical piles must be transformed to represent the equivalent axial stiffness. For the 18" hollow steel pipe pile, the axial stiffness is much lower than the stiffness of a solid pile therefore the elastic modulus of steel is multiplied by (area of steel pipe/area of a solid steel pipe). For the 14\*73 H pile, the failure mode is assumed to be rectangular, as shown by the dotted lines in Figure 3.9.



FIGURE 3.9 EXPECTED FAILURE MODE OF H PILE

The H pile is assumed to mobilize the soil between the webs during failure, and therefore, the soils within provide no addition capacity. Then an equivalent diameter,  $\phi$ , of the H pile can be obtained by setting perimeter of the dotted rectangle equal to  $\pi \phi_{eq}$ . The equivalent axial stiffness of the H pile is obtained using the same method for the hollow pipe pile. For the concrete drilled piles, no modification is needed since both piles are solid and cylindrical. The modified pile properties are listed in Table 3.3.

Pipe	pe Pile			H Pile 14*73			73 Drilled (cased/slurry)		E <sub>concrete</sub> (ksf)		
¢	Thick- ness	E <sub>eq.</sub>	ф <sub>еq</sub>	Tip Area	Width	depth	E <sub>eq.</sub>	¢	E	7.2X10⁵	Tested Piles Length
(ft)	(ft)	(ksf)	(ft)	(ft²)	(ft)	(ft)	(ksf)	(ft)	(ksf)	E <sub>concrete</sub> (ksf)	(ft)
1.50	0.03	3.6X10⁵	1.50	0.15	1.22	1.13	3.6X10⁵	1.50	7.2X10 <sup>6</sup>	4.3X10 <sup>6</sup>	50

Table 3.3 Properties of Piles Tested in Northwestern NGES.

#### 3.3.2 Piles Capacity Analyses with Current Design Procedure

In order to obtain an approximate understanding of the capacity and the settling behavior of the pile, and evaluate pile design procedure, the four test piles are analyzed with current design methodologies. Both capacity and settlement analyses are performed, and they will be described respectively. The capacity of a single pile can be separated into two components, 1) skin friction and 2) end bearing. Since all pile tips are located in the soft to medium NC clay, the bearing capacity of a pile with 0.75 ft radius is relatively small compared to skin friction capacity<sup>2</sup>. Therefore, end-bearing capacity is neglected in the analyses for all four piles.

Skin friction capacities,  $f_s$ , for driven and drilled piles are estimated with the same methods but different parameters. However, no distinction is made between H and pipe-section piles and between the cased drilled or the slurry installed drilled piles since they all have equal equivalent diameter. For skin friction in the top 23 ft of sand, skin friction for driven and drilled piles can be estimated with the following procedure proposed by Poulos & Davis (1980):

 $fs = \sigma'_{vs} K_s \tan \delta'; \quad \phi^* = 0.75 \phi' + 10^{\circ} (driven pile); \quad \phi^* = \phi' - 3^{\circ} (drilled pile)$ 

 $d_c / \phi = critical embedment ratio; d_c = critical embedment depth;$ 

<sup>&</sup>lt;sup>2</sup>  $9S_uA_b = Q_b = 9(3.5ksf)(0.21)(.44ft2) \approx 3kips$ 

The critical depth can be obtained using the design chart (Poulos & Davis, 1980) with the corrected friction angle,  $\phi^*$ . For depth above the critical depth,  $d_c$ ,  $\sigma'_{vs}$  is equal to the effective vertical stress, and depth greater than dc has  $\sigma'_{vs}$  equal to the effective vertical stress at the critical depth. K<sub>s</sub>tan $\delta$  can be obtained using the uncorrected friction angle and the design chart for either driven or drilled piles. Other methods in estimating f<sub>s</sub> are suggested by, Vesic (1970), and Tomlinson (1973) and the relative density of the sand is used in obtaining f<sub>s</sub> from the design charts.

Skin friction within the clay stratum is estimated using  $\alpha$  and  $\beta$  methods. Nevertheless, it is commonly known that the  $\alpha$  methods produce better estimates of  $f_s$  for OC clays while the  $\beta$  methods produce better estimates for NC clay. The  $\alpha$  method uses the undrained shear strength of the soil to estimate  $f_s$ , while  $\beta$  method uses the pile penetration length, L, in the clay and the in-situ effective vertical stress to estimate  $f_s$ . For driven piles, design charts from Tomlinson (1971), API (1981), Peck (1961), and Dennis & Olson (1983) are used for the  $\alpha$  method. For the  $\beta$  method, design charts suggested by Meyerhof (1976) and Burland (1973) are used for the driven piles. For drilled piles, skin frictions in clay are only estimated with the average  $\beta$  factor suggested by Kulhawy & Jackson (1989). The following equations summarize  $\alpha$  and  $\beta$  method for estimating skin frictions.

Results from different design charts are averaged for both  $\alpha$  and  $\beta$  methods to give an average capacity for the  $\alpha$  method and an average capacity for the  $\beta$  method. Finally, the skin friction capacities for the sand and clay layers are added together, as shown in Table

Driven Piles	Q <sub>fs low</sub> (kip)	Q <sub>fs avg</sub> (kip)	Q <sub>fs high</sub> (kip)	Drilled Piles	Q <sub>fs low</sub> (kip)	Q <sub>fs avg</sub> (kip)	Q <sub>fs high</sub> (kip)
Method	Vesic		Poulos		Poulos		Vesic
sand	98	115	132	sand	39	47	54
Method	α		β		β		β
clay	58	89	119	clay	317	317	317
Total	156	204	251	Total	356	364	371

3.4, to determine the overall capacity of the piles. Details of capacity calculations are provided in Appendix C.

Table 3.4 Capacities for Pile Design Using Various Methods.

Although same methods were used to estimate skin friction for driven and drilled piles, but the empirical parameters have values that are quite different from one another. For driven piles, skin friction in sand is much higher when compared to drilled piles, as drilling causes densification of the sand during pile driving. On the other hand, the parameters for driven piles account for the loosening of sand during drilling; therefore, the capacity of skin friction in sand is reduced. The shaft resistance of drilled piles is much higher than for driven piles. This result reflects a bias associated with installation effects of driven piles (large excess pore water pressure are measured during installation).

### 3.3.3 Settlement Analysis with Load Transfer Method

Elastic stiffness solutions for single piles, given in section 2.3, are used to estimate settlements for the tested piles. The original solution for single layer of soil is modified to incorporate two soil layers, (top sand and the clay layers). The load transfer method predicts that pile head settlement increases linearly with load, (constant pile head stiffness). The shear modulus for the two layers are taken from the average results of the

dilatometer tests, and the shear modulus profile is shown in Figure 3.10. Due to the differences in equivalent axial stiffness, the load transfer solutions for the drilled concrete piles are slightly different from the driven pile; however, steel pipe and H piles have nearly identical pile head stiffness. The solutions are presented in Figure 3.11, and detailed calculations are included in Appendix C.



FIGURE 3.10 SHEAR MODULUS PROFILE FOR LOAD TRANSFER METHOD



FIGURE 3.11 SETTLEMENT ANALYSIS WITH LOAD TRANSFER METHOD

## 3.3.4 Finite Element Analysis

In setting up the axisymmetric model for the FE analysis, the mesh is first created with several considerations in mind. The mesh extends to a depth of 90ft and laterally to 150ft, in order to minimize the effects of boundary conditions on predicted loaddisplacement results. The selected boundary conditions do not permit any lateral displacement at far field lateral boundaries (or centerline) while radial and vertical displacements are prevented at the base of the mesh. Horizontal mesh lines are created at the transitions from one soil to the other. Mesh lines are also denser around the pile due to the high concentration of stresses around that region, and one would also predict failure to occur close to the pile shaft.



The pile is represented by a linear elastic model with equivalent stiffness parameters (Table 3.3). The Mohr-Coulomb model is used to model the top sand and the hard silt at the base. The clay stratum is divided into four layers with increasing OCR, and all layers are modeled with the MCC model (Figure 3.8). The initial stress condition is also required for the FE model. For the sand, and silt layers, it is assumed that  $K_{o} = 1$ . For the clay layers, the initial condition is derived from empirical equations shown below (Mayne & Kulhawy, 1982):

$$K_{a} = (1 - \sin \phi')(OCR)^{\sin \phi'}$$

Once the model is constructed, loading is applied in increments until failure occurs. Different loading time rate are also applied to explore the effect of consolidation on the pile head settlement. Table3.5 summarizes the capacities and the settlements at maximum loading for the piles. More detailed comparison are presented in the next section.

	Pipe Pile	H Pile	Drilled Piles
Load Capacity (kip)	232	234	235
Pile Head Settlement (in)	0.439	0.383	0.339

Table 3.5 Capacities and Settlements of Piles from FE Analyses

### 3.4 Comparison of Analyzed Results with Measured Data

The capacities and settlements of the piles from the two types of analyses are first compared with the monitored data. Then the stress distributions from the FE analyses are compared with data measured along the pile.

## 3.4.1 Comparison of Pile Capacities

Different predicted capacities are compared with the actual measured short and long-term capacities in Figure 3.13.



FIGURE 3.13 COMPARISON OF ESTIMATED PILE CAPACITIES WITH MEASURED CAPACITIES

The measured data shows that the long-term capacities both between the driven piles and between the drilled piles are within 1% of one another. Nevertheless, the capacities of drilled piles are 80% higher than the capacities of driven piles. The vast difference between the capacities of the drilled and driven piles is possibly caused by installation disturbance. The results in Figure 3.12 also show that FE analysis estimates the capacities of the driven piles very close to the measured long-term capacity. However, the FE analyses underestimate the measured capacities of the drilled piles by more than 40%. The capacities for drilled shafts and driven shafts estimated by FE analyses are almost identical because the FE model is unable to distinct the pile installation procedures, and the only difference between drilled shaft model and the driven shaft model is the modulus of the pile. This parameter should only influence the settlement of the pile head. For design analysis, the capacities of both driven and drilled piles are underestimated. For driven piles, the design calculations underestimate the measured capacity by about 15%. However, the empirical design calculations do distinguish differences in installation between driven and drilled piles using empirical correlations. This leads to a decrease in skin friction in the sand and an increase in skin friction in clay with the  $\beta$  method. The overall effect is an 80% increase in total capacity from the design capacity of driven. Nevertheless, the design capacity is 13% below the actual measured capacity.

### 3.4.2 Evaluating Pile Settlement Results

Settlements are recorded in the 2, 5, and 43 weeks pile loading tests, and the results of the monitored data are shown in Figures 3.14,15 and 16 respectively. In all cases, the pile head stiffness reduces as loading increases (due to progressive mobilization of the shear resistance along the pile shafts), and all of the tested piles are expected to have similar initial stiffness at the beginning of loading, with only slight variations due to differences in the axial stiffness of the piles. The Figures show that the initial pile head stiffness (from about 0 to 50 kips of loading) of the tested piles are indeed similar to one another in all tests performed. However the data for the 43 weeks (after installation) tests are much more consistent than those obtained at 2 and 5 weeks.



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FIGURE 3.14 MEASURED SETTLEMENT OF PILE LOAD TEST PERFORMED 2 WEEKS AFTER INSTALLATION



FIGURE 3.15 MEASURED SETTLEMENT OF PILE LOAD TEST PERFORMED 5 WEEKS AFTER INSTALLATION



FIGURE 3.16 MEASURED SETTLEMENT OF PILE LOAD TEST PERFORMED 43 WEEKS AFTER INSTALLATION

The differences between the initial pile head stiffness of the tested piles are mainly

caused by installation. For driven piles, pile driving causes excess pore pressure to build

up within the clay layer and hence, reduce the stiffness of the surrounding clay.

Therefore, the initial stiffness for driven pile is lower than the drilled piles. The reduction of the stiffness is controlled by the amount of soil displaced by the pile. Table 3.7 shows total volume of soil displaced by the pile.

Amount of Displaced	Soil			
	φ (ft)	Drilled ø (ft)	Length (ft)	Displaced Vol. (ft <sup>3</sup> )
Pipe Pile	1.5	1	50	49.1
Slurry Drilled Pile	1.5	1.5	50	n/a.
<b>Cased Drilled Pile</b>	1.5	1.5	50	n/a.
	H Area (ft²)	Drilled φ (ft)	Length (ft)	Displaced Vol. (ft <sup>3</sup> )
H Pile	0.15	0	50	7.5

Table 3.6 Volume of Soil Displaced by the Tested Piles

The hollow pipe pile with a cover plate displaces the most amount of soil even when the pile is installed in a 1ft diameter pre-augured hole. Results in Figure 3.14 clearly show that the pipe pile has the softest stiffness in the load test performed 2 weeks after installation.

In the FE analysis, an attempt is made to simulate the actual loading schedule in the test sites. Therefore, loading is applied in increments with a fixed time gap separating each increment. The FE model analyzes three configurations, which include load rates that are 1) instantaneous loading, 2) 50kips per 2 hours, and 3) 50kips per 4 hours, of loading rate. Results for the H pile and the drilled pile (cased or slurry) are shown in Figure 3.17 and 3.18. Both Figures show that the consolidation settlement is relatively insignificant with loading less than 100kips, 40% of the failure load of the model predicts. Significant settlements are generated after the pile is loaded to 150kips and

200kips. Nevertheless, consolidation increases the mean effective stress, **p**', of the soil, which in turn increases the stiffness of the soil.



FIGURE 3.17 SETTLEMENT OF H PILE WITH DIFFERENT TIME RATE LOADING



FIGURE 3.18 SETTLEMENT OF DRILLED PILE WITH DIFFERENT TIME RATE LOADING

As mention earlier, both elastic and shear moduli of the soil are a function of **p**'. When time gaps are increased, both consolidation settlement and the mean effective stress also increase. Therefore, when two models' pile head stiffness are compared at the same load increment, the model with larger time gap between each load increment has a higher stiffness. The results from the model also show that the increased pile head stiffness helps to compensate for the large increased settlement at the end of each load increment. Therefore, the final settlement of two different models may not differ significantly. The actual amount of difference in settlement will depend on the specific time frame. Since all settlement curves with time rate loading retains the shapes and also the amount of settlements of the instantaneous loading curves, the settlement comparison between different analyses will only include the settlement curves from instantaneous loading.

In comparing the settlement results from different analyses, all settlement curves for the same test pile are plotted on the same axes. Figures 3.19 to 3.22 show the settlement vs. load curves for pipe, H, slurry and cased piles respectively. In all four Figures, the load transfer method gives an excellent estimation of the initial pile head stiffness for the 43 weeks test. For most cases except for the cased drilled pile, the predicted pile head stiffness is too high for the 2 and 5 weeks load tests. Since the load transfer method does not take installation disturbance into consideration. However, the initial pile head stiffness from 2, 5, and 43 weeks tests match extremely well with the estimated value from load transfer, and the close match is contributed by the low level of disturbance. First of all, the installation does not displace any soil. In addition, before installing the concrete pile, a steel casing is installed before concrete is tremied to reduce the amount of disturbance.



FIGURE 3.19 COMPARISON OF SETTLEMENT ANALYSES WITH MONITORED DATA FOR PIPE PILE



FIGURE 3.20 COMPARISON OF SETTLEMENT ANALYSES WITH MONITORED DATA FOR H PILE



FIGURE 3.21 COMPARISON OF SETTLEMENT ANALYSES WITH MONITORED DATA FOR DRILLED SLURRY PILE



FIGURE 3.22 COMPARISON OF SETTLEMENT ANALYSES WITH MONITORED DATA FOR DRILLED CASED PILE

On the other hand, results show that settlements estimated by FE analysis seem to over predict the amount of settlement. With the MCC model for the NC clay, PLAXIS predicts load-settlement curves that match better with the 2 and 5 weeks load tests than 43 weeks load test. The low pile head stiffness predicted by FE analysis is mainly caused by how the MCC model estimates elastic straining. The MCC model uses the parameters,  $\kappa^*$  and v, to estimate elastic strains, and the former is obtained from unloadreload data in 1-D oedometer tests. The value of  $\kappa$  does not represent closely the elastic shear stiffness of clay and may then cause an underestimate of pile stiffness. Since the initial pile head stiffness is mainly determined by the elastic deformation of the soil, which in turn is governed by  $\kappa^*$  in the MCC model, more attention is paid towards the applicability of  $\kappa^*$ . From the input  $\kappa^*$  for the MCC model, the shear modulus to undrained shear strength ratio, G/Su, can be estimated. The common range G/Su ratio has been published by geotechnical publications, and can be compared with the values used in the FE analysis. The values of G/Su used in the NC clay are estimated in Table 3.7.

Location	Depth	κ*	Ко	σ' <sub>ν0</sub>	v	р	G	Su	G/Su
	(ft)					(ksf)	(ksf)	(ksf)	
Top of CL Clay	23	0.009	0.555	2.1	0.3	1.5	76.2	1	76.2
Mid. Embed. Depth in Clay	36.5	0.009	0.555	2.9	0.3	2.0	104.3	1	104.3
Pile Tip	50	0.009	0.555	3.7	0.3	2.6	172.0	1	172.0

Table 3.7 Estimations of Shear Modulus to Undrained Shear Strength

Using NC Boston Blue Clay as the reference CL clay, the range of G/Su (Ladd et. al, 1977) is between 150 to 300 for the factor of safety between 1.5 to 3. This shows that  $\kappa^*$ 

underestimates the stiffness of the clay when the actual factor of safety is above 1.5, (say Q < 250 / 1.5 = 166kips). Therefore, several more models for the cased drilled pile were analyzed with  $\kappa^*$  reduced or the shear modulus increased to understand the effect on the initial pile head stiffness. Results, shown in Figure 3.23, clearly shows that the initial pile head stiffness converges with the measured stiffness as  $\kappa^*$  is reduced. Furthermore, even though the pile head stiffness is increased by increasing  $\kappa^*$ , the capacities of the pile remain constant throughout. In the MCC model, the capacity is determined by the CSL, and not by  $\kappa^*$ . This shows that the critical state line of MCC does predict the capacity of the driven piles accurately and  $\kappa^*$  is a the parameter that causes the analyzed response to deviate from measured response. In analyzing long-term behavior of the driven piles, if  $\kappa^*$  is adjusted accordingly, FE analysis can actually predict both the settlement response and the ultimate capacity of the pile quite accurately. On the other hand, the behavior of the drilled shafts in this study are far more difficult to estimate, since the installation of the piles includes the injection of bentonite. Although bentonite is removed before the concrete is pumped, small percentage of bentonite remains at the interface between the pile and the clay. The chemical effects at the interface are not modeled in the FE analyses, but if the percent of strength gain due to bentonite injection is determined in laboratory testing, then interface elements can be added to the FE model to analyze drilled shafts more precisely.



FIGURE 3.23 THE EFFECT OF  $\kappa^*$  in Pile Head Settlement

# 3.4.3 Evaluating Skin Friction Distribution

Based on the measured axial load distributions along the length of the pile, the skin friction of the test piles can be back-calculated. These values are compared with the results from FE analysis, and the results are shown in Figure 3.24 to 3.26 for pipe, H, and drilled piles, respectively. Since the FE model setup for both drilled piles are identical (cased and slurried pile), all drilled piles data are presented in Figure 3.26. Results from FE analysis shows that the predicted skin friction distributions for driven piles are lower than the measured values. Therefore, much of the load is transferred to the pile tip and supported by the end bearing, which compensates the reduced skin friction. Nevertheless, the general shape of skin distribution predicted by FE analysis matches with the measured shape for driven piles. Figures 3.27 and 3.28 show the predicted amount of loads that are support by skin friction and pile tip for pipe and H pile. Results clearly show that skin friction from sand and clay support a big portion of the total load except in the beginning of loading or when load reaches failure. The distributions of the loads carried by skin friction and end bearing for the drilled piles are shown in Figure 3.29. However, FE analysis does not predict closely the skin friction distribution for the drilled piles. Although the capacities for the drilled piles are much higher, the measured total skin friction (approximately 100kips) is slightly lower than the estimated skin friction (105 kips) from finite element analysis. This suggests that the measured skin friction maybe incorrect or much of the load may have been supported by the pile tip (very unlikely). The discrepancies in the skin friction distribution are probably caused by installation procedures that are not captured by the model.



FIGURE 3.24 COMPARISON OF SKIN FRICTION DISTRIBUTION FOR PIPE PILE



FIGURE 3.25 COMPARISON OF SKIN FRICTION DISTRIBUTION FOR H PILE



FIGURE 3.26 COMPARISON OF SKIN FRICTION DISTRIBUTION FOR DRILLED PILES







FIGURE 3.29 DISTRIBUTION OF LOAD FOR DRILLED PILES

### 3.5 Summary

Conventional design calculations and FE analyses have been compared with instrumented pile load test data from the NGES site at Northwester University. Although the design calculations underestimate the capacity of the drilled piles, the average design value is much closer than the values obtained from FE analysis. However, FE analysis seems to better predict the capacity and the skin friction distribution of the driven piles. The measured capacities for the driven piles are within one percent of estimated value with FE analysis. Nonetheless, capacity results from design analysis would improve and approach the measured capacities if end-bearing capacities in clay were also included. In settlement analyses, both design and FE analyses can not accurately predict the settlement of a single pile. The merits of load transfer method are its ability to predict the initial pile head. However, load transfer underestimates settlements at higher loads, and therefore, higher factor of safety is needed to lower the load within the predictable region of the curve. Nevertheless, predictable regions are different with different pile and installation procedure. For the pipe pile, measured settlements exceed the predicted values when the applied load is over 65% of the pile capacity. However, only 13% of the pile capacity are needed for the cased drilled, and load transfer will be unconservative for any load higher than that. For FE analysis, the settlement response predicted is conservative in all cases. The elastic parameter,  $\kappa^*$ , for the MCC model underestimates the stiffness of the clay and may not actually represent the actual response of the soil. However, less conservative may be obtained if  $\kappa^*$  is corrected according to the published G/Su data. On the other

hand, FE analysis is able to capture the long-term pile capacity when installation effects are dissipated. This is shown by its 1% error in estimating the capacity of pipe and Hpile. The discrepancies between the estimated capacities and the measured capacities of drilled pile are related to the installation procedure and interface properties that are not modeled reliably in the analyses. In general, FE analysis with the MCC model will produce conservative settlement results due to the non-linear relationship between load and settlement, and the low initial pile head stiffness. However, the load-transfer method should only be used with high factor of safety in order to produce conservative result. In capacity analyses, both design and FE analyses predicted capacities that match closely with the long-term capacities of driven pile. For drilled pile, more understanding of the pile-soil interface is needed in order to create a more accurate FE model.

### Chapter 4 Settlement Analysis of a Storage Building at Jernbanetollsted, Oslo

In addition to calculation for single pile analyses, this chapter describes the use of finite element analyses for predicting the settlement behavior of a piled raft foundation. The analyses are then compared with the measured settlement record for 50 year monitoring period (Anderson & Clausen, 1974). This problem is chosen for the analysis because it involves long term settlement of a heavily loaded building on a deep layer of compressible soft clay.

4.1 Background and Details of Site

This case study concerns the settlement of a six-story high storage building that was constructed in Oslo between 1919 to 1924 (Anderson & Clausen, 1974). The plan view of the building is shown in Figure 4.1. The structure is separated into two wings, A and B divided by a contraction joint.



FIGURE 4.1 PLAN VIEW OF STORAGE BUILDING FOR FINITE ELEMENT ANALYSIS

Therefore, the whole structure can be treated as two separated buildings. The chapter presents FE calculation for the foundations of building B. The foundation comprises reinforced concrete slab supported by approximately 2500 wooden piles, with top diameter 0.15m and length of the piles 9m.

The soil profiles of the site is typical of conditions along the Drammen River in the Oslo area, comprising a silt crust overlying soft marine clay of moderate sensitivity. The top fill, placed during the construction period, consists of 3m of sand and gravel. The water Table also lies at the top of this layer. Beneath the fill, 7m of silty clay overlay 1.5 m of thin clay crust. The bottom layer is a 68.5m of fairly homogeneous of marine clay. The top 7.5m of the clay has relatively higher plasticity than the rest of the 61m of clay layer. The bedrock is at a depth of 80m. During the summer of 1968, the Norwegian Geotechnical Institute (NGI) performed a detailed investigation of the site including, 1) extensive fixed piston sampling (45mm  $\phi$ ) from within one borehole (extending to a depth of 30m); and 2) three vane borings to a similar depth. Six piezometers were also installed to monitor the presence of excess pore pressure. Thirty-two consolidation tests were run on the samples and the results of the geotechnical investigation are shown in Figure 4.2. From consolidation data and experiences of other sites, it is believed that the 61m of lean clay is NC and has an OCR close to 1.0. In addition, pore pressure and vertical stresses profiles after the placement of the 3m fill at different depths are given in Figure 4.3.



FIGURE 4.2 SUMMARY OF THE 1968 NGI GEOTECHNICAL INVESTIGATION IN OSLO



FIGURE 4.3 PORE PRESSURE AND STRESS PROFILE

# 4.3 Method of Analyzing Settlement

Finite element analysis will be used to analysis a cross-section of the site. The cross section located at the middle of building B is shown in Figure 4.1 section 1.1. Several assumptions are made before proceeding with FE analysis. Since the model is limited to two-dimensional loading condition while the actual geometry is 3-dimensional, the predicted settlements should be slightly larger than measured results. The load of the building is assumed to be similar to 2-D loading strip loading. This assumption is reasonable for section 1-1 due to the large aspect ratio (length/width) of the building. Therefore, plane strain instead of axisymmetric analysis are used in this problem. Due to the symmetry of the problem, only half of the section 1-1 will be analyzed. Figure 4.4 shows the boundary conditions, for deformation and flow, and the section of the foundation that are modeled in this analysis.



FIGURE 4.4 SECTION 1-1, DESIGNED SECTION

Figure 4.4 also shows the five different soil layers of soil that will be modeled in FE analysis. The properties of the soil layers will be discussed later. The bedrock is set at the base of the finite element model. The dotted section (half of the raft and piles) is not included in the FE modeling due to the symmetric properties of the problem. For the flow boundary, drainage is assumed to occur at the top only.

In modeling the piles, it is impossible to model 2500 piles individually. Instead rows of piles are modeled as equivalent pile wall. For this section, 5 pile walls are used to model approximately 1250 piles within half of the foundation (or 10 pile walls for the full foundation). In figure 4.5, an example of the pile wall is shown to illustrate how the pile wall represents the piles. The wall in the figure is similar to the one that is used in the model, except this wall only represents three piles.

The following equation shows the relationship between the modulus of the piles and the modulus of the 2 pile walls

$$E_{eq. wall 1}A_{wall 1} = \sum E_{pile 1,n}A_{pile 1,n} = EA_{1,1} + EA_{1,2} + EA_{1,3}$$
$$E_{eq. wall 2}A_{wall 2} = \sum E_{pile 2,n}A_{pile 2,n} = EA_{2,1} + EA_{2,2} + EA_{2,3}$$



FIGURE 4.5 EQUIVALENT PILE WALL SETUP

For the FE model, each wall will represent 250 piles, and there are a total of 5 walls in the model (10 for the whole system).

### 4.4 Setting up Finite Element Analysis

After determining the methods in modeling the piles and the foundation, the Finite element model is set up accordingly. First, soil models are determined for the 5 different layer of soil. The following table shows the type of soil model that is used to represent each soil layer.

Depth (ft)	Soil Type	Soil Model
0-3	Sand & Gravel	Elastic Soil
3-10	Silty Clay	MCC
10-11.5	Stiff Clay	MCC
11.5-19	Plastic Clay	MCC
19-80	Lean NC Clay	MCC

Table 4.1 Soil Modeling for FE Analysis

With the soil model determined, the mesh is created. The dimension of the mesh is 70m by 80m (width by height). Then the width of the mesh was increased until the displacements of the concrete mat were not affected by the increased width. Finally, the width of the mesh is selected to be70m, about seven times the width of the section that is being modeled. The boundary conditions and the flow conditions are setup according to Figure 4.4.

In modeling the material properties for the pile, raft, and soil, two types of elements are used, wall and soil elements. Wall elements described in Chapter 2 are used to represent the pile walls. The typical modulus for timber is used to obtain equivalent parameters for the wall elements. Table 4.2 summarizes the parameters obtained for the wall elements. The entire cross section (instead of half) is used to calculate the pile wall properties; however, this would not influence the pile wall properties.

Entire Section Properties										
Total Area	Length	Width	Total # of Piles							
(m2)	(m)	(m)	(#)							
1579	77.0	20.5	2548							
Pile Properties	Pile Properties									
E <sub>pile</sub>	radius <sub>pile</sub>	A <sub>pile</sub>	EA <sub>pile</sub>							
(kpa)	(m)	(m2)	(kN)							
8.27E+06	0.075	0.018	1.46E+05							
Pile Wall Properties										
Total # of Pile Walls	Length <sub>wall</sub>	width <sub>walt</sub>	A <sub>wall</sub>							
(#)	(m)	(m)	(m <sup>2)</sup>							
10.0	77	0.15	11.6							
Total # of Piles per wall	Spacing btw. Pile Wall	E <sub>wall eq</sub> .	Sum (EA <sub>pile</sub> )							
(#)	(m)	(kpa)	(kN)							
254.8	2.3	3.23E+06	3.73E+07							

-----

Table 4.2 Summary of Section, Pile, and Pile Wall Properties.



FIGURE 4.6 FE MESH FOR THE SETTLEMENT ANALYSIS OF THE STORAGE BUILDING IN OSLO

72
For setting up the soil models, more soil information is needed to define the parameters mainly for the MCC model. In order to obtain additional information regarding the OCR profile and compression index, soil properties proximate to Oslo are examined. Soil properties at Drammen (Bjerrum , 1967) are particularly useful because Drammen is located 40 kilometer from Oslo, and the soil profile of the two sites are very similar. One of the typical soil profiles in Drammen is given in Figure 4.7. This profile is used to estimate the OCR profile for the silty clay and plastic marine clay layers.



FIGURE 4.7 TYPICAL SOIL PROFILE IN DRAMMEN, (BJERRUM, 1967)

The OCR profile for the low plasticity marine clay is estimated to be NC from the consolidation tests performed by the NGI. For the stiff crust, all parameters are assumed to be equal to the plastic marine clay, and the OCR for this layer is approximately 3.0. The stiff crust should not influence the results from the FE analysis since it is relatively thin compared to all other soil strata and has little settlements during un-reloading. In addition to the OCR profile, it is also necessary to obtain the hydraulic conductivity of the soil. Hydraulic conductivity of the soil controls the rate of the dissipation of excess pore pressure. This in turn will control the rate of settlement. However, no information

was found on this parameter. With no relevant information available, correlation (Lambe & Whitman, 1969) is used to obtain the range of permeability for naturally deposited clay. It is noted that naturally deposited clays have permeability ranging from 8.6e-5m/day to 8.6e-6m/day(1\*10<sup>-7</sup> to 1\*10<sup>-8</sup>cm/sec). Therefore, the FE model will analyze settlement of the foundation with three different input values of permeability, 8.6x10<sup>-5</sup>, 4.3x10<sup>-5</sup>, and 8.6x10<sup>-6</sup> m/yr. All other information used by the FE model is shown in Figure 4.8.



FIGURE 4.8 PARAMETERS FOR THE FE ANALYSIS

The initial loading/unloading of the site began at the end of 1919 (see figure 4.9) when construction began. Excavation of the top fill caused an unloading condition, and the unloading condition reached a maximum of  $-5t/m^2$  by the end of 1920. Then the construction of the foundation and the structure causes a steady increase of load from  $-2t/m^2$  (1921) to  $3.2t/m^2$  (1924). After construction, the load remained constant (1924 to early 1925) until the storage building starts service. With a constant increase of storage, the live load increases the loading steadily from  $3t/m^2$  to  $9t/m^2$ . Once the storage building reached the capacity, the dead load remains constant afterwards. Originally, the FE model is setup to replicate the actual loading condition; however, the length of the smallest possible time interval is controlled by the hydraulic conductivity of the soil. With smaller hydraulic conductivity, a larger time interval is necessary for accurate results. Therefore, the loading condition is simplified as linearly increasing from  $0t/m^2$  (1922, beginning of recording settlement measurement) to  $9t/m^2$  (1926).



FIGURE 4.9 ACTUAL AND MODELED LOADING CONDITION

# 4.5 Comparing FE Settlement Results with Measured Settlements

First the results from the FE analysis will be compared with design calculations to check if FE results are reasonable. The average degree of consolidation calculated by FE analysis is plotted with the 2-D consolidation for a strip loading (Poulos & Davis, 1972) The H/B ratio (height of clay/loading width) used for the design calculation is 10 (the actual H/B = 8, but solutions are approximately the same). The range of coefficients for the design analysis are obtained from empirical correlations (DM7, 1982), using the liquidity index obtained from the boring sample. With liquid index falling between 40% to 50%, the estimated C<sub>v</sub> is between  $3.2m^2/year$  to  $9.5m^2/year$  (1<sup>-3</sup> to  $3^{-3}$  cm<sup>2</sup>/s). In figure 4.10, results show that FE results (with k<sub>v</sub> = 4.3e-5m/day) falls close to the estimated design regions.



FIGURE 4.10 COMPARISON OF A VERAGE DEGREE OF CONSOLIDATION FROM FE ANALYSIS AND PUBLISHED RESULTS (ANDERSON & CLAUSEN, 1974)

With results from FE analysis obtaining reasonable results, further analyses are

performed to obtain:

- 1) Load Supported by the Piles
- 2) Estimated Pore Water Pressure at Different Time
- 3) Settlements Comparison with Measured Data
- 4) Differential Settlement across the Concrete Mat
- 4.4.1 Load Supported by the Piles

Since the piles are represented by thin walls in the FE analysis. The total load of the piles will be estimated by the shear stress on the pile wall multiplied by the area of the wall. It is not meaningful to present the actual load supported by each pile wall since they do not represent the load that will be distributed to individual piles. However, it is interesting to estimate the fractions of load that are supported by the pile foundation, and by the concrete mat. From the results, summarized in Table 4.3, the piles support approximately 1/4 of the total deadload at full consolidation.

Total Stress applied	Load Supported by Piles	Load Support by Raft
(ton/m <sup>2</sup> )	(ton)	(ton)
9.0	3330.6	10875.9
Total Load	% of Total Load	% of Total Load
(ton)	(%)	(%)
14206.5	23.4	76.6

Table 4.3 Estimated Load Supported by the Piles.

## 4.4.2 Estimated Excess Pore Pressure

In order to further verify the results from FE analysis, excess pore water pressure below the center of the mat (Figure 4.11) and the edge of the mat (Figure 4.12) are checked at selected time periods. Pore pressure estimated for the year of 1947 (25 yr. after loading start), 1972 (50yrs after loading start), 1999 (estimation for today), and 2423 (500 yr.

after loading start) are plotted in the figures. The hydraulic conductivity used in the analysis is the average of the range given in 4.3 (kv = 4.3e-5m/day). The results show that the distribution of excess pore pressure decreases along depth. This is reasonable, because the distribution of load applied by the building decreases as depth increases. In addition, the excess pore pressure at the edge is also checked how excess pore pressure varies across the width of the building. As expected, Figure 4.12 shows the excess pore pressure at the edge of the building is less than the excess pore pressure at the edge of the building is less than the edge of the building. This is caused by decrease of load distributed at the edge of the building causing a smaller amount of excess pore pressure.



FIGURE 4.11 EXCESS PORE PRESSURE AT THE CENTER OF THE BUILDING



FIGURE 4.12 EXCESS PORE PRESSURE AT THE EDGE OF THE BUILDING

4.4.3 Settlements Comparison with Measured Settlements

After verifying the results from PLAXIS, settlement analysis is performed with the model and compared with the measured data. Measured settlement data were obtained at various points on the raft for a total of 50 years. There were no measurements on the piles, and therefore, only the raft settlement results will be compared in this section. The comparison of the measured data and results obtained from FE analyses with an estimated range of hydraulic conductivity are shown in Figure 4.13.



FIGURE 4.13 COMPARISON OF FE RESULTS AT PT. X WITH MEASURED SETTLEMENTS

From the results presented in Figure 4.13. It is apparent that the selection of clay permeability has a great effect on the settlements at 1973 (at the end of the 50 years of measurement). It is also clear from the measured settlements that the actual consolidation settlement on site has not reached the end of consolidation. The measured settlements match very closely with the calculated results for an assumed  $k_v = 4.3-5m/day$  to 8.5e-5m/day. The initial settlement response before 1932 (or 10 yr. after the initial loading) of Time (year) the measured results is getterarry underesumated by use the measured. This may be related to the assumed load history (Figure 4.9). For long term settlement behavior, results show PLAXIS can predict the degree and also the rate of the settlement quite well. The author has not managed to find any more recent settlement data for the Jernbanetollsted building

(post 1973) and so it is not possible to evaluate predictions of the final consolidation settlement. Nevertheless, the final consolidation settlement at point X is estimated with the analyses from PLAXIS, and the results are shown in Figure 4.14. The final consolidation settlement predicted with different permeability has the same value and is approximately 1.14 m.



FIGURE 4.14 ESTIMATION OF FINAL SETTLEMENT AT PT X WITH FE ANALYSIS

An additional settlement analysis has been performed for a raft foundation without the timber piles. The purpose of this analysis is to illustrate the effect of the piles on the predicted consolidation settlement. Figure 4.15 compares the FE prediction for the case of 1) raft supported with piles 2) raft only. The results show that the final consolidation settlement (1.34m) for the raft with no piles is about 18% higher than the raft supported

by piles. The larger settlement is caused by an increased of load causing an increase of dissipated pore pressure. Although more load causes the raft only foundation to settle more, the time it takes for the raft only foundation to reach final consolidation is approximately 500 years (year of 2422). This matches with theoretical results and shows that even when more load is applied to the soil, it takes the same amount of time to consolidate.



FIGURE 4.15 PREDICTED SETTLEMENT OF POINT X WITHOUT INSTALLATION OF PILES

# 4.4.4 Estimating Differential Settlement Center

With FE analysis, differential settlement across the cross-section can also be estimated. Figures 4.16 to 4.18 show the estimated settlements for different  $k_v$  from FE analysis. Once again, the results show the settlement at the center of the building is larger

than the edge, as the excess pore pressure suggested in section 4.4.2. Results also show that as consolidation settlement increases, differential settlement also increases.



FIGURE 4.16 DIFFERENTIAL SETTLEMENT OF CROSS SECTION WITH KV = 8.6E-5M/DAY



FIGURE 4.17 DIFFERENTIAL SETTLEMENT OF CROSS SECTION WITH KV = 4.3e-5m/Day





# 4.5 Summary of Consolidation Settlement Analysis

Although only limited information on the soil parameters are available, the consolidation settlement analysis using MCC model produce reasonable results that match very well with the measured consolidation settlements fifty years after construction of Jernbanetollsted building in Oslo. Although this does not replicate the actual foundation geometry, it is a consistent approximation for a planar analysis. A full analysis of the foundation is beyond the capabilities of PLAXIS and requires a great increase in computational time. Nevertheless, the predicted range of settlement and degree of consolidation agree well with measured behavior. In addition, the final consolidation settlement predicted by Anderson & Clausen (1974),  $\rho_{final} = 1.1m$ , matches extremely well with the estimated value from PLAXIS.

## Chapter 5 Summary, Conclusion and Recommendation

This thesis describes the application of finite element analyses for computing the load settlement response of piled foundations. Finite element models are compared with measured data for two 'case studies', 1) instrumented load tests on 4 individual piles (2 driven, 2 drilled shafts); and 2) long term response of piled-raft foundation over a deep layer of soft clay in Oslo. In general, the results from the FE analyses and design calculations provide reasonable estimates of the measured results. However, FE analysis in all cases provides more comprehensive information than the conventional design methods.

For the pile capacity analyses, FE analysis predicts capacity of the driven piles extremely close to the long-term measured values (within 1%). However, the FE analysis does not predict the capacity of the drilled pile within reasonable limits (underestimates by 50%). This is mainly caused by the installation procedure of the drilled pile. With bentonite slurry injected to the bored hole, chemical reaction may have increased the capacity. With more data on the effect of how bentonite influence the interface, better FE model can be used to obtain more accurate result. In analyzing the settlement response of the piles, FE modeling with MCC model shows that obtain results that match well with measured short-term settlement response. For driven piles, the predicted results are extremely close with the measured results at 5 weeks. However, FE analyses are not able to predict the long-term response for both drilled and driven piles. Results show that the MCC model does not accurately predict the stiffness of the soil. By modifying the stiffness of the model, FE can accurately predict both the capacities and the settlement responses of the driven piles.

85

For the long-term settlement analyses, FE analysis predicts both the final consolidation settlement and the rate of settlement very well. With no measured hydraulic conductivity data, calculations were performed using the common range of  $k_v$  for clay, matches the measured settlement 50yrs after loading. The rate of loading also agrees with the measured response. Even though, no measured result of the final consolidation settlement is available, the predicted final settlement from FE matches with results made by engineers.

The results from the two case studies show that FE modeling require good soil parameters and good soil models. The MCC model using  $\kappa^*$  as the elastic parameter for stress-strain relationship clearly does not represent the actual behavior. For accurate results, the parameters can be corrected using reliable sources (for correcting  $\kappa^*$ , G from measured can be used). However, this may change the other type of response (e.g. consolidation) of the soil model. This leads to the importance of development of better soil model for finite element analysis. More advanced soil models have been introduced in recent years. For example, the MIT-E3 soil model (Whittle & Kavvadas, 1994) uses 15 soil parameters to describe the behavior of soil under many different conditions (anisotropy effect, hysteretic response in unloading and loading, ...etc.). With better soil models and better parameters, more reliable FE predictions can be achieved.

One may question the need of finite element modeling when design analyses predict results matches with measured data in many cases. Design analyses are mainly based on simplified theory and empirical data. However, theoretical results often oversimplified the behavior of soil and interactions between soil and structures. For example,

86

the load transfer method models both the pile and the soil as elastic material (highly unrealistic). Empirical design methods are mainly based on the correlation on observed results with measured parameters. This type of design analyses rarely captures the actual response of soils and structures. Furthermore, every site and project has different conditions, and only with FE analysis, one can examine how the results may differ. Differences in some conditions may not matter, but some may drastically influence the results. As construction and development becoming more advanced and fast paced, more in-depth and comprehensive geotechnical design tool is needed. With finite element modeling, engineer can fully understand and analyze the interactions between soil and structure that simple empirical and theoretical design solutions do not provide.

# References

Lambe, W.T., & Whitman, R.V. 1969. Soil Mechanics. New York: John Wiley & Sons.

- Brinkgreve, R.B.J., & Vermeer, P.A. 1995. *PLAXIS, Finite Element Code for Soil* Analysis Version 6. Brookfield: A.A. Baklema.
- Anderson, K.H., & Frimann, C.J. 1974. "A Fifty-year Settlement Record of a Heavy Building on Compressible Clay." British Geotechnical Society Conference., Cambridge.
- Bjerrum, L. 1967. "Engineering Geology of Norwegian Normally Consolidated Marine Clays as Related to Settlements of Buildings." 7<sup>th</sup> Rankine Lecture. Geotechnique, vol. 17, no. 2: 81-118.
- Wood, D.M. 1990. Soil Behavior & Critical State Soil Mechanics. Cambridge: Cambridge University Press.
- Randolph, M.F. 1994. "Design Methods for Pile Groups and Piled Rafts." XIII ICSMFE, New Delhi, India.
- Ladd, C.C. 1997. "Advanced Soil Mechanics." MIT School of Engineering, 1.361 Class Notes.
- Ladd, C.C. 1998. "Soil Behavior." MIT School of Engineering, 1.322 Class Notes.
- Whittle, A.J. 1997. "Advanced Geotechnical Engineering." MIT School of Engineering, 1.364 Class Notes.
- Finno, R.J. 1989. Predicted and Observed Axial Behavior of Piles. New York: ASCE.
- Davis, E.H., & Davis, H.G. 1980. *Pile Foundation Analysis and Design*. New York: John Wiley and Sons.

ASTM Standards in Building Codes, Vol 3 (969-D2940). Philadelphia: ASTM

# Appendix A

# Results of Field and Laboratory Tests

# Field Test Result

Log of Sample Boring	90
Cone Penetration Test	92
Piezocone Sounding	96
Field Vane Test	<b>98</b>
Dilatometer Test	<b>98</b>
	Log of Sample Boring Cone Penetration Test Piezocone Sounding Field Vane Test Dilatometer Test

# Laboratory Test Result

1)	Consolidation Test	100
2)	Unconsolidated Undrained Triaxial Compression Test	102
3)	Direct Shear Test	103
4)	CK₀U Triaxial Test	103

63	Northwestern University	AACHITECT	B-1 ENGINEER	
112 (	ASCE Ille Load Test		Associates	
SITELOCATION	orthweatern University Lakefill, Ivanat	ton, 1L	0.4	
	DESCRIPTION OF MATERIAL			
Ŝ₁ <sup>2</sup>	SURFACE ELEVATION		1	0 0 0 0 0 00
	dense - moist (FL-Fill)	- medium		
	Pine to medium send, trace gravel brown - very dense - molat (SP - P	- 11ght 111)		•
<u> </u>	Medium Band, trace gravel - light dense to medium dense - moist (SP	brown - - F111}		
31	Note:)" seam of gravel encountered	at 8·6-		1 0154
10 2 3 1	1			• • • · ·
8 5	Fine to medium sand, trace gravel brown - very dense - tolst (SF - F	- light 111)		
2 5 1	I			
22-1-5	Pine sand, trace silt, erganice -		·	
三日日	very dense - saturated (SP)			
	Silty elay, little gravel - brown - etiff (CI)	- medium '		
	Silty clay, little gravel, trace at brown - medium stiff (CI)	and -dark	9	
20	Silty clay, little gravel -brownial	h gray -	7	for a second
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22	<u>,</u>		4	¥
18 55	-			
19 51			<u> </u>	<i>x</i> ♦- △
			_ I I	<u> </u>

,	67	OWNER Borthwestern University	LOG OF BORING	NUMBER
		PROJECT NAME	ARCHITECT	OINEEA
	STS Carandaria List	ASCE Pile Load Test	F & 3 A310	CILLES
	SITELOCATION	rthwestern University Iskefill, Eva	naton, HL	0
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	E			
	E	DESCRIPTION OF MATERIA	4 5	
A			1	1
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80	13			
	24 57			
41	1 S .	-		
	2 29 32			3 4
	26 37			
		Silty clay, little gravel, trac	e sand -	
		brown and gray - modium stiff (	či)	
	28 51	Bilty clay, little gravel, tree	e eand -	
		aark brown and gray stirt (cl)	'	
	29 <b>3</b>			
	- 65			
	10 R			
	) - )) ST	-		
-6	.75		trace events	
	22 ST	dark brown - very stiff (Ci)		
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3		Borsholm grouted upon completion		
ALTRA GATER				
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### 3.0 DATA REDUCTION

Measured data consist of depth, time, cone and sleeve resistance, total load on penetrometer, pore pressure and penetrometer inclination. Data are recorded and plotted at 0.8 inch intervals, and are presented in Pigures 2 through 5. The following parameters were computed and are tabulated at 6 inch intervals in Tables 1 through 3 along with the measured data:

Priction ratio (%)

$$PR = fs/qc = 100;$$
 (Eq. 1)

Overburden normalized cone resistance

$$qc1 = qc(1,0-0.5*log(Sv'));$$
 (Eq. 2)

Total cone resistance

$$qt = qc + m1(1-Ar)U;$$
 (Eq. 3)

Effective cone resistance

Pore pressure ratio

$$Bq = (U-Uh)/(qt-Sv);$$
 (Eq. 5)

where:

i.

- fs is the measured sleeve resistance, in TSP;
- qc is the measured cone resistance. in TSP:
- Sv is the total vertical overburden pressure. In TSP;

m1 is a reduction factor to adjust pore pressures measured at the midheight of the cone tip, to those expected to act behind the cone tip; for soft to firm cohesive soils this factor is 0.75 for the STRATIORAPHICS piezocone;

(1-Ar) is the portion of the cone tip area over which fluid pressures reduce cone resistance below full total stresses, equal to 0.40 for the STRATIGRAPHICS plezocone;

U is the measured pore pressure, in TSF; and

Uh is the calculated hydrostatic pressure, in TSP.







# SI HA I IGHAPTIIUS THE GEOTECHNICAL DATA ACQUISITION CORP 430 TAYLOR AVENUE GLEN ELLYN, L. 40137

### PIEZOCONE PARAMETERS

108 NO: 108 NA1 50UND 11	: 15: 16 ND:	C88-03 NORTHWESTER NW18	N PILE LORO	TEST		WATER TABLE	: : 15 FT WT : 0.058	TCF
d DEPTH <del>a</del>	SV CALCULATED TOTAL OVERBURDEN PRESSURE	UH CALCULATED HYDROSTATIC PRESSURE	de MEASURED CONE RESISTANCE	U MEASURED PIEZOCONE PORE PRESSURE	AL CALCULATED TOTAL CONE RESISTANCE	GALCULATED EFFECTIVE CONE RESISTANCE	8q CALCULATED PORE PRESSURE RATIO	
(FT)	(TSF)	(TSF)	(TSF)	(TSF)	(TSF)	(TSF)		
~ E	A 03	0.00						
0.3	0.05	0.00						•
1.5	0.09	0.00			PREPUNCHED	TD 4 FT		
5.0	0.12	0.00						
2.0	0.14	0.00						
3.0	0.17	0.00						
3.5	0.20	0.00						
4.0	0.23	0.00	217.8	0.81	218.0	217.2	. 00	
4.5	0.26	0.00	240.5	0.21	240.5	240.3	. 00	
5.0	0,29	0.00	261.7	0.78	261.9	261.2	.00	
5.5	0.32	0.00	300.7	1.27	301.0	299.8	.00	
5.0	0.35	0.00	286.7	0.98	287.0	286.1	.00	
6.5	0.38	0.00	232.8	0.50	233.0	232.5	.00	
7.0	0.41	0.00	178.9	0.11	178.9	178.8	.00	
7.5	0.44	0.00	153.4	0.01	153.4	153.4	. 00	
8.0	0.47	0.00	133.4	-0.11	133.4	133.5	.00	
8.5	0.49	0.00	114.7	-0.08	114.7	114.8	. 00	
9.0	0.52	0.00	95.2	-0.08	95.2	95.3	. 00	
9.5	0.55	0.00	80.9	-0.12	80.9	81.0	.00	
10.0	0.58	0.00	56.6	-0.17	56.5	56.7	.00	
10.5	0.61	0.00	47.0	-0.12	46.9	47.1	.00	
11.0	0.64	0.00	36.4	-0.25	36.4	36.6	-0.01	
11.5	0.67	0.00	30.8	-0.25	30.7	31.0	-0.01	
12.0	0.70	0.00	32.4	-0.26	32.4	32.6	-0.01	
12.5	0.73	0.00	62.5	-0.19	82.4	82.6	.00	
13.0	0.75	0.00	112.5	0.11	112.5	112.4	. 00	
13.5	0.78	0.00	158.0	0.12	:56.0	157.9	. 00	
14.0	0.81	0.00	164.8	0.18	164.9	164.7	.00	
14.5	0.84	0.00	150.4	0.:5	:50.4	:50.3	.00	

\* NOTE: Data recorded and plotted at 0.06 ft intervals

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50UNO 11	NG NO:	NUIS					PAGE 2
đ	5~	Uh	qc	U	at	-	Bq
DEPTH	CALCULATED	CALCULATED	MEASURED	MEASURED	CALCULATED	CALCULATED	CALCULATED
	TOTAL	HYDROSTATIC	CONE	PIEZOCONE	TOTAL	EFFECTIVE	PORE
	OVERBURDEN	PRESSURE	RESISTANCE	PORE	CONE	CONE	PRESSURE
	PRESSURE			PRESSURE	RESISTANCE	RESISTANCE	RATIO
(FT)	(TSF)	(TSF)	(TSF)	(TSF)	(TSF)	(TSF)	
15.0	0.87	0.00	103.5	0.14	103.6	103.4	.00
15.5	0.90	0.01	151.8	0.10	121.8	121.7	. 00
16.0	0.93	0.03	102.8	0.17	102.8	102.7	. 00
16.3	0.96	0.05	130.9	0.18	130.9	130.7	. 00
17.0	0.98	0.05	118.8	0.19	118.9	118.7	. 00
17.5	1.01	0.08	124.7	0.05	124.7	124.5	. 00
18.0	1.04	0.09	133.9	0.19	134.0	:33.8	. 00
18.5	1.07	0.11	116.2	0.23	116.2	115.0	.00
19.0	1.10	0.12	84.9	0.21	84.9	84.7	.00
19.5	1.13	0.14	92.1	0.25	92.2	91.9	.00
20.0	1.16	0.18	121.6	0.27	121.7	121.4	. 00
20.5	1.19	0.17	127.5	0.55	127.7	127.2	. 00
21.0	1.22	0.19	145.2	1.01	146.5	147.5	0.01
21.3	1.25	0.20	196.6	0.84	196.8	196.0	.00
22.0	1.20	0.22	277.0	1.75	276.4	276.6	0.01
22.3	1.30	0.23	332.7	4.17	334.0	329.8	0.01
23.0	1.34	0.25	190.4	4.02	296.6	294.6	0.01
24 0	1.30	0.28	50.4	1.13	190.7	189.5	.00
24.5	1.33	0.30	33.0	0.31	53.7	33.4	.00
25.0	1.45	0.31	7.6	2.00	4.9	<b>4</b> -1	0.72
25.5	1.48	0.33	4.0	4 47	3.3	1.1	1.02
26.0	1 51	0.34		4 50	3.4	0.9	1.06
26.5	1.54	0.36	4 2	4 90	2.3	0.9	1.08
27.0	1 57	0 37	3 0	4 83	3.1	0.7	1.12
27.5	1.50	0.39	3.5	4.90	2.3	0.5	1.10
28.0	1.62	0 41	3.6	4 80	3.3	0.5	1.10
28.5	1.65	0.42	3.5	4 94	2.3	0.5	1.10
29.0	1 68	0.44	3.5	4 74	3.3	0.4	
29.5	1 71	0.45	3.0		3.0	0.2	1.30
30.0	1 74	0.47		5 36	3.1	0.5	1.20
30.5	1 77	0.48	5 0	3.23	5.8	0.5	1.19
31.0	1 80	0.50	11 1	4.00		3.7	0.84
31 6	1.00	0.50			12.3	0.3	0.33
32.0	1.03	0.51	10.1	3	10.3	9.7	0.01
32.0	1.00	0.33	5.5	3.01	<b>B</b> .0	5.0	0.41
33.0	1.09	0.55	0.0 5 =	3.72		4.0	0.54
33.6	1.91	0.50	5.5	3.35	6.5	3.0	0.64
33.3	1.94	0.50	5.6	4.20	5.9	2.7	0.73
34.0	1.97	0.39		4.48	5.8	1.3	1.03
34.3	2.00	0.81	4.5	4.90	5.9	1.0	1.09

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đ	S-	Uh	. 9 <b>c</b>	U	qt	90	8q
DEPTH	CALCULATED	CALCULATED	MEASURED	MEASURED	CALCULATED	CALCULATED	CHUCUU
	TOTAL	HYDROSTATIC	CONE	PIEZOCONE	TOTAL	EFFECTIVE	00565
	OVERBURDEN	PRESSURE	RESISTANCE	PORE	CONE	OFFICTONCE	DAT
	PRESSURE			VRESSURE	KESISINGE	(TSE)	-
(FT)	(757)	(TSF)	((5*)	(134)	(13+)		
35.0	2.03	0.63	4.5	5.09	5.1	1.0	
35.5	2.06	0.64	5.9	5.98	7.7	1.7	
36.0	2.09	0.66	5.6	5.78	7.3	1.3	
36.5	2.12	0.57	5.7	5.50	<u> </u>	1.0	
37.0	2.14	0.69	5.7	5.78	7.4		
37.5	2.17	. 0.70	5.8	5.8/	4.9	1.7	
38.0	2.20	0.72	5.9	6.01	<u></u>		
38.5	2.23	0.73	3.0	8.10		1.7	
39.0	2.26	0.75	0.3	a. 34	7.0		
39.5	2.29	0.75		6.11	7.3		
40.0	2.32	0.78	3.9	5.00	7 4	1.4	
40.5	2.35	0.79	3.0	6.00	7 2	1.1	
41.0	2.36	0.81	5.5	5 95	7.1	1.1	
41.5	2.41	0.84	5 4	6.00	7.2	1.2	
42.0	2.43	0.85	5.3	6.10	7.2	1.1	
42.5	2.40	0.87	5.4	6.13	7.3	1.2	2
43.0	2.43	0.89	5.3	5.89	7.0	1.2	2
43.5	2 55	0.91	5.4	6.33	7.3		)
44.0	2.55	0.92	5.3	5.99	7.1	1.1	
45.0	2 61	0.94	5.3	6.07	7.2	1.1	
45.0	2.64	0.95	5.4	5.18	6.9	1.8	)
45.0	2.67	0.97	5.5	6.13	1 7.3	1.2	2
46.5	2.70	0.98	5.7	6.31	7.6	. 1.3	3
47.0	2.73	1.00	5.8	6.52	2 7.8	1.3	
47.5	2.76	5 1.01	6.1	6.93	8.2	2 1.2	
48.0	2.78	3 1.03	6.1	6.89	9 8.2	1.3	5
48.5	2.81	1.05	6.1	6.99	8.2	1.4	5
49.0	2.84	. 1.06	5.9	6.90	5 5.0	) 1.1	
49.5	2.87	7 1.08	6.0	5.79	8.0		
50.0	2.90	.09	5.9	6.5	<u> </u>		
50.5	2.93	3 1.11	5.9	6.7	2 (		-
51.0	2.96	5 1.12	5.8	6.0			
51.5	2.99	1.14	6.2	6.6			5
52.0	3.02	2 1.15	5.9	5.8	. 8.0		-
52.5	3.0	5 1.17	5.9	0.0			
53.0	) 3.0	7 1.19	5.1	5.7	J 8.)		-
53.5	3.10	0 1.20	5.0	5.9			4
54.0	) 3.1	3 1.22	6.0	5.0			,
54 5	3.1	5 1.23	5.0	. 6.9	/ 8.1		•

SOUNDING NO:	NUIB		PAGE 4
d SV DEPTH CALCULATED TOTAL DVERBURDEN PRESSURE (FT) (TSF)	Uh qc CALCULATEL MEASURED HYDROSTATIC CONE PRESSURE RESISTANCE	U at MEASURED CALCULATED PIEZOCONE TOTAL PORE CONE PRESSURE RESISTANCE (TEE)	4+ 8q CALCULATED CALCULATED EFFECTIVE PORE CONE PRESSURE RESISTANCE RATIO
55.0       3.19         55.5       3.22         56.0       3.25         56.5       3.26         57.0       3.30         57.5       3.34	1.25 6.3 1.26 6.3 1.28 6.1 1.30 6.2 1.31 6.7 1.33 6.7	7.17 8.5 7.11 8.5 7.16 8.2 7.35 8.4 7.34 8.9 7.47 9.1	1.3 1.12 1.4 1.11 1.1 1.19 1.1 1.18 1.5 1.08
\$8.0       3.36         58.5       3.39         59.0       3.42         \$9.5       3.45         \$0.0       3.48         \$0.5       3.51         \$1.0       3.51	1.34 6.8 1.36 9.0 1.37 10.1 1.39 9.9 1.40 10.1 1.42 11.3 1.43 9.6	8.17 9.3 8.42 11.6 8.94 12.8 9.70 12.8 9.73 13.0 9.13 14.0 9.73 12.0	1.1 1,16 3.1 0.86 3.8 0.81 3.1 0.89 3.3 0.89 3.3 0.87 4.9 0.73
61.5         3.57           82.0         3.60           62.5         3.63           63.0         3.65           63.5         3.68           54.0         3.71	1.45 9.9 1.47 9.3 1.48 9.0 1.50 9.2 1.51 9.1 1.53 10.1	8.80 12.6 9.03 12.1 9.25 11.8 9.22 11.9 9.31 11.9 9.93 13.0	3.3 0.87 3.8 0.82 3.0 0.89 2.6 0.95 2.7 0.93 2.6 0.95 3.1 0.90
04.3         3.74           65.0         3.77           65.5         3.80           66.0         3.83           56.5         3.86           67.0         3.89           67.5         3.91	1.33 10.5 1.56 9.7 1.57 9.8 1.59 9.9 1.61 10.0 1.62 12.8 1.64 12.0	9.63 13.4 9.12 12.5 10.00 12.8 10.05 12.9 8.50 12.5 9.76 15.8 11.21 15.4	3.8 0.84 3.3 0.87 2.8 0.94 2.8 0.93 4.1 0.79 5.0 0.68
68.0         3.94           58.5         3.97           69.0         4.00           59.5         4.03           70.0         4.06           70.5         4.09	1.65 13.4 1.67 12.4 1.58 13.7 1.70 17.3 1.72 15.6 1.73 17.9	10.43 16.5 11.48 15.9 10.61 16.9 8.43 19.8 11.59 19.0 12.81 21.8	6.1 0.70 4.4 0.83 6.3 0.59 11.4 0.43 7.5 0.56 8.9 0.53
71.0         4.12           71.5         4.15           72.0         4.17           72.5         4.21           73.0         4.23           73.5         4.27           74.0         4.29	1.75 30.1 1.76 44.5 1.78 53.5 1.79 52.3 1.81 51.4 1.83 55.9 1.84 59.1	17.43 35.3 20.44 SC.6 23.24 60.5 21.29 58.7 21.90 57.9 26.90 64.9 25.55 66.8	17.9 0.50 30.2 0.40 37.3 0.38 37.4 0.36 35.0 0.37 38.0 0.41 41.2 0.38
74.5 4.32 75.0 4.75	1.85 60.7 1.87 61.7	24.56 68.1 18.93 67.4	43.5 0.36 48.5 0.27

### PROJECT: NORTHWESTERN UNIV. STS JOB NUMBER: P-4592 BORING NO. 2 OPERATOR: NHS DATE: 12-14-87

### VANE SHEAR RESULTS

DEPTH (meters)	DEPTH (feet)	Su (tsf)	Su (psf)	REMOLDED Su (tsf)	REMOLDED Su (psf)	SENSITIVITY
9.0	29.5	0.33	660	0.10	192	3.4
10.0	32.8	NO	READING,	POSSIBLE	COBBLE OR	GRAVEL
10.5	34.4	0.41	820	0.21	420	2.0
11.5	37.7	0.33	660	0.15	300	2.2
12.5	41.0	0.37	740	0.19	380	1.9
13.5	44.3	0.40	800	0.21	420	1.9
14.5	47.6	0.41	820	0.21	420	2.0
15.5	50.8	0.38	760	0.16	320	2.4
16.5	54.1	0.43	860	0.19	380	2.3
17.5	57.4	0.34	680	0.21	420	1.6
18.5	60.7	0.78	1560	0.45	900	1.7
19.5	64.0	0.71	1420	0.44	880	1.6
20.2	66.3	1.79	3580	0.63	1260	2.8
					_	

POSSIBLE GRAVEL AT 66 FEET

NORTHWESTERN UNIVERSITY FILE NAME: LAKE FRONT SITE FILE NUMBER: 1988-1

CALIBRATION INFORMATION:

(FT) (KG) (BAR) (BAR) (BAR)

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END OF SOLINDING

45.67

46.33

47.00

47.67

48.33

TEST NO. DHT-1

RECORD OF DILATOMETER TEST NO. DMT-1 (IN PMT BOREHOLE) USING DATA REDUCTION PROCEDURES IN MARCHETTI (ASCE, J-GED, MARCH 80) KO IN SANDS DETERMINED USING SCHMERTHANN METHOD (1983) PHI ANGLE CALCULATION BASED ON DURGUNOGLU AND WITCHELL (ASCE. RALEIGH CONF. JUNE 75) MODIFIED MAYNE AND KULHAWY FORMULA USED FOR OCR IN SANDS (ASCE, J-GED, JUNE 82)

PERFORMED - DATE: APRIL 30, 1988 BY: HORAD HANHOUD , HOODHARD CLYDE

1 BAR = 1.019 KG/CH2 = 1.044 TSF = 14.51 PSI

CONSULTUNTS AND DEG DRILLING

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LOCATION: PILE TEST LOCATION FOR ASCE CONGRESS

DA= .13 BARS DB= .32 BARS 2M= .20 BARS 2M= 5.00 METERS VSO= 2.500 BAR ROD DIA.= 3.70 CM FRICTION RED. DIA.= 4.80 CM ROD WEIGHT= 6.50 KG/M DELTA/PHI= .50

Z THRUST A B ED ID KO UD GUNNA SV PC OCR KO CU PHI N SOIL TYPE

(BAR) (T/H3) (BAR) (BAR)

-

 5.10
 6.20
 24.
 .16
 2.50
 .834
 1.70
 1.666
 2.36
 1.42
 .67
 .48

 5.20
 6.20
 20.
 .14
 2.53
 .854
 1.70
 1.660
 2.42
 1.44
 .68
 .50

 5.20
 6.40
 27.
 .19
 2.49
 .873
 1.70
 1.667
 2.39
 1.41
 .67
 .49

 5.40
 6.50
 24.
 .15
 2.58
 .893
 1.70
 1.707
 2.54
 1.49
 .69
 .52

 5.40
 6.50
 24.
 .16
 2.55
 .913
 1.70
 1.721
 2.51
 1.46
 .68
 .51

-

ANALYSIS USES H20 UNIT WEIGHT = 1,000 T/H3

-----

2.500 BARS

26.

22.

29.

26.

26.

-----

CLAY

CLAY

CLAY

CLAY

CLAY

(BAR) (DEG) (BAR)

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NONTIMESTERN UNIVERSITT FILE NAME: FILE CAPACETT PREDICTION EVENT FILE NAMER: 1988 2 IEST NJ. DHT 2

BECOMD OF DILATONETER TEST NO, ONT 2 (IN ONT SCINDING) USING DATA BEOUCTION PROCEDURES IN NACHETTI (ASCE,J GEJ,NARCH BO) 20 IN SANOS DETENTING USING SCHWEINAM METNOU (1983) PRE ANGLE CALONATION BASIS ON DURGENGUL AND METCHEL (ASCE,RALEIGH COMP.RME 73) MEDITION MATH AND DATAMUT FORMAN USID FOR OCH IN SANOS (ASCE,J GED,RME 82)

LOCATION: ON CAMPUS LARE FILL PILE TEST STEFON CONTAINS CONF. PERFORMED - DATE: NAT 14, 1988 BT: MURAD NAMELIO AND PSE (PROFESSIONAL SERVICE LIDUSTRIES)

CALIBRATION INFORMATION:

3 BAR + 1,019 KG/CH2 + 1,044 15F + 14,51 PSE ANALYSES USES N20 UNLE VELCHE + 1,000 E/H3

2 IM	aus r			10	10	Ð	UQ.	GANNUA	sv	ĸ	QL #	80	ເນ	PH1	×	SOIL TIPE
011 0	46)	(848)	(848)	(BAB)			(8A8)	(1/83)	(BAR)	(BAR)			(848)	(016)	(848)	
	••••	•••••	•••••	•••••	••••	•••••	•••••	•••••	•••••	•••••	•••••	•••••	••••	•••••	•••••	•••••
18 00		3.60	40.00	1311.	23.29	1.47	. 096	1.90	1.102						1115.	SA NO
19 00		3 60	40.00	1311.	23.77	1.41	. 111	1,90	1.131						1115.	SANG
20 00		1.80	9.00	247.	3.84	1.05	. 164	1.80	1.159						210.	\$ANG
21.00		2 10	22.00	710.	24.10	. <i>n</i>	. 194	1.60	1.185						644.	
22 00		4.10	40.00	1243.	18.48	1.04	.229	1.90	1.213						1216.	\$ A ND
23 00		5.20	40.00	1253.	11.51	2.52	. 262	2.00	1.245						1613.	SANG
24.00		\$ 50	40.00	1523.	11.43	5.12	. 294	\$.00	1.277						1594.	5440
25.00		4.00	\$.10	25.	. 20	1.75	.327	1.70	1.304	2.12	1 62	.12	.42		29.	CLAP
26 00		4.00	5.10	а.	. 21	1.4	. 360	1.70	1.328	2.07	1.56	.11	. 42		29.	CLAT
31.00		4 00	\$.00	21.	. 18	5.2	. 141	1.70	1.350	\$.02	1.50	. 69	.41		24.	CLAT
28 00		4 60	3.60	21.	. 15	2.96	.475	1.70	1 373	5.22	1.84	.78	.49		27.	CLAT
29 00		4.40	\$.80	34.	.21	2.73	.458	1.70	1.396	2.27	1 62	.71	.45		42.	CLAT
30.00		4.00	\$.00	21.	. 18	2.40	. 491	1.70	1.419	1.65	1.33	. 65	. 39		22.	CLA1
33.00		4.40	3.80	36.	.26	2.47	.589	1.70	1.488	2.07	1.39	. 67	.43		39.	CLAY
34.00		4 20	6.00	51.	. 43	2.27	. 621	1.70	1.511	1.84	1.22	. 62	. 39		\$0.	SILIT CLAT
35 00		4.70	5.40	- 11.	. US	2.58	. 635	1.50	1.531	2.28	1 49	. 69	. 46		12	m Q
36.00		4.40	5.40	21.	. 17	2.32	. 687	1.70	1.550	1.96	1.26	. 43	.41		22.	CLAT
37.00		4.80	\$.90	ъ.	. 18	2 52	.719	1.70	1.573	2.26	1.44	. 68	.46		27.	CLAF
38 00		4.90	5.90	21.	. 15	2.53	. /51	1.70	1.596	2.30	1.44	. 10	.47		23	<b>CLAT</b>
19.00		4.90	6.90	а.	. 18	2.47	.785	1.70	1.619	2.25	1.39	66	46		21.	CLAI
40.00		4.90	6.00	<b>8</b> .	. 18	2 4 2	.817	1.70	1.641	2 21	1.34	65	. 46		26.	C . AT
41 00		4.90	5.80	18.	. 13	2.37	. 851	1.70	1.605	2.17	1.30	. 64	. 45		18.	CLAT
42 00		4.90	5.40	3.	. 02	2.33	. 843	1.50	1.684	2.14	1.27	. 63	.45		,	m D
43 00		5 20	4.20	21.	. 15	2.45	.916	1.79	1.704	2.54	1.37	. 66			23.	<b>ELAT</b>
44.00		\$ 40	4 20	14.	09	2.52	94.9	1.70	1 121	2.14	1.43		51		15	CLAT.
45.00		\$ 10	4 20	14	09	2.17	98.1	1 20	1.750	2.43	1 10		50		15	CLAR
14.00			4 20				1 014	1.70	1 773	3.34						
			• 20		. 19	1.46		1.79	1.116	4.30	1.33		. • •		13.	CLAI CLAI
		3.40			. 13	4.34	1.047	1.70	1.796	1.11	1 30	. 64				LLAT
18.00		3.40	4.40	21.	. 15	2.32	1.079	1.70	1.818	1.19	1.26	. 63	.48		22.	CLAT
49.00		5.40	6.40	21.	. 15	2.21	1.112	1 70	1.841	2.24	1 22	. 61	.47		21.	<b>CLAT</b>

### END OF SOUNDING

#### <u>Symbols:</u>

DA	Free air correction to the "A" reading in bars.
DB	Free air correction to the "B" reading in bars.
2M	Control unit reading when system is vented (gage zero) in
	bars.
2W	Depth to ground water table in meters.
vso	Total vertical overburden stress at depth of first test
	reading.
2(1)	Test reading depth in ft.
A	Control unit "A" reading in bars.
в	Control unit "B" reading in bars.
Thrust(I)	Thrust force required to advance dilatometer from previous to
	current test reading.
UO	Pore water pressure in bars .
ED	Dilatometers modulus.
ID	Dilatometer material index.
KD	Dilatometer horizontal stress index
GAMMA	Total unit weight of soil.
sv	Effective vertical stress.
PC	Preconsolidation pressure.
OCR	Overconsolidation ratio .
ко	In situ coefficient of lateral earth pressure.
CU	Undrained shear strength.
Phi	The soil's drained friction angle.
н	Tangent drained constrained modulus,

	SAN	IPLE 15	SAN	IPLE 16	SAI	MPLE 17	S	AMPLE 18
Load (t/ft <sup>2</sup> )	<sup>e</sup> vert. (%)	C <sub>v</sub> x10 <sup>-4</sup> cm <sup>2</sup> /sec	€ <sub>vert.</sub> (%)	C <sub>v</sub> x10 <sup>-4</sup> cm <sup>2</sup> /sec	$\epsilon_{vert.}$	C <sub>v</sub> x10 <sup>-4</sup> cm <sup>2</sup> /sec	€ <sub>vert.</sub> (%)	C <sub>v</sub> x10 <sup>-4</sup> cm <sup>2</sup> /sec
1/16 1/8 1/4 1/2 1 2 4 8 16 4 1 1/2	0.8 1.3 1.9 3.2 4.7 6.6 8.7 11.4 10.0 8.3 9.2	4.35 1.47 0.96 3.60 4.36 8.04 28.9 16.5 26.5 3.70 25.3	0.5 0.9 1.5 2.5 3.8 5.9 9.0 12.3 15.7 14.6 12.9	5.69 4.47 2.96 4.34 0.78 5.07 7.15 11.8 16.7 5.79	0.8 1.1 1.8 2.8 3.8 6.0 8.7 11.2	7.54 1.40 1.85 1.45 1.94 5.21 10.7 7.3 23.2 3.52 3.52	1.0 1.3 1.9 2.9 4.5 6.6 8.7 11.2 14.0 13.1 12.6	2.38 1.49 1.70 1.55 2.10 5.06 4.81 8.30 14.3 31.5 6.26
2 4 8 16 32	9.2 10.0 10.9 11.9 13.7 16.1	37.3 45.7 58.9 69.4 220.0	13.3 14.0 15.0 16.4 19.4	15.0 21.3 24.5 36.0 17.8	9.9 10.2 10.7 11.6 14.1 17.2	31.1 23.2 36.7 45.1 23.5 30.7	12.8 13.3 14.1 15.5 18.3	13.5 18.2 26.1 30.1 21.1

## CONSOLIDATION TEST DATA

CONSOLIDATION TEST DATA

	SAN	APLE 19	SAN	IPLE 20	SĀI	MPLE 21	SAMPLE 22	
Load	€ <sub>vert.</sub>	C	€ <sub>vert.</sub>	C,	E <sub>vert.</sub>	C,	€ <sub>vert.</sub>	C,
(t/ft²)	(%)	x10 <sup>-4</sup> cm <sup>2</sup> /sec						
1/16	0.5	0.31	0.7	1.51	0.9	3.73	0.3	5.72
1/8	0.8	0.87	1.0	0.75	1.3	5.85	0.3	1.14
1/4	1.4	0.80	1.8	1.48	2.4	4.26	1.2	0.98
1/2	2.3	3.43	3.0	2.31	3.4	5.33	2.6	2.73
ĺ	3.9	8.22	4.6	2.62	5.0	8.61	4.8	4 11
2	6.0	7.31	6.9	5 59	6.0	14.4	6.9	5 57
ļ	8.8	8.38	9.8	8.59	*10.0	10.9	11.7	173
3	11.9	10.0	13.1	13.5	12.7	6 72	13.5	10.2
6	15.1	16.8	16.7	14.0	16.0	8 11	16.0	10.9
1	14.2	33.8	15.8	23.2	15.4	26.7	15.4	26.4
l	12.8	4.71	14.2	7.67	11.3	2 55	14 7	5.65
1/2				,		2.03	14.2	5.05
,	13.0	21.7	14.5	14.0	128	5 79	14 3	13.0
	13.6	26.4	15 1	18.4	14.2	15 3	14.0	19.6
3	14.4	33.8	16.0	40.6	15.4	29.8	15.5	14.6
6	15.6	35.1	17.3	74.7	16.9	26.5	16.7	8 01
32	18.2	15.5	20.2	20.6	19.6	18.7	19.1	16.6
• 5 tsf								

	SAN	APLE 23	SAN	1PLE 24	SAI	MPLE 25	S	AMPLE 26
Load (t/ft <sup>2</sup> )	<sup>€</sup> vert. (%)	C <sub>v</sub> x10 <sup>-4</sup> cm <sup>2</sup> /sec	<sup>€</sup> vert. (%)	C <sub>v</sub> x10 <sup>-4</sup> cm <sup>2</sup> /sec	$\epsilon_{vert.}$ (%)	C <sub>v</sub> x10 <sup>-4</sup> cm <sup>2</sup> /sec	€ <sub>vert.</sub> (%)	C <sub>v</sub> x10 <sup>-4</sup> cm <sup>2</sup> /sec
1/16 1/8 1/4 1/2 1 2 4 8 16 4 1 1/2	1.6 2.5 3.4 4.9 6.5 8.4 10.7 13.1 15.7 15.1 14.0	1.71 1.56 2.34 2.32 3.60 4.84 5.43 7.44 11.0 28.6 5.15	1.3 1.8 2.8 4.0 5.7 7.9 10.5 13.4 16.4 15.5 14.1	2.12 0.37 2.37 2.19 5.10 2.55 6.82 12.3 16.8 25.0 5.25	0.5 0.8 1.2 2.0 3.3 5.3 8.3 11.7 15.4 14.3 12.9	0.30 1.12 2.53 4.07 2.67 5.71 5.23 7.19 6.60 20.4 6.90	0.7 1.2 1.7 2.9 4.5 6.8 9.9 13.2 16.5 15.7 14.3	3.00 6.96 3.68 1.30 4.45 4.34 5.65 7.20 12.9 24.9 5.86
1 2 4 8 16 32	14.1 14.6 15.2 16.2 18.5	9.68 28.0 33.1 37.8 19.3	14.4 14.9 15.8 16.9 19.9	23.2 27.5 32.5 39.6 20.0	13.1 13.7 14.6 16.0 19.6	24.6 18.5 20.8 43.8 20.2	14.6 15.2 15.9 17.1 20.3	15.1 25.3 23.1 33.6 16.3

### CONSOLIDATION TEST DATA

CONSOLIDATION TEST DATA

.

	SAN	APLE 27	SAN	IPLE 28	SA	MPLE 29	S	AMPLE 30
Load	€ vert.	C,	Evert.	C,	E vert.	C,	£	C,
$(t/ft^2)$	(%)	x10 <sup>-4</sup> cm <sup>2</sup> /sec	(%)	x10 <sup>-4</sup> cm <sup>2</sup> /sec	(%)	x10 <sup>-4</sup> cm <sup>2</sup> /sec	(%)	$x10^{-4}$ cm <sup>2</sup> /sec
1/16								,
1/8	0.7	3.04	0.7	10.2	0.7	3 75	16	2 10
1/4	1.2	2.38	1.2	•	1_3	1 48		1.87
1/2	2.1	5.35	2.2	6.63	2.3	3.12	31	27
1	3.4	5.34	3.7	17.7	37	4.83	41	6 38
2	5.1	5.42	5.9	5.97	5.5	4.88	5.6	5.87
4	7.5	4.91	9.0	6.57	8.0	5.54	74	6.54
3	10.5	7.10	12.6	8.01	10.9	7.04	9.4	11 1
16	13.8	8.59	16.0	12.5	14.1	10.0	11.8	26.4
32	17.2	10.2	20.0	13.8	17.6	13.6	14.3	20.4
3	16.1	17.8	18.1	24.9	16.3	24.2	13.6	20.2
2	14.2	5.07	17.1	5.58	14.4	5 05	17.1	6.47
4	14.6	15.9	17.4	15.6	14.8	23.7	12.6	19.4
3	15.4	14.9	18.2	19.6	15.6	14.2	13.1	25.3
16	16.0	23.5	19.2	24.9	16.7	26.5	13.8	17.5
32	18.0	23.8	20.7	28.9	18.3	31.4	14.8	39.6
a .	21.1	167	24.0	17.6	21.2	10.1	17.0	59.0

Note New Loads

	SAN	APLE 31	SA.	MPLE	SAMPLE SAMPLE			
Load	Evert.	C <sub>v</sub>	Evert.	C,	Event.	C,	Evert.	C,
(t/ft²)	(%)	x10 <sup>-cm<sup>2</sup>/sec</sup>	(%)	x10 cm <sup>-</sup> /sec	(%)	x10 °cm²/sec	(%)	x10 <sup>-</sup> cm <sup>2</sup> /sec
1/16								
1/8	0.9	8.65						
1/4	1.6	2.50						
1/2	2.7	8.14						
1	4.0	7.13						
2	5.8	10.3						
4	7.9	6.58						
8	10.0	9.44						
16	12.2	14.4						
32	14.6	18.0						
8	13.9	38.1						
2	12.8	7.63						
4	13.1	34.3						
8	13.5	38.5						
16	14.1	45.1						
32	15.0	48.0						
64	17.2	21.7						

## CONSOLIDATION TEST DATA

• Note New Loads

LINCONSOLIDATED - L'INDRAINED TRIAXIAL
COMPRESSION TEST DATA

 SAMPLE No.	DEPTH (ft)	$\frac{\binom{\sigma_1 - \sigma_3}{2}}{(16/\text{ft}^2)}$	(1) (%)	ε <sub>503</sub> (2) (%)	Соттепь
15	29.5	532	8.88	1.58	
16	32.0	840	6.83	1.74	
17	34.5	604	16.07	2.38	Bulge Failure
18	37.0	532	11.74	1.95	·
19	39.5	625	8.77	1.69	
20	42.0	604	8.33	2.22	
21	44.5	502	8.33	1.48	
22	47.0	573	13.53	2.94	Bulge Failure
25	54.5	522	1.18		

(1) Axial Strain at  $(\sigma_1 - \sigma_3)$  peak

(2) Axial Strain at  $1/2(\sigma_1 - \sigma_3)$  peak



Summary of CK<sub>o</sub>U Triaxial Data

	Compression	Extension
σ' <sub>vc</sub>	138 kPa	132 kPa
К。	0.5	0.5
S <sub>u</sub>	40.5 kPa	30.5 kPa
Su/ơ' <sub>ve</sub>	0.33	0.23
E <sub>u</sub> (initial)	4200 kPa	21,900 kPa
E(50)	1290 kPa	10,700 kPa
E <sub>(peak)</sub>	410 kPa	750 kPa

<u>NQTE</u>:  $E_u(initial)$  was taken as secant modulus at 0.05% strain.  $E_{(50)}$  and  $E_{(peak)}$  are also secant moduli.

NOTES : 1. Last consolidation increment held for 24 hours. 2. Rate of horizontal displacement varied from 0.002 to 0.003 mm/min. 3. Specimens taken from tube 19.

RESULTS OF DIRECT SHEAR TESTS

# Appendix **B**

Soil Properties Calculation for NGES at Northwestern University

- 1) Vertical Hydraulic Conductivity 105
- 2) Internal Friction Angle for Sand

121

Sample '	15	e <sub>o</sub> :	0.6		Depth: 2	9.5ft		
Load	Load	٤ <sub>vert</sub>	$\Delta \epsilon_{vert}$	е	Cv	Cv	m <sub>v</sub>	k <sub>v</sub>
(t/ft <sup>2</sup> )	(k/ft <sup>2</sup> )	(%)	(%)		*10 <sup>-4</sup> cm²/s	ft²/day	(ft²/k)	(ft/day)
0.0625	0.125	0.8	0.8	0.5872	4.35	0.014	0.064	5.46E-05
0.125	0.25	1.3	0.5	0.5792	1.47	0.014	0.040	3.41E-05
0.25	0.5	1.9	0.6	0.5696	0.96	0.009	0.024	1.34E-05
0.5	1	3.2	1.3	0.5488	3.6	0.033	0.026	5.43E-05
1	2	4.7	1.5	0.5248	4.36	0.041	0.015	3.80E-05
2	4	6.6	1.9	0.4944	8.04	0.075	0.010	4.43E-05
4	8	8.7	2.1	0.4608	28.9	0.269	0.005	8.80E-05
8	16	11.4	2.7	0.41/6	16.5	0.153	0.003	3.23E-05
16	32	\	\			\ \	\	
4	0	10	1	\	26.5	0.246		
0.5		10	17	0.44	20.5	0.240	0.017	2 655 05
0.5	2	0.3	-1.7	0.4072	25.2	0.034		1 32E 04
2	2	9.2	0.9	0.4320	23.3	0.233	0.009	8.66E-05
4		10 9	0.0	0.4256	45.7	0.347	0.004	5.00E-05
8	16	10.0	1	0 4096	58.9	0.548	0.002	4 27E-05
16	32	13.7	1.8	0.3808	69.4	0.645	0.001	4.53E-05
32	64	16.1	4.2	0.3424	220	2.046	0.001	1.12E-04
	•	•	:/				6 Estimated	Kv line
		•/					<ul> <li>Virgin Loa</li> <li>Unloading</li> <li>Reloading</li> </ul>	
Û	/			Δ		0.	3—	
							2	
0.0	0001		0 <b>K<sub>v</sub> (</b>	.00010 ( <b>ft<sup>2</sup>/day)</b>		0	0	



Sample <sup>•</sup>	17	e <sub>o</sub> :	0.63		Depth: 34	4.5ft		
Load	Load	٤ <sub>vert</sub>	$\Delta \epsilon_{vert}$	е	C,	C <sub>v</sub>	m <sub>v</sub>	k <sub>v</sub>
(t/ft <sup>2</sup> )	(k/ft <sup>2</sup> )	(%)	(%)		*10 <sup>-4</sup> cm <sup>2</sup> /s	ft²/day	(ft²/k)	(ft/day)
0.0625	0.125	0.8	0.8	0.61696	7.54	0.014	0.064	0.000
0.125	0.25	1.1	0.3	0.61207	1.4	0.013	0.024	0.00002
0.25	0.5	1.8	0.7	0.60066	1.45	0.013	0.028	0.00002
0.5	1	2.8	1	0.58436	1.94	0.018	0.020	0.00002
1	2	3.8	1	0.56806	1.94	0.018	0.010	0.00001
2	4	6	2.2	0.5322	5.21	0.048	0.011	0.00003
4	8	8.7	2.7	0.48819	10.7	0.100	0.007	0.00004
8	16	11.2	2.5	0.44744	7.3	0.068	0.003	0.00001
16	32	\	\	۸	\	\	1	\
4	8	\	\	\	\	\	1	\
1	2	10.1	\	0.46537	23.2	0.216	\	\
0.5	1	9.8	-0.3	0.47026	3.52	0.033	0.003	0.00001
1	2	9.9	0.1	0.46863	31.1	0.289	0.001	0.00002
2	4	10.2	0.3	0.463/4	23.2	0.216	0.001	0.00002
4	8	10.7	0.5	0.45559	36.7	0.341	0.001	0.00003
8	10	11.0	0.9	0.44092	45.1	0.419	0.001	0.00003
10	32	14.1	2.5	0.40017	23.5	0.219	0.002	0.00002
υ 0.6 0.6 0.5 0.5 0.4 Δ				<ul> <li>♦ Virgin</li> <li>■ Unloar</li> <li>▲ Reloar</li> <li>■ Estim</li> </ul>	Loading ding ding			
						0.3		
0.00	0000	0.0	00001 K <sub>v</sub> (	0.0 <b>ft<sup>2</sup>/day)</b>	00010	0.0	00100	

Sample	18	e <sub>o</sub> :	0.62		Depth: 3	7ft		
Load	Load	€ <sub>vert</sub>	$\Delta \epsilon_{\text{vert}}$	е	Cv	Cv	m <sub>v</sub>	k <sub>v</sub>
(t/ft <sup>2</sup> )	(k/ft <sup>2</sup> )	(%)	(%)		*10 <sup>-4</sup> cm <sup>2</sup> /s	ft²/day	(ft²/k)	(ft/day)
0.0625	0.125	1	1	0.6038	2.38	0.022	0.080	1.10E-04
0.125	0.25	1.3	0.3	0.59894	1.49	0.014	0.024	2.08E-05
0.25	0.5	1.9	0.6	0.58922	1.7	0.016	0.024	2.37E-05
0.5	1	2.9	1	0.57302	1.55	0.014	0.020	1.80E-05
1	2	4.5	1.6	0.5471	2.1	0.020	0.016	1.95E-05
2	4	6.6	2.1	0.51308	5.06	0.047	0.011	3.08E-05
4	8	8.7	2.1	0.47906	4.81	0.045	0.005	1.47E-05
8	16	11.2	2.5	0.43856	8.3	0.077	0.003	1.51E-05
16	32	14	2.8	0.3932	14.3	0.133	0.002	1.45E-05
4	8	13.1	-0.9	0.40778	31.5	0.293	0.000	6.86E-06
1	2	12.6	-0.5	0.41588	6.26	0.058	0.001	3.03E-06
0.5	1	١	١	١	\	١	۱	١
1	2	١	١	١	١	١	۱	\
2	4	12.8	١	0.41264	13.5	0.126	۱	/
4	8	13.3	0.5	0.40454	18.2	0.169	0.001	1.32E-05
8	16	14.1	0.8	0.39158	26.1	0.243	0.001	1.51E-05
16	32	15.5	1.4	0.3689	30.1	0.280	0.001	1.53E-05
32	64	18.3	4.2	0.32354	21.1	0.196	0.001	1.61E-05


ample '	19	e <sub>o</sub> :	0.6		Depth: 3	9.5ft		
Load	Load	<sup>€</sup> vert	$\Delta \epsilon_{vert}$	е	Cv	Cv	m <sub>v</sub>	k <sub>v</sub>
(t/ft <sup>2</sup> )	(k/ft <sup>2</sup> )	(%)	(%)		*10 <sup>-4</sup> cm²/s	ft²/day	(ft²/k)	(ft/day)
0.0625	0.125	0.5	0.5	0.592	0.31	0.003	0.040	7.20E-0
0.125	0.25	0.8	0.3	0.5872	0.87	0.008	0.024	1.21E-0
0.25	0.5	1.4	0.6	0.5776	0.8	0.007	0.024	1.11E-0
0.5	1	2.3	0.9	0.5632	3.43	0.032	0.018	3.58E-0
1	2	3.9	1.6	0.5376	8.22	0.076	0.016	7.63E-0
2	4	6	2.1	0.504	7.31	0.068	0.011	4.45E-0
4	8	8.8	2.8	0.4592	8.38	0.078	0.007	3.40E-0
8	16	11.9	3.1	0.4096	10	0.093	0.004	2.25E-0
16	32	15.1	3.2	0.3584	16.8	0.156	0.002	1.95E-0
4	8	14.2	-0.9	0.3728	33.8	0.314	0.000	7.36E-0
1	2	12.8	-1.4	0.3952	4.71	0.044	0.002	6.38E-0
0.5	1	١	١	١	١	١	١	١
1	2	\ \	١	١	١	١	١	١
2	4	13	۱	0.392	21.7	0.202	١	١
4	8	13.6	0.6	0.3824	26.4	0.246	0.002	2.30E-0
8	16	14.4	0.8	0.3696	33.8	0.314	0.001	1.96E-0
16	32	15.6	1.2	0.3504	35.1	0.326	0.001	1.53E-0
32	64	18.2	3.8	0.3088	15.5	0.144	0.001	1.07E-0









Sample	23	e <sub>o</sub> :	0.6		Depth: 4	9.5ft		
Load	Load	٤ <sub>vert</sub>	$\Delta \epsilon_{vert}$	е	Cv	Cv	m <sub>v</sub>	k <sub>v</sub>
(t/ft <sup>2</sup> )	(k/ft <sup>2</sup> )	(%)	(%)		*10 <sup>-4</sup> cm²/s	ft²/day	(ft²/k)	(ft/day)
0.0625	0.125	1.6	1.6	0.5744	1.71	0.016	0.128	1.27E-04
0.125	0.25	2.5	0.9	0.56	1.56	0.015	0.072	6.52E-05
0.25	0.5	3.4	0.9	0.5456	2.34	0.022	0.036	4.89E-05
0.5	1	4.9	1.5	0.5216	2.32	0.022	0.030	4.04E-05
1	2	6.5	1.6	0.496	3.6	0.033	0.016	3.34E-05
2	4	8.4	1.9	0.4656	4.84	0.045	0.010	2.67E-05
4	8	10.7	2.3	0.4288	5.43	0.050	0.006	1.81E-05
8	16	13.1	2.4	0.3904	7.44	0.069	0.003	1.30E-05
16	32	15.7	2.6	0.3488	11	0.102	0.002	1.04E-05
4	8	15.1	-0.6	0.3584	28.6	0.266	0.000	4.15E-06
1	2	14	-1.1	0.376	5.15	0.048	0.002	5.48E-06
0.5	1	١	١	١	١	١	۱	١
1	2	۱	١.	١	١	١	١	١
2	4	14.1	١	0.3744	9.68	0.090	١	١
4	8	14.6	0.5	0.3664	28	0.260	0.001	2.03E-05
8	16	15.2	0.6	0.3568	33.1	0.308	0.001	1.44E-05
16	32	16.2	1	0.3408	37.8	0.352	0.001	1.37E-05
32	64	18.5	3.3	0.304	19.3	0.179	0.001	1.16E-05



Sample 2	24	e <sub>o</sub> :	0.61		Depth: 52	2ft			
Load	Load	٤ <sub>vert</sub>	$\Delta \epsilon_{\text{vert}}$	е	Cv	Cv	m <sub>v</sub>	k,	
$(t/ft^2)$	(k/ft <sup>2</sup> )	(%)	(%)		*10 <sup>-4</sup> cm <sup>2</sup> /s	ft²/day	(ft²/k)	(ft/day)	
0.0625	0.125	1.3	1.3	0.58907	2.12	0.020	0.104	1.28E-04	
0.125	0.25	1.8	0.5	0.58102	0.37	0.003	0.040	8.59E-06	
0.25	0.5	2.8	1	0.56492	2.37	0.022	0.040	5.50E-05	
0.5	1	4	1.2	0.5456	2.19	0.020	0.024	3.05E-05	
1	2	5.7	1.7	0.51823	5.1	0.047	0.017	5.03E-05	
2	4	7.9	2.2	0.48281	2.55	0.024	0.011	1.63E-05	
4	8	10.5	2.6	0.44095	6.82	0.063	0.007	2.57E-05	
8	16	13.4	2.9	0.39426	12.3	0.114	0.004	2.59E-05	
16	32	16.4	3	0.34596	16.8	0.156	0.002	1.83E-05	
4	8	15.5	-0.9	0.36045	25	0.233	0.000	5.44E-06	
1	2	14.1	-1.4	0.38299	5.25	0.049	0.002	/.11E-06	
0.5	ן ר	1	1	\ <u>`</u>		<u> </u>			
2	<u> </u>	14.4	1	0 27916	22.2	0.216	\\		
<u> </u>	8	14.4	0.5	0.37010	23.2	0.210	0.001		
	16	15.8	0.0	0.37011	32.5	0.200	0.001	2 12 5	
16	32	16.9	1 1	0.33791	39.6	0.302	0.001	1.58E-05	
32	64	19.9	<u> </u>	0.28961	20	0.000	0.001	1.30E-05	
0		•		/:	•	0.5	<ul> <li>♦ Virgin</li> <li>■ Unloa</li> <li>▲ Reloa</li> <li>Estima</li> </ul>	Loading ding ding ated Kv Line	
	/					0.2			
0.00000	)	0.000	01	0.0001	0	0.001	00		
-			K <sub>v</sub> (ft²/	day)					



Sample 2	26	e <sub>o</sub> :	0.65		Depth: 57	7ft		
Load	Load	٤ <sub>vert</sub>	$\Delta \epsilon_{\text{vert}}$	е	Cv	C <sub>v</sub>	m <sub>v</sub>	k,
(t/ft <sup>2</sup> )	$(k/ft^2)$	(%)	(%)		*10 <sup>-4</sup> cm <sup>2</sup> /s	ft²/day	(ft²/k)	(ft/day)
0.0625	0.125	0.7	0.7	0.63845	3	0.028	0.056	9.75E-05
0.125	0.25	1.2	0.5	0.6302	6.96	0.065	0.040	1.62E-04
0.25	0.5	1.7	0.5	0.62195	3.68	0.034	0.020	4.27E-05
0.5	1	2.9	1.2	0.60215	1.3	0.012	0.024	1.81E-05
1	2	4.5	1.6	0.57575	4.45	0.041	0.016	4.13E-05
2	4	6.8	2.3	0.5378	4.34	0.040	0.012	2.90E-05
4	8	9.9	3.1	0.48665	5.65	0.053	0.008	2.54E-05
8	16	13.2	3.3	0.4322	1.2	0.067	0.004	1.72E-05
10	32	10.0	3.3	0.37775	12.9	0.120	0.002	1.54E-05
4	0	10.7	-0.0	0.39095	24.9	0.232	0.000	4.02E-00
0.5	1	14.5	-1.4	0.41405	5.60	1.054	0.002	1.93E-00
1	2	1	1		<u> </u>	<u> </u>		
2	4	14.6	1	0 4091	15.1	0 140		
4	8	15.2	0.6	0.3992	25.3	0.140	0.002	2 20F-05
8	16	15.9	0.7	0.38765	23.1	0.215	0.001	1.17E-05
16	32	17.1	1.2	0.36785	33.6	0.312	0.001	1.46E-05
32	64	20.3	4.4	0.31505	16.3	0.152	0.001	1.30E-05
<b>a</b>					•	0.6 0.5 0.4 	<ul> <li>♦ Virgin</li> <li>■ Unload</li> <li>▲ Reload</li> <li>Estimation</li> </ul>	Loading ling ling lited Kv Line
0.00000	)	0.00001	2	0.0001(	0	0.1 0 0.0010	00	
			K <sub>v</sub> (ft²/	day)				

Sample	27	e <sub>o</sub> :	0.61		Depth: 5	9.5ft		
Load	Load	<sup>€</sup> vert	$\Delta \epsilon_{vert}$	е	Cv	C,	m <sub>v</sub>	k <sub>v</sub>
(t/ft <sup>2</sup> )	$(k/ft^2)$	(%)	(%)		*10 <sup>-4</sup> cm <sup>2</sup> /s	ft²/day	(ft²/k)	(ft/day)
0.0625	0.125							
0.125	0.25	0.7	0.7	0.59873	3.04	0.028	0.056	9.88E-05
0.25	0.5	1.2	0.5	0.59068	2.38	0.022	0.020	2.76E-05
0.5	1	2.1	0.9	0.57619	5.35	0.050	0.018	5.59E-05
1	2	3.4	1.3	0.55526	5.34	0.050	0.013	4.03E-05
2	4	5.1	1.7	0.52789	5.42	0.050	0.009	2.67E-05
4	8	7.5	2.4	0.48925	4.91	0.046	0.006	1.71E-05
8	16	10.5	3	0.44095	7.1	0.066	0.004	1.55E-05
16	32	13.8	3.3	0.38782	8.59	0.080	0.002	1.03E-05
32	64	17.2	3.4	0.33308	10.2	0.095	0.001	6.29E-06
8	16	16.1	-1.1	0.35079	17.8	0.166	0.000	2.37E-06
2	4	14.2	-1.9	0.38138	5.07	0.047	0.002	4.66E-06
4	8	14.6	0.4	0.37494	15.9	0.148	0.001	9.23E-06
8	16	15.4	0.8	0.36206	14.9	0.139	0.001	8.65E-06
16	32	16	0.6	0.3524	23.5	0.219	0.000	5.11E-06
32	64	18	2	0.3202	23.8	0.221	0.001	8.63E-06
64	128	21.1	3.1	0.27029	16.7	0.155	0.000	4.69E-06



Sample 2	28	e <sub>o</sub> :	0.64		Depth: 62	2ft		
Load	Load	<sup>€</sup> vert	$\Delta \epsilon_{vert}$	е	Cv	Cv	m <sub>v</sub>	k <sub>v</sub>
(t/ft <sup>2</sup> )	(k/ft <sup>2</sup> )	(%)	(%)		*10 <sup>-4</sup> cm <sup>2</sup> /s	ft²/day	(ft²/k)	(ft/day)
0.0625	0.125	0						
0.125	0.25	0.7	0.7	0.62852	10.2	0.095	0.056	3.31E-04
0.25	0.5	1.2	0.5	0.62032	\	١	0.020	١
0.5	1	2.2	1	0.60392	6.63	0.062	0.020	7.70E-05
1	2	3.7	1.5	0.57932	17.7	0.165	0.015	1.54E-04
2	4	5.9	2.2	0.54324	5.97	0.056	0.011	3.81E-05
4	8	9	3.1	0.4924	6.57	0.061	0.008	2.95E-05
8	16	12.6	3.6	0.43336	8.01	0.074	0.005	2.09E-05
16	32	16	3.4	0.3776	12.5	0.116	0.002	1.54E-05
32	64	20	4	0.312	13.8	0.128	0.001	1.00E-05
8	16	18.1	-1.9	0.34316	24.9	0.232	0.000	5.72E-06
2	4	17.1	-1	0.35956	5.58	0.052	0.001	2.70E-06
4	8	1/.4	0.3	0.35464	15.6	0.145	0.001	6.79E-06
8	16	18.2	0.8	0.34152	19.6	0.182	0.001	1.14E-05
10	32	19.2	4 5	0.32512	24.9	0.232	0.001	9.03E-06
5Z 64	128	20.7	1.0	0.30052	20.9	0.209	0.000	7.00E-00
0	•				•	0.6 	<ul> <li>♦ Virgin</li> <li>■ Unload</li> <li>▲ Reload</li> <li>■ Estimation</li> </ul>	Loading ding ding ated Kv Line
	/					0.2 0.1		
0.0000					•	0		
0.00000	)	0.0000		0.0001	U	0.0010	0	
			K <sub>v</sub> (ft2/	day)				

Sample	29	e <sub>o</sub> :	0.63		Depth: 64	4.5ft		
Load	Load	<sup>€</sup> vert	$\Delta \epsilon_{\text{vert}}$	е	Cv	C,	m <sub>v</sub>	k <sub>v</sub>
(t/ft <sup>2</sup> )	(k/ft <sup>2</sup> )	(%)	(%)		*10 <sup>-4</sup> cm <sup>2</sup> /s	ft²/day	(ft²/k)	(ft/day)
0.0625	0.125	0						
0.125	0.25	0.7	0.7	0.61859	3.75	0.035	0.056	1.22E-04
0.25	0.5	1.3	0.6	0.60881	1.48	0.014	0.024	2.06E-05
0.5	1	2.3	1	0.59251	3.12	0.029	0.020	3.62E-05
1	2	3.7	1.4	0.56969	4.83	0.045	0.014	3.92E-05
2	4	5.5	1.8	0.54035	4.88	0.045	0.009	2.55E-05
4	8	8	2.5	0.4996	5.54	0.052	0.006	2.01E-05
8	16	10.9	2.9	0.45233	7.04	0.065	0.004	1.48E-05
16	32	14.1	3.2	0.40017	10	0.093	0.002	1.16E-05
32	64	17.6	3.5	0.34312	13.6	0.126	0.001	8.63E-06
8	16	16.3	-1.3	0.36431	24.2	0.225	0.000	3.80E-06
2	4	14.4	-1.9	0.39528	5.95	0.055	0.002	5.47E-06
4	8	14.8	0.4	0.38876	23.7	0.220	0.001	1.38E-05
8	16	15.6	0.8	0.37572	14.2	0.132	0.001	8.24E-06
16	32	16.7	1.1	0.35779	26.5	0.246	0.001	1.06E-05
32	64	18.3	1.6	0.33171	31.4	0.292	0.001	9.11E-06
64	128	21.3	3	0.28281	19.1	0.178	0.000	5.20E-06



Sample :	30	e <sub>o</sub> :	0.42		Depth: 6			
Load	Load	٤ <sub>vert</sub>	$\Delta \epsilon_{vert}$	e	Cv		m <sub>v</sub>	k <sub>v</sub>
(t/ft <sup>2</sup> )	(k/ft <sup>2</sup> )	(%)	(%)		*10 <sup>-4</sup> cm <sup>2</sup> /s	ft²/day	(ft²/k)	(ft/day)
0.0625	0.125	0						
0.125	0.25	1.6	1.6	0.39728	2.19	0.020	0.128	1.63E-04
0.25	0.5	2.2	0.6	0.38876	1.82	0.017	0.024	2.53E-05
0.5	1	3.1	0.9	0.37598	2.7	0.025	0.018	2.82E-05
1	2	4.1	1	0.36178	6.38	0.059	0.010	3.70E-05
2	4	5.6	1.5	0.34048	5.82	0.054	0.008	2.53E-05
4	8	7.4	1.8	0.31492	6.54	0.061	0.005	1.71E-05
8	16	9.4	2	0.28652	11.1	0.103	0.003	1.61E-05
16	32	11.8	2.4	0.25244	26.4	0.246	0.002	2.30E-05
32	64	14.3	2.5	0.21694	20.2	0.188	0.001	9.16E-06
8	16	13.6	-0.7	0.22688	24.3	0.226	0.000	2.06E-06
2	4	12.4	-1.2	0.24392	6.47	0.060	0.001	3.75E-06
4	8	12.6	0.2	0.24108	19.4	0.180	0.000	5.63E-06
8	16	13.1	0.5	0.23398	25.3	0.235	0.001	9.18E-06
16	32	13.8	0.7	0.22404	42.5	0.395	0.000	1.08E-05
32	64	14.8	1	0.20984	39.6	0.368	0.000	7.18E-06
64	128	17.3	2.5	0.17434	17.6	0.164	0.000	3.99E-06



Performed	d by Wood	ward C	lyde Consul	ltants	-											
Hammer	Automatic	Trip H	ammer (assu	me UK	Pilcon	u)										
Weight:	140 lb		· · · · · ·			<i>,</i>										
Casing:	4 inch															
Falling:	30 inch															
Ť																
Depth <sub>MID</sub>	σ' <sub>v AVG</sub>	N	C <sub>N</sub>	C <sub>ER</sub>	C <sub>RL</sub>	Cs	Св	Ν,	N <sub>60</sub>	N <sub>1 60</sub>	Dr	φ.	φ'	ф'	φ'	¢'avg
(ft)	(ksf)		(Skempton)								(fine sand)	(DM7)	(Sch, 1978)	(De Mello)	(Peck)	
6	0.714	25	1.47	1.00	0.75	1.20	1.00	36.85	22.50	33.16	0.78	34	39	40	37	37.5
11	1.309	10	1.21	1.00	0.75	1.20	1.00	12.09	9.00	10.88	0.44	34	35.5	36	30.5	34
16	1.7038	30	1.08	1.00	0.85	1.20	1.00	32.40	30.60	33.05	0.78	34	39	40	37	37.5
21	1.9868	22	1.00	1.00	0.95	1.20	1.00	22.07	25.08	25.16	0.68	34	38.5	40	34.5	36.75
										Dr <sub>Avg</sub>	0.67				φ' <sub>t avg</sub>	36.4
Performed	d by STS C	onsult	ants Ltd.													
Hammer:	Automatic	Safety	Hammer (as	sume \$	Standa	rd Sarr	pler)									
Weight:	140 lb															
Falling:	30 inch															
Depth <sub>MID</sub>	$\sigma'_{vAVG}$	N	CN	$C_{ER}$	CRL	Cs	Св	N <sub>1</sub>	N <sub>60</sub>	N <sub>1 60</sub>	Dr	φ'	φ'	φ'	φ'	¢'avg
(ft)	(ksf)		(Skempton)								(fine sand)	(DM7)	(Sch, 1978)	(De Mello)	(Peck)	
0.5	0.0595	18	1.94	0.90	0.75	1.00	1.00	34.96	12.15	23.60	0.66	34	38.5	40	33.5	36.5
2.5	0.2975	64	1.74	0.90	0.75	1.00	1.00	111.43	43.20	75.21	1.00	34	42.5	36	41	38.375
5.5	0.6545	49	1.51	0.90	0.75	1.00	1.00	73.84	33.08	49.84	0.95	34	42	40	41	39.25
8	0.952	29	1.36	0.90	0.75	1.00	1.00	39.30	19.58	26.52	0.69	34	39	40	35	37
10.5	1.2495	30	1.23	0.90	0.75	1.00	1.00	36.93	20.25	24.93	0.67	34	38.5	40	34.5	36.75
13	1.534	66	1.13	0.90	0.75	1.00	1.00	74.70	44.55	50.42	0.96	34	42	40	41	39.25
15.5	1.6755	72	1.09	0.90	0.85	1.00	1.00	78.36	55.08	59.94	1.00	34	42.5	40	41	39,375
18	1.817	52	1.05	0.90	0.85	1.00	1.00	54.49	39.78	41.69	0.87	34	41	40	39	38.5
20.5	1.9585	59	1.01	0.90	0.95	1.00	1.00	59.62	50.45	50.97	0.96	34	42	40	41	39.25
23	2.1	17	0.98	0.90	0.95	1.00	1.00	16.59	14.54	14.18	0.51	34	36	36	31.5	34.375
										Dr <sub>Avg</sub>	0.83				φ'τ avg	37.9
															φ' <sub>design</sub>	37

## Appendix C

## Pile Design Analysis for NGES at Northwestern University

1)	Driven Pile Capacity Estimation	123
2)	Drilled Pile Capacity Estimation	124
3)	Load Transfer Analysis	125

Side Fric	Side Friction in Sand										
¢'Design:	37	(degree)									
Dr <sub>Design:</sub>	75	(%)									

Pipe Pile				H Pile 14*73						
Diameter	Length	Thickness	E <sub>eq.</sub>	Diameter <sub>eq</sub>	Length	T. Tip Area	width	depth	E <sub>eq.</sub>	
(ft)	(ft)	(ft)	(ksf)	(ft)	(ft)	(ft <sup>2</sup> )	(ft)	(ft)	(ksf)	
1.50	50.00	0.03	358333	1.50	50.00	0.15	1.22	1.13	363783	

Poulos & D	avis)								
								Pipe or H pi	ile
Driven		Depth	K <sub>s</sub> tanδ'	d/B	σ' <sub>vs</sub>	fs	L	Area	Q <sub>sf</sub>
¢'*	d <sub>c</sub> ∕B	(ft)			(ksf)	(ksf)	(ft)	(ft <sup>2</sup> )	(kip)
(degree)		2.50	1.20	1.67	0.30	0.36	5.00	23.56	8.41
37.75	7.50	7.50	1.20	5.00	0.89	1.07	5.00	23.56	25.23
		12.50	1.20	8.33	1.34	1.61	5.00	23.56	37.85
		17.50	1.20	11.67	1.34	1.61	5.00	23.56	37.85
		21.50	1.20	14.33	1.34	1.61	3.00	14.14	22.71
								Q <sub>sf subtotal</sub>	132.06

Design Curves (Vesic, 1970; Tomlinson, 1973) Pipe or H pile							
Dr	fs	L	Area	Q <sub>sf</sub>			
(%)	(ksf)	(ft)	(ft <sub>2</sub> )	(kip)			
75.00	0.90	23.00	108.38	97.55			

## Skin Friction in Clay

φ':	28	(degree)

Depth	σ' <sub>νο</sub>	Su	PI	μ	Su <sub>corrected</sub>	α	α	α	α	$L_{embed}$	β	β
(ft)	(ksf)	(ksf)	(%)		(ksf)	(Tomlinson)	(API)	(Peck)	(D&O, 1983	(ft)	(Meyerhof)	(Burland)
29.5	2.47	0.66	10	1.15	0.76	1	0.95	0.85	0.9	6.5	0.36	0.27
34.4	2.78	0.41	20	1.00	0.41	1	1	0.9	1	11.4	0.355	0.27
37.7	2.98	0.33	23	0.97	0.32	1	1	0.92	1	14.7	0.35	0.27
41	3.17	0.37	18	1.02	0.38	1	1	0.9	1	18	0.345	0.27
44.3	3.36	0.4	16	1.05	0.42	1	1	0.9	1	21.3	0.34	0.27
47.6	3.58	0.41	18	1.02	0.42	1	1	0.9	1	24.6	0.33	0.27
50.8	3.79	0.38	20	1.00	0.38	1	1	0.9	1	27.8	0.325	0.27

Depth	L	Area	$\alpha_{Avg}$	fs	Q <sub>fs</sub>	β <sub>AVG</sub>	fs	Q <sub>fs</sub>
Pipe or H p	pile			$\alpha$ Method	$\alpha$ Method		β Method	β Method
(ft)	(ft)	(ft <sup>2</sup> )		(ksf)	(kip)		(ksf)	(kip)
29.5	6.5	30.63	0.93	0.70	21.51	0.32	0.78	23.87
34.4	4.9	23.09	0.98	0.40	9.23	0.31	0.87	20.07
37.7	3.3	15.55	0.98	0.31	4.88	0.31	0.92	14.36
41	3.3	15.55	0.98	0.37	5.74	0.31	0.98	15.17
44.3	3.3	15.55	0.98	0.41	6.36	0.31	1.03	15.95
47.6	3.3	15.55	0.98	0.41	6.36	0.30	1.07	16.71
50.8	2.4	11.31	0.98	0.37	4.19	0.30	1.13	12.76
				Q <sub>fs tot a</sub>	58.27		Q <sub>fs tot β</sub>	118.91

	Q <sub>fs low</sub> (kip)	Q <sub>fs avg</sub> (kip)	Q <sub>fs high</sub> (kip)
sand	97.55	114.80	132.06
clay	58.27	88.59	118.91
Total	155.81	203.39	250.97

Side Friction in Sand							
¢'Design:	37	(degree)					
Dr <sub>Design:</sub>	75	(%)					

Drilled Pier	•	
Diameter	Length	E
(ft)	(ft)	(ksf)
1.50	50.00	720000

Poulos & D	Poulos & Davis									
								Pipe or H p	ile	
Drilled		Depth	K₅tanδ'	d/B	$\sigma'_{vs}$	fs	Ĺ	Area	$Q_{sf}$	
φ'*	d <sub>c</sub> /B	(ft)			(ksf)	(ksf)	(ft)	(ft <sup>2</sup> )	(kip)	
(degree)		2.50	0.40	1.67	0.30	0.12	5.00	23.56	2.80	
34.00	6.30	7.50	0.40	5.00	0.89	0.36	5.00	23.56	8.41	
		12.50	0.40	8.33	1.12	0.45	5.00	23.56	10.60	
		17.50	0.40	11.67	1.12	0.45	5.00	23.56	10.60	
		21.50	0.40	14.33	1.12	0.45	3.00	14.14	6.36	
								Q <sub>sf subtotal</sub>	38.77	

Design Curves				
(Vesic, 1970; Tomlinson, 1973	)		Buried Pile	
Dr	fs	L	Area	$Q_{sf}$
(%)	(ksf)	(ft)	(ft <sub>2</sub> )	(kip)
75.00	0.50	23.00	108.38	54.19

Skin Friction in Clay							
φ':	28	(degree)					
L <sub>total Embed</sub> :	27	(ft)					

Depth	σ'νο	$\beta_{AVG}$	Depth	L	Area	$\beta_{AVG}$	fs	Q <sub>fs</sub>
(ft)	(ksf)	(K&J)	Drilled Pile				β Method	β Method
			(ft)	(ft)	(ft <sup>2</sup> )		(ksf)	(kip)
29.5	2.47	0.82	29.5	6.5	30.63	0.82	2.03	62.15
34.4	2.78	0.82	34.4	4.9	23.09	0.82	2.28	52.68
37.7	2.98	0.82	37.7	3.3	15.55	0.82	2.44	38.00
41	3.17	0.82	41	3.3	15.55	0.82	2.60	40.47
44.3	3.36	0.82	44.3	3.3	15.55	0.82	2.76	42.89
47.6	3.58	0.82	47.6	3.3	15.55	0.82	2.94	45.68
50.8	3.79	0.82	50.8	2.4	11.31	0.82	3.11	35.16
							Q <sub>fs tot β</sub>	317.01

	Q <sub>fs low</sub>	Q <sub>fs avg</sub>	$Q_{fshigh}$			
	(kip)	(kip)	(kip)			
sand	38.77	46.48	54.19			
clay	317.01	317.01	317.01			
Total	355.79	363.50	371.21			

		Double Layers Analysis																	
	L <sub>emb</sub>	QT	ro	L <sub>sand</sub>	L <sub>clay</sub>	G。	G <sub>1</sub>	G2	GL	ξ1	ξ <b>2</b>	λ1	λ2	μL1	μ <b>L</b> 2	Qb1	Wsand	W <sub>clay</sub>	W <sub>total</sub>
	(ft)	(kip)	(ft)	(ft)	(ft)	(ksf)	(ksf)	(ksf)	(ksf)							(kip)	(in)	(in)	(in)
18"	50	0	0.75	23.0	27.0	717	717	34	34	6.48	3.81	500	10539	0.76	0.25	0.00	0.000	0.000	0.000
Pipe	50	50	0.75	23.0	27.0	717	717	34	34	6.48	3.81	500	10539	0.76	0.25	0.57	0.022	0.004	0.026
Pile	50	100	0.75	23.0	27.0	717	717	34	34	6.48	3.81	500	10539	0.76	0.25	1.14	0.044	0.008	0.052
	50	150	0.75	23.0	27.0	717	717	34	34	6.48	3.81	500	10539	0.76	0.25	1.72	0.065	0.012	0.078
	50	200	0.75	23.0	27.0	717	717	34	34	6.48	3.81	500	10539	0.76	0.25	2.29	0.087	0.016	0.103
	50	250	0.75	23.0	27.0	717	717	34	34	6.48	3.81	500	10539	0.76	0.25	2.86	0.109	0.021	0.129
	50	300	0.75	23.0	27.0	717	717	34	34	6.48	3.81	500	10539	0.76	0.25	3.43	0.131	0.025	0.155
						Do	uble L	ayers	s Anal	ysis									
	L <sub>emb</sub>	QT	ro	Lsand	L <sub>clay</sub>	G。	G <sub>1</sub>	G <sub>2</sub>	GL	ξ1	ξ2	λ <sub>1</sub>	λ2	μL <sub>1</sub>	μL₂	Qb1	Wsand	W <sub>clav</sub>	W <sub>total</sub>
	(ft)	(kip)	(ft)	(ft)	(ft)	(ksf)	(ksf)	(ksf)	(ksf)							(kip)	(in)	(in)	(in)
14*73	50	0	0.75	23.0	27.0	717	717	34	34	6.48	3.81	507	10699	0.76	0.25	0.00	0.000	0.000	0.000
н	50	25	0.75	23.0	27.0	717	717	34	34	6.48	3.81	507	10699	0.76	0.25	0.29	0.011	0.002	0.013
Pile	50	75	0.75	23.0	27.0	717	717	34	34	6.48	3.81	507	10699	0.76	0.25	0.86	0.032	0.006	0.038
	50	125	0.75	23.0	27.0	717	717	34	34	6.48	3.81	507	10699	0.76	0.25	1.43	0.054	0.010	0.064
	50	175	0.75	23.0	27.0	717	717	34	34	6.48	3.81	507	10699	0.76	0.25	2.00	0.075	0.014	0.090
	50	225	0.75	23.0	27.0	717	717	34	34	6.48	3.81	507	10699	0.76	0.25	2.58	0.097	0.018	0.115
	50	275	0.75	23.0	27.0	717	717	34	34	6.48	3.81	507	10699	0.76	0.25	3.15	0.118	0.023	0.141
						Doi	uble L	ayers	s Anal	ysis									
	L <sub>emb</sub>	QT	ro	Lsand	L <sub>clay</sub>	G。	G1	G2	GL	ξ1	ξ <b>2</b>	λ1	λ2	μL1	μL₂	Qb1	Wsand	W <sub>clay</sub>	W <sub>total</sub>
	(ft)	(kip)	(ft)	(ft)	(ft)	(ksf)	(ksf)	(ksf)	(ksf)							(kip)	(in)	(in)	(in)
18"	50	0	0.75	23.0	27.0	860	717	34	34	6.60	3.81	1004	21176	0.53	0.18	0.00	0.000	0.000	0.000
Bored	50	50	0.75	23.0	27.0	860	717	34	34	6.60	3.81	1004	21176	0.53	0.18	0.56	0.014	0.004	0.018
Pile	50	100	0.75	23.0	27.0	860	717	34	34	6.60	3.81	1004	21176	0.53	0.18	1.11	0.028	0.008	0.036
(cased or	50	150	0.75	23.0	27.0	860	717	34	34	6.60	3.81	1004	21176	0.53	0.18	1.67	0.042	0.012	0.054
slurry)	50	200	0.75	23.0	27.0	860	717	34	34	6.60	3.81	1004	21176	0.53	0.18	2.23	0.056	0.016	0.072
	50	250	0.75	23.0	27.0	860	717	34	34	6.60	3.81	1004	21176	0.53	0.18	2.78	0.070	0.020	0.090
	50	300	0.75	23.0	27.0	860	717	34	34	6.60	3.81	1004	21176	0.53	0.18	3.34	0.085	0.024	0.108
	50	350	0.75	23.0	27.0	860	717	34	34	6.60	3.81	1004	21176	0.53	0.18	3.90	0.099	0.028	0.126